

Updating the population

Constant population size (N), so
between two time steps,

$$\# \text{ RIP} = \# \text{ baby}$$

Updating the population

Constant population size (N), so
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Wright-Fisher

Moran process

Life-cycle

“Death-Birth” updating

Offspring
production

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Offspring
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