

## setup

#### overhead

#### tag

```
In[173]:= home = "rcs/fourier/analysis/";
   Get["utility modules.m", Path → dirPack];
   Get["rcs-tools-01.m", Path → dirnb <> "rcs/tools/"];
   stamp1;
   maximum memory: 0.202191 GB
   seed file: /Users/dantopa/primary-repos/github/experiment-mathematica/nb/seed 19_12.nb
   user: dantopa, CPU: Xiuhcoatl, MM v. 12.1.0 for Mac OS X x86
   date: May 10, 2020, time: 18:24:41
   nb: /Users/dantopa/primary-repos/github/experiment-mathematica/nb/rcs/fourier/analysis/
   fourier-svd-01.nb
```

#### modules, functions, settings, ...

### 1

```
In[184]:= \sigma = Import[dirDataLocker <> sciaccarcs];
Dimensions[\sigma]
\lambda = Length[\sigma]
Out[\sigma]= \{28, 361\}
Out[\sigma]= 28
```

2

## linear system

```
In[*]:= mesh = Range[-180, 180];
d = 4;
A = BuildAFourierCos[mesh, d];
```

#### least squares

```
ln[-]:= k = 1;
    b = \sigma[[k]];
    frequency = k + 2;
    (* solution *)
    x = LeastSquares[A, b];
    (* error propagation *)
    error[A // N, x, b];
```

### svd

```
log[a] := \{U, \Sigma, V\} = Chop[SingularValueDecomposition[A // N]]
           ... 1 ...
Out[ • ]=
         large output
                           show less
                                          show more
                                                           show all
                                                                         set size limit...
 In[•]:= Diagonal[Σ]
      \rho = Length[%]
\textit{Out[*]} = \{19.0006, 13.5638, 13.4164, 13.4164, 13.4164\}
Out[•]= 5
In[*]:= Dimensions[U]
Out[\circ] = \{361, 361\}
ln[\cdot]:= Un = U[[1;361, \rho+1;361]];
       Dimensions[Un]
Out[\bullet]= {361, 356}
ln[\cdot]:= Ur = U[[1;361,1;;\rho]];
      Dimensions[%]
       br = UrH.b;
      Dimensions[%]
      Norm[br, 2]
Out[\bullet]= {361, 5}
\textit{Out[} \, \bullet \, \texttt{]=} \quad \left\{ \, 5 \, \right\}
Out[\circ] = 675.682
```

```
ln[\bullet]:= bn = Un^{H}.b;
       Dimensions[%]
       Norm[bn, 2]
\textit{Out[o]}=~\{\,356\,\}
Out[*]= 25.2059
In[*]:= Norm[b, 2]
Out[*]= 676.152
ln[\cdot]:=\sqrt{Norm[br, 2]^2 + Norm[bn, 2]^2}
Out[*]= 676.152
In[*]:= \frac{Norm[bn, 2]}{Norm[br, 2]} 7
Out[*]= 0.261131
```

# end