

# Homework 9\_1 [Hashing.cpp]

## Variable analysis

```
#define KEY_SIZE 10 : the maximum length of string.  
#define TABLE_SIZE 13 : the Bucket size in hash table.
```

```
ListNode* hash_table[TABLE_SIZE] : hash table.
```

element	
type	name
char [KEY_SIZE]	key

key : starting address of char array  
(=string)

ListNode	
type	name
element	item
ListNode *	link

Item : data used in hash key.  
link : the address of connected node

## Function analysis

```
void hash_chain_delete(element item, ListNode* ht[])
```

```
void hash_chain_delete(element item, ListNode* ht[]) {  
  
    int hash_value = hash_function(item.key); //get hash value  
  
    ListNode* node_before = NULL;  
    ListNode* node;  
  
    // find node with item.  
    for (node = ht[hash_value]; node; node = node->link) {  
        if (equal(node->item, item))  
            break;  
    }  
}
```

```

// if node is NULL , there is no element corresponding to given item.
if (node == NULL) {
    printf("delete key does not exist\n");
    return;
}

ListNode* temp = node;

if (node_before)
{
    node_before->link = node->link;
    printf("not null");
}
else //node_before is null
{
    ht[hash_value] = node->link;
    printf("null");
}
free(temp); //deallocate memory
}

```

: In order to delete certain key in the hash table, we not only know the node with key `itself`, but also the **before node** of the key. If node is null, which indicates fails to find given element, just return. The only thing left after finding what I mentioned is to connect before node to next node of key node. There are two cases in hash chain deletion.

#### 1. Node\_before is NULL

: It means that the key node is the headmost of the bucket it is included in.

So substitute ht[hash\_vaule] for second head of the bucket ,which is completely same as node->link.

#### 2. Node\_before is not NULL

: It means that the key node has both before and after node. So substitute node\_befor->link for next node of key node (=node->link)

[result]

```
Enter the operation to do (0: insert, 1: delete, 2:search, 3: termination): 0
Enter the key: and
[0] -> null
[1] -> null
[2] -> null
[3] -> null
[4] -> null
[5] -> null
[6] -> null
[7] -> null
[8] -> and -> null
[9] -> null
[10] -> null
[11] -> null
[12] -> null

Enter the operation to do (0: insert, 1: delete, 2:search, 3: termination): 0
Enter the key: test
[0] -> null
[1] -> null
[2] -> null
[3] -> null
[4] -> null
[5] -> null
[6] -> test -> null
[7] -> null
[8] -> and -> null
[9] -> null
[10] -> null
[11] -> null
[12] -> null

Enter the operation to do (0: insert, 1: delete, 2:search, 3: termination): 0
Enter the key: cat
[0] -> cat -> null
[1] -> null
[2] -> null
[3] -> null
[4] -> null
[5] -> null
[6] -> test -> null
[7] -> null
[8] -> and -> null
[9] -> null
[10] -> null
[11] -> null
[12] -> null
```

Enter the operation to do (0: insert, 1: delete, 2:search, 3: termination): 0

Enter the key: dna

```
[0] -> cat -> null
[1] -> null
[2] -> null
[3] -> null
[4] -> null
[5] -> null
[6] -> test -> null
[7] -> null
[8] -> and -> dna -> null
[9] -> null
[10] -> null
[11] -> null
[12] -> null
```

Enter the operation to do (0: insert, 1: delete, 2:search, 3: termination): 0

Enter the key: nad

```
[0] -> cat -> null
[1] -> null
[2] -> null
[3] -> null
[4] -> null
[5] -> null
[6] -> test -> null
[7] -> null
[8] -> and -> dna -> nad -> null
[9] -> null
[10] -> null
[11] -> null
[12] -> null
```

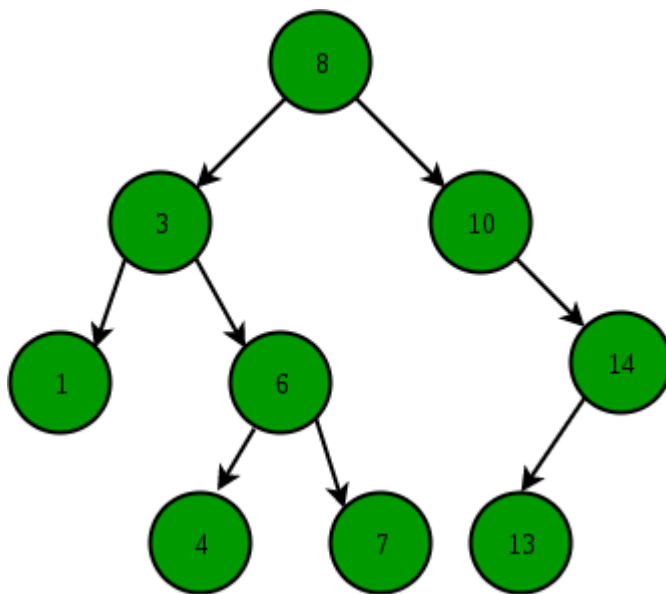
Enter the operation to do (0: insert, 1: delete, 2:search, 3: termination): 1

Enter the key: dna

```
not null[0] -> cat -> null
[1] -> null
[2] -> null
[3] -> null
[4] -> null
[5] -> null
[6] -> test -> null
[7] -> null
[8] -> and -> nad -> null
[9] -> null
[10] -> null
[11] -> null
[12] -> null
```

## Homework 9\_2 [Bst\_sort.cpp]

### Binary search tree



**Binary Search Tree** is a node-based binary tree data structure which has the following properties:

- The left subtree of a node contains only nodes with keys lesser than the node's key.
- The right subtree of a node contains only nodes with keys greater than the node's key.
- The left and right subtree each must also be a binary search tree.

To use Binary Search Tree for sorting data, we have to apply proper tree traversal considering characteristics of BST. In BST left child  $\leq$  vertex  $\leq$  right is always true. So traversing with 'Left -> vertex -> right' is needed, which is inorder traversal.

For example, if we apply inorder traversal to above graph, the visiting sequence is 1 -> 3 -> 4 -> 6 -> 7 -> 8 -> 10 -> 13 -> 14. It is the desired result with ascending order(sorted).

## Variable analysis

Node	
type	name
int	data
Node *	left,right

data : the key used in bst insertion

left : the left child node

right : the right child node

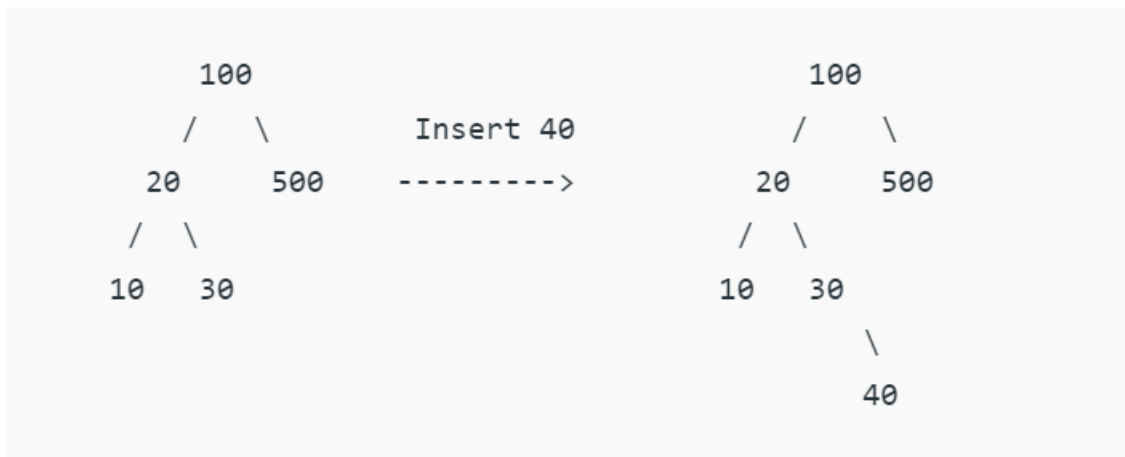
## function analysis

1) `int random(int data_maxval)`

```
// Integer random number generation function between 1 and n
int random(int data_maxval) {
    return rand() % data_maxval + 1;
}
```

: Returns the generated random number not overring maximum value.

2) `Node* bst_insert(Node* root, int key)`



```
node* bst_insert(node* root, int key) {
    if (root == NULL) { // if find proper place to be inserted

        // generate new node.
        root = (node*)malloc(sizeof(node));
        root->data = key;
        root->left = root->right = NULL;
    }
    else if (root->data >= key) // if key is the smaller
        root->left = bst_insert(root->left, key); // move to left tree
}
```

```

        else // if key is the larger
            root->right = bst_insert(root->right, key); // move to right tree
        return root;
    }

```

: A new key is always inserted at the leaf. We start searching a key from the root until we hit a leaf node. Once a leaf node is found, the new node is added as a child of the leaf node.

3) `void in_order(Node* root)`

```

// l -> v -> r
void in_order(node* root) {
    if (root == NULL)
        return;
    in_order(root->left); // left
    printf("%d\n", root->data); // vertex
    in_order(root->right); // right
}

```

: Using inorder(left->vertex->right) traversal, it prints out all nodes in the BST in ascending order.

[result]

7  
20  
24  
29  
30  
31  
37  
43  
67  
68  
76  
89  
122  
151  
175  
180  
182  
207  
230  
254  
257  
275  
275  
277  
287  
288  
297  
301  
328  
341  
347  
354  
357  
365  
369  
379  
387  
387  
398  
407  
411  
416  
436  
440  
445  
450  
453  
462  
464