

## Calculation of average Vp/Vs and Thickness of Crust

### 1. Simple H-k stack

$$\frac{Vp}{Vs} = \left[ (1 - p^2 Vp^2) \left\{ 2 \left( \frac{t_{Ps} - t_P}{t_{PpPs} - t_{Ps}} \right) + 1 \right\}^2 + p^2 Vp^2 \right]^{1/2}$$

$$\begin{aligned} t_1 &= t_{Ps} - t_P = H \left[ \sqrt{Vs^{-2} - p^2} - \sqrt{Vp^{-2} - p^2} \right] \\ t_2 &= t_{PpPs} - t_P = H \left[ \sqrt{Vs^{-2} - p^2} + \sqrt{Vp^{-2} - p^2} \right] \\ t_2 &= t_{PpSs} - t_P = 2H \sqrt{Vs^{-2} - p^2} \end{aligned}$$

### 2. Moho depth and average Vp/Vs ratio estimation

To obtain Moho depth ( $H$ ) and average  $Vp/Vs$  ratio (or Poisson's ratio  $\sigma$ ),  $H$ - $Vp/Vs$  stacking technique of *Zhu and Kanamori* (2000) is used, which exploits the fact that arrival times and amplitude of specific Moho converted phases and multiples appearing on radial receiver functions are determined by known functions of Moho depth ( $H$ ),  $Vp/Vs$  ratio and average  $Vp$  in the crust. Since travel times used for crustal receiver function analysis are much less sensitive to  $Vp$  than to  $Vs$  (*Zhu and Kanamori*, 2000), an average  $Vp$  for the entire crust from previously obtained seismic source studies in the region is assumed. For a near true combination of  $H$  and  $Vp/Vs$  ratio value, the weighted sum of the receiver function amplitude, defined as  $S(H, Vp/Vs)$ , at the calculated times of predicted arrivals of  $Ps$ ,  $PpPms$  and  $PpSms+PsPms$  phases would be expected to be maximum.

$$S(H, Vp/Vs) = \sum_{j=1}^N [w_1 r_j(t_1) + w_2 r_j(t_2) + w_3 r_j(t_3)],$$

where  $r_j(t)$  is the amplitude of receiver function for the  $j^{th}$  event,  $t_1$ ,  $t_2$ ,  $t_3$  are predicted  $Ps$ ,  $PpPms$  and  $PpSms+PsPms$  arrival times corresponding to Moho depth  $H$  and  $Vp/Vs$

ratio and  $N$  is the total number of receiver functions. The weighting factors  $w_i$ 's are chosen such that  $\sum w_i = 1$ , and

$$t_1 = H[\sqrt{Vs^{-2} - p^2} - \sqrt{Vp^{-2} - p^2}]$$

$$t_2 = H[\sqrt{Vs^{-2} - p^2} + \sqrt{Vp^{-2} - p^2}]$$

$$t_3 = 2H\sqrt{Vs^{-2} - p^2}$$

$w_1$ ,  $w_2$  and  $w_3$  are chosen to balance contribution from the 3 phases in receiver function. Among the phases,  $Ps$  has higher amplitude over  $PpPms$  and  $PpSms$  and accordingly it has been assigned higher weight than the other two. A grid search through  $H$  and  $Vp/Vs$  parameter space is performed, and the parameter value corresponding to the maximum value of  $S(H, Vp/Vs)$  can be considered as the best estimate. Based on the modeling of previous studies average crustal  $P$  wave velocity ( $Vp$ ) is chosen to be 6.4 km/s.  $H$  and  $Vp/Vs$  ratio are allowed to vary from 20-80 km (with 0.05 km increment) and 1.6-2.0 (with 0.002 increment) respectively.  $w_1 > w_2 + w_3$  was set because the later two phases have similar slope in  $H$ - $Vp/Vs$  plane. In the computation,  $w_1 = 0.6$ ,  $w_2 = 0.3$  and  $w_3 = 0.1$  are used. The station, where the multiples (in particular,  $PpPms$ ) are not clear,  $Vp/Vs$  ratio is taken from the neighbouring station.

Poisson's ratio is more useful tool to provide crustal composition than either  $Vp$  or  $Vs$  alone (Christensen, 1996). Poisson's ratio for solids theoretically falls between 0 and 0.5. Materials without rigidity (e.g., perfect liquids) as well as incompressible solids, have  $\sigma = 0.5$ . Poisson's ratio can be calculated from  $Vp/Vs$  as follows:

$$\sigma = 0.5[1 - \frac{1}{(Vp^2/Vs^2) - 1}]$$