Ejercicio 1. Encuentre la raíz positiva más pequeña de las siguientes funciones mediante el método de bisección con una tolerancia 0.001 y considerando la longitud del intervalo en el caso indicado.

Longitud del intervalo = 0.75

$$a) f(x) = \tan x - x + 2$$

Código

```
clc; clear all; close all;
f=inline('tanh(x)-x+2');
x=-10:0.75:10;
y=f(x);
plot(x,y)
hold on
grid on
plot(x,zeros(size(x)),'m*-')
a=2.98;
b=3;
```

Command Window

>> x1=(a+b)/2
x1 =
3
>> f(a)
ans =
0.4866
>> f(b)
ans =
-0.5018
>> f(x1)
ans =
-0.0049
>> (b-a)/2
ans =
0.5000
>> b=x1;
>> x2=(a+b)/2
x2 =
2.7500
>> f(x2)
ans =
0.2419
>> (b-a)/2
ans =

```
>> a=x2;
>> x3=(a+b)/2
x3 =
  2.8750
>> f(x3)
ans =
  0.1187
>> (b-a)/2
ans =
  0.1250
>> a=x3;
>> x4=(a+b)/2
x4 =
  2.9375
>> f(x4)
ans =
  0.0569
>> (b-a)/2
ans =
  0.0625
```

>> a=x4;
>> x5=(a+b)/2
x5 =
2.9688
>> f(x5)
ans =
0.0260
>> (b-a)/2
ans =
0.0313
>> a=x5;
>> x6=(a+b)/2
x6 =
2.9844
>> f(x6)
ans =
0.0105
>> (b-a)/2
ans =
0.0156

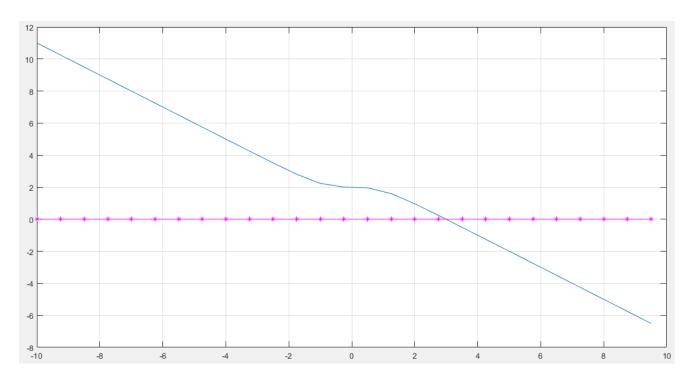
>> a=x6;
>>
x7=(a+b)/2
x7 =
2.9922
>> f(x7)
ans =
0.0028
>> (b-a)/2
ans =
0.0078
>> a=x7;
>>
x8=(a+b)/2
x8 =
2.9961
>> f(x8)
ans =
-0.0011
>> (b-a)/2
ans =
0.0039

>> b=x8;
>> x9=(a+b)/2
x9 =
2.9941
>> f(x9)
ans =
8.5598e-04
>> (b-a)/2
ans =
0.0020
>> a=x9;
>>
x10=(a+b)/2
x10 =
2.9951
>> f(x10)
ans =
-1.1084e-04
>> (b-a)/2
ans =
9.7656e-04

Tabla

а	хi	b	f(a)	f(xi)	f(b)	error	
2.5	3	3.5	+	- \	-	0.5	0.001
2.5 ▼	2.75	3	+ 🔻	+	<u> </u>	0.25	
2.75	2.875	3	+	+	+ -	0.125	
2.875 📥	2.9375	3 ♥	+ 🗸	+	- +	0.0625	
2.9375 🗠	2.9688	▼ 3	+ 🗸	+	V -	0.0313	
2.9688	2.9844	3 ▼	+ 💉	+	\	0.0156	
2.9844	2.9922	▼ 3	+ 💉	+	+ -	0.0078	
2.9922	2.9961 <	3 ♦	+	- \	- 🗡	0.0039	
↓ 2.9922	2.9941	2.9961	+ 🔻	/ +	× -	0.002	
2.994	2.9951	2.9961 🔻	+	-	- 🔻	9.77E-04	

Gráfica



Raíz= 2.9951

b) $\ln x - 0.8x^2 + 2 = 0$

Código

```
clc, clear all, close all;
f=inline('12*x.^5-10*x.^3+2*x.^2+3*x-0.3');
x=-.9:0.75:.9;
y=f(x);
plot(x,y)
grid on
hold on
plot(x,zeros(size(x)),'cd--')
a=-0.15;
b=0.6;
```

Command Window

```
>> x1=(a+b)/2
                  >> a=x2;
x1 = 0.2250
                  >> x3=(a+b)/2
>> f(a)
                  x3 =
ans =
                    0.1312
 -0.6722
                  >> f(x3)
>> f(b)
                  ans =
ans =
                    0.1061
  0.9931
                  >> (b-a)/2
>> f(x1)
                  ans =
Ans=
                    0.0938
  0.3693
                  >> b=x3;
>> (b-a)/2
                  >> x4=(a+b)/2
ans =
 0.3750
                    0.0844
>> b=x1
                  >> f(x4)
                  ans =
 0.2250
                   -0.0386
>> b=x1;
                  >> (b-a)/2
>> x2=(a+b)/2
                  ans =
                    0.0469
  0.0375
>> f(x2)
ans =
 -0.1852
>> (b-a)/2
```

```
>> a=x4;
>> x5=(a+b)/2
x5 =
  0.1078
>> f(x5)
ans =
  0.0343
>> (b-a)/2
ans =
  0.0234
>> b=(x5);
>> x6=(a+b)/2
x6 =
  0.0961
>> f(x6)
ans =
 -0.0020
>> (b-a)/2
ans =
  0.0117
```

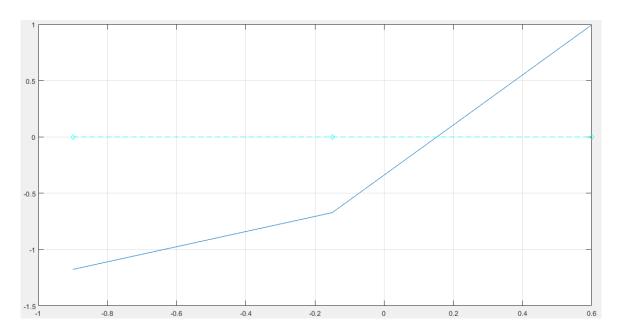
```
>> a=(x6);
>> x7=(a+b)/2
x7 =
  0.1020
>> f(x7)
ans =
  0.0162
>> (b-a)/2
ans =
  0.0059
>> b=(x7);
>> x8=(a+b)/2
x8 =
  0.0990
>> f(x8)
ans =
  0.0071
>> (b-a)/2
ans =
  0.0029
```

```
>> b=(x8);
>> x9=(a+b)/2
x9 =
  0.0976
>> f(x9)
ans =
  0.0025
>> (b-a)/2
ans =
  0.0015
>> b=(x9);
>> x10=(a+b)/2
x10 =
  0.0968
>> f(x10)
ans =
 2.5351e-04
>> (b-a)/2
ans =
 7.3242e-04
```

Tabla

а	xi	b	f(a)	f(xi)	f(b)	error	
-0.15	0.225	0.6	- 1	+ \	+	0.375	0.001
-0.15 🔻	0.0375	^ 0.225	- 🔻	, -	* +	0.1875	
0.0375	0.1312	▼0.225	- *	+ \	*+	0.0938	
0.0375	0.0844	^ 0.1312	- ¥	/ -	* +	0.0469	
0.0844	0.1078	0.1312	- *	+ \	+ +	0.0234	
0.0844	0.0961	0.1078	- 🔻	/ -	* + 1	0.0117	
0.0961	0.102	0.1078	- *	+ \	+ +	0.0059	
0.0961	0.099	0.102	1 - ¥	+ \	* +	0.0029	
0.0961	0.0976	0.099	* -	+ _	* +	0.0015	
0.0961	0.0968	0.0976	- ¥	+	* +	7.32E-04	

Gráfica



Raíz= 0.0968

Ejercicio 3. Una masa de 1 kg de CO está contenida en un recipiente a T = 222Ky P = 68 bar/mol. La ecuación de estado de Van Der Waals para un gas no ideal está dada por:

$$\left(P + \frac{a}{v^2}\right)(v - b) = RT$$

Datos:

$$R = 0.08314 \frac{bar \cdot m^3}{kg \cdot mol \cdot K}$$

$$a = 1.572 \frac{bar \cdot m^6}{kg^2 \cdot mol}$$

$$b = 0.0411 \frac{m^3}{kg}$$

Determine el volumen especifico $\sqrt[V]{m^3/kg}$ por medio del método de la bisección empleando una longitud del intervalo = 1 y una tolerancia de 0.01. Incluir la gráfica.

$$\left(68 + \frac{1.572}{v^2}\right)(v - 0.0411) = (0.08314)(222)$$
$$\left(68 + \frac{1.572}{v^2}\right)(v - 0.0411) - (0.08314)(222) = 0$$

i	xi	error
0	3	-
1	0.2982	2.7018
2	0.2335	0.0647
3	0.23	0.0035

Código

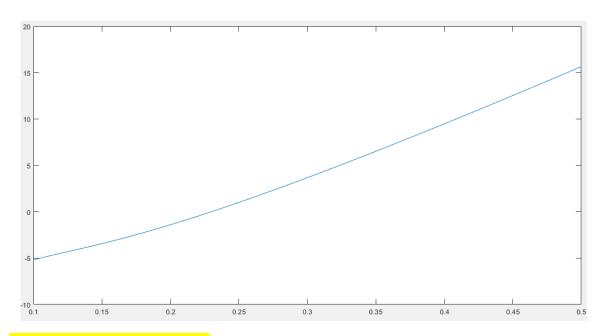
```
clc; clear all; close all
f=inline('(68+(1.572)./(v.^2)).*(v-0.0411)-
0.08314*222')
v=0.1:0.001:0.5;
plot(v,f(v))
hold on
syms v
f1=diff(f(v));
f1=inline(f1);
x0=3
```

Command Window

f =Inline function:

```
f(v) = (68+(1.572)./(v.^2)).*(v-0.0411)-0.08314*222
                                                         0.0647
x0 =
                                                  x3=x2-f(x2)/f1(x2)
3
                                                  x3 =
x1=x0-f(x0)/f1(x0)
                                                         0.2300
x1 =
                                                  e=abs(x3-x2)
       0.2982
                                                  e =
e=abs(x1-x0)
                                                         0.0035
e =
                                                  x4=x3-f(x3)/f1(x3)
       2.7018
                                                  x4 =
x2=x1-f(x1)/f1(x1)
                                                         0.2300
x2 =
                                                  e=abs(x4-x3)
       0.2335
                                                  e =
e=abs(x2-x1)
e =
                                                    1.4915e-05
```

Gráfica



 $Volumen = 0.23 m^3/kg$