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## History of Functional Programming

- Combinatory logic  $\lambda$ -logic (1920s, 1930s), Foundations for *mathematics*, not computing
- WW2 changed everything
- LISP (late 50s, early 60s), Artificial Intelligence but very functional
- APL (early 60s), symbol-based, functions/operators as building blocks
- ML, SASL, NPL (1970s), type-inference, pattern-matching
- FP - John Backus Turing Award Speech (1977), inventor of Fortran and much parsing technology argues for functional programming
- Haskell starts (1987)

## ML

- Robin Milner and co
- Developing early theorem provers
- Provers based on a logic called the Logic of Computable Functions
- Needed a very well-defined programming language to implement them
- Enter Meta Language (ML)
- Still the basis for most modern theorem provers
- Evolved into SML and OCaml

## A Running Example

### Expressions

We are going to write functions that manipulate expressions in a variety of ways

```

data Expr = Val Float
          | Add Expr Expr
          | Mul Expr Expr
          | Sub Expr Expr
          | Dvd Expr Expr
  deriving Show

```

So the expression  $(10+5)*90$  is written

```
Mul (Add (Val 10) (Val 5)) (Val 90)
```

## An Evaluator

We can write a function to calculate the result of the expressions

```

eval :: Expr -> Float
eval (Val x) = x
eval (Add x y) = eval x + eval y
eval (Mul x y) = eval x * eval y
eval (Sub x y) = eval x - eval y
eval (Dvd x y) = eval x / eval y

```

## A Simplifier

We can write a function to simplify an expression

```

simp :: Expr -> Expr
simp (Val x) = (Val x)
simp (Add e1 e2) = let (Val x) = simp e1
                    (Val y) = simp e2
                    in Val (x+y)
...

```

Matching if  $\text{simp } e1 == \text{Val } x$ ,  $x = \text{value of simp } e1$

```
simp(Add e1 e2) = Val(eval(simp e1) + eval(simp e2))
```