

Conditionals [H2010 3.6]

- ▶ For expressions, we can write a conditional using `if ... then ... else`

$exp \rightarrow \text{if } exp \text{ then } exp \text{ else } exp$

- ▶ The else-part is compulsory, and cannot be left out (why not?)
- ▶ The (boolean-valued) expression after `if` is evaluated:
If true, the value is of the expression after `then`
If false, the value is of the expression after `else`

Prefix vs. Infix

- ▶ Functions with identifier names are prefix:

`myfun x y = 2*x + y`

- ▶ However, 2-argument identifiers can be used infix-style:

`1 'myfun' 2`

(surround with *back-quotes*)

- ▶ Functions with symbol names are infix: `x <+> y = 2*x - y`

- ▶ However, can be used prefix-style: `(<+>) 5 7`

(surround with parentheses)

- ▶ **Note:** there is a difference between “back-quotes” (‘) and “single quotation marks” (') noting that they can render differently in different situations.

Operators [H2010 3]

- ▶ Expressions can built up as expected in many programming languages

`3 x x+y (x<=y) a + c * d - (e * (a / b))`

- ▶ Some operators are left-associative like `+` `-` `*` `/` `:`

`a + b + c` parses as `(a + b) + c`

- ▶ Some operators are right-associative like `:` `.` `^` `&&` `||`:

`a:b:c:[]` parses as `a:(b:(c:[]))`

- ▶ Other operators are non-associative like `==` `/=` `<` `<=` `>=` `>`:

`a <= b <= c` is illegal,
but `(a <= b) && (b <= c)` is ok.

- ▶ The minus sign is tricky: `e - f` parses as “e subtract f”,
`(- f)` parses as “minus f”,
but `e (- f)` parses as
“function e applied to argument minus f”

Function Application/Types

- ▶ Function application is denoted by juxtaposition, and is left associative

- ▶ `f x y z` parses as `((f x) y) z`

- ▶ If we want `f` applied to both `x`, and the result of the application of `g` to `y`, we must write `f x (g y)`

- ▶ In types, the function arrow is right associative

`Int -> Char -> Bool` parses as `Int -> (Char -> Bool)`

- ▶ The type of a function whose first argument is itself a function,
has to be written as `(a -> b) -> c`

- ▶ Note the following types are identical:

`(a -> b) -> (c -> d)`

`(a -> b) -> c -> d`

Identifiers as Operators [H2010 3.2]

- ▶ We can take a variable identifier that denotes a function taking two arguments and turn it into an infix operator by surrounding it with backquotes.
- ▶ `mod` is a prefix function that computes the value of its first argument modulo its second

```
> mod 37 5  
2
```
- ▶ However, adding backquotes allows it to be used in an infix setting

```
> 37 'mod' 5  
2
```
- ▶ Don't confuse the back-quote used here (`'`) with the single quote (`'`) used for characters.

Sections [H2010 3.5]

- ▶ A "section" is an operator, with possibly one argument surrounded by parentheses, which can be treated as a prefix function name.
- ▶ `(+)` is a prefix function adding its arguments
(e.g. `(+) 2 3 = 5`)
- ▶ `(/)` is a prefix function dividing its arguments
(e.g. `(/) 2.0 4.0 = 0.5`)
- ▶ `(/4.0)` is a prefix function dividing its single argument by 4
(e.g. `(/4.0) 10.0 = 2.5`)
- ▶ `(10.0/)` is a prefix function dividing 10 by its single argument
(e.g. `(10/) 4.0 = 2.5`)
- ▶ `(- e)` is not a section, use `subtract e` instead.
(e.g. `(subtract 1) 4 = 3`)

Decomposing Problems

- ▶ In a very real sense, programming *is* problem decomposition
- ▶ We break a big problem down into small problems
- ▶ Solve all the small problems
- ▶ Connect the solutions to the small problems together into a solution to the big problem

Decomposing Problems

In a lot of languages, you can get away with a certain bad habit

1. Start writing a solution to the big problem
2. Keep programming - when two parts need to share data, make a piece of shared data
3. Keep programming - eventually end up with a solution with lots of sections that depend on the value of a variable shared with other parts

What's wrong with this?

- ▶ No way to track how the different parts talk to each other
- ▶ No defined interfaces between parts

So when someone tries to modify the code, they need to keep *the entire structure of the application* in their head.

This is frequently referred to as "spaghetti code"

Decomposing Problems

- ▶ In Haskell, this is impossible because:
- ▶ No mutation - shared variables can't ever change
- ▶ But this has consequences
- ▶ In Haskell, it's possible to *really* program yourself into a corner and be unable to fix the code
- ▶ The keep-going-til-it-works approach is a recipe for pain and frustration

Doing it "right"

1. What do I have?
2. What do I want?
3. How do I get there?
4. Implement the first piece.
5. Go to 1.

Doing it "right" - Haskell

1. What do I have? - this is the initial type **a**
2. What do I want? - this is the final type **b**
3. How do I get there? - this is a function **a -> b**
4. Identify the steps to take to solve the problem - use your own judgement to decide whether these should be separate functions
5. Implement the sub-functions using this same process

If you have to type the same piece of code more than once, it should be a separate function. If the problem is more complex, you may need to have several initial objects at step 1.

Why is this any better?

Doing it "right" - Haskell

- ▶ At each step, there is a defined interface that the compiler will enforce - the *type* of the function
- ▶ If a function changes, then the program will not compile until you have fixed *every* place where you call it

Decomposition example - `splitAt`

- ▶ Wanted, `splitAt :: Int -> [a] -> ([a],[a])`
where if `(xs1,xs2) = splitAt n xs`
then `xs1` is the first `n` elements of `xs`
and `xs2` is `xs` with the first `n` elements removed.
- ▶ Idea: compute `xs1` and `xs2` separately
 1. `take :: Int -> [a] -> [a]`
where if `xs1 = take n xs`
then `xs1` is the first `n` elements of `xs`
 2. `drop :: Int -> [a] -> [a]`
where if `xs2 = drop n xs`
then `xs2` is `xs` with the first `n` elements removed.
- ▶ Assemble the result
`splitAt n xs = (take n xs, drop n xs)`

Is this the best solution? (Discuss)

Writing Functions (I) — using other functions

(Examples from Chp 4, Programming in Haskell, 2nd Ed., Graham Hutton 2016)

- ▶ Function `even` returns true if its integer argument is even
`even n = n `mod` 2 == 0`
We use the modulo function `mod` from the Prelude
- ▶ Function `recip` calculates the reciprocal of its argument
`recip n = 1/n`
We use the division function `/` from the Prelude
- ▶ Function call `splitAt n xs` returns two lists, the first with the first `n` elements of `xs`, the second with the rest of the elements
`splitAt n xs = (take n xs, drop n xs)`
We use the list functions `take` and `drop` from the Prelude

Writing Functions (II) — using recursion

- ▶ We shall show how to write the functions `take` and `drop` using recursion.
- ▶ We shall consider what this means for the execution efficiency of `splitAt`.
- ▶ We then do a direct recursive implementation of `splitAt` and compare.

Implementing `take`

- ▶ `take :: Int -> [a] -> [a]`
Let `xs1 = take n xs` below.
Then `xs1` is the first `n` elements of `xs`.
If `n >= length xs` then `xs1 = xs`.
If `n <= 0` then `xs1 = []`.
- ▶
`take n _ | n <= 0 = []`
`take _ [] = []`
`take n (x:xs) = x : take (n-1) xs`
- ▶ How long does `take n xs` take to run?
- ▶ It takes time proportional to `n` or `length xs`, whichever is shorter.

Implementing drop

► `drop :: Int -> [a] -> [a]`

Let `xs2 = drop n xs` below.

Then `xs2` is `xs` with the first `n` elements removed.

If `n >= length xs` then `xs2 = []`.

If `n <= 0` then `xs2 = xs`.

► `drop n xs | n <= 0 = xs`

`drop _ [] = []`

`drop n (x:xs) = drop (n-1) xs`

► How long does `drop n xs` take to run?

► It takes time proportional to `n` or `length xs`, whichever is shorter.