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# **REPL Code**

- A common programming style is the so-called REPL idiom (Read-Eval/Execute-Print-Loop)
- $\bullet$  We can do this in Haskell using putStr and putStrLn for output and getLine for input

A simple dumb program that shouts back at you

```
if null said
then putStrLn "I CAN't HEAR YOU! I'M OFF!!"
else putStrLn("You said: "++map toUpper utterance)
    shout2
```

## R-Eval-PL Template

There is a common pattern to most RE(eval)PL programs

- Issue a prompt
- Get user input
- Evaluate user input
- Print result
- Look at result and decide either to continue or exit

We can capture this as the following code

## R-Execute-PL Template

There is another common pattern to most RE(execute)PL programms

- Issue a prompt
- Get user input
- Parse input and perform requested action
- Look at outcome and decide either to continue or exit

We can capture this as the following code

These examples show how easy it is to "grow our own" control structures

## Most REPLs Need State

- Consider implementing a single "Totting-up" program:
  - User enters numbers one at a time
  - There are added up, and a running total is displayed
  - An empty line terminates the process
- This cannot be implemented using revpl or rexpl
- Given that there is a state being updated (here the running total), it makes sense to view this as being a R-Execute-PL rather than Eval

### Totting-Up REPL

• We need to initialise the running total

```
totup = detotting 0.0
```

• We then implement the REPL loop, passing the total (state) in as an argument

- We use read :: Read a => String -> a here, which has numeric instances
- Again, we can build a HOF that abstracts this pattern

### State REPL

exiting cleanly

• State REPL building

• Haskell derives the following type, where t denotes the state type

We can focus on the four key processing steps: prompting,

```
totpr tot = putStr("["++show tot++"]\n:- ")
checking if done,
null
```

```
totxit tot = putStrLn ("\nTotal = "++show tot)
and computing the next state

totexe cmd tot = tot+read cmd

We then invoke the REPL-generate with these and the starting state:
totup2 = srepl totpr null totxit totexe 0.0
```

## REPL with putStr and getLine

- Building REPL code using getLine :: IO String is very convenient
- Unfortunately, keys such as delete or backspace are not handled properly (on Unix-based systems at least it seems to work dine on Windows!)
- There are modules that help
  - Best is probably: System.Console.Haskeline. Careful: uses monad transformers
  - An alternative: System.Console.Readline. Interfaces to GNU readline, but has restricted portability

# Real World Programming Requires I/O

- I/O has been problematic for (pure) functional languages
- In order to understand why I/O in Haskell is the way it is
  - We need to know what it meant by "pure"
  - We need to know how Haskell is implemented (a little)
  - We need to understand the key problem with I/O
- Summing up, we first need to understand how functional languages work

### Functional Languages as Rewirte Systems

- We can view function/value definitions as rules describing how to transform (rewrite) an expression
  - If we have a definition like myfun this\_pattern = result\_expression
  - We then invoke the function in a call matching the above pattern:  ${\tt myfun\ some\_argument}$

- We expect to see the call replaced by the result, with appropriate substitutions: result\_expression [ some\_argument / this\_pattern]
- The notation e[a|x] is standard mathematical notation for "expression e where expression a is sibstituted for all (free) occurrences of x"
- This is formalised in the so-calld "Lambda-calsulus"

#### **Definitions in Haskell**

 One way to define a function called myfun is as a series of declarations in the form:

```
myfun pat11 pat12 ... pat1K = exp1
myfun pat21 pat22 ... pat2K = exp2
...
myfun patN1 patN1 ... patNK = expN
```

where each line has the same number of patterns (pat)

- Each pattern can be:
  - A constant value (numer, character, string, nullary data-constructor)
  - A variable (no variable can occur more than once in a pattern)
  - An expression built from patterns, and n-ary data constructs applied to n patterns

## Pattern Examples

- Expect three arbitrary arguments, myfun x y z
- Illegal if we want first two arguments to be the same then we need to use a conditional,  $myfun \ x \ z$
- First argument must be zero, second is arbitrary, and this is a non-empty like, myfun 0 y (z:zs)
- First argument must be zero, second is arbitrary, and this is a non-empty list, whose first element is character 'c', myfun 0 y ('c':zs)
- First argument must be zero, second is arbitrary, and this is a non-empty list, whose tail is a singleton, myfun 0 y (z:[z'])

### Pattern Matching

We describe how pattern matching works and what it does by example:

- A constant pattern matches the specified value only
  - pattern 3 only matches the value 3
- A variable mtaches anything, and we get a binding of that variable to the value matched
  - Pattern  $\boldsymbol{x}$  matches any value  $\boldsymbol{v}$  and the result is that variable  $\boldsymbol{x}$  is bound to value  $\boldsymbol{v}$
- A constructor pattern matches something of the same "shape" as well as matching the corresponding sub-components
  - Pattern x:xs matches a non-empty list, and binds x to the head of the value and xs to the tail value of the list

### Summary:

- Pattern matching can succeed or fail
- If successful, a pattern match returns a (possibly empty) binding
- A binding is a mappin from (pattern) variables to values

Patterns	Values	Outcome
x (y:ys) 3	99 [] 3	Fail
x (y:ys) 3	99 [1, 2, 3] 3	$x \to 99, y \to 1, ys \to [2, 3]$
$\times$ (1:ys) 3	99 [1, 2, 3] 3	$x \to 99, ys \to [2, 3]$

## Haskell Executing (Rewriting version)

- Haskell execution proceeds by reducing function applications until this is no longer possible
- An expression with no reducible applications is said to be in  $\it normal\, form$
- Generally the form (a value) is taken as the result/meaning of the program
- Some (hard) theorem show that normal forms (if they exist) are unique