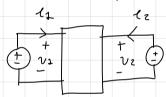
$$E_0 \stackrel{(1)}{\longrightarrow} V_1 \qquad \qquad V_2 \qquad \qquad V_R \qquad V_R \qquad V_2$$

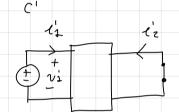
$$RC: |V_2 = \lambda V_4 \rangle = \langle \lambda \rangle \langle$$

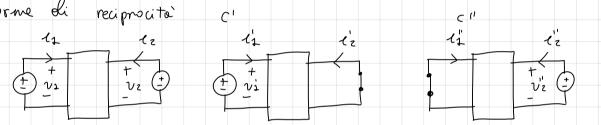
$$V = R \cdot L = P$$
 $V_2 = -R \cdot L_2 = D \cdot L_2 = \frac{V_2(t)}{-R} = \frac{dE_0}{-R}$

$$\frac{V_2(t)}{-R} = \frac{dE_0}{-R}$$

$$-D \quad P(t) = \lambda to \cdot \lambda to = \lambda^2 to^2 \leq 0 \quad -0 \quad BP. \quad A \pi i vo$$







$$= \sum v'_{N} \chi''_{N}$$

$$me \quad \mathcal{V}_2'' = \mathcal{V}_1' = V$$

$$-D - V \mathcal{L}_{2}' + V \mathcal{L}_{1}'' - O \left[\frac{\mathcal{L}_{1}''}{V} = \frac{\mathcal{L}_{2}'}{V} \right]$$

$$\boxed{\frac{\chi_1'}{V} = \frac{\chi_2'}{V}}$$

$$\int_{1}^{1} = \mathcal{L}_{2}^{"} = \mathcal{I} - 0$$

$$- v_{2}' \lambda_{2}'' + v_{1}'' \lambda_{1}' - b \quad \lambda_{1}' = \lambda_{2}'' = T \quad -o \quad \boxed{\frac{v_{2}'}{T} = \frac{v_{1}''}{T}}$$

$$V_{1}" L_{1}' + V_{2}" L_{2}' = 0$$
 - $V_{2}" L_{1}' = - V_{2}" L_{2}' - 0$ $L_{1}' = I$ $V_{2}" = V$

$$V_{\underline{1}}'' \mathcal{L}_{\underline{1}}' = - V_{\underline{2}}'' \mathcal{L}_{\underline{2}}' -$$

$$-D \qquad \mathcal{N}_{1}^{"} \quad \underline{T} = - \quad \mathcal{V} \quad \mathcal{L}_{2}^{'} \quad -0 \qquad \frac{\mathcal{V}_{1}^{"}}{\sqrt{}} = - \frac{\mathcal{L}_{2}^{"}}{\underline{T}}$$

