

tutorial

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1 What Stat really makes an NBA Championship Team

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1.1 Part 1: Data Scraping and Preparation

```
[1]: import pandas as pd
df = pd.read_csv("2020_Playoff_Stats.csv")
df.head(17)
```

```
[1]:
```

	Rk	Team	G	MP	FG	FGA	FG%	3P	3PA	3P%	\
0	1.0	Boston Celtics	24	5760	881	1962	0.449	328	879	0.373	
1	2.0	Golden State Warriors	22	5280	910	1895	0.480	308	821	0.375	
2	3.0	Dallas Mavericks	18	4320	653	1455	0.449	284	747	0.380	
3	4.0	Miami Heat	18	4320	684	1536	0.445	196	626	0.313	
4	5.0	Phoenix Suns	13	3120	535	1076	0.497	128	353	0.363	
5	6.0	Memphis Grizzlies	12	2880	477	1096	0.435	157	430	0.365	
6	7.0	Philadelphia 76ers	12	2905	437	939	0.465	149	400	0.373	
7	8.0	Milwaukee Bucks	12	2880	462	1056	0.438	127	388	0.327	
8	9.0	New Orleans Pelicans	6	1440	234	506	0.462	56	158	0.354	
9	10.0	Minnesota Timberwolves	6	1440	218	492	0.443	83	214	0.388	
10	11.0	Toronto Raptors	6	1465	230	516	0.446	59	197	0.299	
11	12.0	Utah Jazz	6	1440	210	474	0.443	49	179	0.274	
12	13.0	Denver Nuggets	5	1200	197	414	0.476	56	157	0.357	
13	14.0	Atlanta Hawks	5	1200	172	391	0.440	57	175	0.326	
14	15.0	Chicago Bulls	5	1200	182	451	0.404	52	184	0.283	
15	16.0	Brooklyn Nets	4	960	157	312	0.503	46	109	0.422	
16	NaN	League Average	11	2613	415	911	0.456	133	376	0.355	

	...	FT%	ORB	DRB	TRB	AST	STL	BLK	TOV	PF	PTS
0	...	0.797	216	814	1030	588	154	150	353	497	2533
1	...	0.766	216	750	966	594	170	109	320	474	2461
2	...	0.771	117	540	657	345	129	50	184	380	1914
3	...	0.804	177	562	739	394	150	66	233	386	1876
4	...	0.817	123	399	522	334	86	49	173	292	1399
5	...	0.735	149	401	550	302	110	73	168	249	1350
6	...	0.849	92	376	468	261	73	52	177	247	1254
7	...	0.731	117	488	605	250	76	54	165	230	1233

8	...	0.780	91	183	274	128	38	21	87	127	659
9	...	0.810	42	198	240	137	49	47	106	161	655
10	...	0.794	60	165	225	124	40	29	60	133	619
11	...	0.786	56	213	269	103	24	22	71	132	594
12	...	0.794	56	153	209	125	35	17	82	125	550
13	...	0.782	43	154	197	93	29	12	82	108	487
14	...	0.833	41	179	220	115	39	16	65	93	476
15	...	0.738	34	102	136	89	32	26	61	99	436
16	...	0.785	102	355	457	249	77	50	149	233	1156

[17 rows x 25 columns]

```
[2]: import matplotlib.pyplot as plt

#read data from csv file from 2020
data_2020 = pd.read_csv("2020_Playoff_Stats.csv")
data_2021 = pd.read_csv("2021_Playoff_Stats.csv")
data_2022 = pd.read_csv("2022_Playoff_Stats.csv")

#setting up data
playoff_list = [data_2020, data_2021, data_2022]
```

1.1.1 Statistic: Three Point Percentage (3P%)

```
[3]: #Since the playoff teams are different per year, we cannot add them on the same
      ↪ plot, so there will be multiple plots per year.
year = 2020

for i in playoff_list:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    three_point_pct = i["3P%"]

    # Set the width of the bars
    bar_width = 0.3
    # Set the positions of the bars on the x-axis
    bar_positions = range(len(teams))

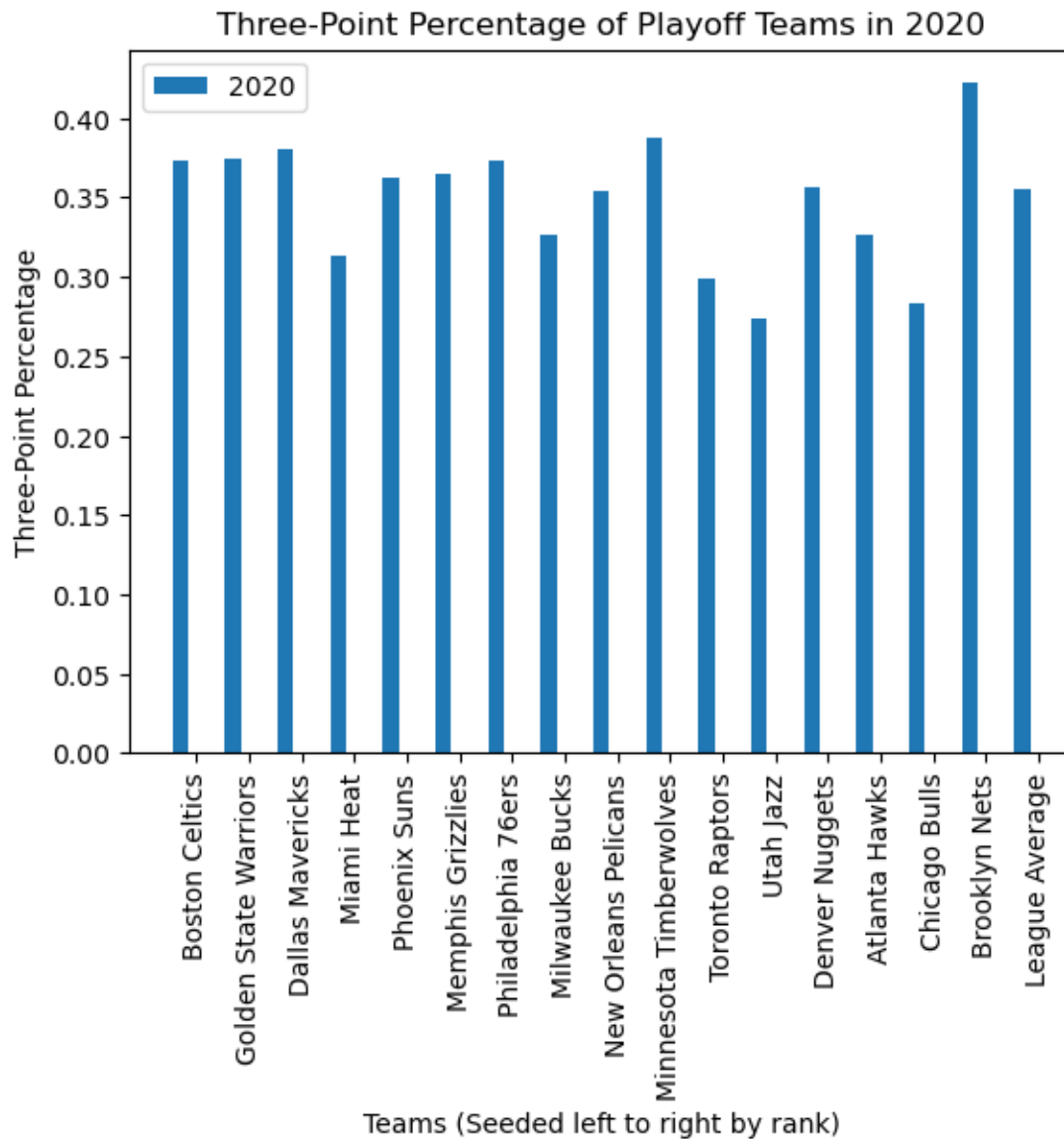
    #3 pt percentage plots ////////////////////////////////////////////
    ↪ ////////////////////////////////////////////
    # Plot the bars
    plt.bar(bar_positions, three_point_pct, width=bar_width, label=str(year))

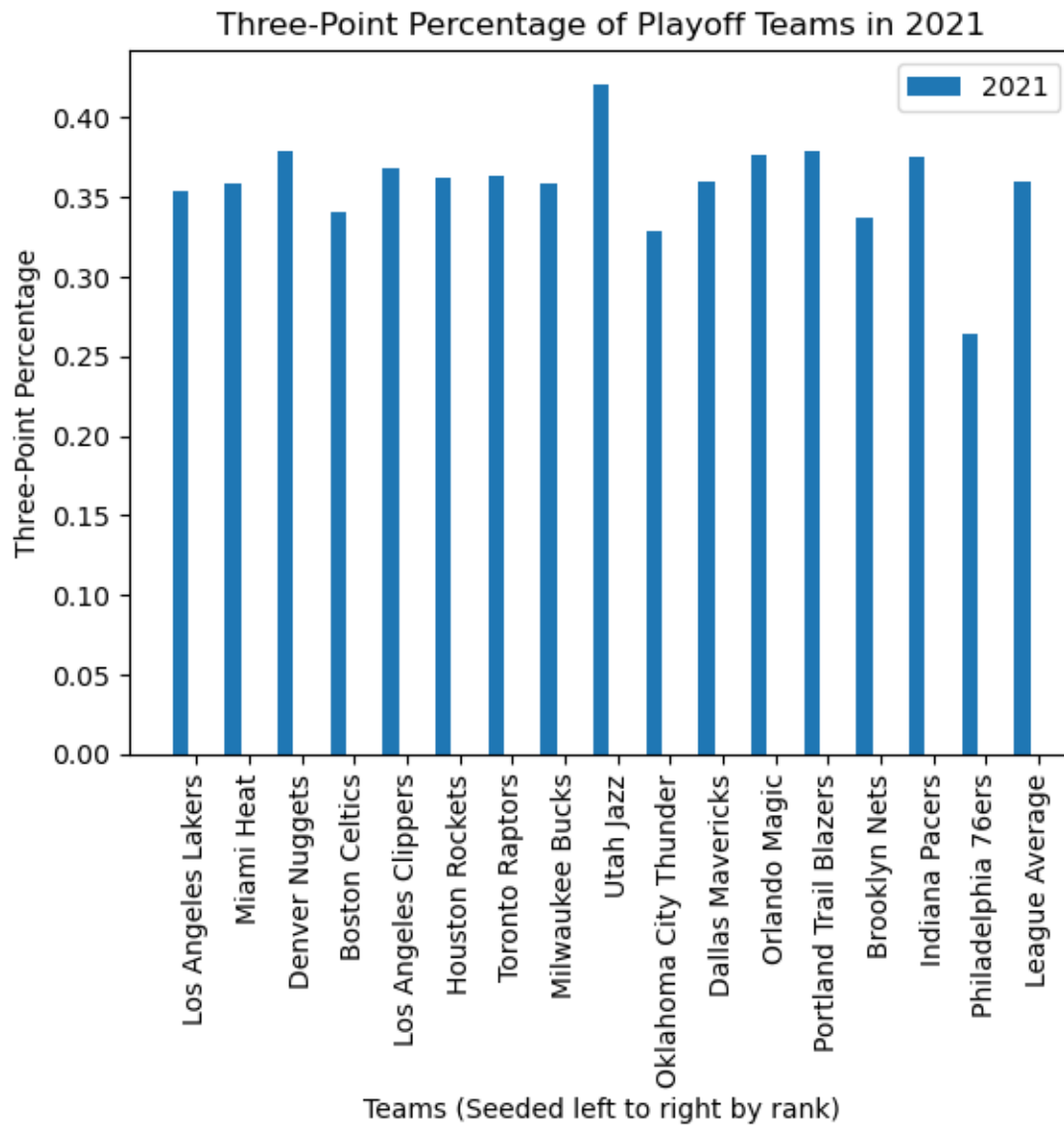
    # Add labels, title, and legend
    plt.xlabel("Teams (Seeded left to right by rank)")
    plt.ylabel("Three-Point Percentage")
```

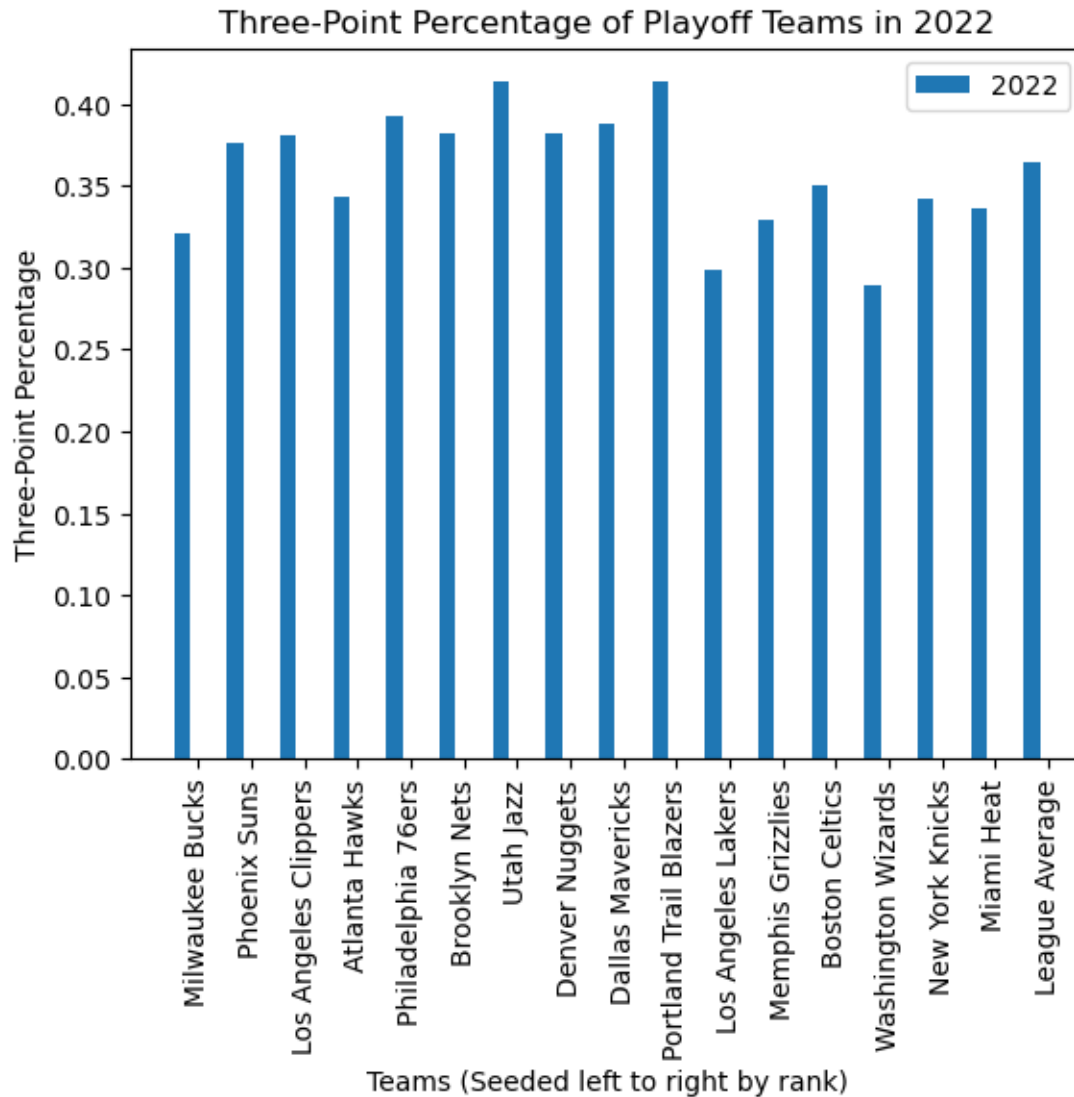
```
plt.title("Three-Point Percentage of Playoff Teams in " + str(year))
plt.xticks([r + bar_width for r in range(len(teams))], teams, rotation=90)
plt.legend()

# Display the graph
plt.show()

year += 1
```







1.1.2 Statistic: Offensive Rebounds (ORB)

```
[4]: #Since the playoff teams are different per year, we cannot add them on the same
      ↳ plot, so there will be multiple plots per year.
year = 2020

for i in playoff_list:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    offensive_rebounds = i["ORB"]

    # Set the width of the bars
```

```

bar_width = 0.3
# Set the positions of the bars on the x-axis
bar_positions = range(len(teams))

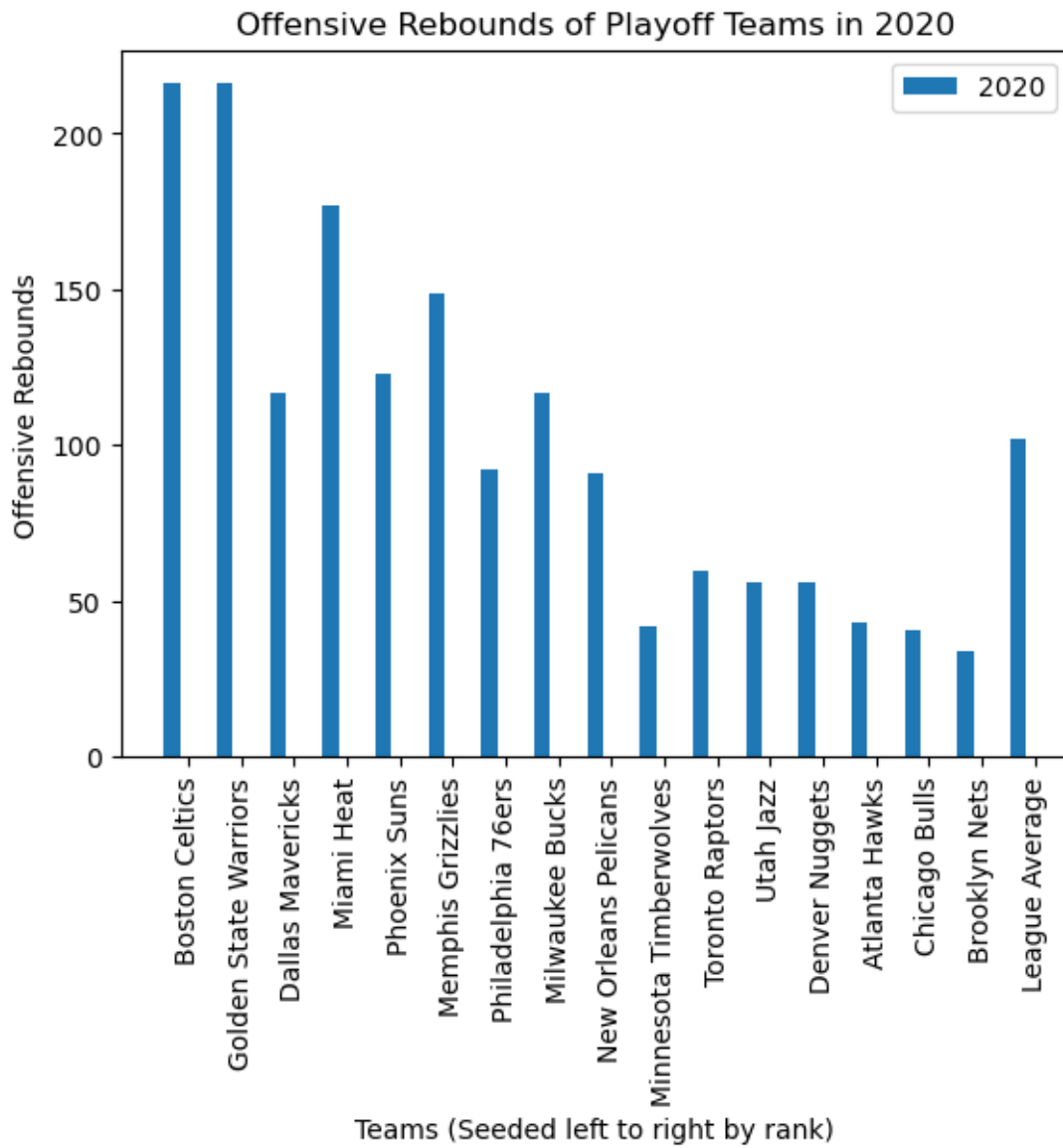
#ORB plots ////////////////////////////////////////
↪////////
# Plot the bars
plt.bar(bar_positions, offensive_rebounds, width=bar_width, label=str(year))

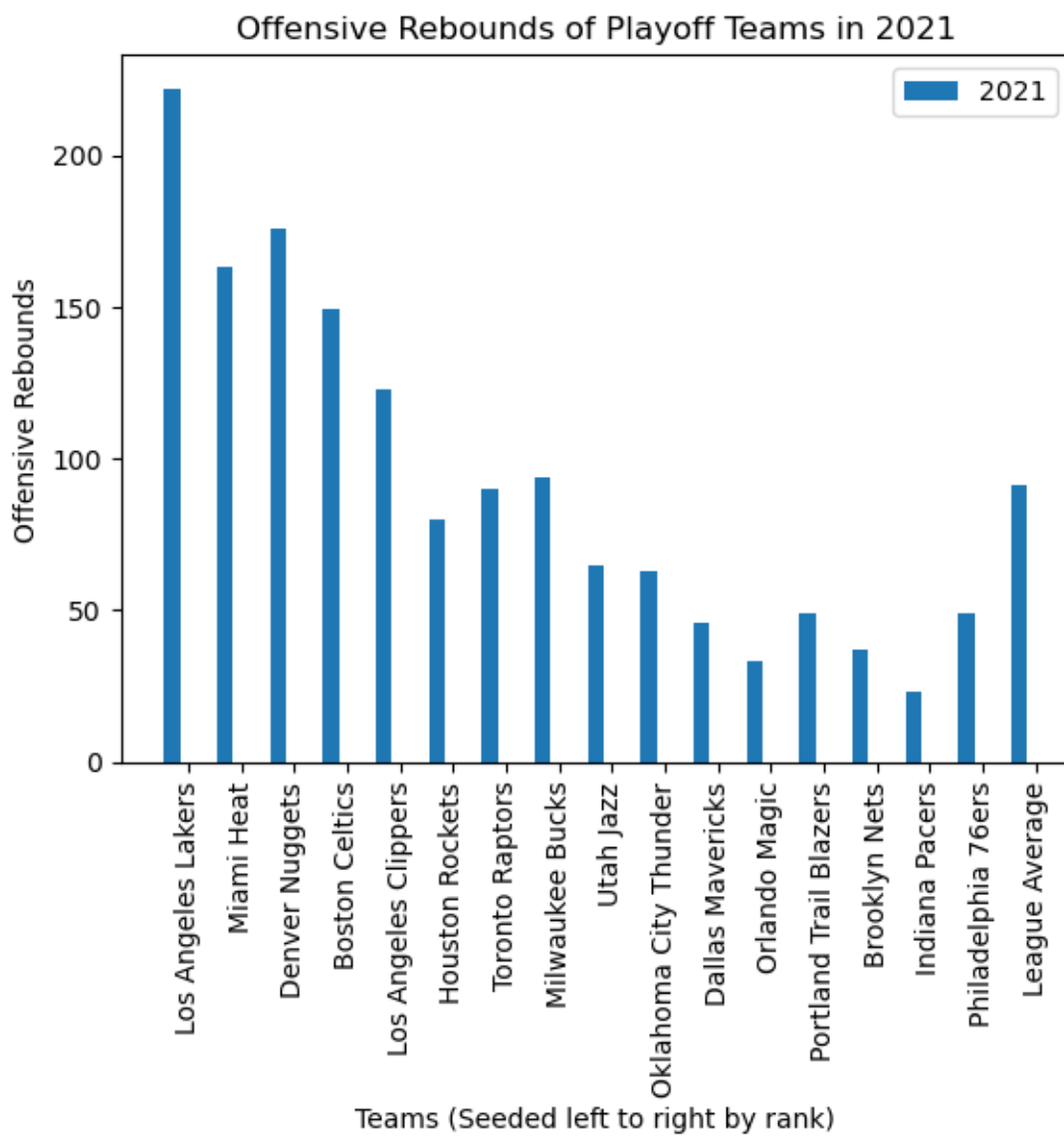
# Add labels, title, and legend
plt.xlabel("Teams (Seeded left to right by rank)")
plt.ylabel("Offensive Rebounds")
plt.title("Offensive Rebounds of Playoff Teams in " + str(year))
plt.xticks([r + bar_width for r in range(len(teams))], teams, rotation=90)
plt.legend()

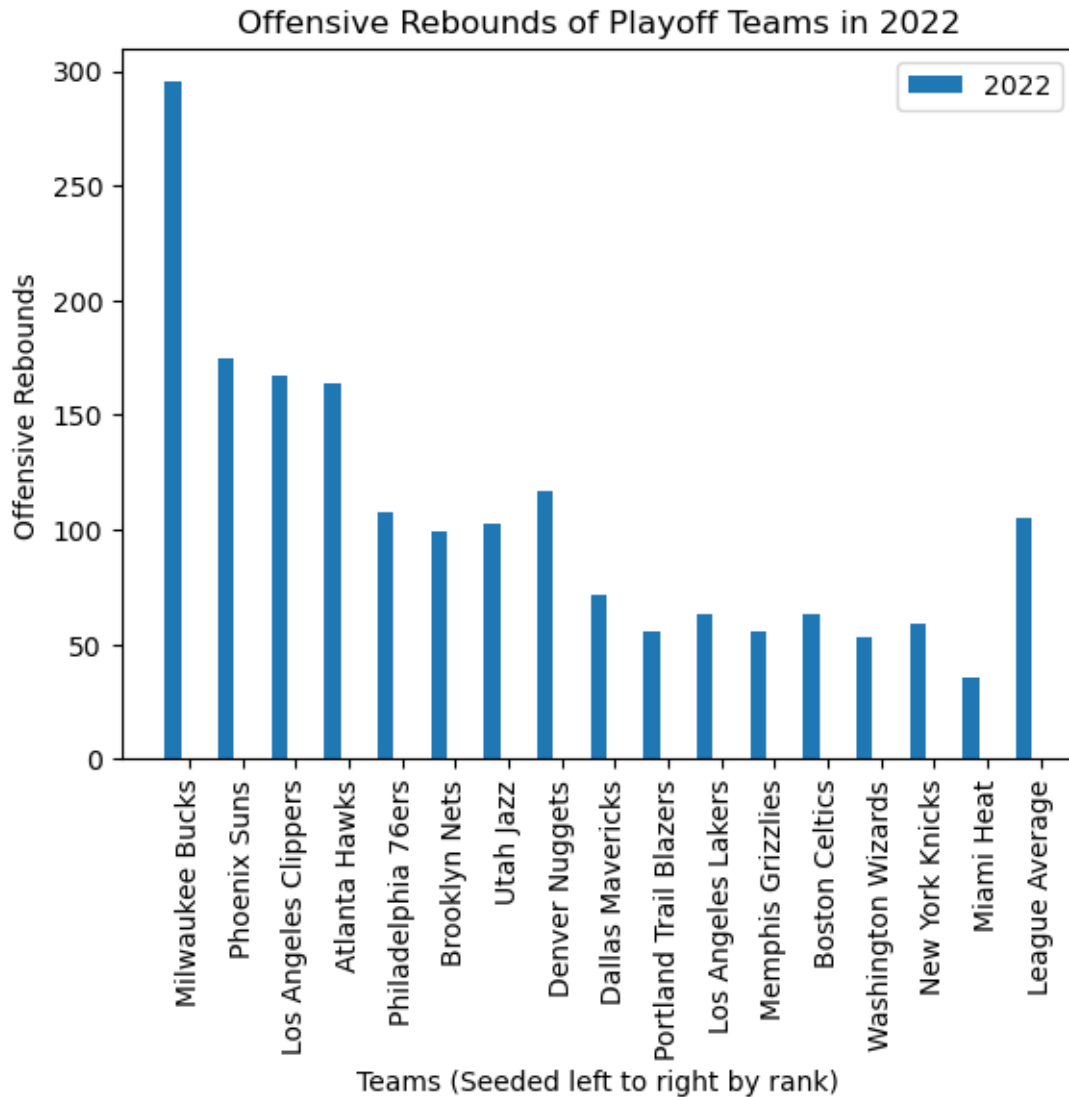
# Display the graph
plt.show()

year += 1

```







1.1.3 Statistic: Field Goal Percentage (FG%)

```
[5]: #Since the playoff teams are different per year, we cannot add them on the same
      ↳ plot, so there will be multiple plots per year.
year = 2020

for i in playoff_list:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    field_goal_pct = i["FG%"]

    # Set the width of the bars
```

```

bar_width = 0.3
# Set the positions of the bars on the x-axis
bar_positions = range(len(teams))

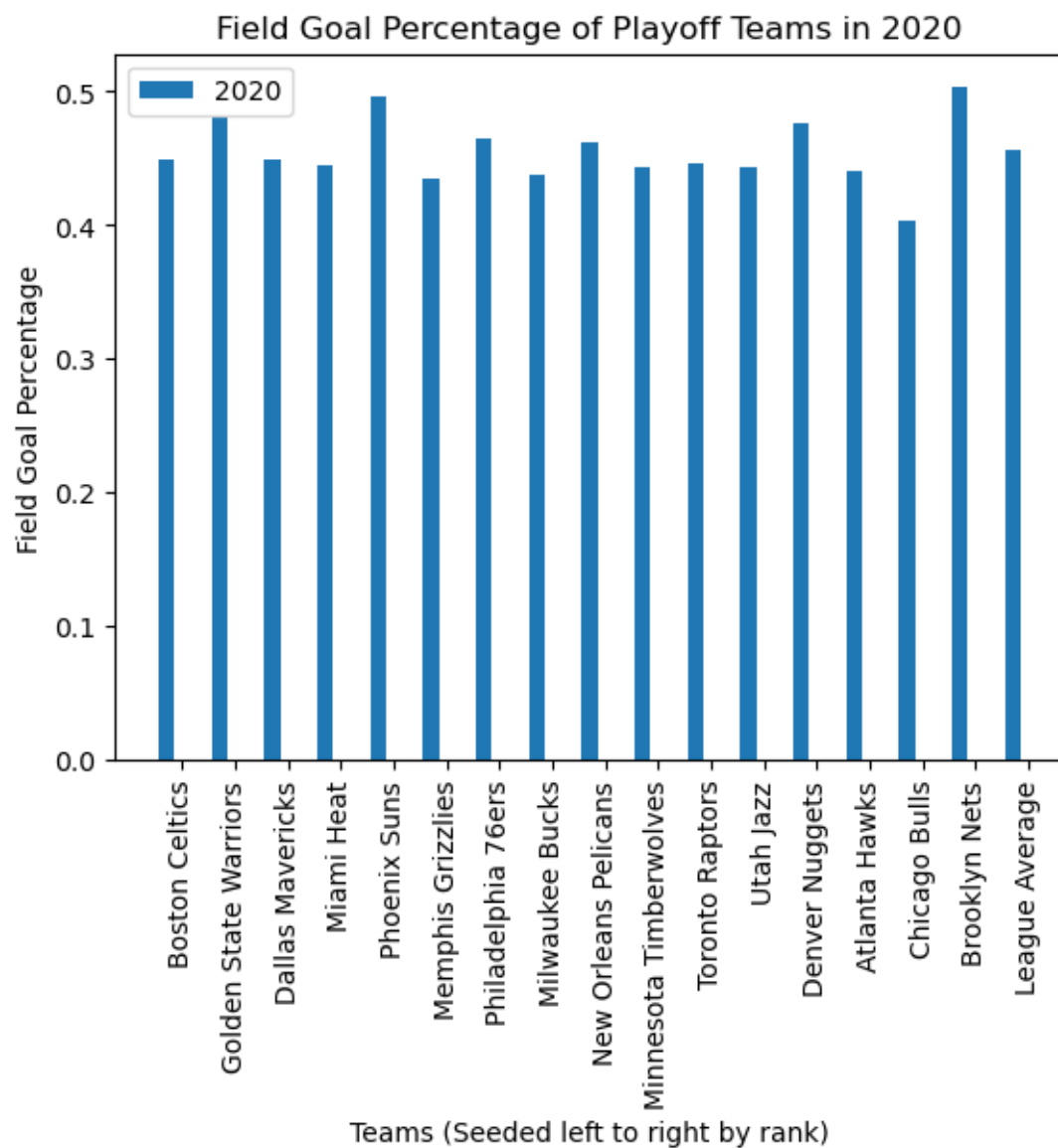
#FG plots ////////////////////////////////////////
↪////////
# Plot the bars
plt.bar(bar_positions, field_goal_pct, width=bar_width, label=str(year))

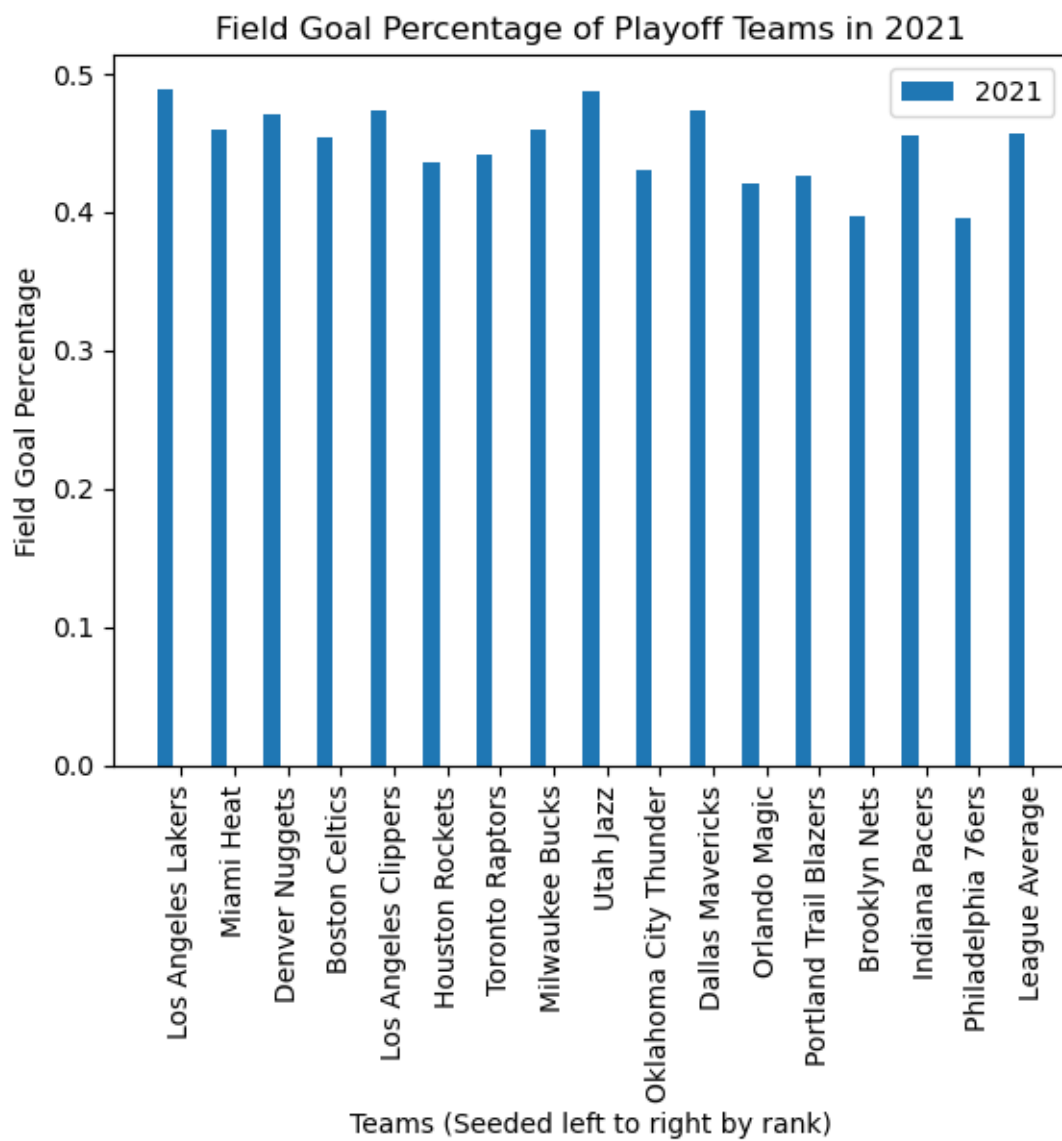
# Add labels, title, and legend
plt.xlabel("Teams (Seeded left to right by rank)")
plt.ylabel("Field Goal Percentage")
plt.title("Field Goal Percentage of Playoff Teams in " + str(year))
plt.xticks([r + bar_width for r in range(len(teams))], teams, rotation=90)
plt.legend()

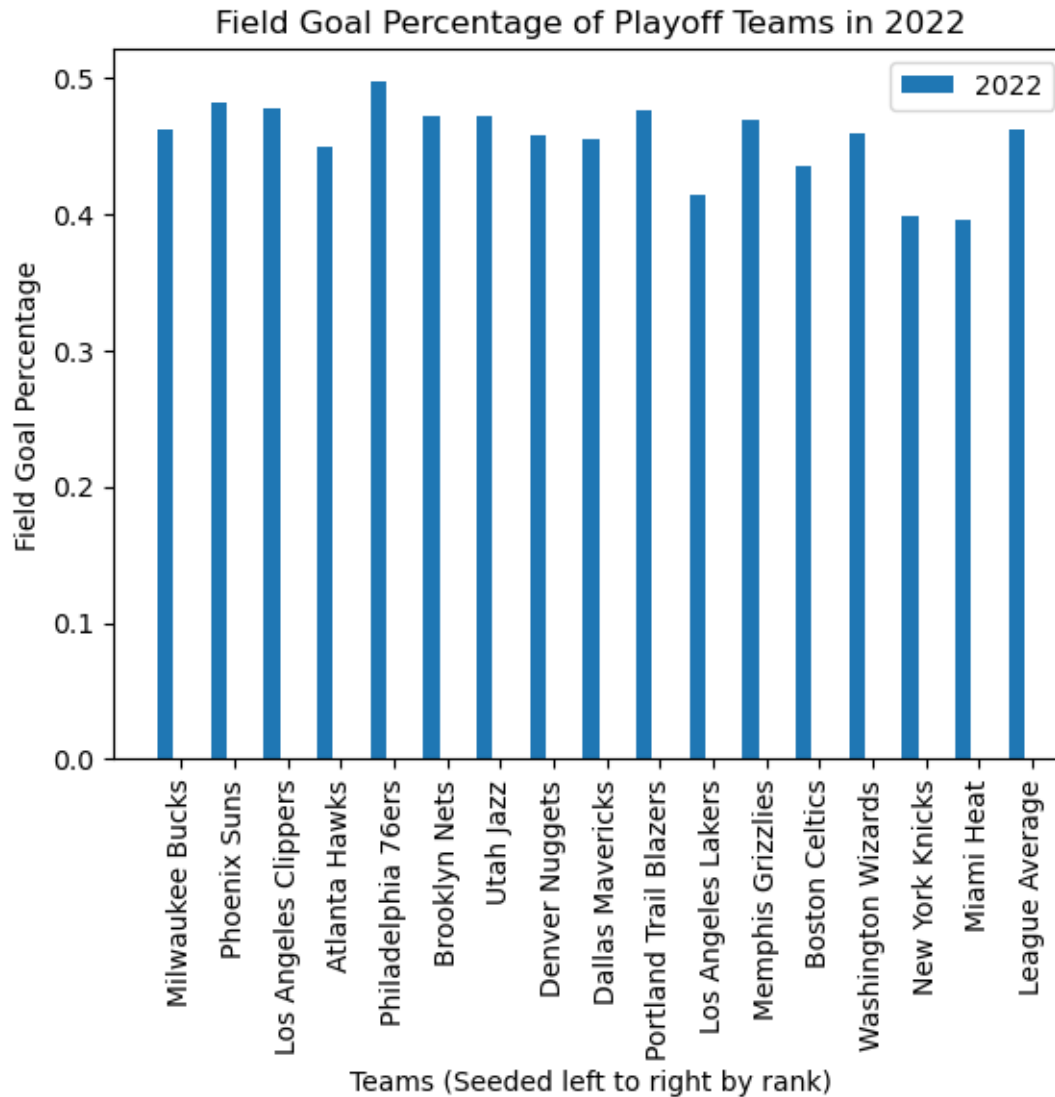
# Display the graph
plt.show()

year += 1

```







1.1.4 Statistic: Turnovers (TOV)

```
[6]: #Since the playoff teams are different per year, we cannot add them on the same
      ↳ plot, so there will be multiple plots per year.
year = 2020

for i in playoff_list:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    turnovers = i["TOV"]

    # Set the width of the bars
```

```

bar_width = 0.3
# Set the positions of the bars on the x-axis
bar_positions = range(len(teams))

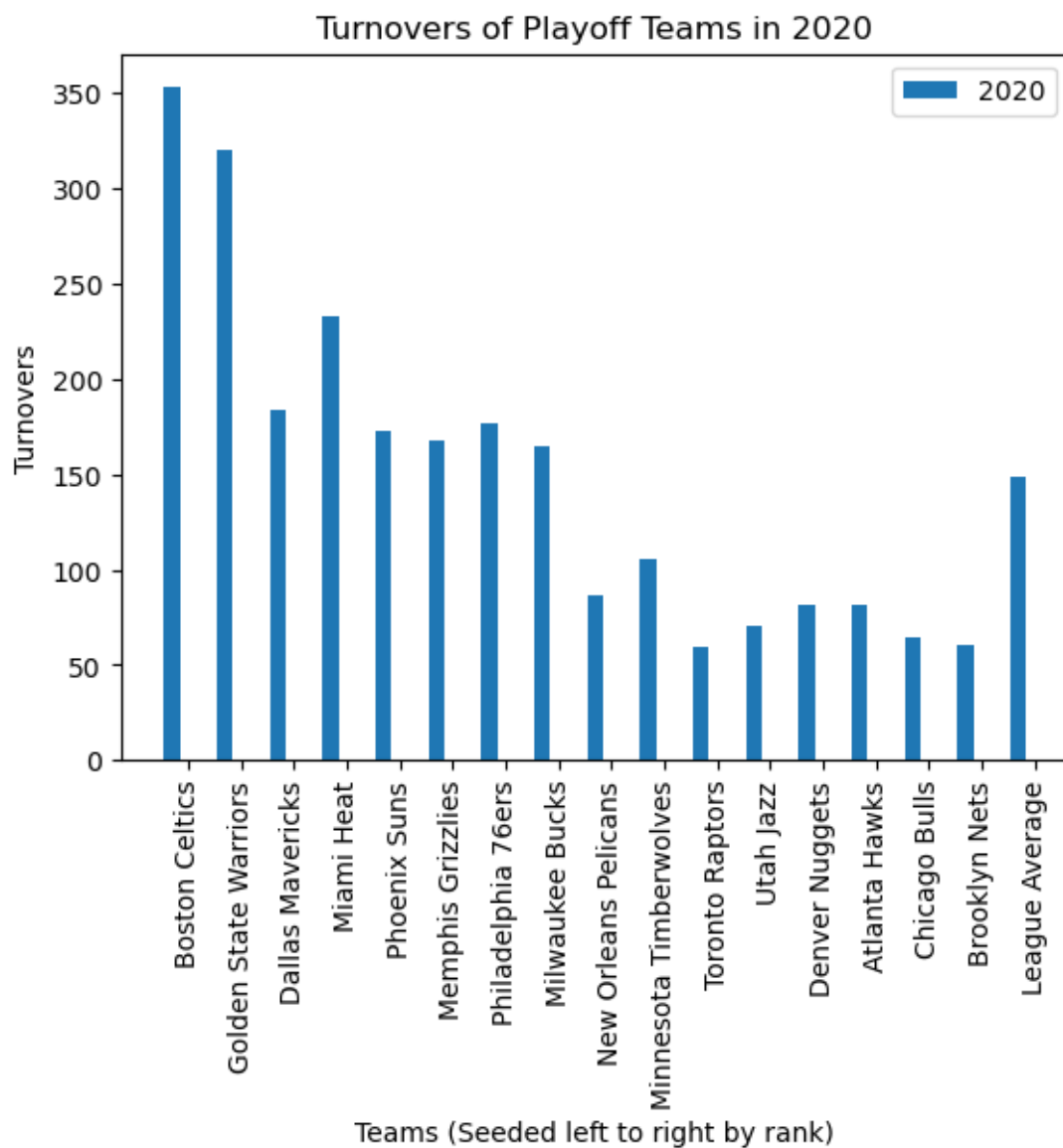
#Turnovers plots ////////////////////////////////////////
↪////////////////////////////////
# Plot the bars
plt.bar(bar_positions, turnovers, width=bar_width, label=str(year))

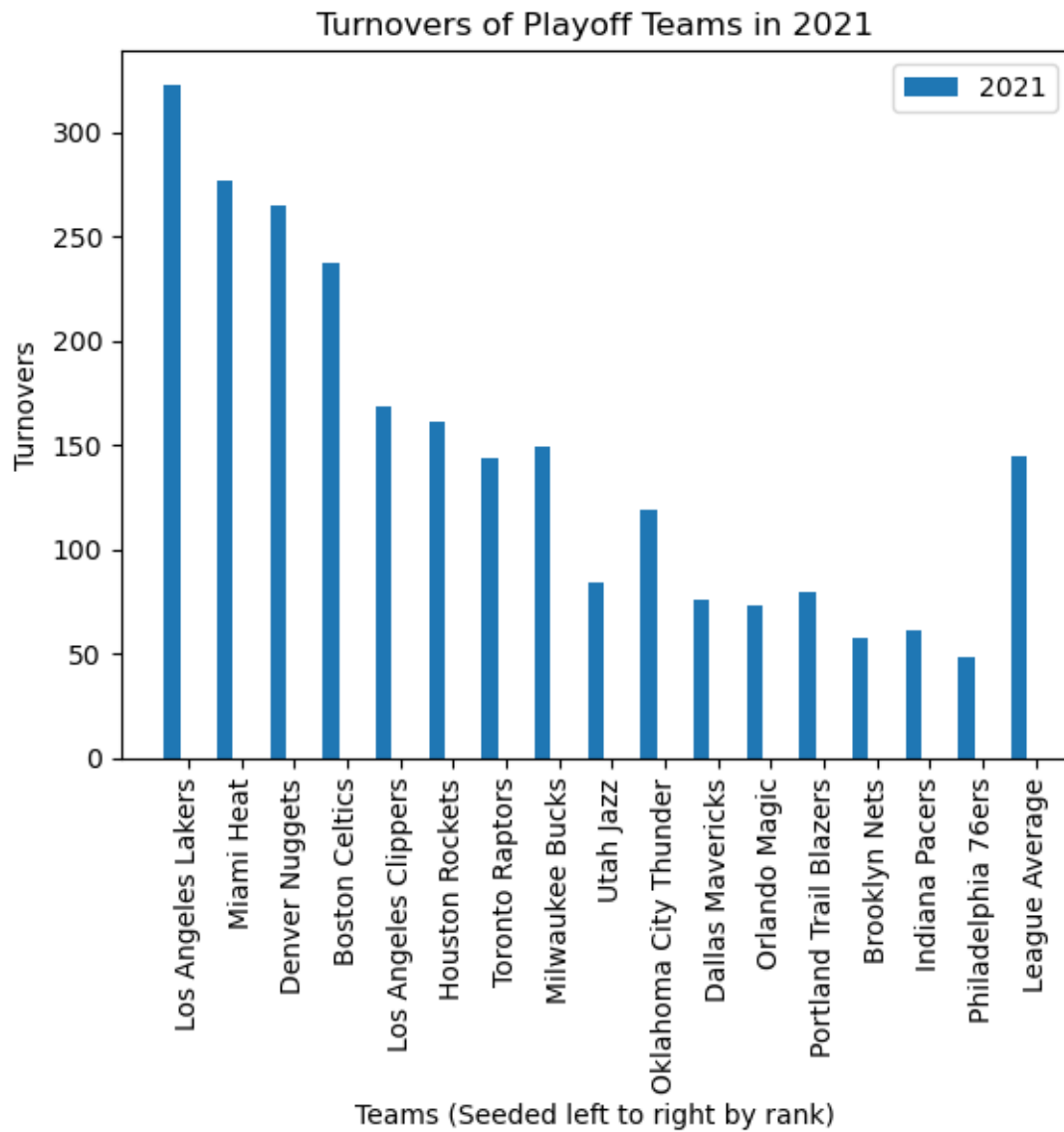
# Add labels, title, and legend
plt.xlabel("Teams (Seeded left to right by rank)")
plt.ylabel("Turnovers")
plt.title("Turnovers of Playoff Teams in " + str(year))
plt.xticks([r + bar_width for r in range(len(teams))], teams, rotation=90)
plt.legend()

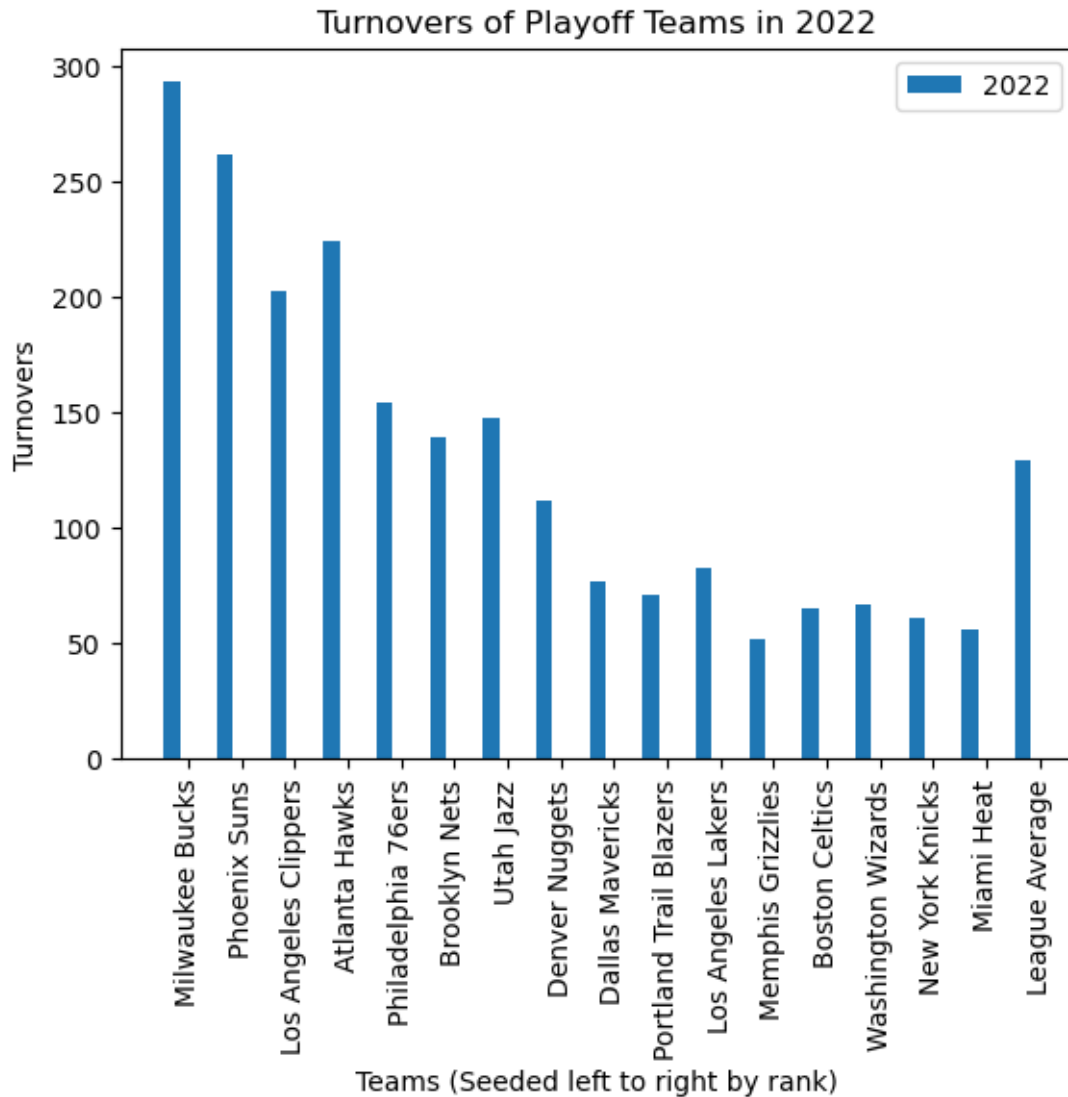
# Display the graph
plt.show()

year += 1

```







1.1.5 Statistic: Points (PTS)

```
[7]: #Since the playoff teams are different per year, we cannot add them on the same
      ↳ plot, so there will be multiple plots per year.
year = 2020

for i in playoff_list:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    points = i["PTS"]

    # Set the width of the bars
```

```

bar_width = 0.3
# Set the positions of the bars on the x-axis
bar_positions = range(len(teams))

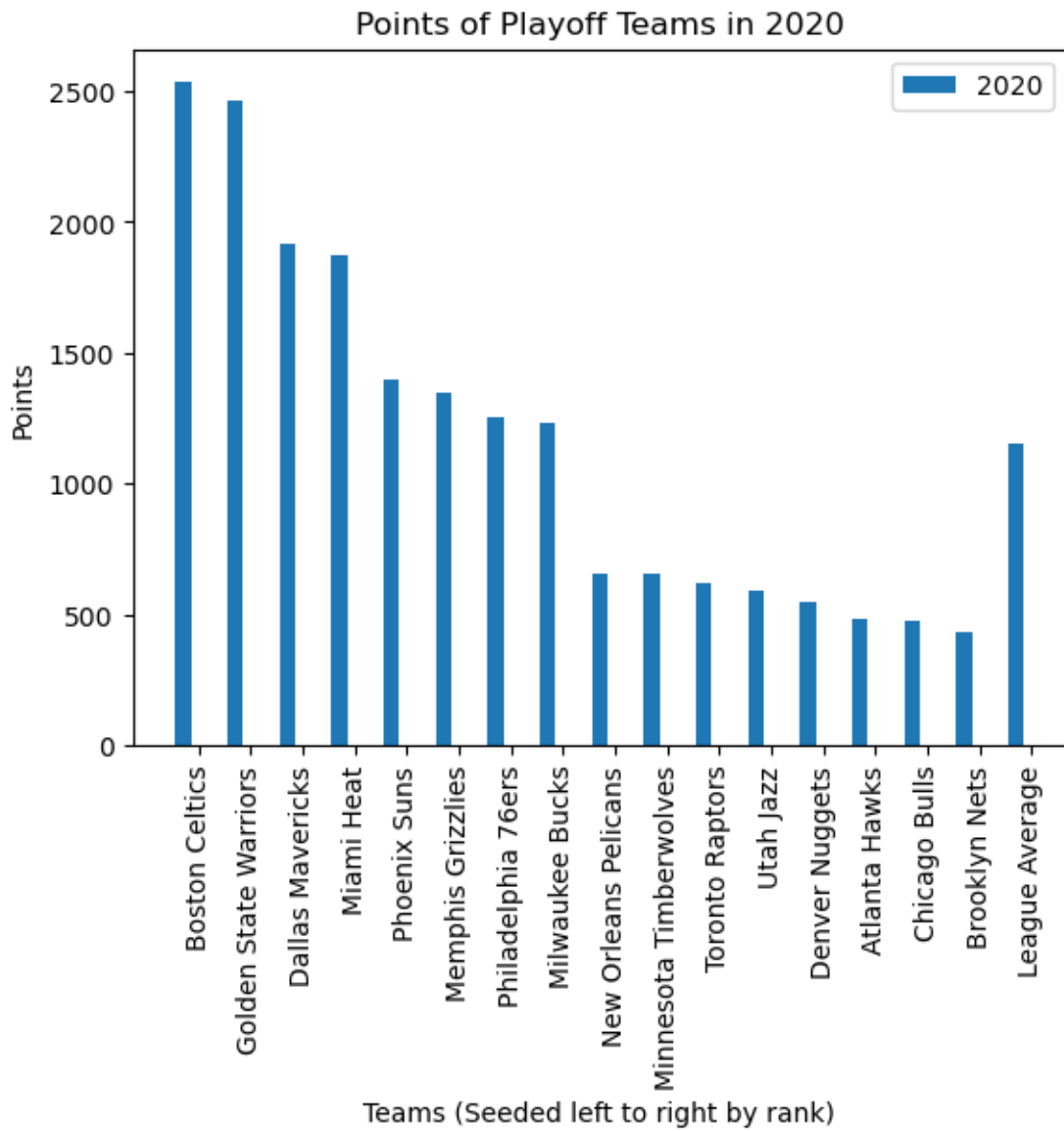
#Total Points plots ////////////////////////////////////////
↪////////////////////////////////
# Plot the bars
plt.bar(bar_positions, points, width=bar_width, label=str(year))

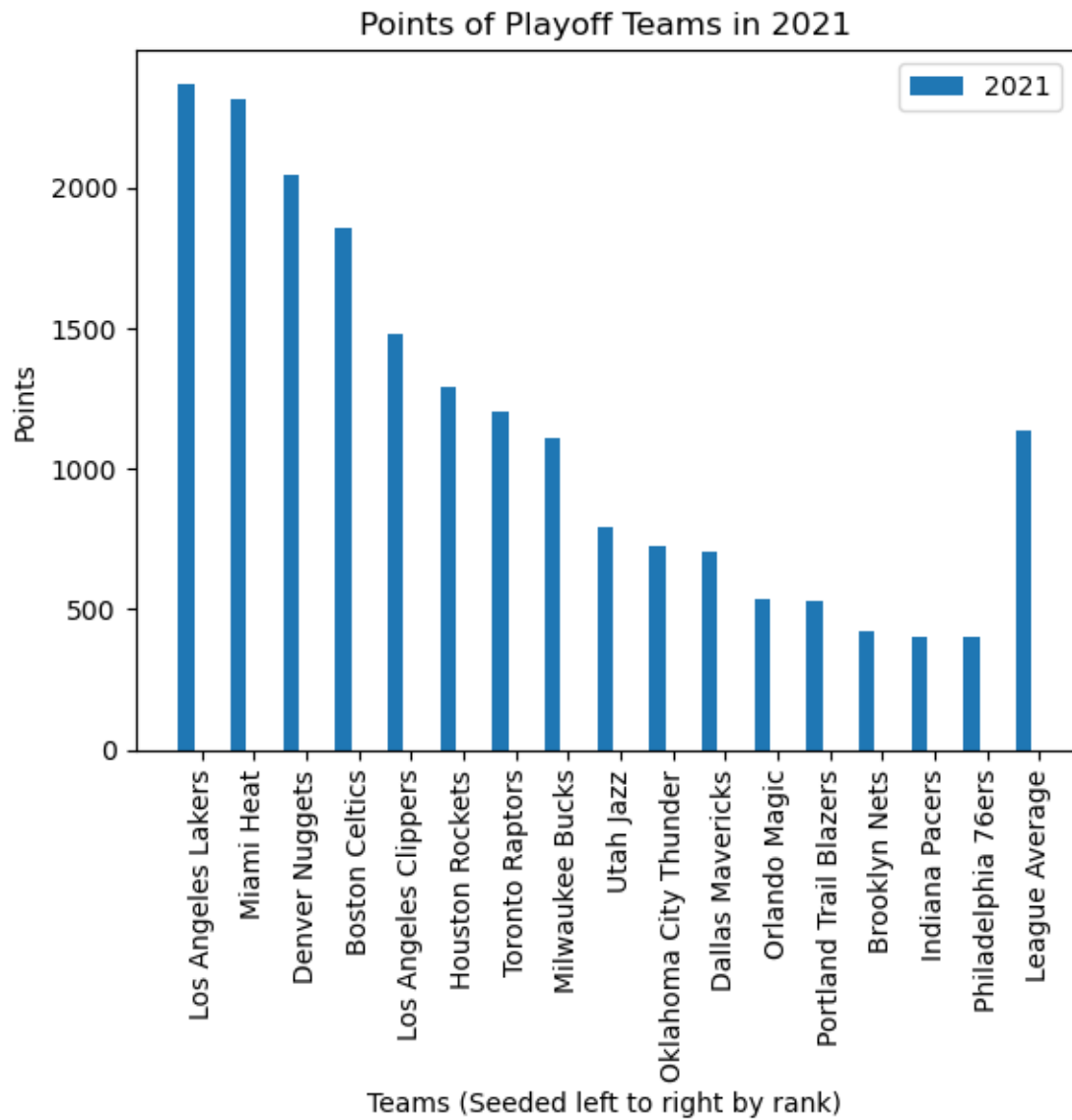
# Add labels, title, and legend
plt.xlabel("Teams (Seeded left to right by rank)")
plt.ylabel("Points")
plt.title("Points of Playoff Teams in " + str(year))
plt.xticks([r + bar_width for r in range(len(teams))], teams, rotation=90)
plt.legend()

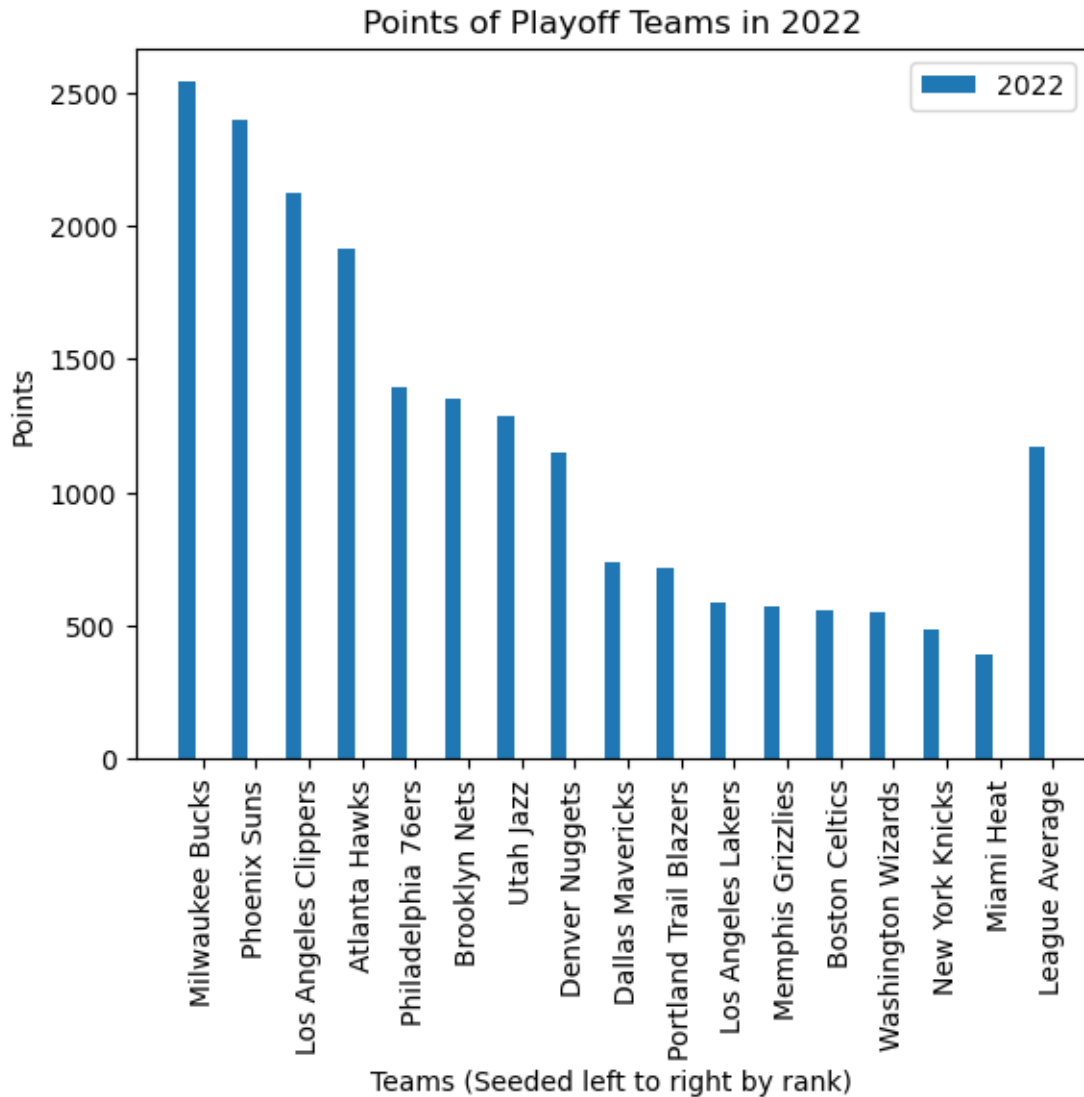
# Display the graph
plt.show()

year += 1

```







1.1.6 Statistic: Personal Fouls (PF)

```
[8]: #Since the playoff teams are different per year, we cannot add them on the same
      ↳ plot, so there will be multiple plots per year.
year = 2020

for i in playoff_list:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    personal_fouls = i["PF"]

    # Set the width of the bars
```

```

bar_width = 0.3
# Set the positions of the bars on the x-axis
bar_positions = range(len(teams))

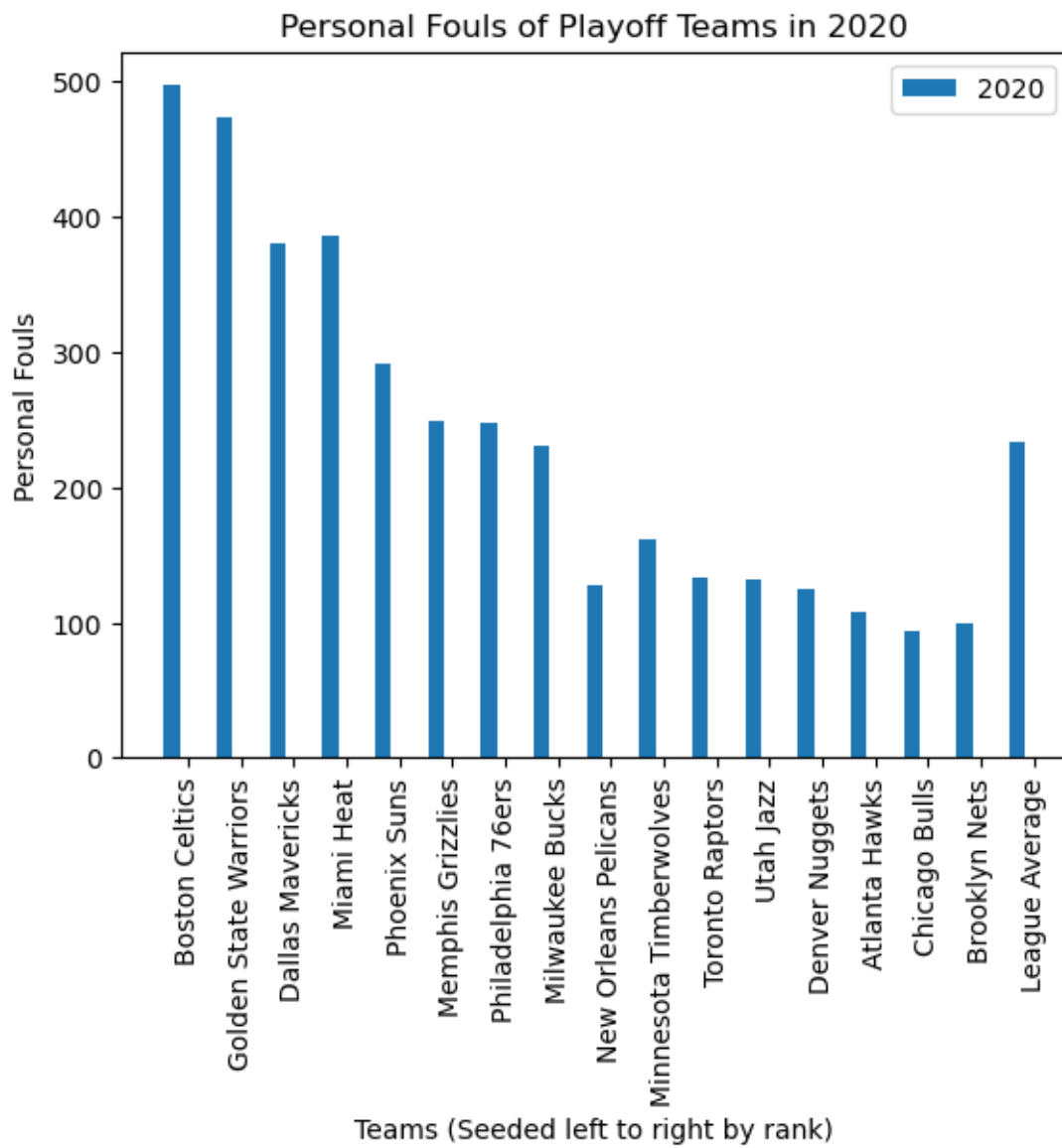
#Personal Fouls plots //////////////////////////////////////
↪////////////////////////////////
# Plot the bars
plt.bar(bar_positions, personal_fouls, width=bar_width, label=str(year))

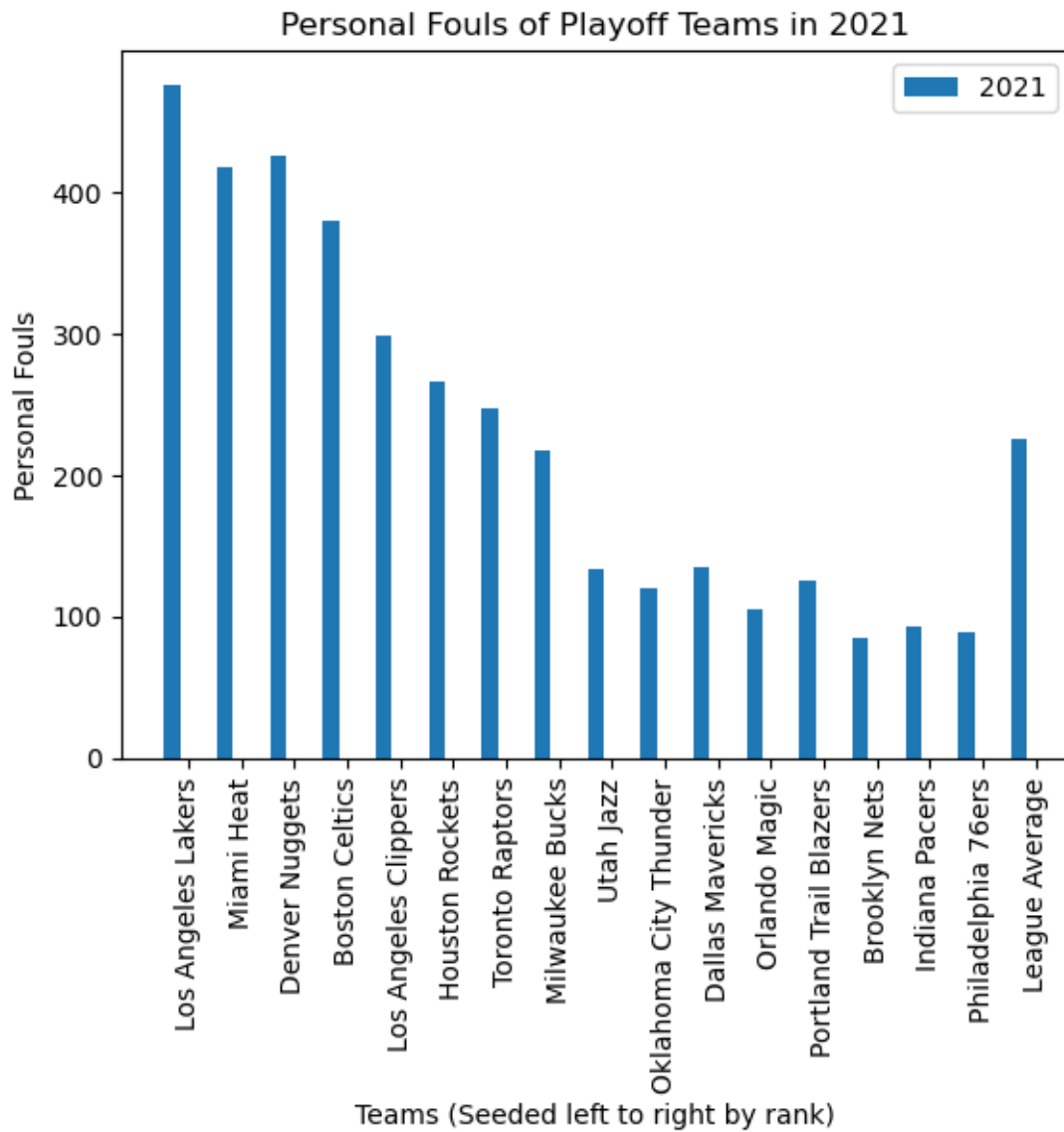
# Add labels, title, and legend
plt.xlabel("Teams (Seeded left to right by rank)")
plt.ylabel("Personal Fouls")
plt.title("Personal Fouls of Playoff Teams in " + str(year))
plt.xticks([r + bar_width for r in range(len(teams))], teams, rotation=90)
plt.legend()

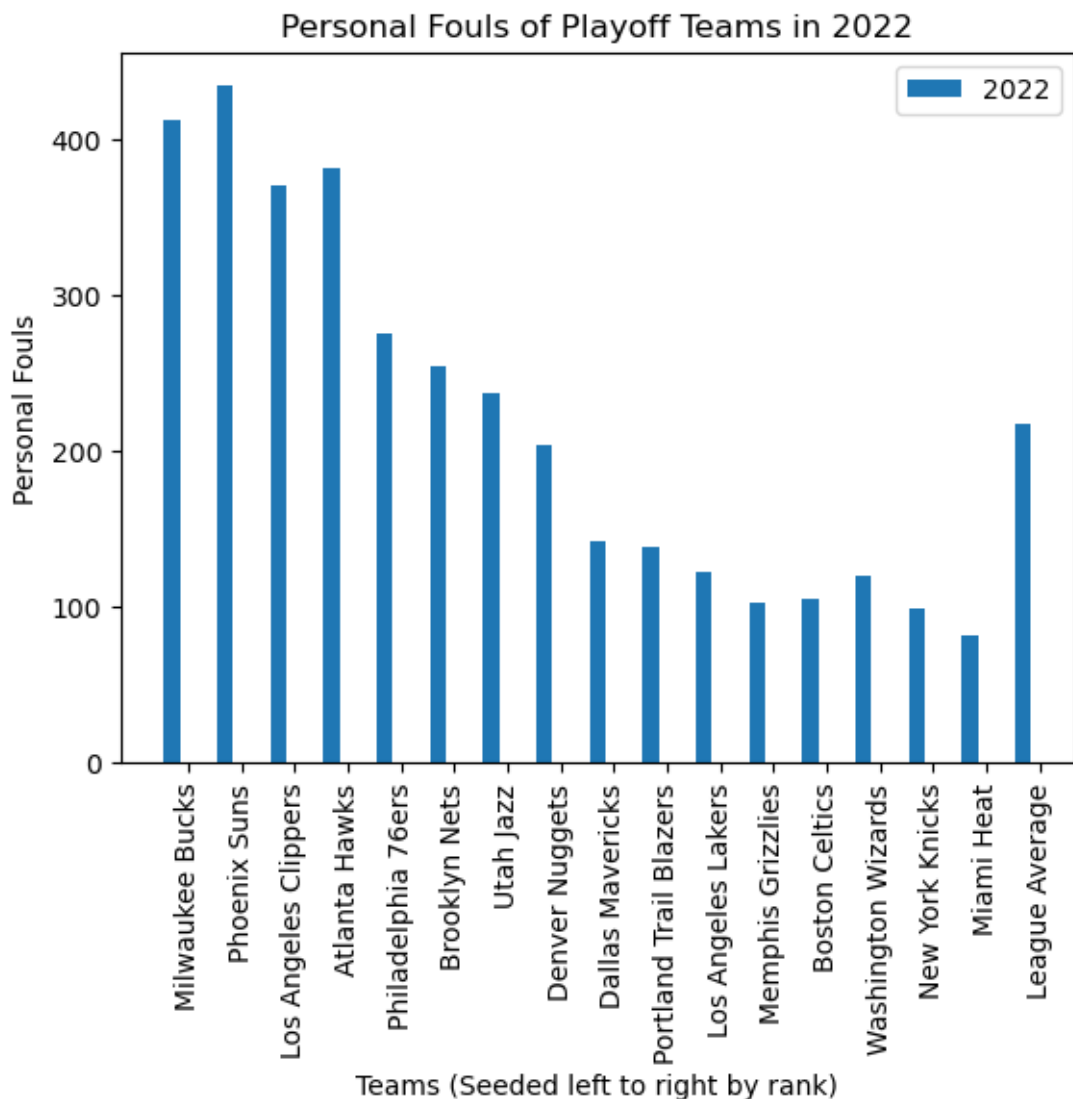
# Display the graph
plt.show()

year += 1

```







Q: What do you notice about the data?

A: Almost all of the data shows a decreasing trend as we go lower and lower in the ranks. Those

Q: Looking at the data, why do you think the plot in for example, turnovers in each year decrease as we supposedly go down in ranking (meaning the supposed “best team” has the most turnovers)?

A: This could be caused by a number of factors but since the higher ranked teams end up playing

Lets verify this with a linear regression.

Now let’s look at the data with a fitted regression line for each scatter plot to see trends in various statistics for each of the last three playoff years.

1.2 Part 2: Regression and Analysis

```
[9]: import numpy as np
      #same code as last part, but adding regression lines to each plot

      #since league average is in the last row of the df, and does not have a team
      ↳rank, we must remove it
      data_2020_n = data_2020.drop(16)
      data_2021_n = data_2021.drop(16)
      data_2022_n = data_2022.drop(16)

      playoff_list_2 = [data_2020_n, data_2021_n, data_2022_n]
```

1.2.1 Regression: Three Point Percentage (3P%)

```
[10]: year = 2020

      for i in playoff_list_2:
          #gathering all relevant data columns for the playoff year
          teams = i["Team"]
          three_point_pct = i["3P%"]
          offensive_rebounds = i["ORB"]
          field_goal_pct = i["FG%"]
          turnovers = i["TOV"]
          points = i["PTS"]
          personal_fouls = i["PF"]

          #3 pt percentage plots //////////////////////////////////////
          ↳////////////////////////////////

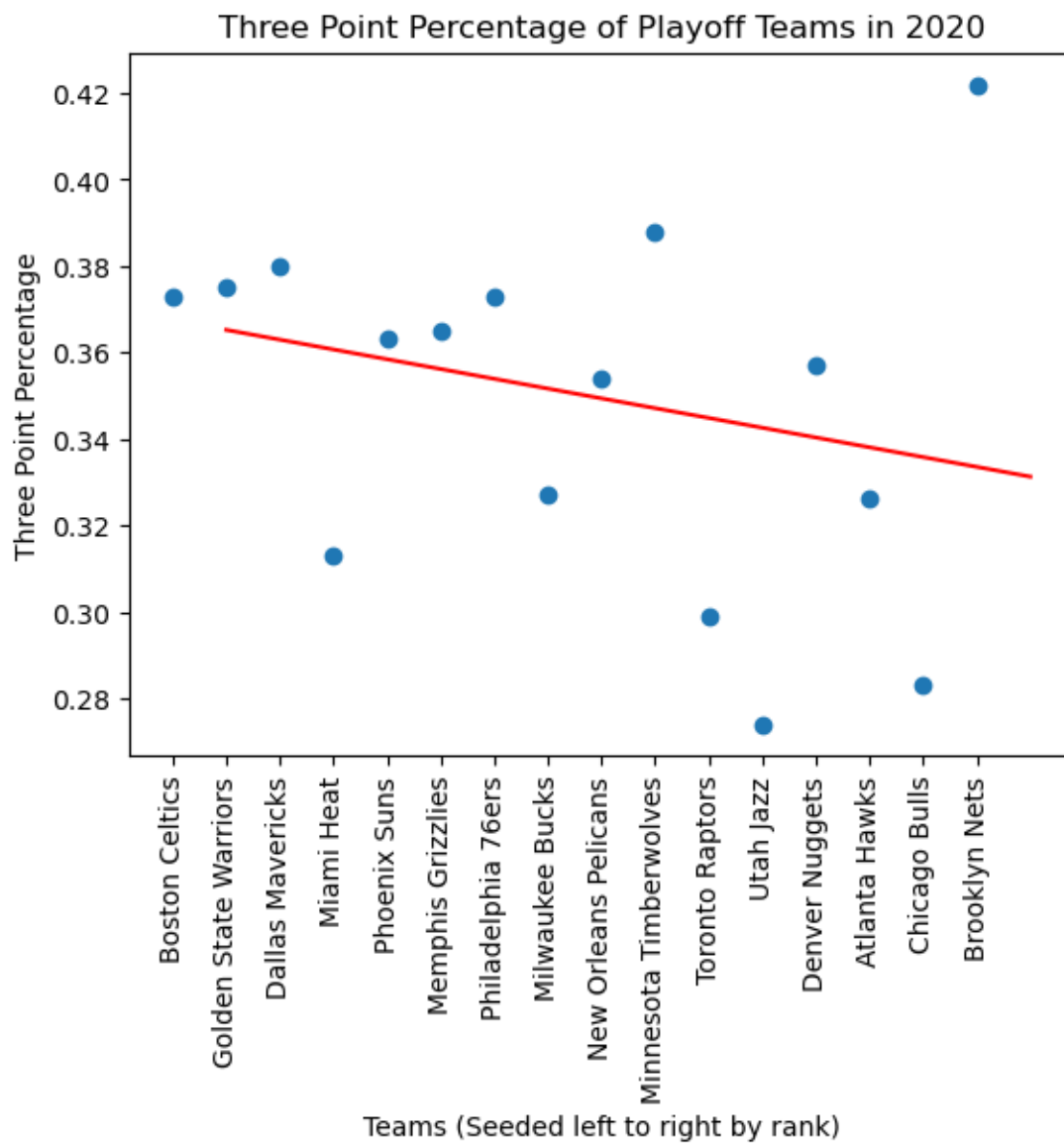
          # Plot the scatter plot
          plt.scatter(teams, three_point_pct)

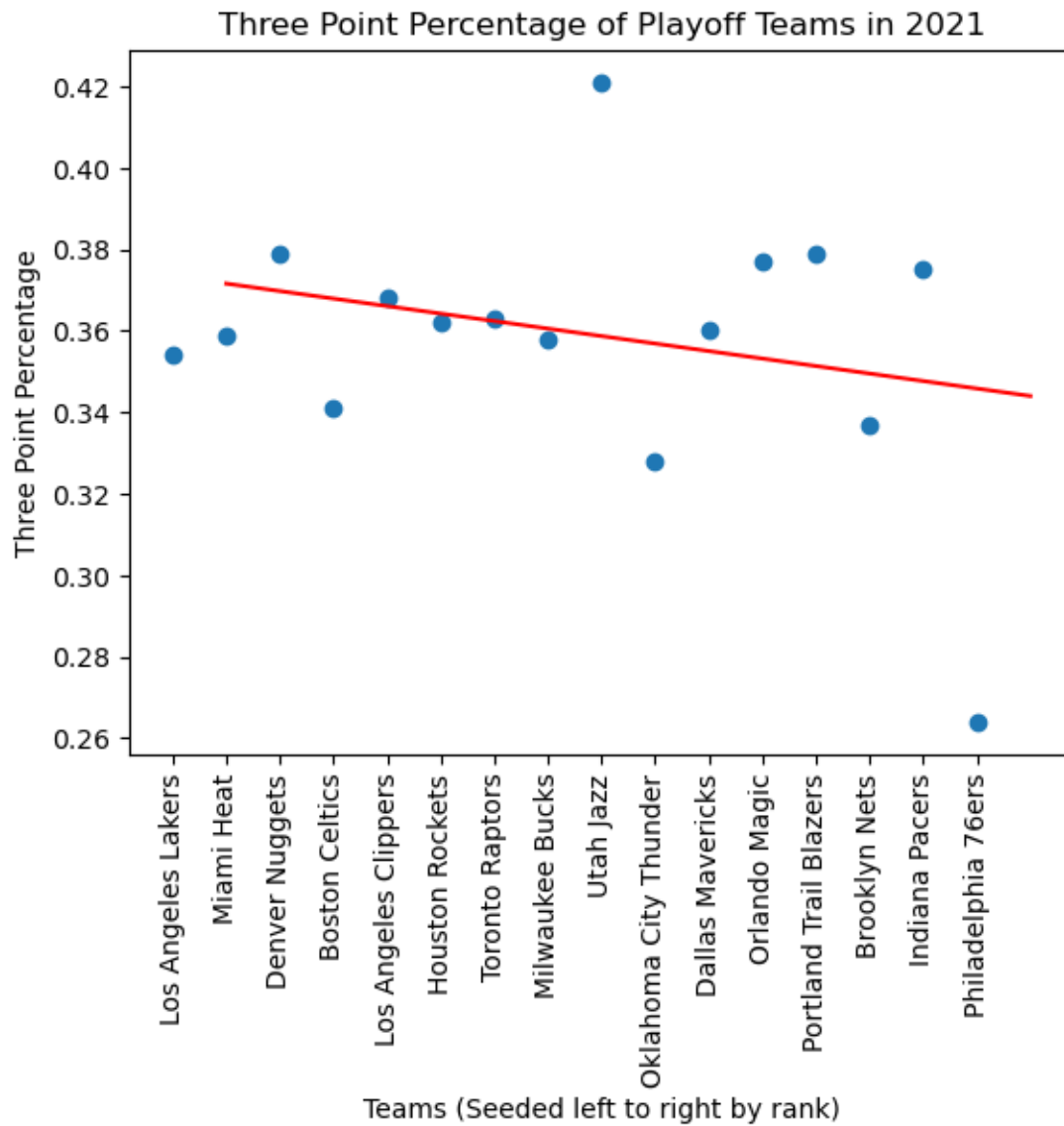
          # Add labels, title, and legend
          plt.xlabel("Teams (Seeded left to right by rank)")
          plt.ylabel("Three Point Percentage")
          plt.title("Three Point Percentage of Playoff Teams in " + str(year))
          plt.xticks(teams, rotation=90)

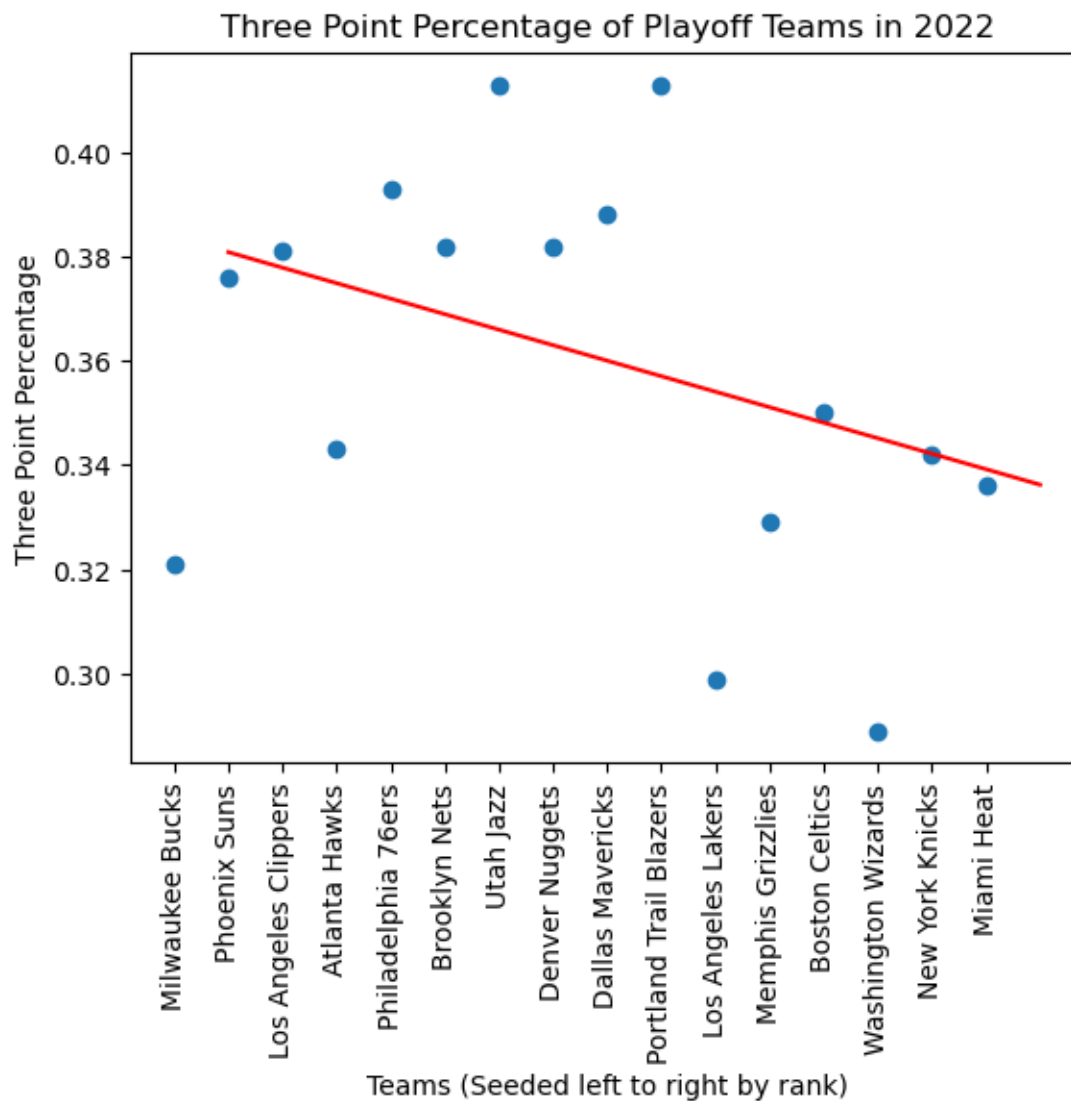
          #make regression plot
          #need to use rank because team names are not numerical for regression
          ↳purposes, achieves same goal since teams are in order by rank
          a, b = np.polyfit(i["Rk"], three_point_pct, 1)
          plt.plot(i["Rk"], a * (i["Rk"]) + b, color='red')

          # Display the graph
          plt.show()
```

year += 1







1.2.2 Regression: Offensive Rebounds (ORB)

```
[11]: year = 2020

for i in playoff_list_2:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    three_point_pct = i["3P%"]
    offensive_rebounds = i["ORB"]
    field_goal_pct = i["FG%"]
    turnovers = i["TOV"]
    points = i["PTS"]
    personal_fouls = i["PF"]
```

```

#ORB plots //////////////////////////////////////
↪////////
# Plot the scatter plot
plt.scatter(teams, offensive_rebounds)

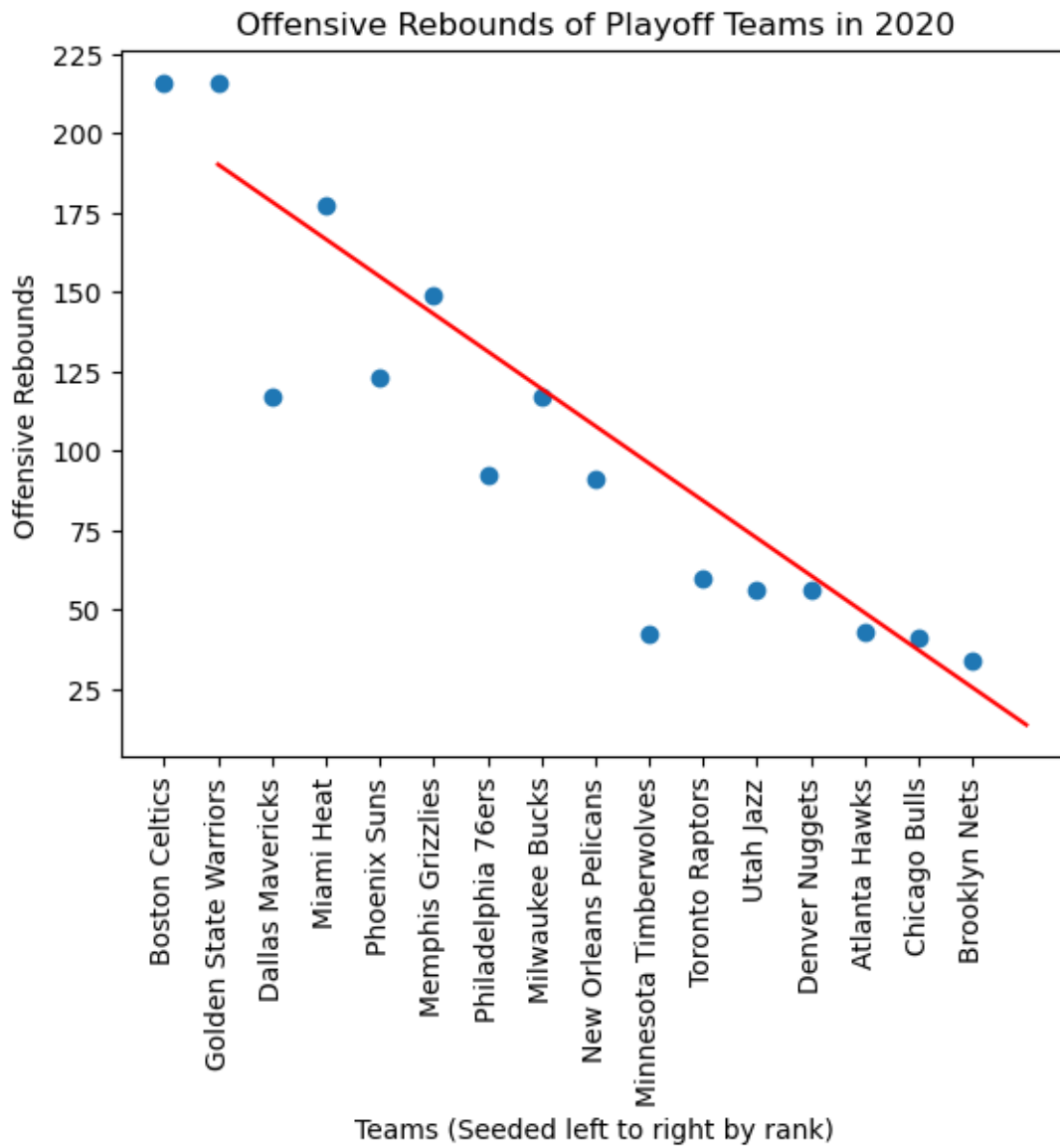
# Add labels, title, and legend
plt.xlabel("Teams (Seeded left to right by rank)")
plt.ylabel("Offensive Rebounds")
plt.title("Offensive Rebounds of Playoff Teams in " + str(year))
plt.xticks(teams, rotation=90)

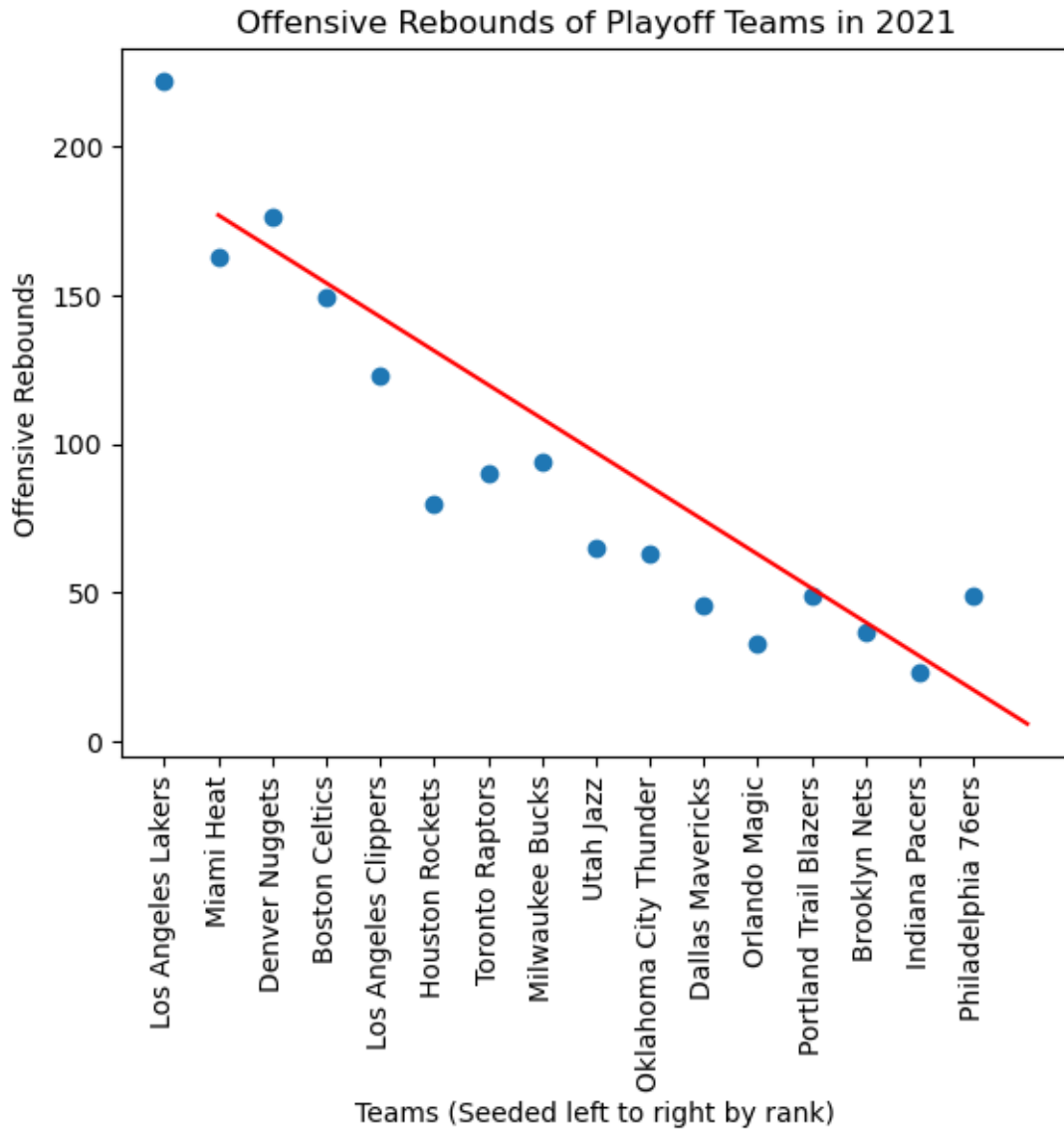
#make regression plot
#need to use rank because team names are not numerical for regression ↪
↪purposes, achieves same goal since teams are in order by rank
a, b = np.polyfit(i["Rk"], offensive_rebounds, 1)
plt.plot(i["Rk"], a * (i["Rk"]) + b, color='red')

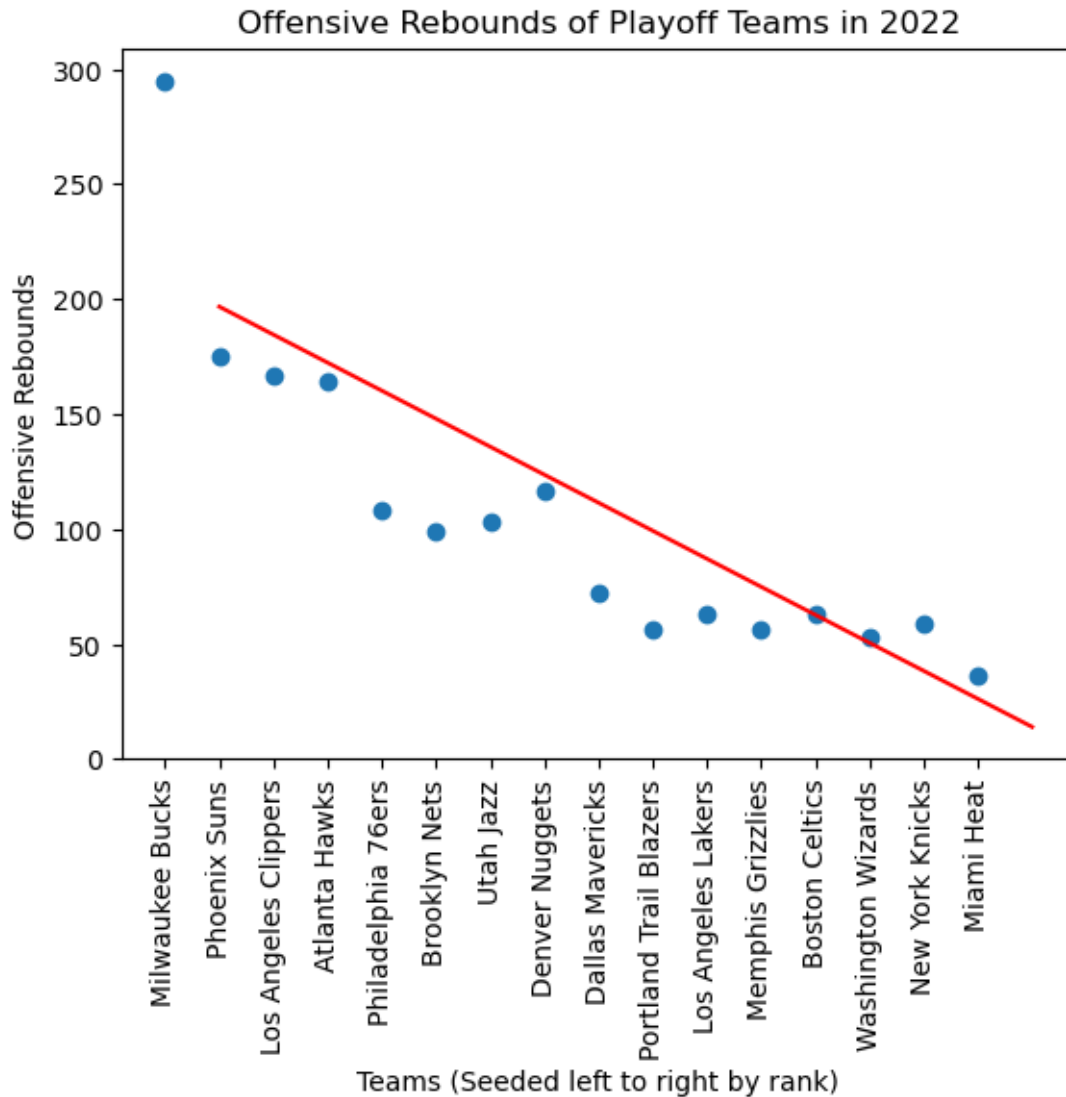
# Display the graph
plt.show()

year += 1

```







1.2.3 Regression: Field Goal Percentage (FG%)

```
[12]: year = 2020

for i in playoff_list_2:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    three_point_pct = i["3P%"]
    offensive_rebounds = i["ORB"]
    field_goal_pct = i["FG%"]
    turnovers = i["TOV"]
    points = i["PTS"]
    personal_fouls = i["PF"]
```

```

#FG plots //////////////////////////////////////
↪////////
# Plot the scatter plot
plt.scatter(teams, field_goal_pct)

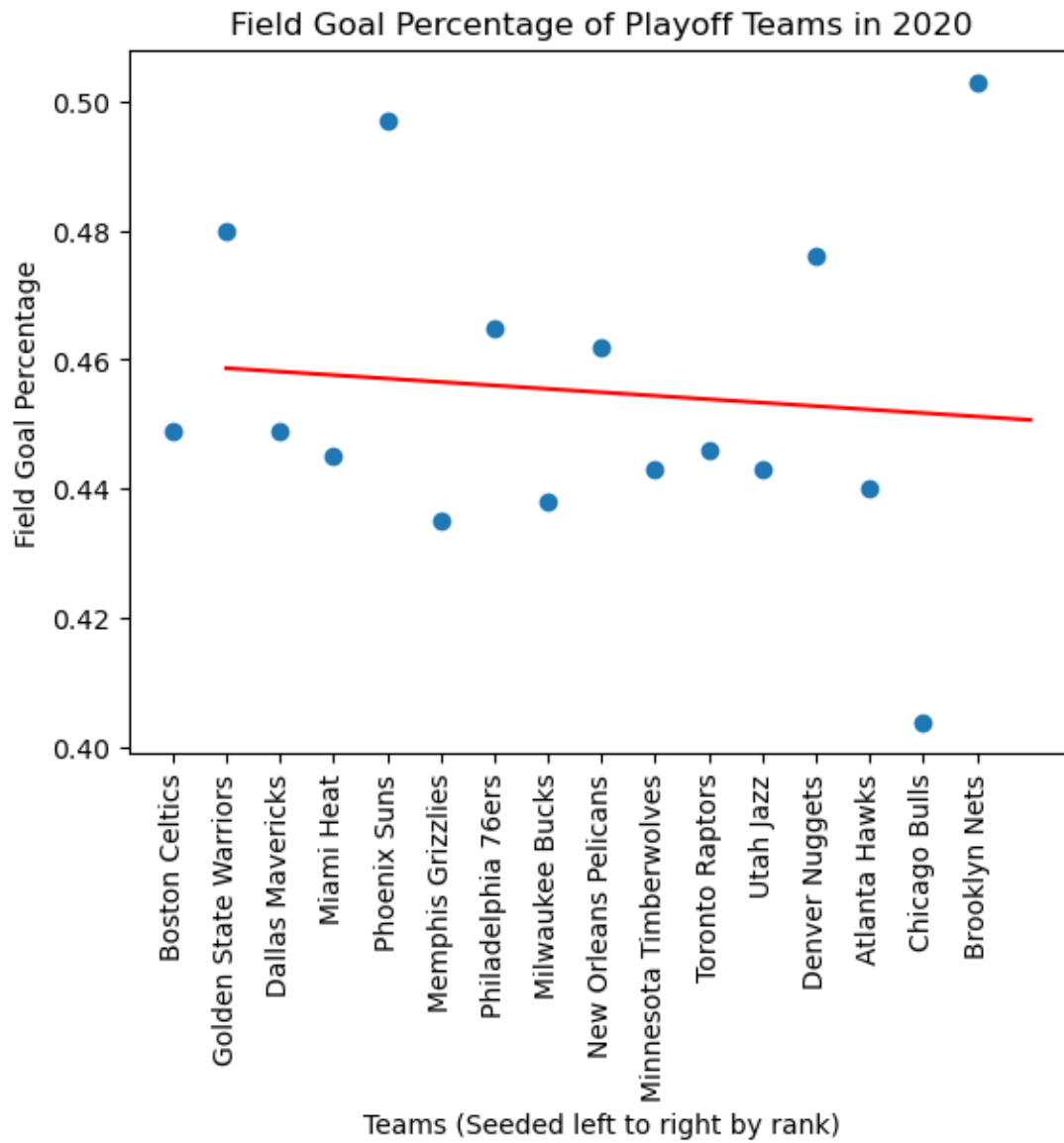
# Add labels, title, and legend
plt.xlabel("Teams (Seeded left to right by rank)")
plt.ylabel("Field Goal Percentage")
plt.title("Field Goal Percentage of Playoff Teams in " + str(year))
plt.xticks(teams, rotation=90)

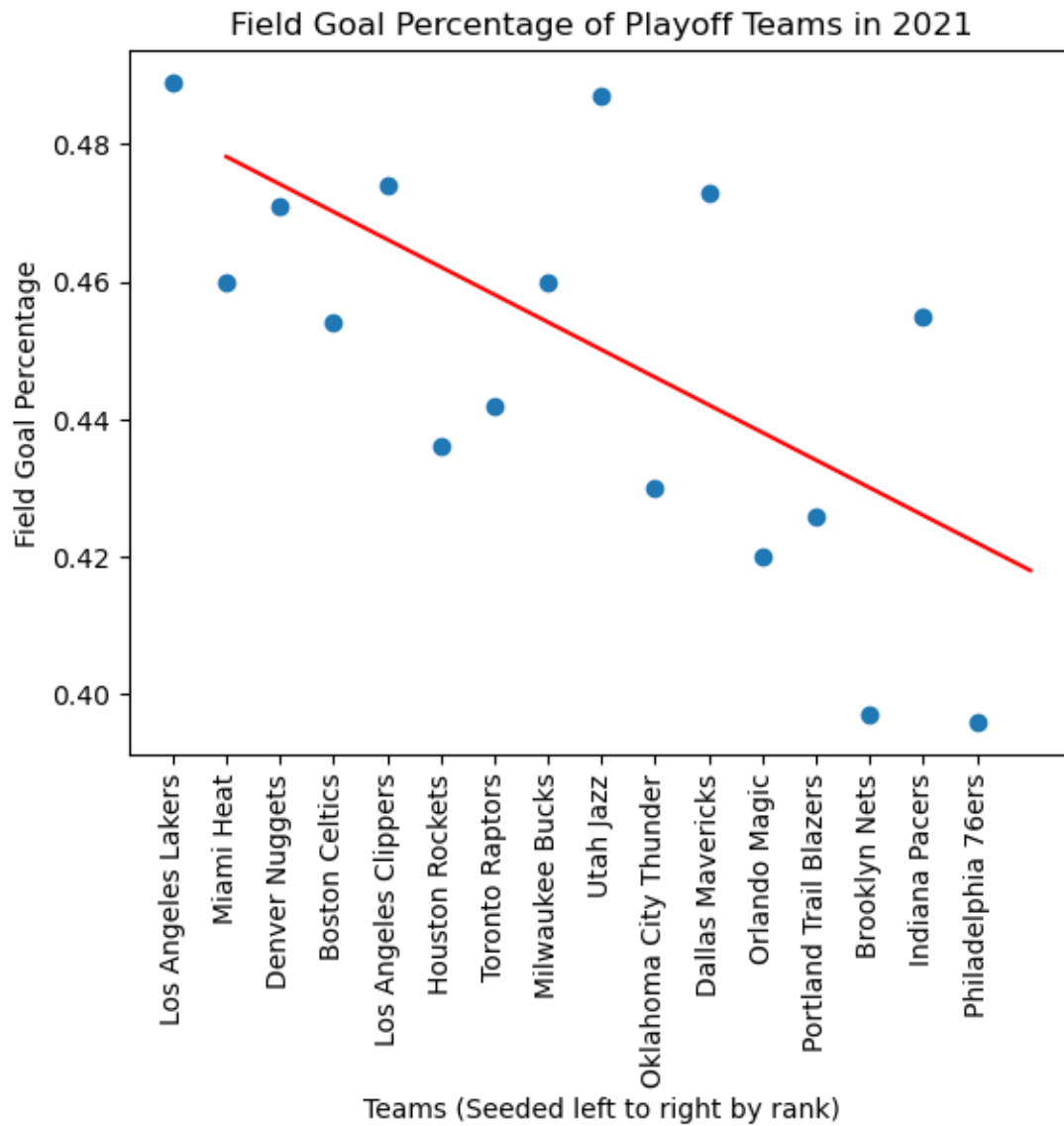
#make regression plot
#need to use rank because team names are not numerical for regression ↪
↪purposes, achieves same goal since teams are in order by rank
a, b = np.polyfit(i["Rk"], field_goal_pct, 1)
plt.plot(i["Rk"], a * (i["Rk"]) + b, color='red')

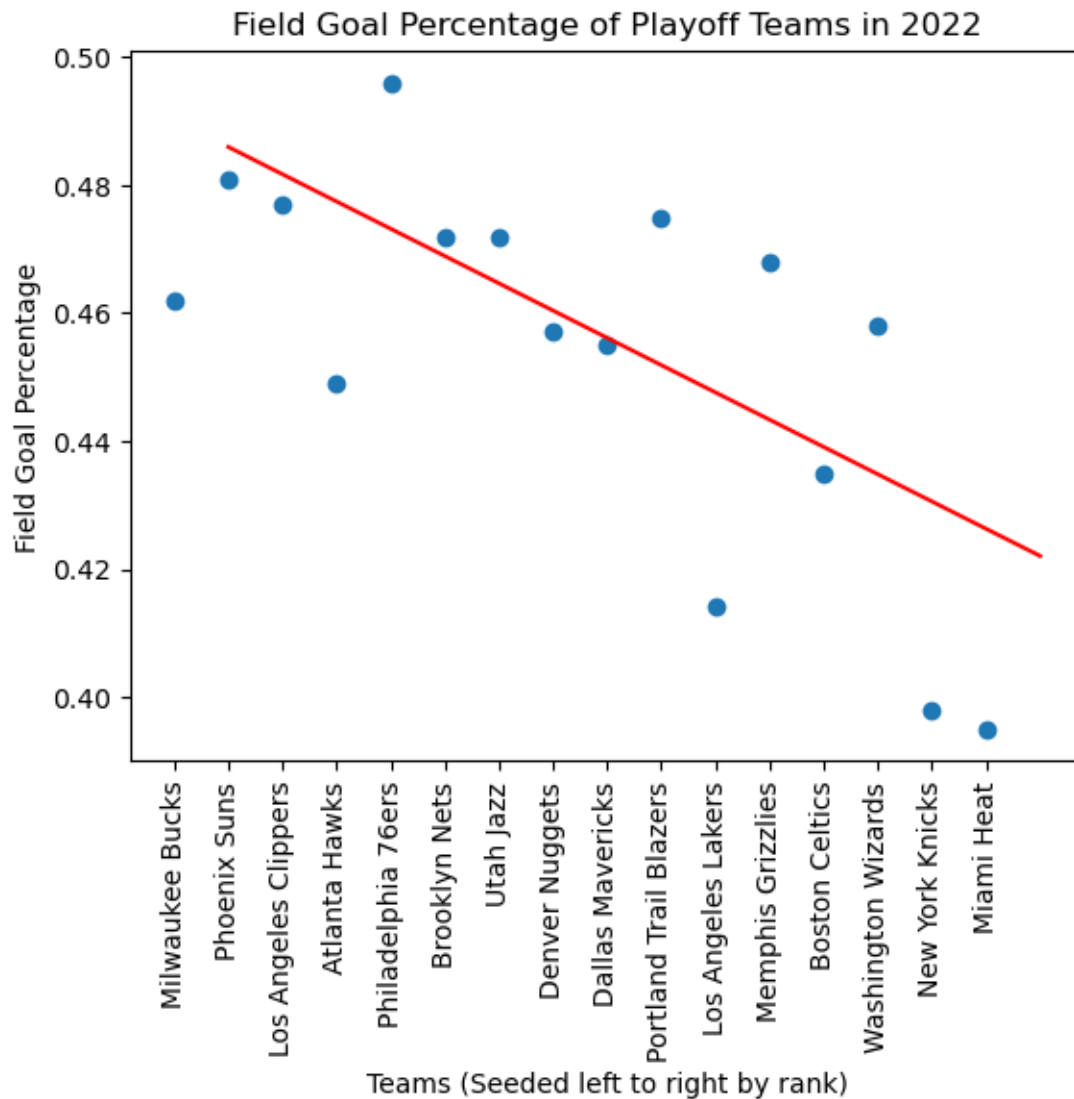
# Display the graph
plt.show()

year += 1

```







1.2.4 Regression: Turnovers (TOV)

```
[13]: year = 2020

for i in playoff_list_2:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    three_point_pct = i["3P%"]
    offensive_rebounds = i["ORB"]
    field_goal_pct = i["FG%"]
    turnovers = i["TOV"]
    points = i["PTS"]
    personal_fouls = i["PF"]
```

```

#Turnovers plots ////////////////////////////////////////
↳////////////////////////////////
# Plot the scatter plot
plt.scatter(teams, turnovers)

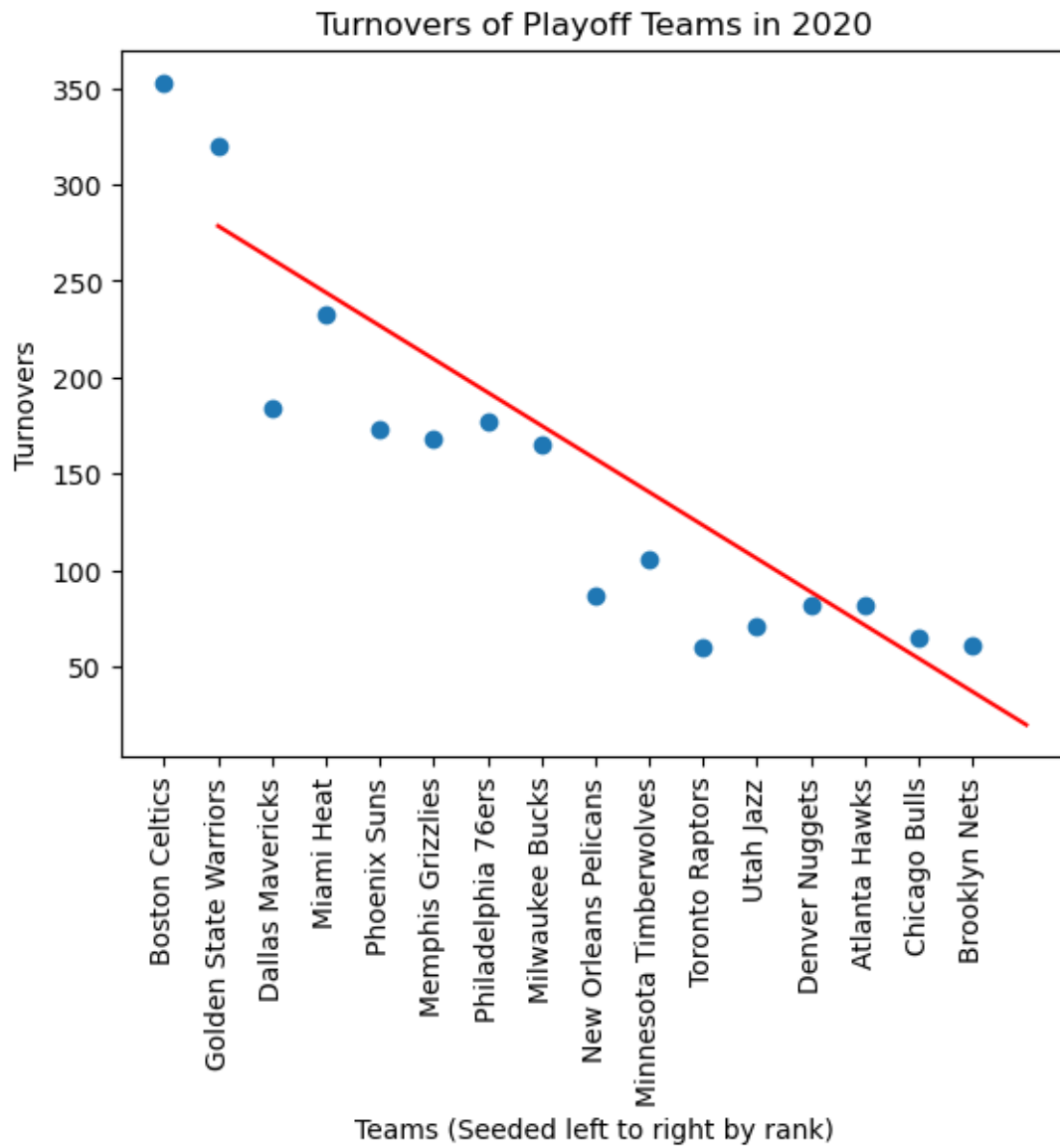
# Add labels, title, and legend
plt.xlabel("Teams (Seeded left to right by rank)")
plt.ylabel("Turnovers")
plt.title("Turnovers of Playoff Teams in " + str(year))
plt.xticks(teams, rotation=90)

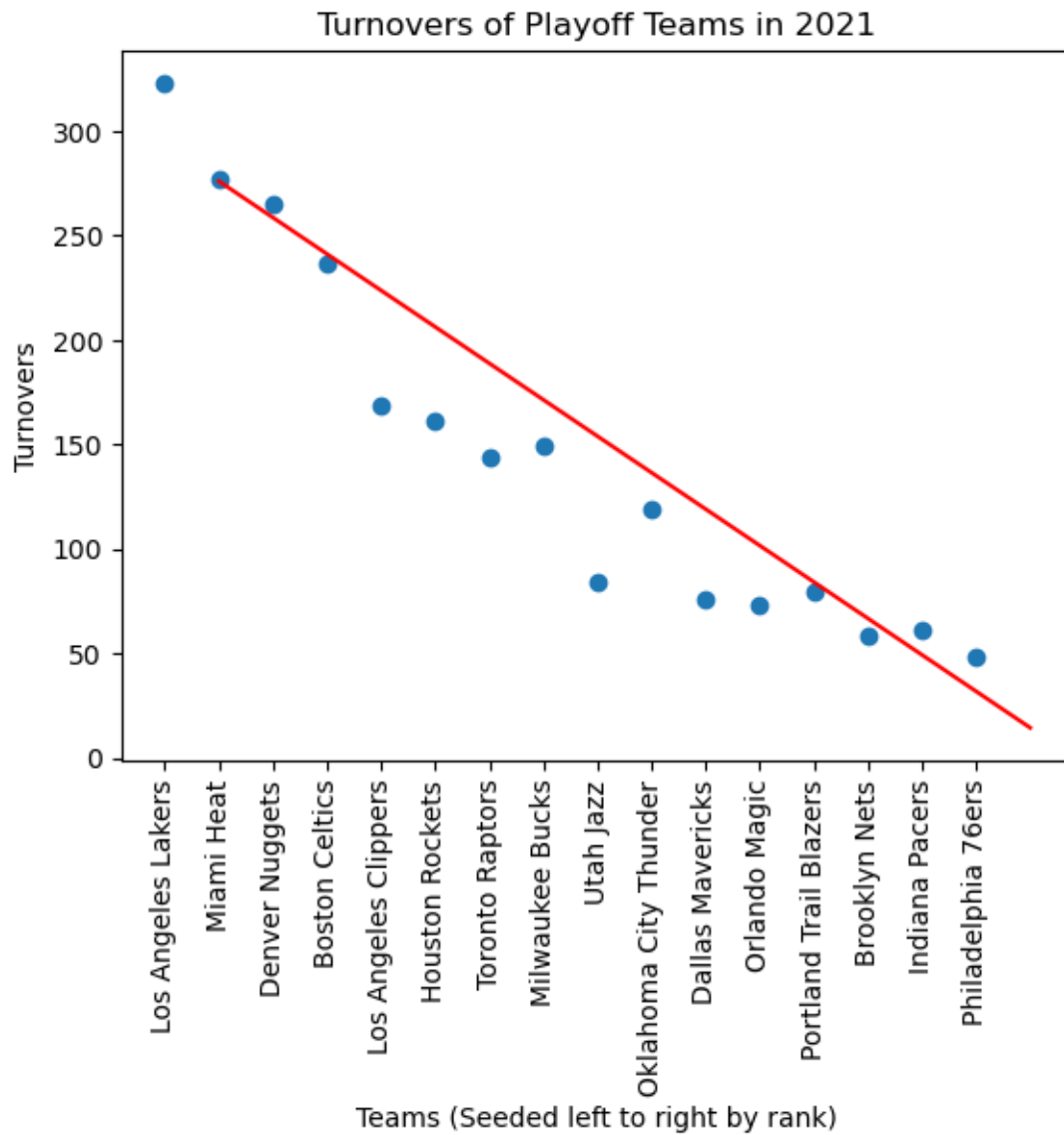
#make regression plot
#need to use rank because team names are not numerical for regression
↳purposes, achieves same goal since teams are in order by rank
a, b = np.polyfit(i["Rk"], turnovers, 1)
plt.plot(i["Rk"], a * (i["Rk"]) + b, color='red')

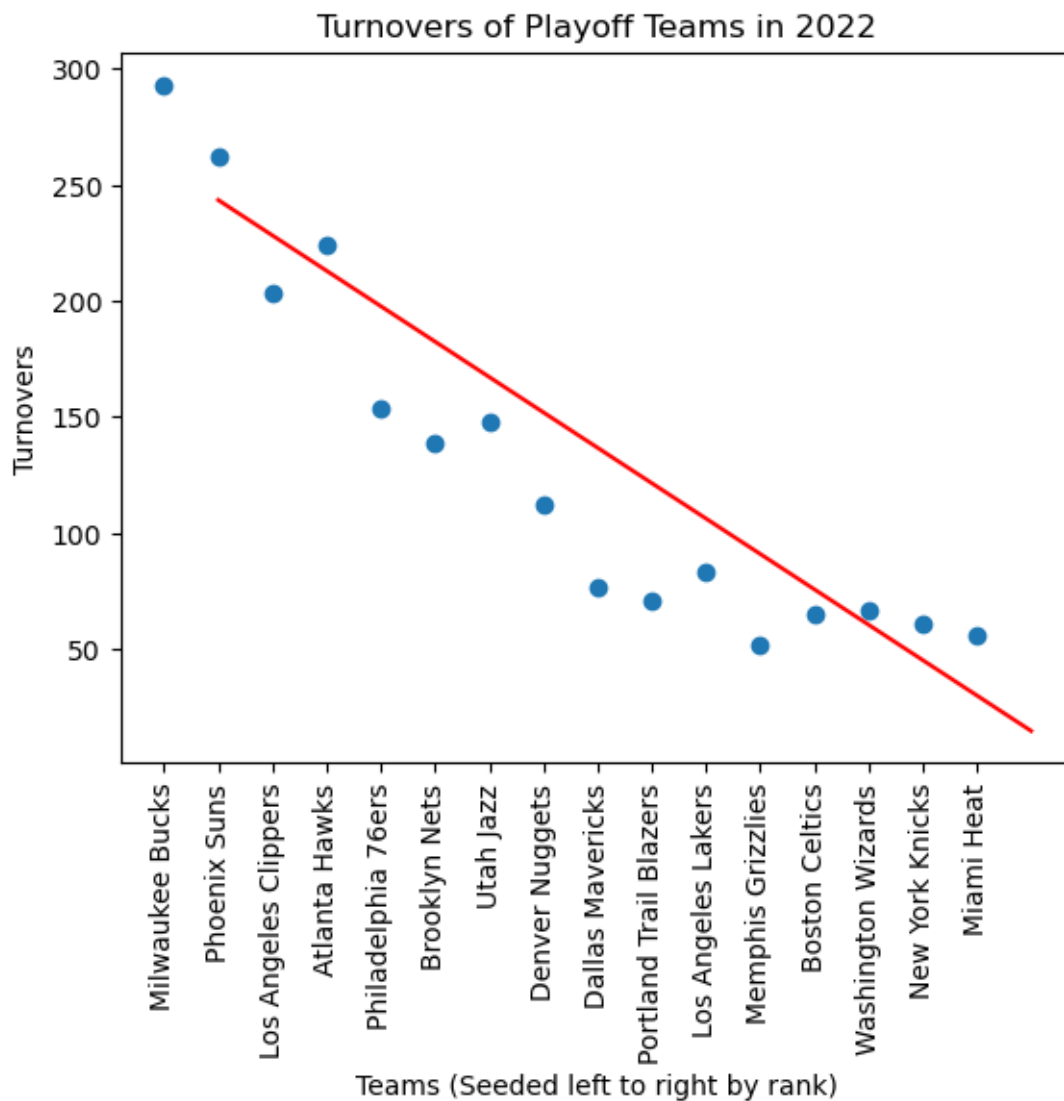
# Display the graph
plt.show()

year += 1

```







1.2.5 Regression: Points (PTS)

```
[14]: year = 2020

for i in playoff_list_2:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    three_point_pct = i["3P%"]
    offensive_rebounds = i["ORB"]
    field_goal_pct = i["FG%"]
    turnovers = i["TOV"]
    points = i["PTS"]
    personal_fouls = i["PF"]
```

```

#Total Points plots ////////////////////////////////////////
↪//////////////////////////////////
# Plot the scatter plot
plt.scatter(teams, points)

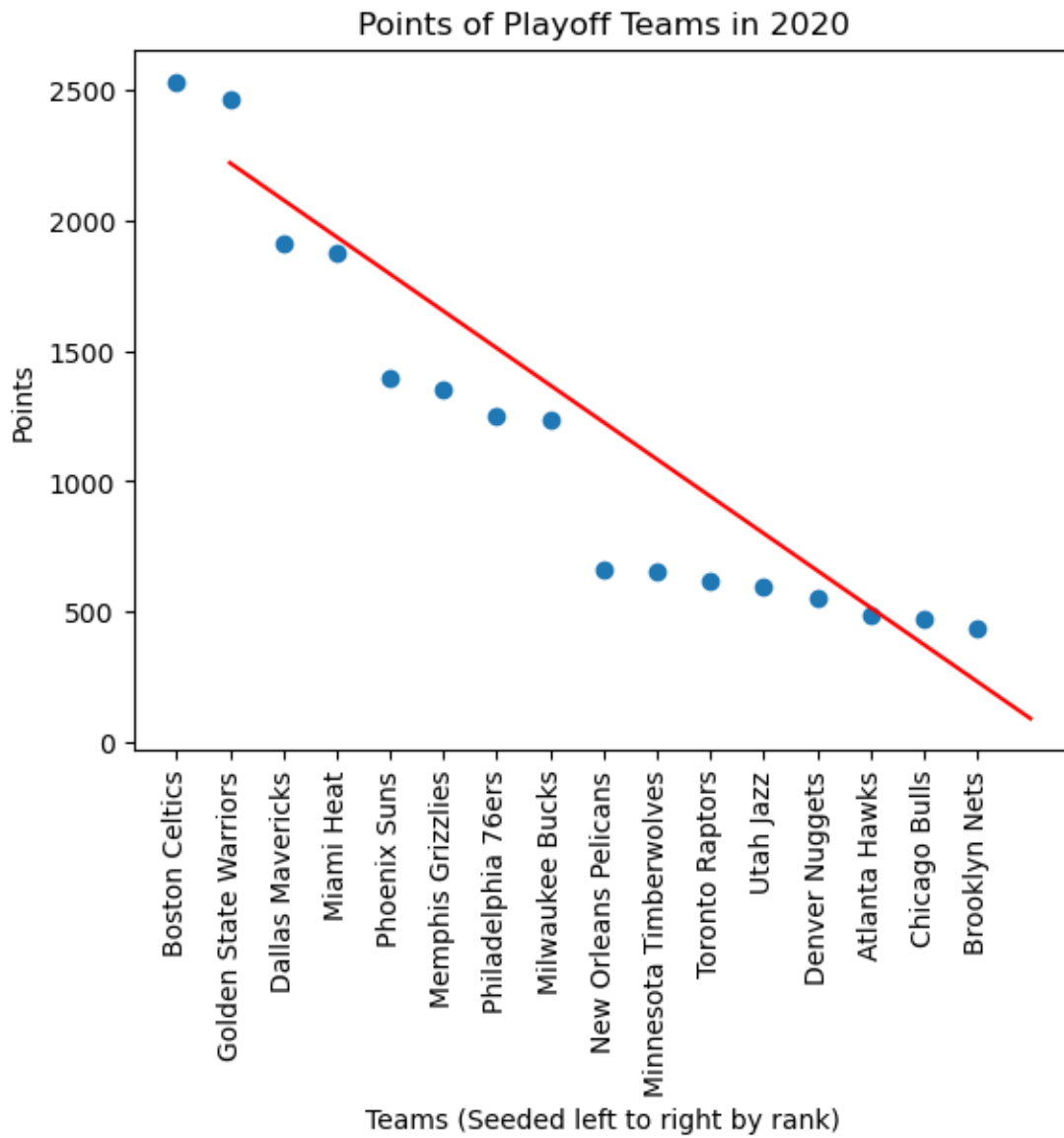
# Add labels, title, and legend
plt.xlabel("Teams (Seeded left to right by rank)")
plt.ylabel("Points")
plt.title("Points of Playoff Teams in " + str(year))
plt.xticks(teams, rotation=90)

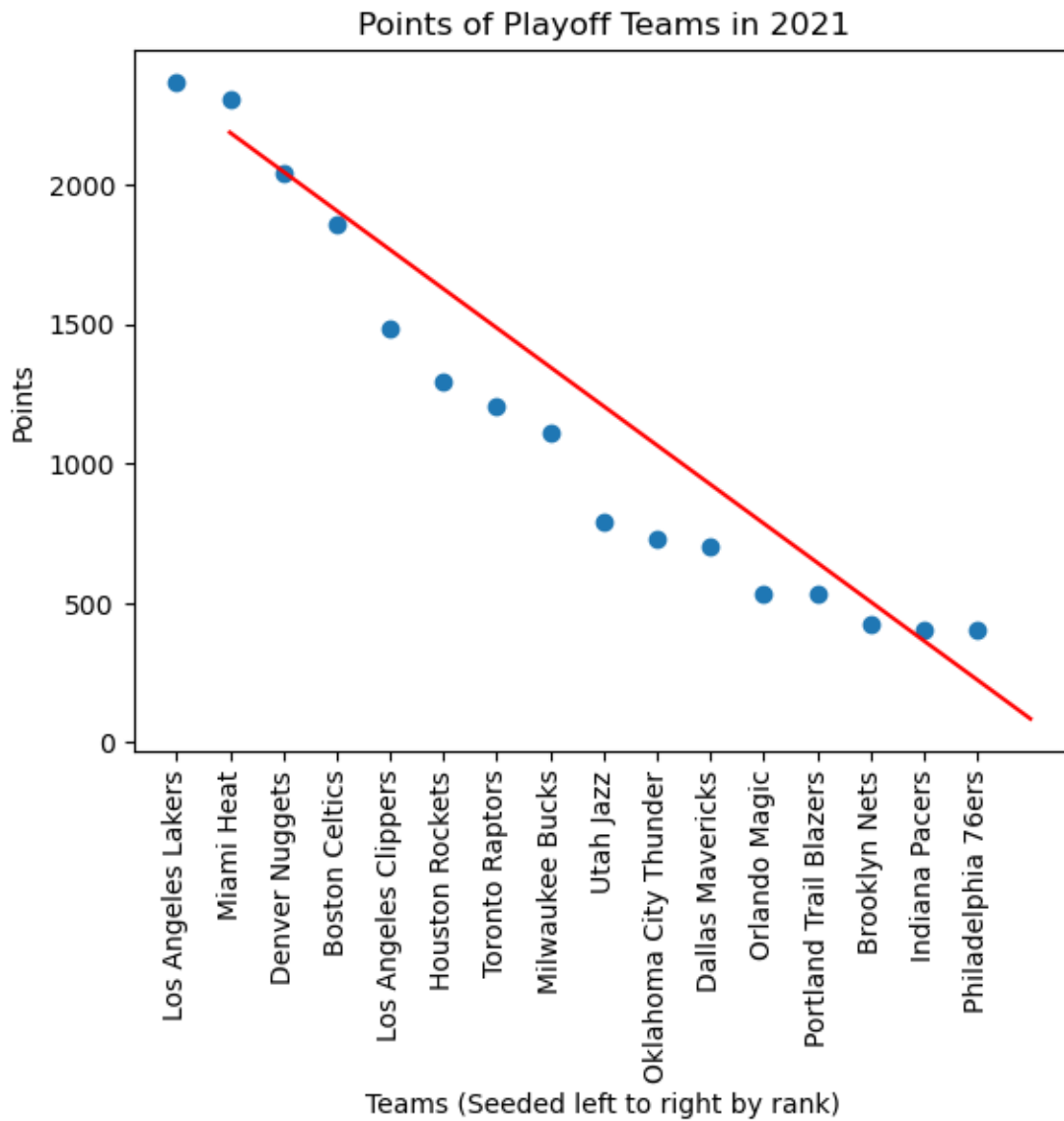
#make regression plot
#need to use rank because team names are not numerical for regression ↵
↪purposes, achieves same goal since teams are in order by rank
a, b = np.polyfit(i["Rk"], points, 1)
plt.plot(i["Rk"], a * (i["Rk"]) + b, color='red')

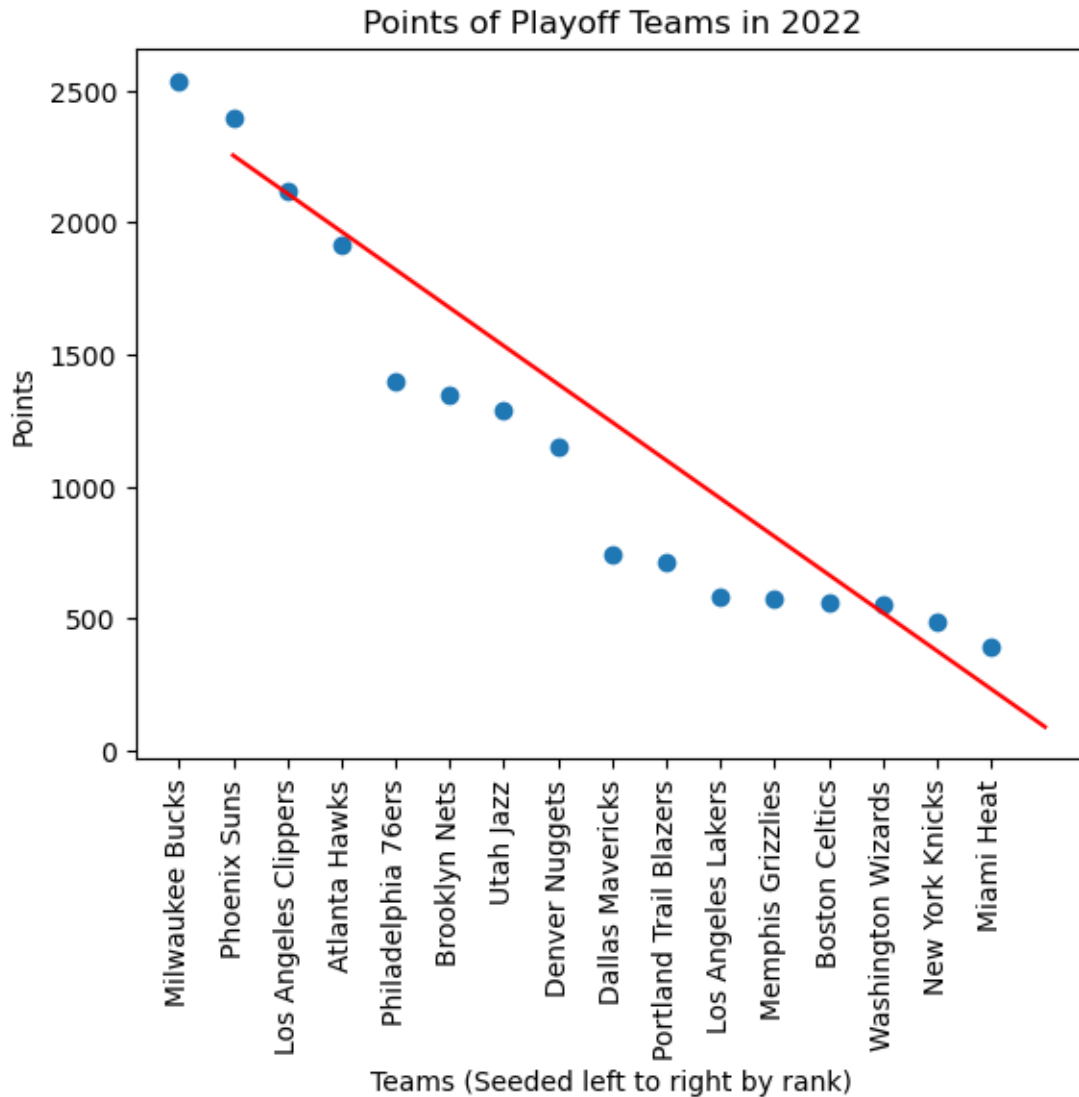
# Display the graph
plt.show()

year += 1

```







1.2.6 Regression: Personal Fouls (PF)

```
[15]: year = 2020

for i in playoff_list_2:
    #gathering all relevant data columns for the playoff year
    teams = i["Team"]
    three_point_pct = i["3P%"]
    offensive_rebounds = i["ORB"]
    field_goal_pct = i["FG%"]
    turnovers = i["TOV"]
    points = i["PTS"]
    personal_fouls = i["PF"]
```

```

#Personal Fouls plots //////////////////////////////////////
↪////////////////////////////////////
# Plot the scatter plot
plt.scatter(teams, personal_fouls)

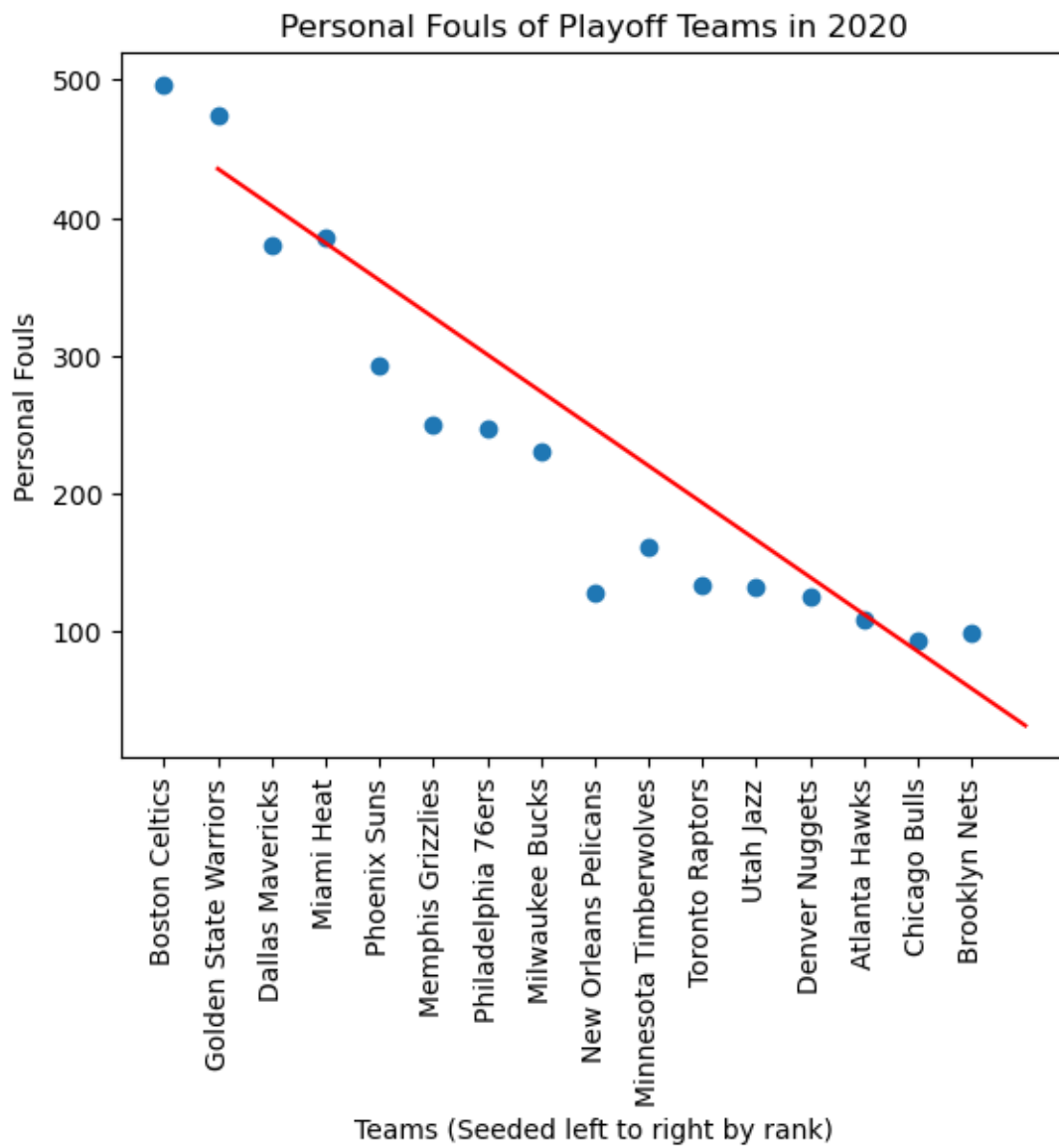
# Add labels, title, and legend
plt.xlabel("Teams (Seeded left to right by rank)")
plt.ylabel("Personal Fouls")
plt.title("Personal Fouls of Playoff Teams in " + str(year))
plt.xticks(teams, rotation=90)

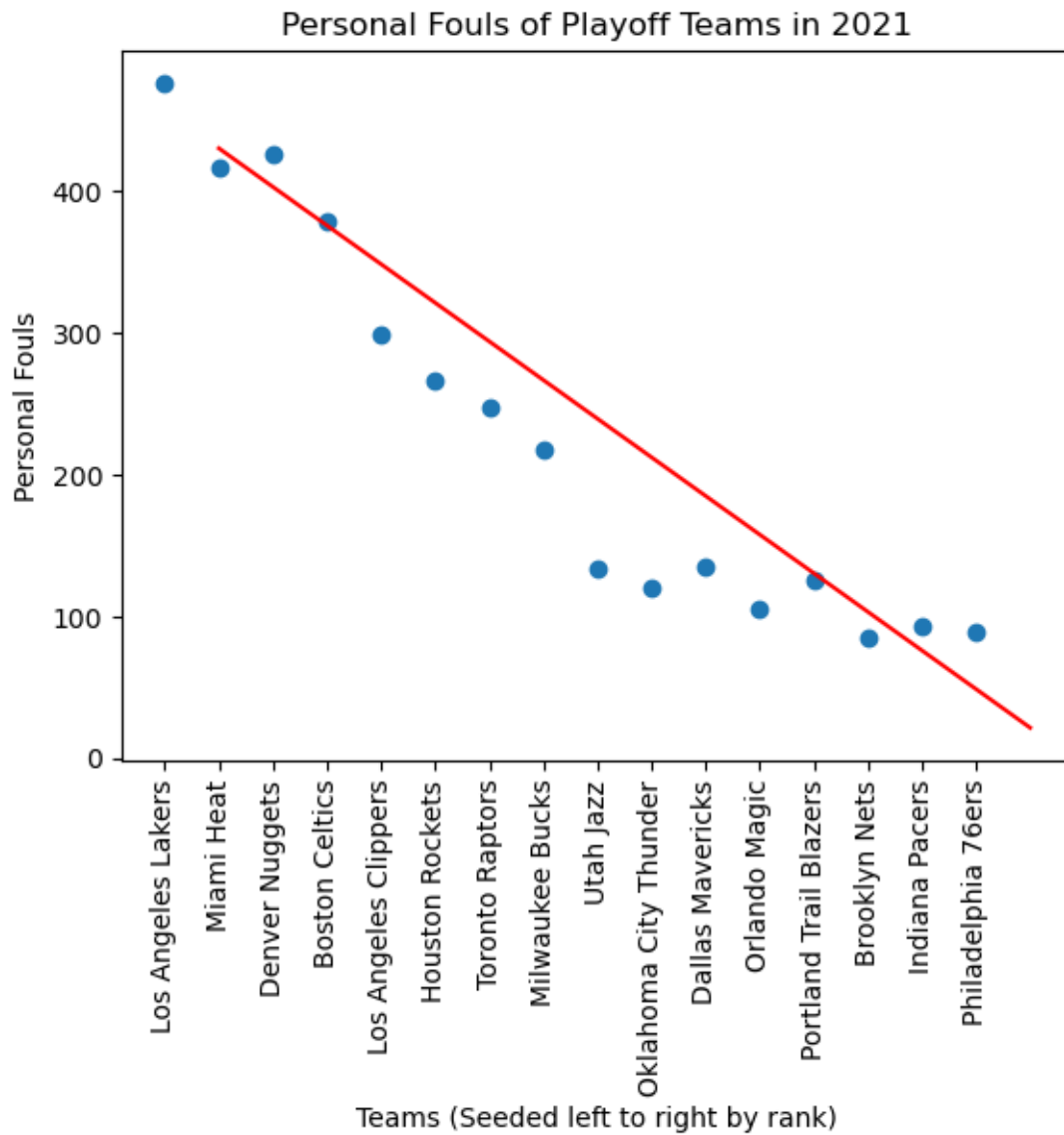
#make regression plot
#need to use rank because team names are not numerical for regression ↪
↪purposes, achieves same goal since teams are in order by rank
a, b = np.polyfit(i["Rk"], personal_fouls, 1)
plt.plot(i["Rk"], a * (i["Rk"]) + b, color='red')

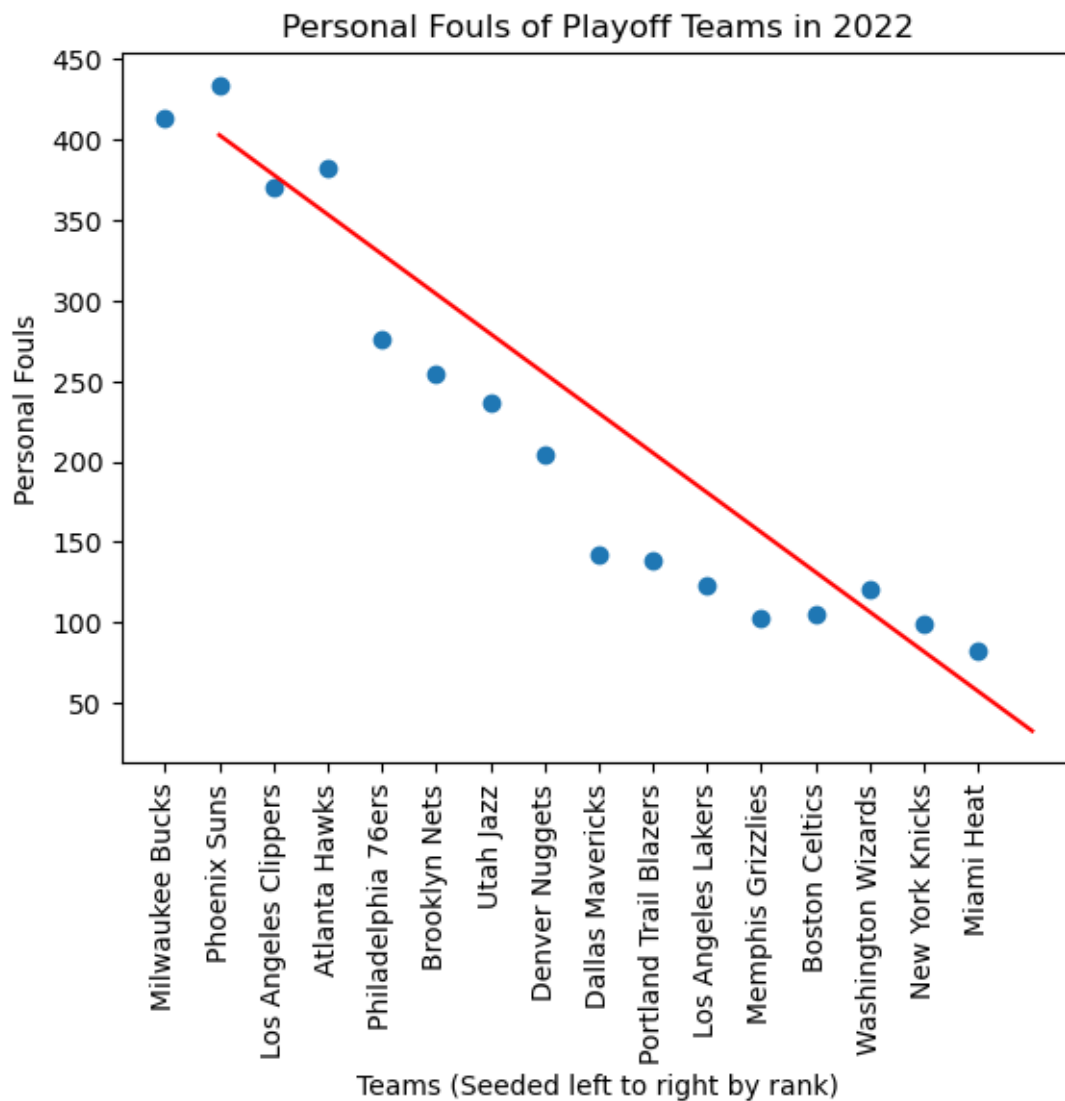
# Display the graph
plt.show()

year += 1

```







Confirm the comments we made about turnovers.

Q: Now looking at the regression lines, what can we verify about the comments we made in the previous part?

A: The trend still stands, all of the comments made about the deprecating nature of the plot are

Q: How do you think we can determine the most valuable statistic (guess)?

A: We can look closer at the specific values of the linear regression and see the most valuable

Let's take a closer look at the linear regression values for each statistic

1.2.7 Values of Regression: 2020 Playoffs

In order to determine the most valuable statistic, let's look at the statistic with the minimum p-value for each year.

Write them all down for reference.

```
[16]: import statsmodels.api as sm
from sklearn.linear_model import LinearRegression as lr

#we should include all stats for each year in a cell, will be easier to look at
→ in determining the most meaningful statistic per year

#Three point Percentage
print("3P% Regression Results for 2020")
x = data_2020_n["Rk"]
y = data_2020_n["3P%"]
r = sm.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Offensive Rebound
print("Offensive Rebound Regression Results for 2020")
x = data_2020_n["Rk"]
y = data_2020_n["ORB"]
r = sm.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Field Goal Percentage
print("Field Goal Percentage Regression Results for 2020")
x = data_2020_n["Rk"]
y = data_2020_n["FG%"]
r = sm.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Turnovers
print("Turnover Results for 2020")
x = data_2020_n["Rk"]
y = data_2020_n["TOV"]
r = sm.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Points
print("Total Points Results for 2020")
x = data_2020_n["Rk"]
```

```

y = data_2020_n["PTS"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Personal Fouls
print("Personal Fouls Results for 2020")
x = data_2020_n["Rk"]
y = data_2020_n["PF"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

```

3P% Regression Results for 2020

OLS Regression Results

```

=====
=====
Dep. Variable:          3P%   R-squared (uncentered):
0.738
Model:                  OLS   Adj. R-squared (uncentered):
0.721
Method:                 Least Squares   F-statistic:
42.32
Date:                   Fri, 12 May 2023   Prob (F-statistic):
9.94e-06
Time:                   02:36:45   Log-Likelihood:
4.7968
No. Observations:       16   AIC:
-7.594
Df Residuals:           15   BIC:
-6.821
Df Model:                1
Covariance Type:        nonrobust
=====
=====

```

	coef	std err	t	P> t	[0.025	0.975]
Rk	0.0311	0.005	6.505	0.000	0.021	0.041

```

=====
=====
Omnibus:                1.982   Durbin-Watson:           0.117
Prob(Omnibus):           0.371   Jarque-Bera (JB):         0.959
Skew:                    0.014   Prob(JB):                 0.619
Kurtosis:                1.801   Cond. No.                 1.00
=====
=====

```

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Offensive Rebound Regression Results for 2020

OLS Regression Results

```
=====
=====
Dep. Variable:          ORB    R-squared (uncentered):
0.292
Model:                OLS    Adj. R-squared (uncentered):
0.245
Method:                Least Squares    F-statistic:
6.185
Date:                  Fri, 12 May 2023    Prob (F-statistic):
0.0251
Time:                  02:36:45    Log-Likelihood:
-96.259
No. Observations:      16    AIC:
194.5
Df Residuals:          15    BIC:
195.3
Df Model:              1
Covariance Type:      nonrobust
=====
=====
```

	coef	std err	t	P> t	[0.025	0.975]
Rk	6.5882	2.649	2.487	0.025	0.942	12.235

```
=====
=====
Omnibus:                1.584    Durbin-Watson:                0.175
Prob(Omnibus):           0.453    Jarque-Bera (JB):           1.184
Skew:                    0.458    Prob(JB):                   0.553
Kurtosis:                2.032    Cond. No.                   1.00
=====
=====
```

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Field Goal Percentage Regression Results for 2020

OLS Regression Results

```
=====
=====
```

```

Dep. Variable:          FG%   R-squared (uncentered):
0.766
Model:                  OLS   Adj. R-squared (uncentered):
0.750
Method:                  Least Squares   F-statistic:
49.11
Date:                    Fri, 12 May 2023   Prob (F-statistic):
4.22e-06
Time:                    02:36:45   Log-Likelihood:
1.5054
No. Observations:       16   AIC:
-1.011
Df Residuals:           15   BIC:
-0.2383
Df Model:                1
Covariance Type:        nonrobust
=====

```

	coef	std err	t	P> t	[0.025	0.975]
Rk	0.0412	0.006	7.008	0.000	0.029	0.054

```

=====
Omnibus:                2.140   Durbin-Watson:                0.059
Prob(Omnibus):          0.343   Jarque-Bera (JB):          0.992
Skew:                   0.023   Prob(JB):                  0.609
Kurtosis:               1.781   Cond. No.                  1.00
=====

```

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Turnover Results for 2020

OLS Regression Results

```

=====
Dep. Variable:          TOV   R-squared (uncentered):
0.290
Model:                  OLS   Adj. R-squared (uncentered):
0.242
Method:                  Least Squares   F-statistic:
6.112
Date:                    Fri, 12 May 2023   Prob (F-statistic):
0.0259
Time:                    02:36:45   Log-Likelihood:

```

```

-102.45
No. Observations:          16    AIC:
206.9
Df Residuals:              15    BIC:
207.7
Df Model:                  1
Covariance Type:          nonrobust
=====
              coef      std err          t      P>|t|      [0.025      0.975]
-----
Rk              9.6451      3.901      2.472      0.026      1.330      17.960
=====
Omnibus:              1.784    Durbin-Watson:              0.123
Prob(Omnibus):        0.410    Jarque-Bera (JB):              1.394
Skew:                 0.662    Prob(JB):              0.498
Kurtosis:             2.420    Cond. No.              1.00
=====

```

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Total Points Results for 2020

OLS Regression Results

```

=====
Dep. Variable:          PTS    R-squared (uncentered):
0.273
Model:                  OLS    Adj. R-squared (uncentered):
0.224
Method:                 Least Squares    F-statistic:
5.626
Date:                   Fri, 12 May 2023    Prob (F-statistic):
0.0315
Time:                   02:36:45    Log-Likelihood:
-135.46
No. Observations:       16    AIC:
272.9
Df Residuals:           15    BIC:
273.7
Df Model:               1
Covariance Type:        nonrobust
=====
              coef      std err          t      P>|t|      [0.025      0.975]
-----

```

```

-----
Rk          72.8209      30.701      2.372      0.032      7.384      138.258
=====
Omnibus:                1.967      Durbin-Watson:                0.060
Prob(Omnibus):          0.374      Jarque-Bera (JB):          1.392
Skew:                   0.519      Prob(JB):                0.499
Kurtosis:               1.996      Cond. No.                1.00
=====

```

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Personal Fouls Results for 2020

OLS Regression Results

```

=====
=====
Dep. Variable:          PF      R-squared (uncentered):
0.296
Model:                  OLS      Adj. R-squared (uncentered):
0.249
Method:                 Least Squares      F-statistic:
6.315
Date:                  Fri, 12 May 2023      Prob (F-statistic):
0.0239
Time:                  02:36:45      Log-Likelihood:
-109.35
No. Observations:      16      AIC:
220.7
Df Residuals:          15      BIC:
221.5
Df Model:               1
Covariance Type:       nonrobust
=====
=====
              coef      std err          t      P>|t|      [0.025      0.975]
-----
Rk          15.0856      6.003      2.513      0.024      2.290      27.881
=====
Omnibus:                1.990      Durbin-Watson:                0.061
Prob(Omnibus):          0.370      Jarque-Bera (JB):          1.396
Skew:                   0.517      Prob(JB):                0.498
Kurtosis:               1.989      Cond. No.                1.00
=====

```

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
```

This yields a min p-value for 2020 of 4.22e-06 for the statistic: Field Goal Percentage

1.2.8 Values of Regression: 2021 Playoffs

[17]: *#we should include all stats for each year in a cell, will be easier to look at, in determining the most meaningful statistic per year*

```
#Three point Percentage
print("3P% Regression Results for 2021")
x = data_2021_n["Rk"]
y = data_2021_n["3P%"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Offensive Rebound
print("Offensive Rebound Regression Results for 2021")
x = data_2021_n["Rk"]
y = data_2021_n["ORB"]
r = s.OLS(y,x).fit()
```



```

print(r.summary())
print("\n\n")

#Field Goal Percentage
print("Field Goal Percentage Regression Results for 2021")
x = data_2021_n["Rk"]
y = data_2021_n["FG%"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Turnovers
print("Turnover Results for 2021")
x = data_2021_n["Rk"]
y = data_2021_n["TOV"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Points
print("Total Points Results for 2021")
x = data_2021_n["Rk"]
y = data_2021_n["PTS"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Personal Fouls
print("Personal Fouls Results for 2021")
x = data_2021_n["Rk"]
y = data_2021_n["PF"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

```

3P% Regression Results for 2021

OLS Regression Results

```

=====
=====
Dep. Variable:          3P%    R-squared (uncentered):
0.747
Model:                  OLS    Adj. R-squared (uncentered):
0.730
Method:                 Least Squares    F-statistic:
44.31
Date:                   Fri, 12 May 2023    Prob (F-statistic):
7.65e-06

```

```

Time:                                02:36:45   Log-Likelihood:
4.6765
No. Observations:                    16   AIC:
-7.353
Df Residuals:                        15   BIC:
-6.580
Df Model:                            1
Covariance Type:                    nonrobust
=====
              coef      std err          t      P>|t|      [0.025      0.975]
-----
Rk              0.0321      0.005      6.657      0.000      0.022      0.042
=====
Omnibus:                        0.646   Durbin-Watson:                0.102
Prob(Omnibus):                  0.724   Jarque-Bera (JB):                0.678
Skew:                          -0.320   Prob(JB):                        0.712
Kurtosis:                      2.220   Cond. No.                        1.00
=====

```

Notes:

- [1] R^2 is computed without centering (uncentered) since the model does not contain a constant.
- [2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Offensive Rebound Regression Results for 2021

OLS Regression Results

```

=====
=====
Dep. Variable:                    ORB   R-squared (uncentered):
0.263
Model:                          OLS   Adj. R-squared (uncentered):
0.214
Method:                         Least Squares   F-statistic:
5.361
Date:                          Fri, 12 May 2023   Prob (F-statistic):
0.0352
Time:                          02:36:45   Log-Likelihood:
-95.128
No. Observations:                16   AIC:
192.3
Df Residuals:                    15   BIC:
193.0
Df Model:                        1
Covariance Type:                nonrobust
=====

```

	coef	std err	t	P> t	[0.025	0.975]
Rk	5.7152	2.468	2.315	0.035	0.454	10.977
=====						
Omnibus:		1.713	Durbin-Watson:			0.088
Prob(Omnibus):		0.425	Jarque-Bera (JB):			1.383
Skew:		0.600	Prob(JB):			0.501
Kurtosis:		2.202	Cond. No.			1.00
=====						

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Field Goal Percentage Regression Results for 2021

OLS Regression Results

=====						
=====						
Dep. Variable:	FG%	R-squared (uncentered):				
0.736						
Model:	OLS	Adj. R-squared (uncentered):				
0.718						
Method:	Least Squares	F-statistic:				
41.75						
Date:	Fri, 12 May 2023	Prob (F-statistic):				
1.07e-05						
Time:	02:36:45	Log-Likelihood:				
0.75329						
No. Observations:	16	AIC:				
0.4934						
Df Residuals:	15	BIC:				
1.266						
Df Model:	1					
Covariance Type:	nonrobust					
=====						
	coef	std err	t	P> t	[0.025	0.975]

Rk	0.0398	0.006	6.461	0.000	0.027	0.053
=====						
Omnibus:		1.488	Durbin-Watson:			0.060
Prob(Omnibus):		0.475	Jarque-Bera (JB):			0.854
Skew:		-0.058	Prob(JB):			0.652
Kurtosis:		1.874	Cond. No.			1.00
=====						

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Turnover Results for 2021

OLS Regression Results

=====						
=====						
Dep. Variable:	TOV	R-squared (uncentered):				
0.282						
Model:	OLS	Adj. R-squared (uncentered):				
0.234						
Method:	Least Squares	F-statistic:				
5.891						
Date:	Fri, 12 May 2023	Prob (F-statistic):				
0.0283						
Time:	02:36:45	Log-Likelihood:				
-102.06						
No. Observations:	16	AIC:				
206.1						
Df Residuals:	15	BIC:				
206.9						
Df Model:	1					
Covariance Type:	nonrobust					
=====						
	coef	std err	t	P> t	[0.025	0.975]

Rk	9.2406	3.807	2.427	0.028	1.126	17.355
=====						
Omnibus:	1.769	Durbin-Watson:			0.069	
Prob(Omnibus):	0.413	Jarque-Bera (JB):			1.297	
Skew:	0.498	Prob(JB):			0.523	
Kurtosis:	2.024	Cond. No.			1.00	
=====						

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Total Points Results for 2021

OLS Regression Results

```

=====
=====
Dep. Variable:          PTS    R-squared (uncentered):
0.274
Model:                 OLS    Adj. R-squared (uncentered):
0.226
Method:                Least Squares    F-statistic:
5.673
Date:                  Fri, 12 May 2023    Prob (F-statistic):
0.0309
Time:                  02:36:45    Log-Likelihood:
-135.09
No. Observations:      16    AIC:
272.2
Df Residuals:          15    BIC:
273.0
Df Model:               1
Covariance Type:       nonrobust
=====
=====

```

	coef	std err	t	P> t	[0.025	0.975]
Rk	71.4672	30.005	2.382	0.031	7.513	135.421

```

=====
=====
Omnibus:                2.276    Durbin-Watson:                0.040
Prob(Omnibus):           0.320    Jarque-Bera (JB):          1.330
Skew:                    0.420    Prob(JB):                  0.514
Kurtosis:                1.864    Cond. No.                  1.00
=====
=====

```

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Personal Fouls Results for 2021

OLS Regression Results

```

=====
=====
Dep. Variable:          PF    R-squared (uncentered):
0.281
Model:                 OLS    Adj. R-squared (uncentered):
0.233
Method:                Least Squares    F-statistic:

```

```

5.852
Date:                Fri, 12 May 2023    Prob (F-statistic):
0.0287
Time:                02:36:45    Log-Likelihood:
-109.13
No. Observations:    16    AIC:
220.3
Df Residuals:        15    BIC:
221.0
Df Model:             1
Covariance Type:     nonrobust
=====
              coef      std err          t      P>|t|      [0.025      0.975]
-----
Rk           14.3255       5.922       2.419     0.029     1.703     26.948
=====
Omnibus:                2.853    Durbin-Watson:                0.050
Prob(Omnibus):           0.240    Jarque-Bera (JB):                1.475
Skew:                   0.432    Prob(JB):                0.478
Kurtosis:               1.789    Cond. No.                1.00
=====

```

Notes:

- [1] R^2 is computed without centering (uncentered) since the model does not contain a constant.
- [2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

```

/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16

```

```
warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
```

This yields a min p-value for 2021 of 7.65e-06 for the statistic: Three Point Percentage

1.2.9 Values of Regression: 2022 Playoffs

[20]: *#we should include all stats for each year in a cell, will be easier to look at, in determining the most meaningful statistic per year*

```
#Three point Percentage
print("3P% Regression Results for 2022")
x = data_2022_n["Rk"]
y = data_2022_n["3P%"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Offensive Rebound
print("Offensive Rebound Regression Results for 2022")
x = data_2022_n["Rk"]
y = data_2022_n["ORB"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Field Goal Percentage
print("Field Goal Percentage Regression Results for 2022")
x = data_2022_n["Rk"]
y = data_2022_n["FG%"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Turnovers
print("Turnover Results for 2022")
x = data_2022_n["Rk"]
y = data_2022_n["TOV"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")

#Points
print("Total Points Results for 2022")
x = data_2022_n["Rk"]
y = data_2022_n["PTS"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")
```

```
#Personal Fouls
print("Personal Fouls Results for 2022")
x = data_2022_n["Rk"]
y = data_2022_n["PF"]
r = s.OLS(y,x).fit()
print(r.summary())
print("\n\n")
```

3P% Regression Results for 2022

OLS Regression Results

```
=====
=====
Dep. Variable:          3P%    R-squared (uncentered):
0.733
Model:                  OLS    Adj. R-squared (uncentered):
0.716
Method:                  Least Squares    F-statistic:
41.24
Date:                    Fri, 12 May 2023    Prob (F-statistic):
1.15e-05
Time:                    02:37:57    Log-Likelihood:
4.1962
No. Observations:        16    AIC:
-6.392
Df Residuals:            15    BIC:
-5.620
Df Model:                 1
Covariance Type:         nonrobust
=====
=====
```

	coef	std err	t	P> t	[0.025	0.975]
Rk	0.0319	0.005	6.422	0.000	0.021	0.043

```
=====
=====
Omnibus:                4.201    Durbin-Watson:                0.081
Prob(Omnibus):           0.122    Jarque-Bera (JB):            1.459
Skew:                    -0.256    Prob(JB):                     0.482
Kurtosis:                1.612    Cond. No.                     1.00
=====
=====
```

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Offensive Rebound Regression Results for 2022

OLS Regression Results

=====						
=====						
Dep. Variable:	ORB	R-squared (uncentered):				
0.283						
Model:	OLS	Adj. R-squared (uncentered):				
0.235						
Method:	Least Squares	F-statistic:				
5.920						
Date:	Fri, 12 May 2023	Prob (F-statistic):				
0.0280						
Time:	02:37:57	Log-Likelihood:				
-97.139						
No. Observations:	16	AIC:				
196.3						
Df Residuals:	15	BIC:				
197.1						
Df Model:	1					
Covariance Type:	nonrobust					
=====						
	coef	std err	t	P> t	[0.025	0.975]

Rk	6.8102	2.799	2.433	0.028	0.844	12.776
=====						
Omnibus:	4.669	Durbin-Watson:				0.143
Prob(Omnibus):	0.097	Jarque-Bera (JB):				2.600
Skew:	0.970	Prob(JB):				0.273
Kurtosis:	3.371	Cond. No.				1.00
=====						

Notes:

- [1] R^2 is computed without centering (uncentered) since the model does not contain a constant.
- [2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Field Goal Percentage Regression Results for 2022

OLS Regression Results

=====						
=====						
Dep. Variable:	FG%	R-squared (uncentered):				
0.734						
Model:	OLS	Adj. R-squared (uncentered):				
0.716						

```

Method:                Least Squares    F-statistic:
41.39
Date:                  Fri, 12 May 2023    Prob (F-statistic):
1.13e-05
Time:                  02:37:57    Log-Likelihood:
0.49384
No. Observations:      16    AIC:
1.012
Df Residuals:          15    BIC:
1.785
Df Model:              1
Covariance Type:       nonrobust
=====
               coef      std err          t      P>|t|      [0.025      0.975]
-----
Rk              0.0403      0.006      6.433      0.000      0.027      0.054
=====
Omnibus:              1.687    Durbin-Watson:              0.052
Prob(Omnibus):         0.430    Jarque-Bera (JB):              0.929
Skew:                 -0.143    Prob(JB):              0.628
Kurtosis:              1.854    Cond. No.              1.00
=====

```

Notes:

- [1] R^2 is computed without centering (uncentered) since the model does not contain a constant.
- [2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Turnover Results for 2022

OLS Regression Results

```

=====
=====
Dep. Variable:          TOV    R-squared (uncentered):
0.286
Model:                  OLS    Adj. R-squared (uncentered):
0.238
Method:                 Least Squares    F-statistic:
5.995
Date:                   Fri, 12 May 2023    Prob (F-statistic):
0.0271
Time:                   02:37:57    Log-Likelihood:
-100.17
No. Observations:      16    AIC:
202.3
Df Residuals:          15    BIC:

```

203.1

Df Model: 1
Covariance Type: nonrobust

	coef	std err	t	P> t	[0.025	0.975]
Rk	8.2834	3.383	2.448	0.027	1.072	15.495
Omnibus:		1.987	Durbin-Watson:			0.074
Prob(Omnibus):		0.370	Jarque-Bera (JB):			1.516
Skew:		0.603	Prob(JB):			0.469
Kurtosis:		2.094	Cond. No.			1.00

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Total Points Results for 2022

OLS Regression Results

=====						
Dep. Variable:	PTS	R-squared (uncentered):				
0.273						
Model:	OLS	Adj. R-squared (uncentered):				
0.224						
Method:	Least Squares	F-statistic:				
5.628						
Date:	Fri, 12 May 2023	Prob (F-statistic):				
0.0315						
Time:	02:37:57	Log-Likelihood:				
-135.66						
No. Observations:	16	AIC:				
273.3						
Df Residuals:	15	BIC:				
274.1						
Df Model:	1					
Covariance Type:	nonrobust					
=====						
	coef	std err	t	P> t	[0.025	0.975]

Rk	73.7493	31.088	2.372	0.031	7.486	140.013
=====						
Omnibus:	2.148	Durbin-Watson:			0.047	

Prob(Omnibus):	0.342	Jarque-Bera (JB):	1.411
Skew:	0.497	Prob(JB):	0.494
Kurtosis:	1.937	Cond. No.	1.00

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Personal Fouls Results for 2022

OLS Regression Results

Dep. Variable:	PF	R-squared (uncentered):	
0.305			
Model:	OLS	Adj. R-squared (uncentered):	
0.258			
Method:	Least Squares	F-statistic:	
6.571			
Date:	Fri, 12 May 2023	Prob (F-statistic):	
0.0216			
Time:	02:37:58	Log-Likelihood:	
-108.04			
No. Observations:	16	AIC:	
218.1			
Df Residuals:	15	BIC:	
218.8			
Df Model:	1		
Covariance Type:	nonrobust		

	coef	std err	t	P> t	[0.025	0.975]
Rk	14.1798	5.531	2.563	0.022	2.390	25.970
Omnibus:	3.028		Durbin-Watson:		0.052	
Prob(Omnibus):	0.220		Jarque-Bera (JB):		1.471	
Skew:	0.407		Prob(JB):		0.479	
Kurtosis:	1.758		Cond. No.		1.00	

Notes:

[1] R^2 is computed without centering (uncentered) since the model does not contain a constant.

[2] Standard Errors assume that the covariance matrix of the errors is correctly specified.

specified.

```
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
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UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
/opt/conda/lib/python3.10/site-packages/scipy/stats/_stats_py.py:1736:
UserWarning: kurtosistest only valid for n>=20 ... continuing anyway, n=16
  warnings.warn("kurtosistest only valid for n>=20 ... continuing ")
```

This yields a min p-value for 2022 of 1.13e-05 for the statistic: Field Goal Percentage

but, has a close second of another min p-value for 2022 of 1.15e-05 for the statistic: Three Point Percentage

Q: What do you notice? Make clear observations about the data.

A: The 2022 year has two statistics with very close p-values that are the minimum for 2022. The

Q: What statistic seems to be the most valuable?

A: According to the data, Field Goal Percentage seems to be the most valuable statistic in what

1.3 Part 3: Application to Current Season

Now, let's choose the statistic and apply them to the new data set for the current season.

Create a graph based on this statistic for the teams in the playoffs for 2023.

```
[19]: data_2023 = pd.read_csv("2023_Playoff_Stats.csv")
```

```
#drop all NaN rows to avoid errors
year = 2023

for i in range(15, 31, 1):
    data_2023 = data_2023.drop(i)
```

```

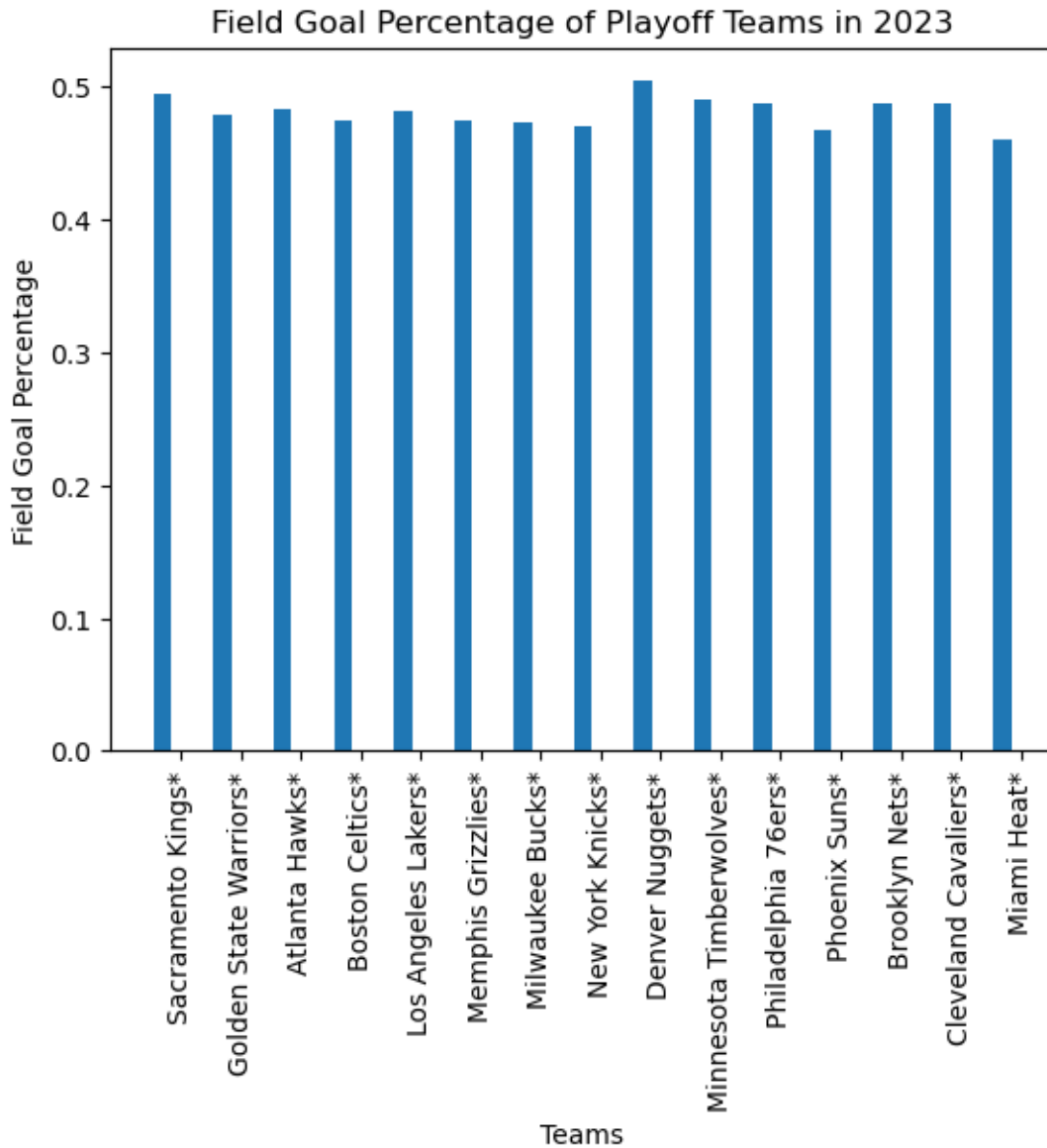
#gathering all relevant data columns for the playoff year
teams = data_2023["Team"]
field_goal_pct_new = data_2023["FG%"]

# Set the width of the bars
bar_width = 0.3
# Set the positions of the bars on the x-axis
bar_positions = range(len(teams))
#FG plots //////////////////////////////////////
↪//
# Plot the bars
plt.bar(bar_positions, field_goal_pct_new, width=bar_width, label=str(year))

# Add labels, title, and legend
plt.xlabel("Teams")
plt.ylabel("Field Goal Percentage")
plt.title("Field Goal Percentage of Playoff Teams in 2023")
plt.xticks([r + bar_width for r in range(len(teams))], teams, rotation=90)

# Display the graph
plt.show()

```



Q: Which team based on this statistic is most likely to win the NBA Championship in 2023?

A: The Denver Nuggets

Q: How well did this team do in the 2023 playoffs? (At the time of submission: Q: Are they still in contention for the 2023 NBA Championship?)

A: They are currently still in the playoffs and winning their current series of games at this t