

# The place of the Local Group in the cosmic web

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**Abstract.** We use the Bolshoi Simulation to find the most probable location of the Local Group (LG) in the cosmic web. Our LG simulacra are pairs of halos with isolation and kinematic properties consistent with observations. The cosmic web is defined using a tidal tensor approach. We find that the LG's preferred location is regions with a DM overdensity close to the cosmic average, which makes filaments and sheets the preferred environment. We find that there is a strong alignment between the LG and the cosmic web. The orbital angular momentum is preferentially perpendicular to the smallest tidal eigenvector. The vector connecting the two halos is strongly aligned along the the smallest tidal eigenvector and perpendicular to the largest tidal eigenvector; the pair lies and moves along filaments and sheets. We do not find any evidence for an alignment between the spin of each halo in the pair and the cosmic web.

**Keywords.** cosmology: large-scale structure of universe; cosmology:dark matter; cosmology: simulations; Galaxy: formation

## 1. Introduction

The kinematic configuration of the Local Group (LG) is not common in the cosmological context provided by the  $\Lambda$  Cold Dark Matter (CDM) model.

The LG is dominated by the presence of two spiral galaxies, the Milky Way (MW) and M31. It is relatively isolated of other massive structures; the next most luminous galaxy is 10 times less massive than M31, with several dwarf galaxies around a sphere of  $\sim 3$  Mpc and the closest massive galaxy cluster, the Virgo Cluster, is 16.5 Mpc away. The velocity vector of M31 has a low tangential component and is consistent with a head-on collision toward the MW, and the velocity dispersion of nearby galaxies up to  $\sim 8$  Mpc is low.

These features make LG analogues uncommon in numerical simulations. Only about of 2% of MW-sized halos reside in a pair similar to the MW-M31 in a similar environment. Additionally, the strong alignments of dwarf satellites of the MW and M31 in the form of polar and planar structures calls asks for a detailed explanation of the large scale structure environment that can breed such halos.

Here we present results of the study of the large scale environment of LG analogues in the context of  $\Lambda$ CDM. We use a cosmological N-body simulation (Bolshoi) to infer the

most probable place of the LG in the cosmic web and its possible alignments. A detailed description of these results can be found in Forero-Romero & González (2014).

## 2. Finding the cosmic web in numerical simulations

We use a web finding algorithm based on the tidal tensor computed from the gravitational potential field computed over a grid. We define the tensor as:

$$T_{ij} = \frac{\partial^2 \phi}{\partial r_i \partial r_j}, \quad (2.1)$$

where the index  $i = 1, 2, 3$  refers to the three spatial directions in euclidian space and  $\phi$  is a normalized gravitational potential that satisfies the following Poisson equation  $\nabla^2 \phi = \delta$ , where  $\delta$  is the matter overdensity.

The algorithm finds the eigenvalues of this tensor,  $\lambda_1 > \lambda_2 > \lambda_3$ , and use them to classify each cell in the grid as a peak, filament, sheet or void if three, two, one or none of the eigenvectors is larger than a given threshold  $\lambda_{th}$ . Each eigenvalue has associated to it an eigenvector ( $e_1, e_2, e_3$ ) which are the natural basis to define local directions in the web. Details describing the algorithm can be found in Forero-Romero et al. (2009).

We use the Bolshoi simulation of  $\Lambda$ CDM cosmology:  $\Omega_m = 1 - \Omega_\Lambda = 0.27$ ,  $H_0 = 70 \text{ km/s/Mpc}$ ,  $\sigma_8 = 0.82$ ,  $n_s = 0.95$  (Klypin et al. (2011)), compatible with the constraints from the WMAP satellite. The simulation followed the evolution of dark matter in a  $250h^{-1}\text{Mpc}$  box with spatial resolution of  $\approx 1h^{-1} \text{ kpc}$  and mass resolution of  $m_p = 1.35 \times 10^8 M_\odot$ . Halos are identified with the Bound Density Maxima (BDM) algorithm (Klypin & Holtzman (1997)). The data for the halos and the cosmic web are available through a database located at <http://www.cosmosim.org/>. A detailed description of the database structure was presented by Riebe et al. (2013).

The data of the BDM halos and the Tweb is publicly available through a database located at

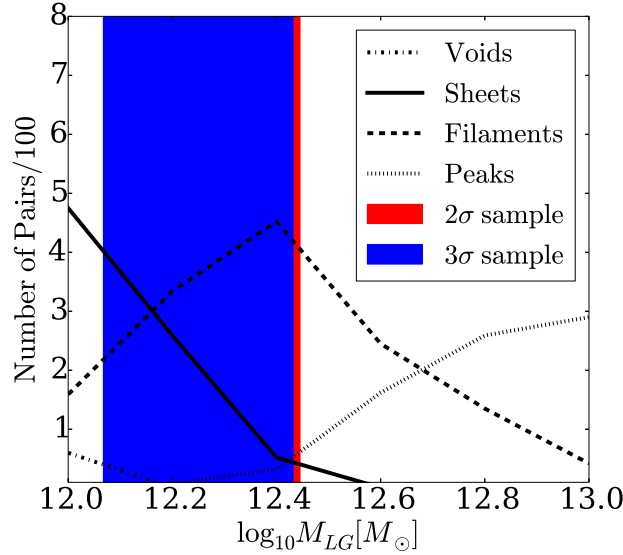
The BDM algorithm is a spherical overdensity halo finding algorithm and is designed to identify both host halos and subhalos.

## 3. Local Groups in cosmological simulations

We construct a sample of MW-M31 pairs at  $z \sim 0$  by using multiple snapshots from the simulation asking for consistency with the following criteria:

- Relative distance. The distance between the center of mass of each halo in the pairs cannot be larger than 1.3 Mpc.
- Individual halo mass. Each halo has a mass in the mass range  $5 \times 10^{11} < M_{200c} < 5 \times 10^{13} M_\odot$ .
- Isolation. No neighboring halos more massive than either pair member can be found within 5Mpc.
- Isolation from Virgo-like halos. No dark matter halos with mass  $M_{200c} > 1.5 \times 10^{14} M_\odot$  within 12Mpc.

With these selection criteria we select close to  $6 \times 10^3$  to build a General Sample (GS). From the GS we select two sub-samples according to the tolerance in kinematic constraints. These sub-samples are named  $2\sigma$  and  $3\sigma$ , they correspond to a tolerance of two and three times the observational errors in the radial velocity, tangential velocity and separation. The number of pairs in each sample is 46 and 120.



**Figure 1.** Number of pairs in a preferred environment as a function of the LG total mass. The lines show the results for the General Sample, the vertical bands show the mass interval spanned by the  $2\sigma$  and  $3\sigma$  samples. The preferred environments are filaments and sheets.

#### 4. The place of the Local Group in the Cosmic Web

We find that the pairs in the general sample are located across different environments with a strong trend on the total pair mass. The correlation of halo mass and their environment is a well known result Lee & Shandarin(1998).

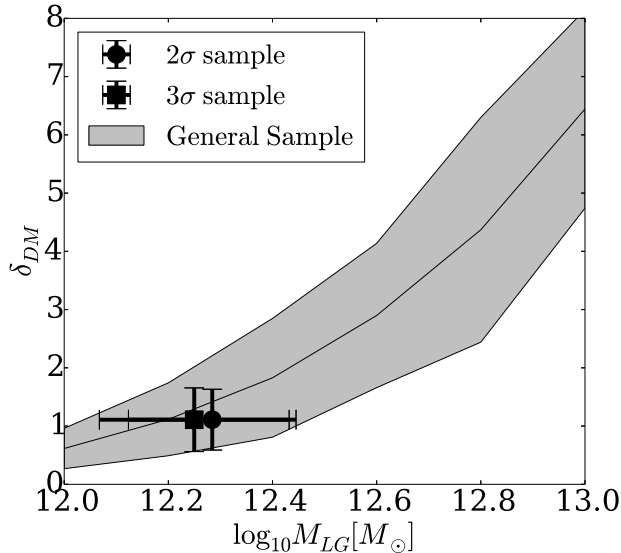
Figure 1 summarizes this correlation between environment and total pair mass. Each line represents the mass distribution of pairs in the four different environments. High mass pairs are mostly located in peaks and filaments while less massive ones in voids and sheets. The shaded regions represent the 68% confidence intervals of the mass distributions of  $2\sigma$  and  $3\sigma$  samples. By and large the LGs in the  $2\sigma$  and  $3\sigma$  samples are located in filaments and sheets. In both samples,  $\sim 50\%$  of the pairs can be found in filaments while  $\sim 40\%$  are in sheets.

We can also characterize the preferred place of the pair samples in terms of the web overdensity. Figure 2 shows the dependency of these three characteristics on the total pair mass for the different samples. The GS and its uncertainties are represented by the shaded region. The symbols represent the results for the  $2\sigma$  and  $3\sigma$  samples. We see that the range of values for the  $2\sigma$  and  $3\sigma$  samples are completely expected from the mass constraint alone. Higher mass pairs are located in high density regions. The  $2\sigma$  and  $3\sigma$  samples have narrower mass range and are located within a narrower range of overdensities  $0.0 < \delta < 2.0$  peaking at  $\delta \sim 1$ .

#### 5. Alignments with the cosmic web

There is wide evidence showing that DM halo formation properties only depend on environment through the local DM density. Whether they are located in sheet or a filament is irrelevant as long as the local density is the same.

However there is long history of alignment measurement (shape, spin, peculiar veloci-



**Figure 2.** Dark matter overdensity as a function of the LG total mass. The shaded region show the results for the General Sample. There is a strong correlation where more massive pairs sit in denser regions. The symbols represent the  $2\sigma$  and  $3\sigma$  samples. The preferred overdensity is in the interval  $0 < \delta < 2$ .

ties) of individual halos with the cosmic web. In a recent paper Forero-Romero et al. (2014) presented a study using the same simulation and cosmic web definition we use here. They also presented a comprehensive review of all the previous results from simulations that also inspected the alignment of halo shape and spin. We refer the reader to the paper for a complete list of references.

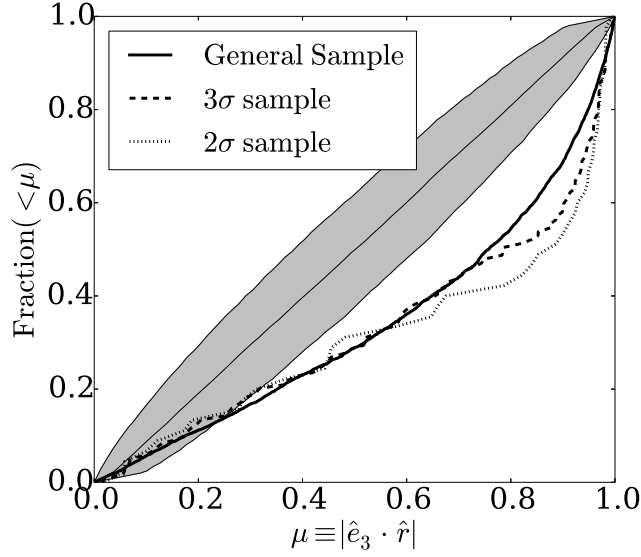
The main results from these studies is that shape presents the strongest alignment signal. In this case the DM halo major axis lies along the smallest eigenvector  $e_3$ , regardless of the web environmet. This alignments is stronger for higher halo masses. Concerning spin alignment the simulations show a weak antialignment with respect to  $e_3$  for halo masses larger that  $10^{12}M_\odot$ , and no alignment signal for masses below that threshold. The peculiar velocities show a strong alingment signal along  $e_3$  for all masses.

In our case we test for the alignment of the vector connecting the two halos ( $\hat{r}$ ), the orbital angular momentum of the pair ( $\hat{n}$ ) and the spin of each halo. We quantify the alignment using the absolute value of the cosine of the angle between two vectors  $\mu = |\hat{e}_i \cdot \hat{n}|$  or  $\mu = |\hat{e}_i \cdot \hat{r}|$ , where  $i = 1, 2, 3$ .

The results for the first two alignments are summarized in the Figure 3 and 4. We find that the vector  $\hat{r}$  is strongly aligned with  $\hat{e}_3$ , along filaments and sheets. This trend is already present in the GS and gets stronger for the  $2\sigma$  and  $3\sigma$  samples. Concerning the vector  $\hat{n}$  we have a strong anti-correlation with  $\hat{e}_3$ , again this tendency is stronger for the  $2\sigma$  and  $3\sigma$  samples.

## 6. Conclusions

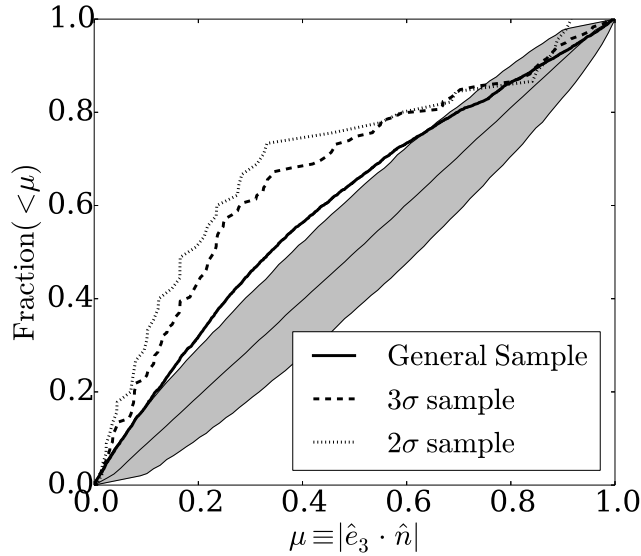
Here, we hava presented results on the expected place of the Local Group in the cosmic web. Our results are based on cosmological N-body simulations and the tidal web



**Figure 3.** Cumulative distribution for  $\mu = |\hat{e}_3 \cdot \hat{r}|$  showing the alignment of the vector joining the two halos in the LG with the smallest tidal eigenvector. The shaded regions represents the expected result from a distribution of vectors randomly placed in space and the corresponding 5% and 75% percentiles for distributions with the same number of points as the  $2\sigma$  sample.

method to define the cosmic web. We constructed different Local Groups samples from dark matter halo pairs that fulfill observational kinematic constraints.

We found a tight correlation of the LG pairs' total mass with the local overdensity.



**Figure 4.** Same as Figure 3 for the vector  $\hat{n}$  that indicates the direction of the orbital angular momentum of the pair.

For the LG pairs closer to the observational constraints their total mass is in the range  $1 \times 10^{12} M_{\odot} < M_{LG} < 4 \times 10^{12} M_{\odot}$  preferred overdensity value is constrained to be in the range  $0 < \delta < 2$ .

We also found a strong alignments of the pairs with the cosmic web. The strongest alignments is present for the vector joining the two LG halos. This vector is aligned with the lowest eigenvector and anti-aligned with the highest eigenvector. This trend is already present in wide sample of pairs and becomes stronger as the kinematic constraints are closer to their observed values.

Theres results raise the need to observationally constraint the alignments of LG pairs with their cosmic web environment. There many algorithms to reconstruct the DM distribution from large galaxy surveys to tackle this task. This would allow a direct quantification of how common are the LG alignments we reported, providing a potential new test of  $\Lambda$ CDM.

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