

1. It is easy to solve the knapsack problem if ...

All items have the same size (variable profits)

For all the items, profit/benefit =1

All items have the same profit/benefit ratio

All of the above

2. The Improved algorithm for Knapsack was shown to provide 2-approx. Is this a tight analysis?

NO

YES

3. Assuming $P \neq NP$, the vertex k-center problem may have a PTAS

False

True

4. Assuming $P \neq NP$, the metric TSP problem may have a PTAS

False

True

5. If an NP-hard problem can be solved optimally in pseudo-polynomial time then...

it is weakly NP-hard

it is solvable in time polynomial in the input's unary size.

it may have a fully polynomial time approximation scheme

All of the above

6. Wrong question.

7. In Bin-Packing, if items can split between two bins, then the following is sufficient:

be able to split $\lfloor \sum s_i \rfloor$ arbitrary items.

be able to split $\text{ceil}(\sum s_i)$ arbitrary items.

be able to split the $\text{floor}(\sum s_i)$ largest items.

be able to split the $\text{ceil}(\sum s_i)$ largest items.

8. The knapsack FPTAS is run on 20 items, max profit = 100 and $\epsilon = 1/5$. All profits are integers

If OPT = 1000, the alg. may return value 850

If OPT = 1000, the alg. may return value 750

An optimal solution is returned

If OPT = 1000, the alg. may return value 500

9. In the knapsack DP (variant 1), $M[i, x] \geq M[i-1, x-w_i] + b_i$ because...

It is always possible not to pack the i -th item

the first $i-1$ items have total profit $x-w_i$

if the i -th item is IN, all the first $i-1$ items are also IN

if the i -th item is packed, it adds b_i to the profit

10. If $\sum_j a_j$ is very large, then when running Harmonic- k Hide answers

It is reasonable to select high k

the choice of k is not significant

It is reasonable to select low k

every bin will be full to capacity at least $(k-1)/k$ - full