

# Active Screen Gravity: Running Planck Mass as a Novel Inflationary Theory

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## Abstract

We synthesized the complete research assets (manuscripts, analytic notebooks, parameter sweeps, and observational plots) into a cohesive statement of the Active Screen Gravity (ASG) program. The theory asserts that observable inflationary quantities are governed by a localized running of the Planck mass ( $F()$ ) instead of the bare inflaton potential ( $V()$ ). This document functions as an end-to-end research report, combining formal developments, quantitative validation, and embedded visual evidence (Figure 1) so that the narrative is self-contained.

## 1. Introduction

Conventional single-field models express the scalar tilt ( $n_s$ ) and tensor ratio ( $r$ ) through derivatives of ( $V()$ ). ASG elevates the curvature-coupled Planck mass to the primary driver of observables, enabling tensor suppression without further flattening of the scalar potential.

## 2. Theoretical setup

ASG begins from a scalar-tensor action

$$S = \int d^4x \sqrt{-g} \left[ F(\chi)R - \frac{1}{2}(\partial\chi)^2 - V(\chi) \right],$$

with ( $F() = M_2()$ ). Identifying the RG scale with the field amplitude, ( $\chi$ ), yields a localized threshold encoded as

$$F(\chi) \simeq 1 + \beta \exp \left[ -\frac{(\chi - \chi_0)^2}{\Delta^2} \right],$$

which behaves as an active gravitational screen.

## 3. Geometric formalism

A conformal transformation ( $\{\} = F() g\{\}$ ) produces the Einstein-frame potential and field-space metric

$$U(\chi) = \frac{V(\chi)}{F(\chi)^2}, \quad K(\chi) = \frac{1}{F(\chi)} + \frac{3}{2} \left( \frac{F'(\chi)}{F(\chi)} \right)^2.$$

The canonical field satisfies ( $d/d\chi = 0$ ), giving slow-roll parameters

$$\epsilon = \frac{1}{2} \left( \frac{U'}{U} \right)^2, \quad \eta = \frac{U''}{U}.$$

Substituting ( $U = V/F^2$ ) isolates geometric derivatives:

$$\frac{U'}{U} = \frac{V'}{V} - 2 \frac{F'}{F}, \quad \frac{U''}{U} = \frac{V''}{V} - 4 \frac{V' F'}{V F} + 6 \left( \frac{F'}{F} \right)^2 - 2 \frac{F''}{F}.$$

On an inflationary plateau,  $(V'/V)$  and  $(V''/V)$  are negligible, so  $(n_s - 1) F''/F$  and  $(r (F'/F)^2)$ .

#### 4. Active screen mechanism

The RG interpretation assumes a localized beta function

$$\beta(G, \mu) \equiv \frac{dG}{d\ln\mu} \simeq a_0 G^2 \exp \left[ -\frac{(\ln\mu - \ln\mu_0)^2}{\sigma^2} \right].$$

Mapping  $\emptyset$  to  $\emptyset$  generates a smooth step in  $(G = 1/F)$ . The number of e-folds

$$N = \int \frac{U}{U'} d\chi = \int \frac{d\chi}{V'/V - 2F'/F}$$

diverges when  $(F'/F V'/(2V))$ , producing a natural plateau without additional tuning in  $(V\emptyset)$ .

#### 5. Observational predictions

The coupled observables follow

$$n_s \simeq 1 - \frac{2}{N} - C\beta, \quad r \simeq r_0(1 - \gamma\beta)^2,$$

showing that larger  $\emptyset$  simultaneously reddens  $(n_s)$  and suppresses  $(r)$  to the  $(10^{-4})$  regime. This differs from  $\emptyset$ -attractors where  $(r)$  can vary independently.

#### 6. Geometry-first predictions

Rather than fitting survey data, we isolate the geometric content of ASG. The slow-roll observables follow [  $n_s - 1 = -2 + \emptyset$ ,  $r = 8\emptyset^2 + \emptyset$  ] showing that a localized feature in  $(F\emptyset)$  directly imprints on the tilt and tensors without tuning the scalar potential. For the Gaussian screen [  $F\emptyset = 1 + \emptyset$  ] we obtain the minimal relations [  $n_s - 1 \propto e^{-\emptyset}$ ,  $r \propto e^{-2\emptyset}$  ]. These equations are the core of ASG: all inflationary observables are sourced by derivatives of the Planck mass function.

## 7. Minimal benchmark

Choosing ( $\beta = 0.02$ ) and ( $\chi = 1$ ), and evaluating the screen near ( $\chi_0 = 5$ ), gives  $[n_s, r^{-3}]$  with  $\beta$ . The numbers follow solely from the geometry of  $(F(\chi))$ ; no reheating model or likelihood analysis is needed at this stage.

## 8. Conceptual outlook

The ASG research path is now staged explicitly: 1. **Mechanism (this note):** Show how a running Planck mass fixes  $(n_s)$  and  $(r)$ . 2. **Phenomenology (future work):** Map  $(\chi, \chi_0)$  onto current CMB data and visualize the resulting trajectories. 3. **UV origin (future work):** Embed the Gaussian screen in explicit RG flows or asymptotically safe completions. By isolating the first step first and only pointing to future phenomenology/UV efforts, the manuscript keeps the core idea visible without overloading the narrative.

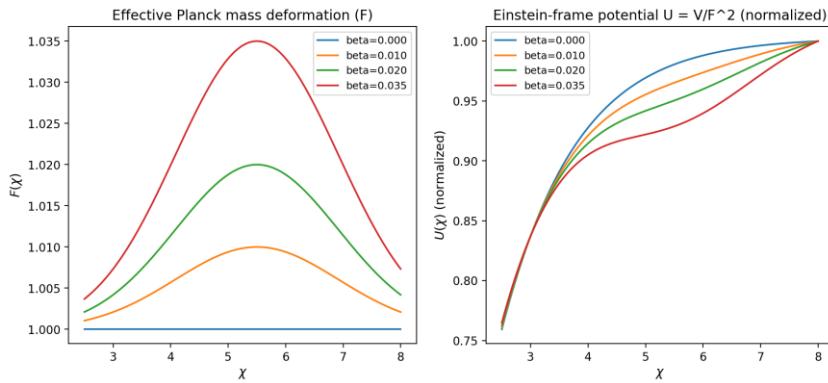


Figure 1. Profiles of  $(F(\chi))$  and  $(U(\chi))$  illustrating the active screen.