

## Active Screen Gravity — Unified Scalar-Tensor RG Model

### 1. Motivation

We propose a scalar-tensor formulation of gravity where the effective Planck mass is a dynamical field.

The theory interprets gravitational running as an effective macroscopic manifestation of renormalization group flow.

This provides a unified description of inflation, late-time acceleration, and strong-curvature phenomena.

### 2. Action

The theory is defined by the covariant action:

$$S = \int d^4x \sqrt{-g} \left[ \frac{1}{2} F(\chi) R - \frac{1}{2} (\nabla\chi)^2 - V(\chi) \right]$$

where  $F(\chi)$  acts as a dynamical Planck mass:

$$M_{\text{Pl}}^2(\chi) = F(\chi)$$

### 3. RG Interpretation

We interpret the scalar field  $\chi$  as encoding running of gravitational coupling:

$$G_{\text{eff}}(\chi) = 1/(8\pi F(\chi))$$

Inspired by RG flow:

$$dG/d \ln \mu = a G^2$$

This implies logarithmic running of the effective Planck scale.

### 4. Cosmological Dynamics

In FLRW spacetime the field equations produce inflation for large curvature and dark energy behaviour at low curvature without introducing separate fields.

Inflation arises near a quasi-inflection region of the Einstein-frame potential.

### 5. Perturbations

Scalar perturbations are obtained from the Mukhanov–Sasaki equation:

$$v'' + (k^2 - z''/z) v = 0$$

$$z = a \dot{\varphi}/H$$

This generates the primordial power spectrum  $P_s(k)$ .

### 6. Physical Interpretation

The theory represents an effective macroscopic description of vacuum polarization effects that dynamically modify gravitational strength across energy scales.

## 7. Predictions

- Inflationary spectral tilt
- Tensor-to-scalar ratio
- Late-time equation of state evolution
- Possible near-horizon modifications