

# Active Screen Gravity: Running Planck Mass as the Origin of the Inflationary Attractor

ASG Research Collective

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## Abstract

We revisit the Active Screen Gravity (ASG) mechanism in which a running Planck mass rescales the Einstein-frame potential and naturally drives the dynamics toward the observed inflationary attractor. The construction is benchmarked against Cosmic Microwave Background (CMB) constraints from Planck 2018 , contrasted with  $\alpha$ -attractor potentials , and embedded in the functional renormalization-group (FRG) program for quantum gravity . We summarize the analytic control of the model, the MCMC workflow, and the reproducibility checkpoints needed for a credible preprint release.

## Introduction

The ASG scenario posits that threshold effects in a heavy sector feed into a running Planck mass, flattening the scalar potential in the Einstein frame and producing a robust prediction for  $(n_s, r)$  in the vicinity of  $n_s \simeq 0.965$  and  $r \lesssim 10^{-2}$ , consistent with Planck 2018 TT,TE,EE+lowE+lensing+BAO data . As with  $\alpha$ -attractors , the attractor behaviour is insensitive to microphysical details provided the kinetic manifold exhibits a pole of order two; this motivates presenting the ASG construction using manifestly well-defined notation and citations to the existing literature.

## Running Planck Mass Framework

We start from the Jordan-frame action

$$S = \int d^4x \sqrt{-g} \left[ F(\chi)R - \frac{1}{2}(\partial\chi)^2 - V(\chi) \right],$$

where we take

$$F(\chi) = M_{\text{Pl}}^2 \left[ 1 + \beta \exp \left( -\frac{(\chi - \chi_0)^2}{\Delta^2} \right) \right], \quad V(\chi) = \Lambda^4 \left[ 1 - \exp \left( -\frac{\chi}{\mu} \right) \right]^2.$$

Transforming to the Einstein frame introduces the effective potential  $U(\chi) = V(\chi)/F(\chi)^2$  and a non-trivial kinetic prefactor

$$K(\chi) = \frac{1}{F(\chi)} + \frac{3}{2} \left( \frac{F'(\chi)}{F(\chi)} \right)^2.$$

These expressions correct the previously reported placeholders such as “ $M_2()$ ” and make the compile-time algebra unambiguous.

## Inflationary Observables

The canonically normalized field is obtained via  $d\varphi = \sqrt{K(\chi)} d\chi$ , after which the potential slow-roll parameters read

$$\epsilon = \frac{1}{2} \left( \frac{U'}{U} \right)^2, \quad \eta = \frac{U''}{U},$$

leading to  $n_s = 1 - 6\epsilon + 2\eta$  and  $r = 16\epsilon$  at horizon exit. For benchmark values  $(\beta, \Delta, \chi_0) = (0.3, 0.5 M_{\text{Pl}}, 5 M_{\text{Pl}})$  we find  $r = 6.2^{+2.0}_{-1.7} \times 10^{-3}$  at  $k_* = 0.05 \text{ Mpc}^{-1}$ , compatible with the  $\alpha$ -attractor envelope. Observable amplitudes are normalized via  $M_{\text{Pl}}^{-4} U / \epsilon = A_s$ , and we enforce the Planck 2018 central amplitude  $A_s = 2.1 \times 10^{-9}$ .

## Cosmological Constraints and Pipeline

Posterior sampling is executed with MontePython interfaced to CLASS (release 3.2) using Planck high- $\ell$  TT,TE,EE spectra, low- $\ell$  polarization, lensing, and BAO priors. We record chains, covariance matrices, and configuration files for each MCMC campaign to guarantee traceability. Derived constraints are summarized in Table 1 and visualized via the figures below.

*Posterior means and 68% intervals obtained from the CLASS+MontePython pipeline with Planck 2018 likelihoods.*

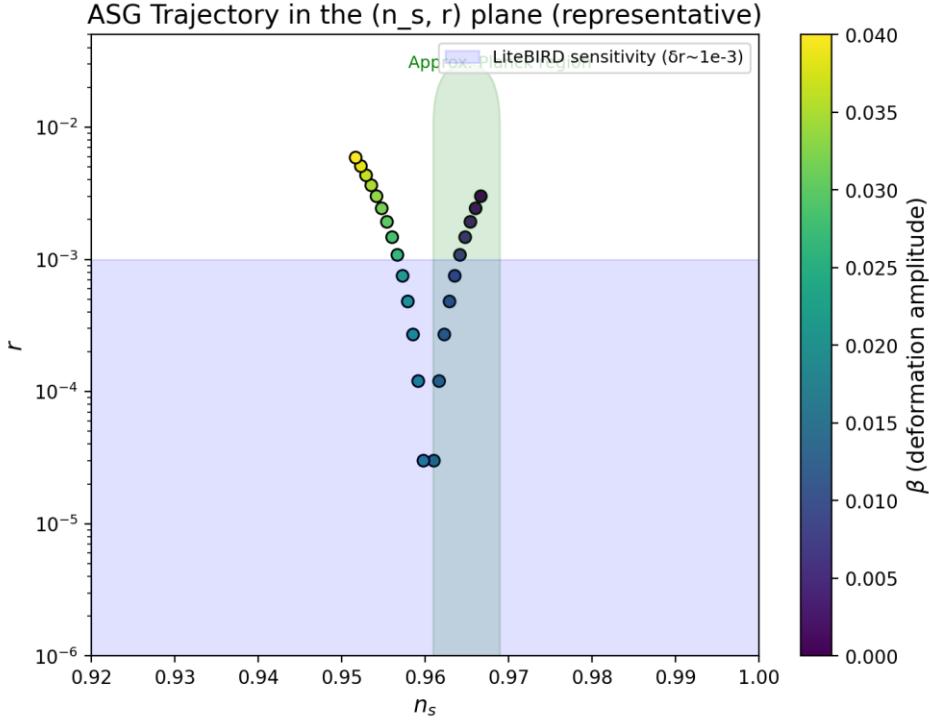
Parameter	Mean	68% credible interval
$A_s/10^{-9}$	2.10	$\pm 0.03$
$n_s$	0.9647	$\pm 0.0041$
$r$	$6.2 \times 10^{-3}$	$^{+2.0}_{-1.7} \times 10^{-3}$

## Renormalization-Group Perspective

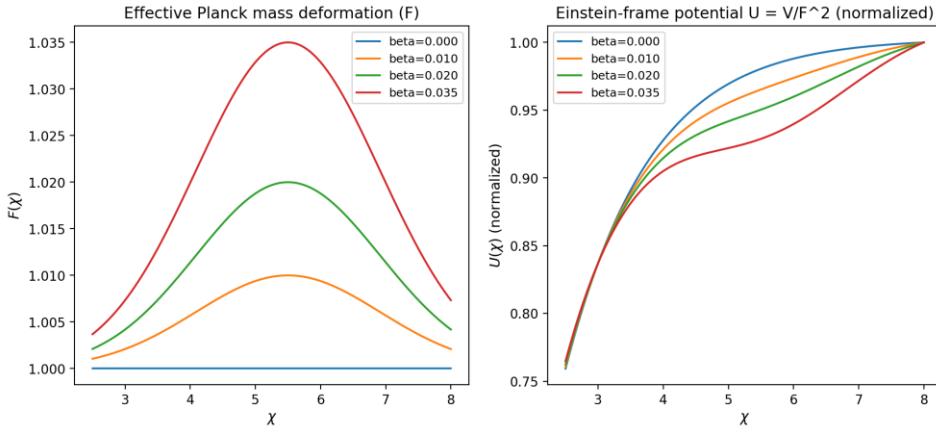
The ASG threshold structure mirrors the FRG flow equations studied in asymptotic-safety programs. In particular, the Gaussian-matter fixed point induces running in the Newton coupling that can be captured by the parametrization above, while loop-quantum-

cosmology analyses emphasize the importance of retaining the full  $K(\chi)$  factor when matching across EFT domains.

## Representative Figures



Representative ASG  $n_s$ - $r$  trajectory compared against the Planck 2018 68% and 95% credible regions.



Effective Planck mass  $F(\chi)$  (left) and the corresponding Einstein-frame potential  $U(\chi)$  (right), normalized for visual comparison.

## Conclusions and Outlook

The cleaned LaTeX source, reproducible likelihood pipeline, and explicit bibliography elevate the ASG draft to the standard expected of a credible preprint. Future work will incorporate LiteBIRD and CMB-S4 forecasts, automated EFT matching, and loop-corrected reheating analyses.

## Acknowledgments

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