

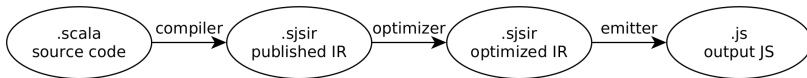
# Foundations of Software Fall 2022

Week 14

Sébastien Doeraene

# Elements of the Scala.js IR type system

# Scala.js compilation pipeline



# Why formally study an IR

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- ▶ Optimizations may only be applicable if the type system is sound
- ▶ Prove that certain optimizations are correct
- ▶ Prove that the translation from source and to the target language are correct
- ▶ etc.

# Mixing primitives and objects

## Motivation

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Moreover, in Scala, primitive types are “object-like”. We can use them in arbitrary type parameters, and they should behave like objects.

On the JVM, this is implemented with *boxing*. In Scala.js, however, boxing would be detrimental to *interoperability* with JavaScript. How do we make primitives object-like without boxing?



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Idea: make primitive types *subtypes* of their “representative classes”.

# Types and subtyping

$T ::=$

$C$

$\text{int}$

$\text{bool}$

*types*

*class*

*primitive int*

*primitive bool*

$$\frac{CT(C) = \text{class } C \text{ extends } D \{ \dots \}}{C <: D}$$

$T <: T$

$$\frac{S <: W \quad W <: T}{S <: T}$$

$\text{int} <: \text{Integer}$

$\text{bool} <: \text{Boolean}$

## Representative classes

$$tpcls(C) = C$$

$$tpcls(int) = Integer$$

$$tpcls(bool) = Boolean$$

$$T <: tpcls(T)$$

# Syntax (terms)

`t ::=`

`x`

`t.f`

`t.m( $\bar{t}$ )`

`new C( $\bar{t}$ )`

`(T) t`

`false`

`true`

`if t then t else t`

`0`

`succ t`

`pred t`

`iszero t`

*terms*

*variable*

*field access*

*method invocation*

*object creation*

*cast*

# Syntax (values)

`v ::=`

`new C( $\bar{v}$ )`

`nv`

`bv`

*values*

*object creation*

*numeric value*

*boolean value*

`nv ::=`

`0`

`succ nv`

*numeric values*

*zero*

*non-zero*

`bv ::=`

`false`

`true`

*boolean values*

*false*

*true*

## Typing rules: method calls

Adapting from Featherweight Java:

$$\frac{\begin{array}{l} \Gamma \vdash t_0 : C_0 \\ mtype(m, C_0) = \bar{S} \rightarrow T \\ \Gamma \vdash \bar{t} : \bar{S}_1 \quad \bar{S}_1 <: \bar{S} \end{array}}{\Gamma \vdash t_0.m(\bar{t}) : T} \quad (T\text{-INVK})$$

What if  $t_0$  is a primitive?

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$$\frac{\begin{array}{l} \Gamma \vdash t_0 : T_0 \\ \text{mtype}(\text{m}, \text{tpcls}(T_0)) = \bar{S} \rightarrow T \\ \Gamma \vdash \bar{t} : \bar{S}_1 \quad \bar{S}_1 <: \bar{S} \end{array}}{\Gamma \vdash t_0.\text{m}(\bar{t}) : T} \quad (\text{T-INVK})$$

If  $\Gamma \vdash x : \text{int}$ , the call  $x.\text{m}(\dots)$  is typed by looking up  $\text{m}$  in `Integer`.

## Example

```
class Boolean extends Object { Boolean() { super(); } }
class Integer extends Object {
  Integer() { super(); }
  int plus(int that) {
    return if (iszero that) then ((int) this)
           else (succ this.plus(pred that)); }
}
class Pair extends Object {
  Object fst;
  Object snd;
  Pair(Object fst, Object snd) {
    super(); this.fst=fst; this.snd=snd; }
  int sum() {
    return ((int) this.fst).plus((int) this.snd); }
}

new Pair(5, 11).sum()
```



## Typing rules: fields

Adapting from Featherweight Java:

$$\frac{\Gamma \vdash t_0 : C_0 \quad \text{fields}(C_0) = \bar{T} \ \bar{f}}{\Gamma \vdash t_0.f_i : T_i} \quad (\text{T-FIELD})$$

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We can't have that!

Add additional well-formedness conditions for representative classes:

$$\frac{\text{fields}(\text{Integer}) = \emptyset \quad \text{fields}(\text{Boolean}) = \emptyset}{\text{repr classes OK}}$$

## Typing rules: casts

Straightforward generalization to all types.

$$\frac{\Gamma \vdash t_0 : S \quad S <: T}{\Gamma \vdash (T)t_0 : T} \quad (\text{T-UCAST})$$

$$\frac{\Gamma \vdash t_0 : S \quad T <: S \quad T \neq S}{\Gamma \vdash (T)t_0 : T} \quad (\text{T-DCAST})$$

$$\frac{\Gamma \vdash t_0 : S \quad T \not<: S \quad S \not<: T \quad \textit{stupid warning}}{\Gamma \vdash (T)t_0 : T} \quad (\text{T-SCAST})$$

## Typing rules: casts

Since it is an Intermediate Representation, warnings are not relevant anymore. Therefore, we keep only one typing rule for casts.

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Question: can we remove the premise of that rule?

## Evaluation rules

$$\frac{fields(C) = \bar{T} \ \bar{f}}{(new \ C(\bar{v})) . f_i \longrightarrow v_i} \quad (E-PROJNEW)$$

$$\frac{mbody(m, tpcls(vtpe(v))) = (\bar{x}, t_0)}{v.m(\bar{u}) \longrightarrow [\bar{x} \mapsto \bar{u}, this \mapsto v]t_0} \quad (E-INVKVAL)$$

$$\frac{vtpe(v) <: T}{(T)v \longrightarrow v} \quad (E-CASTVAL)$$

$$vtpe(new \ C(\bar{v})) = C \quad vtpen(v) = int \quad vtpen(bv) = bool$$

plus congruence rules and rules for `if`, `pred`, `succ` and `iszero` (omitted)