

## MICROCELLULAR PLASTICS

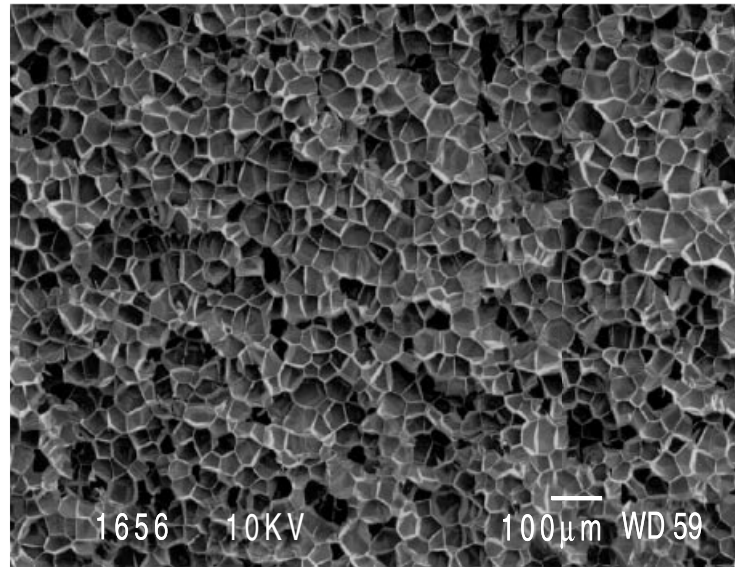
### Introduction

*Microcellular plastics* (MCPs), which were first invented at the Massachusetts Institute of Technology in 1979, refer to any polymeric materials that have closed cells of very small diameters, typically smaller than 50  $\mu\text{m}$ . The cell density can be made to vary a great deal depending on the final application of a given MCP. MCPs can have as many as  $10^{15}$  bubbles/ $\text{cm}^3$  when the bubble diameter is 0.1  $\mu\text{m}$ ,  $10^{12}$  bubbles/ $\text{cm}^3$  for 1- $\mu$ - and  $10^9$  for 10- $\mu$ - diameter cells. They can be created in thermoplastics, thermosetting plastics, and elastomers. Figure 1 shows the microstructure of a typical MCP. See Reference 1 for a detailed historical account as well as a detailed review of MCPs.

The original impetus for the invention of MCPs was to create a plastic consuming less material without sacrificing mechanical properties, especially toughness. The saving of material was achieved by creating voids, and toughness was a result of making the diameter of the bubble smaller than a critical size. The central idea was to replace some of the polymers with a large number of very small bubbles that are smaller than the preexisting flaws in polymers. Small bubbles can blunt the crack tips and act as crazing—initiation sites, thus making the material tougher.

The basic processing method for all MCPs is the use of thermodynamic instability phenomena. A large amount of gas, typically  $\text{CO}_2$  or  $\text{N}_2$ , is dissolved in the plastics under high pressure at the processing temperature so as to create a driving force for phase separation when the pressure is suddenly lowered.

Depending on the magnitude of the driving force, various nucleation sites are activated. The number of nucleation sites increases nearly exponentially with the amount of gas dissolved, when the polymer is supersaturated with the dissolved



**Fig. 1.** Microstructure of microcellular plastics. This particular micrograph shows an average cell size of about  $30\ \mu\text{m}$ .

gas—relative to its equilibrium concentration at the pressure of 0.1 MPa (1 bar) and the operating temperature. Microcells form for the following reasons: the amount of gas dissolved must be shared equally by an extremely large number of nucleated sites, since the cells nucleate nearly simultaneously, preventing the preferential diffusion of the gas to the sites that have nucleated first. Because the driving force is so large, homogeneous nucleation dominates even when there are second-phase particles that would be the preferred heterogeneous nucleation sites because of its low activation energy.

MCPs have unique processing characteristics. The processing temperature is substantially less than the conventional processes because the viscosity of plastics is substantially reduced owing to the presence of gas between polymeric molecules. The throughput rate of a given extruder can also be greater because of the low viscosity. The cycle time of injection-molding machines is also reduced because the processing temperature is lower and the phase separation of gas from polymer instantaneously increases the rigidity of plastics. Furthermore, there is no shrinkage of the injection-molded part because it (shrinkage) is compensated by the internal expansion in the microcells, creating parts with minimal residual stress and warpage. Sometimes, depending on the color of the plastic and the smoothness of the molded surface, swirl marks may appear, which can be hidden through painting or texturing.

Certain properties of MCPs, such as modulus and strength, follow the rule of mixture, whereas such properties as toughness and coefficient of thermal expansion do not. When the cell size is less than a few micrometers, the toughness of certain MCPs should be equal to or better than the plastic without the cells. Small cells also lower the thermal conductivity when they are smaller than a critical size.

Many industrial firms worldwide are now making microcellular products through extrusion and injection molding (under license from Trexel, Inc.). Trexel, as the sole licensee of MITs has developed the MIT technology further for commercial applications. The trade name is MuCell. It is very likely that the number of new applications that use the microcellular technology will continue to increase at a rapid rate in the years to come.

MCP technology is in some ways in the early stages of research and development, notwithstanding its relatively long history. It has raised many interesting scientific and technological issues that can be the basis for thought-provoking ideas and research. Many academic institutions worldwide are conducting their research in the field of MCPs, which should further generate new ideas and applications. Many industrial firms are developing new applications for injection—molding and extrusion processes.

### Design of MCPs

MCPs were designed to satisfy the following three functional requirements (FRs) based on axiomatic design (1,2):

- (1) FR1 = Reduce plastics consumption
- (2) FR2 = Maintain the toughness of plastics
- (3) FR3 = Make 3-D parts

To satisfy these FRs, the concept of MCP was created by envisioning plastics with tiny bubbles (see Reference 1 for an historical account). Then the design parameters (DPs) of MCPs are the following:

- (1) DP1 = Total volume of cells (ie, bubbles),  $V$
- (2) DP2 = Diameter of cells,  $d$
- (3) DP3 = Die or mold

The design equation that relates the FRs to the DPs of microcellular plastics may be written as

$$\begin{Bmatrix} FR1 \\ FR2 \\ FR3 \end{Bmatrix} = \begin{bmatrix} X & X & 0 \\ 0 & X & 0 \\ 0 & 0 & X \end{bmatrix} \begin{Bmatrix} DP1 \\ DP2 \\ DP3 \end{Bmatrix} \quad (1)$$

Equation 1 indicates that the design of an MCP is a decoupled one. It indicates that the bubble size must be determined first before setting the total volume of the bubbles.

In an ideal MCP, where spherical bubbles are packed in a body-centered cubic structure, the bubble size can be directly related to the bubble density. In a 1-cm cube of foamed material, the number of cells is inversely proportional to the cube of the bubble diameter. Therefore, an MCP with 10- $\mu\text{m}$  bubbles has approximately  $10^9$  bubbles/ $\text{cm}^3$  of unfoamed material, whereas MCPs with 1- $\mu\text{m}$

and 0.1- $\mu\text{m}$  bubbles have approximately  $10^{12}$  and  $10^{15}$  bubbles/ $\text{cm}^3$  of unfoamed material, respectively.

Since the volume taken by spherical bubbles in an ideal, closely packed hexagonal or cubic structure is approximately 74%, the plastic occupying the interstitial space takes up 26% of the volume. Therefore, the cell density of an ideal closely packed spherical MCP is equal to  $(1/\text{cell size})^3$  times 1/0.26. For an MCP with 1- $\mu\text{m}$  cell diameter, the bubble density is  $3.85 \times 10^{12}$  cells/ $\text{cm}^3$  of the solid plastic. The overall density of foam can decrease further when these cells expand, thinning the wall diameter and reducing the interstitial materials between the cells.

### Design of MCP-Processing Techniques

**Dissolution of Gases in Polymers.** The basic physics of gas dissolution in polymers is as follows (3):

- (1) The plastic must be supersaturated with sufficient gas (such as  $\text{N}_2$  and  $\text{CO}_2$ ) to nucleate simultaneously a large number of cells.
- (2) The temperature of the plastic must be set so as to control the flow of plastics during processing.
- (3) A gas with a suitable solubility and diffusivity for the plastic must be selected.
- (4) Homogeneous nucleation must dominate the nucleation process to create a large number of microcells even when heterogeneous nucleation sites are available by providing sufficient driving force with a sufficient amount of dissolved gas.

The processing technique consists of forming a polymer/gas solution and then suddenly inducing a thermodynamic instability by either lowering the pressure or raising the temperature to change the solubility  $S$ . The solubility is a function of two thermodynamic properties such as temperature and pressure:

$$S = S(p, T) = H(p, T) \quad (2)$$

where  $H$  is known as Henry's law constant. At low pressures and low concentrations,  $H$  is constant. At high pressures,  $H$  depends on both pressure and temperature. The temperature dependence follows the Arrhenius-type rate equation. At low pressures, the gas solubility is low but Henry's constant is high. At higher pressures, the gas solubility is high, but the rate of the weight increase with pressure decreases with pressure.

The solubility of gas in polymers decreases with an increase in temperature. The solubility of  $\text{N}_2$  is considerably less than that of  $\text{CO}_2$ . Since the amount of gas that can be dissolved is a function of the saturation pressure and since the gas diffusion rate is the rate-limiting process, we can use supercritical  $\text{CO}_2$  to enhance the solubility and diffusion rate.  $\text{CO}_2$  is supercritical at pressures and temperatures greater than 7.4 MPa and 31.1°C.

With dissolution of a large number of gas molecules in polymers, the glass-transition temperature and viscosity decrease with the increase in gas concentration. The change in the glass-transition temperature is quite substantial at high gas concentrations. These changes affect the processibility of polymers.

The change in the solubility can be expressed as

$$\Delta S = \frac{\partial S}{\partial p} \Delta p + \frac{\partial S}{\partial T} \Delta T \quad (3)$$

The  $\partial S / \partial p$  term of equation 3 is positive, whereas the  $\partial S / \partial T$  term is negative. Therefore, to decrease the solubility and to induce the thermodynamic instability, either the pressure must be decreased (ie,  $\Delta p < 0$ ) or the temperature must be increased (ie,  $\Delta T > 0$ ). Furthermore, regardless of whether the process is continuous or batch-type, the thermodynamic instability must be induced quickly so that the cells will nucleate simultaneously before significant diffusion of gas has taken place. Therefore, the higher the temperature of the polymer, the quicker the nucleation has to occur since the diffusion of the gas occurs faster at higher temperatures. Such simultaneous cell nucleation will assure a uniform cell-size distribution. The following two dimensionless numbers must be less than 1 for this to happen:

$$\frac{\text{Characteristic nucleation time}}{\text{Characteristic diffusion time}} \ll 1 \quad (4)$$

$$\frac{\alpha}{\frac{dN}{dt} d_c} \ll 1$$

$$\frac{\text{Characteristic gas diffusion distance}}{\text{Characteristic spacing between stable nuclei}} \ll 1 \quad (5)$$

$$2\rho_c^{1/3}(\alpha t_D)^{1/2} \ll 1$$

The number of cells nucleated is a function of the supersaturation level relative to the equilibrium concentration at ambient pressure at the processing temperature. The higher the supersaturation level, the greater is the number of cells nucleated. Furthermore, since the amount of dissolved gas that fills the nucleated cells is finite, and since all the cells are nucleated almost simultaneously, the gas distributes more or less evenly among all these cells—a condition for making MCPs. The final bubble size is then determined by the total amount of gas per bubble, and by the flow characteristics of the polymer at the nucleation temperature.

To create a continuous process, processes and associated equipment to perform the following functions in extrusion and injection molding have been designed.

- (1) Rapid dissolution of gas into molten flowing polymer to form a polymer/gas solution
- (2) Nucleation of a large number of cells

- (3) Control of the cell size
- (4) Control of the geometry of the final product

To produce the MCP at an acceptable production rate through a continuous process, we must dissolve the gas in polymers quickly despite the slow diffusion rate. The diffusivity increases with temperature by an Arrhenius relationship:

$$\Delta = \Delta_0 \exp(-\Delta G/kT) \quad (6)$$

where  $\delta G$  is the activation energy,  $k$  is the Boltzmann's constant, and  $T$  is the absolute temperature. The time for gas diffusion is proportional to the thickness of the plastic  $\ell$  as

$$t \propto \frac{\ell^2}{\alpha} \quad (7)$$

The diffusivity of CO<sub>2</sub> and N<sub>2</sub> are nearly the same and it takes a long time to diffuse gas into a polymer at room temperature. For example, the diffusivity of CO<sub>2</sub> in most thermoplastics at room temperature is in the range of  $5 \times 10^{-8}$  cm<sup>2</sup>/s and the diffusion time is approximately 14 h when  $\ell$  is 0.5 mm. The diffusivity at 200°C is 3–4 orders of magnitude greater than that at room temperature. Even at high temperatures, the diffusion rate is still the rate-limiting step in continuous processes.

To accelerate the diffusion rate and shorten the time for the formation of gas/polymer solutions, we must raise the temperature and shorten the diffusion distance. This is done by deforming the two-phase mixture of polymer and gas through shear distortion to decrease the diffusion path. This type of deformation occurs in an extruder under laminar-flow conditions. The bubbles are stretched by the shear field of the two-phase mixture and eventually break up to minimize the surface energy when a critical Weber number is reached (4). The disintegrated bubble size is calculated to be about 1 mm and the initial striation thickness after bubble disintegration is calculated to be about twice the bubble diameter (5). This striation thickness decreases with further shear, and the gas diffusion occurs faster as a result of the increase in the surface area and the decrease in striation thickness. The striation thickness in an extruder is estimated to decrease to about 100  $\mu$ m. At this thickness, the diffusion time is about 1 min in PET, from 10 to 20 s in polystyrene (PS), poly(vinyl chloride) (PVC), and high density polyethylene (HDPE), and in the range of a few seconds in low density polyethylene (LDPE).

**Nucleation.** The key idea in the formation of an MCP is the nucleation of an extremely large number of bubbles (cells). Although cells can nucleate either homogeneously or heterogeneously, the driving force is so high owing to such a large amount of supersaturation of the gas in the polymer that both the homogeneous and the heterogeneous nucleation sites are expected to be nucleated. This can be seen from micrographs, which show that cells are nucleated both at and away from the heterogeneous sites.

For nucleation to occur, a finite energy barrier has to be overcome. The energy barrier depends on two competing factors: (1) the energy available in the gas diffused into the embryo of the cell and (2) the surface energy that must be supplied

**Table 1. Potential Activation Sites for Cells and Rough Estimates of Potential Cell Density**

Activation Sites	Cell density, cells/cm <sup>3</sup>
Solid-polymer interface	10 <sup>5</sup> to 10 <sup>6</sup>
Nonpolar polymer-polar polymer interface	—
High strain region	10 <sup>9</sup>
Free volume	10 <sup>9</sup>
Crystalline-amorphous interface in a polymer	10 <sup>12</sup>
Interface between crystallites	10 <sup>18</sup>
Morphological defects in a polymer	—
Polar groups of polymers	10 <sup>22</sup>

to form the surface of the cell. There is a critical cell size beyond which the cell becomes stable and grows, and below which the cell embryo collapses. Typically the cell nucleation rate is expressed as

$$\frac{dN}{dt} = N_0 f e^{\frac{-\Delta G}{kT}} \quad (8)$$

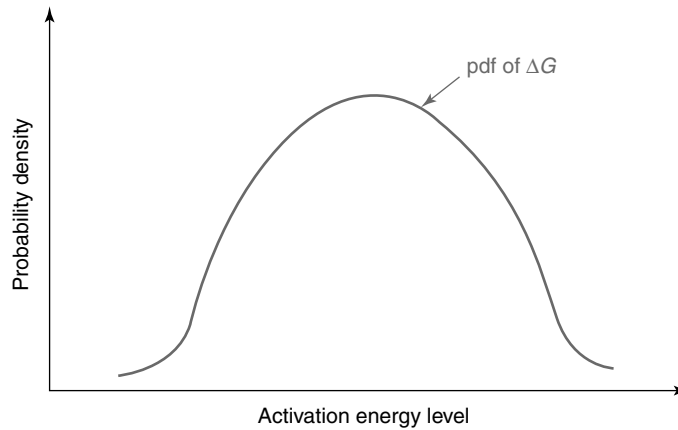
where  $N$  is the number of cells,  $N_0$  is the number of available sites for nucleation,  $f$  is the frequency of atomic or molecular lattice vibration,  $\Delta G$  is the activation energy barrier,  $k$  is the Boltzmann constant,  $T$  is the absolute temperature.

A variety of different nucleation sites may be nucleated when the driving force is very large, the most prominent of which are the free-volume sites. Also, in the case of semicrystalline polymers, the interfaces between the amorphous region and the crystalline region could be the nucleation sites. Depending on the gas supersaturation level, all or part of these nucleation sites will be activated. Table 1 shows the potential activation sites and the expected cell density when these sites become activated.

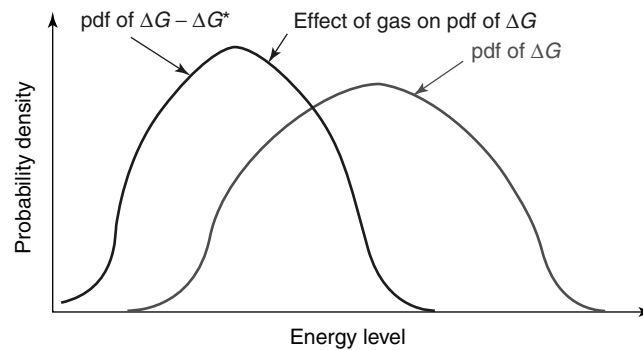
The activation energy associated with each one of these potential activation sites is expected to be substantially different, probably increasing with the available sites. The activation energy may be represented in terms of its probability density function as shown in Figure 2.

The activation energy also changes when the gas is dissolved. As a result, the change in the probability density of activation energy due to the dissolved gas may be schematically represented as shown in Figure 3 at a specific gas concentration.

The number of the available sites,  $N_0$ , is also affected by the gas dissolved since the gas changes the intermolecular forces, as indirectly evidenced by the change in the viscosity and melting point of the polymer/gas solution (see Fig. 4).  $N_0$  is a function of both the original activation energy  $\Delta G$  and the amount of the gas dissolved. Although there is no definite data available, the  $N_0$  is expected to increase with higher activation energy since it appears that there are more activation sites at these higher level activation energies. This change in the available sites may be represented schematically as shown in Figure 5.



**Fig. 2.** Probability distribution of  $\Delta G$ . Note that as the amount of dissolved gas increases, the sites with high activation energy is expected to be activated.



**Fig. 3.** Schematic representation of the effect of the dissolved gas on the probability density of activation energy.

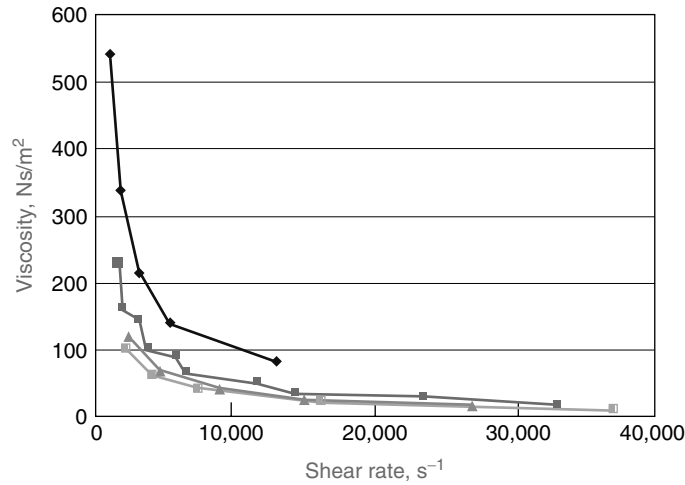
**Cell Growth.** Immediately after the cells are nucleated, the pressure in the bubble is equal to the saturation pressure. Therefore, the cells expand if the polymer matrix is soft enough to undergo viscoelastic–plastic deformation. A cell expands until the final pressure inside the cell is equal to the pressure required to be in equilibrium with the surface forces and the stress in the viscoelastic cell wall.

Unlike in conventional foaming, in the case of MCPs, there are so many cells nucleated and the diffusion length is so short that the diffusion of the gas to the cell growth stops relatively quickly.

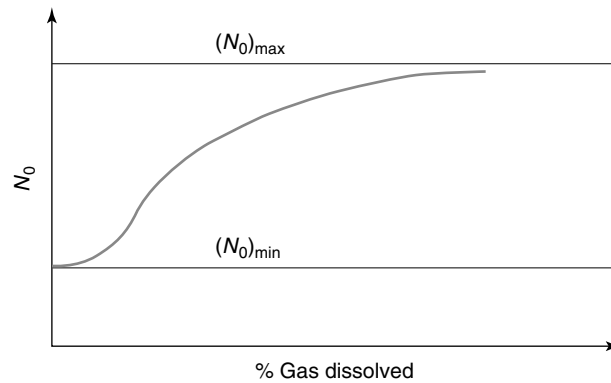
In practice, the temperature of the surface of the extrudate changes as a result of heat transfer, and thus, the expansion of the cells is constrained by the outer stiff layer. Also some of the gases from the cells near the surface escape, reducing the cells tendency to expand.

**Cell Density and Cell Size.** The cell density is a function of both the pressure drop and the pressure drop rate. During the cell nucleation stage, there



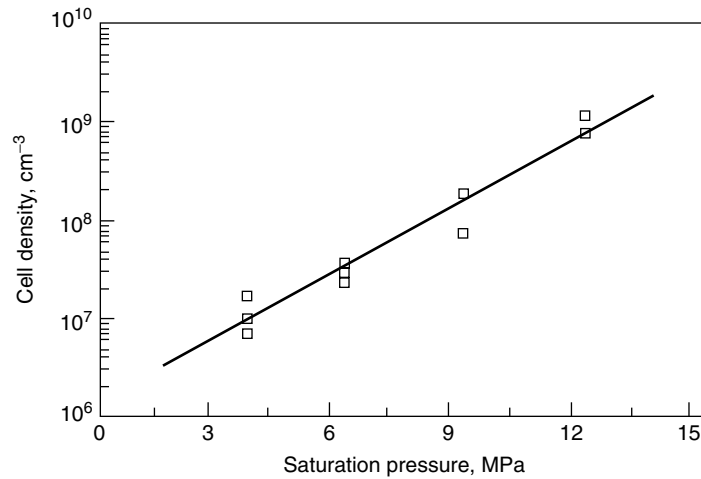


**Fig. 4.** Viscosity of ABS as a function of CO<sub>2</sub> concentration and shear rate at 370 F (Courtesy of Trexel, Inc.). Note that the relative viscosity change is most pronounced at low shear rates.

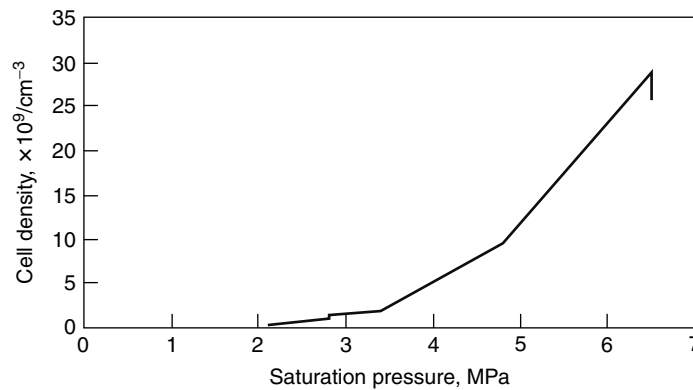


**Fig. 5.** Number of available sites for cell nucleation as a function of the gas dissolved. It is conjectured that  $(N_0)_{\max}$  is greater as the activation energy increases.

is a competition for gas between cell nucleation and cell growth if the cells do not nucleate simultaneously. When some cells nucleate before others, the gas in the solution will preferentially diffuse to the nucleated cells to lower the free energy of the system. As the gas diffuses to these cells, low gas concentration regions where nucleation cannot occur are generated adjacent to the stable nuclei. As the solution pressure drops further, the system will either both nucleate additional microcells and expand the existing cells by gas diffusion or only expand the existing cells. Therefore, when the pressure drop occurs rapidly, the gas-depleted region where nucleation cannot occur will be smaller and a more uniform cell distribution will result. It has been determined experimentally that a drop rate of 2 GPa/s is the minimum pressure drop rate required for MCP processing. Two dimensionless groups given in equations 4 and 5 give the condition for simultaneous nucleation



**Fig. 6.** Cell nucleation density as a function of  $N_2$  pressure in polystyrene (6). To convert MPa to psi multiply by 145.



**Fig. 7.** Cell density as a function of  $N_2$  pressure in polycarbonate (7).

of cells. Figures 6 and 7 show examples of the cell nucleation density as a function of the gas pressure.

### Equipment and Die Design

The role of the extruder (or the plasticating unit of an injection-molding machine) is to melt the plastic, create a single-phase polymer/gas solution, and pump the solution through a die or inject it into a mold. To achieve these functions, high pressure  $CO_2$  or  $N_2$  gas is introduced into the extruder barrel by metering the exact amount of  $CO_2$  or  $N_2$  at pressures greater than 2000 psi. The flow rate of  $CO_2$  into the extruder can be controlled using a special metering pump. The gas forms a large bubble in the extruder since the flow of the gas is briefly interrupted whenever the screw-flight wipes over the barrel.

Then to diffuse the gas in the bubble quickly in the molten plastic, the polymer–gas interfacial area is increased and the striation thickness of polymers between the gas bubbles is decreased. This is done by elongating the bubble in the barrel through the shear deformation of the two-phase mixture of the polymer and gas.

The approximate residency time required for diffusion and solution formation in the extruder is estimated to be as follows: <100 s for PET and <10 s for polystyrene at typical operating temperatures.

To design the process, the FRs and DPs are selected as

- (1) FR1 = Reduce the amount of plastic used
- (2) FR2 = Increase the toughness of the plastic product
- (3) FR3 = Make 3-D geometrical shape
- (4) DP1 = Microcellular plastics (uniform cell distribution in large numbers)
- (5) DP2 = Diameter of microcells
- (6) DP3 = Die shape

The process variables (PVs) for the process described that can satisfy the DPs given are

- (1) PV1 = Supersaturation of the plastic with a large amount of gas and sudden pressure change ( $dp/dt$ )
- (2) PV2 = Temperature of the molten polymer to control the expansion of cells at the die
- (3) PV3 = Cross-sectional dimensions

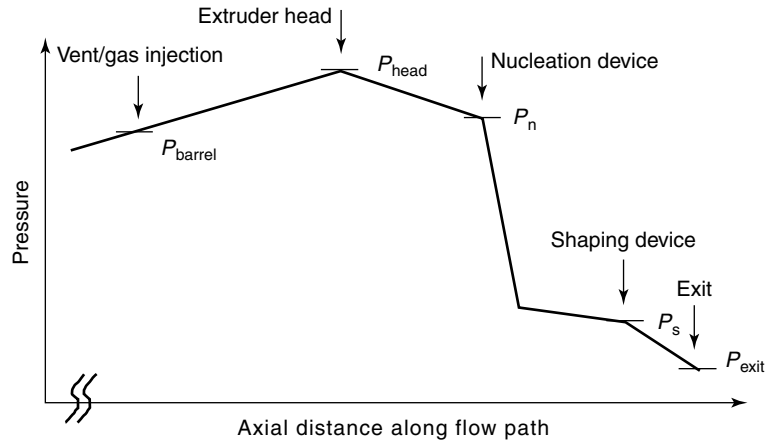
The design equation for the extrusion process may be written as

$$\begin{Bmatrix} DP1 \\ DP2 \\ DP3 \end{Bmatrix} = \begin{bmatrix} X & 0 & 0 \\ X & X & 0 \\ 0 & 0 & X \end{bmatrix} \begin{Bmatrix} PV1 \\ PV2 \\ PV3 \end{Bmatrix} \quad (9)$$

Equation 9 shows that the process design is also a decoupled design. Therefore, each design satisfies the Independence Axiom. However, for concurrent engineering to be possible, the product of the product and process design matrices must also be diagonal or triangular. Because  $FR_i = A_{ij} DP_j$  and  $DP_j = B_{jk} PV_k$ ,  $FR_i = C_{jk} PV_k$ , where  $C_{jk} = A_{ij} B_{jk}$ . However, the process design matrix with elements given by  $C_{jk}$  is neither diagonal nor triangular. This means that the foam density and toughness of the plastic part cannot be independently controlled by means of the PVs chosen unless the tolerances on the density variation or the toughness variation are large enough to change one of the two design matrices. Experiments support this conclusion.

DP1 and PV1 can be further decomposed as

- (1) DP11 = Large number of nucleated cells
- (2) DP12 = Uniform-sized cells



**Fig. 8.** Representative pressure profile along the polymer flow field in the extruder and die (8).

- (3) PV11 = The level of supersaturation of  $\text{CO}_2$
- (4) PV12 = Rapid pressure drop  $dp/dt$

The design matrix for this design may be represented as

$$\begin{Bmatrix} DP11 \\ DP12 \end{Bmatrix} = \begin{bmatrix} X & x \\ X & X \end{bmatrix} = \begin{Bmatrix} PV11 \\ PV12 \end{Bmatrix} \quad (10)$$

Equation 10 states that DP11 and DP12 are coupled slightly in that if the pressure drop rate is really slow, we cannot get a large number of cells and uniform-sized cells. In most cases, the effect of  $dp/dt$  on the number of cells is negligible. A typical pressure profile in a single-screw extruder is shown in Figure 8.

The role of the plasticating section of the injection-molding machine or the extruder is to melt the plastic and dissolve the gas in the polymer. The extruder must be under high pressure to maintain a single-phase solution. The cell density is primarily controlled by the amount of the dissolved gas and also partly by the pressure drop rate.

The die must be designed to control the pressure drop rate, which controls the uniformity of cell size. The desired pressure drop rate is greater than 1 GP/s. It also removes the thermal energy from the molded part. The die also creates 3-D shapes in the case of injection molding or the profile in the case of extrusion. It can be seen that the die design is as important as the extruder or the injection-molding design.

The highest-level FRs and DPs are given as

- (1) FR1 = Control cell size
- (2) FR2 = Control the number of cells
- (3) FR3 = Control the geometry of the extrudate
- (4) DP1 =  $P_i^*$

- (5) DP2 =  $dp/dt$   
 (6) DP3 = Die shape & Accessories (Die & Acc.)

The design equation is given by

$$\begin{Bmatrix} \text{Cellsize} \\ \text{Celldensity} \\ \text{Geometry} \end{Bmatrix} = \begin{bmatrix} X & x & 0 \\ X & X & 0 \\ x & 0 & X \end{bmatrix} \begin{Bmatrix} P_i \\ dp/dt \\ \text{Die \& Acc.} \end{Bmatrix} \quad (11)$$

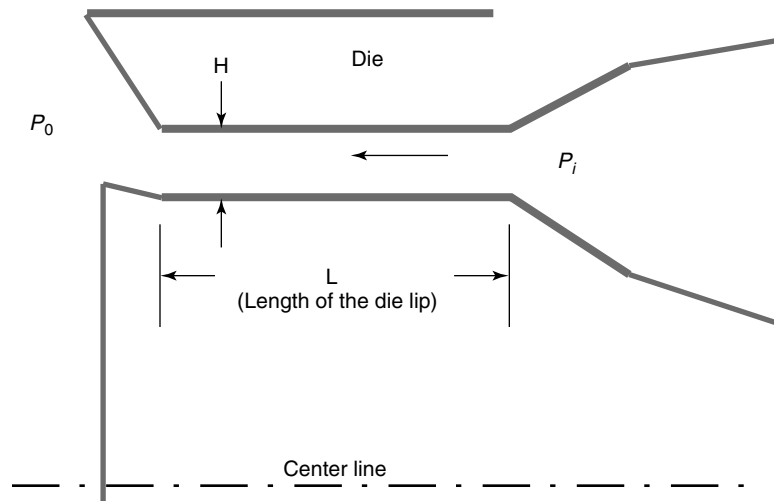
The corresponding PVs are chosen as

- (1) PV1 = Extruder RPM  
 (2) PV2 = Die lip length  
 (3) PV3 = Means of controlling the profile

The design equation for the process is given by

$$\begin{Bmatrix} P_i \\ dp/dt \\ \text{Die \& Acc.} \end{Bmatrix} = \begin{bmatrix} X & x & 0 \\ X & X & 0 \\ 0 & 0 & X \end{bmatrix} \begin{Bmatrix} \Omega \\ L \\ \text{Profile} \end{Bmatrix} \quad (12)$$

The die design is illustrated in Figure 9. Cell nucleation and cell growth in a parallel die have been simulated (9). The results show that most of the cell nucleation occurs near the middle of the die lip and cell growth occurs within 2/4 die length once the cell nucleation begins.



**Fig. 9.** Design of a tubular extrusion die.

**Table 2. Comparison of Injection-Molding Process for Various Products with and without Microcellular Structure<sup>a</sup>**

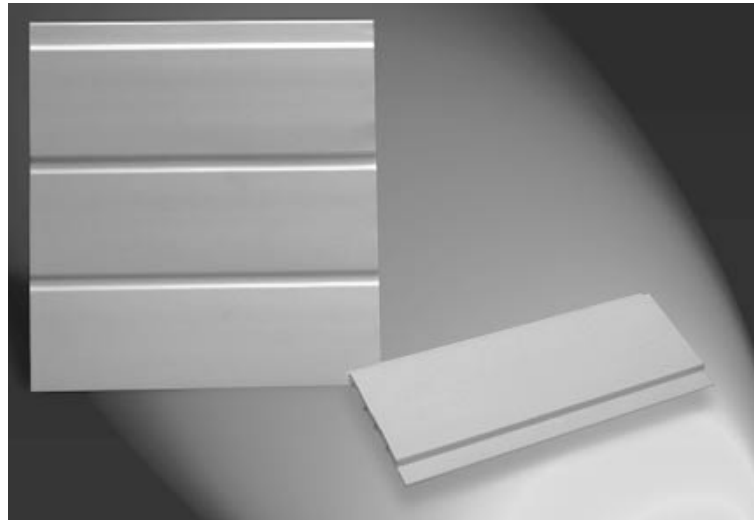
	Conventional	MCP	%
Air bag canister made of 33% glass-filled Nylon			
Part weight	365 g	252 g	30.9
Cycle time	45 s	35 s	22.2
Clamp. tonnage	150 ton	15 ton	90
Connector made of polycarbonate			
Part weight	48.8 g	42.9 g	10.6
Cycle time	17.5 s	15.9 s	9.1
Clamp. tonnage	140 ton	20 ton	85.7
Battery cover made of polypropylene			
Part weight	201 g	159 g	20.8
Cycle time	60 s	37 s	38.3
Clamp. tonnage	200 ton	15 ton	92.5

<sup>a</sup>Courtesy of Mar Lee Companies.

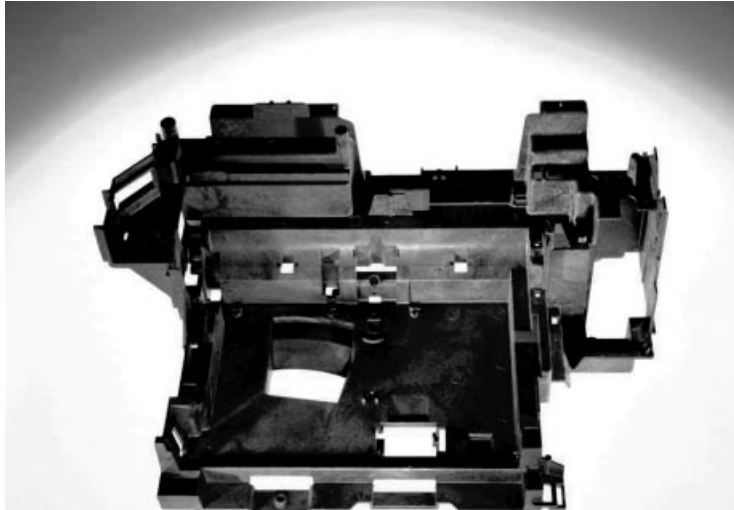
### Advantages of Injection Molding with MCPs

The injection pressure of injection-molding process decreases substantially because of the presence of dissolved gas, which lowers the viscosity. The cycle time is also substantially reduced because of the elimination of the “hold and pack” time and also because of about 25% reduction in cooling time. Table 2 presents a comparison of the injection-molding process with and without the dissolved gas (see INJECTION MOLDING).

Figure 10 shows an extruded MCP part made of PVC and Figure 11 shows an injection-molded printer chassis for inkjet printers made of glass-filled



**Fig. 10.** Extruded commercial product of microcellular plastics (Courtesy of Trexel, Inc.).



**Fig. 11.** Injection-molded printer chassis made of microcellular plastics (Courtesy of Trexel, Inc.).

engineering plastic (PPO/HIPS). The chassis made of MCPs has 50 % less warpage, 25% reduction in cycle time, and 8% weight reduction. The microcellular plastic also had higher toughness: 9.0 ft lb vs 6.7 ft lb by drop weight test, and 9.7 kJ/m<sup>2</sup> vs 7.3 kJ/m<sup>2</sup> by notched Izod impact test.

There are a large number of advantages of using MCPs:

- (1) Reduction of material consumption (between 5 and 30%)
- (2) Faster cycle time
- (3) Higher productivity
- (4) Greater toughness in some plastics
- (5) Low residual stress
- (6) Dimensional accuracy
- (7) Dimensional stability
- (8) Reduction in warping of injection-molded parts
- (9) Appearance (no visible cells)
- (10) Thin sections
- (11) No sink marks
- (12) Low temperature process
- (13) Low pressure process
- (14) Large number of cavities or smaller machines
- (15) Most polymers
- (16) Use of non-hydrocarbon solvents (CO<sub>2</sub> and N<sub>2</sub>)
- (17) No additives for nucleation
- (18) No reactive components such as viscosity modifiers
- (19) No special equipment other than gas supply system

### Performance and Applications of MCPs

Some MCPs also exhibit better physical properties. Many MCPs are tougher and have a longer fatigue life. Also the specific mechanical strength is much better than conventional large-cell foamed plastics. MCPs can have densities as low as  $0.03 \text{ g/cm}^3$ . At such low densities, the thermal insulation properties of MCPs are excellent because of the small cell size.

Since the cell size is extremely small, the cells cannot be seen by the naked eye. Therefore, the foamed plastic resembles a solid plastic, having a good physical appearance. At conventional cell sizes, they are opaque, without the need to introduce pigments such as titanium dioxide.

MCPs save money for manufacturers owing to the use of less material and faster cycle time. Since about 70% of the cost of foamed plastic goods is the material cost and since up to 50% weight reduction is possible for some applications, the cost of plastic parts can be reduced by as much as 35%.

MCPs are environmentally acceptable since they are processed using  $\text{CO}_2$  or  $\text{N}_2$  instead of hydrocarbons or fluorinated materials. Since smaller amounts of plastics are used in a given product, there is less material to recycle or dispose. Furthermore, less raw material and energy are used to make the same plastic article.

MCPs find many applications in housing and construction, sporting goods, vehicles, electrical and electronic products, chemical and biochemical applications, and the textile and apparel industry. They can be used in siding, pipes, electrical wire, automotive seats and other parts, airplane parts, filters, shoe soles, office equipment housing, artificial paper, food containers, polishing cloth, thermal insulation around pipes, and other uses as well.

MCPs are processed at lower processing temperatures, since the glass-transition and melting temperatures and the viscosity of plastics decrease with increase in dissolved gas. As the gas is formed in the bubble during the nucleation and cell-growth phase, the viscosity and the melting temperature of plastics increases, reverting back to the original state. Therefore, MCPs “solidify” much more quickly—by almost a factor of two—and therefore, injection-molded MCP parts can be taken out of the mold quickly.

### Process Research Issues

There are many research issues generated by MCPs. The following is a partial list:

- (1) Molecular mechanism of the role of dissolved gas in affecting viscosity
- (2) Crystallization process
- (3) Solidification process during the phase separation of a gas/polymer solution
- (4) Two-phase flow of a gas bubble/polymer mixture at the solid surface–polymer interface
- (5) Modeling of the cell nucleation and growth in a die or a mold



## Materials Research Issues

There are many research issues related to materials that can advance the field further as briefly listed below:

- (1) Mechanical behavior of MCP parts and materials
- (2) Effect of gas on morphology
- (3) Fracture behavior of MCPs
- (4) Fatigue behavior of MCPs

## Conclusions

Because of their advantages in performance, cost, and processing MCP show great promise in changing the polymer-processing industry. A great deal is known about MCPs and their processing techniques, but the field is still full of research and development opportunities to satisfy the diverse requirements of the polymer-processing field.

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