## Gradus Ad Parnassum: Part III Annotations

Fig. 160; Species: 1; Modal final: d; Cantus firmus: 2

<u>′n                                    </u>											
<u> </u>		0	0	0	0	О	0	0	•	‡o	0
<b>9</b> 4	m3	M3	m6	M6	M3	M6	m3	M6	M6	M6	P8
<b>4</b>	0	0	0	0	0	0	0	0	0	0	O
2 1	0		0	0	0	0	0	0	0	0	0
<b>9</b> 4	P4	P8	M6	P5	P8	m6	P8	P5	m6	P5	P4
9:4	О	0	0	0	0	0	0	0	0	0	0
	P8	m10	M10	P5	m10	m10	M10	P12	m10	P12	P8

Fig. 163; Species: 1; Modal final: d; Cantus firmus: 1

0	0	0	O	0	O	0	0	O	0	0
1										
<del></del>	<b>→</b>	•	σ	σ	0	•	-	0	#⊕	0
P4	m6	M3	m3	m6	m3	M6	m3	m3	m3	P1
) 0	0	0	0	0	O	O	0	O	O	O
M6	P8	M6	P5	P8	m6	P8	P5	m6	P5	P4
) <del>:</del>	0		0	0	0	0		0		0

Fig. 164; Species: 1; Modal final: d; Cantus firmus: 3

	0					0					
9	m10	M6	m6	P8	P5	P8	P5	M6	M6	# <del>•</del> M6	P8
	P5	<b>→</b> M3	• P4	— m3	m3	<b>→</b> M3	m3	• P4	<b>→</b> M3	P4	<b>→</b> P5
8		0	0		0	0	0	0	0	0	
8	0			0							0
2:	О	О	0	Þo	0	О	0	o	0	0	o
`	P1	m3	P5	M3	P8	m3	P8	P5	m3	P5	P1

Fig. 165; Species: 1; Modal final: d; Cantus firmus: 4

•	0	O	#0	0	Þo	0	0	0	0	#0	0
	P12	M10	M13	P15	m10	M10	P8	M10	M13	M13	P15
<b>)</b>	0	0	0	0		0		0	0	0	ŧо
	m10	P8	m10	m10	P5	P8	P5	P8	M10	m10	M10
_	0	0	•	0	Þo	0	o	0		0	0
)	P8	M6	m3	P5	m3	P5	m3	P5	m3	m3	P4
•	0	0	0	0	0	0	0	0	0	0	0

Fig. 166; Species: 1; Modal final: e; Cantus firmus: 1

9 (	<b>b</b> -					0	0		0	
<u>.                                    </u>	<b>,</b>	0	0	•	<b>→</b>			•		•
	2									
9	σ	<b>→</b>	<b>→</b>	<b>→</b>	•	•	•	•	О	σ
٨	P4	m3	P4	m3	m3	M6	m3	M3	m3	P4
χ,	2 4 -	0					0	0	0	۔ فلا
$\varphi$	<u>9 #0                                    </u>		0	0	0	0				‡o
	8 m6	m3	M6	m6	P4	M10	P5	M3	m6	m6
<b>3:</b> -6	); o	0								
	<i>-</i>		<b>— •</b>						<b></b>	0

Fig. 167; Species: 1; Modal final: e; Cantus firmus: 2

2

#0	0	O	0	9	0	0	0	0	‡o
M3	M6	m3	M3	P5	M3	P4	m6	M3	M3
					O	0			
<b>9</b> • • • • • • • • • • • • • • • • • • •	•	0	•	<b>⊕</b>			•	O	•
_	0	0	0	0	0	0	0	0	0
P4	m3	P4	m3	m3	M6	m3	M3	m3	P4
): 0	0	0			0	0	0	0	0
		+ $-$	0	0					

Fig. 168; Species: 1; Modal final: e; Cantus firmus: 3

	0	0	0	0	0	0	0	0	0
P5	M6	P5	P8	m10	m3	M6	P8	M6	P5
) #o	O	0	0	0	0	O	O	0	‡o
M3	M6	m3	P5	P8	M3	P4	m6	M3	M3
<b>o</b>	0	0	0	0	•	0	0	0	0
: 0	0	O	O	0	0	O	0	O	О
P8	P5	P8	m6	M3	M10	m10	P5	m10	P8

Fig. 169; Species: 1; Modal final: f; Cantus firmus: 2

	0	0	0	0	ÞO	О	O	0	0	0	0	0
•	M3	P1	M3	M3	m6	P5	M3	m3	M3	P1	m3	P1
2								0				
9	0	0	0	0		0	0		0	0	0	0
0	0				•	0	•	0				
	<u> </u>	0	0	-					0	0	0	0
Ψ	<b>9</b>									1		_
8	§ P4	P5	M6	m3	m3	m3	P1	m6	P5	m6	P5	m6
<b>)</b> :	0	0	0	+_	1,		+		+_	+_		
		1		•	Þo		<b>O</b>	0	-0	•	0	
					1.	<b>O</b>						0
	P8	m10	M10	m10	M10	M13	m10	m17	P12	m10	P12	P15

Fig. 170; Species: 1; Modal final: f; Cantus firmus: 1

2	11g. 17	-	l; Modal fina	i. i, Cantus	Tillius. 1			0				
9	0	0	0	0	0	0	0		0	0	0	0
v												
<b>A</b>												
2												
9								0	0	0	0	0
<b>●</b>	•	•	•	•	PO	σ	<b>→</b>					
	P4	P5	M6	P4	M3	P4	m6	m3	M3	P1	m3	P1
1	^											
X				0						0	0	0
8	<b>6</b> 0	-0	0		0	•	0	0	0	10		-
8	8 m6	P8	M10	m6	M6	M6	P8	m13	M10	m6	P5	m6
	1110	10	1.110	1110	1.10	1.10		11110	1,110	1110		1110
O	0		0									
		0			PO		0		0	0	0	
<del>)</del> .								0				
<u>)</u>				10		<b></b>			I			<u></u> 0

Fig. 171; Species: 1; Modal final: f; Cantus firmus: 3

9	Fig. 171; S	Species: 1; I	Modal final:	f; Cantus fi	rmus: 3	1						
6	0	0	O	O	0	0	O	0	O	O	0	O
•	M10	P8	m6	P8	m10	m10	P8	M3	m6	P8	M6	P8
8												
9	•	•	•	0	0	ÞΦ	<b>⊕</b>	<b>⊕</b>	=	<b>⊕</b>	•	<b>→</b>
٨	P5	P4	m3	M6	P8	d5	M3	m3	M3	M3	P4	M3
			0					O	0			
\$	0	0		0	O	0	0			0	•	0
9:	0	O	0	0	<b>90</b>		0		0	0	0	
$ \leftarrow $						•		0				0
	P1	m3	M3	m3	M3	M6	m3	m10	P5	m3	P5	P8

Fig. 172; Species: 1; Modal final: f; Cantus firmus: 4

	& O	0	0	0	0	0	0	0	0	0	Þo	0
	P12	M10	m10	M10	P12	m13	P12	P8	m10	M10	m10	M10
)—	60	0	0	0	0	0	0	0	0	0	0	0
	M10	P8	P5	P8	m10	m10	M10	P5	m6	P8	M6	P8
,	<b>6</b> 0											
)——	<del>J</del>	0	•	•	0	•	•	10	•	О	20	•
	P8	P5	m3	P5	P8	m6	P5	M3	m3	M6	m3	P5
	2							0				
	90	-0	0	0	-	$\perp_{\mathbf{o}}$	10		0	0	$-\mathbf{o}$	0

Fig. 173; Species: 2; Modal final: d; Cantus firmus: 1

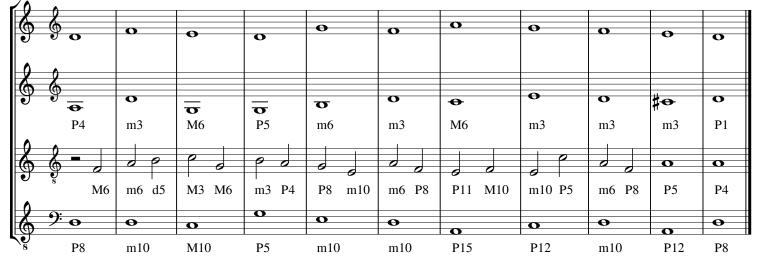


Fig. 174; Species: 2; Modal final: d; Cantus firmus: 2

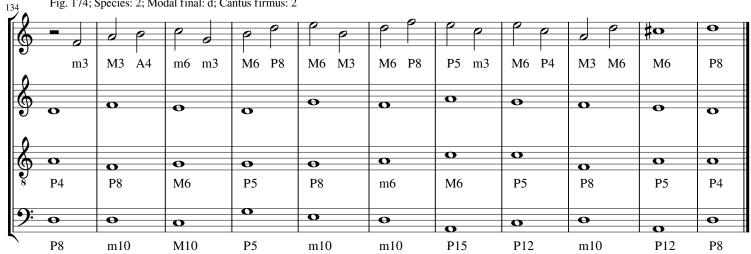
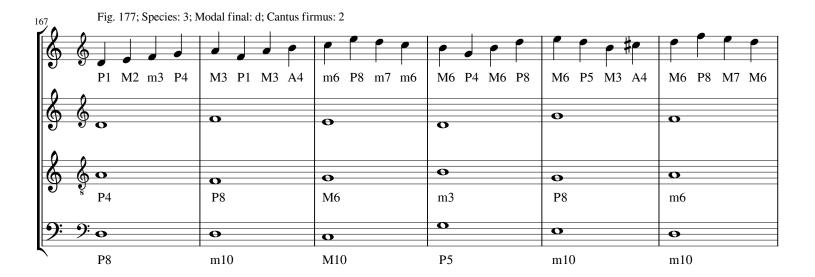


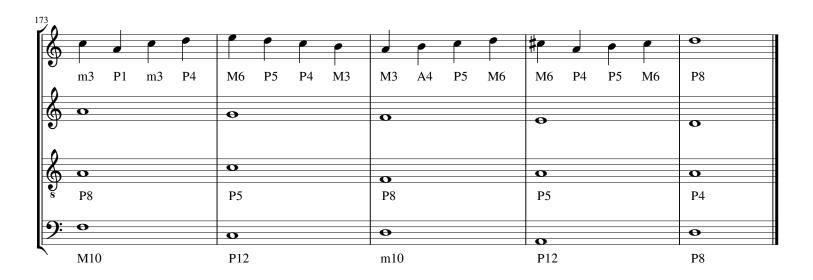
Fig. 175; Species: 2; Modal final: d; Cantus firmus: 3

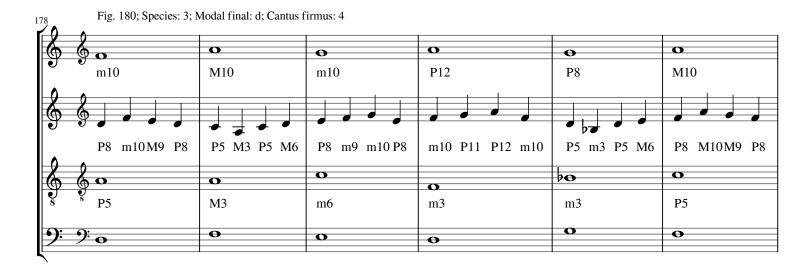
8	0	0	0	О	0	О	0	0	0	<b>#</b> 0	0
	P8	M6	m6	P8	M6	P8	m6	M6	M6	M6	P8
8	) ) )	0	0	О	•	0	O	O	0	O	0
	P5	M3	P4	M6	M3	M6	m3	P4	M3	P4	P5
	0	0	0	O	0	0	0	0	0	•	0
<b>9</b> :	<b>-</b>							9			0
`	P1	m10 P8	P5 M3	P5 M6	m10 P8	m10 m9	M10 P8	P5 P12	m10 P8	P5 P12	P8

Fig. 176; Species: 2; Modal final: d; Cantus firmus: 4

9	0	0	O	•	Þo	O	0	0	0	<b>‡</b> 0	0
)	m10	M10	m13	P15	m10	M10	P8	M10	M13	M13	P15
<b>)</b>	-						00				‡o
۸	P8	P5 M6	P8 m10	m10 M9	P5 M6	P8 M10	P5 m6	P8 P5	P8 M10	m10 P8	M10
•	0	O	0	O	Þo	O	O	0	O	0	0
,	P12	M10	m10	P12	m10	P12	m10	P12	M10	P15	P12
<b>)</b> :	0	•	0	0	0	0	•	0	0	0	0







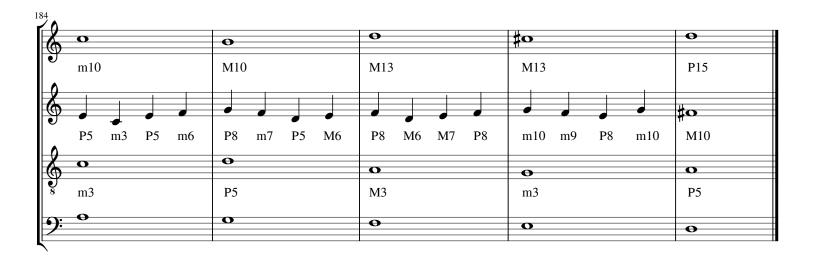
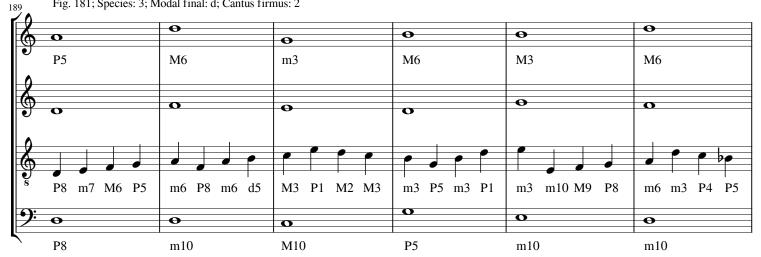


Fig. 181; Species: 3; Modal final: d; Cantus firmus: 2



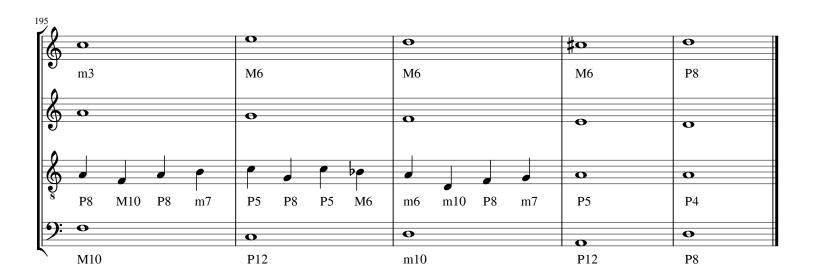
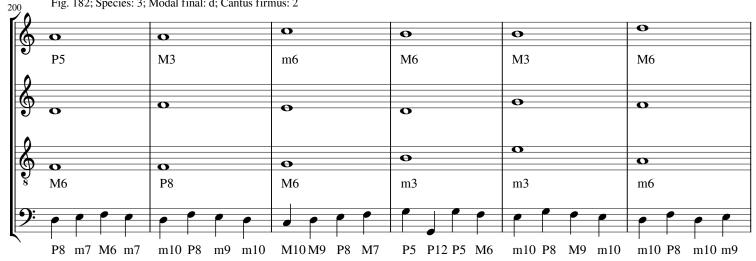
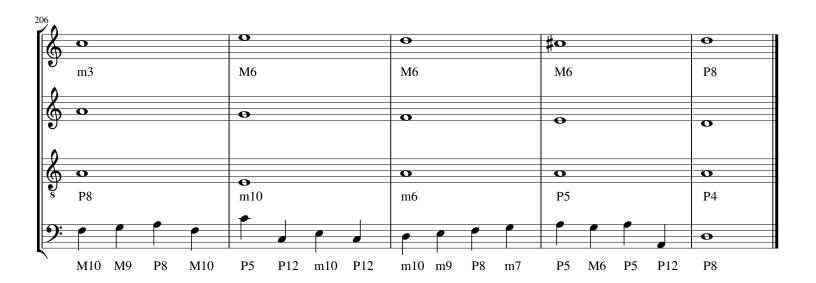
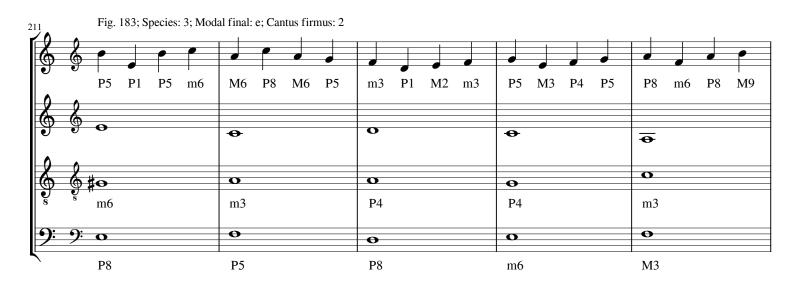


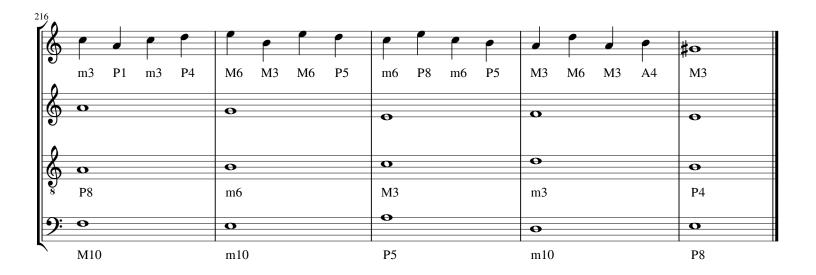
Fig. 182; Species: 3; Modal final: d; Cantus firmus: 2

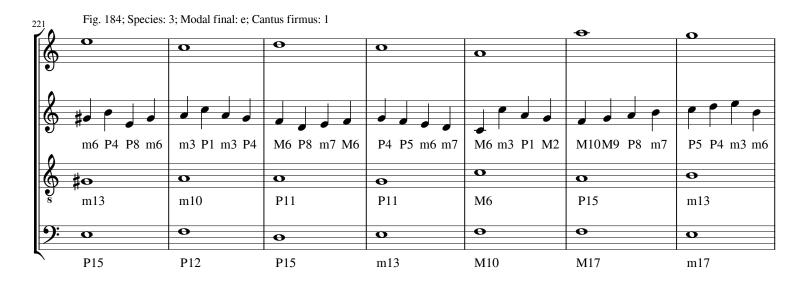
8











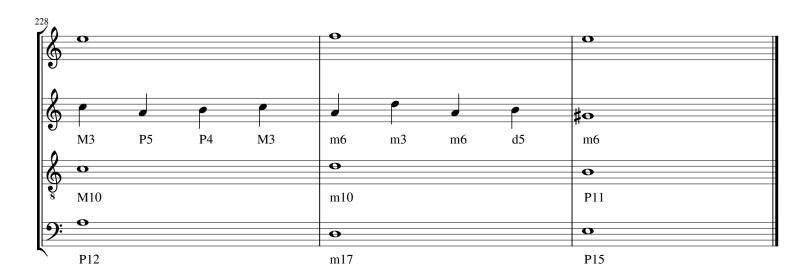
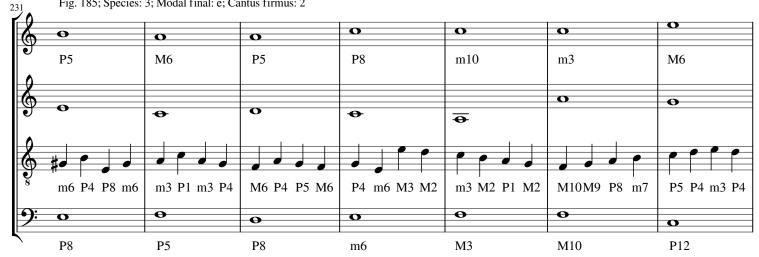
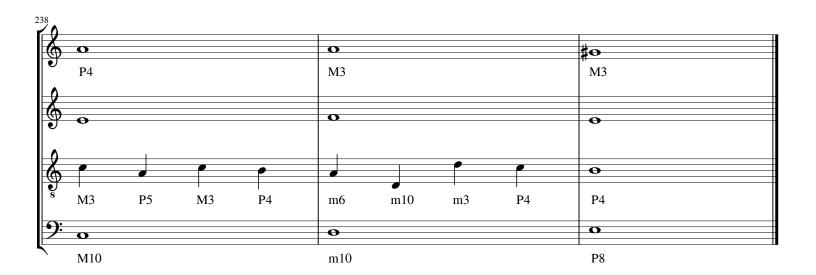
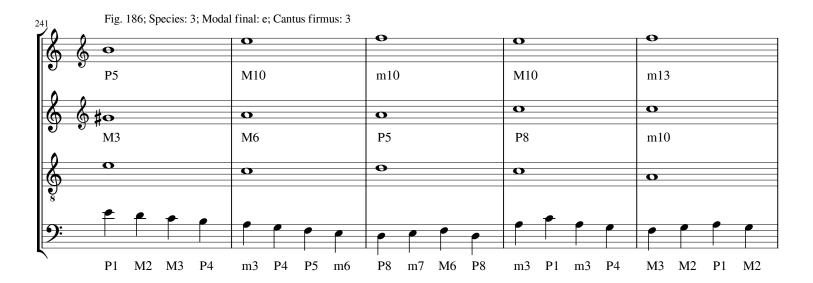


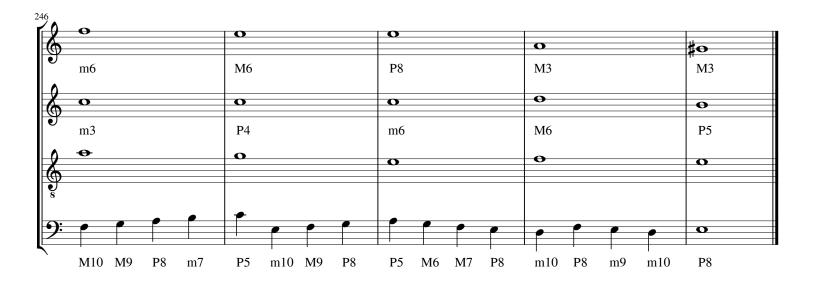
Fig. 185; Species: 3; Modal final: e; Cantus firmus: 2

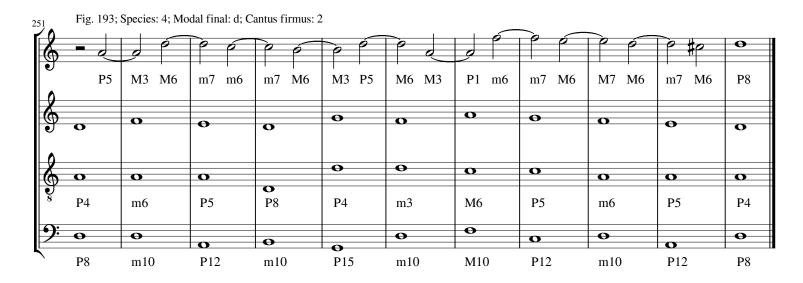
10











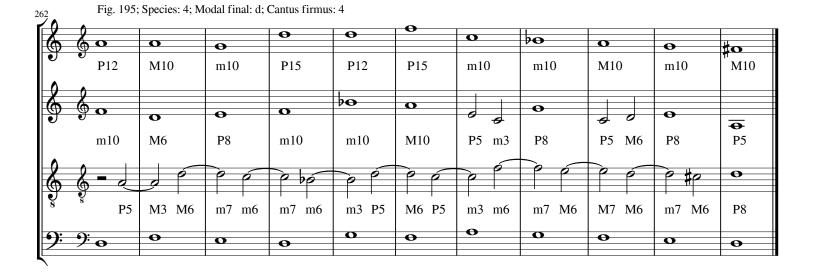


Fig. 196; Species: 4; Modal final: d; Cantus firmus: 1

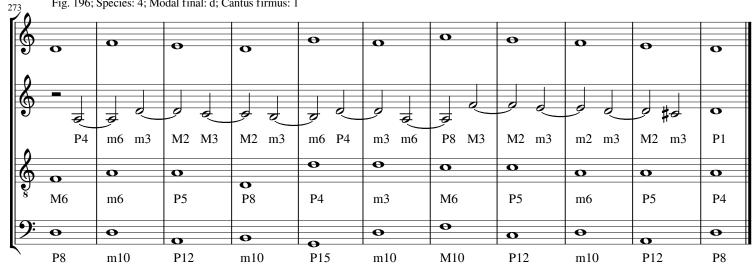
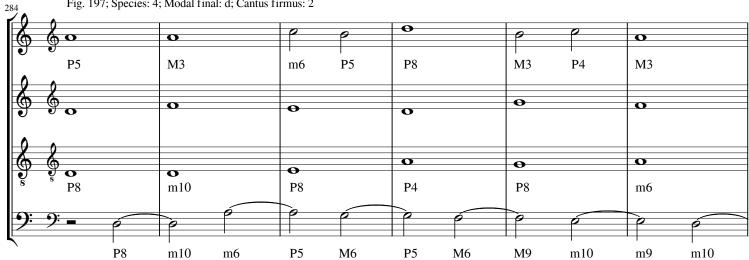
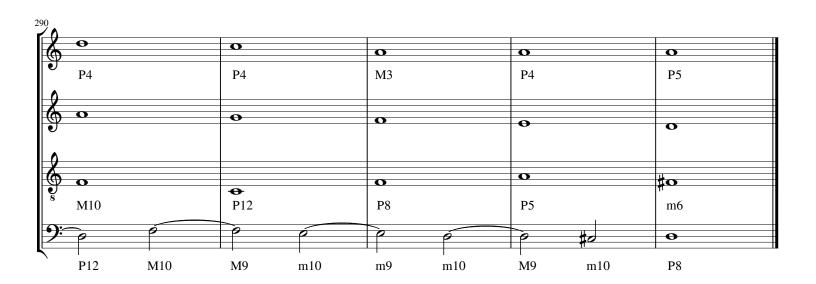
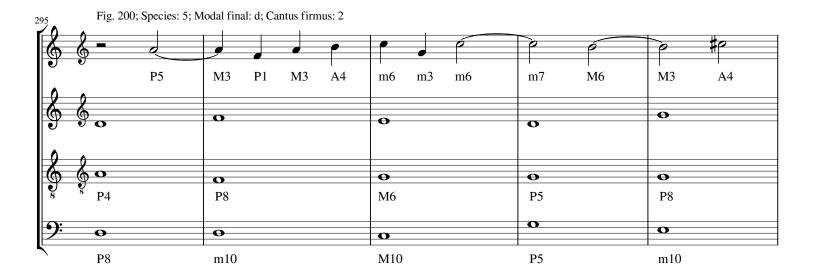
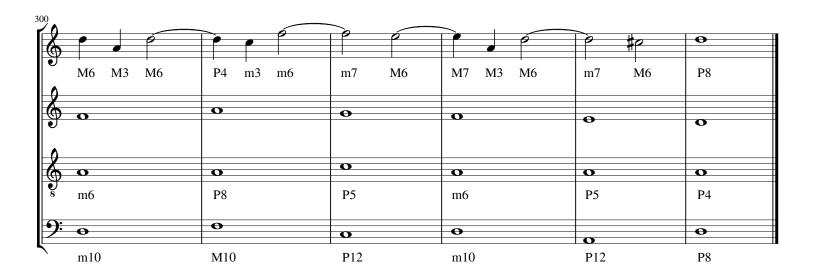


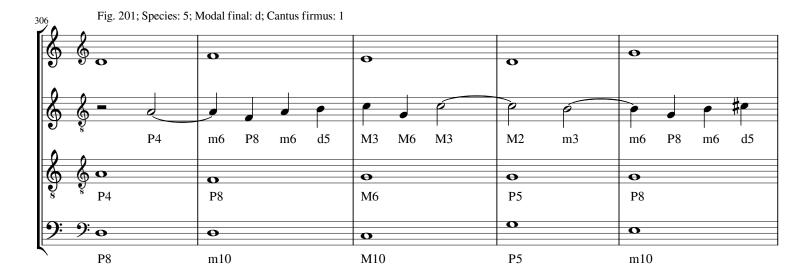
Fig. 197; Species: 4; Modal final: d; Cantus firmus: 2











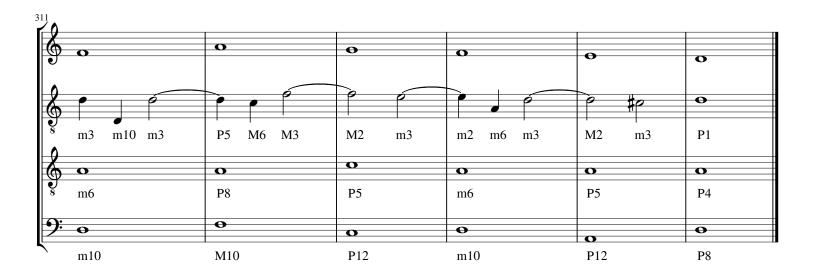


Fig. 202; Species: 5; Modal final: d; Cantus firmus: 4 0 10 0 0 P15 M13 P15 P12 m10 M10 O 0 0 0 0 m10M10 m10 m10 P8 P5 P5 M9 P8 M3 M6 m7 M6 P8 m10 m7 M6 P1 O 0 0 O 0

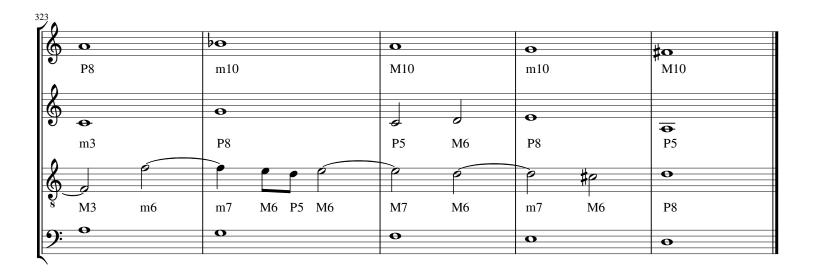


Fig. 203; Species: 5; Modal final: d; Cantus firmus: 2

