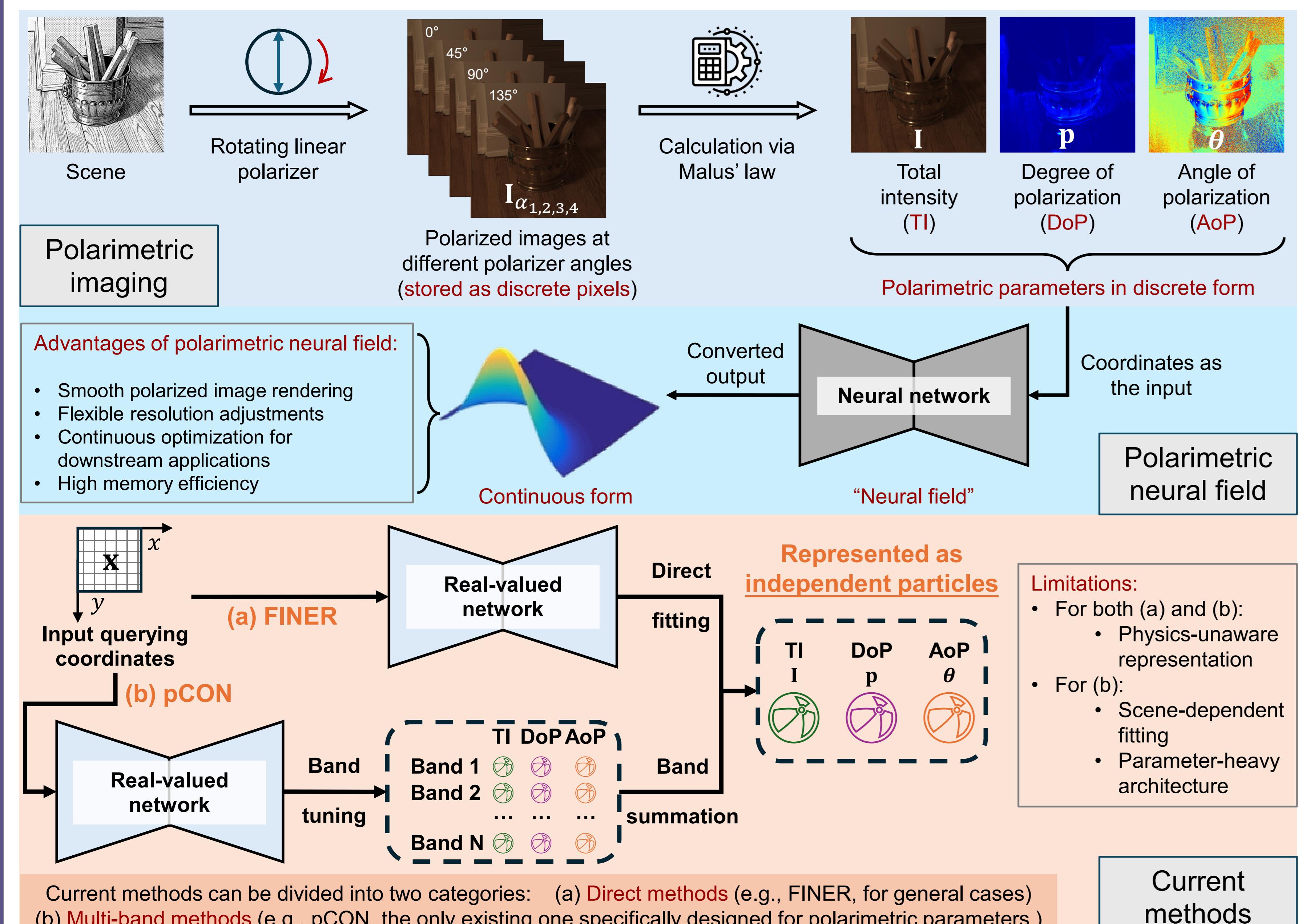


CONTRIBUTIONS

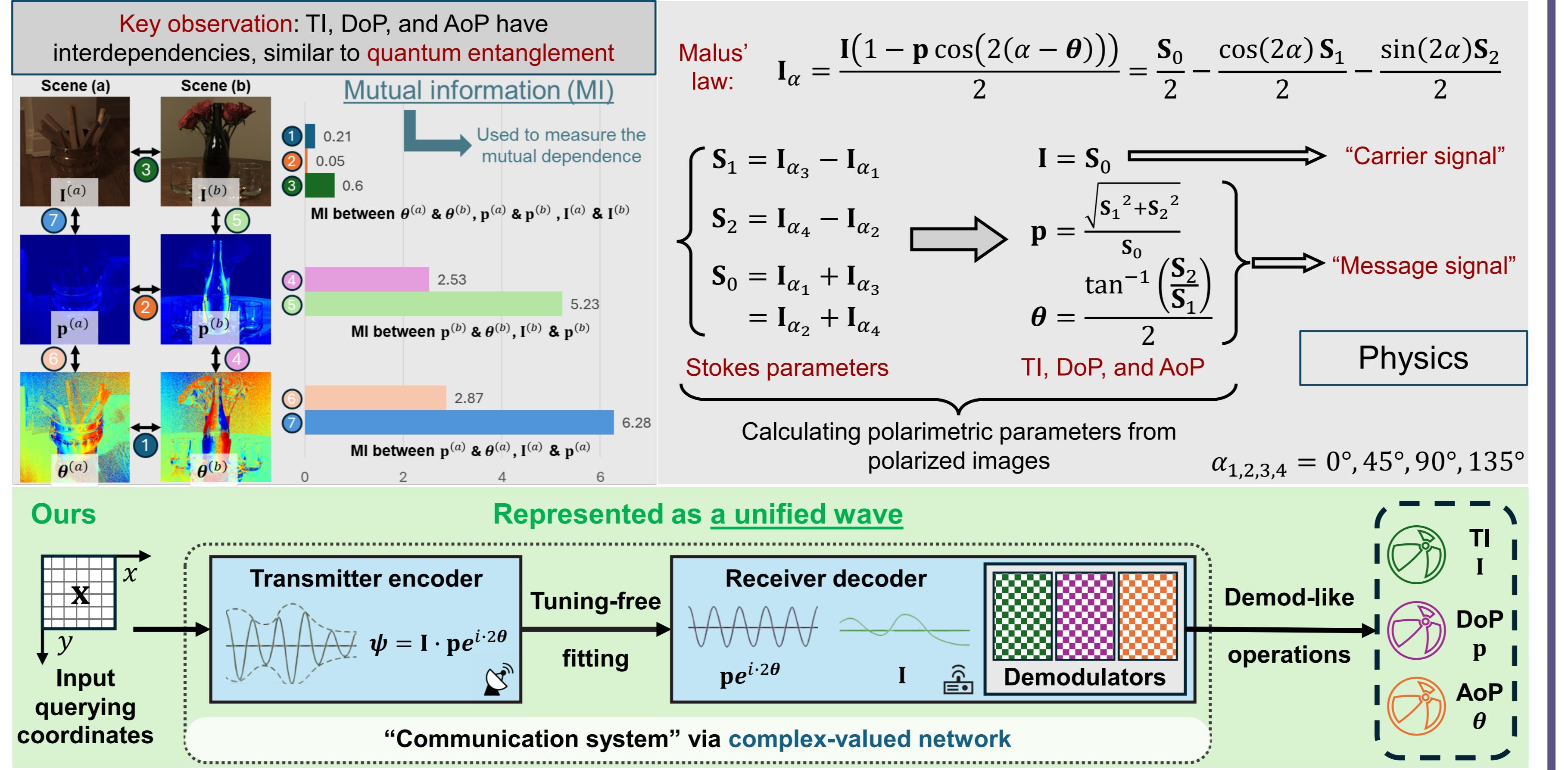
- A physics-grounded representation scheme
 - integrating the physical meanings and interdependencies of the polarimetric parameters into a unified wave.
 - A tuning-free fitting strategy
 - fully decoupling the fitting process from scene dependency and enabling robust retrieval of each polarimetric parameter.
 - A lightweight complex-valued network
 - seamlessly adapting to the formulation of wave with a compact architecture and superior performance.

BACKGROUND & MOTIVATION



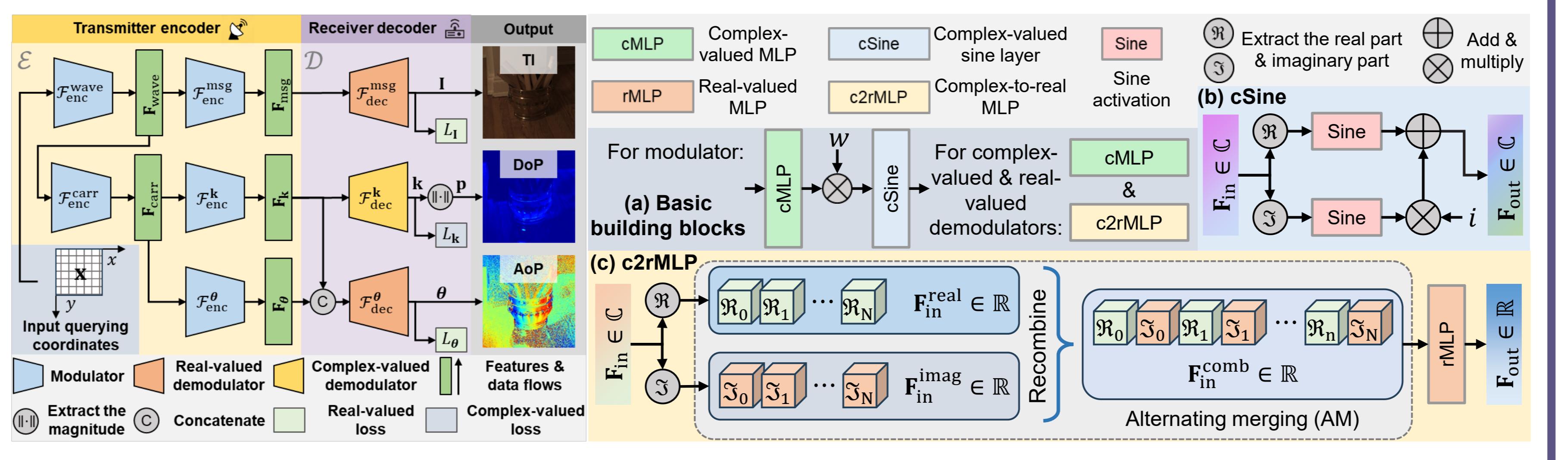
- Current methods face the following main limitations:
 - **Physics-unaware representation**: treating different parameters identically, without considering their physical meanings and interdependencies.
 - **Scene-dependent fitting**: requiring manually tuning the threshold of each band for each scene, hindering automation in the fitting process.
 - **Parameter-heavy architecture**: necessitating larger network capacity, leading to increased parameter count and model size.

METHOD



- The mutual information between two different polarimetric parameters within the same scene is much higher than that between the same polarimetric parameter across different scenes, confirming the **interdependencies**.
 - Representing the polarimetric parameters as a unified wave, we can get
$$\psi(\mathbf{I}, \mathbf{p}, \theta) = ze^{i\gamma} = \mathbf{I} \cdot \mathbf{p} e^{i \cdot 2\theta}.$$
 - Rewriting the wave as $\mathbf{I} \cdot \mathbf{p} \cdot (\cos(2\theta) + i \cdot \sin(2\theta)) = \mathbf{S}_1 + i \cdot \mathbf{S}_2$, we can find **ψ inherently follows the additive properties of the Stokes parameters**.
 - Modeling the fitting process as a tuning-free “communication system”, including a **transmitter encoder** and a **receiver decoder**,

where the wave is treated as a **modulated signal**, with demodulation-like operations employed to robustly retrieve each polarimetric parameter, similar to separating the carrier and message signals.

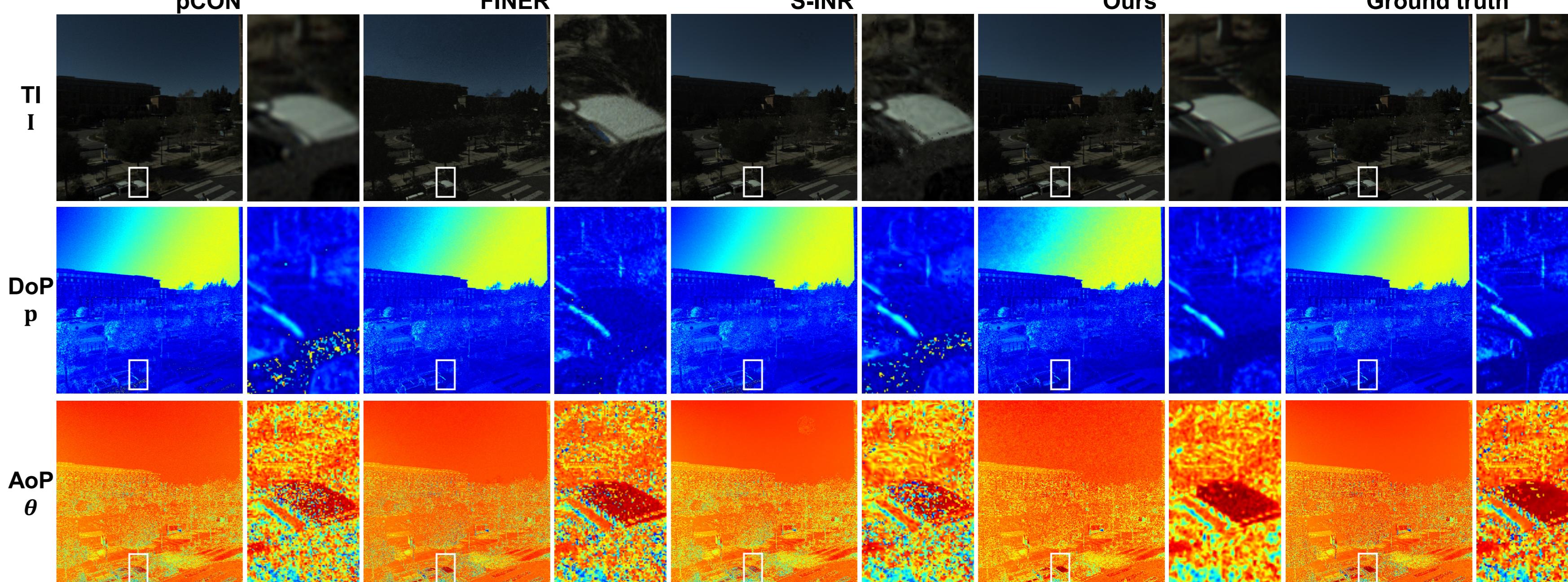


- Due to the inherently **complex-valued** nature of the wave formulation, we design a lightweight complex-valued neural network, enabling efficient fitting.
 - The transmitter encoder is designed as a top-down hierarchical structure;
 - The receiver decoder is designed as a parallel three-branches structure.

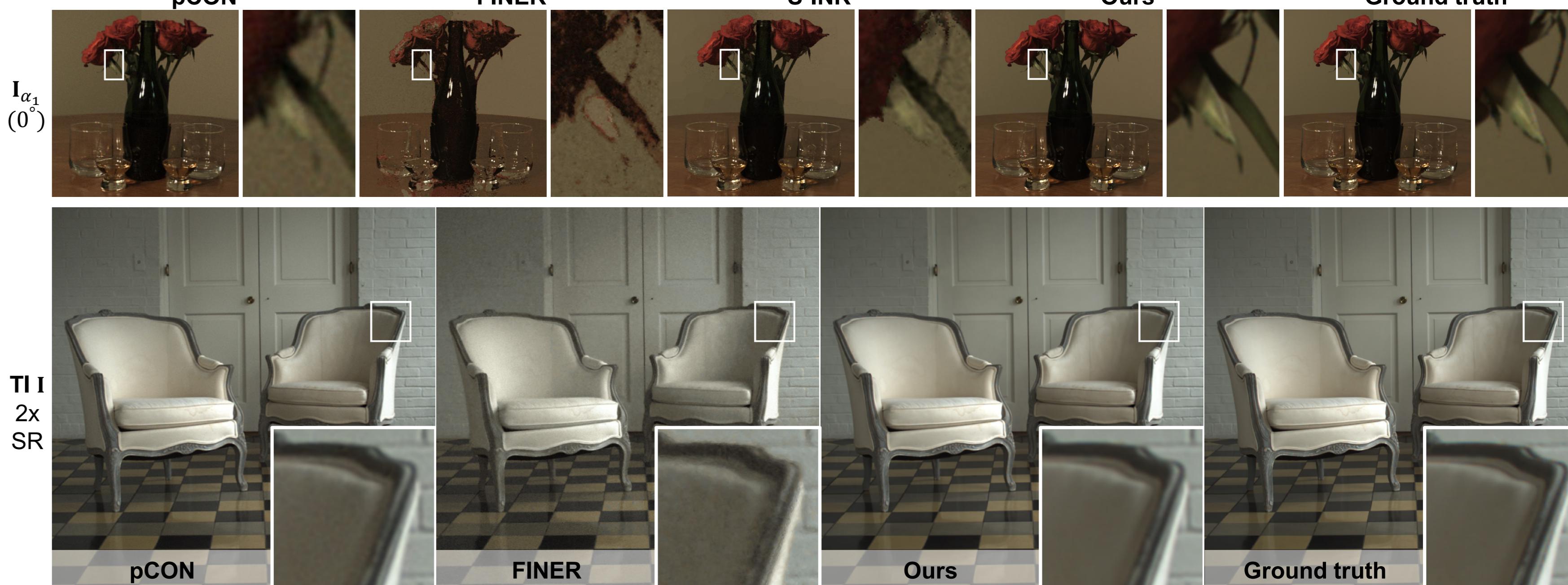
EXPERIMENTS

Quantitative results														
	PSNR↑/SSIM↑ of the TI (I)				PSNR↑/SSIM↑ of the DoP (p)				PSNR↑/SSIM↑ of the AoP (θ)					
	pCON	FINER	S-INR	Ours	pCON	FINER	S-INR	Ours	pCON	FINER	S-INR	Ours		
Building	38.64/0.942	33.32/0.830	36.85/0.918	47.70/0.989	26.84/0.644	27.44/0.679	26.63/ 0.684	29.23/0.767	21.28/0.710	19.38/ 0.721	20.81/ 0.723	21.33/0.623		
Firewood	39.95/0.957	27.36/0.647	36.75/0.920	53.54/0.992	33.66/0.775	30.61/0.700	33.56/ 0.785	36.01/0.857	17.24/0.704	16.78/0.661	17.17/0.653	17.26/0.664		
Grater	38.62/0.955	27.84/0.732	37.35/0.940	50.30/0.994	30.13/0.697	26.88/0.543	30.14/0.728	32.97/0.830	17.47/0.682	16.01/0.630	16.48/0.631	16.92/0.633		
Pottery	39.03/0.957	28.12/0.749	36.18/0.925	48.54/0.986	32.09/0.769	29.59/0.720	32.15/0.796	35.14/0.864	18.01/0.772	17.36/0.697	17.37/ 0.722	17.64/0.677		
Stream	37.58/0.945	34.21/0.879	36.39/0.935	43.56/0.987	31.90/0.797	30.37/0.731	30.44/0.730	33.24/0.851	24.59/0.786	24.27/0.763	23.97/0.769	24.65/0.788		
Sunroom	42.94/0.968	35.91/0.910	40.87/0.960	46.17/0.969	38.49/0.919	36.41/0.885	38.00/0.909	41.35/0.952	28.18/0.852	28.16/0.845	28.13/0.828	28.20/0.851		
Valentines	35.98/0.935	28.68/0.771	35.84/0.927	46.60/0.985	30.81/0.750	28.04/0.674	31.51/0.805	34.55/0.868	18.78/0.717	18.04/0.649	18.45/ 0.745	18.56/0.618		

Qualitative results



Applications: Polarized image rendering & Super-resolution querying



* S-INR supports querying only at the resolution used for fit