

Compiler Design [UNIT-1 & UNIT-2]

Assignment - 1 (VI SEM)

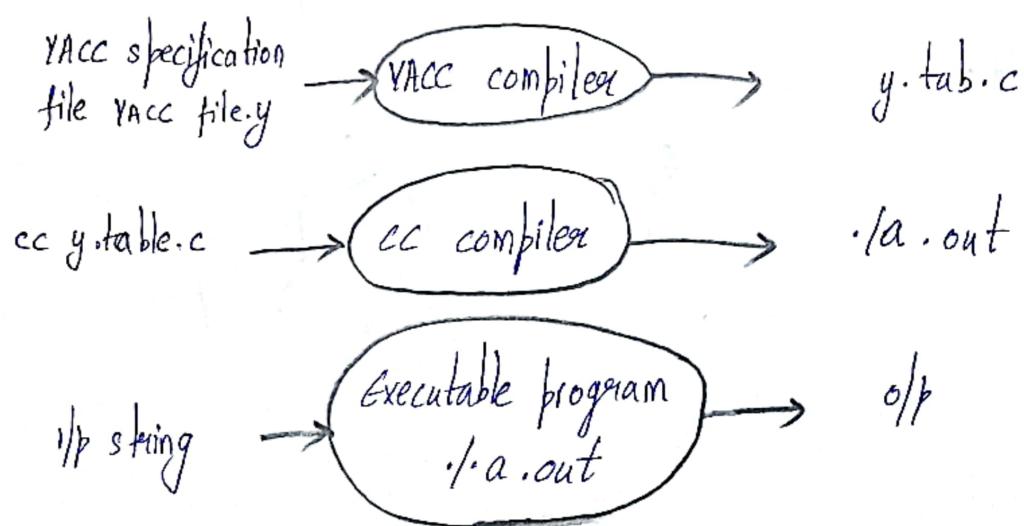
Short Answer Questions :

11 Discuss Parser Generator - YACC

Ans

- YACC stands for Yet Another Compiler Compiler.
- YACC provides a tool to produce a parser for a given grammar.
- Basically YACC is LR(0) parser generator.
- YACC can report conflicts or ambiguities (if at all) in the form of error messages.

The typical YACC translator can be represented as :



YACC : PARSER GENERATOR MODEL.

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YACC specifications

→ YACC specification file consists of three parts.

Declarative section

TRANSLATION ROLE

c fns.

Example: Syntax:

/* declaration section */

*/ }

/*

/* translation role section */

*/ */

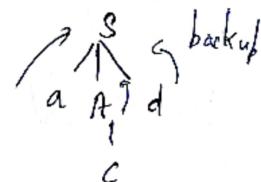
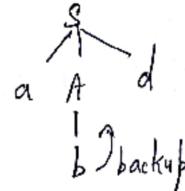
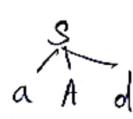
/* required c fns */

Example: Grammar

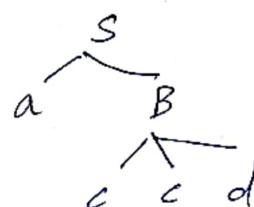
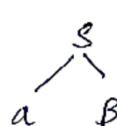
$$S \rightarrow aAd \mid aB$$

$$A \rightarrow b \mid c$$

$$B \rightarrow cc d \mid dd c$$



I/p: accd



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2 Enumerate the rules for FIRST() & FOLLOW() functions

Ans FIRST() function:

$\text{FIRST}(x)$ is a set of terminal symbols that are first symbols appearing at RHS in derivation of x .

If $x \Rightarrow \epsilon$ then Σ is also in $\text{FIRST}(x)$.

Following are the rules used to compute the $\text{FIRST}()$

① If the terminal symbol 'a' then

$$\text{FIRST}(a) = \{a\}$$

② If there is a rule $x \rightarrow \epsilon$ then

$$\text{FIRST}(x) = \{\epsilon\}$$

③ For the rule $A \rightarrow x_1, x_2, x_3, \dots, x_k$

$$\text{FIRST}(A) = \text{FIRST}(x_1) \cup \text{FIRST}(x_2) \cup \dots \cup \text{FIRST}(x_k)$$

where,

$$k < x_j \leq n$$

such that $1 \leq j \leq k-1$

→

FOLLOW() function:

FOLLOW() function is defined as the set of terminal symbols that appear immediately to the right of A .
In other words,

$$\text{FOLLOW}(A) = \{ a \mid s \Rightarrow^* Aa\beta \}$$

where, α & β are some grammar symbols may be terminated or non-terminal.

RULES:

1. For the start symbol 's' place $\$$ in FOLLOW(s)
2. if there is a production $A \rightarrow \alpha B \beta$ then everything in FIRST(β) without ' ϵ ' is to be placed in FOLLOW(B).
3. if there is a production $A \rightarrow \alpha B \beta$ or
 $A \rightarrow \alpha \beta$

$$\text{FIRST}(\beta) = \{\epsilon\} \text{ then}$$

$$\text{FOLLOW}(A) = \text{FOLLOW}(B)$$

$$\text{FOLLOW}(B) = \text{FOLLOW}(A)$$

Q3] Depict General format for LEX program.

Ans Structure of LEX program :

→ A LEX program has the following form:

% declaration

%

%

rules

%

- fns/auxiliary fns

Declaration section

Includes declarations of variables, constant and regular definitions.

Transition rules : { pattern { Action }

- Each pattern is a regular expression, which may use the regular definitions of the declaration section.
- The actions are fragments of code, typically written in C.

c functions / Auxiliary fns

- This section holds whatever additional fns are used in the actions.
- These fns can be compiled separately and loaded with the Lexical Analyzer.

Long Answer Questions:

Q4 Construct LR(0) parsing table and the parse the input string
id + id * id .

Ans Consider the grammar

$$E \rightarrow TE'$$

$$E' \rightarrow +TE' \mid \epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT' \mid \epsilon$$

$$F \rightarrow (\epsilon) \mid id$$

STEP 1: Computing FIRST & FOLLOW

$$\rightarrow E \rightarrow TE'$$

is a rule in which the first symbol at R.H.S is T .

Now, $T \rightarrow FT'$ in which the first symbol at R.H.S is F &

where, $F \rightarrow (\epsilon) \mid id$

$$\boxed{\therefore \text{FIRST}(\epsilon) = \text{FIRST}(T) = \text{FIRST}(F)}$$

As, $F \rightarrow (\epsilon)$

$F \rightarrow id$

Hence $\text{FIRST}(\epsilon) = \text{FIRST}(T) = \text{FIRST}(F) = \{\epsilon, id\}$

$\rightarrow E' \rightarrow +TE' / \epsilon$

$\text{FIRST}(E') = \{+, \epsilon\}$

$\rightarrow T' \rightarrow *FT' / \epsilon$

$\text{FIRST}(T') = \{* , \epsilon\}$

SYMBOLS	FIRST
ϵ	$\{\epsilon, id\}$
E'	$\{+, \epsilon\}$
T	$\{\epsilon, id\}$
T'	$\{* , \epsilon\}$
F	$\{\epsilon, id\}$

FOLLOW(ϵ)

(i) As there is a rule $F \rightarrow (\epsilon)$ the symbol ')' appears immediately to the right of ϵ .

$\therefore)$ will be in FOLLOW(ϵ).

since ϵ is a start symbol, add \$ to FOLLOW of ϵ .

Hence, FOLLOW(ϵ) = $\{), \$\}$

FOLLOW(E')

(i) $E \rightarrow TE'$

(ii) $E' \rightarrow +TE'$

$E \rightarrow TE'$ the computational rule is $A \rightarrow XB\beta$

$A=E$, $X=T$, $B=E'$, $\beta=\epsilon$ then by rule 3



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Everything in $\text{FOLLOW}(A) = \text{FOLLOW}(B)$

i.e. $\text{FOLLOW}(\epsilon) = \text{FOLLOW}(\epsilon')$

$\therefore \text{FOLLOW}(\epsilon') = \{ \cdot, \$ \}$

$\epsilon' \rightarrow +TE'$, the computational rule is $A \rightarrow XB\beta$.

$\therefore A = E'$, $X = +T$, $B = \epsilon'$, $\beta = \epsilon$ then by rule 3.

Everything in $\text{FOLLOW}(A) = \text{FOLLOW}(B)$

i.e. $\text{FOLLOW}(\epsilon') = \text{FOLLOW}(\epsilon)$

$\therefore \text{FOLLOW}(\epsilon') = \{ \cdot, \$ \}$

$\text{FOLLOW}(T)$

① $\epsilon \rightarrow TE'$

② $\epsilon' \rightarrow +TE'$

① $\epsilon \rightarrow TE'$ the computational rule is $A \rightarrow XB\beta$

$A = \epsilon$, $X = \epsilon$, $B = T$, $\beta = \epsilon'$ then by rule ②.

$$\text{FOLLOW}(B) = \{ \text{FIRST}(\beta) - \epsilon \}$$

$$\therefore \text{FOLLOW}(T) = \{ \text{FIRST}(\epsilon') - \epsilon \}$$

$$= \{ \{ +, \$ \} - \epsilon \}$$

$$= \{ + \}$$



$\epsilon^* \rightarrow +TE^*$ we will map it $A \rightarrow XB\beta$

$A = \epsilon^*$, $X = +T$, $B = \epsilon^*$, $\beta = \epsilon$ then by rule 3

$$\text{FOLLOW}(A) = \text{FOLLOW}(B)$$

$$\text{i.e } \text{FOLLOW}(\epsilon^*) = \text{FOLLOW}(T)$$

$$\text{FOLLOW}(\epsilon^*) = \{ , \}, \$ \}$$

$$\text{Finally, } \text{FOLLOW}(T) = \{ + \} \cup \{ , \}, \$ \} \\ = \{ + , , \}, \$ \}$$

FOLLOW(T')

$$① T \rightarrow FT'$$

$$② T' \rightarrow *FT'$$

$T \rightarrow FT'$ map it with $A \rightarrow XB\beta$ then

$A = T$, $X = F$, $B = T'$, $\beta = \epsilon$ then by rule 3

$$\text{FOLLOW}(A) = \text{FOLLOW}(B)$$

$$\text{FOLLOW}(T') = \text{FOLLOW}(T)$$

$$= \{ + , , \}, \$ \}$$

$T' \rightarrow *FT'$ we will map $A \rightarrow XB\beta$

$A = T'$, $X = *F$, $B = T' \rightarrow \beta = \epsilon$ then by rule 3

$$\text{FOLLOW}(A) = \text{FOLLOW}(B)$$

$$\therefore \text{FOLLOW}(T') = \text{FOLLOW}(T)$$

$$\text{FOLLOW}(T') = \{ + , , \}, \$ \}$$

(10) FOLLOW(F)

$$① T \rightarrow FT'$$

$$T' \rightarrow *FT'$$

$T \rightarrow FT'$, we will map $A \rightarrow \alpha B \beta$

$A = T$, $\alpha = \epsilon$, $B = F$, $\beta = T'$ then by rule 2.

$$\text{FOLLOW}(B) = \{\text{FIRST}(B) - \epsilon\}$$

$$\therefore \text{FOLLOW}(F) = \text{FIRST}(T') - \epsilon \\ = \{* \}$$

$T' \rightarrow *FT'$ we will map $A \rightarrow \alpha B \beta$

$A = T'$, $\alpha = *F$, $B = T'$, $\beta = \epsilon$ then by rule 3.

$$\text{FOLLOW}(A) = \text{FOLLOW}(B)$$

$$\therefore \text{FOLLOW}(T') = \text{FOLLOW}(T) \\ = \{+,), \$\}$$

Finally, $\text{FOLLOW}(F) = \{* \} \cup \{+,), \$\}$

$$= \{+, *,), \$\}$$

symbols	FIRST	FOLLOW
ϵ	$\{(, id\}$	$\{), \$\}$
ϵ'	$\{+, \epsilon\}$	$\{), \$\}$
T	$\{(, id\}$	$\{+,), \$\}$
$+'$	$\{*, \epsilon\}$	$\{+,), \$\}$
F	$\{(, id\}$	$\{+, *,), \$\}$

Step 2: Construction of predictive parsing table.

For the rule $A \rightarrow \alpha$ of grammar G .

① For each 'a' in $\text{FIRST}(\alpha)$ create entry

$$M[A, a] = A \rightarrow \alpha$$

where, 'a' is terminal symbol

② For ϵ in $\text{FIRST}(\alpha)$ create entry

$$M[A, \epsilon] = A \rightarrow \alpha$$

where, 'b' is symbols from $\text{FOLLOW}(A)$.

③ If ϵ is in $\text{FIRST}(\alpha)$ and $\$$ is in $\text{FOLLOW}(A)$ then
create entry in the table

$$M[A, \$] = A \rightarrow \alpha$$

④ All the remaining entries in the table are marked
as SYNTAX ERROR.

Questions: $E \rightarrow TE'$

$$E' \rightarrow +TE'/\epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT'/\epsilon$$

$$F \rightarrow (\epsilon) / \text{id}$$



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$$E \rightarrow TE'$$
$$A \rightarrow \alpha$$
$$A = E, \alpha = TE'$$

$$\text{FIRST}(TE') = \{ (', \text{id}), (\epsilon) \} \\ = \{ (', \text{id}) \}$$

$$\therefore E' = E$$

$$M[E, ()] = E \rightarrow TE'$$

$$M[E, \text{id}] = E \rightarrow TE'$$

$$E \rightarrow +TE'$$
$$A \rightarrow \alpha$$
$$A = E'$$
$$\alpha = +TE'$$

$$\text{FIRST}(+TE') = \{ + \}$$

$$\therefore M[E', +] = E' \rightarrow +TE'$$

$$E' \rightarrow \epsilon$$
$$A \rightarrow \alpha$$
$$A = E', \alpha = \epsilon$$

$$\text{FOLLOW}(E') = \{), \$ \}$$

$$M[E',)] = E' \rightarrow \epsilon$$

$$M[E', \$] = E' \rightarrow \epsilon$$

$$T \rightarrow FT'$$
$$A \rightarrow \alpha$$
$$A = T, \alpha = FT'$$

$$\text{FIRST}(FT') = \text{FIRST}(F) = \{ (, \text{id}) \}$$

$$\therefore T' = \epsilon$$

$$M[T, ()] = T \rightarrow FT'$$

$$M[T, \text{id}] = T \rightarrow FT'$$



$$T' \rightarrow *FT'$$

$$A \rightarrow X$$

$$A = T', X = *FT'$$

$$\text{FIRST}(*FT') = \{ *\}$$

$$M[T', *] = T' \rightarrow *FT'$$

$$F \rightarrow (\epsilon)$$

$$A \rightarrow X$$

$$A = F, X = (\epsilon)$$

$$\text{FIRST}((\epsilon)) = \{ (\epsilon) \}$$

$$M[F, ()] = F \rightarrow (\epsilon)$$

$$T' \rightarrow \epsilon$$

$$A \rightarrow X$$

$$A = T', X = \epsilon$$

$$\text{FOLLOW}(T') = \{ +,), \$ \}$$

$$M[T', +] = T' \rightarrow \epsilon$$

$$M[T',)] = T' \rightarrow \epsilon$$

$$M[T', \$] = T' \rightarrow \epsilon$$

$$F \rightarrow id$$

$$A \rightarrow X$$

$$A = F, X = id$$

$$\text{FIRST}(id) = \{ id \}$$

$$M[F, id] = F \rightarrow id$$

	id	$+$	$*$	$($	$)$	$\$$
E	$E \rightarrow TE'$	error	error	$E \rightarrow TE'$	error	error
E'	error	$E' \rightarrow +TE'$	error	error	$E' \rightarrow E$	$E' \rightarrow \epsilon$
T	$T \rightarrow FT'$	error	error	$T \rightarrow FT'$	error	error
T'	error	$T' \rightarrow \epsilon$	$T' \rightarrow *FT'$	error	$T' \rightarrow \epsilon$	$T' \rightarrow \epsilon$
F	$F \rightarrow id$	error	error	$F \rightarrow (\epsilon)$	error	error

STEP 3: Parsing the i/p string

i/p : id + id * id

$$\begin{aligned} C &\rightarrow CT \\ C &\rightarrow C + CT \\ T &\rightarrow FT \\ T &\rightarrow *FT \\ F &\rightarrow (C) \mid id \end{aligned}$$

Stack	i/p	Action
\$C	id + id * id \$	-
\$CT	id + id * id \$	$C \rightarrow CT$
\$CTF	id + id * id \$	$T \rightarrow FT$
\$CT'id	id + id * id \$	$F \rightarrow id$
\$CT'	+ id * id \$	-
\$C'	+ id * id \$	$T' \rightarrow \epsilon$
\$CT+	+ id * id \$	$C' \rightarrow + TE'$
\$CTT	id * id \$	-
\$CT'F	id * id \$	$T \rightarrow FT'$
\$CT'id	id * id \$	$F \rightarrow id$
\$CT'T	* id \$	-
\$CT'FT*	* id \$	$T' \rightarrow *FT'$
\$CT'F	id \$	-
\$CT'id	id \$	$F \rightarrow id$
\$CTT	\$	-
\$C'	\$	$T' \rightarrow \epsilon$
\$	\$	$C' \rightarrow \epsilon$

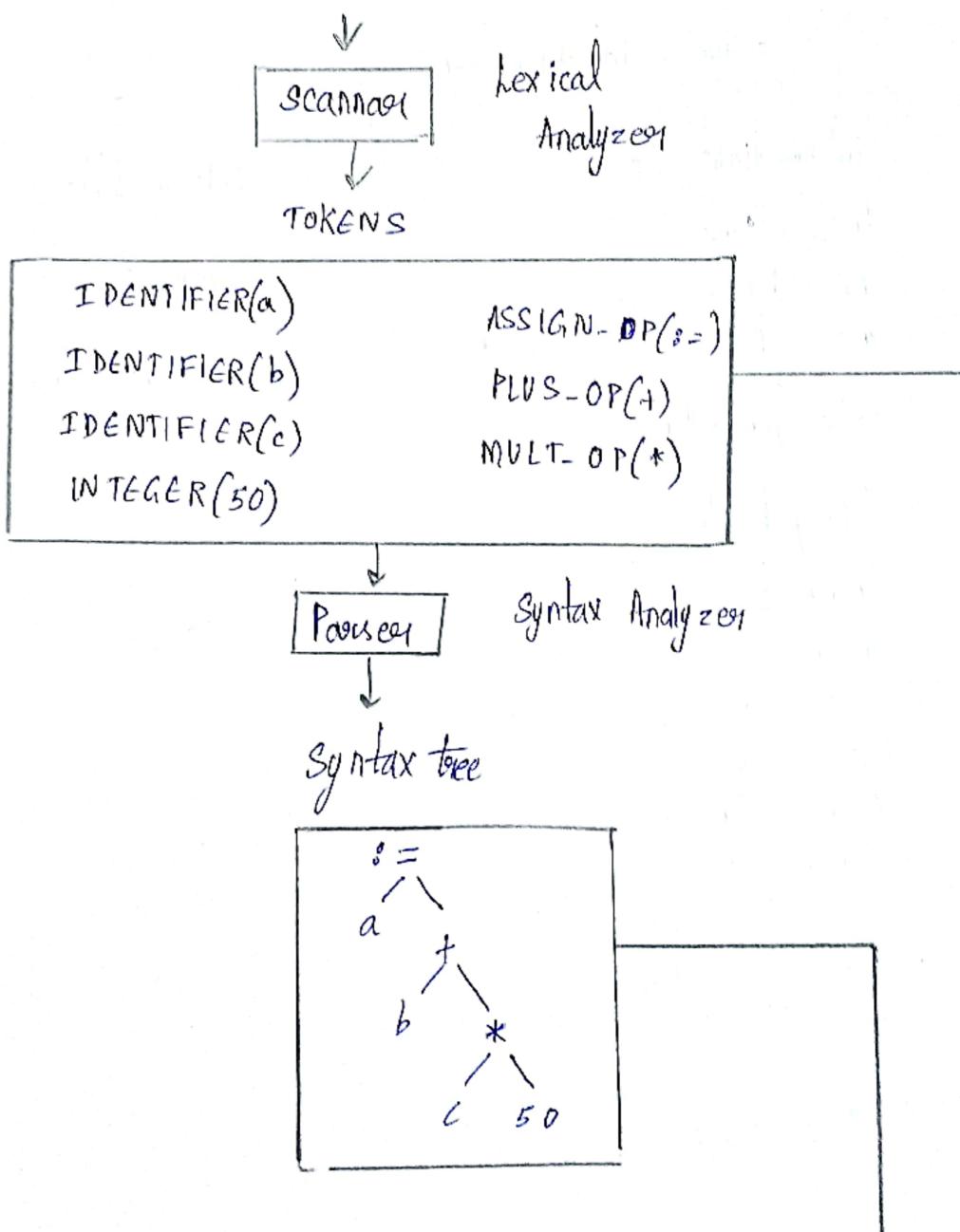
Q5 Explain the Phases of Compiler? Write down the output of each phase for the following:

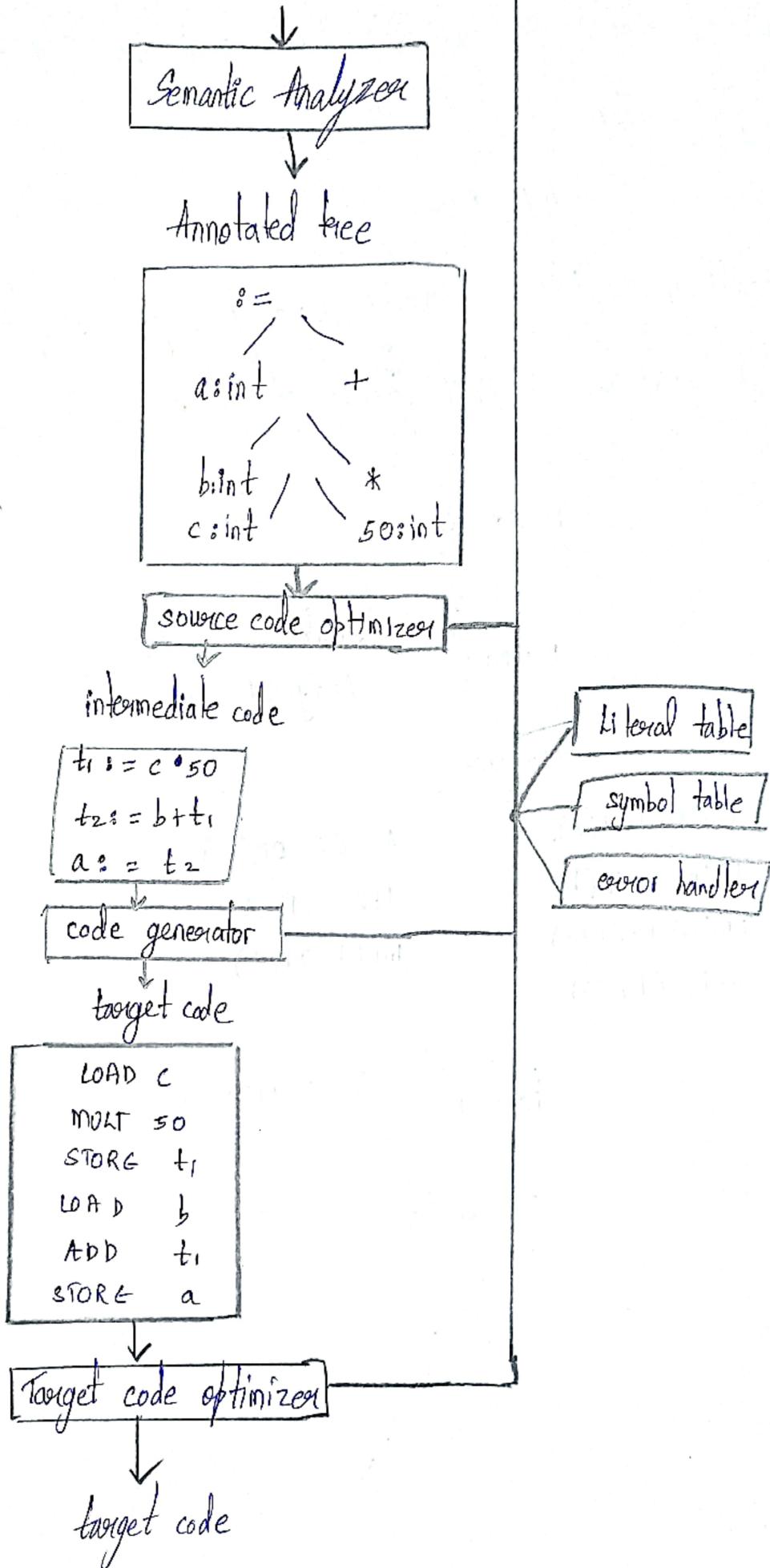
$a := b + c * 50$

Ans A compiler consists internally a no. of steps, or phases, that performs distinct logical operations.

source code

$a := b + c * 50$





Phases of a Compiler:

- SCANNER: This phase of the compiler does the actual reading of the source program, which is usually in the form of a stream of characters.
- The SCANNER performs what is called lexical Analysis, it collects sequence of character into meaningful units called Tokens.

PARSER:

- The parser receives the source code in the form of tokens from the scanner and perform syntax Analysis, which determines the structure of the program.
- The results of syntax analysis are usually represented as a parse tree or syntax tree

SEMANTIC ANALYZER:

- The semantics of a program are its "meaning".
- The semantics of a program determine its runtime behaviour, but most programming languages have features that can be determined prior to execution & yet can't be conveniently expressed as syntax or analyzed by the parser.

- SOURCE CODE OPTIMIZER:

- Compilers often include a no. of code improvements or optimizations steps.
- Individual compilers exhibit a wide variation not only in the kinds of optimizations performed but also in the placement of the optimization phases.
- Source code optimizers may use 3-address code by referring to its o/p as intermediate code.
- Intermediate code refers as Intermediate representation (IR)

- CODE GENERATOR:

- The code generator takes the intermediate code or IR and generates code for the target machine.

- TARGET CODE OPTIMIZER:

- In this phase, the compiler attempts to improve the target code generated by the code generator.
- Such improvements includes choosing addressing modes to improve performance, replacing slow ones by faster ones, and eliminating redundant unnecessary operations.

