

Lab 1: Continuous-time Signals

Outline for lab report

- Title page: Title, name, course name, section number
- Abstract: 300 words maximum
- Objectives: List in your own words
- Introduction and Motivation
- Background material: Includes any theoretical background
- Results and Discussion: All tables and plots should have a title. All plots should be clearly labelled with axes and title. Analytical work should be clearly written and results/tables/figures should be discussed wherever necessary.
- Conclusion
- Appendices: Put listings of MATLAB code and any other Appendices you see fit.

Guidelines for good coding practice and lab report submission

- MATLAB code should be properly commented.
- Code should start with a title, lab number, version number, date and author.
- All functions and script purpose should be explained along with input and outputs.

Introduction

A continuous-time signal takes on a value at every point in time, whereas a discrete-time signal is only defined at integer values of the time variable. Whereas, discrete-time signals can be easily stored and processed on a computer, it is impossible to store the values of a continuous-time signal for all points along a segment of the real line.

How then do we process continuous-time signals? In this lab, we will show that continuous-time signals may be processed by first approximating them by discrete-time signals using a process known as sampling. We will see that proper selection of the spacing between samples is crucial for an efficient and accurate approximation of a continuous-time signal. Excessively close spacing will lead to too much data, whereas excessively distant spacing will lead to a poor approximation of the continuous-time signal.

You can refer the Mathworks documentation to learn about signal generation and processing using MATLAB.

https://www.mathworks.com/help/signal/gs/impulse-step-and-ramp-functions.html?searchHighlight=ramp&s_tid=doc_srchtile

Lab Assignments

1. This part shows an example of how to write a script to plot a unit step response. The script for a generic unit step function is attached.

function $y = \text{ustep}(t, ad)$

```
%*****
% Lab1: Continuous-time Systems
% Problem 1: Script to generate and plot unit step response
% Inputs: time support and sampling steps of the signal
% Output: unit step response
% Reference: Signals and Systems with Matlab, Chaparro Luis F.
%*****

clear all;
clf
Ts = 0.01; % Sampling time
t = -5:Ts:5; % support of signal

% unit-step function with support [-5,5], delayed by 3
y = ustep(t,-3);
plot(t,y);
axis([-5 5 -1 5]);
title('Unit step response');
xlabel('time (seconds)');
ylabel('y(t)');
grid

%*****
% Function to generate unit step
% Input : time interval, signal advance/delay factor
% Output: Unit step response
%*****

function y = ustep(t,ad)
% generation of unit step
% t: time
% ad : advance (positive), delay (negative)

N= length(t);
y = zeros(1,N);
for i = 1:N,
    if t(i)>= -ad,
        y(i) = 1;
    end
end
end
```

2. Write a MATLAB script for a generic ramp function $r(t)$ and plot for $y = \text{ramp}(t, 3, 0)$. The variable t is in the interval $-5 < t < 5$ and increments in steps of 0.01.

function $y = \text{ramp}(t, m, ad)$

% t = time support, m = ramp slope, ad = signal advance(positive)/delay(negative)

3. Using the ustep and ramp functions, plot the following continuous-time signals for the interval $-5 < t < 5$. The variable t should increment in steps of 0.01.
 - $3u(t-2)$
 - $4r(t+3)$

4. Write a script to generate a signal $y(t)$ that uses the functions ramp and ustep,

$$y(t) = 3r(t+3) - 6r(t+1) + 3r(t) - 3u(t-3)$$

Plot the signal $y(t)$ in the interval $-5 < t < 5$. The variable t should increment in steps of 0.01. Calculate analytically $y(1)$ and $y(4)$ and verify that these values were obtained on your plot.

5. Consider the following script that uses the functions ramp and ustep to generate a signal $y(t)$. Use the 'help' facility to understand any of the MATLAB commands.

```
clear all;
clf;
t = -5:0.01:5;
y1 = ramp(t,2,2.5);
y2 = ramp(t,-5,0);
y3 = ramp(t,3,-2);
y4 = ustep(t,-4);
y = y1 + y2 + y3 + y4;
plot(t,y,'k');
axis([-10 10 -3 5]);
grid
```

- a. Obtain analytically the formula for the signal $y(t)$.
- b. Show that $y(t) = 0$ for $t < -5$ and $t > 5$ both analytically and by a plot of $y(t)$.
- c. Write a function to compute and plot the even and odd components of $y(t)$.

HINT: For even/odd decomposition, create a function:

```
function [ye,yo] = evenodd(y)
yr = fliplr(y);
ye = 0.5 * (y + yr);
yo = 0.5 * (y - yr);
```

6. An acoustic signal $x(t)$ has a duration of 3.3 minutes and a radio station would like to use the signal for a 3-minute segment. Explain how this can be done. You do not have to program it up.
7. Consider the signal $x(t) = \cos(\pi t) + \cos(2\pi t/3)$. Show that $x(t)$ is periodic, find the period of $x(t)$ and plot $x(t)$ in the interval $-10 < t < 10$ to verify your claim.