VD 6.4

Given \vec{u} and \vec{v} , find $\vec{w} = \vec{u} + \vec{v}$

(1)
$$\overrightarrow{w} = \overrightarrow{u} + \overrightarrow{v}$$
, $\overrightarrow{a} = \overrightarrow{u} - \overrightarrow{v}$ and $\overrightarrow{w} \cdot \overrightarrow{a}$

(2) θ between $\overset{-}{w}$ and $\overset{-}{a}$ (degree)

(3) $\operatorname{Proj}_{\bar{a}} \widetilde{w}$

(4) and the normal vector of $\stackrel{-}{n}$ after decomposition.

ü	v	$\overrightarrow{w} = \overrightarrow{u} + \overrightarrow{v}$	$\vec{a} = \vec{u} - \vec{v}$	$\vec{w} \cdot \vec{a}$	θ between \overline{w} and \overline{a} (degree)	$\operatorname{Proj}_{\overline{a}} \widetilde{w}$	normal vector of \vec{n}
2i+3j	i-j	3i+2j	i+4j	11	42.27	$\frac{11}{17}i + \frac{44}{17}j$	$\frac{40}{17}i - \frac{10}{17}j$
-6i+2j	2i+4j	-4i+6j	-8i-2j	20	70.35	$-\frac{40}{17}i - \frac{10}{17}j$	$-\frac{28}{17}i + \frac{112}{17}j$
3i-5j	i+j	4i-4j	2i-6j	32	26.57	$\frac{8}{5}i - \frac{24}{5}j$	$\frac{12}{5}i + \frac{4}{5}j$
-4i-3j	2i+2j	-2i-j	-6i-5j	17	13.24	$-\frac{102}{61}i - \frac{85}{61}j$	$-\frac{20}{61}i + \frac{24}{61}j$
-i+2j	2i+3j	i+5j	-3i-j	-8	119.74	$\frac{12}{5}i + \frac{4}{5}j$	$-\frac{7}{5}i + \frac{21}{5}j$
4i-3j	i+3j	5i	3i-6j	15	63.43	i-2j	4i+2j
2i+j	-3i+2j	-i+3j	5i-j	-8	119.74	$-\frac{20}{13}i + \frac{4}{13}j$	$\frac{7}{13}i + \frac{35}{13}j$