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- [19] I. C. Gonnella, F. Pichi, and G. Rozza. Nonlinear reduction strategies for data compression: A comprehensive comparison from diffusion to advection problems. arXiv:2501.12816, 2025, 2501.12816. doi:10.48550/arXiv.2501.12816.
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- [11] M. Khamlich, F. Pichi, and G. Rozza. Model order reduction for bifurcating phenomena in Fluid-Structure Interaction problems. *International Journal for Numerical Methods in Fluids*, 2022. doi:10.1002/fld.5118.
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