Introduction to Web Science/595: Assignment #6

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Francis Pruter	Introduction to Web Science/595 (Dr. Nelson): Assignment #6	
Contents		
Problem 1		3
Problem 2		7

Problem 1

1. We know the result of the Karate Club (Zachary, 1977) split. Prove or disprove that the result of split could have been predicted by the weighted graph of social interactions. How well does the mathematical model represent reality?

Generously document your answer with all supporting equations, code, graphs, arguments, etc.

SOLUTION

By using Girvan-Newman Community Edge Betweenness, there was a 94.1 percent accuracy in predicting the how the karate club would have split. Community Edge Betweenness used the weight provided by the python-graph man.

Girvan-Newman algorithm:

- 1. The betweenness of all existing edges in the network is calculated first.
- 2. The edge with the highest betweenness is removed.
- 3. The betweenness of all edges affected by the removal is recalculated.
- 4. Steps 2 and 3 are repeated until no edges remain.

Below is the python code I used to compare the actual split and the predicted split.

Listing 1: karate_club_igraph.py

```
#!/usr/bin/env python
   Data file from:
   http://igraph.org/python/doc/tutorial/tutorial.html
   Reference:
   as_clustering():
       http://stackoverflow.com/questions/22046499/community-detection-with-igraph-in-
          python
10
   from igraph import *
   karate = Graph.Read_GraphML("karate.GraphML")
   layout=karate.layout('kk')
   karate.vs["label"] = karate.vs["name"]
   karate_actual_MrHi = []
   karate_actual_John = []
   #Community Edge Betweenness cluster=2
   karate_ceb = karate.community_edge_betweenness(clusters=2, directed=False, weights=
       karate.es["weight"]).as_clustering()
```

```
#Community Edge Betweenness cluster=3
   karate_ceb3 = karate.community_edge_betweenness(clusters=3, directed=False, weights=
      karate.es["weight"]).as_clustering()
   #Community Edge Betweenness cluster=4
   karate_ceb4 = karate.community_edge_betweenness(clusters=4, directed=False, weights=
      karate.es["weight"]).as_clustering()
   #Community Edge Betweenness cluster=5
  karate_ceb5 = karate.community_edge_betweenness(clusters=5, directed=False, weights=
      karate.es["weight"]).as_clustering()
   for x in range (0,34):
     if (karate.vs[x]["Faction"] == 1.0):
        karate_actual_MrHi.append(x)
     if (karate.vs[x]["Faction"] == 2.0):
40
       karate_actual_John.append(x)
   #Initial
45 | plot(karate, "graphs/beforesplit.pdf", layout = layout, margin = 20)
   #Community Edge Betweenness
   plot(karate_ceb, "graphs/predictedsplit.pdf", layout = layout, margin = 20)
  #Community Edge Betweenness, cluster = 3
   plot(karate_ceb3, "graphs/predictedsplit3.pdf", layout = layout, margin = 20)
   #Community Edge Betweenness, cluster = 4
   plot(karate_ceb4, "graphs/predictedsplit4.pdf", layout = layout, margin = 20)
   #Community Edge Betweenness, cluster = 5
   plot(karate_ceb5, "graphs/predictedsplit5.pdf", layout = layout, margin = 20)
  #accuracy
   diff = list(set(karate_actual_MrHi) - set(karate_ceb[0])) + list(set(karate_ceb[0]) -
      set(karate_actual_MrHi))
   diff.sort()
  accuracy = round(((34-len(diff))/34.0)*100, 1)
   print "Actual Mr. Hi:\t", karate_actual_MrHi
   print "Predic Mr. Hi:\t", karate_ceb[0]
   print "Actual John:\t", karate_actual_John
   print "Predic John:\t", karate_ceb[1]
   print "\nDifference:\t", diff
   print "Accuracy: \t", accuracy
```

Note the difference between the actual and predicted split were nodes 2 and 13 resulting in 94.1 percent accuracy

Below is the karate club below the split and the predicted graph of the split:

Figure 1: Code Running

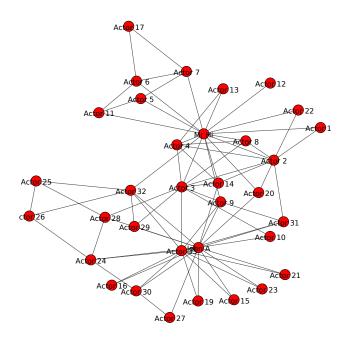


Figure 2: Before Split

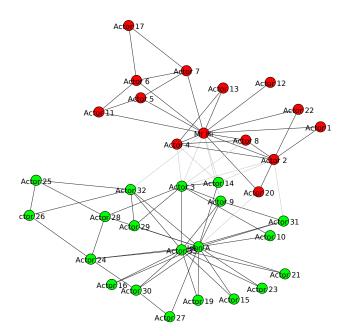


Figure 3: Predicted Split

Problem 2

2. We know the group split in two different groups. Suppose the disagreements in the group were more nuanced -- what would the clubs look like if they split into groups of 3, 4, and 5?

SOLUTION

The code in problem 1 also executes for clusters of size 3, 4, and 5.

Below is the the projected way it would look

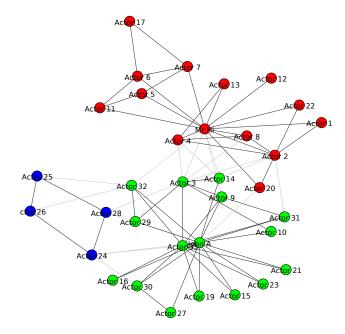


Figure 4: Projected 3 groups

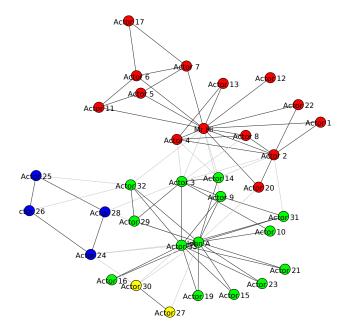


Figure 5: Projected 4 groups

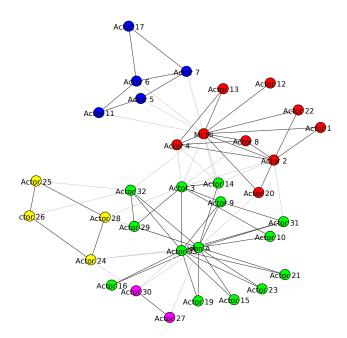


Figure 6: Projected 5 groups