

What is the Pomeron?

Recent Results on Diffraction from the HERA ep Collider

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(University of Heidelberg, H1 Collaboration)

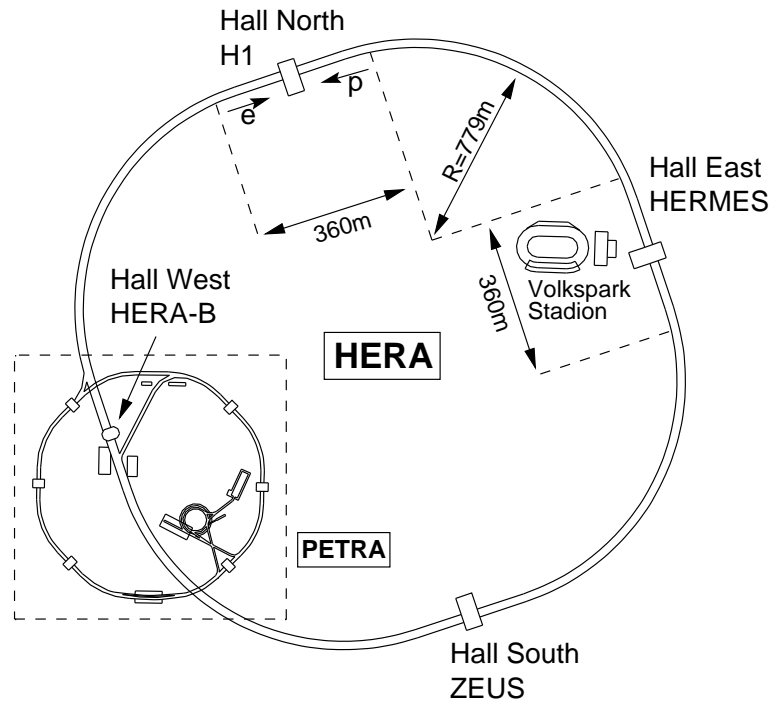


HEP Colloquium, Heidelberg, 31/10/2000

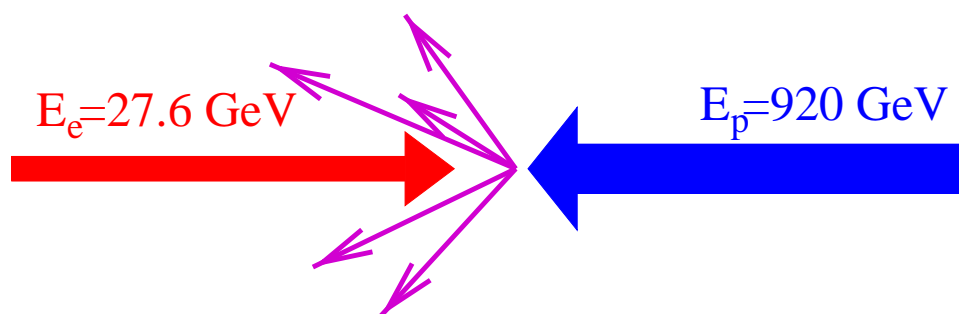
Contents:

- HERA, H1 and Deep Inelastic Scattering
- Large Rapidity Gap Events
- History: The Pomeron in soft Hadron Interactions
- Diffraction in DIS: $F_2^{D(3)}$ and models
- **Diffraction Jet-Production**
- Excursion to the Tevatron

The HERA ep collider



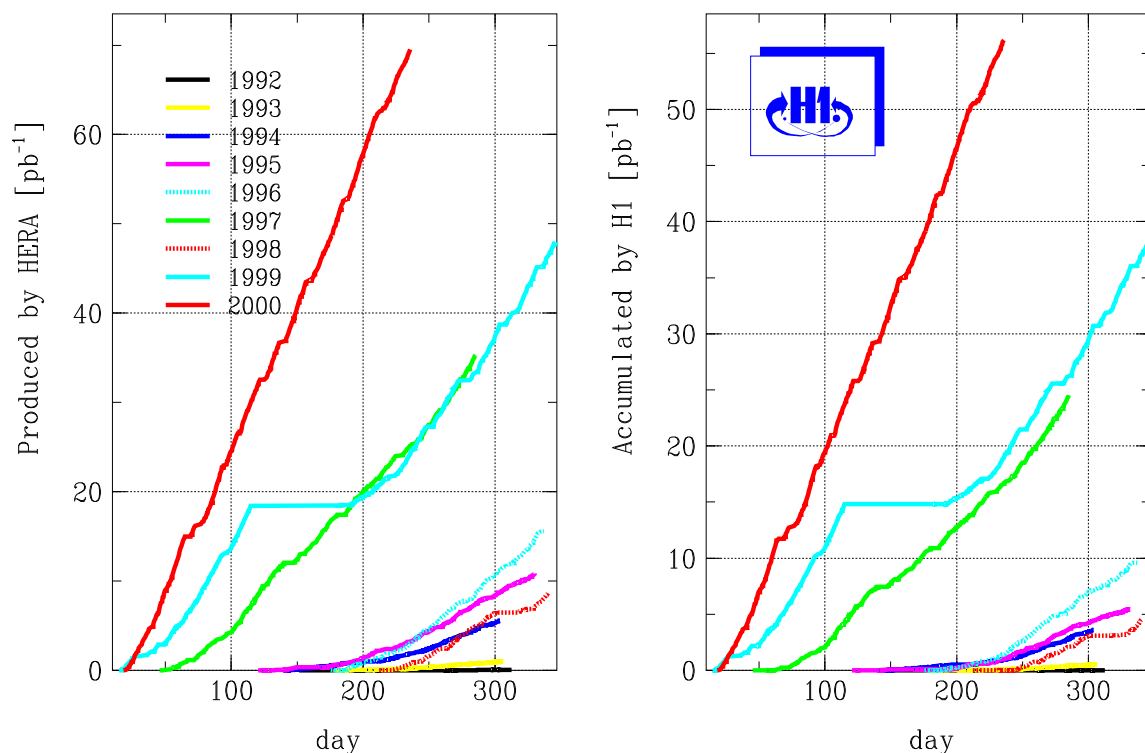
- HERA is the first and only accelerator in which electrons and protons are stored in two counterrotating beams



H1, ZEUS: ep collisions at $\sqrt{s} = 320$ GeV
 HERA-B: p -beam on fixed target: CP violation in $B^0 \bar{B}^0$
 HERMES: e -beam on polarized target: Spin structure

H1 and ZEUS: ep collisions

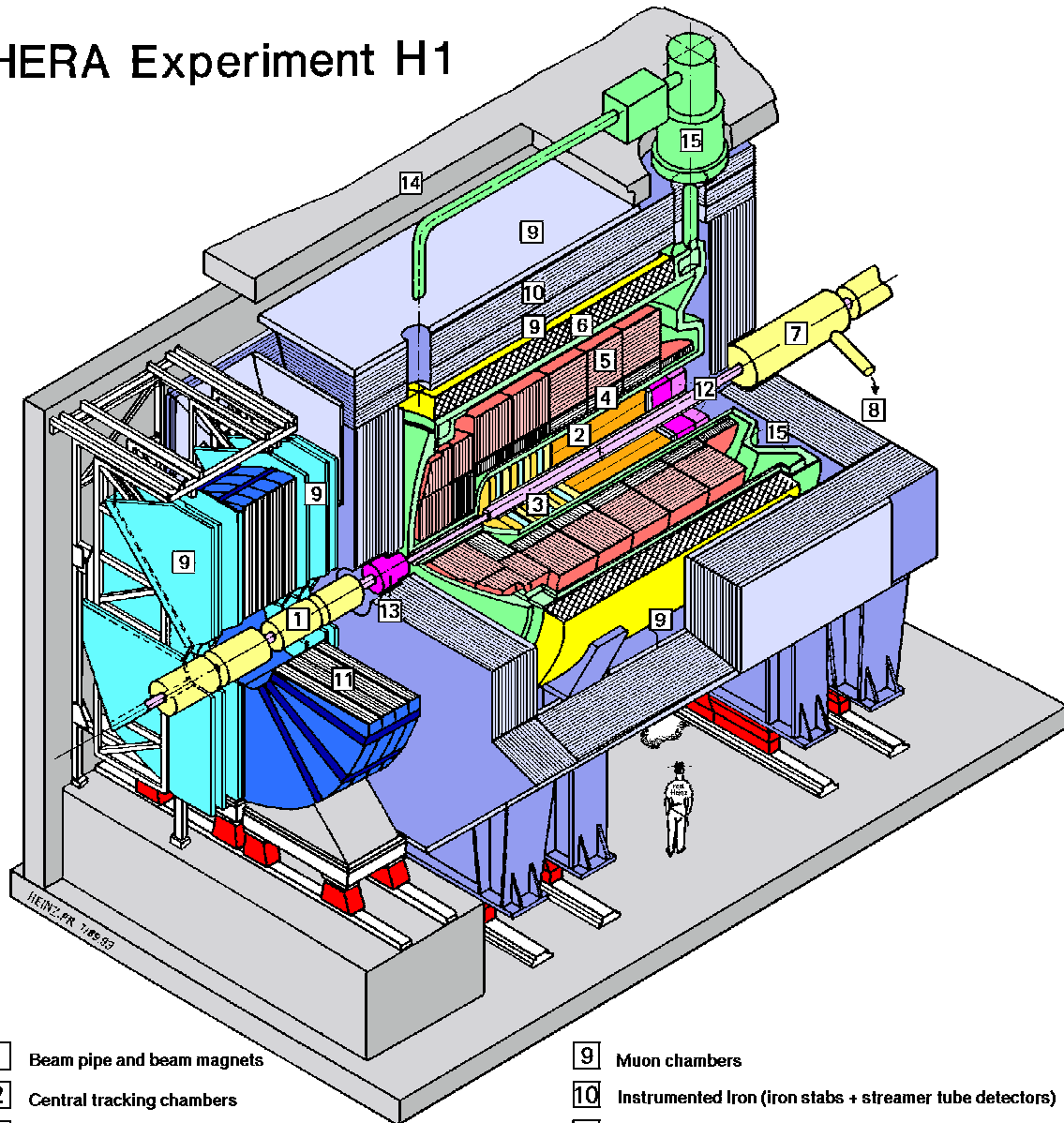
- HERA Run I (1993-2000) just completed in September
- Impressive Performance: HERA now performing at design parameters: $L = 1.5 \cdot 10^{31} \text{ cm}^{-2} \text{ s}^{-1}$
- H1 and ZEUS now each have $> 100 \text{ pb}^{-1}$ on tape



- Lumi upgrade program (Machine and Experiments) in progress to **increase Luminosity by factor 5 !**
- HERA Run II will start Summer 2001

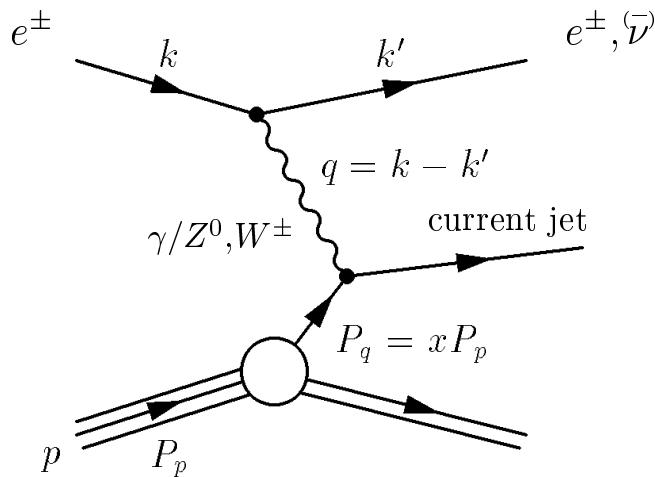
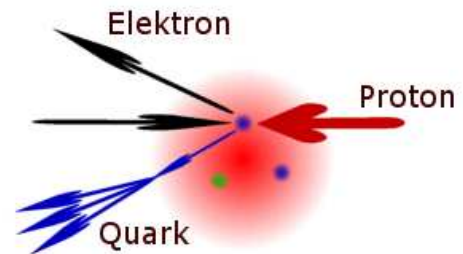
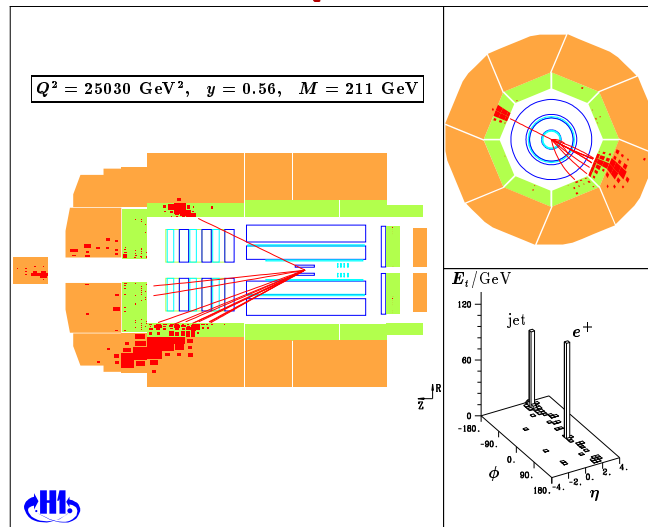
The H1 Detector at HERA

HERA Experiment H1



- | | |
|---|---|
| 1 Beam pipe and beam magnets | 9 Muon chambers |
| 2 Central tracking chambers | 10 Instrumented Iron (iron stabs + streamer tube detectors) |
| 3 Forward tracking and Transition radiators | 11 Muon toroid magnet |
| 4 Electromagnetic Calorimeter (lead) | 12 Warm electromagnetic calorimeter |
| 5 Hadronic Calorimeter (stainless steel) | 13 Plug calorimeter (Cu, Si) |
| 6 Superconducting coil (1.2T) | 14 Concrete shielding |
| 7 Compensating magnet | 15 Liquid Argon cryostat |
| 8 Helium cryogenics | |
- } Liquid Argon

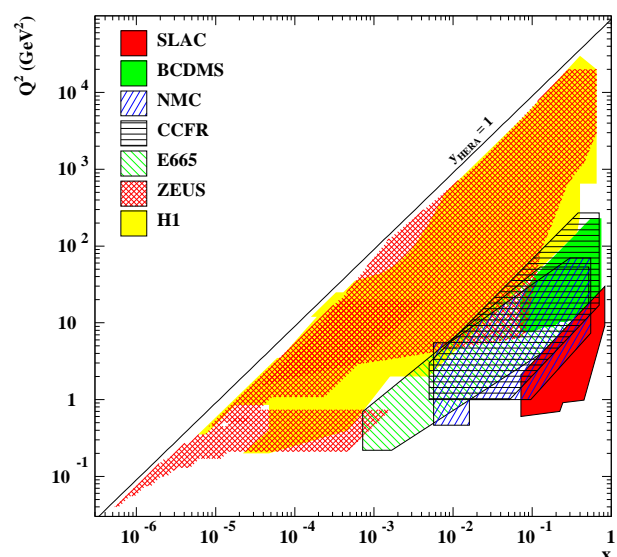
Deep Inelastic Scattering (DIS)



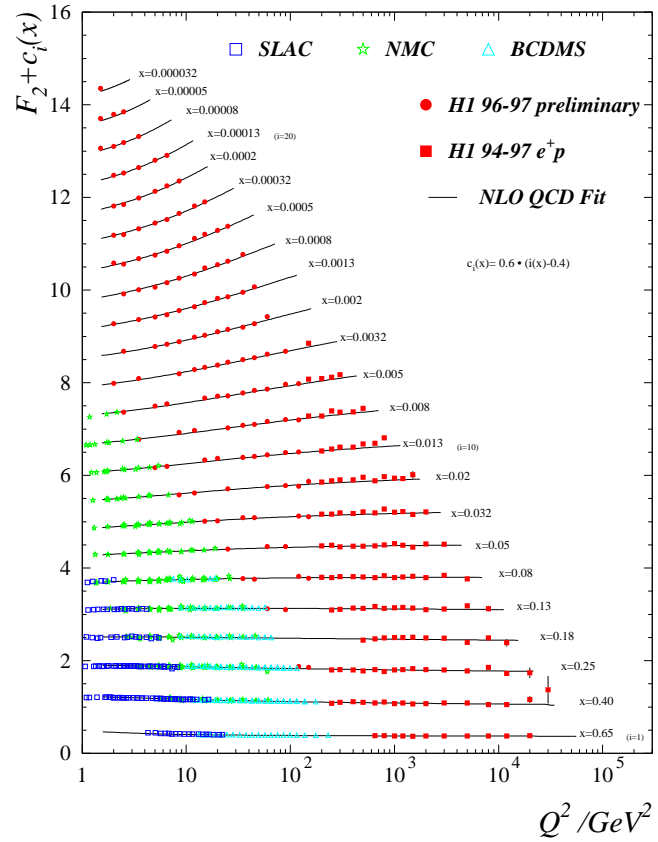
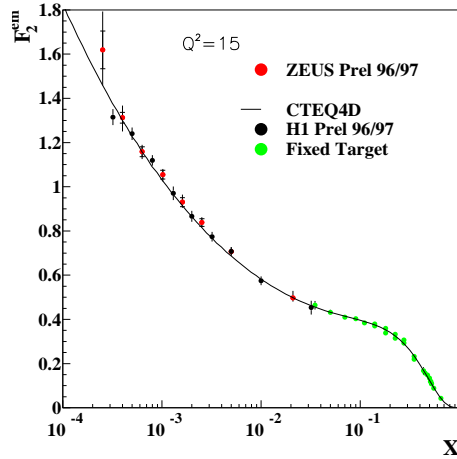
$Q^2 = -q^2 = (k - k')^2$
Photon virtuality,
“Resolution power”

$x = \frac{-q^2}{2P \cdot q} \quad (0 < x < 1)$
Parton momentum
fraction in p

HERA probes p at
two orders of magnitude
higher Q^2 at fixed x
than fixed target
experiments

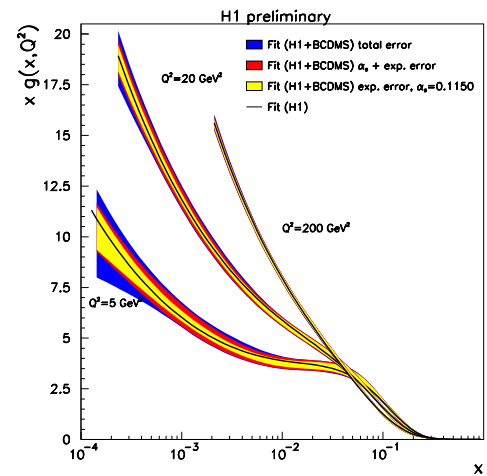
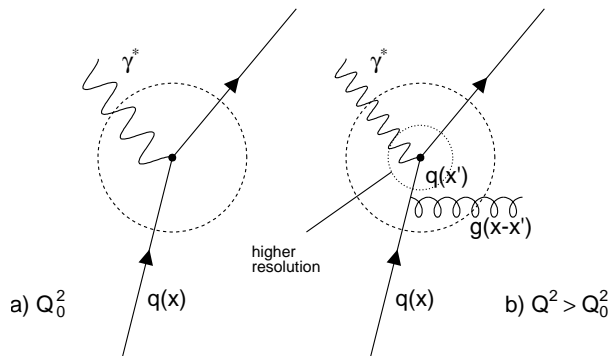


Proton Structure $F_2(x, Q^2)$



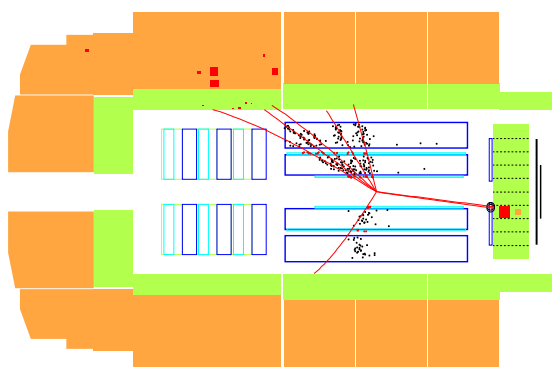
$$\frac{dq_i(x, Q^2)}{d \ln Q^2} = \frac{\alpha_s}{2\pi} \int_x^1 \frac{dz}{z} \left[q_i(z, Q^2) P_{qq} \left(\frac{x}{z} \right) + g(z, Q^2) P_{qg} \left(\frac{x}{z} \right) \right]$$

$$\frac{dg(x, Q^2)}{d \ln Q^2} = \frac{\alpha_s}{2\pi} \int_x^1 \frac{dz}{z} \left[\sum_i q_i(z, Q^2) P_{gq} \left(\frac{x}{z} \right) + g(z, Q^2) P_{gg} \left(\frac{x}{z} \right) \right]$$

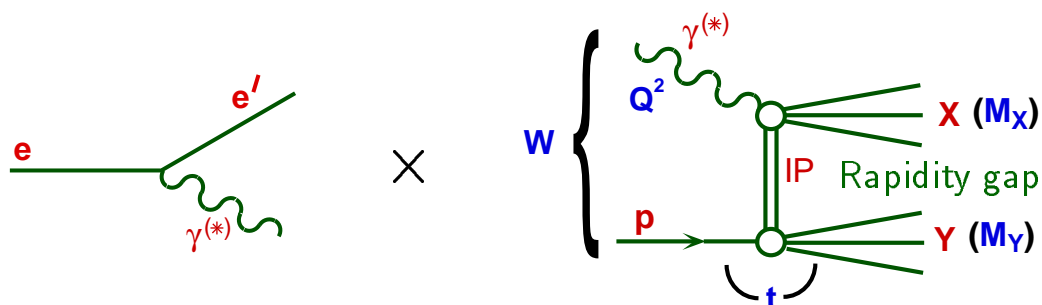


“Large Rapidity Gap” (LRG) Events

- 10% of DIS events at low $Q^2 = 4 \dots 100 \text{ GeV}^2$ exhibit large gap without hadronic activity in outgoing p region



- γ^* scatters off colorless state in p , the “Pomeron”
- p (or low-mass excitation) escapes through beampipe



$t = (p - p')^2$: (momentum transfer)² at p vertex
 M_X, M_Y : Masses of X and Y

$$x_{IP} = \frac{q \cdot (p - Y)}{q \cdot p} = \frac{Q^2 + M_X^2 - t}{Q^2 + W^2 - M_p^2}$$

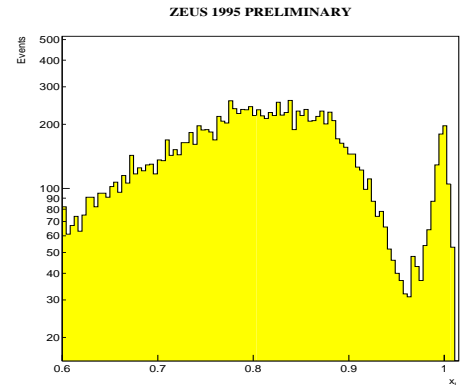
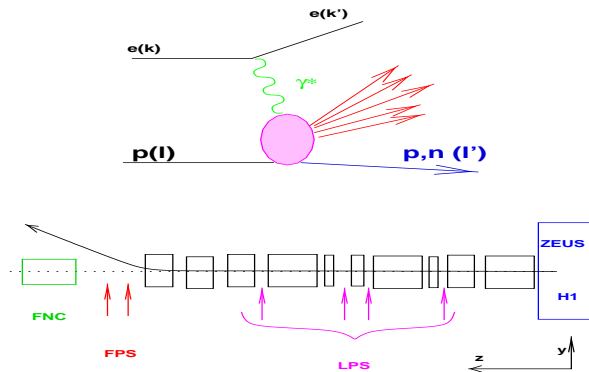
→ long. momentum fraction transferred from p to exchange

$$\beta = \frac{-q^2}{q \cdot (p - Y)} = \frac{Q^2}{Q^2 + M_X^2 - t}$$

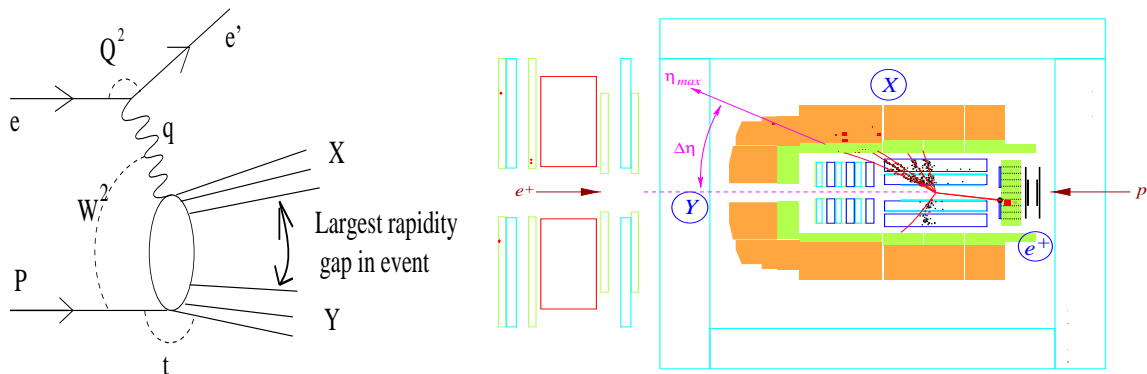
→ fraction of exchange momentum carried by q coupling to γ

Selection of LRG events

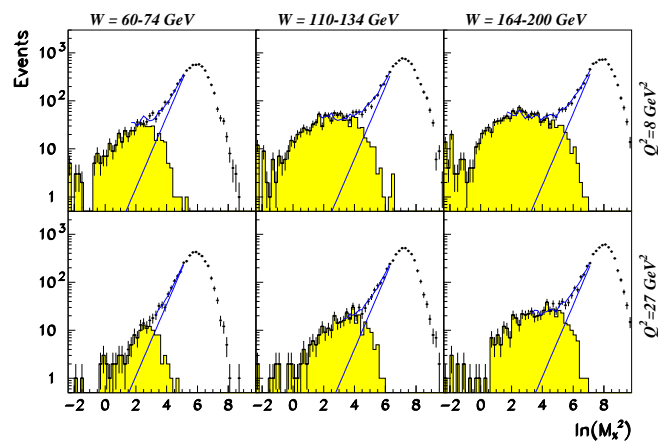
1. Tagging of p with “Roman Pots” (measure t , but low stat.):



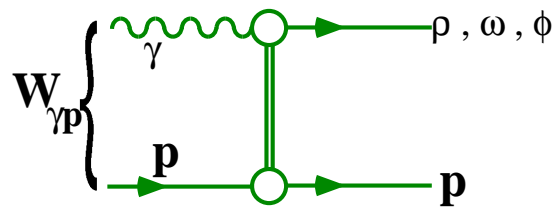
2. Large Rapidity Gap Requirement (integr. over M_Y , t):



3. Analysis of final state M_X system (integr. over M_Y , t):



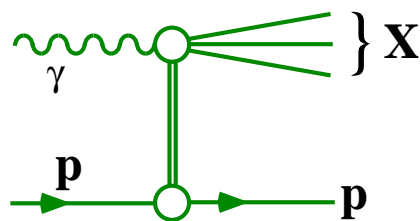
Colour singlet exchange processes in γ^*p interactions



**QUASI ELASTIC
VECTOR MESON
PRODUCTION**

(EL)

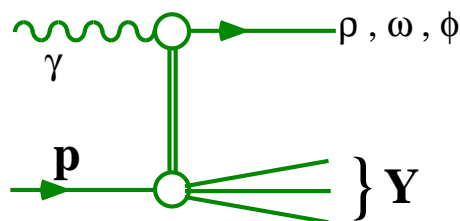
$$\gamma p \longrightarrow V p$$



**SINGLE PHOTON
DISSOCIATION**

(GD)

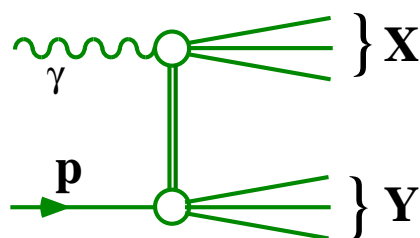
$$\gamma p \longrightarrow X p$$



**SINGLE PROTON
DISSOCIATION**

(PD)

$$\gamma p \longrightarrow V Y$$



**DOUBLE
DISSOCIATION**

(DD)

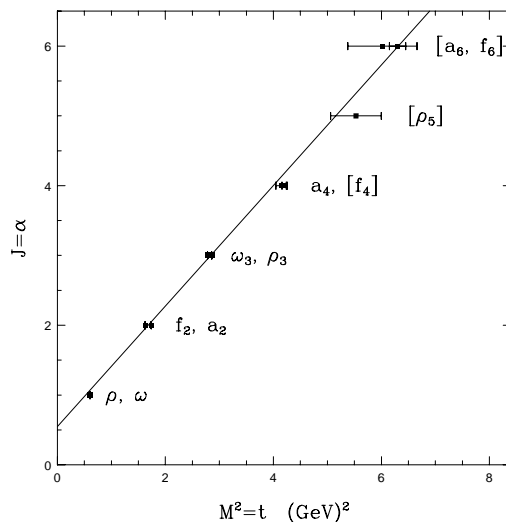
$$\gamma p \longrightarrow X Y$$

→ Photon γ^* can either fluctuate into vector meson or dissociate into high-mass system X

→ Proton p either stays intact (elastic scattering) or dissociates into low-mass baryonic system Y

History: The Pomeron in soft Hadron-Hadron Interactions

- 1960's: pre-QCD era
- **Regge model**: Describe soft hadron-hadron interactions by exchange of mesons with appropriate quantum numbers
- Observation: Family of mesons with same quantum numbers (except J) lie on **"Trajectory"** in (m^2, J) space:



$\alpha(t)$: generalized complex J

Parameterisation:

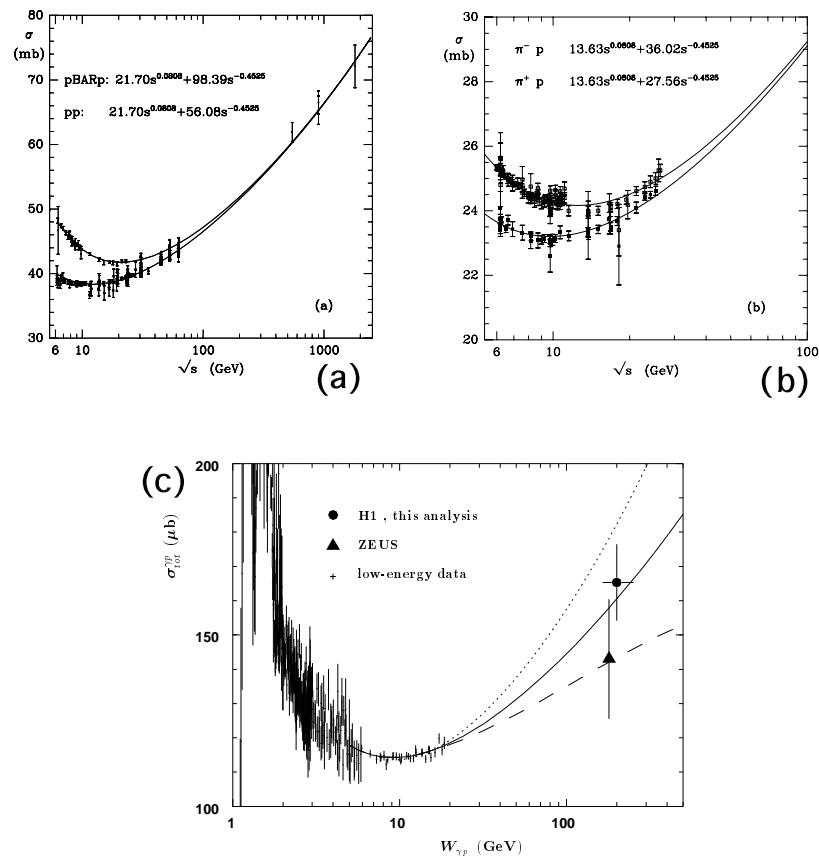
$$\alpha(t) = \alpha(0) + \alpha' t$$

- Express elastic and total cross sections in terms of $\alpha(t)$:

$$\frac{d\sigma}{dt} \sim \frac{1}{s^2} |T(s, t)|^2 = f(t) \left(\frac{s}{s_0} \right)^{2\alpha(t)-2}$$

$$\sigma_{tot} \sim \frac{1}{s} \text{Im}(T(s, t))|_{(t=0)} = s^{\alpha(0)-1}$$

Can Meson Trajectories fully describe soft hadronic hadrons?



→ **No!** Increase of σ_{tot} at high energies can not be described by known Meson Trajectories

$$\sigma_{tot}(s) \sim s^{\alpha(0)-1} \sim s^{-0.5} \quad (\alpha_{\text{Mesons}}(0) = 0.5)$$

- New Trajectory invented, the “**Pomeron**”
- carries vacuum quantum numbers

$$\alpha_{IP}(t) = 1.08 + 0.25 t$$

But today's question:

Can we understand the “**Pomeron**” in terms of QCD ??

LRG at HERA: DIS off the “Pomeron”

Most general case: Define five-fold differential cross section:

$$\frac{d\sigma(ep \rightarrow eXY)}{dx_P dt dM_Y d\beta dQ^2} = \frac{4\pi\alpha^2}{\beta Q^4} \left(1 - y + \frac{y^2}{2(1+R^{D(5)})}\right) \times F_2^{D(5)}(x_P, t, M_Y, \beta, Q^2)$$

$R^{D(5)}$: Ratio $\sigma_L/\sigma_T \rightarrow$ neglected!

If Y is not measured, integrate over M_Y, t

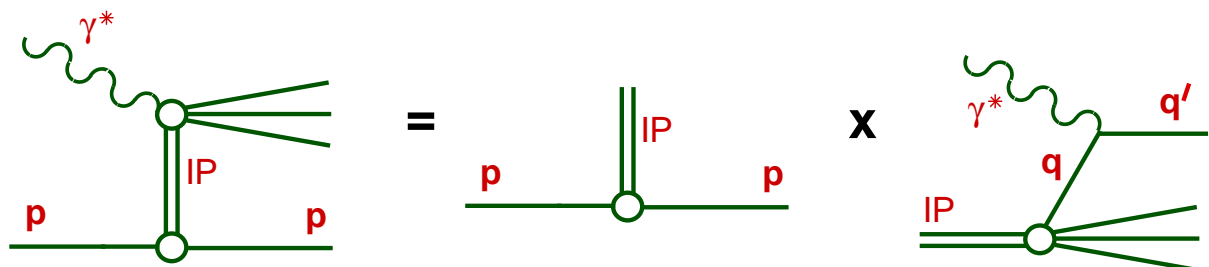
$$\frac{d\sigma^{ep \rightarrow eXY}}{dx_P d\beta dQ^2} = \frac{4\pi\alpha^2}{\beta Q^4} \left(1 - y + \frac{y^2}{2}\right) F_2^{D(3)}(x_P, \beta, Q^2)$$

Inclusive diffractive DIS:

$Q^2 \gg 0 \text{ GeV}^2$, small M_X , small M_Y :

$x_P \ll 1$ (H1: $x_P < 0.05$)
 small $|t|$ (H1: $|t| < 1 \text{ GeV}^2$)
 small M_Y (H1: $M_Y < 1.6 \text{ GeV}$)

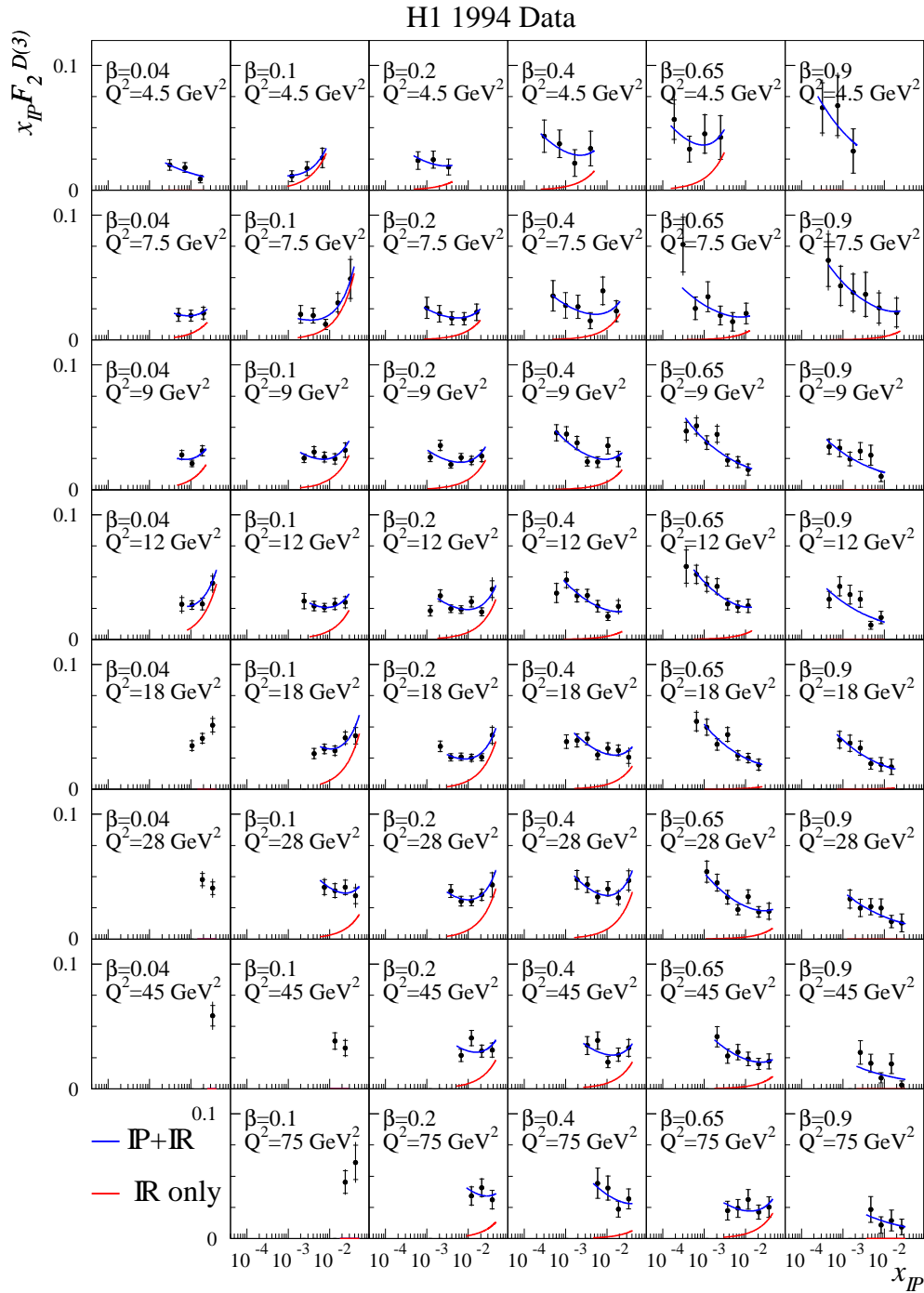
Factorizable Ansatz (Ingelman-Schlein, “resolved Pomeron”):



$$F_2^{D(3)}(x_P, \beta, Q^2) \propto f_{IP/p}(x_P) \times F_2^{IP}(\beta, Q^2)$$

The diffractive Structure Function $F_2^{D(3)}$

Measurement of $F_2^{D(3)}(x_{IP}, \beta, Q^2)$ by H1:



Regge parametrization of $F_2^{D(3)}$

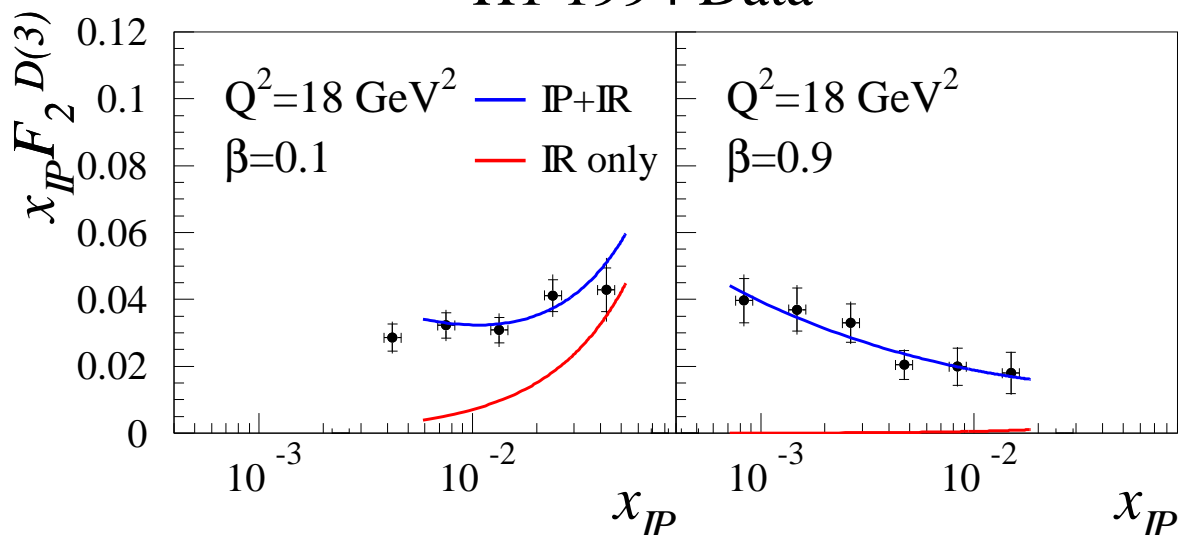
Parametrize long-distance physics at p vertex using Regge phenomenology:

$$f_{IP/p}(x_{IP}) = \int_{-1 \text{ GeV}^2}^{t_{min}(x_{IP})} \left(\frac{1}{x_{IP}} \right)^{2\alpha_P(t)-1} e^{b_P t} dt$$

with $\alpha_{IP}(t) = \alpha_{IP}(0) + \alpha'_{IP} t$

$F_2^{D(3)}$ (H1 1994): x_{IP} dependence varies with β

H1 1994 Data



→ Additional sub-leading exchange necessary:

$$F_2^{D(3)} = f_{IP/p}(x_{IP}) F_2^{IP}(\beta, Q^2) + f_{IR/p}(x_{IP}) F_2^{IR}(\beta, Q^2)$$

H1 phenomenological Regge fits with free parameters:

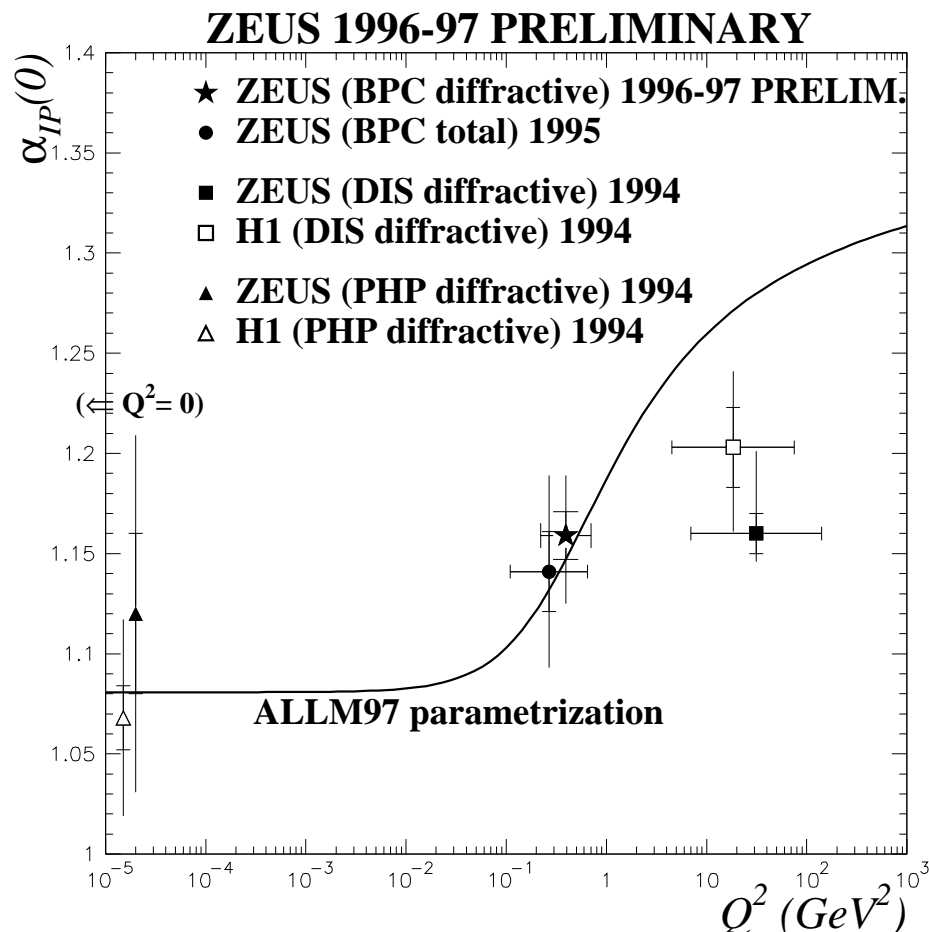
$$\alpha_{IP}(0), \alpha_{IR}(0), F_2^{IP}(\beta, Q^2), F_2^{IR}(\beta, Q^2)$$

The Pomeron intercept $\alpha_P(0)$

Result from the H1 Regge fit:

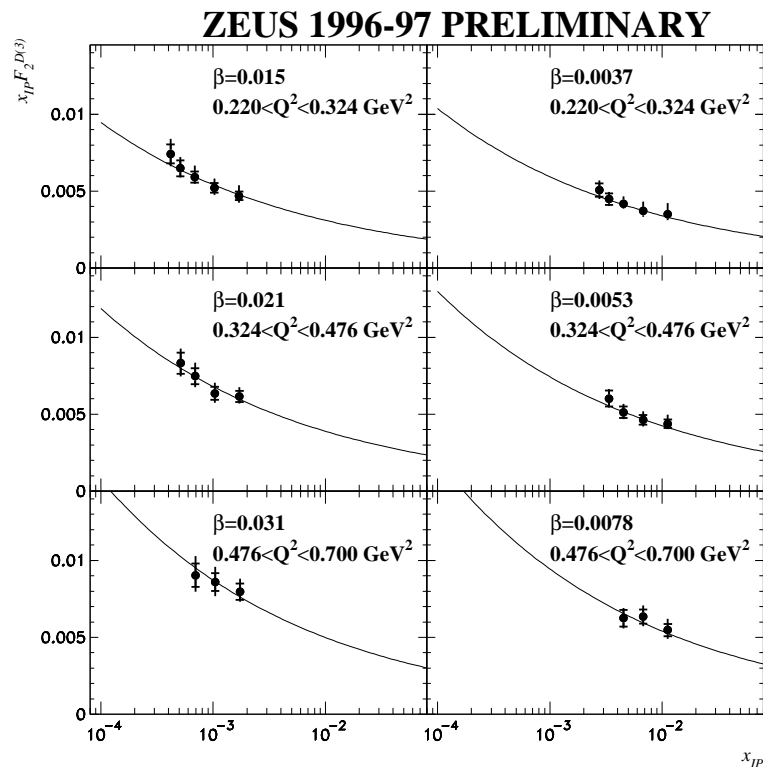
- $\alpha_P(0) = 1.203 \pm 0.020 \pm 0.013 \pm 0.035$
higher than in soft hadron-hadron physics ($\alpha_P^{soft} = 1.08$)
- $\alpha_R(0) = 0.50 \pm 0.11 \pm 0.11 \pm 0.10$
consistent with f, ω, ρ , etc. exchange

→ Diffractive DIS at HERA dominated by IP exchange!

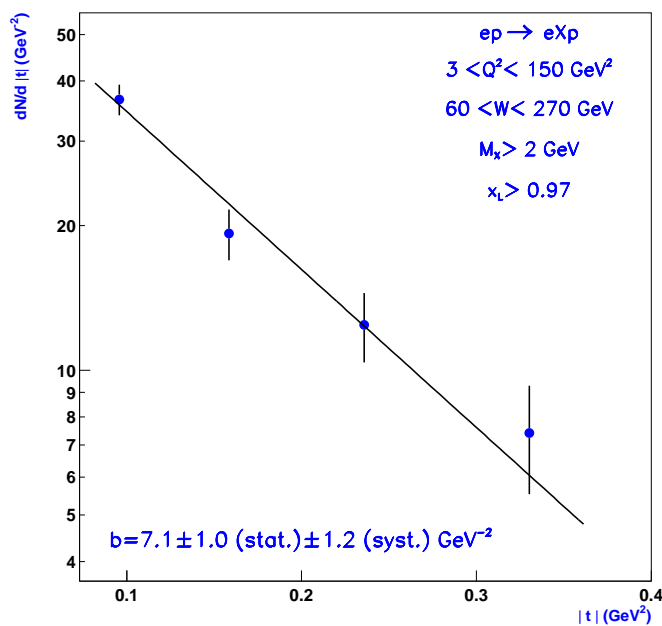


Does $\alpha_{IP}(0)$ vary with scale (Q^2) ?

ZEUS measurement of F_2^D at very low Q^2



Measurement of the t dependence



t measured tagging
outgoing p in
Roman Pots

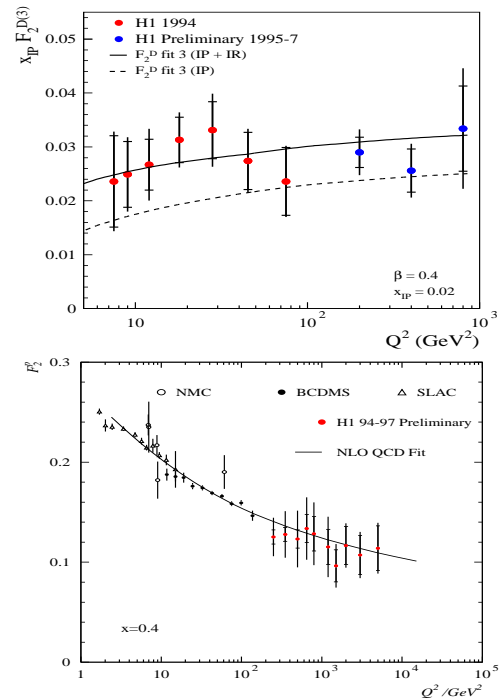
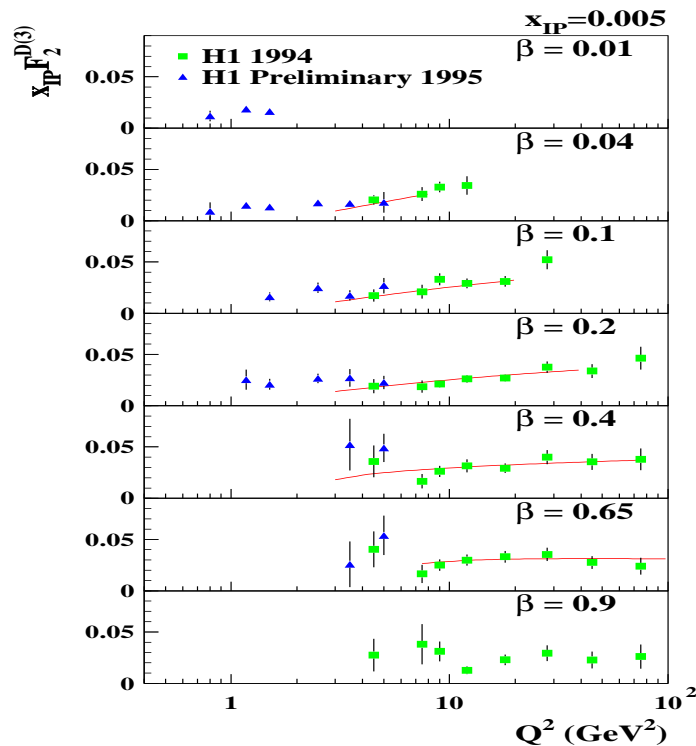
Fit to $\frac{d\sigma}{dt} \propto e^{bt}$ yields:

$$b = 7.1 \pm 1.0 \pm 1.2 \text{ GeV}^{-2}$$

Consistent with
hadron-hadron scattering

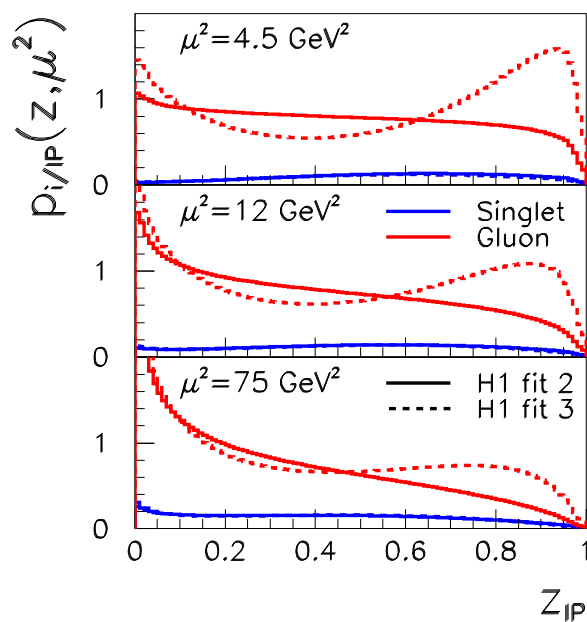
QCD Analysis of $F_2^{IP}(\beta, Q^2)$ (H1)

H1 observes scaling violations:



Strongly suggestive of exchange driven by gluons!

DGALP QCD analysis of scaling violations (a la $F_2(x, Q^2)$):



→ Gluons carry
80 ... 90% of
 IP momentum!

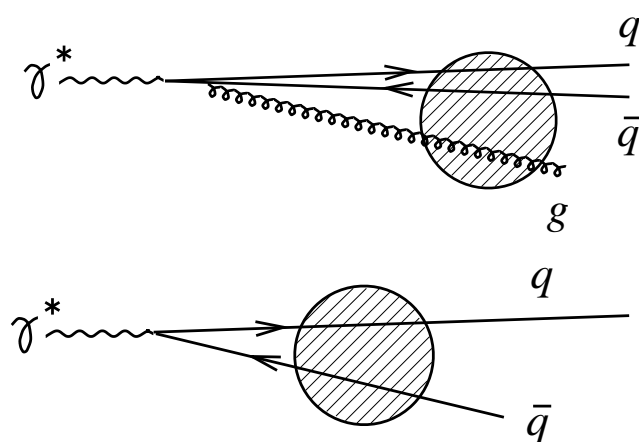
→ Large uncertainty
in shape of gluon
distribution!

Phenom. Models / QCD Calculations

“partonic Pomeron” model not only way to explain LRG events!

Color Dipole / 2-gluon Exchange Models:

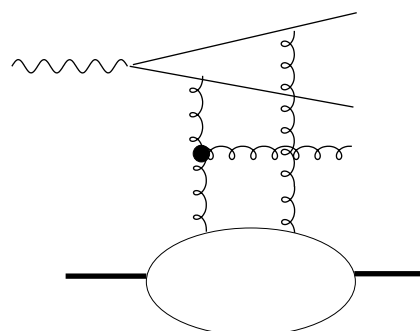
- In proton rest frame: $q\bar{q}$ and $q\bar{q}g$ fluctuations of γ^* :



$$\sigma_{T,L}^{\gamma^*p}(x, Q^2) \sim \int d^2r \int_0^1 d\alpha |\Psi_{T,L}(\alpha, r)|^2 \hat{\sigma}(x, r^2)^2$$

- Simplest case: 2 gluons:

$$\hat{\sigma}^2 \sim |x_{IP} g(x_{IP}, \mu^2)|^2$$



- Small size, high p_T dipole x.sec. should be calc. in QCD
- Large size, small p_T dipole x.sec. sim. to soft pp

Dipole models which treat interaction by 2-gluon exchange:

(1) Saturation Model

- by Golec-Biernat, Wüsthoff
- Ansatz for σ_{Dipole} which interpolates between pert. ($\sim 1/Q^2$) and non-pert. ($\sim const.$) parts of $F_2(x, Q^2)$
- parameters fixed by fit to $F_2(x, Q^2)$, σ^D then predicted
- implemented assuming **strong p_T ordering** $p_{T,g} \ll p_{T,q\bar{q}}$

(1) BJLW Model

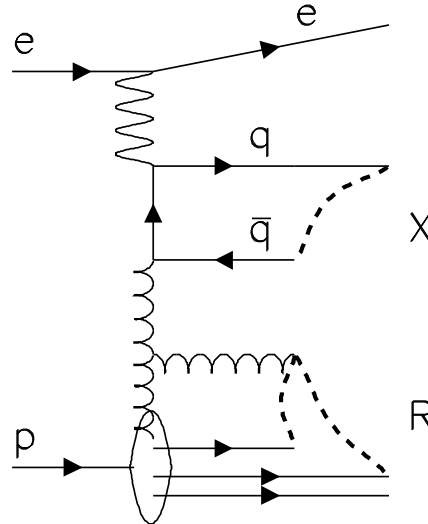
- by Bartels, Jung, Lotter, Wüsthoff
- calculation in low- β , low- x_{IP} limit
- for $q\bar{q}g$ require high p_T of all 3 partons (only for Jets!)
i.e. NO soft IP remnant!
- **non p_T -ordered contris included**

Dipole model with non-perturbative treatment of interaction:

(3) Semiclassical Model

- by Buchmüller, Gehrmann, Hebecker
- in p rest frame: $q\bar{q}$, $q\bar{q}g$ states scatter off soft colour field of large p

Soft Colour Interaction Model (SCI):



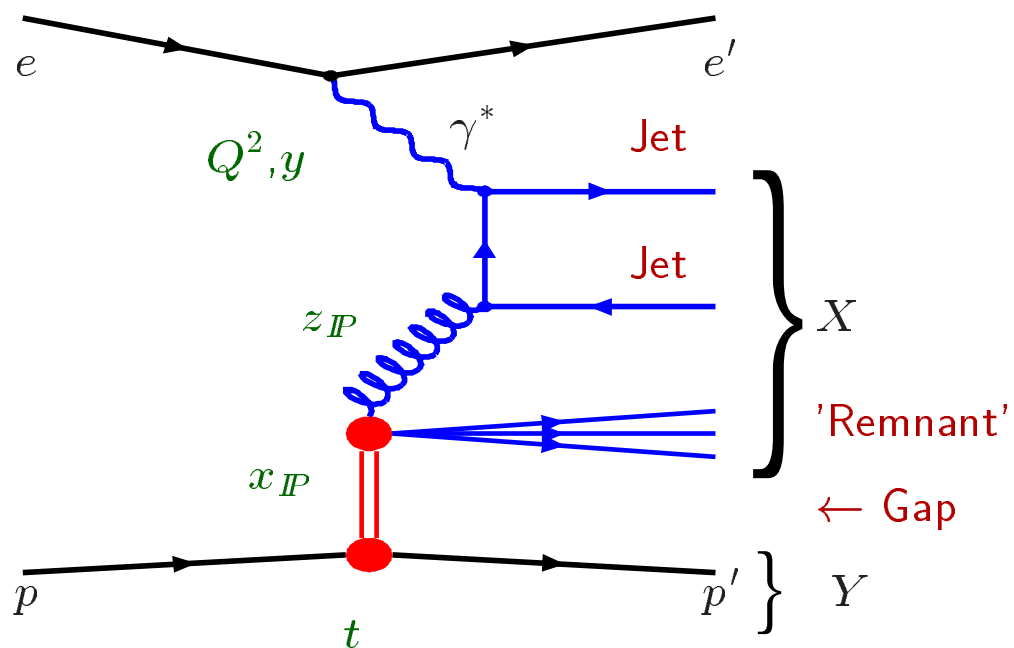
- by Edin, Ingelman, Rathsman
 - standard DIS plus soft color rearrangements
 - **Version 1:** simple, one parameter probability R_0 for color rearrangements
 - **Version 2:** based on “Generalized Area Law” ansatz, better description of F_2^D at low Q^2
-
- All models (with exception of BJLW, which is tailored to high p_T processes) can describe $F_2^{D(3)}$ reasonably !

Diffractive Dijet Production

Why bother with Dijets?

- p_T of Jets introduces another hard scale, which may allow perturbation theory to be applied
- through $\mathcal{O}(\alpha_s)$ diagram (see below) **direct sensitivity to gluons!**

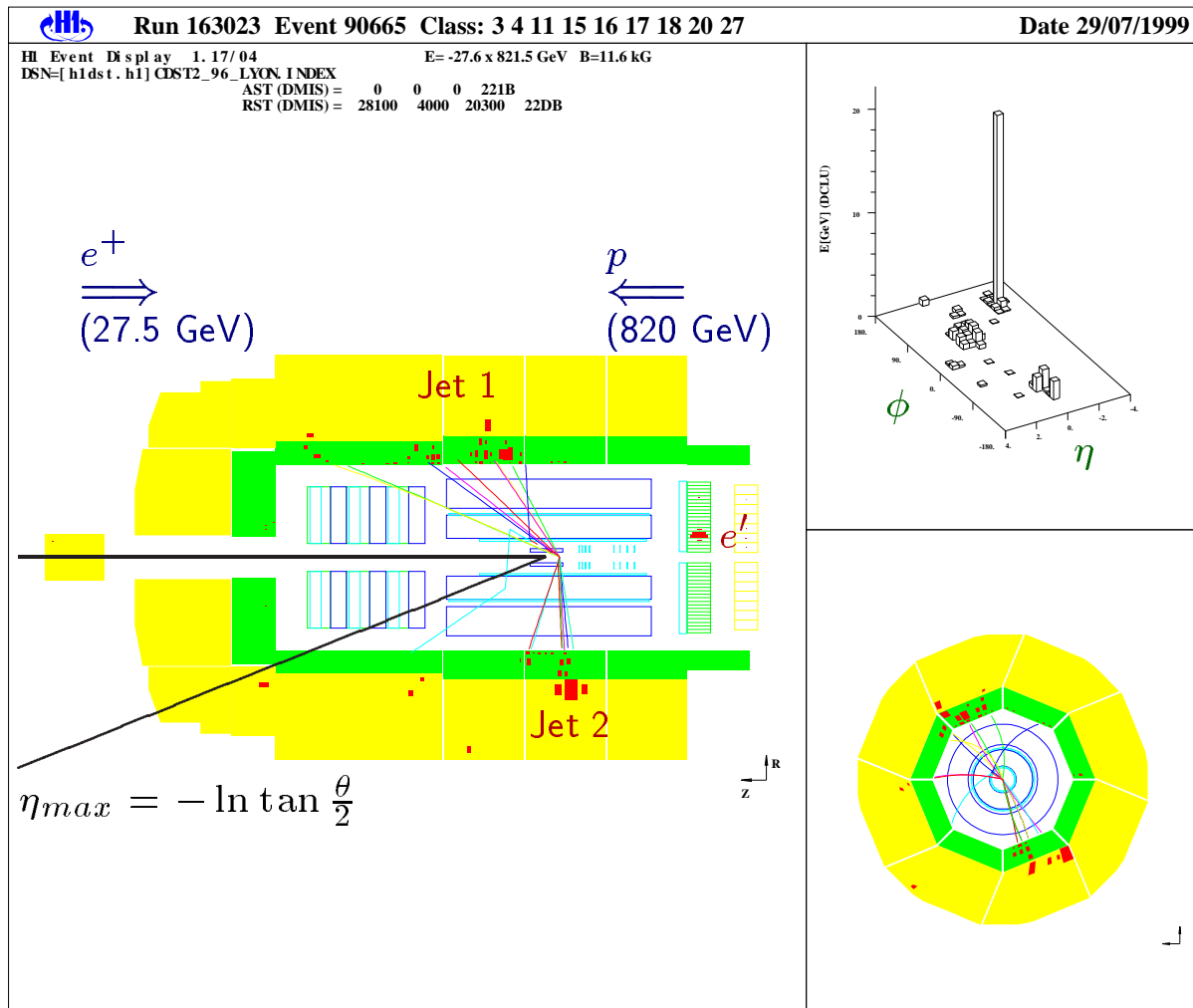
Kinematics, viewed in terms of a resolved “Pomeron” model:



$$z_{IP} \approx \frac{Q^2 + M_{12}^2}{Q^2 + M_X^2} \sim \frac{(\text{Dijet Mass})^2}{(\text{Total Mass})^2}$$

→ momentum fraction of exchange entering hard process

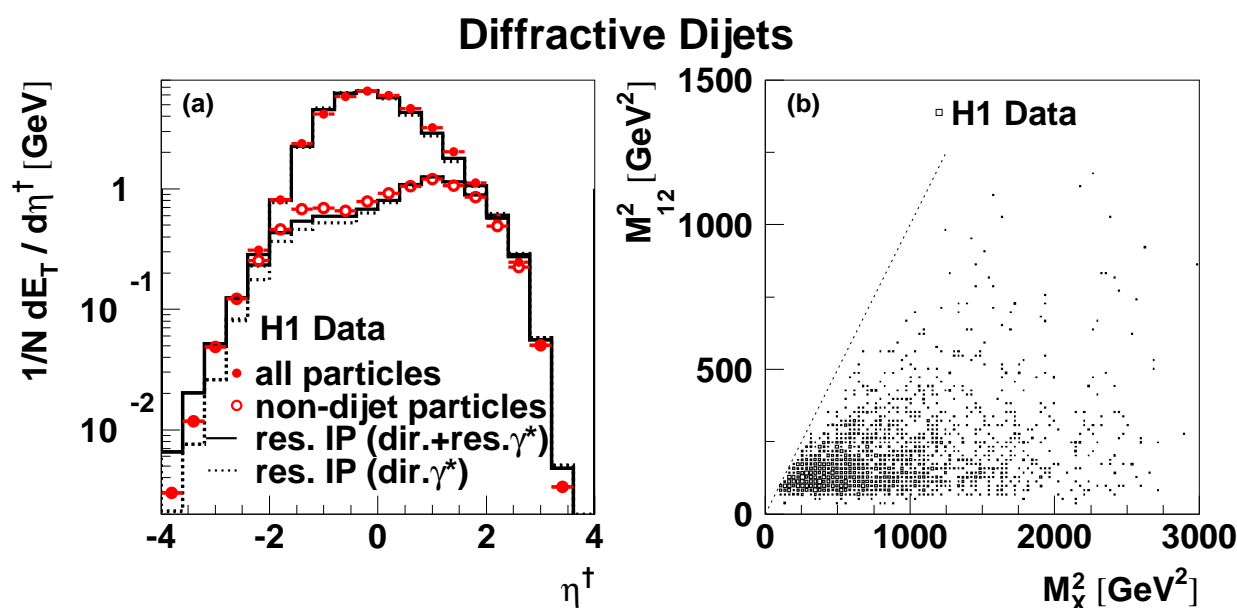
Data Selection



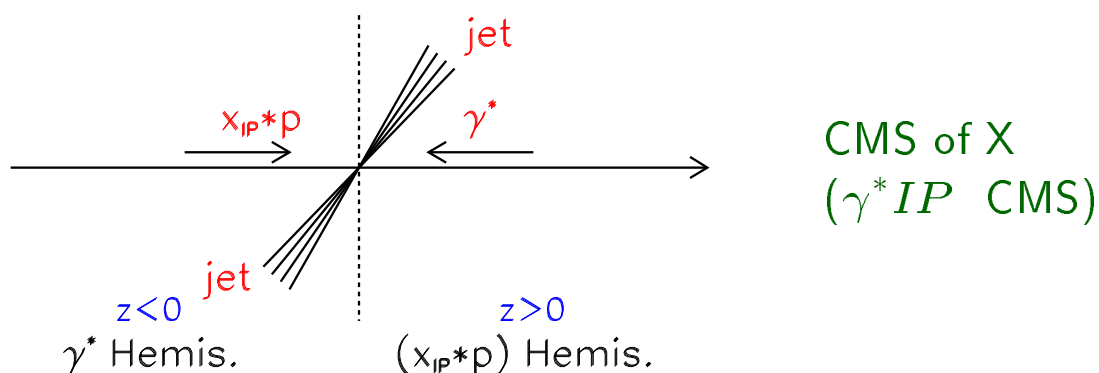
- DIS Signature: $4 < Q^2 < 80 \text{ GeV}; 0.1 < y < 0.7$
Scattered electron e'
- Diffractive Signature: $x_P < 0.05; M_Y, t \text{ small}$
Rapidity gap in outgoing p' direction
- 2-Jet Signature: $N_{\text{Jet}} \geq 2; p_T > 4 \text{ GeV}$
Jet-Algorithm in γp Centre-of-mass frame

Data from 1996 to 1997: $\mathcal{L} = 18.0 \text{ pb}^{-1}$
 $N_{2 \text{ Jet}} \approx 2.500, N_{3 \text{ Jet}} \approx 130$

Results for Diffractive Dijets



- Mean E_T flow in rest frame of X system (left):
 - Significant energy NOT contained in 2-Jet system
 - Remnant slightly asymmetric (towards IP dir.)

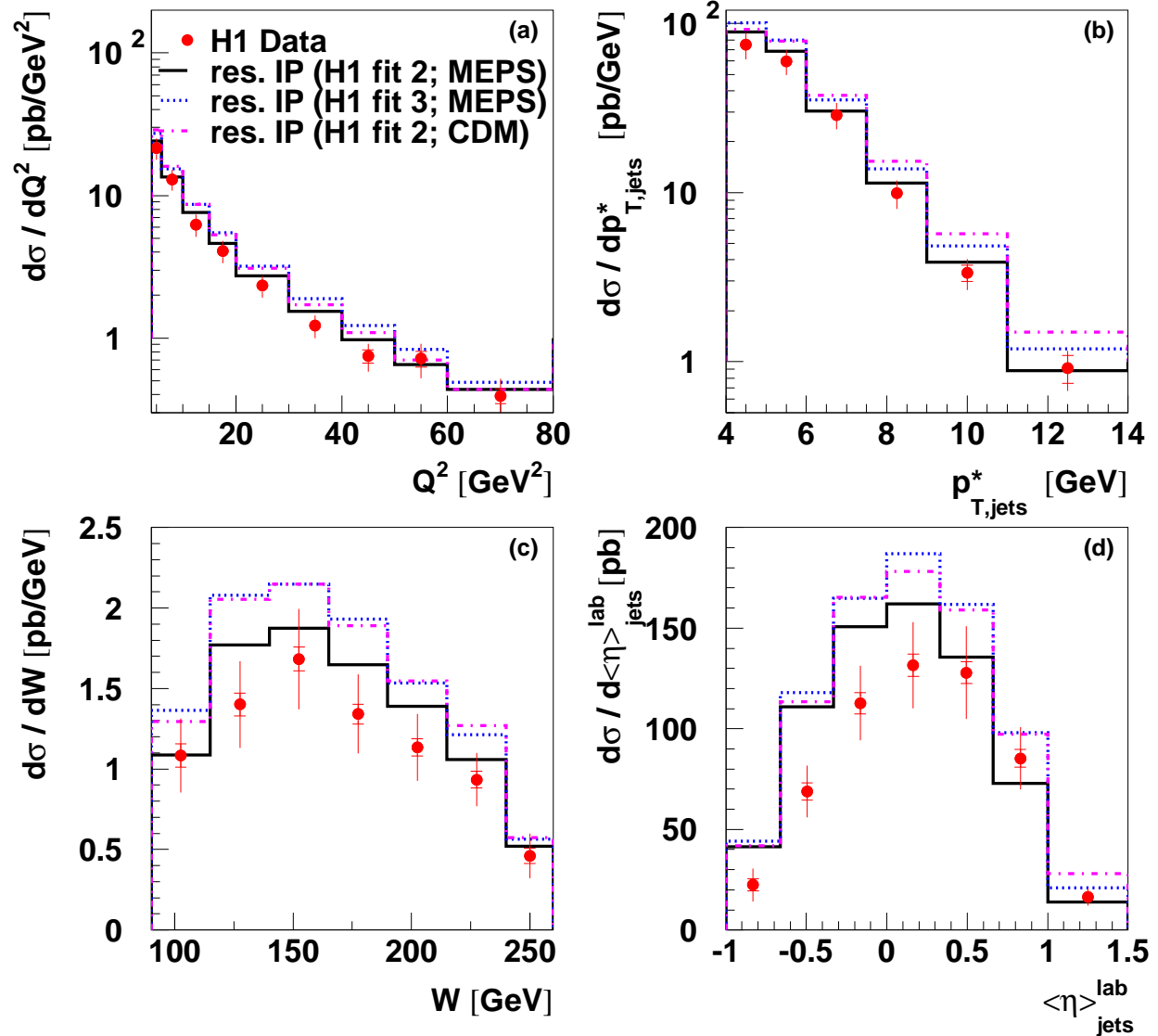


- Correlation M_x vs. M_{12} (right):
 - Most events have $M_{12} < M_X$

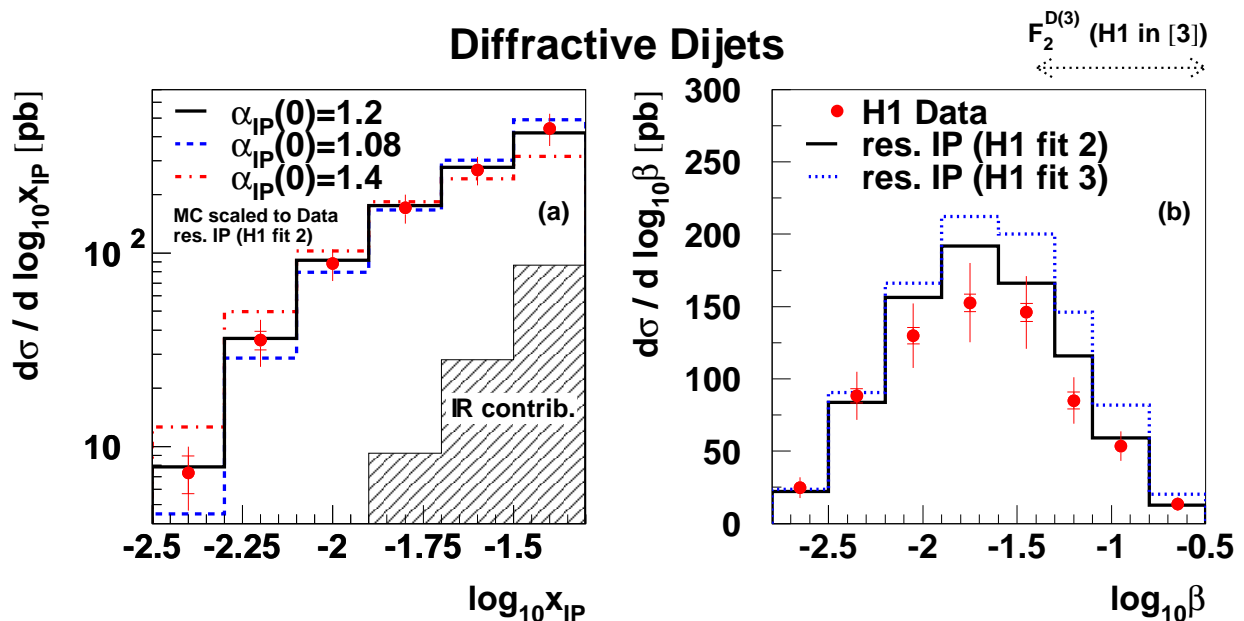
→ In p rest frame: Dominance of $q\bar{q}g$ over $q\bar{q}\gamma$ fluctuations!

Interpretation in resolved Pomeron model

Diffractive Dijets



- Jet Cross Sections well described by resolved Pomeron model, where IP and IR fluxes and IP PDF's as obtained from the $F_2^{D(3)}$ analysis are used
- "H1 fit 2" in close agreement with data
- "H1 fit 3" overestimates cross section



x_{IP} distribution:

- Secondary exchange contribution (IR) small
- Sensitivity to Pomeron Intercept $\alpha_{IP}(0)$ value
 - not obvious that it should be same as for F_2^D
 - 1.2 preferred w.r.t. 1.08 (soft IP) and 1.4
- Explicit fit of $\alpha_{IP}(0)$ results in:

$$\alpha_{IP}(0) = 1.17^{+0.03}_{-0.03} \text{ (sta.) } ^{+0.06}_{-0.06} \text{ (sys.) } ^{+0.03}_{-0.04} \text{ (mod.)}$$

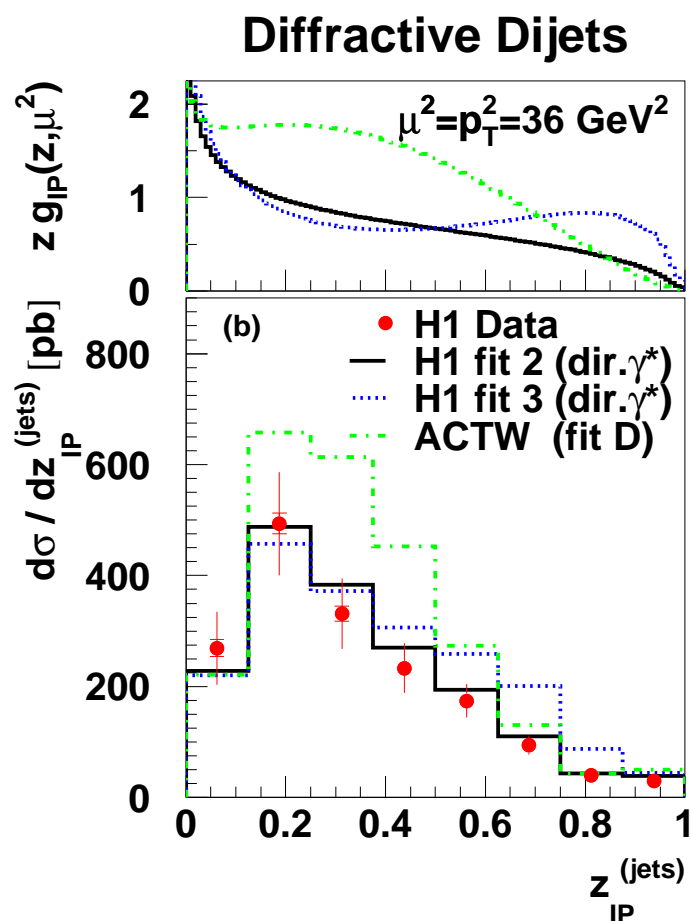
$\rightarrow \alpha_{IP}(0) < 1.32$ @ 95% C.L.

(for experts: Hard Pomeron (Lipatov) $\alpha_{IP}(0) = 1.4 \dots 1.5$)

β distribution:

- β range is lower than accessed by F_2^D so far.

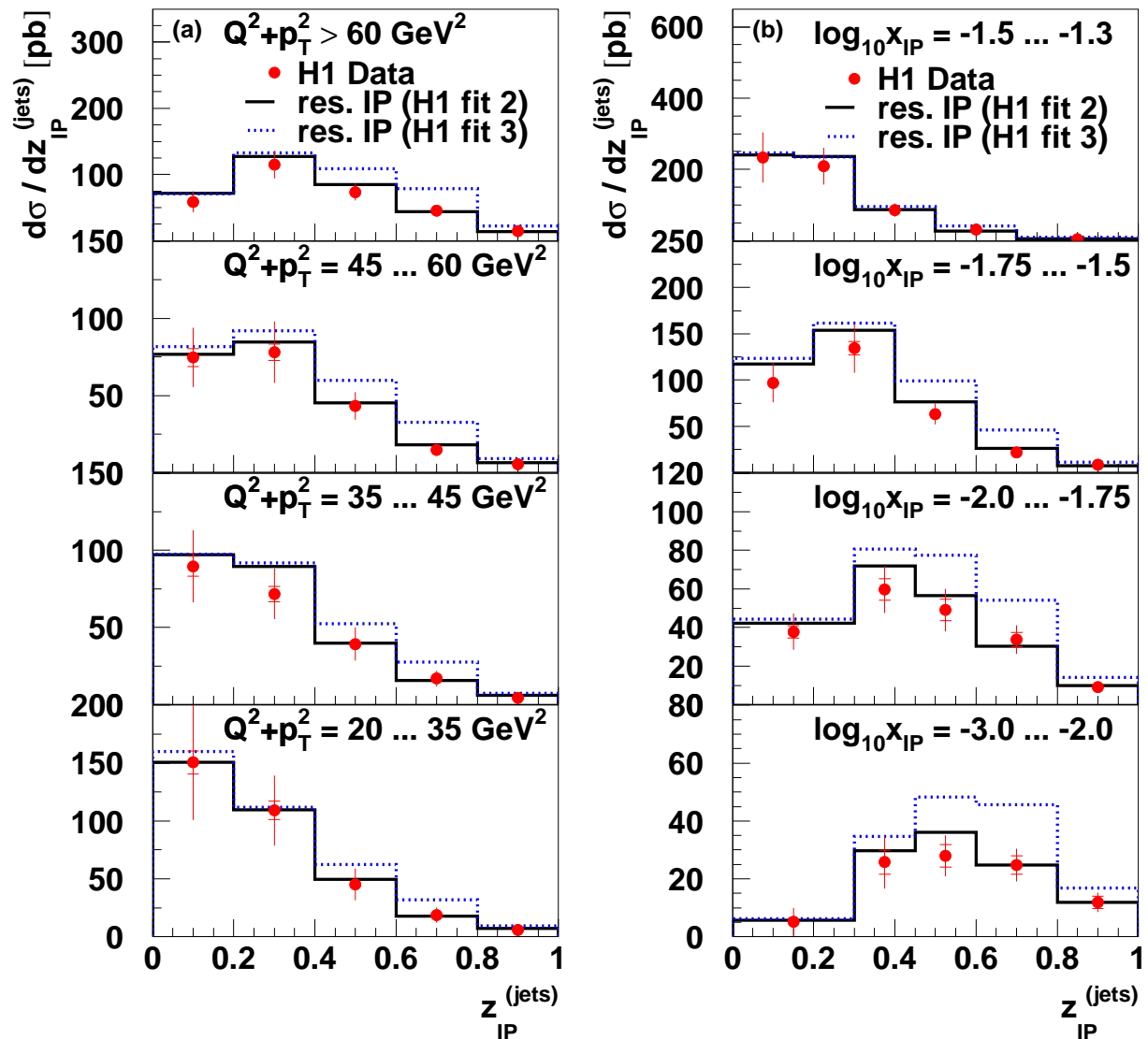
z_{IP} : Momentum fraction in IP entering hard interaction



- q density is small (see F_2^D)
- Jets are directly sensitive to shape and norm. of g density!
- Parameterisation based on 'fit 2' (flat gluon) from incl. measurement in close agreement with data
- 'fit 3' (peaked gluon) too high at high z
- ACTW (comb. fit to H1 and ZEUS F_2^D and ZEUS γp jets) fails

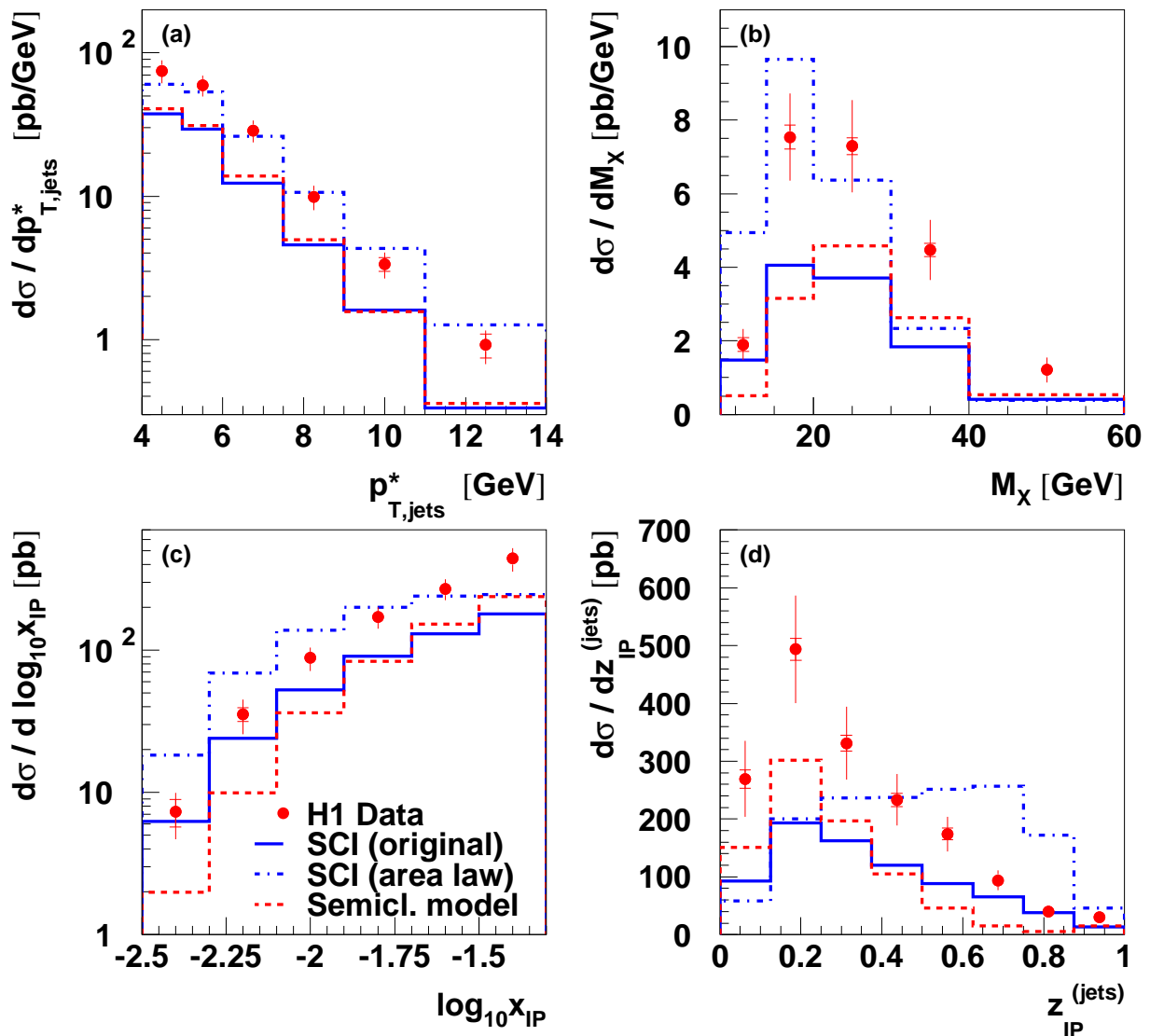
→ Factorization in diff. lepton-hadron scattering!

Diffractive Dijets



- z_{IP} in $Q^2 + p_T^2$ bins (scale):
 - Fit 3 overshoots data at high z in all bins of $Q^2 + p_T^2$
 - Fit 2 in very good agreement
- z_{IP} in x_{IP} bins:
 - Data compatible with Regge Factorization
 - Only little freedom e.g. to change $g_{IP}(z, \mu^2)$ and compensate by adjusting $\alpha_{IP}(0)$

Diffractive Dijets

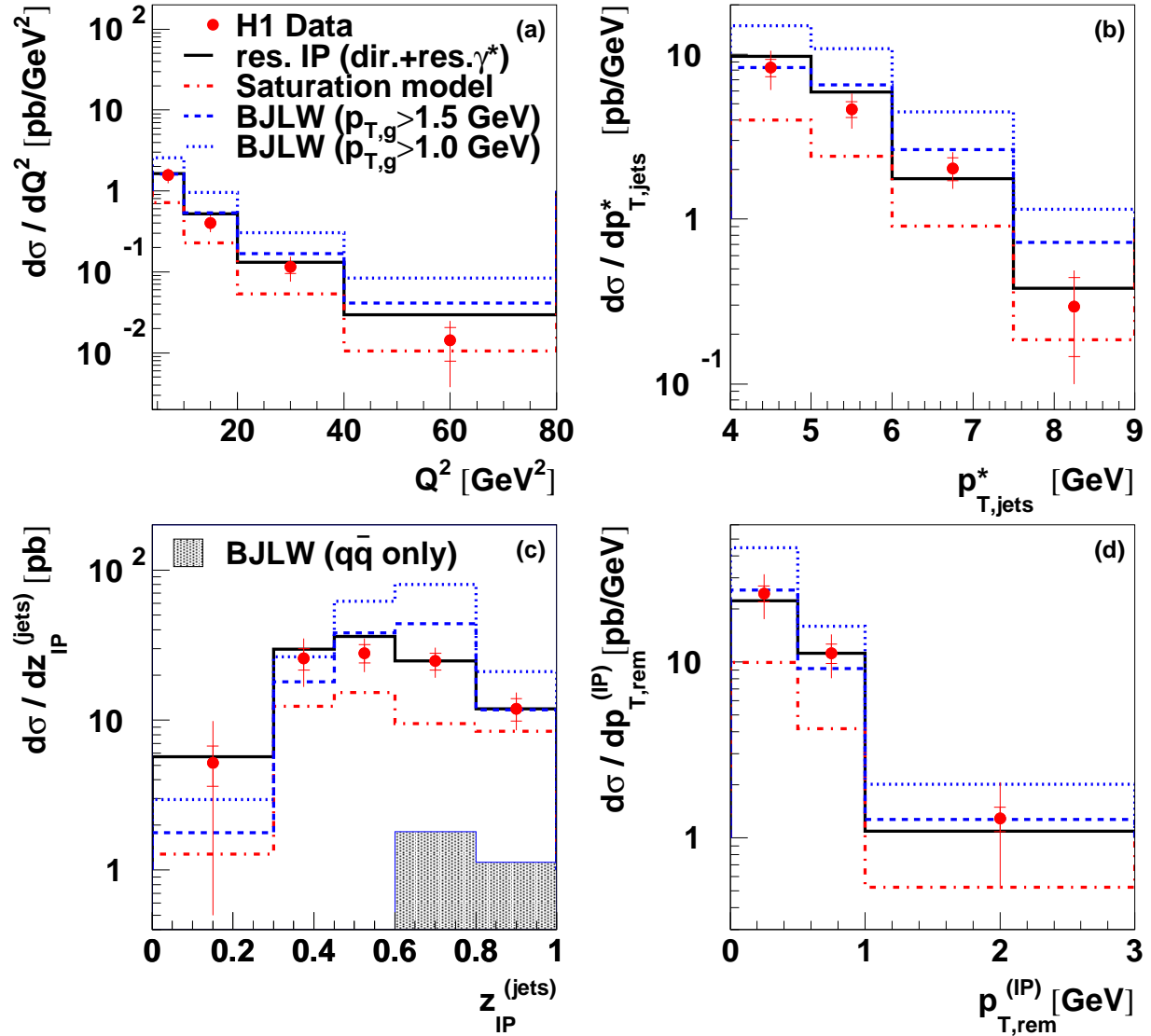


- Original Version of SCI:
 - Too low in normalization by Factor 2 , Shapes \sim OK
- “Generalized area-law” Version of SCI:
 - Normalization \sim OK , Shapes not described
- Semiclassical Model:
 - similar to SCI (original), Shapes OK

→ Soft Colour Models in present cannot simultaneously describe shape and normalization!

2-gluon exchange models

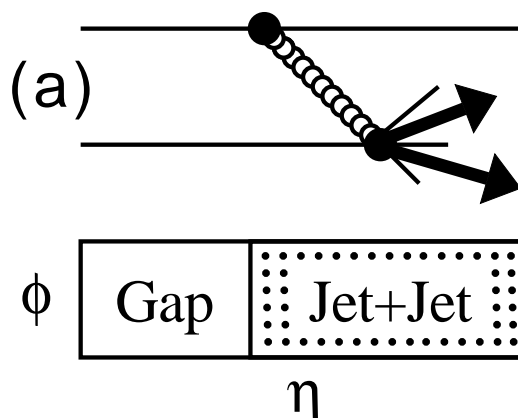
Diffraction Dijets - $x_{\text{IP}} < 0.01$



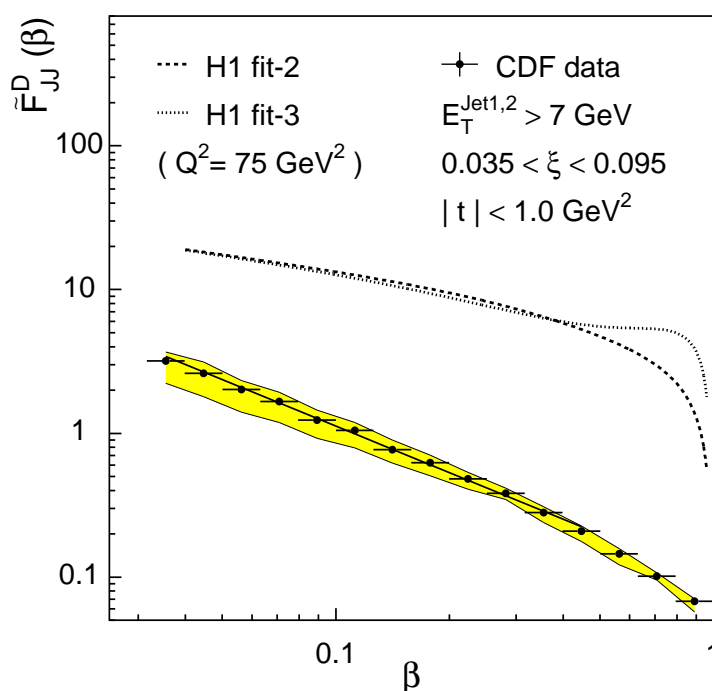
- $q\bar{q}$ alone very tiny !
- Saturation model low by factor 2 (strong p_T ordering)
- BJLW (Bartels et al.): roughly in agreement with cut-off for gluon: $p_T > 1.5$ GeV (no p_T ordering!)
- $p_T > 1.0$ GeV overshoots
- But: also res. IP (collinear IP remnant) describes Data!

New Results from the Tevatron (CDF)

Diffractive dijets in $p\bar{p}$ collisions at $\sqrt{s} = 1.8$ TeV:



Extraction of diffr. Structure function of \bar{p} and comparison with results from H1 $F_2^{D(3)}$:



- Serious **breaking of factorization!**
- “**Survival Probability**” due to remnant interactions, which are absent in lepton proton scattering ?!

Summary

- Inclusive diffractive DIS ($F_2^{D(3)}$) well described by factorizable “Pomeron exchange” with $\alpha_{IP}(0) = 1.2$ and Pomeron PDF's strongly dominated by gluons
- Diffractive Jet-Production confirms this picture: PDF's from inclusive measurement can describe exclusive process
→ Diffractive hard scattering factorization (non-trivial, see proof by Collins; broken at Tevatron)
- -Jets are highly sensitive to diffr. gluon distribution, in contrast to $F_2^{D(3)}$ (indirect via scaling violations)
 - Best constraint so far on shape of $g_{IP}(z)$ at high z
 - Compatible with factorizing x_{IP} dependence with $\alpha_{IP}(0) = 1.17$ → Regge factorization
- In proton rest frame, $q\bar{q}g$ states dominate over $q\bar{q}$
- Soft color neutralization models in present form cannot simultaneously describe shapes and normalization
- - 2-gluon exchange calculations can roughly describe shapes of distributions for $x_{IP} < 0.01$
 - Normalization either low by factor 2 (saturation model) or free parameter (via p_T cut-off in BJLW)
- Diffractive Jets able to discriminate between models which all can describe inclusive measurements !