

# The Impact of Environmental Variability on Fishers' Harvest Decisions in Chile Using a Multi-Species Approach

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# Introduction



## Big picture

- Marine resource distribution and abundance is changing due to climate variability, with heterogenous spatial effects (Poloczanska, Brown, Sydeman et al., 2013).
- Harvest levels would be affected (Quezada, Tommasi, Frawley et al., 2023), as well as price and value of catches, fishing costs, fishers' incomes, among others

## Introduction



## Research question

How fishing decisions, aggregate catch levels, and the price of marine resources will be affected under different climatic scenarios in the multispecies small pelagic fishery (SPF) in Chile.

- How do fishers **substitute between species**?
- Contribute to the sparse local multi-species economic modeling literature in Chile
  - See Peña-Torres, Dresdner, and Vasquez (2017) for ENSO effects in Jack
     Mackerel fishery using discrete choice models.

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## Why a Multi-Species Model?

- Diversification improves income stability and climate resilience (Kasperski and Holland, 2013; Finkbeiner, 2015)
- Fishers respond to change by:
  - Maintaining the current strategy
  - Reallocating effort to other species/areas (Gonzalez-Mon, Bodin, Lindkvist et al., 2021)
  - Exiting the fishery (Powell, Levine, and Ordonez-Gauger, 2022)

## Introduction



#### Relevance

- Under multispecies harvesting is not straighforward to study fisher harvest decisions
  - Responses to availability vary by (i) port infrastructure, (ii) market access, and
     (iii) regulations (Powell, Levine, and Ordonez-Gauger, 2022)
  - Different fishers, different choices (Jardine, Fisher, Moore et al., 2020; Zhang and Smith, 2011)
- Understand fishers' adaptive capacity
  - Inform climate-resilient fisheries policies in Chile

# Introduction



# Case Study: Chile's Small Pelagic Fishery (SPF)

- Anchoveta, Jack mackerel, Sardine
- ~94% of national catch (SUBPESCA, 2020)
- Climate variability will impact:
  - Species composition
  - Prices
  - Trip cost
  - Total annual trips
  - Catch levels

# Methodology Overview



#### Based on Kasperski (2015):

- 1. Estimate stock dynamics
- 2. Estimate trip-level costs
- 3. Estimate annual trips
- 4. Estimate inverse demand
- 5. Simulate climate change effects on profits/harvest

## Data Sources



## Requested (2012–2024)

- Stock abundance
- Annual landings
- Trip-level data
- Ex-vessel prices

## Retrieving from Climate Model Intercomparison Project (CMIP)

- Sea Surface Temperature (historical and projections)
- Chlorophyll (historical and projections)
- Salinity (historical and projections)
- Wind Speed (historical and projections)
- Wave height (historical and projections)
- Precipitations (historical and projections)

Note: Requested in lower resolution to Fabian Tapia (Oceanographic, UdeC)

# **Data Sources**



### To Be Requested

- Crew wages (maybe INE?)
- Fuel prices
- Vessel permits
- TAC
- Quota prices (auction/secondary market?)

# Model 1: Stock Dynamics



$$x_{i,y+1} + h_{iy} = \underbrace{(1+r_i)x_{iy} + \eta_i x_{iy}^2}_{R_i(x_{iy})} + \underbrace{\sum_{j 
eq i}^{n-1} a_{ij}x_{iy}x_{jy}}_{I_i(x_y)} + 
ho_i Env_{iy} + arepsilon_{iy} \quad i = 1, \dots, n$$

#### where:

- $\circ \; x_{iy}$  is the fish stock by species  $i=1,\ldots,n$  in year y,n is the total number of species,
- $\circ~h_{iy}$  is the annual harvest of species i on year y,
- $\circ r_i$  is the intrinsic growth rate of the resource i,
- $\circ$   $\eta_i$  is a density-dependent factor related to the carrying capacity,
- $\circ \ lpha_{ij}$  are the interaction parameters between species.
- $\circ$   $Env_{iy}$  includes environmental covariates (SST and chlorophyll)
- System of n growth equations can be estimated simultaneously using SUR (¿endogeneity?)
  - SST and CHL improves model (F = 1.908; *p*-value = 0.07).

# Model 2: Trip-Level Costs



#### Base model

$$C_{vg} = \sum_{i=1}^{2n+M+k} lpha_{g,\mathbf{X}_i} \mathbf{X}_{ivg} + rac{1}{2} \sum_{i=1}^{2n+M+k} \sum_{j=1}^{2n+M+k} lpha_{g,\mathbf{X}_i \mathbf{X}_j} \mathbf{X}_{ivg} \mathbf{X}_{jvg}$$

#### where:

- $C_{vg}=wz_{vg}^*$  is the total cost incurred by vessel  $v=1,\ldots,V_g$  conditional on gear used  $g=1,\ldots,G$ :
  - $\circ z_{vg}^*$  is the optimal quantity of input used, (e.g., crew members, time spent at sea, distance traveled?)
  - $\circ w$  is a matrix of variable input prices,
- $\mathbf{X}_{vg} = [w; h_{vg}; x; Z_v]$  is a matrix of explanatory variables, and  $\mathbf{X}_{ivg}$  represents the *i*th column of the  $\mathbf{X}_{vg}$ :
  - $\circ \; h_{vq}$  is a matrix of harvest quantities,
  - $\circ \ x$  is a matrix of given stock levels of the species of interest, and
  - $\circ~~Z_v$  is a matrix of given vessel characteristics.

# Model 2: Trip-Level Costs



#### Model with the environment

To link this function to climate variability

- ullet Include additional environmental variables Env to  $\mathbf{X}_{vq}$ 
  - e.g., wind intensity and wave conditions in each trip at the harvest location, upon data availability.
- ullet Therefore, the augmented  $X_{vg}$  matrix becomes  $\mathbf{X}_{vg}^{'} = [w; h_{vg}; x; Z_{v}; Env].$
- The model can be estimated with SUR.

# Model 3: Total Annual Trips



The number of trips a vessel will take in a given year for each gear type used is assumed to follow a Poison distribution Kasperski (2015):

$$Pr\left[T_{vgy}^{*}=t_{v}
ight]=rac{exp^{-exp(U_{vg}^{'}eta_{g})}exp(U_{vg}^{'}eta_{g})^{t_{v}}}{t_{v}!}$$

where

- $U_{vg}=[p,w,h_{vg},ar{q},Z_{vg}]$  is a matrix of explanatory variables,
- $\beta_g$  is a vector of coefficients to be estimated,
- ullet  $t_v$  is the number of trips taken by vessel v using gear type g in year y, and
- $\bar{q}$  is the annual quota level.

Additionally, we can add the accumulation of *bad weather days?* as an explanatory variable to incorporate weather conditions into this decision, thus: -  $U_{vg} = [p, w, h_{vg}, \bar{q}, Z_{vg}, Env]$ 

• Other variables? e.g., state dependency?

# Model 4: Inverse Demand



The price of each species is modeled using an **inverse demand model**. The price of a species i in year y is the following:

$$p_{iy} = \sum_{j}^{n} \gamma_j p_{j,y-1} + \gamma_{h_i} h_{iy} + x' eta + \epsilon_{iy}, \quad i=1,\ldots,n, \ j=2,\ldots,n, i 
eq j.$$

- The system can be estimated using 2SLS, instrumenting harvest with climate variables and other cost shifters.
  - Undergrad student analyzing the option to estimate a supply-demand system with 3SLS for each species (6 equations simultaneously?)
- Other variables for the demand?
- Endogeneity of substitute prices?

Maybe then see if we need to estimate a AR(1) model?? (HELP LEO!!!):

$$p_{iy} = \gamma_i p_{i,y-1} + \sum_j^n \gamma_j p_{j,y-1} + \gamma_{h_i} h_{iy} + x' eta + \epsilon_{iy}$$

# Integration and Simulation



#### Use models parameters to:

- Conduct numerical optimization for different climate scenarios
- Obtain the optimal **harvest** and **quota** conditional on climate scenario
- Evaluate **profits** and **species substitution**
- I need future projection for climate/environmental variables (?)

# Numerical optimization



## Vessel maximization problem

In each year, a vessel maximizes profits by choosing their optimal number of trips  $T_g$  and harvest levels per trip  $h_{q\tau}$  given a gear type:

$$egin{align} \max_{h_{gt},T_g} & \pi_{vgt} = \sum_{ au=t}^{T_g} 
ho^ au \left\{ P(h)h_{g au} - C_g(h_{g au}|w,x,Z,Env) 
ight\} & au = t,\ldots,T_g \ \mathbf{s.t} & q_{g,t+1} = \omega * ar{q} - \sum_{t=1}^t h_{gt} \geq 0, \quad t = 1,\ldots,T-1, \quad g = 1,\ldots,G \ \end{aligned}$$

- where:
  - $\circ$   $\rho$  is the intra-annual discount factor,
  - $\omega$  is a vector of shares of  $\bar{q}$ , and
  - $h_{lt} = 0$  for all  $l \neq g$ .

# Numerical optimization



#### Some considerations

- The vector of shares is obtained from historical data on harvest.
- The optimal profit from the maximization problem is  $\pi^*_{vgy}(p,w,x,Z,ar{q},\omega,Env)$ ,
  - $\circ \ h^*_{vqty}$  is the optimal harvest per trip.
  - $\circ \ T^*_{vqy}$  optimal total number of trips.
- Optimal quota level, per year and by species, is obtained by solving the socialplanner optimization problem to maximize the net value of the fishery

# **Expected Results**



- Climate variability affects:
  - Stock dynamics
  - Fishing costs
  - Trip frequency
- Catch composition shifts with climate
- Localized market effects

# ¡Muchas gracias!

¿Preguntas?

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