

Algorithm	Essence	Time Complexity	Datastructures	Pardigm
Tarjan	Strongly connected components. Assign <b>lowlink</b> values to nodes and keep track if on <b>stack</b> or not. Same lowlink => same component. Do a DFS from "every" node. <b>Independent sets</b> .	$O(V+E)$ (from DFS)	Boolean array (is on stack), stack, graph	Tree Search Algorithm
Dijkstras	Finds shortest path from root node to a specific node (or every other node in graph). Faster if implemented with fib- or hollow heap. General case can't handle negative edges due to <b>select</b> .	$O( E  +  V \log V )$	Graph, priority queue (choose implementation)	Greedy
Bellman-Ford	Loop through edgelist <b>relaxing</b> every edge. if $d[u] + c(u,v) < d[v]$ then $d[v] = d[u] + c(u,v)$ . Loops at most <b>n-1</b> times. If a relaxation occurs at n-1th iteration then <b>negative cycle</b> exists.	$O(n^2)$ best case, $O(n^3)$ worst case	Array, graph	DP
Goldberg-Tarjan	<b>Prepush-flow</b> . Intuitively like pouring a full bucket into a system and then looking for leaks + redirecting flow. Work with <b>excess flow</b> . Using operations <b>relabel</b> , <b>saturated push</b> and <b>nonsaturated push</b> . Saturated push takes the longest time to perform. Push based on height of given node + the node it's pushing to.	$O( V ^2 *  E )$	Graph, priority queue (choose implementation)	Maxflow
Ford-Fulkerson	Method for finding max flow in graph. Not specified how to find augmented paths. Find <b>bottlenecks</b> and increment flow. If no s-t path exists then flow := maxflow. <b>Mincut theorem</b> .	$O(f *  E )$ or $O(C * m)$	Graph, residual graph	Maxflow
Simplex	Min/max for mathematical models. Use of <b>slack</b> variables. <b>Basic/nonbasic</b> . Solve linear equation system.			
Edmond-Karp	Implementation of Ford-Fulkerson with use of BFS. Improves the time complexity by <b>eliminating dependency</b> on maxflow constant.	$O( V ^2 *  E )$	Graph, residual graph	Maxflow
DFS	Graph search. Searches depth over breadth. Will explore as far as possible along a path before backtracking. <b>Back-, forward-, cross- and tree edge</b> .	$O( V  +  E )$	Graph, Set, Stack	Graph search
BFS	Graph search. Searches breadth over depth. Will explore graph in <b>layers</b> . Like peeling an onion.	$O( V  +  E )$	Graph, Set, Queue	Graph search
Prims	Finds <b>MST</b> of weighted undirected graph. Builds tree one vertex at a time. Each step adds the cheapest connection to the tree.	$O( E  +  V \log V )$	Heap, Graph, Priority Queue	Greedy
Kruskal	Finds <b>MST</b> of weighted undirected graph. Constructs a forest and connects vertices that does not create cycles. <b>Union-Find</b> .	$O( E \log V )$	Set, Union-Find	Greedy
Dynamic Programming	Saves previously calculated values, <b>memorization</b> . Improving time complexity but also increases space complexity.	Depends	-	-
Knapsack Algorithm	Dynamic algorithm for finding the optimal amount of groceries one can carry depending on weight while maximizing cost. Reduce problem to a matrix, precompute and backtrack through matrix to find solution steps. <b>Overlapping smaller problems</b> .	$O(n * m)$	Matrix, array	DP
Closest Points	Sort points on x- and y-coordinates. Divide points into sublists and solve independent smaller problems. Create set S sorted on y and compute closest points at midline. Iterative at small n.	$O(n * \log(n))$	Array, sets	Divide and Conquer
Backtracking	Track back through smaller calculations in order to reach global min/max. Used in dynamic programming and others.	-	Matrix (?)	-
Gale-Shapley	Solves stable marriage problem by matching two sets where each item in these sets have a <b>preference list</b> over the other set.	$O(n^2)$	Array, inverted priority list	Greedy

Data Structure	Essence	Operations	Time Complexity	
Stack	Last in, First out	pop, push, search, space	$O(1), O(1), O(n), O(n)$	
Queue	First in, First out	pop, push, search, space	$O(1), O(1), O(n), O(n)$	
Binary Tree	Tree where each leaf has at most two children	search, delete, insert	$O(\log n), O(n), O(\log n) \Rightarrow$ worst case $O(n)$ for nonbalanced tree	
AVL-tree	Self balancing tree with rotations to keep the height equal among subtrees.	search, delete, insert	$O(\log n)$ for all	
Min/max Heap	Always min/max out first. Heap property (min): if P is parent of C, then $\text{key}(P) \leq \text{key}(C)$ .	getMin, extractMin, decreaseKey	$O(1), O(\log n)$ (heapify), $O(\log n)$	
Fibonacci Heap				
Hollow Heap	Improved Fibonacci Heap. Implemented with a tree or <b>DAG</b> . Many pointers. If <b>rank(n) = r</b> , then n has <b>at least <math>F_{r+3} - 1</math> descendants</b> . Time complexity is dependant of <b>link(v,w)</b> which i called when we call <b>delete_min()</b> .	link, delete, delete_min, decrease_key, insert	All operations take $O(1)$ , except delete and delete_min $\Rightarrow$ takes $O(\log n)$ . (log is log of phi)	
Union-Find	Set with <b>disjoint</b> subsets. Can merge sets with <b>union</b> and keep track of subsets with parent array in <b>find</b> .	find, union	$O(1), O(\log n)$	
Residual Graph	Graph with <b>backward</b> edges. Good when redirecting flow in maxflow algorithms.	-	-	
DAG	Used in hollow heap for keeping track of nodes.	-	-	