# Graph-Based Term Weighting for Text Categorization

Fragkiskos D. Malliaros<sup>1</sup>

Konstantinos Skianis<sup>1,2</sup>

<sup>1</sup>École Polytechnique, France <sup>2</sup>ENS Cachan, France

SoMeRis workshop, ASONAM 2015

Paris, August 25, 2015



# Outline

- 1 Introduction
- Graph-Based Term Weighting for Text Categorization
- 3 Experimental Evaluation
- 4 Conclusions and Future Work



# Outline

- 1 Introduction
- 2 Graph-Based Term Weighting for Text Categorization
- Experimental Evaluation
- 4 Conclusions and Future Work

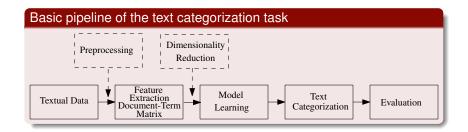


### Introduction

- Online social media and networking platforms produce a vast amount of textual data
- Analyze and extract useful information from textual data is a crucial task
- Text categorization (TC) refers to the supervised learning task
  of assigning a document to a set of two or more pre-defined
  categories, based on learning models that have been trained
  using labeled data
- Plethora of applications
  - Opinion mining for risk assessment and management
  - Email filtering
  - Spam detection
  - News classification
    - ٦ .



# Text categorization: the pipeline





# Term weighting in the Bag-of-words model

#### Vector Space Model

- $\mathcal{D} = \{d_1, d_2, \dots, d_m\}$  denotes a collection of m documents
- $\mathcal{T} = \{t_1, t_2, \dots, t_n\}$  be the dictionary

#### Feature extraction

Every document is represented by a feature vector that contains boolean or weighted representation of unigrams or  $\mathbf{n}$ -grams

■ TF (Term Frequency), TF-IDF (Term Frequency - Inverse Document Frequency)

$$extit{tf-idf}(t,d) = extit{tf}(t,d) imes extit{idf}(t,\mathcal{D}),$$
 where  $extit{idf}(t,\mathcal{D}) = extit{log} rac{m+1}{|\{d \in \mathcal{D}: t \in d|\}}$ 



### Contributions of this work

### Graph-based term weighting schemes for TC

- Propose a simple graph-based representation of documents for text categorization
- Derive novel term weighting schemes, that go beyond single term frequency

# Exploration of model's parameter space and experimental evaluation

- We discuss how to construct the graph
- We examine the performance of the different proposed weighting criteria using standard document collections



# Outline

- 1 Introduction
- Graph-Based Term Weighting for Text Categorization
- 3 Experimental Evaluation
- 4 Conclusions and Future Work



# Graph-of-words: overview

#### Why Graph-of-words?

- Capture relationships between terms
- Questioning the term independence assumption
- Already applied in other data analytics tasks (e.g., IR [Blanco and Lioma, '12], [Rousseau and Vazirgiannis, '13])

#### Representation of a document

Each document  $d \in \mathcal{D}$  is represented by a graph  $G_d = (V, E)$ 

- Nodes correspond to the terms t of the document
- Edges capture co-occurence relations between terms within a fixed-size sliding window of size w



# Proposed graph-based term weighting method for TC

- **Input:** Collection of documents  $\mathcal{D} = \{d_1, d_2, \dots, d_m\}$  and set (dictionary) of terms  $\mathcal{T} = \{t_1, t_2, \dots, t_n\}$
- Output: Term weights tw(t,d) for each term  $t\in\mathcal{T}$  to each document  $d\in\mathcal{D}$ 
  - 1: for  $d \in \mathcal{D}$  do
  - 2: **(Graph Construction)** Construct a graph  $G_d = (V, E)$ . Each node  $v \in V$  corresponds to a term  $t \in T$  of document d. Add edge e = (u, v) between terms u and v if they co-occur within the same window of size w
  - 3: **(Term Weighting)** Consider a node centrality criterion. For each term  $t \in \mathcal{T}$ , compute the weight tw(t, d) based on the centrality score of node t in graph  $G_d$  and fill in the Document-Term matrix
  - 4: end for



# Graph construction: parameters of the model

### Directed vs. undirected graph

- Directed graphs are able to preserve actual flow of a text
- $\hfill\Box$  In undirected ones, an edge captures co-occurrence of two terms whatever the respective order between them is  $\checkmark$

### Weighted vs. unweighted graph

- Weighted: the higher the number of co-occurences of two terms in the document, the higher the weight of the corresponding edge
- □ Unweighted (our choice due to the simplicity of the model) √

#### Size w of the sliding window

- We add edges between the terms of the document that co-occur within a sliding window of size w
- □  $\mathbf{w} = \mathbf{3}$  performed well in TC  $\sqrt{\phantom{a}}$
- Larger window sizes produce graphs that are relatively dens



# Graph construction: parameters of the model

### Directed vs. undirected graph

- Directed graphs are able to preserve actual flow of a text
- $\hfill\Box$  In undirected ones, an edge captures co-occurrence of two terms whatever the respective order between them is  $\checkmark$

### Weighted vs. unweighted graph

- Weighted: the higher the number of co-occurences of two terms in the document, the higher the weight of the corresponding edge
- $\Box$  Unweighted (our choice due to the simplicity of the model)  $\checkmark$

#### Size w of the sliding window

- We add edges between the terms of the document that co-occur within a sliding window of size w
- □ w = 3 performed well in TC  $\sqrt{\phantom{a}}$
- Larger window sizes produce graphs that are relatively dens



# Graph construction: parameters of the model

### Directed vs. undirected graph

- Directed graphs are able to preserve actual flow of a text
- $\hfill\Box$  In undirected ones, an edge captures co-occurrence of two terms whatever the respective order between them is  $\checkmark$

# Weighted vs. unweighted graph

- Weighted: the higher the number of co-occurences of two terms in the document, the higher the weight of the corresponding edge
- to Unweighted (our choice due to the simplicity of the model)  $\checkmark$

### Size w of the sliding window

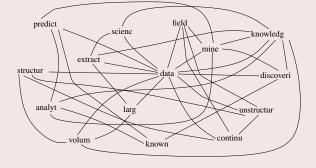
- We add edges between the terms of the document that co-occur within a sliding window of size w
- □  $\mathbf{w} = \mathbf{3}$  performed well in TC  $\sqrt{\phantom{a}}$
- Larger window sizes produce graphs that are relatively dense



# Example: text to graph representation

### Graph representation of a document ( $\mathbf{w} = \mathbf{3}$ ; undirected graph)

Data Science is the extraction of knowledge from large volumes of data that are structured or unstructured which is a continuation of the field of data mining and predictive analytics, also known as knowledge discovery and data mining.



CHNIQUE

# Term weighting criteria

- Utilize node centrality criteria of the graph
  - The importance of a term in a document can be inferred by the importance of the corresponding node in the graph
- Consider information of the graph:
  - Local: degree centrality, in-degree/out-degree centrality in directed networks, weighted degree in weighted graphs, clustering coefficient
  - Global: PageRank centrality, eigenvector centrality, betweenness centrality, closeness centrality

$$\text{degree\_centrality}(i) = \frac{|\mathcal{N}(i)|}{|V| - 1}, \quad \text{closeness}(i) = \frac{|V| - 1}{\sum_{j \in V} \textit{dist}(i, j)}$$

- Proposed weighting schemes for TC:
  - □ TW
  - TW-IDF



# Experimental set-up

#### **Datasets**

- Reuters-21578 R8: documents of Reuters newswire in 1987
  - # of train docs: 5, 485; # of test docs: 2, 189; total: 7, 674
  - # of categories: 8
- 2 WebKB: academic webpages

Graph-Based Term Weighting for Text Categorization

- # of train docs: 2, 803; # of test docs: 1, 396; total: 4, 199
- # of categories: 4

#### Evaluation

- Linear SVM classifier
- Train the model on the **train** documents
- Report classification results from the **test** documents
- Macro-averaged F1 score and classification accuracy

#### Baseline methods

Traditional TF and TF-IDF weighting schemes vs. the proposed TW and TW-IDF (degree, in-degree, out-degree and closeness centrality: window-size=3)

# Experimental results

Reuters-21578 R8 and WebKB datasets

Weighting	F1-score	Accuracy	Weighting	F1-score	Accuracy
TF	0.9127	0.9634	TF	0.8741	0.8853
TW, degree	0.8991	0.9611	TW, degree	0.8962	0.9032
TW, in-degree	0.8037	0.9438	TW, in-degree	0.8286	0.8545
TW, out-degree	0.8585	0.9546	TW, out-degree	0.8365	0.8603
TW, closeness	0.9125	0.9625	TW, closeness	0.8960	0.9004
TF-IDF	0.8962	0.9616	TF-IDF	0.8331	0.8538
TW-IDF, degree	0.9175	0.9661	TW-IDF, degree	0.8800	0.8882
TW-IDF, in-degree	0.8985	0.9629	TW-IDF, in-degree	0.7890	0.8381
TW-IDF, out-degree	0.8854	0.9625	TW-IDF, out-degree	0.8049	0.8474
TW-IDF, closeness	0.8846	0.9547	TW-IDF, closeness	0.8505	0.8674

Reuters-21578 R8

WebKB



### Outline

- 1 Introduction
- 2 Graph-Based Term Weighting for Text Categorization
- 3 Experimental Evaluation
- 4 Conclusions and Future Work



### Conclusions and future work

#### **Contributions:**

- Introduce a new paradigm for TC
- Potential of graph-based weighting mechanisms in TC

#### Future work:

- Exploration of parameter's space: many diverse centrality criteria can be applied in order to weight the terms
- Graph-based inverse collection weight: a more thorough theoretical analysis of its properties is also an interesting future direction
- Graph-based dimensionality reduction: extend the task of dimensionality reduction to the graph representation of the documents



# References I



#### R. Blanco and C. Lioma

Graph-based term weighting for information retrieval. Inf. Retr., 15(1), 2012.



#### C. M. Bishop

Pattern Recognition and Machine Learning (Information Science and Statistics). Springer-Verlag New York, Inc., 2006.



#### D. Easley and J. Kleinberg

Networks, Crowds, and Markets: Reasoning About a Highly Connected World. Cambridge University Press, 2010.



#### S. Hassan, R. Mihalcea, and C. Banea

Random walk term weighting for improved text classification. Int. J. Semantic Computing, 1(4), 2007.



#### T. Joachims

Text categorization with suport vector machines: Learning with many relevant features. In FCML 1998.



#### M. Lan, C.-L. Tan, H.-B. Low, and S.-Y. Sung

A comprehensive comparative study on term weighting schemes for text categorization with support vector machines. In WWW, 2005.



### C. D. Manning, P. Raghavan, and H. Schuütze Introduction to Information Retrieval.

Cambridge University Press, 2008.



#### R. Mihalcea and P. Tarau

Textrank: Bringing order into text. In EMNLP, 2004.



# References II



#### G. Paltoglou and M. Thelwall

A Study of Information Retrieval Weighting Schemes for Sentiment Analysis. In ACL, 2010.



#### F. Rousseau and M. Vazirgiannis

Graph-of-word and TW-IDF: new approach to ad hoc IR. In CIKM, 2013.



#### F. Rousseau, E. Kiagias, and M. Vazirgiannis

Text categorization as a graph classification problem. In ACL, 2015.



#### G. Salton and C. Buckley

Term-weighting approaches in automatic text retrieval. Inf. Process. Manage., 24(5), 1988.



#### A. Schenker, M. Last, H. Bunke, and A. Kandel

Classification of web documents using a graph model. In *ICDAR*, 2003.



#### F. Sebastiani

Machine learning in automated text categorization. ACM Comput. Surv., 34(1), 2002.



# Thank You!!



### Fragkiskos D. Malliaros

Data Science and Mining Group (DaSciM) École Polytechnique, France fmalliaros@lix.polytechnique.fr

 ${\tt www.lix.polytechnique.fr}/{\sim} {\tt fmalliaros}$ 



#### **Konstantinos Skianis**

Data Science and Mining Group (DaSciM) École Polytechnique, France kskianis@lix.polytechnique.fr

www.lix.polytechnique.fr/~kskianis

