

# CHESS ENGINE



# WHAT?

- A **chess engine** is a computer program that can analyze chess positions and provides a numeric evaluation of the chances of victory (score).
- In 1997, for the first time, a chess engine named Deep Blue defeated **Garry Kasparov, the world champion**.
- Currently the strongest chess engine is called Stockfish, it is open source  
(<https://github.com/official-stockfish/Stockfish/>)  
and outperforms any human player by a huge margin.

# WHY?

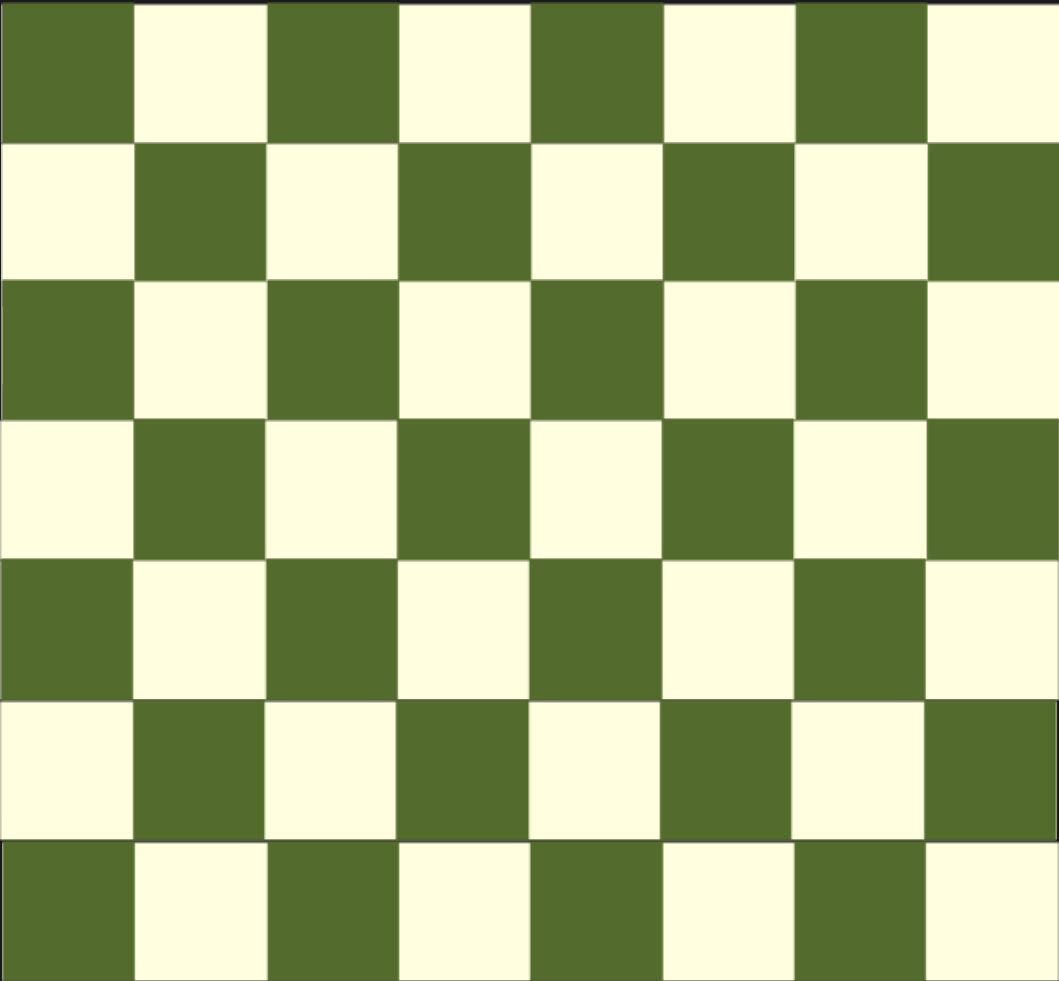
## Why not!

**Clear Progress Evaluation**  
Engines, or engine versions, can compete to each other, leading a clear rating as changes are deployed.

## Coding Challenge

I wanted to explore new techniques on C++ and new optimization algorithms.

# CHESSBOARD REPRESENTATION



A **chessboard** is made of 64 squares. Each square is in a binary state: either **occupied** by a piece or **empty**.

How to represent it in the code?

# CHESSBOARD REPRESENTATION



A **64 bit** number can be thought as 64 squares in a binary state: either **ON** or **OFF**.

This representation is called **bitboard**.

**For example:** a chessboard occupied on squares 3 and 55 can be mapped to

00000000 01000000 00000000 00000000 00000000 00000000 00000000 00000100

# CHESSBOARD REPRESENTATION



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This representation is called **bitboard**.

Simple bit operations (i.e. `>>`) will move all the piece on the board at once.

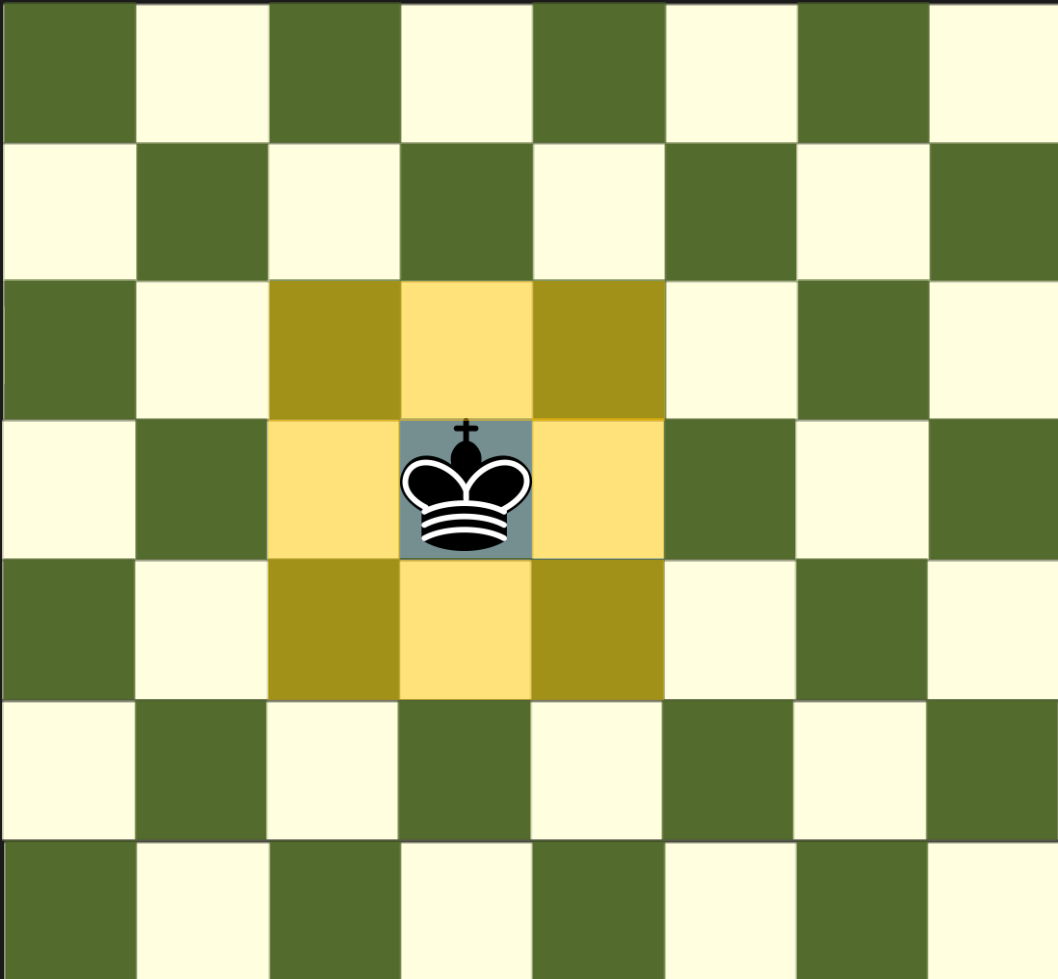
**For example:** a chessboard occupied on squares 3 and 55 can be mapped to

```
00000000 01000000 00000000 00000000
00000000 00000000 00000000 00000100
```

Modern processors are extremely fast at performing 64 bit instructions.

**MOVE PIECES**

# MOVE PIECES

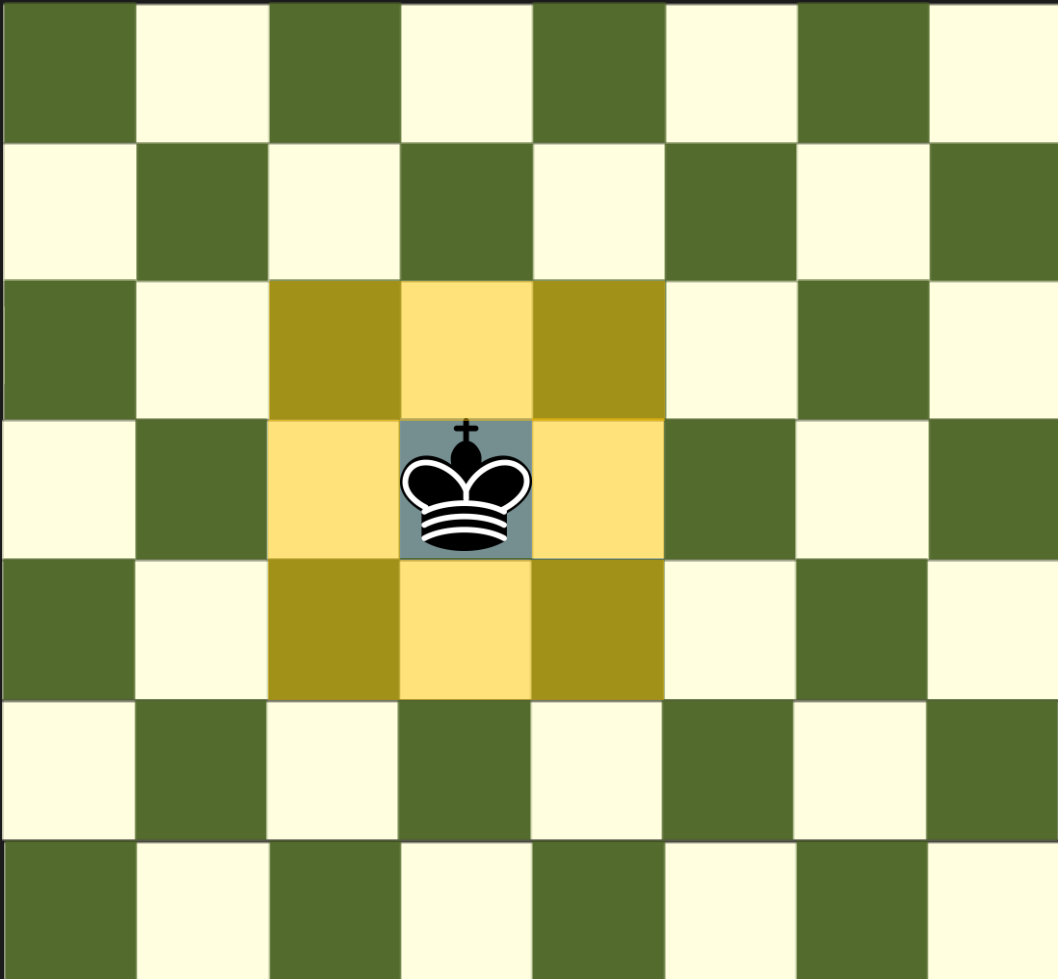


There are 6 different piece types, each with specific move features. Piece's movement can be **generated** with for loops. For example

```
for each piece:  
    calculate possible moves
```



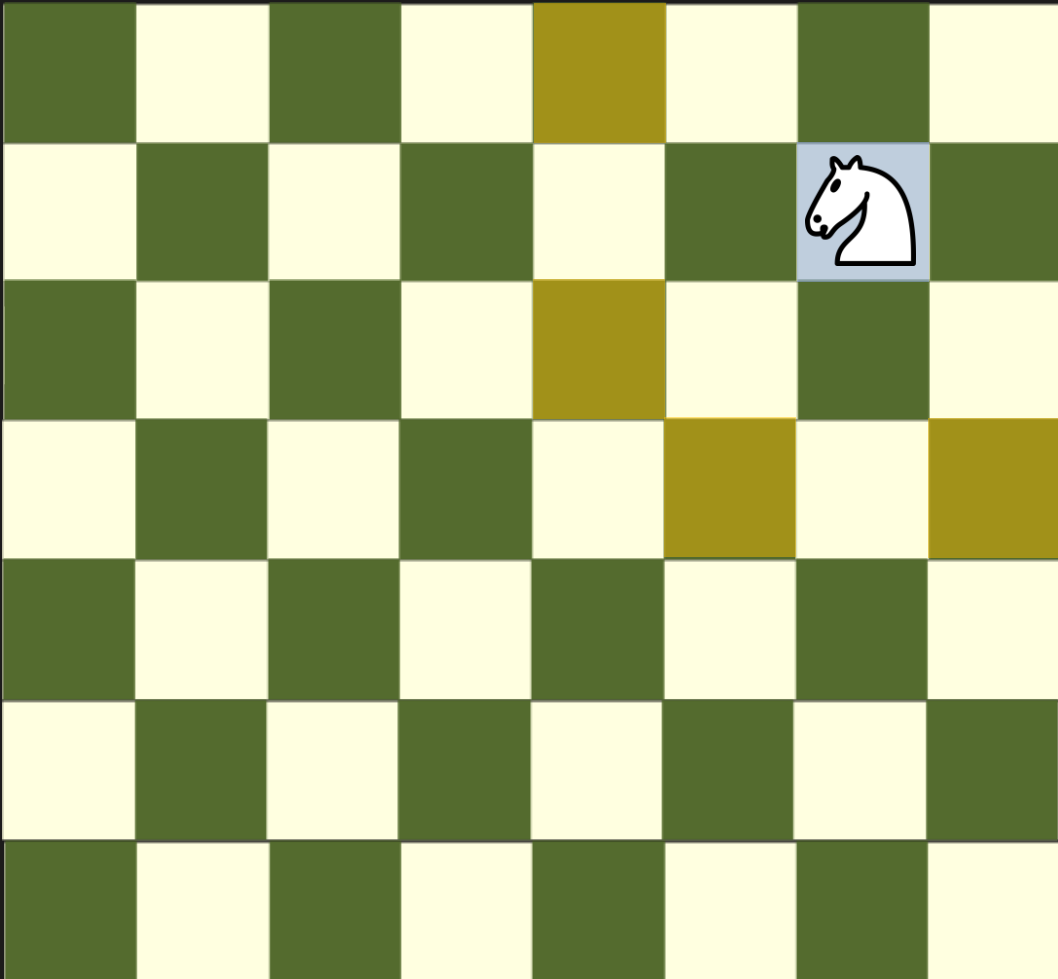
# MOVE PIECES



There are 6 different piece types, each with specific move features.  
Piece's movement can be generated with for loops.

Faster to use **Look Up Tables (LUT)** containing pre-calculated moves for each piece type in any of the 64 square...

# MOVE PIECES



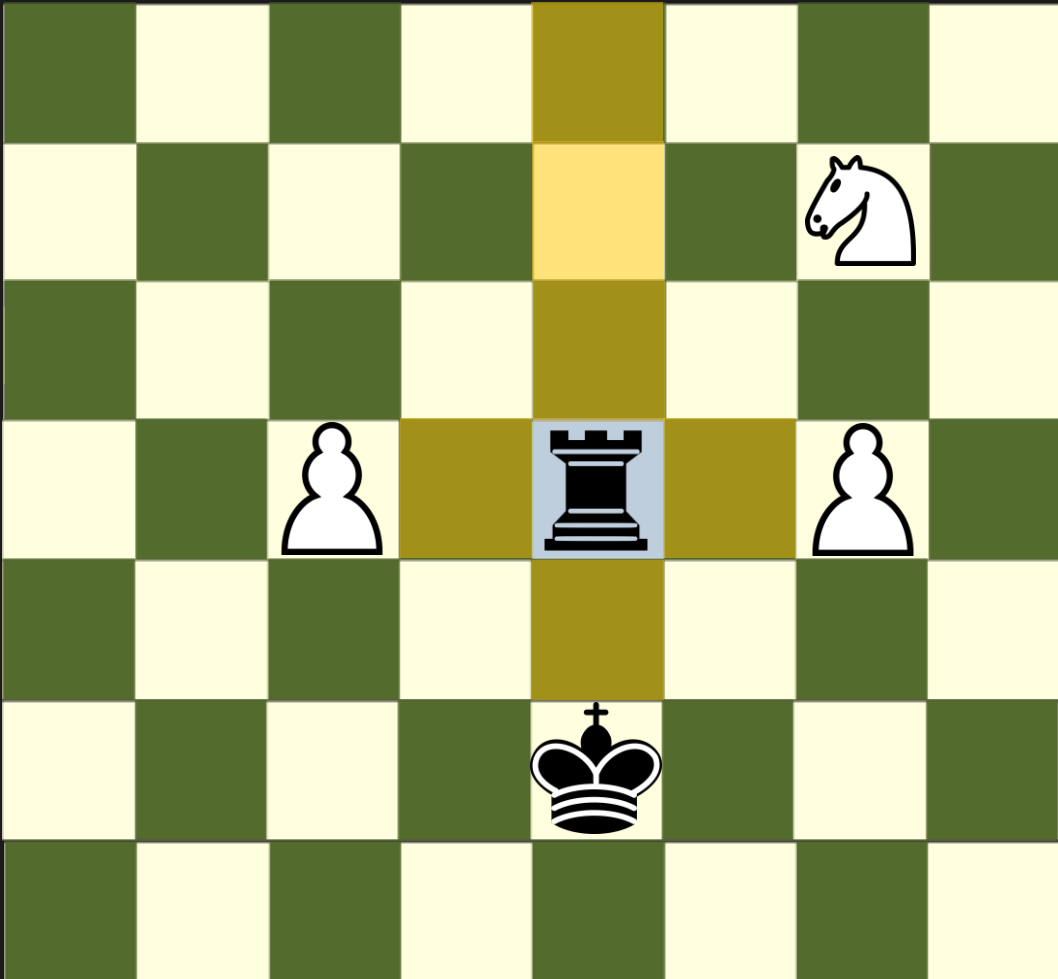
A look up table is a simple map

- from each of the 64 squares;
- to a **bitboard** representing a piece's moves expressed in the bitboard representation.

$[1, \dots, 64] \rightarrow [0xd2f, \dots, 0x4a1f]$

Things get more complicated for “leaping” pieces: rook, bishop, queen.

# MOVE PIECES

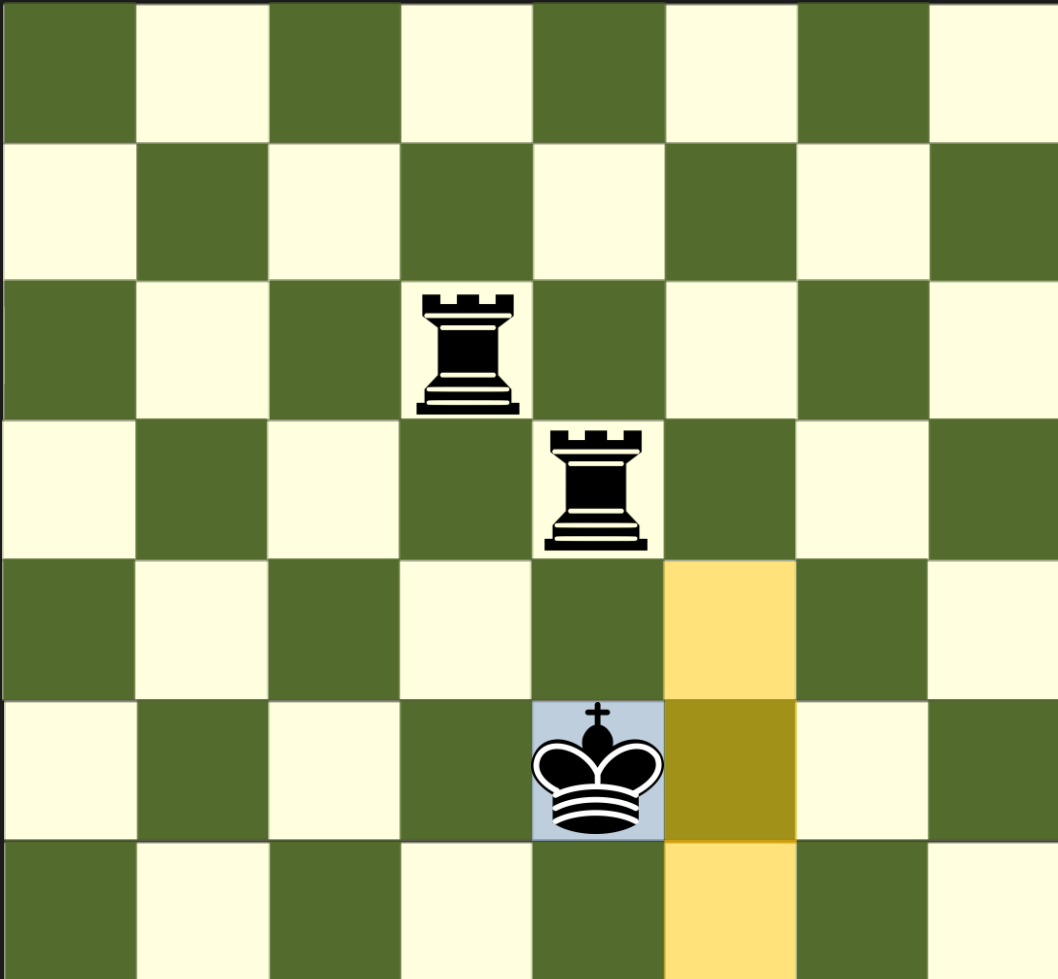


Leaping pieces can slide on the board until another piece is encountered aka a **blocker**.

It is still possible to use **LUT** to pre-calculate moves.

For **each square**, the configuration of all **relevant** blockers is hashed into an index  $[0, \dots, 4096)$ . The moves are then precalculated and stored in a **2D Look Up Table** sized **64 x 4096**.

# MOVE PIECES



Not all **LUT** moves are legal moves.

Implement the chess rules to filter the LUT moves → legal moves generator.

Picking a random move from a set of legal moves is not a great idea for a chess engine.

**How to pick the best move?**

# MOVE SEARCH



# MOVE SEARCH

## Two basic ingredients for finding the best move

### 1. Evaluation (not in this talk)

Function to determine the score of a position.

The score is related to the chances of winning.

It is based on board occupancy, “chess good practices” and/or Neural Networks.

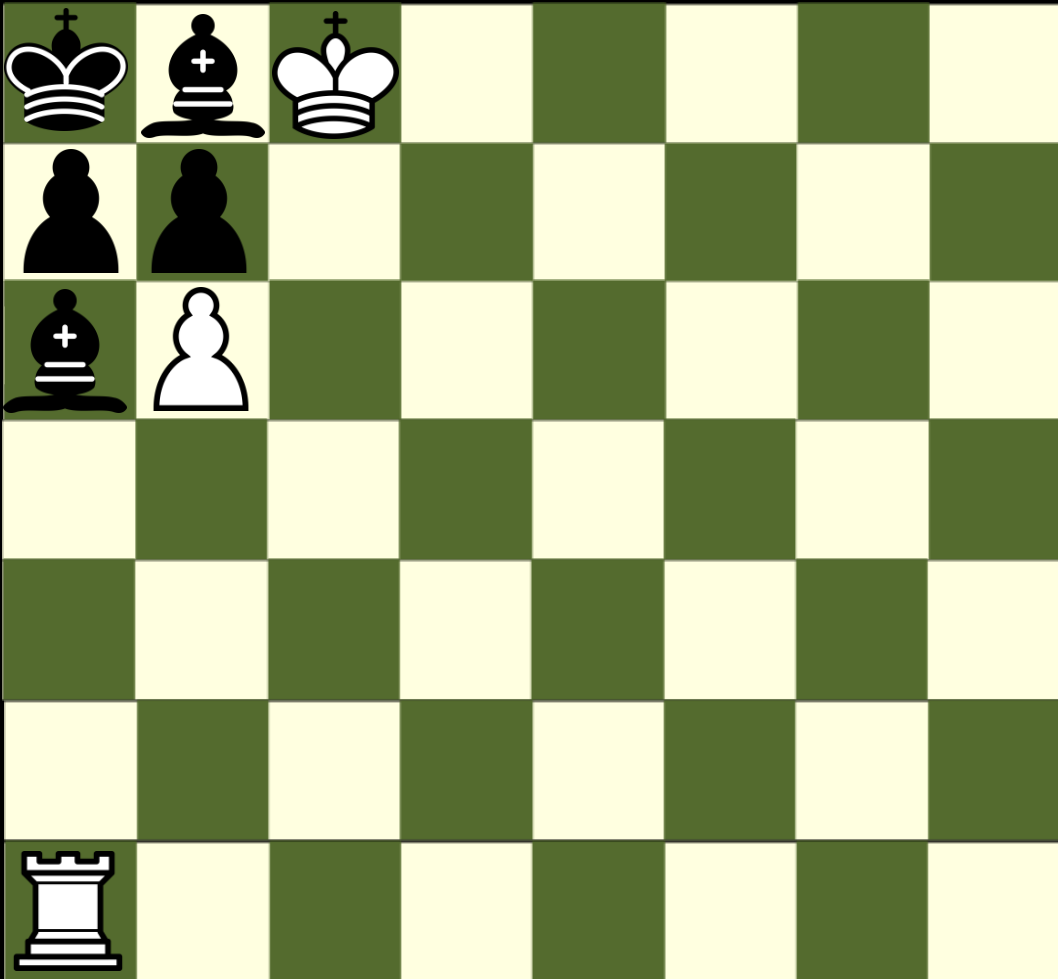
### 2. Maximizing algorithm

Recursive algorithm for choosing the optimal move for the current side playing.

Assumes optimal play from the opponent as well.

Scans the game tree up to a fixed depth.

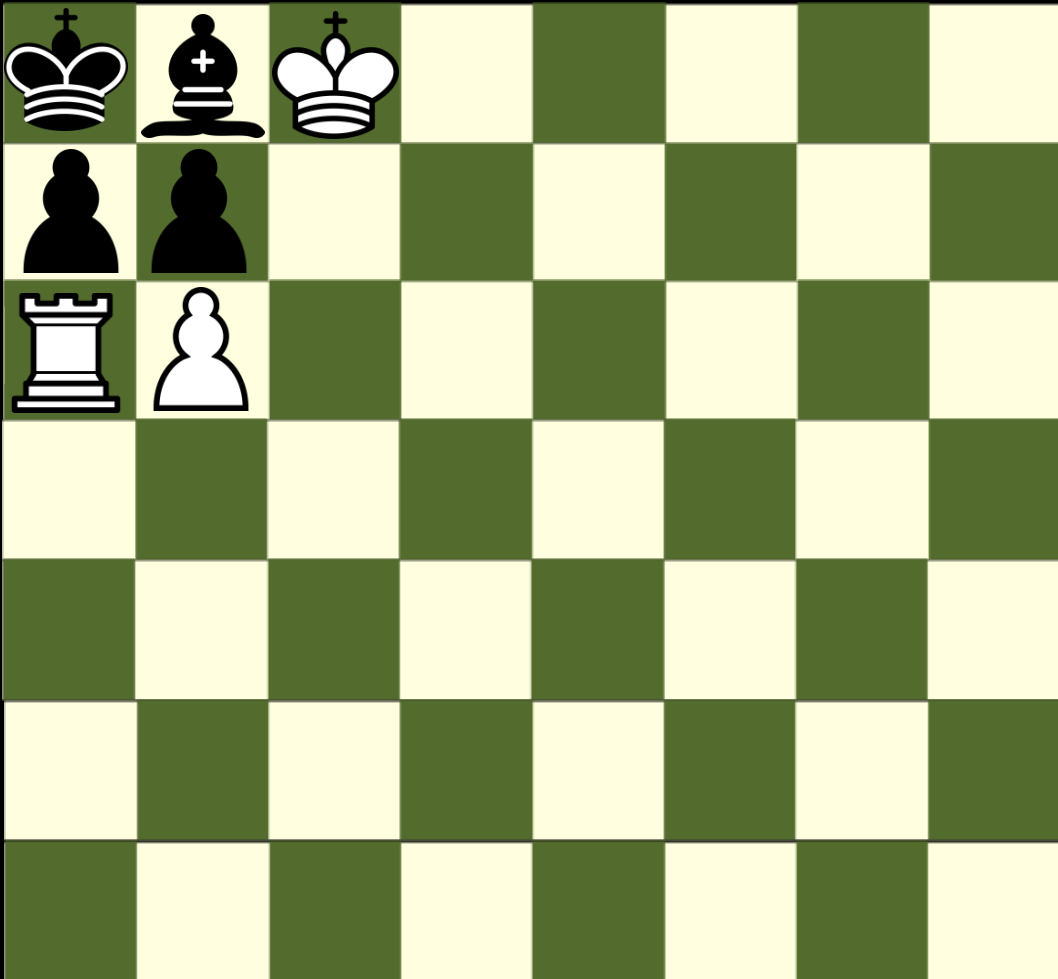
# MOVE SEARCH



In this position **black** has more material. So the static evaluation would return “black has more chances to win”.

However it is **white** turn to move and it is guaranteed a win in 3 moves.

# MOVE SEARCH

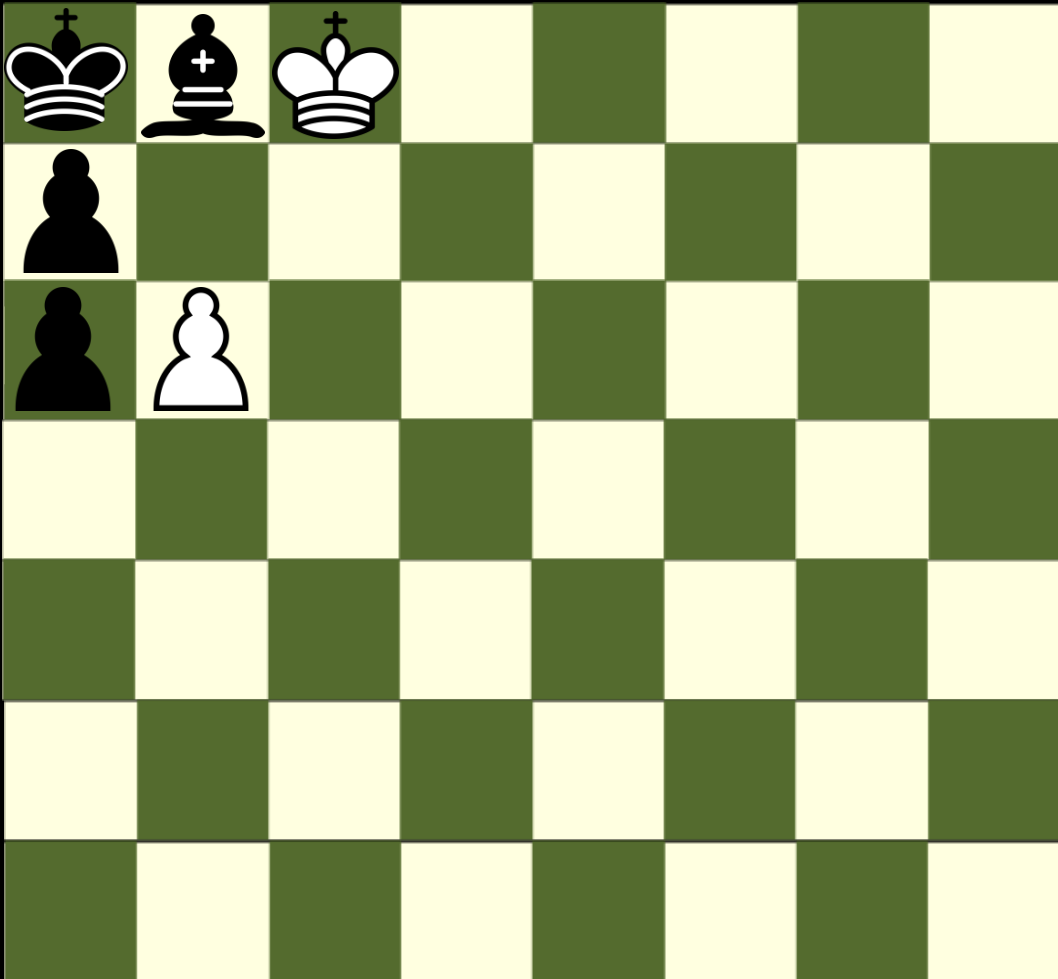


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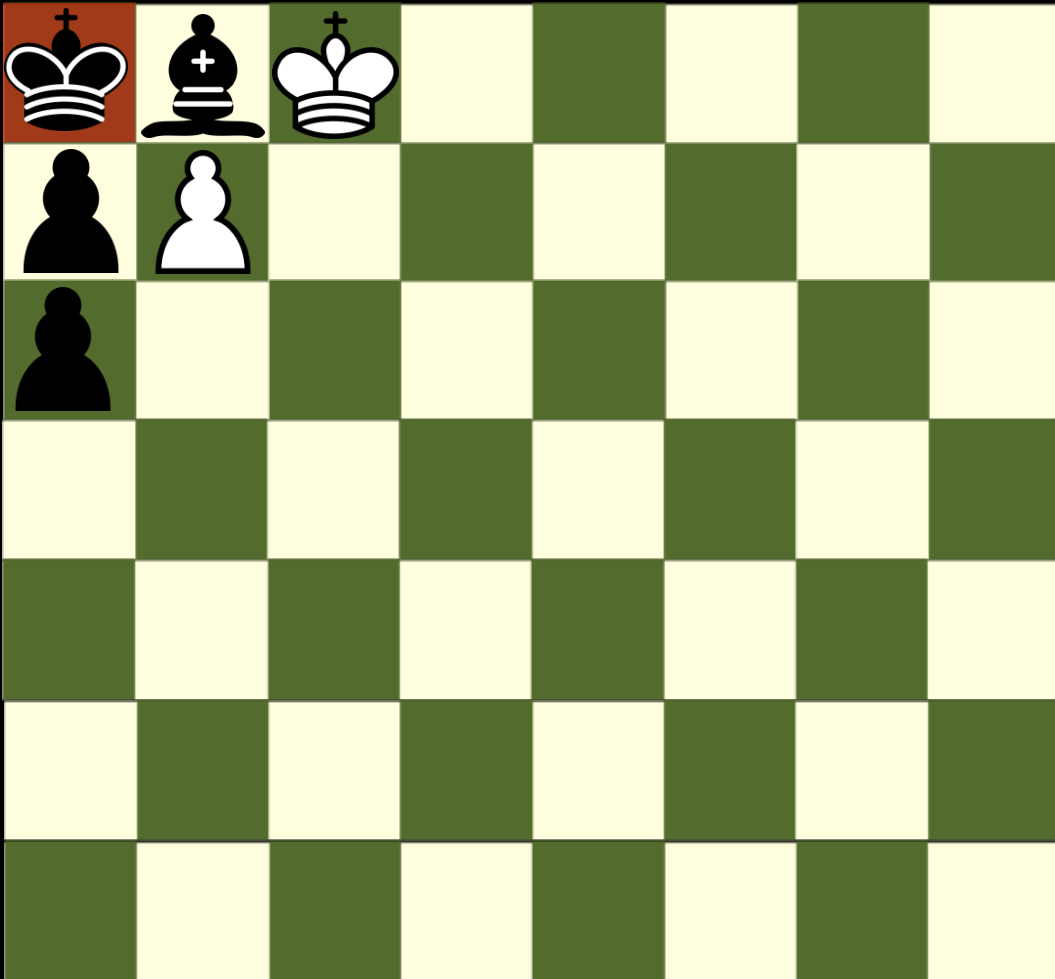


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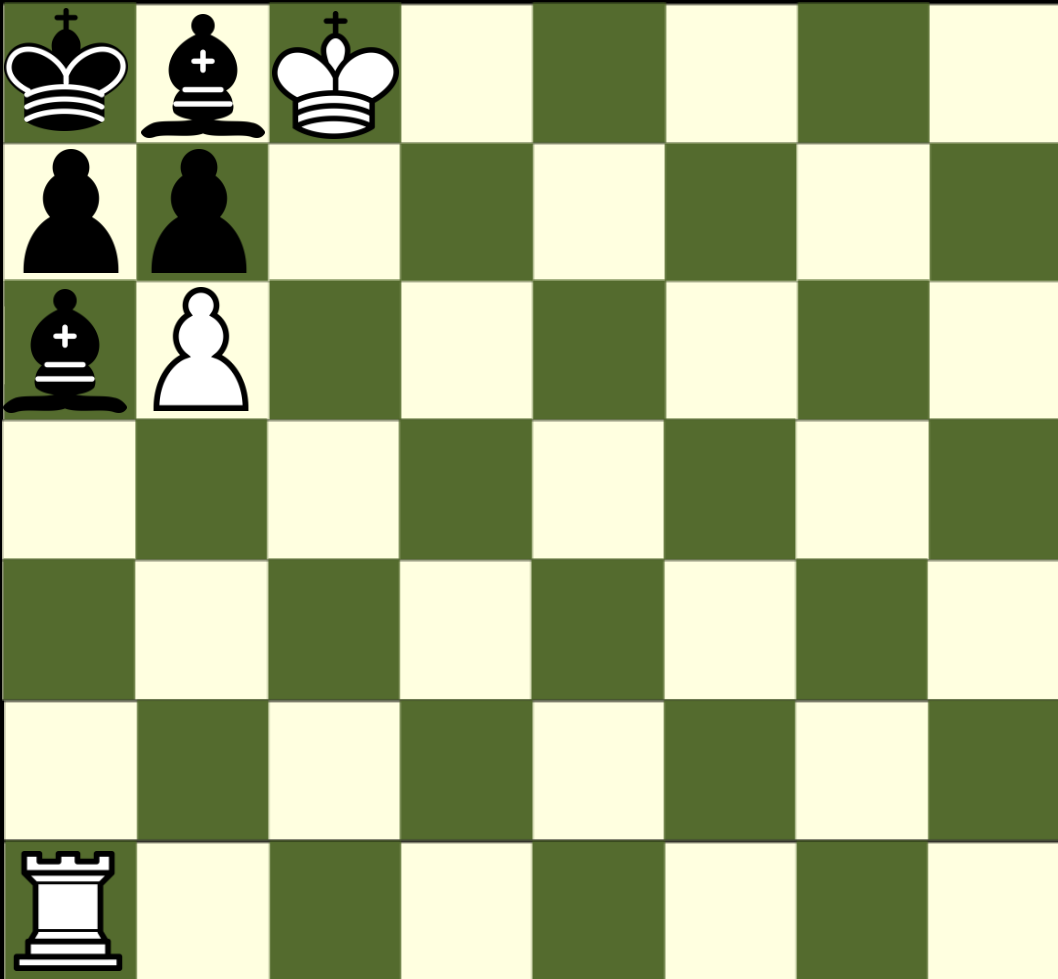
White wins



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However it is **white** turn to move and it is guaranteed a win in 3 moves.

# MOVE SEARCH

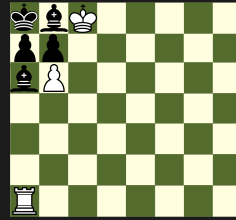


In this position **black** has more material. So the static evaluation would return “black has more chances to win”.

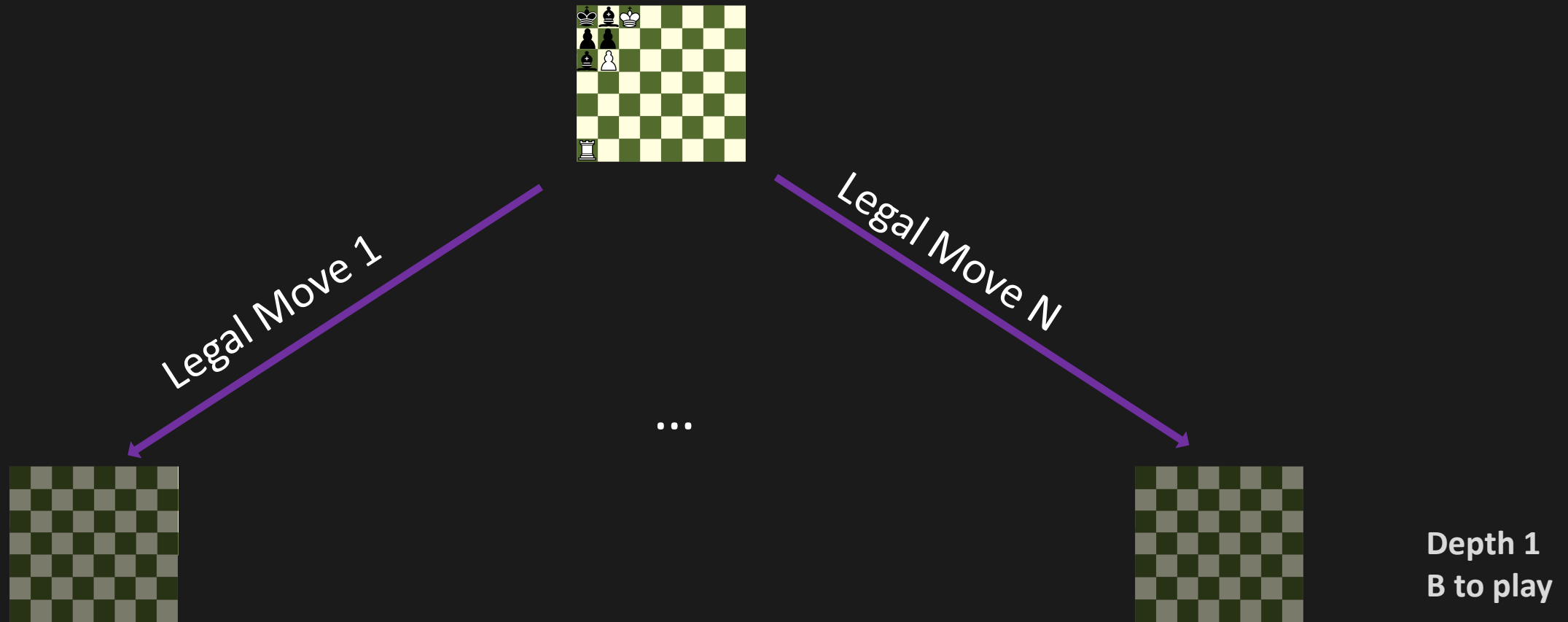
However it is **white** turn to move and it is guaranteed a win in 3 moves. The static evaluation of the position is **NOT** accurate enough.

The **maximizing algorithm** looks into the future to provide a better position evaluation (dynamic).

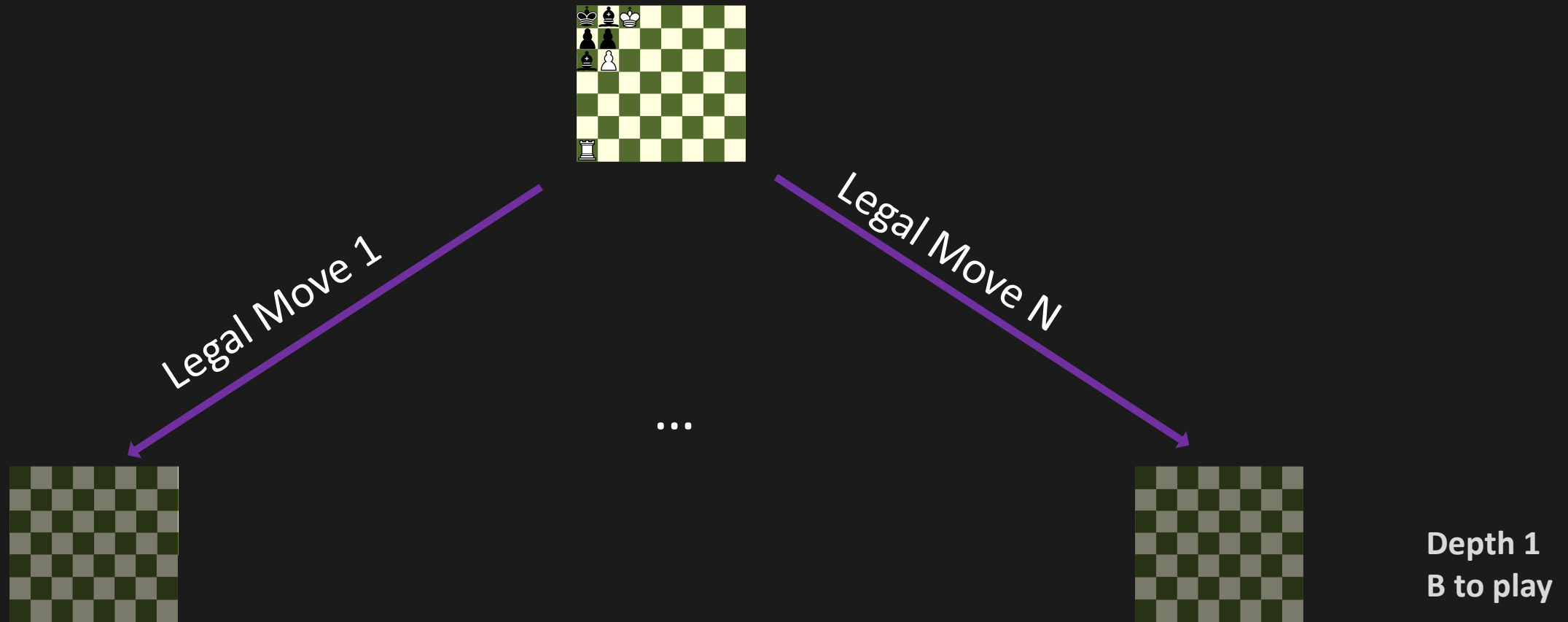
# THE MINIMAX ALGORITHM



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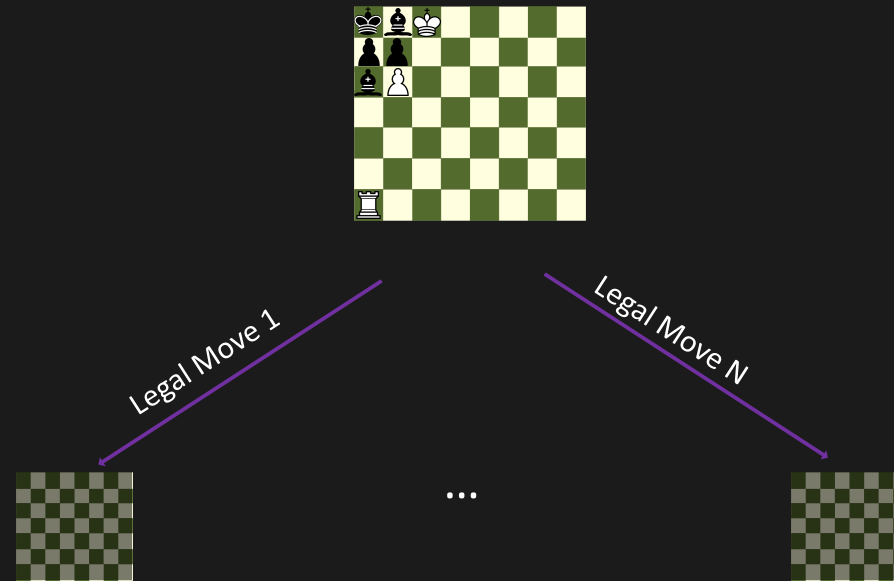


# THE MINIMAX ALGORITHM

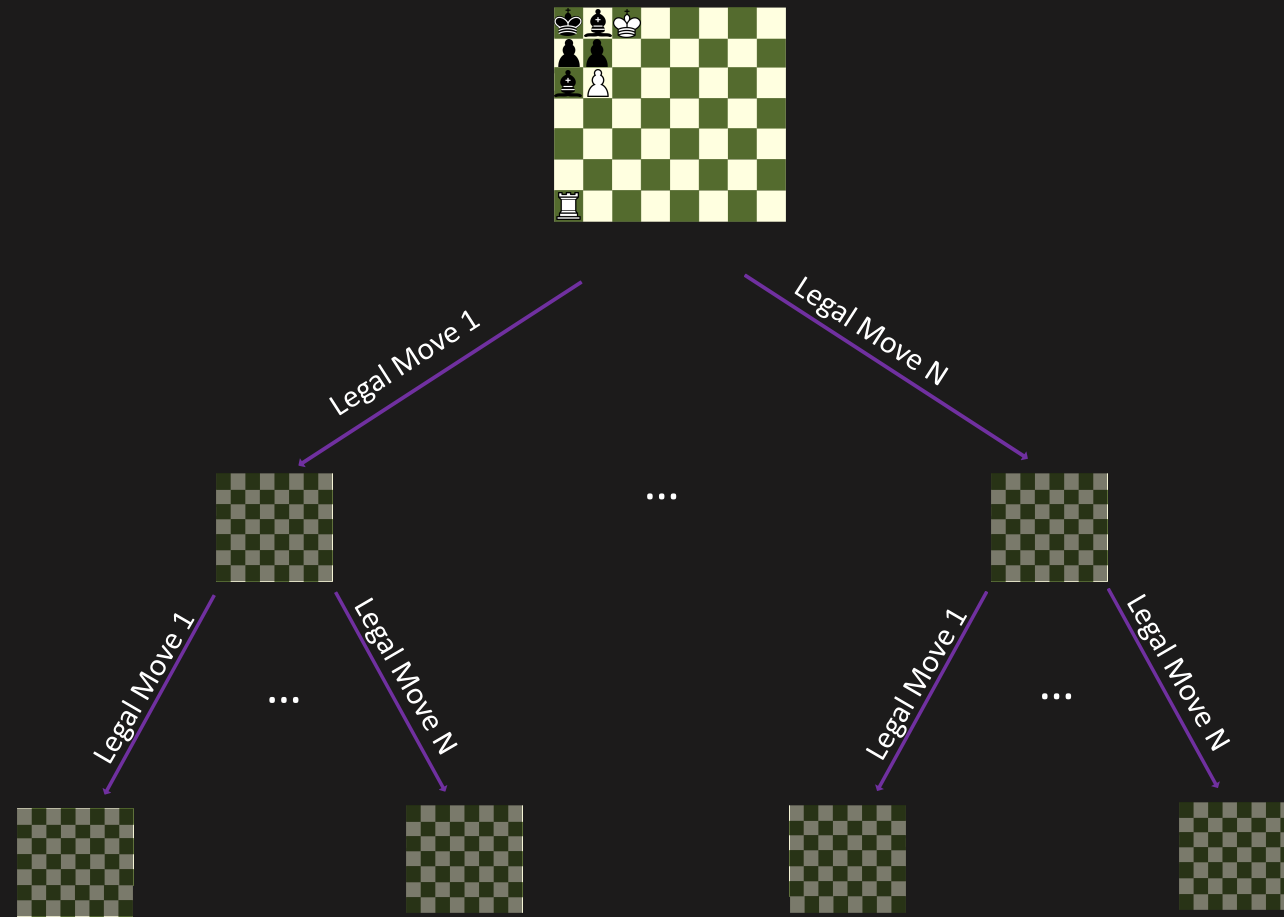


current searched depth < 3  
Therefore, minimax gets called again from all reached positions. Now it searches for the best **opponent** move.

# THE MINIMAX ALGORITHM



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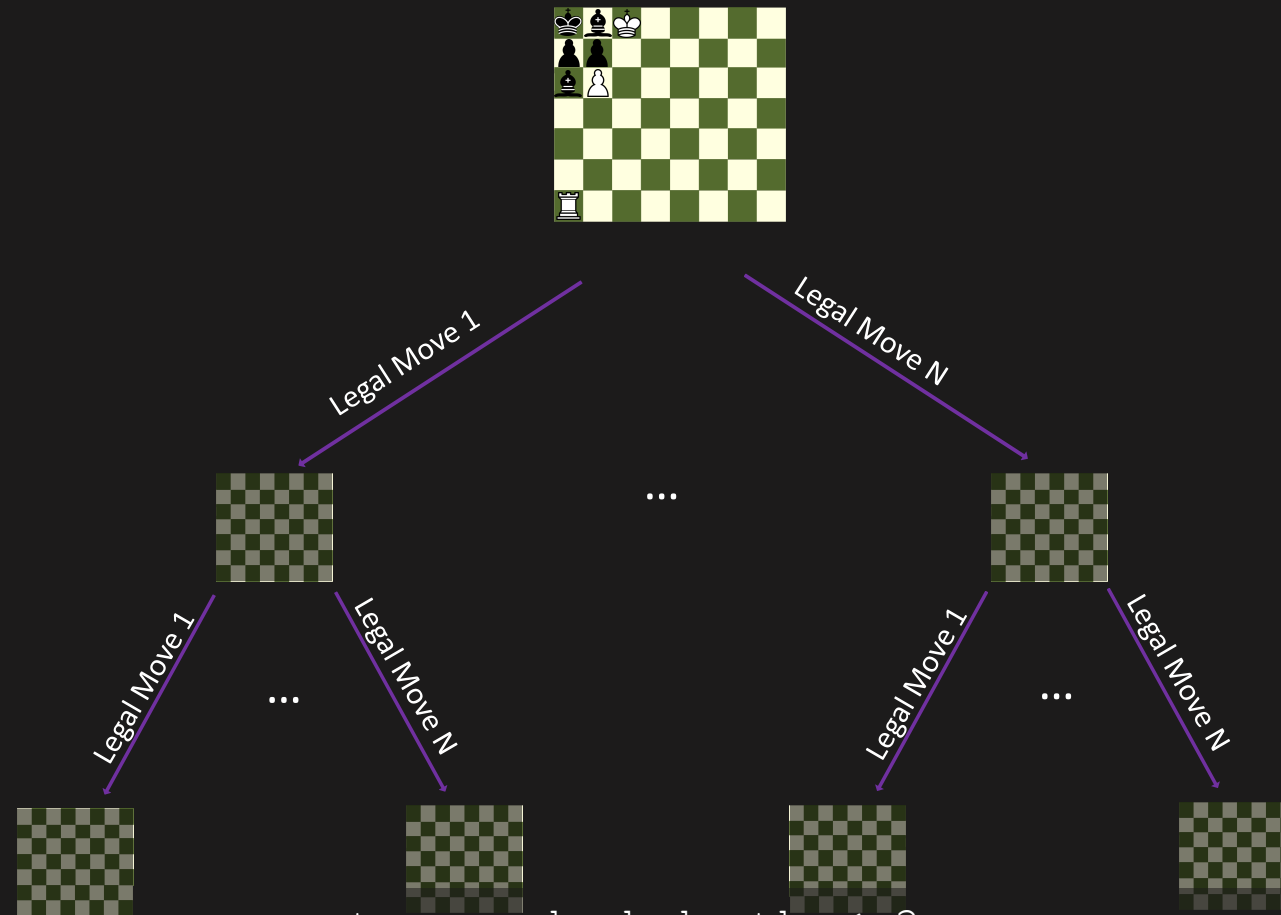


Depth 1  
B to play

Depth 2  
W to play



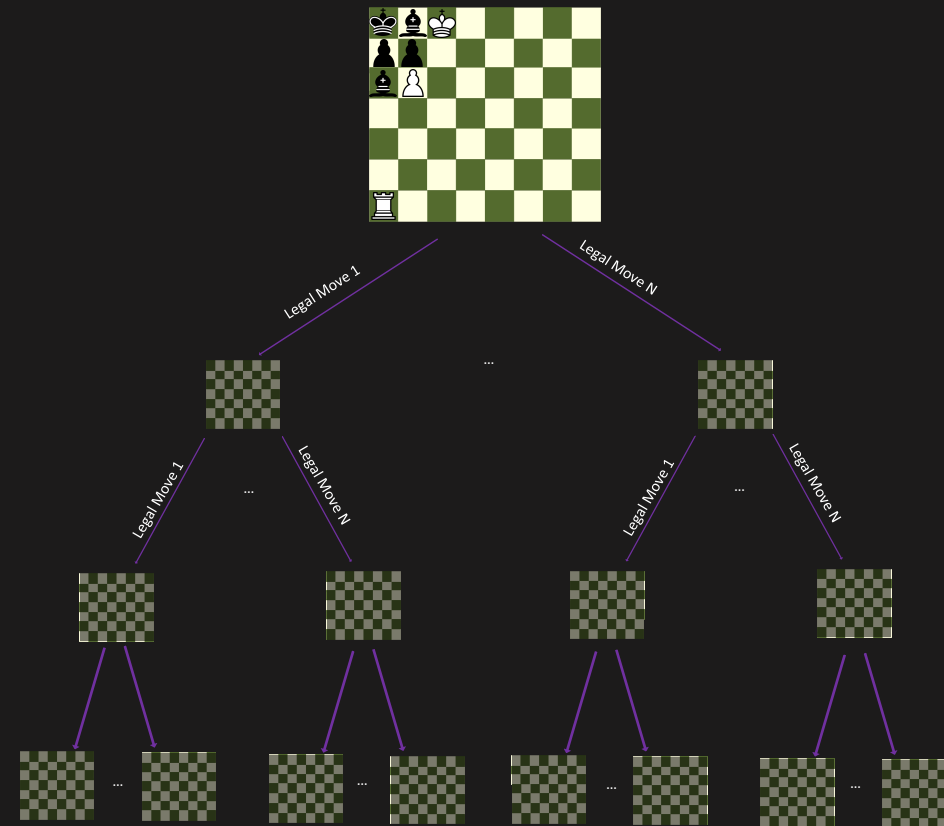
# THE MINIMAX ALGORITHM



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# THE MINIMAX ALGORITHM



Depth 1  
B to play

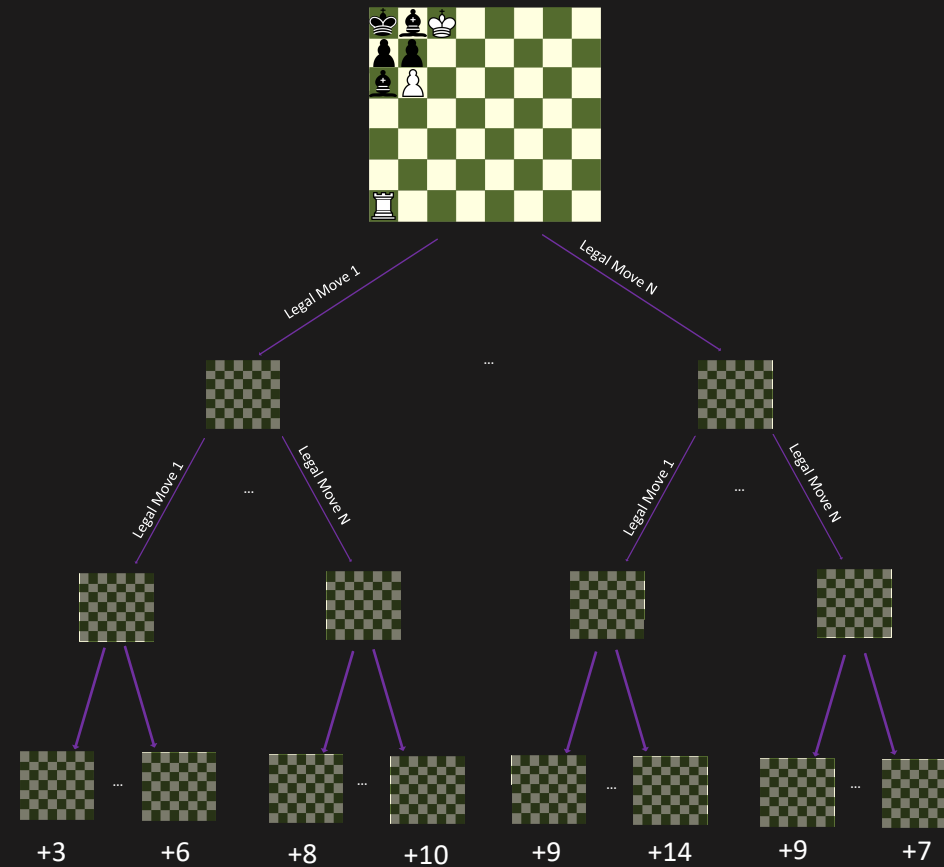
Depth 2  
W to play

Depth 3  
B to play

current searched depth == 3

These are now terminal nodes! The static evaluation is applied to return a score.

# THE MINIMAX ALGORITHM

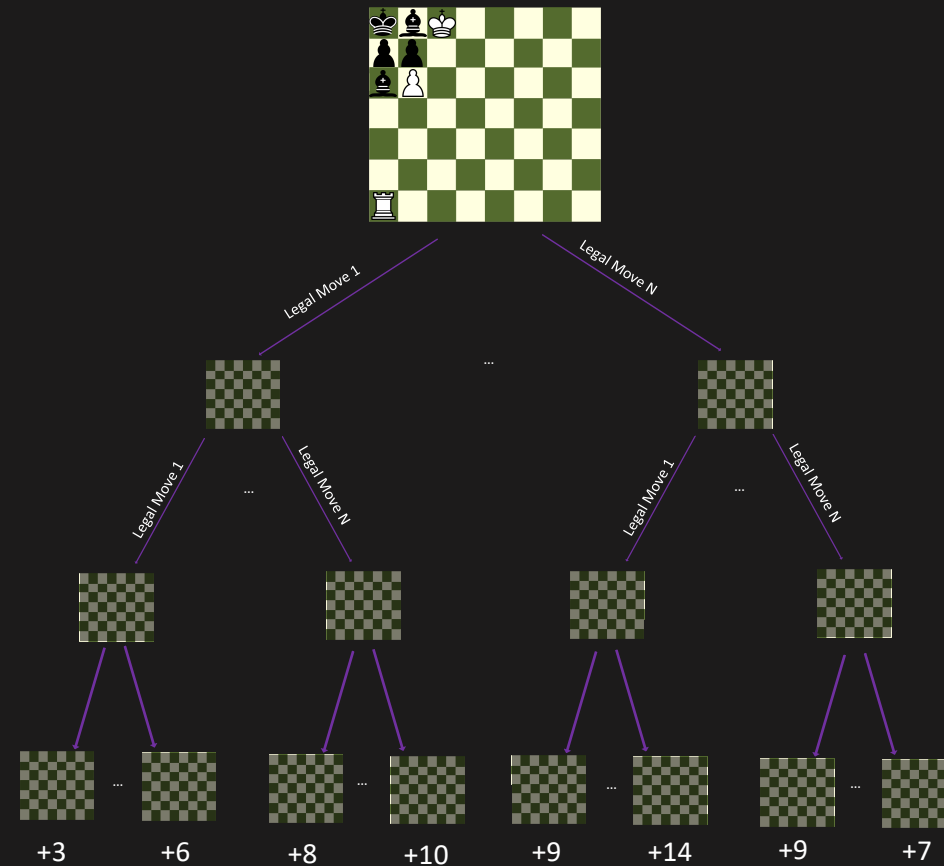


Depth 1  
B to play

Depth 2  
W to play

Depth 3  
B to play

# THE MINIMAX ALGORITHM



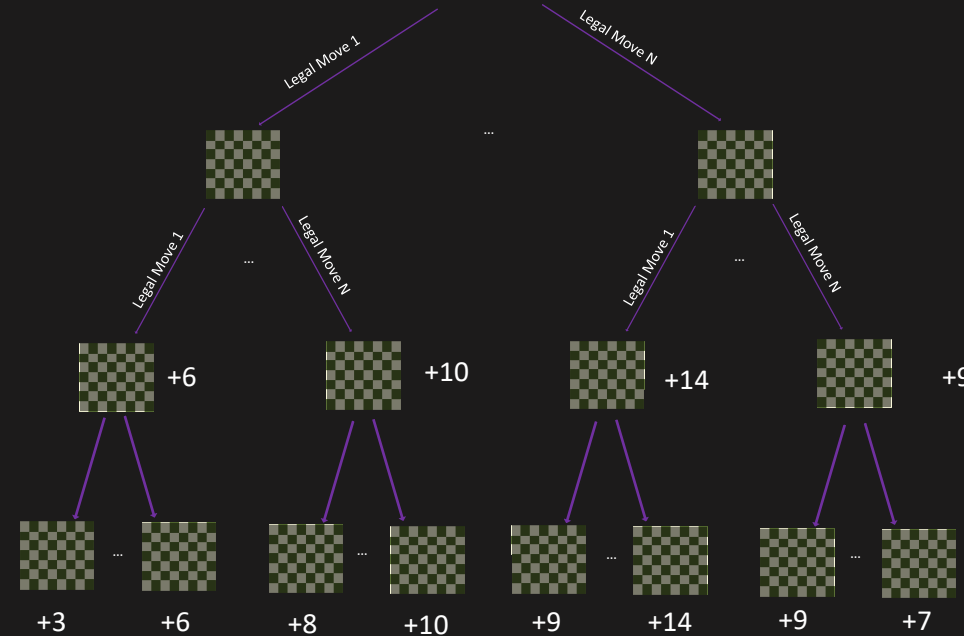
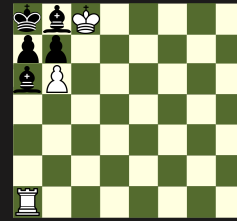
Depth 1  
B to play

Depth 2  
W to play

Depth 3  
B to play

At depth 2, **white** has now several rated moves to choose from. It will always pick the move that **maximizes** the score

# THE MINIMAX ALGORITHM



Depth 1  
B to play

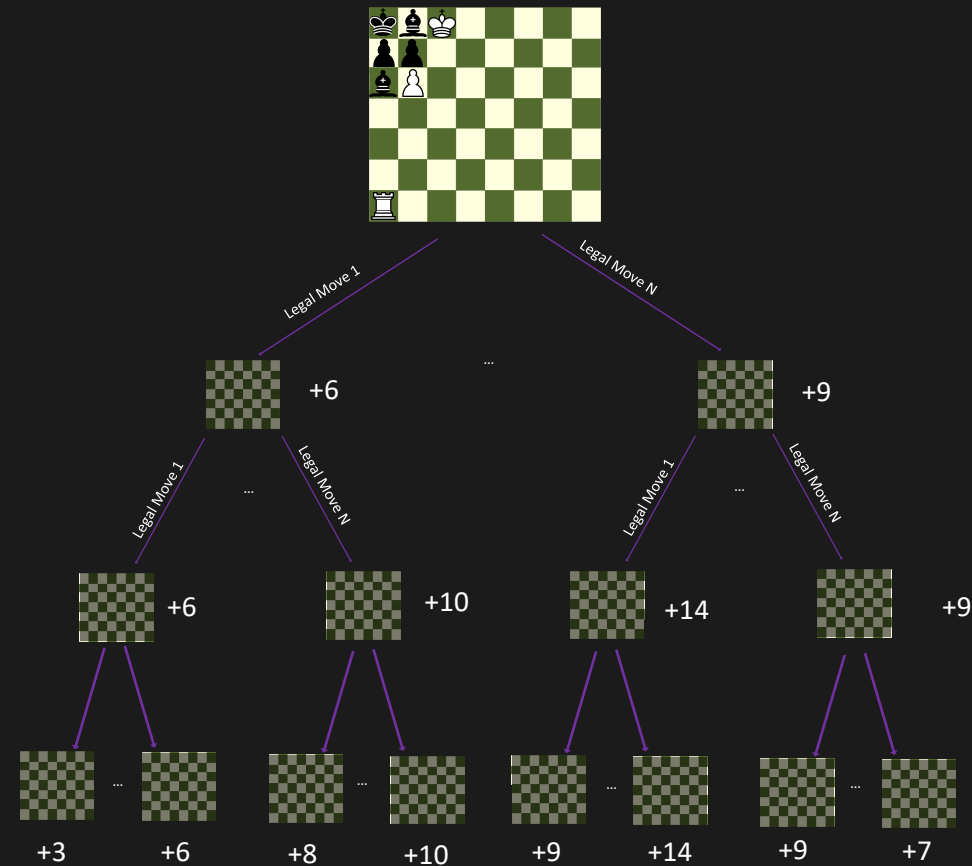
Depth 2  
W to play

Depth 3  
B to play

At depth 2, **white** has now several rated moves to choose from. It will always pick the move that **maximizes** the score

# THE MINIMAX ALGORITHM

At depth 1, **black** has now several rated moves to choose from.  
It will always pick the move that **minimizes** the score



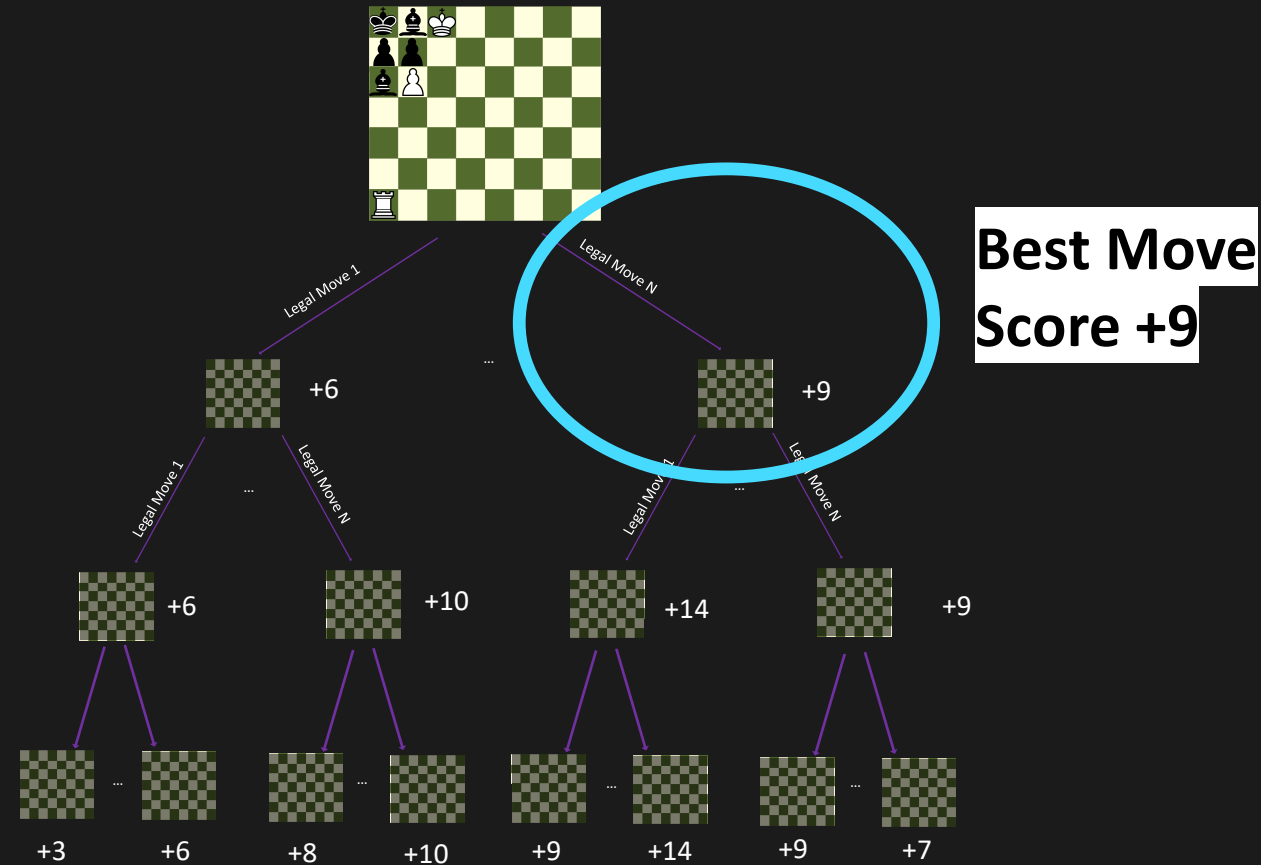
Depth 1  
B to play

Depth 2  
W to play

Depth 3  
B to play

# THE MINIMAX ALGORITHM

At depth 0, **white** has now several rated moves to choose from. It will always pick the move that **maximizes** the score



# THE MINIMAX ALGORITHM

- Recursive
- Static evaluation at terminal nodes
- Assumes best play by both players (max player and min player)



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- Recursive
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## Issues

The number of position (nodes) searched, grows exponentially. The computation time also does.

The search is depth limited.  
A negative event might be unavoidable but delayable beyond the searched depth.

# THE MINIMAX ALGORITHM

- Recursive
- Static evaluation at terminal nodes
- Assumes best play by both players (max player and min player)

## Issues

The number of position (nodes) searched, grows exponentially. The computation time also does.

- Alpha Beta pruning
- Transposition table (touched on in this talk)

The search is depth limited.

A negative event might be unavoidable but delayable beyond the searched depth.

- Quiescence search (not in this talk)

# ALPHA BETA PRUNING

- Let's say that during our search for the best move, we find a very good one.
- Then, we don't need to search all remaining moves, but only those who are NOT worse than the current move found.
- As a result, we can ignore large portions of the game tree and speed up our search.

# ALPHA BETA PRUNING



Depth 0

# ALPHA BETA PRUNING

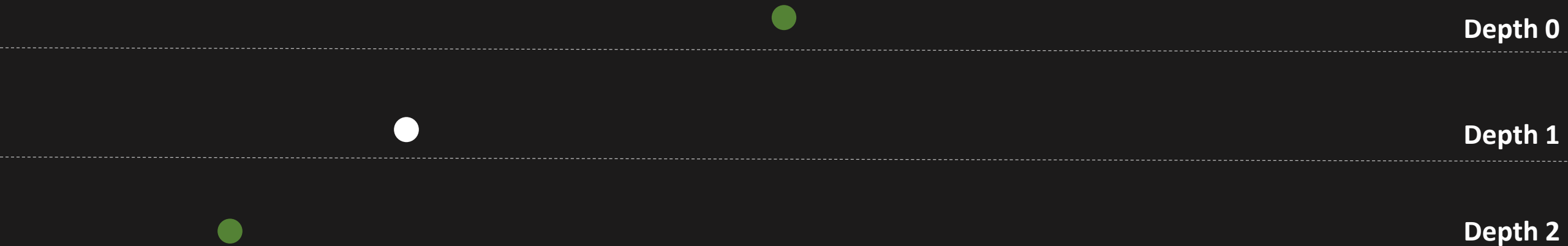


Depth 0

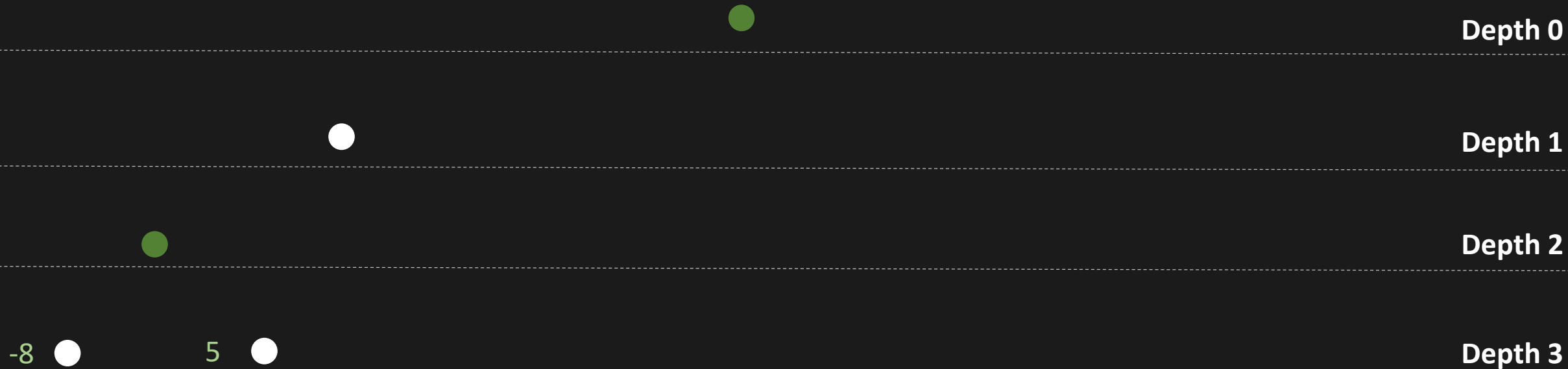


Depth 1

# ALPHA BETA PRUNING



# ALPHA BETA PRUNING



# ALPHA BETA PRUNING

$\leq -8$  ●

Depth 0

$\geq -8$  ●

Depth 1

-8 ●

Depth 2

-8 ●

5 ●

Depth 3



# ALPHA BETA PRUNING

$\leq -8$  ●

Depth 0

$\geq -8$  ●

Depth 1

-8 ●

●

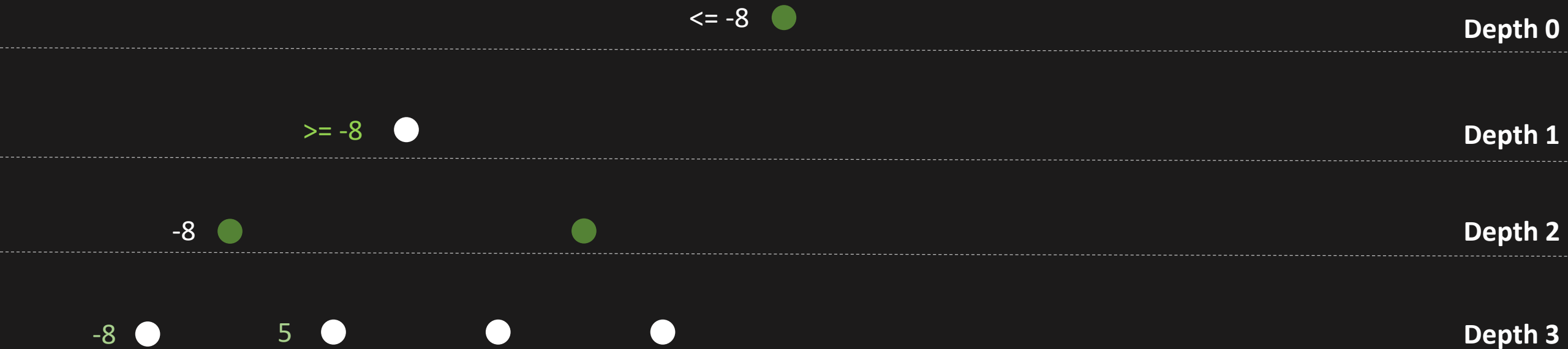
Depth 2

-8 ●

5 ●

Depth 3

# ALPHA BETA PRUNING



# ALPHA BETA PRUNING

$\leq -8$  ●

Depth 0

$\geq -8$  ●

Depth 1

-8 ●

●

Depth 2

-8 ●

5 ●

-1 ●

6 ●

Depth 3

# ALPHA BETA PRUNING

$\leq -1$  ●

Depth 0

$\geq -1$  ●

Depth 1

-8 ●

-1 ●

Depth 2

-8 ●

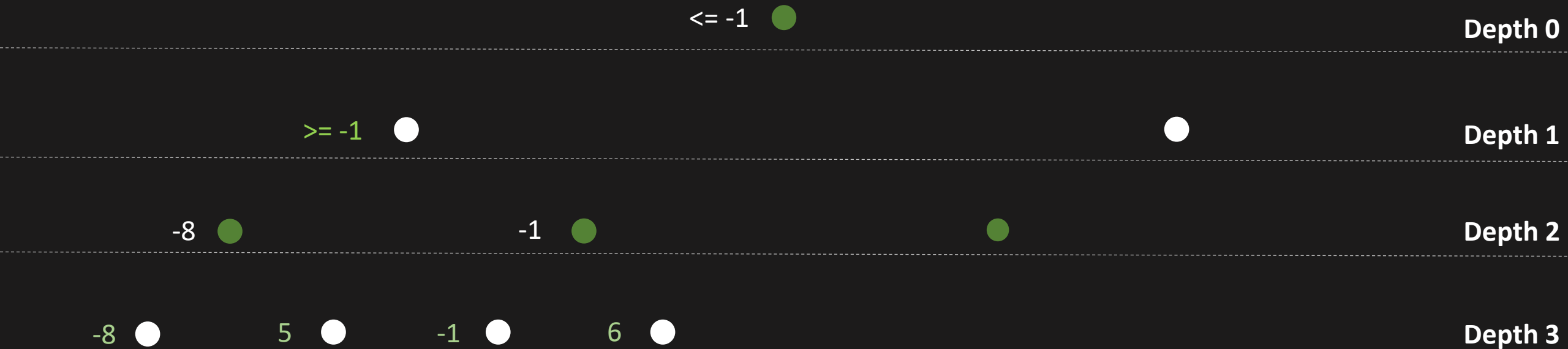
5 ●

-1 ●

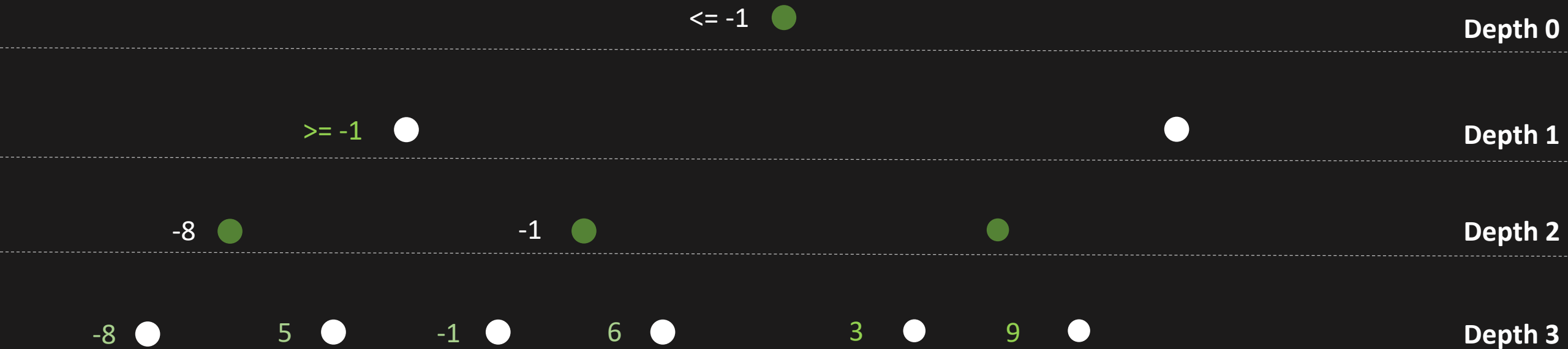
6 ●

Depth 3

# ALPHA BETA PRUNING



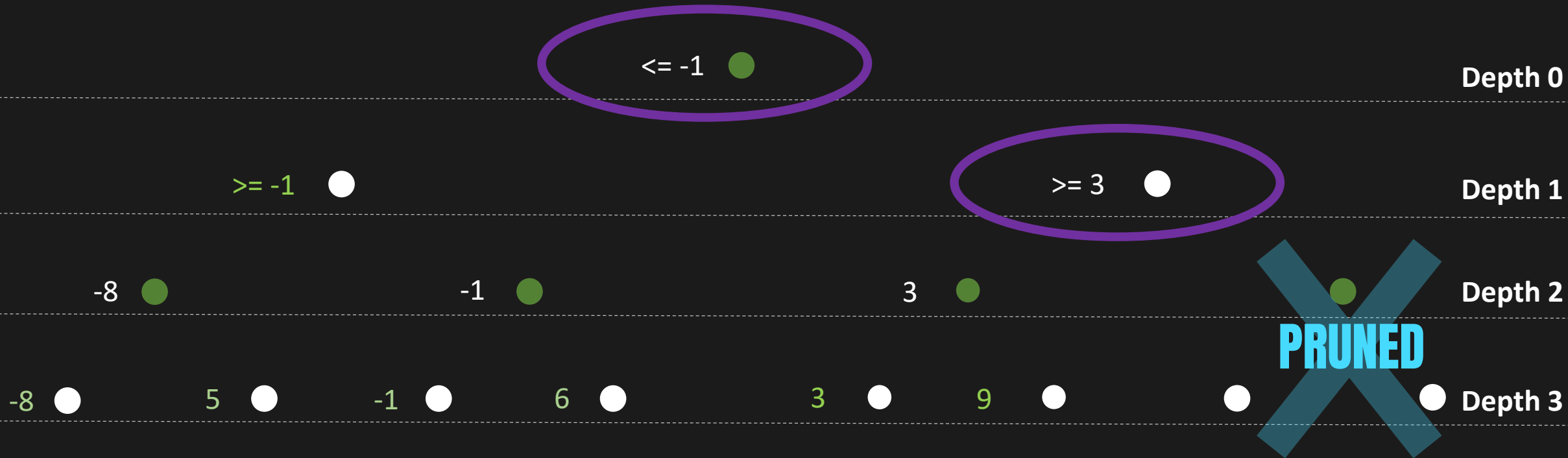
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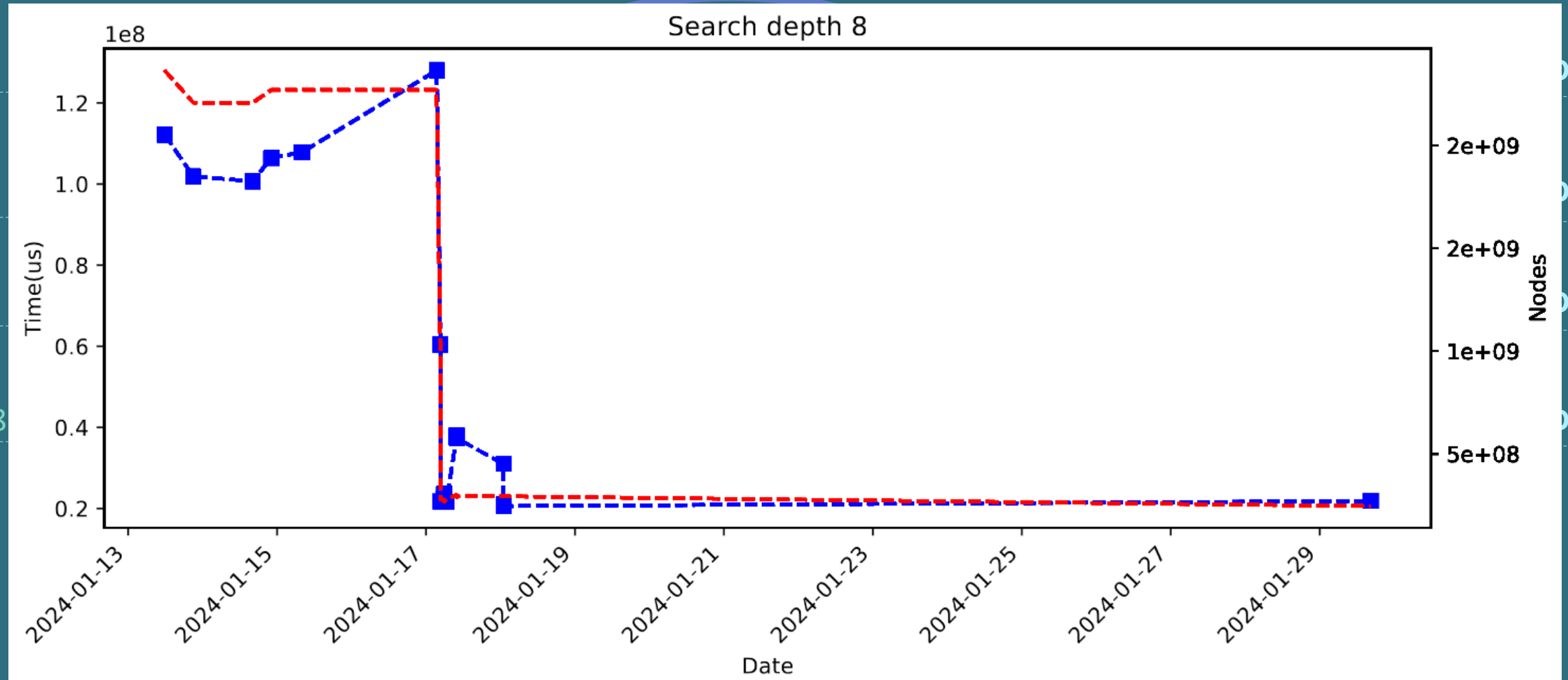


# ALPHA BETA PRUNING





# ALPHA BETA PRUNING



# CONCLUSIONS

- Writing a chess engine has been enormously educational.
- The depth of the search is a key factor for the engine strength.
- Optimizing the search algorithm with heuristics can help pruning more branches and allow deeper searches.
- My proto-engine is now online playing other bots  
<https://lichess.org/@/ThePaunch>  
<https://github.com/fraivone/chessengine/tree/v2>