



# Lab1: Simulink

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Alberto Tarable

[alberto.tarable@polito.it](mailto:alberto.tarable@polito.it)

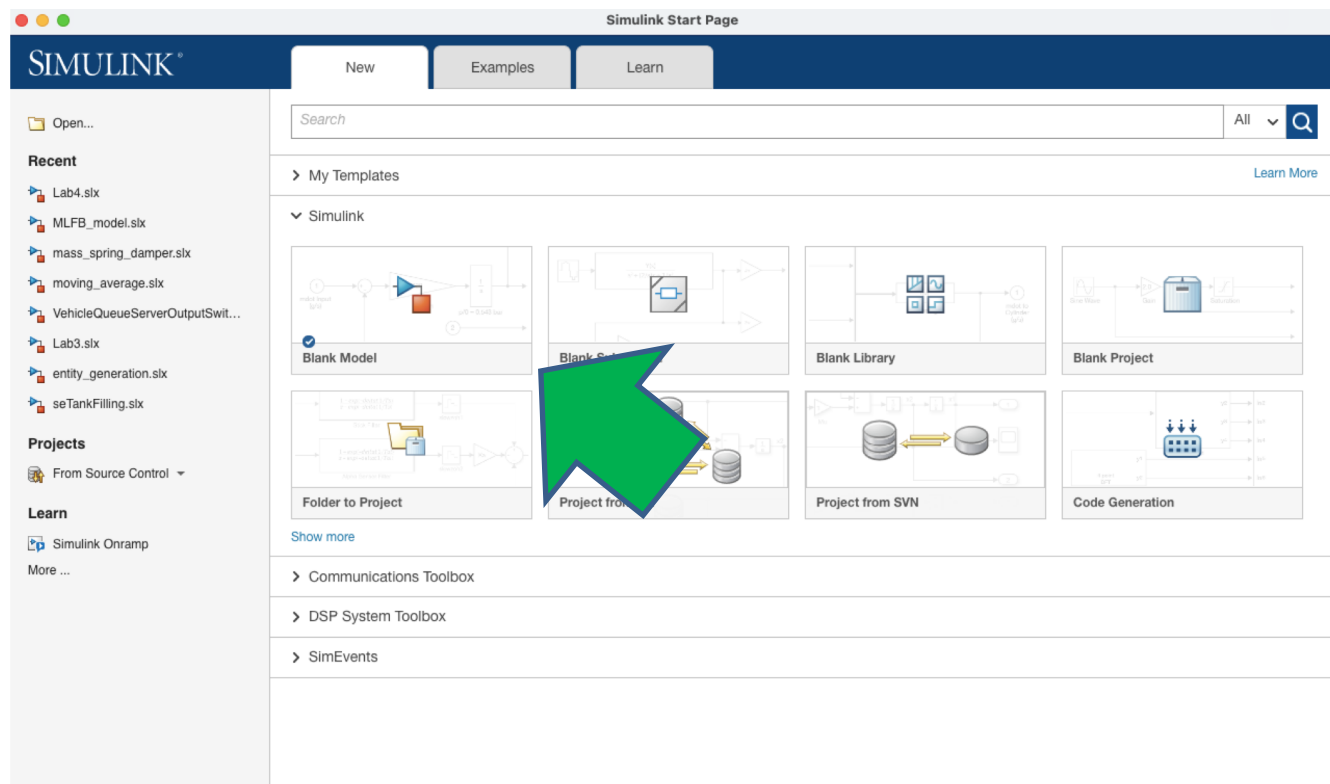
# Matlab Simulink

- To open Simulink, do one of the following things
  - from Matlab prompt type `“simulink”`
  - click on the Simulink icon in the Home Toolbar (if present)
  - open an already existing Simulink model (with extension `.slx`) by
    - double-clicking on its name on the “Current Folder” window
    - by typing `open_system(model_name)` at Matlab prompt



# Matlab Simulink

- Create a blank model from Simulink Start Page
- The Simulink canvas is ready for work!

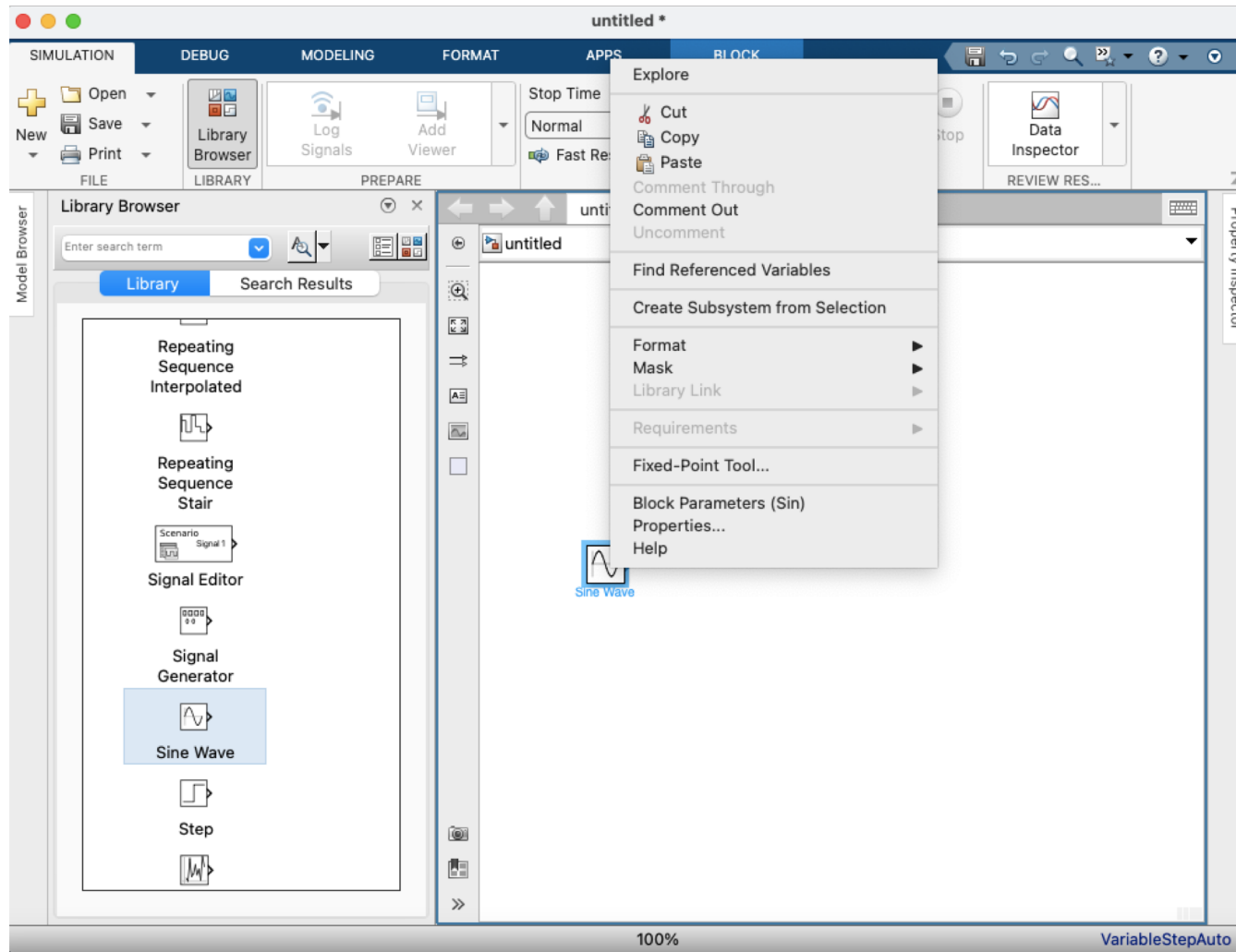


# Matlab Simulink

- Open the Library Browser
- Blocks can be added to your model:
  - by dragging them from the Library Browser
  - by double-clicking in the canvas area and typing the block name
- Each block is characterized by parameters, which can be set by right-clicking on the block and selecting the “Block Parameters” option from the pop-up window

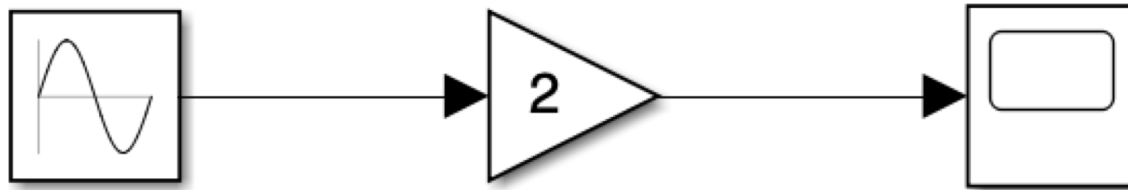


# Matlab Simulink



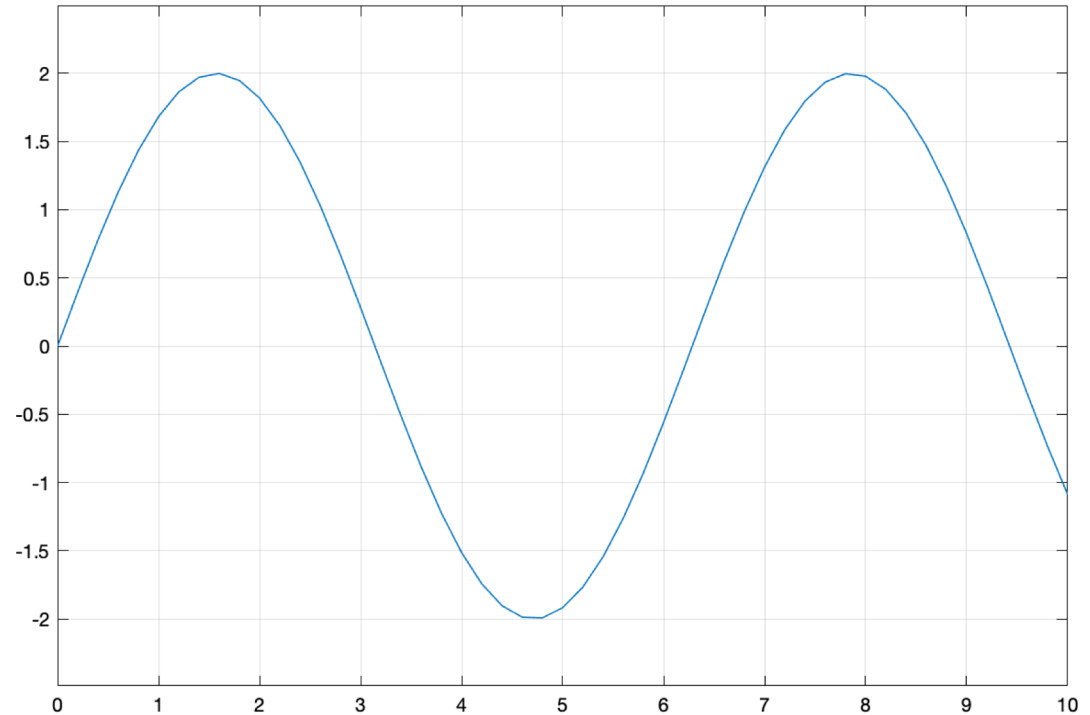
# Matlab Simulink

- Blocks can be easily connected by arrows
- In the figure, a "Sine Wave" block outputs a sinusoid, which is first multiplied by two and then sent to a "Scope" block to see the signal



# Matlab Simulink

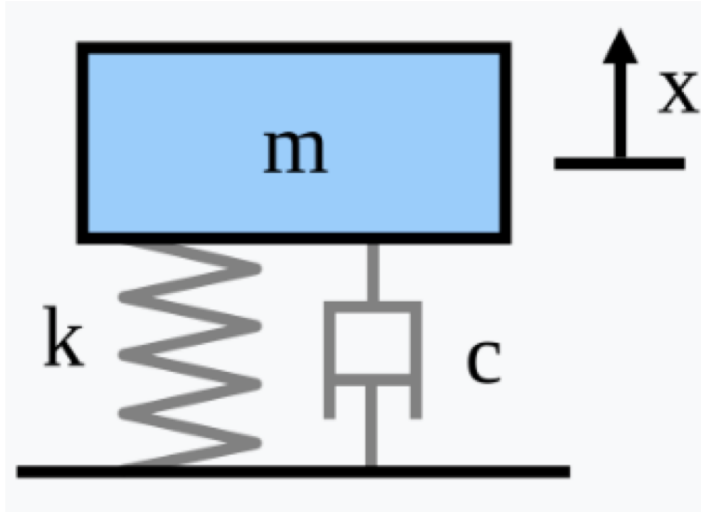
Click the Run button in the Simulation toolbar and double-click the Scope block



# Exercise 1: continuous-time model

- Mass-spring-damper model

$$m\ddot{x} = F_{\text{ext}} - kx - c\dot{x}$$



$F_{\text{ext}}$ : external  
applied force



# Exercise 1: continuous-time model

1. Implement the model in Simulink, first without external forces ( $F_{\text{ext}} = 0$ )
  - Set  $k = 1, c = 1, m = 1$
  - Useful Simulink blocks: Integrator, Add, Gain, Scope
  - Set the initial conditions ( $t = 0$ ) for position and velocity in the integrators
    - $x(0) = 1, v(0) = 0$
  - Watch the evolution of position  $x(t)$  from  $t = 0$  to  $t = 10$



# Exercise 1: continuous-time model

- Let  $\omega_n = \sqrt{\frac{k}{m}}$  and  $\zeta = \frac{c}{2m\omega_n}$
- The analytical solution with  $F_{\text{ext}} = 0$  is

$$x(t) = K_1 e^{-\omega_n t (\zeta - \sqrt{\zeta^2 - 1})} + K_2 e^{-\omega_n t (\zeta + \sqrt{\zeta^2 - 1})}$$

with  $K_1$  and  $K_2$  depending on the initial conditions

2. Verify through Matlab or Simulink that the simulated model agrees with the formula if

$$K_1 = \frac{1}{2} - \frac{j}{2\sqrt{3}} \qquad K_2 = \frac{1}{2} + \frac{j}{2\sqrt{3}}$$

# Exercise 1: continuous-time model

3. Simulate the model with  $F_{\text{ext}} = \sin(2\pi f_0 t)$
- Set  $f_0 = 1$  Hz
  - Useful Simulink block: Sine Wave
  - Watch the evolution of position  $x(t)$  from  $t = 0$  to  $t = 10$
  - Try to change the values of the parameters and of the initial conditions to see the effect on  $x(t)$



# Exercise 2: discrete-time model

- Moving-average system

$$y[n] = y[n - 1] + \frac{1}{M} (x[n] - x[n - M])$$

- Implement the model in Simulink with  $M = 5$  and  $x[t] = \sin(2\pi n T_s)$  with a sample time  $T_s = 0.1$  s
- Useful block: Delay
- Watch the evolution of  $y[n]$  from  $t = 0$  to  $t = 10$

