

INCREMENTAL LEARNING IN IMAGE CLASSIFICATION

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INCREMENTAL LEARNING

Incremental learning is a paradigm that allows extending the knowledge of an existing model, gradually incorporating new information



CATASTROPHIC FORGETTING

Training a model with new data interferes with previously acquired knowledge



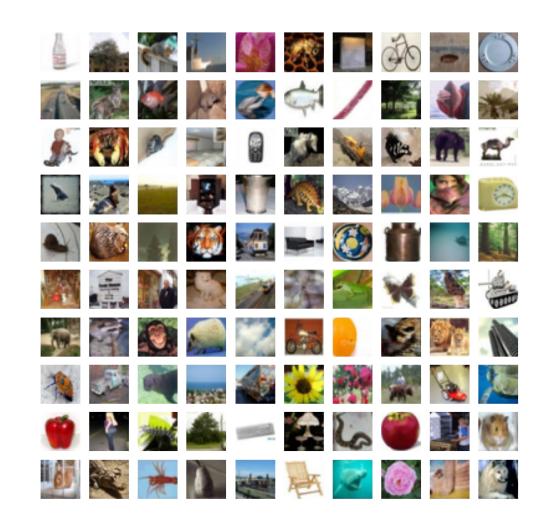
DATASET

CIFAR-100

- 100 classes
- 60'000 images
- 32 by 32 pixels

Incremental protocol

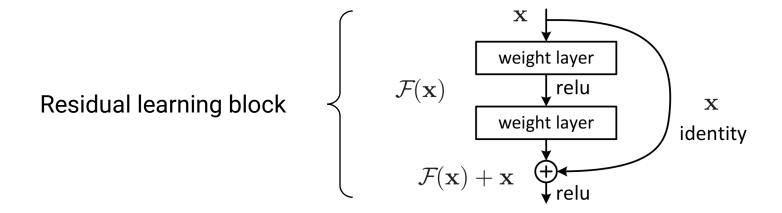
- 10 batches of 10 classes
- Model learns one batch at a time



Krizhevsky "Learning Multiple Layers of Features from Tiny Images." 2009.

MODEL

32-layers ResNet



He, Kaiming, et al. "Deep residual learning for image recognition." Proceedings of the IEEE conference on computer vision and pattern recognition. 2016.

Fine-tuning

LwF

iCaRL

Useful to understand catastrophic forgetting effects

Fine-tuning

LwF

iCaRL

Distillation loss

$$\mathcal{L}_{BCE} = -\sum_{i=1}^{s-1} y_i \log g_i(x) + (1 - y_i) \log (1 - g_i(x))$$

Zhizhong and Hoiem. "Learning without forgetting." IEEE transactions on pattern analysis and machine intelligence. 2017.

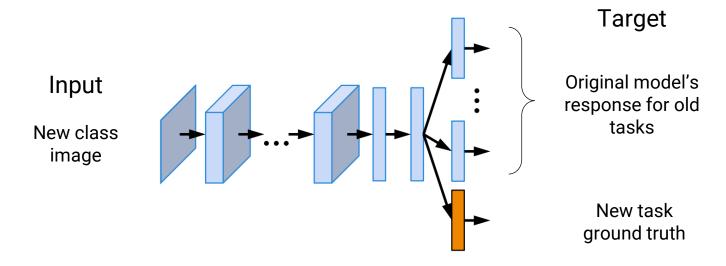
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Fine-tuning

LwF

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Exemplars

Fixed-size memory containing samples of previous classes

$$K = 2000$$

Fine-tuning

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Exemplars

Fixed-size memory containing samples of previous classes

$$K = 2000$$

Nearest-mean-of-exemplars classifier

$$y^* \leftarrow \underset{y=1,...,t}{\operatorname{argmin}} \|\varphi(x) - \mu_y\|$$



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Fine-tuning

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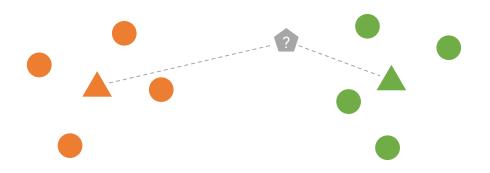
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Fine-tuning

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Exemplars

Fixed-size memory containing samples of previous classes

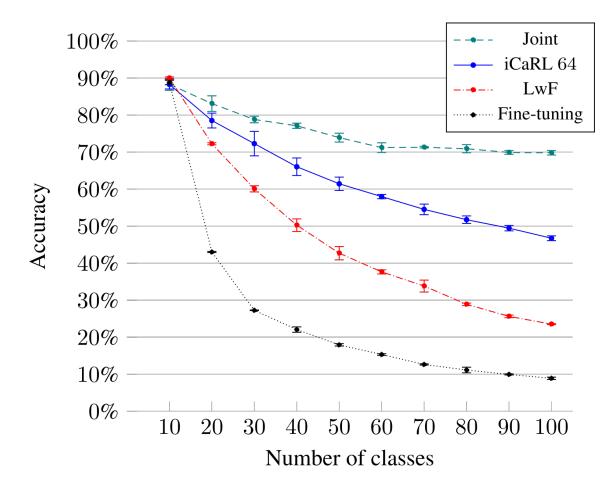
$$K = 2000$$

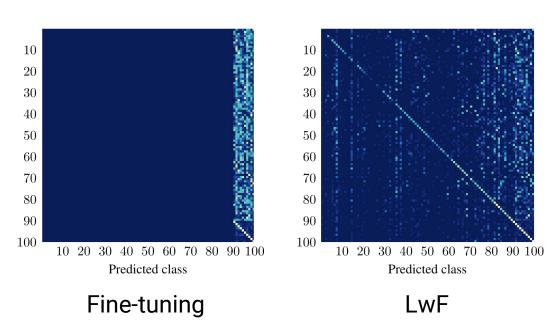
Nearest-mean-of-exemplars classifier

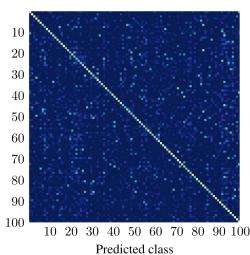
$$y^* \leftarrow \underset{y=1,...,t}{\operatorname{argmin}} \|\varphi(x) - \mu_y\|$$



RESULTS







iCaRL

- Observe model behaviour with different loss combinations
 - Understand limitations of existing frameworks

LWF

Asymmetric + BCE

ICARL

CE + BCE

CE + KD

Asymmetric + BCE

Asymmetric + L2

Asymmetric classification loss

$$\mathcal{L}_{asym} = \sum_{i=s}^{t} -y_i \log g_i(x) + (1 - y_i) (g_i(x))^2$$

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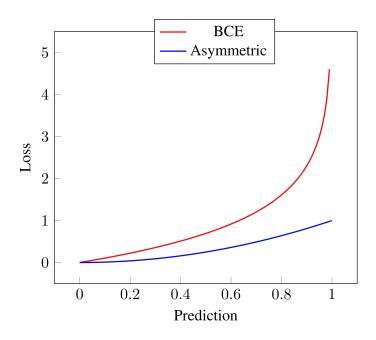
Asymmetric classification loss

$$\mathcal{L}_{asym} = \sum_{i=s}^{t} -y_i \log g_i(x) + (1 - y_i) (g_i(x))^2$$

Differences

 Less penalty than BCE for possibly informative non-zero outputs

Penalty of y = 0 targets



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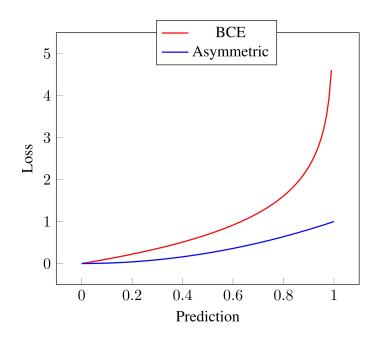
Asymmetric classification loss

$$\mathcal{L}_{asym} = \sum_{i=s}^{t} -y_i \log g_i(x) + (1 - y_i) (g_i(x))^2$$

Differences

- Less penalty than BCE for possibly informative non-zero outputs
- Less imbalance than CE between classification and distillation loss contribution

Penalty of y = 0 targets



LWF

Asymmetric + BCE

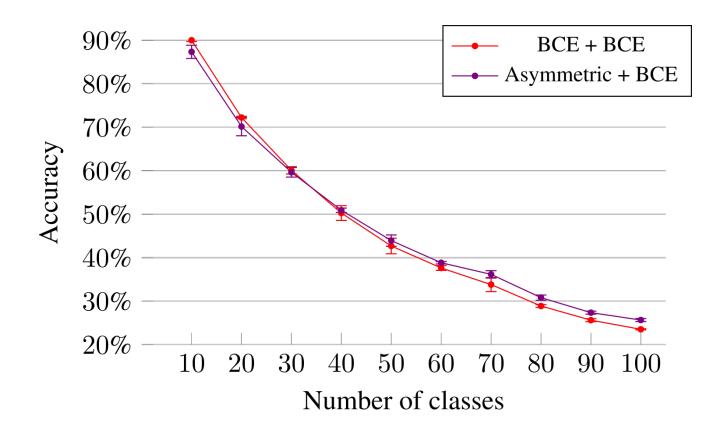
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Cross entropy classification loss

$$\mathcal{L}_{CE} = -\sum_{i=s}^{t} y_i \log g_i(x)$$

Binary cross entropy distillation loss

$$\mathcal{L}_{BCE} = -\sum_{i=1}^{s-1} y_i \log g_i(x) + (1 - y_i) \log (1 - g_i(x))$$

LWF

Asymmetric + BCE

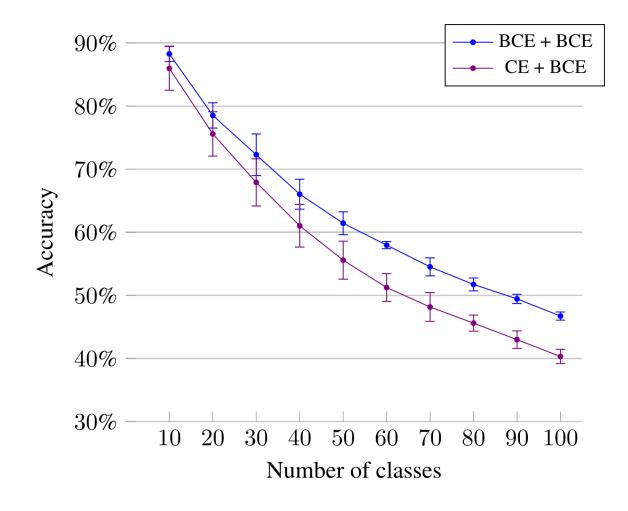
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The CE classification contribution loses importance as more learning steps are taken

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Asymmetric + L2

Cross entropy classification loss

$$\mathcal{L}_{CE} = -\sum_{i=s}^{t} y_i \log g_i(x)$$

Knowledge distillation loss

$$\mathcal{L}_{KD} = -\sum_{i=1}^{s-1} y_i' \log g_i'(x)$$

$$y_i' = \frac{y_i^{1/T}}{\sum_i y_i^{1/T}}, \qquad g_i'(x) = \frac{(g_i(x))^{1/T}}{\sum_j (g_j(x))^{1/T}}. \qquad T = 2$$

LWF

Asymmetric + BCE

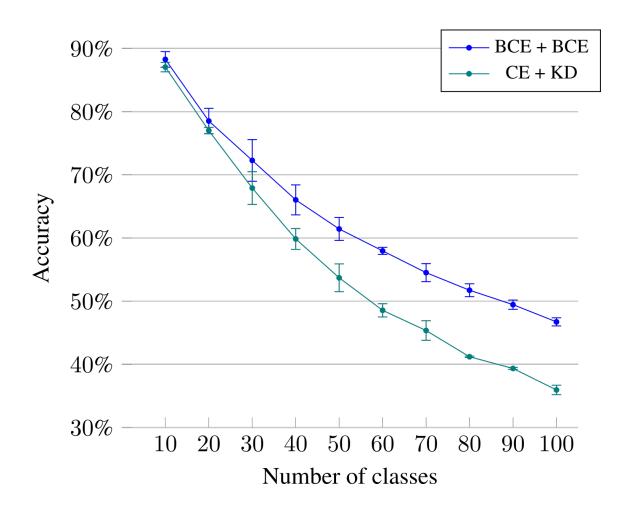
ICARL

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LWF

Asymmetric + BCE

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Asymmetric classification loss

$$\mathcal{L}_{asym} = \sum_{i=s}^{t} -y_i \log g_i(x) + (1 - y_i) (g_i(x))^2$$

Binary cross entropy distillation loss

$$\mathcal{L}_{BCE} = -\sum_{i=1}^{s-1} y_i \log g_i(x) + (1 - y_i) \log (1 - g_i(x))$$

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Asymmetric + BCE

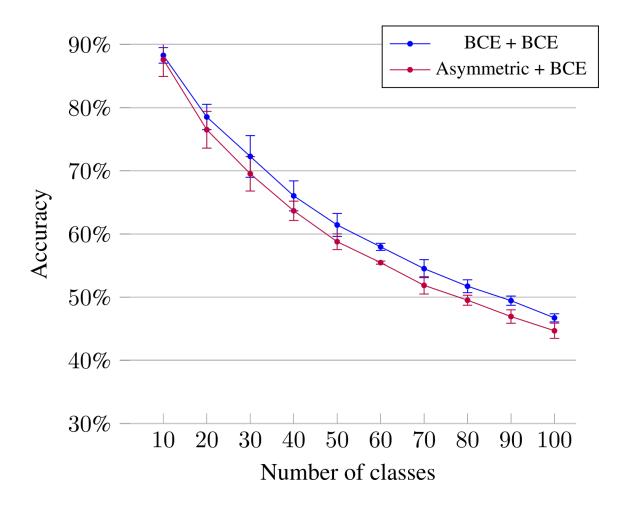
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LWF

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Asymmetric + L2

Asymmetric classification loss

$$\mathcal{L}_{asym} = \sum_{i=s}^{t} -y_i \log g_i(x) + (1 - y_i) (g_i(x))^2$$

L2 distillation loss

$$\mathcal{L}_{L2} = \sum_{i=1}^{s-1} (g_i(x) - y_i)^2$$

LWF

Asymmetric + BCE

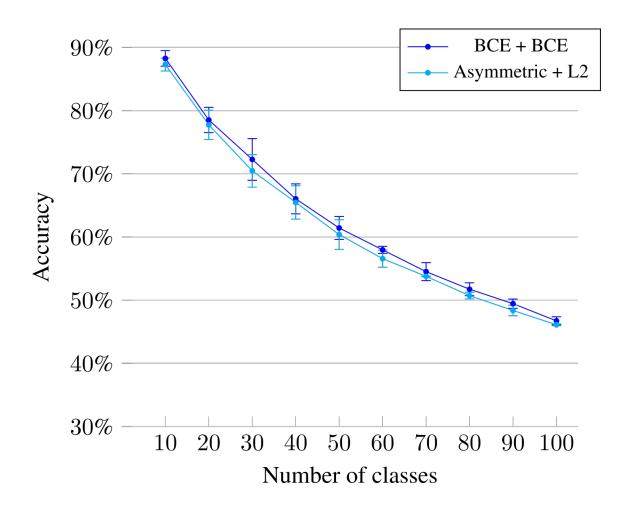
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Asymmetric + L2



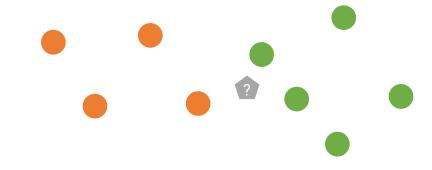
- Evaluate performance of different classifiers
 - Possibly improving performance

K-nearest neighbors

Cosine similarity

Random forest

Instance-based learning algorithm

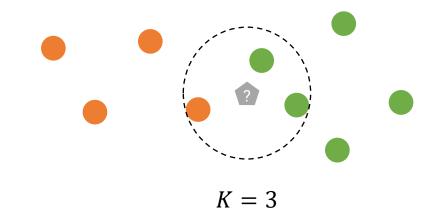


K-nearest neighbors

Cosine similarity

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Instance-based learning algorithm

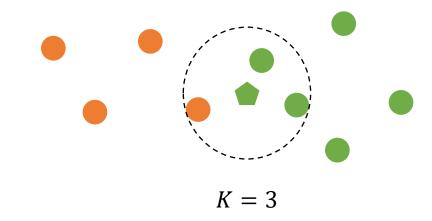


K-nearest neighbors

Cosine similarity

Random forest

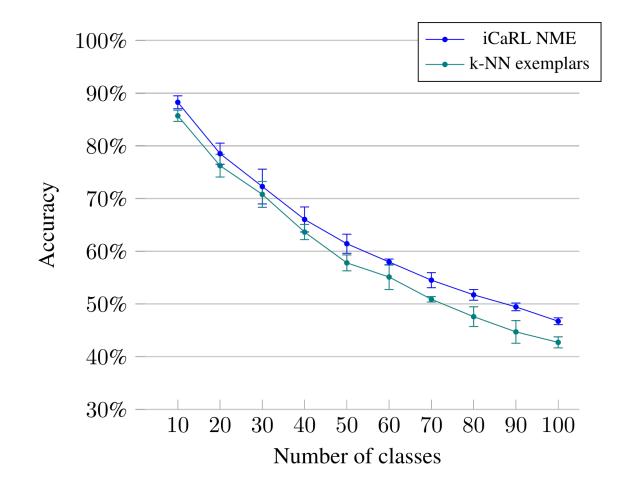
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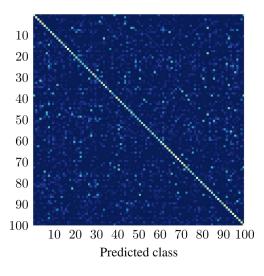


K-nearest neighbors

Cosine similarity

Random forest





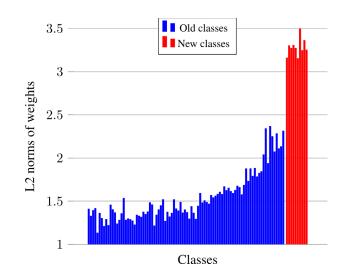
k-NN exemplars

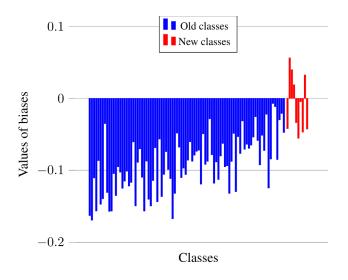
K-nearest neighbors

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Random forest

Magnitude imbalance





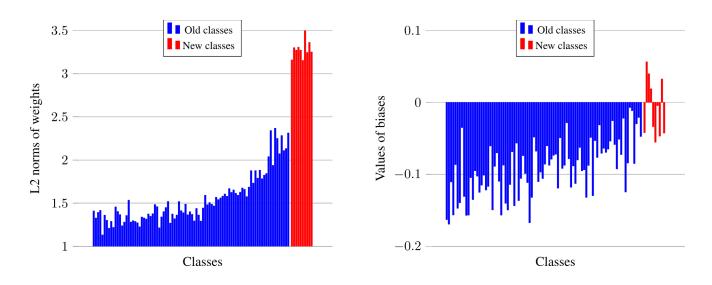
Hou, Saihui, et al. "Learning a unified classifier incrementally via rebalancing." CVPR. 2019.

K-nearest neighbors

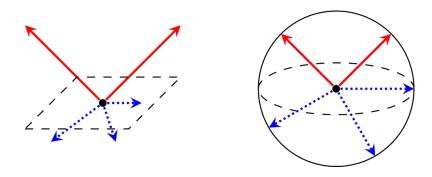
Cosine similarity

Random forest

Magnitude imbalance



Cosine layer



Hou, Saihui, et al. "Learning a unified classifier incrementally via rebalancing." CVPR. 2019.

K-nearest neighbors

Cosine similarity

Random forest

Modified nearest-mean-of-exemplars with cosine similarity

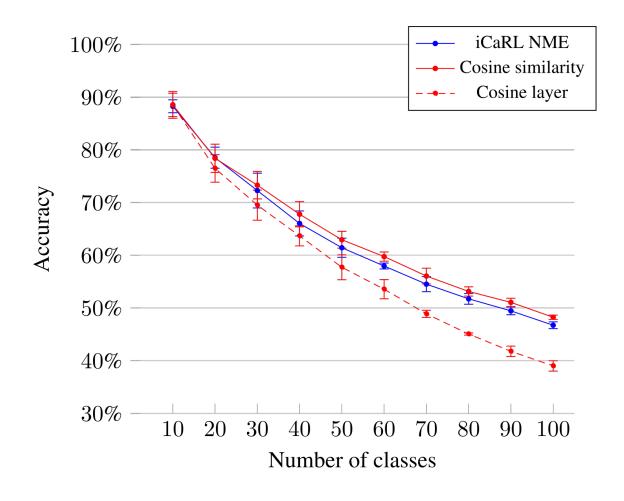
$$y^* \leftarrow \underset{y=1,...,t}{\operatorname{argmax}} \langle \bar{\varphi}(x), \bar{\mu}_y \rangle$$

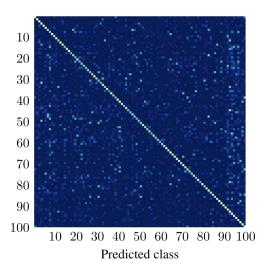
CLASSIFIER

K-nearest neighbors

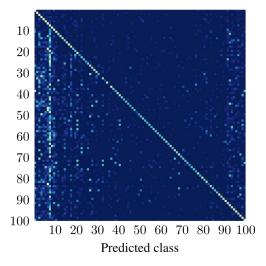
Cosine similarity

Random forest





Cosine similarity



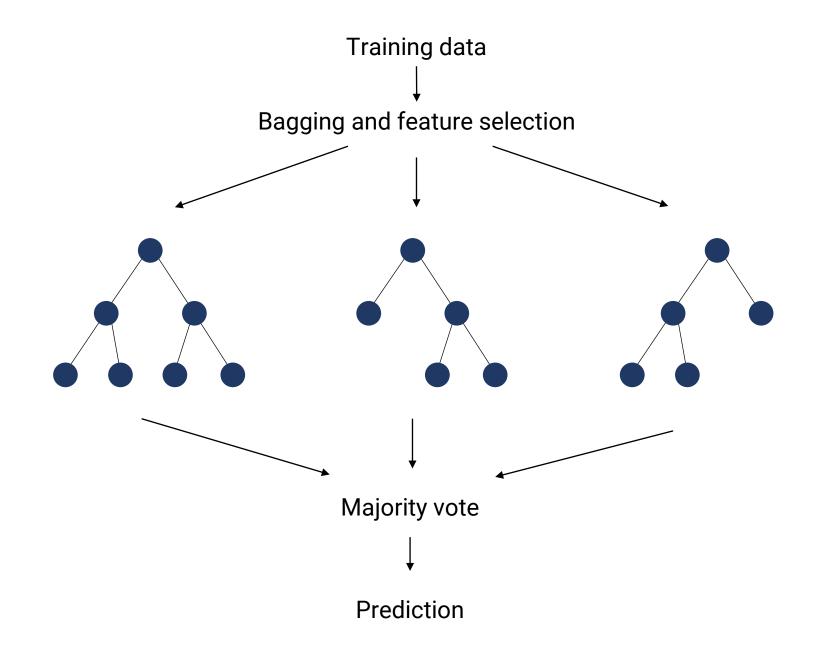
Cosine layer

CLASSIFIER

K-nearest neighbors

Cosine similarity

Random forest

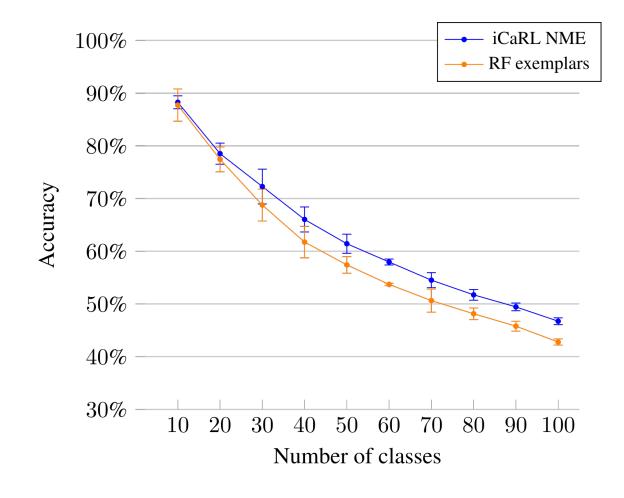


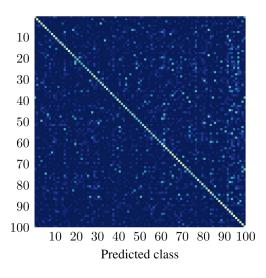
CLASSIFIER

K-nearest neighbors

Cosine similarity

Random forest





RF exemplars

BEYOND THE BASELINES

- Explore more deeply existing limitations
 - Propose variations to mitigate them

1

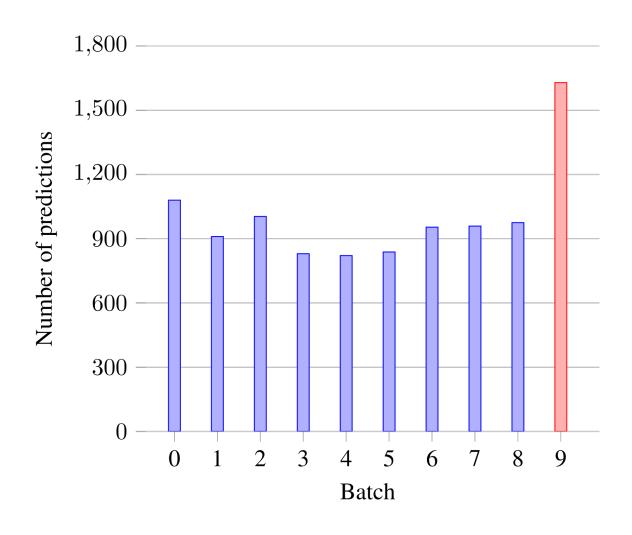
FEATURE REPRESENTATION DRIFT ANALYSIS

PREDICTION BIAS

Training is done over an unbalanced class distribution



Probability scores are biased towards new classes



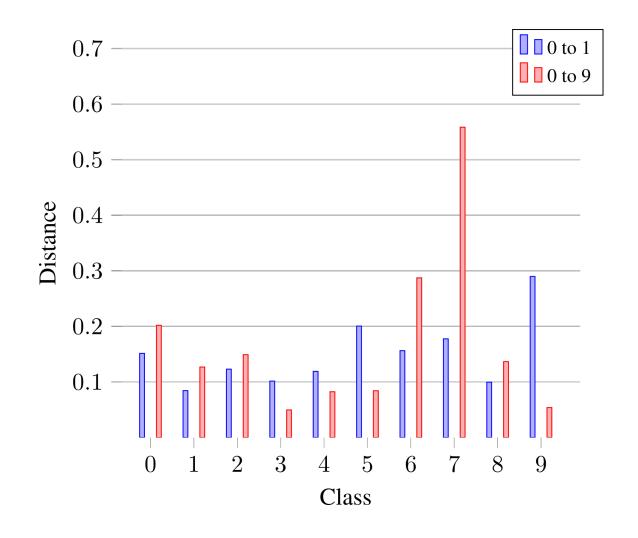
OUR HYPOTHESIS

- Model learns a feature representation that best represents new classes
- Distillation contribution does not fully prevent drift of features in consecutive learning steps

FEATURE REPRESENTATION DRIFT

Comparison of class prototypes

- Feature vector is L2 normalized element-wise
- Distance is measured as weighted MSE



OUR PROPOSAL

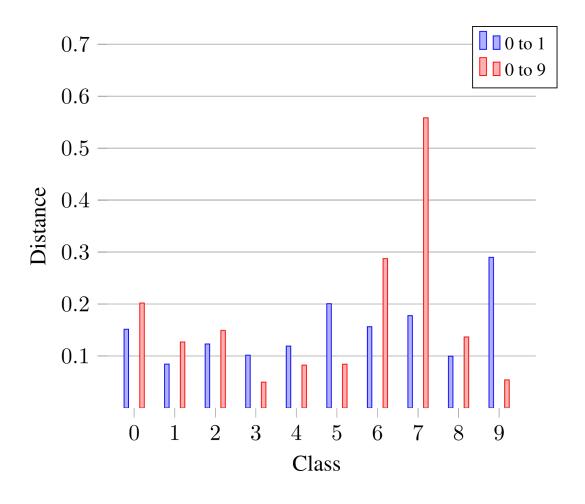
Mitigate drift by means of a loss contribution to minimize distance between features of the sample and prototype of the corresponding class

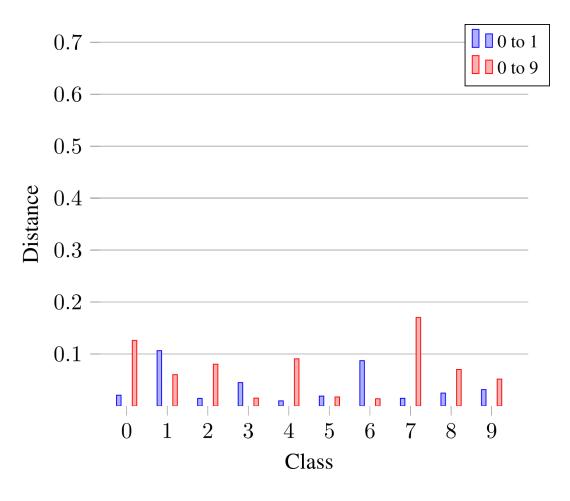
Weighted smooth L1 loss

$$\mathcal{L}_{\text{drift}} = \alpha \, \frac{1}{n} \sum_{i=1}^{n} w_i z_i$$

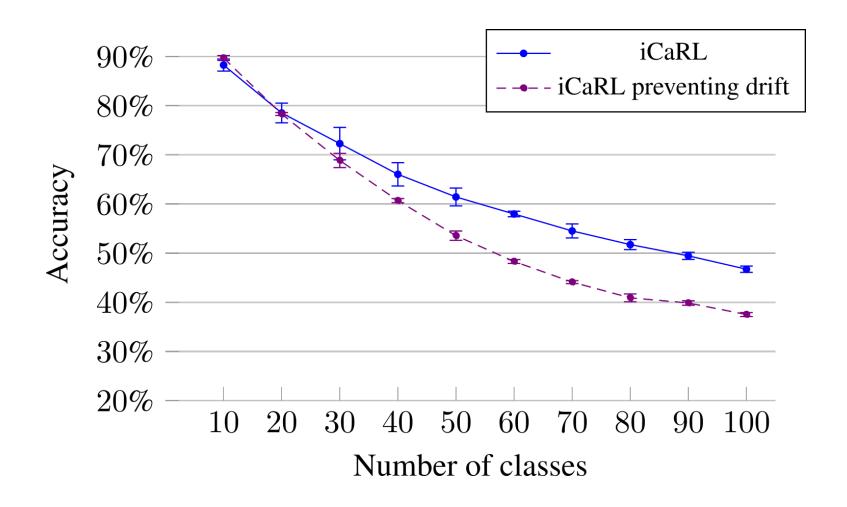
$$z_{i} = \begin{cases} 0.5 \ (x_{i} - y_{i}^{L})^{2} & \text{if } |x_{i} - y_{i}^{L}| < 1\\ |x_{i} - y_{i}^{L}| - 0.5 & \text{otherwise} \end{cases}$$

DRIFT COMPARISON





PERFORMANCE COMPARISON

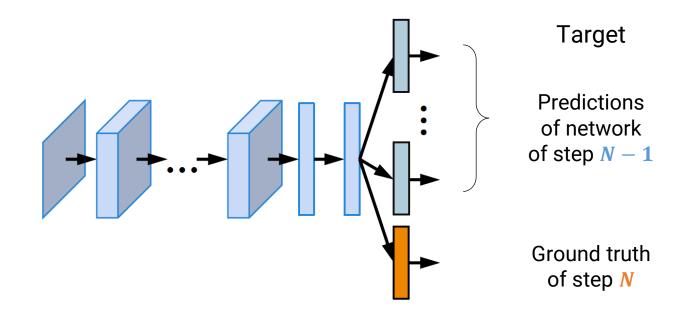


2

DISTILLATION TARGETS ANALYSIS

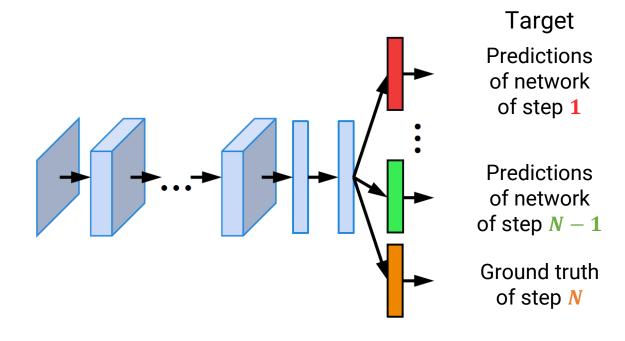
LAST NET POLICY

- Save last trained network
- At learning step N, use predictions from network trained at step N-1 as targets for distillation



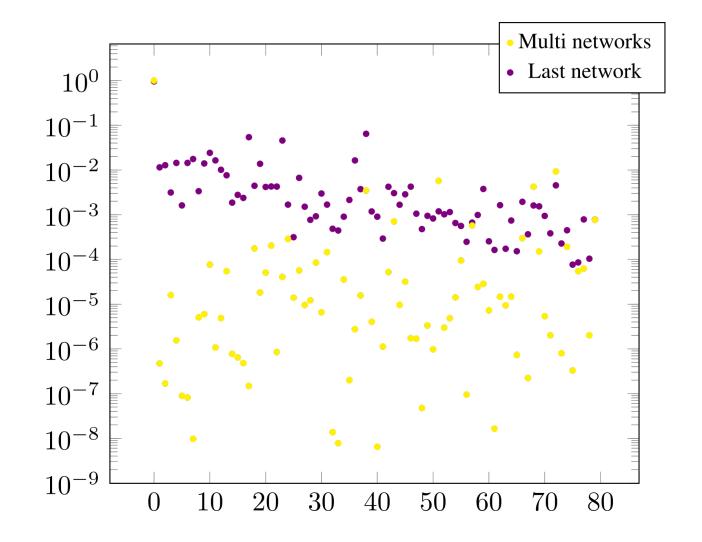
MULTI NET POLICY

- Save networks trained at different learning steps
- Use predictions from network trained at step $M \le N 1$ as distillation targets for nodes associated with classes of batch M



TARGET COMPARISON: MULTI NET VS LAST NET

- Select 10 images of class 0 from the exemplars
 - N-1=9
- Y axis on logarithmic scale

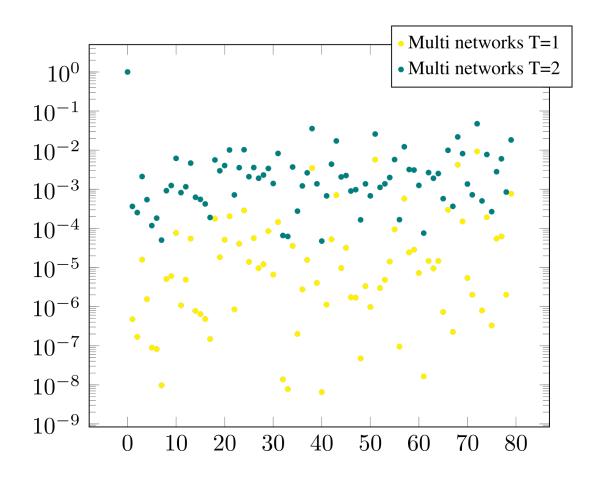


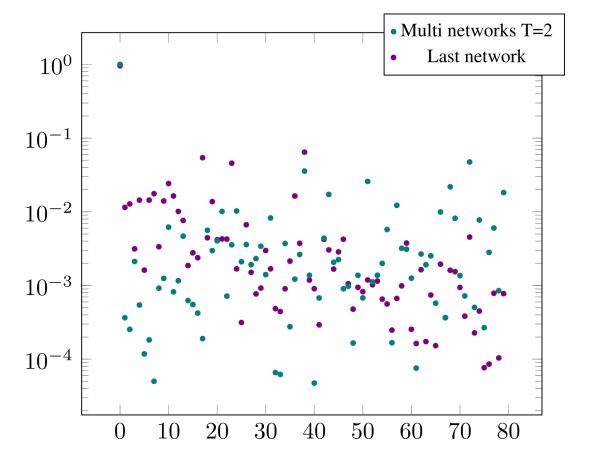
OUR PROPOSAL

- Train a model with multi net policy
- At each learning step, distillation targets are computed and stored una tantum at first epoch
 - Soft targets

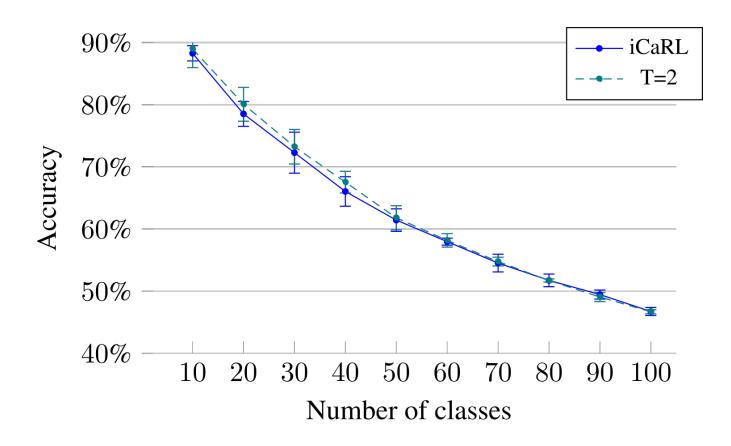
$$\sigma(x) = \frac{1}{1 + \exp(-x/T)}$$

SOFT TARGETS





PERFORMANCE COMPARISON



Method	Avg.
iCaRL	62.7%
Multi net $T=1$	61.1%
Multi net $T=2$	63.2%

THANK YOU FOR YOUR ATTENTION!