## Advanced Microeconomics III

Francisco Poggi

- Lectures: Mondays and Tuesdays, 10:15 AM.
- Exercise session: with Chang Liu on Tuesdays, 12:00 PM.
- Office hours:
  - Mondays 1:30 PM in my office (310).
  - Send me an email in advance.
- Problem Sets:
  - Due on Mondays.
  - Hand in via email to Chang.
  - You can work in groups of up to 3 students. Only one submission is required per group (clearly indicating group members).
- Final exam: June 5th.



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franciscopoggi.com/courses/microlll

- Main Textbook: "Microeconomic Theory" by Mas-Colell, Whinston, and Green, Oxford University Press, 1995 (MWG).
  - The course covers Ch. 13, Ch. 14, and Ch. 23 D-F.

• Also: "The Theory of Incentives: The Principal-Agent Model" by Laffont and Martimore, Princeton University Press, 2002.

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# Course plan

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Week 1 (April 17) Adverse Selection (Akerlof)
Week 2 (April 24) Signaling (Spence)
Week 3 (May 1) Competitive Screening (Rothchild-Stiglitz)
Week 4 (May 8) Moral Hazard
Week 5 (May 15) Bayesian Implementation/Envelope Theorem
Week 6 (May 22) Auctions and efficient Mechanisms (3 lectures)
Week 7 (May 30) Revision week
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## Overview

- 1 Introduction to Information Economics
- Akerlof's Market for Lemons
  - Setup
  - Competitive Equilibria
  - Equilibrium Multiplicity
  - A game-theoretic approach
  - Experimental Evidence
  - Information and Trade

- What is "information"?
  - Informally: the ability to exclude some states of the world.
- What is "asymmetric information"?
- Asymmetric information is present in many economic relationships
  - Trade of used goods or novel goods
  - Labour markets
  - Financial markets
  - Provision of public goods
  - Insurance
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- What is "economics of information"?
- \* economics of markets with asymmetric information, i.e., welfare and
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- QJE (1970).
- Around 40k citations.
- Nobel Prize (2001) with Spence and Stiglitz.

- Before QJE, the paper was rejected by 3 top journals.
  - AER: trivial.
  - JPE: wrong.
  - REStud: trivial.



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- Each seller owns a "car" of quality  $\theta \in [\theta, \bar{\theta}]$ , where  $F(\theta)$  represents
- Buyers and sellers have quasiliner preferences:

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## Efficient allocation

Let  $\Theta \subset [\underline{\theta}, \overline{\theta}]$  be the set of car qualities that are traded.

Gains from trade 
$$=\int_{\underline{ heta}}^{\overline{ heta}} 1_{\{ heta \in \Theta\}} \cdot [ heta - r( heta)] \cdot extstyle N \; dF( heta)$$

- The efficient allocation  $\Theta^*$  maximizes the gains from trade.
- Solution:

$$\theta \in \Theta^* \qquad \Leftrightarrow \qquad \theta \ge r(\theta)$$

$$\Theta^* = \{ \theta \in [\underline{\theta}, \overline{\theta}] : \theta \ge r(\theta) \}$$



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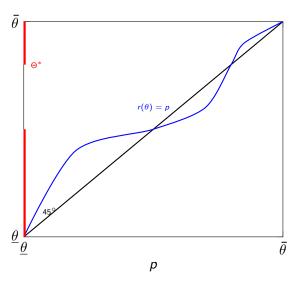
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# Efficient allocation





- Suppose car quality is observable. There can be different prices for different qualities of cars.
- We denote  $\hat{p}(\theta)$  the price function.
- In a **Competitive equilibrium**,  $\hat{p}(\theta)$  is such that quantity demanded and supplied are equal for all car qualities.

Demand for car of quality 
$$\theta = \left\{ egin{array}{ll} 0 & \mbox{if} & p > \theta \\ [0,N'] & \mbox{if} & p = \theta \\ N' & \mbox{if} & p < \theta \end{array} \right.$$

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• For qualities  $\theta \in \Theta^*$ :

$$heta > r( heta) \qquad \Rightarrow \qquad \hat{p}( heta) = heta \; ext{and} \; \hat{Q}( heta) = ext{N}$$

• For qualities  $\theta \notin \Theta^*$ :

$$\theta < r(\theta)$$
  $\Rightarrow$   $\hat{p}(\theta) \in (\theta, r(\theta)) \text{ and } \hat{Q}(\theta) = 0$ 

#### Observation

With symmetric information the competitive equilibrium is efficient.

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## Asymmetric information: competitive equilibrium

• Since car quality is **not observable** by the buyers, all car qualities should have the same price.

• A competitive equilibrium is a price  $\hat{p}$  and a set  $\hat{\Theta} \subseteq [\underline{\theta}, \bar{\theta}]$  such that

$$\hat{\rho} = E[\theta | \theta \in \hat{\Theta}]$$

$$\hat{\Theta} = \{\theta : r(\theta) \le \hat{\rho}\}$$

• (or  $\hat{\Theta} = \emptyset$  and  $\hat{p} = E[\theta]$ .)

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Assume  $r(\theta) = \bar{r}$  and  $F(\bar{r}) \in (0,1)$ .

- Note that  $\Theta^* = \{\theta \in [\underline{\theta}, \overline{\theta}] : \theta \geq \overline{r}\}.$
- Constructing equilibria with  $\hat{p} \geq \bar{r}$ :
  - Then, by equilibrium condition 2,

$$\hat{\Theta} = \{ \theta \in [\underline{\theta}, \bar{\theta}] : r(\theta) \leq \hat{p} \} = [\underline{\theta}, \bar{\theta}]$$

By condition 1,

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- Equilibrium candidate:  $\hat{\rho} = E[\theta]$  and  $\Theta = [\underline{\theta}, \theta]$
- Equilibrium when  $E[\theta] > \bar{r}$ .
- This is inefficient

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- Constructing equilibria with  $p < \bar{r}$ :
  - By condition 2,

$$\Theta = \emptyset$$

- Our candidate is  $\hat{p} = E[\theta]$  and  $\hat{\Theta} = \emptyset$ .
- Equilibrium when  $E[\theta] < \bar{r}$ . This is also inefficient.

- Constructing equilibria with  $p < \bar{r}$ :
  - By condition 2,

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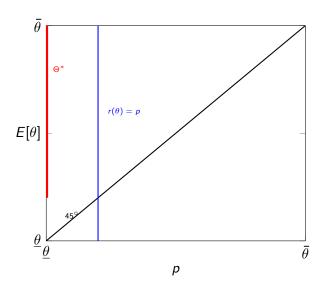
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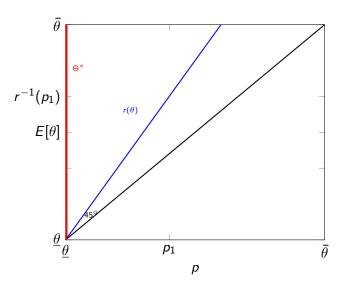
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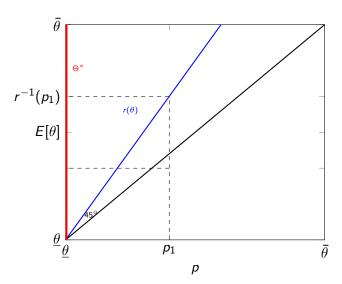
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# Possibility of market breakdown



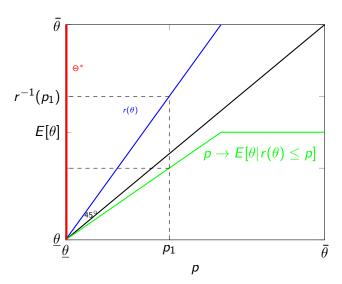


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### Existence of CE with no market breakdown

#### **Assumptions**:

- 1. Negative Selection: r is strictly increasing.
- 2. No atoms: F is continuous.
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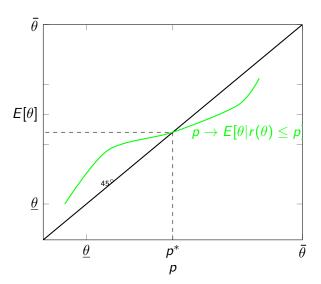
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# Parametric Examples

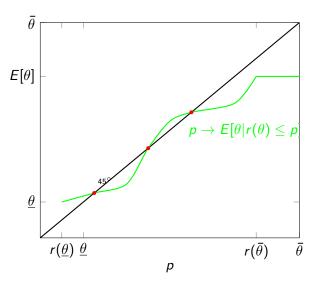
- Example 1: constant opportunity cost.
  - *F* uniform on [0, 1].
  - $r(\theta) = \bar{r}.$
- For which \(\bar{r}\) is the CE efficient?

- Example 2: linear opportunity cost.
  - *F* uniform on [0,1].
  - $r(\theta) = \alpha \cdot \theta$ .
- For which  $\alpha$  is the CE efficient?

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Assume Negative selection, no atoms, no market breakdown and genericity. Then in any SPNE, both buyers offer the price  $p^*$ .

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- Seller's decision: in any SPNE the seller
  - sells at price  $\max\{p_1, p_2\}$  if greater than  $r(\theta)$
  - keeps the good if  $\max\{p_1, p_2\} < r(\theta)$
- Each buyer's SPNE expected payoff is zero.
  - Proof by contradiction.
- Total Payoff of buyers:

$$F(r^{-1}(p))[E[\theta|r(\theta) < p] - p] = 0$$

- Thus, p must be a CE price or below  $r(\underline{\theta})$ .
- If  $p < p^*$  there is a profitable deviation. Which one?

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- Computer plays the role of "target".
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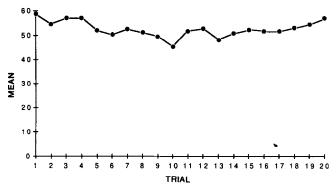


Fig. 1. Mean bids across trials for subjects in Experiment 1.

- Possible explanation: feedback too 'weak' to allow market unraveling.
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- Buyer and Seller can potentially trade a good of uncertain quality.
- Good's quality is equally likely to be of three types:  $\omega \in \{L, M, H\}$ .
- Buyer's valuation:

$$b(\omega) = \begin{cases} 14 & \text{if } \omega = L \\ 28 & \text{if } \omega = N \\ 42 & \text{if } \omega = H \end{cases}$$

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