

Revising the kinetics of nitrate dissipation in wetlands and streams

François Birgand¹, Marc Horstman²,
Brian Reich³

1: NCSU-BAE

2: Dewberry & Davis , Inc.

3: NCSU-Statistics

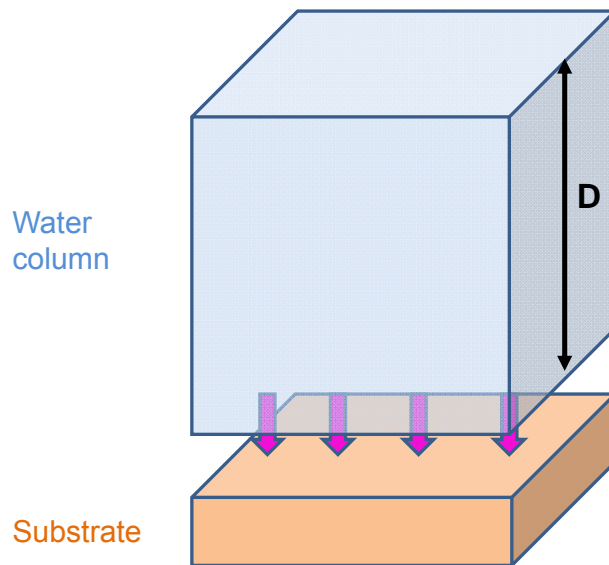
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Nitrate dissipation rate kinetics in wetlands and streams

$$\begin{aligned}
 &\text{Advection term} && \text{Dispersion term} \\
 \frac{\partial C}{\partial t} = & -\frac{Q}{A} \frac{\partial C}{\partial x} - \frac{1}{A} \frac{\partial}{\partial x} \left[AD \frac{\partial C}{\partial x} \right] \\
 & - \frac{v_f}{h} C + \frac{1}{h} k_B C_B \\
 & \text{Process term}
 \end{aligned}$$

Stream Solute workshop (1990)

Empirical surficial removal rates



$$R \text{ [M.L}^{-2}\text{.T}^{-1}\text{]}$$

$$R = v_f \cdot C = \rho \cdot C$$

$$C = C_0 e^{-\frac{\rho}{D}t}$$

What does the diffusion theory say?

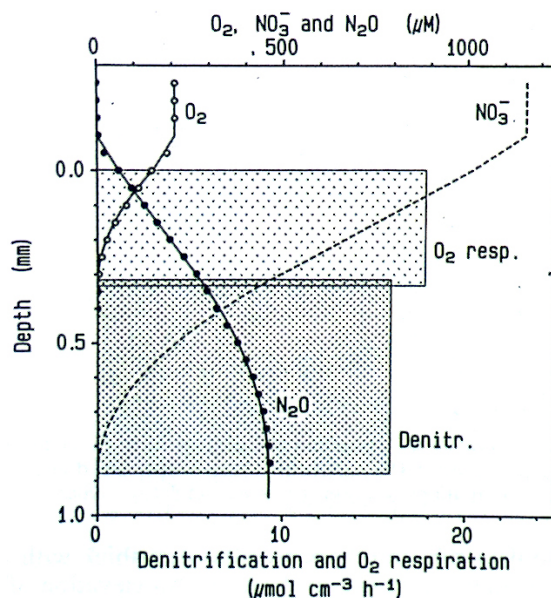
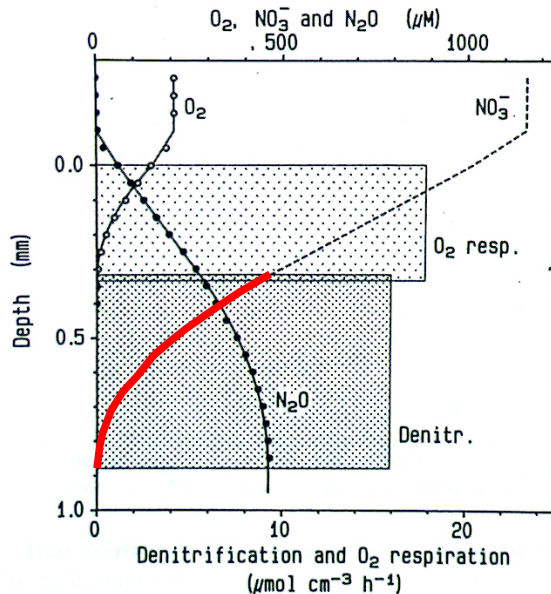


Fig. 1. Steady-state profiles of O_2 and N_2O in an acetylene-inhibited biofilm from Døde Å measured at the in situ NO_3^- concentration ($1,180\ \mu M$). Oxygen respiration rates were calculated from the O_2 profile, whereas both the NO_3^- profile and the denitrification rates (in N-equivalents) were estimated from the N_2O profile. Circles indicate measured concentrations, whereas curves are simulated profiles.

What does the diffusion theory say?



- Constant denitrification volumetric dissipation rates
- Parabolic shape of the [NO₃] microprofile

$$R = v_f \cdot C^{1/2} = \gamma \cdot C^{1/2}$$

Nielsen et al., 1990a

Two approaches

- Empirical method: removal rates proportional to [NO₃⁻]
- $R = \rho C$
- Theoretical approach of nitrate diffusion into sediment due to denitrification
- $R = \gamma C^{1/2}$
- Efficiency loss model
- $R = \gamma C^\alpha$

Is any one correct? Which one is it?

Method: mesocosm study

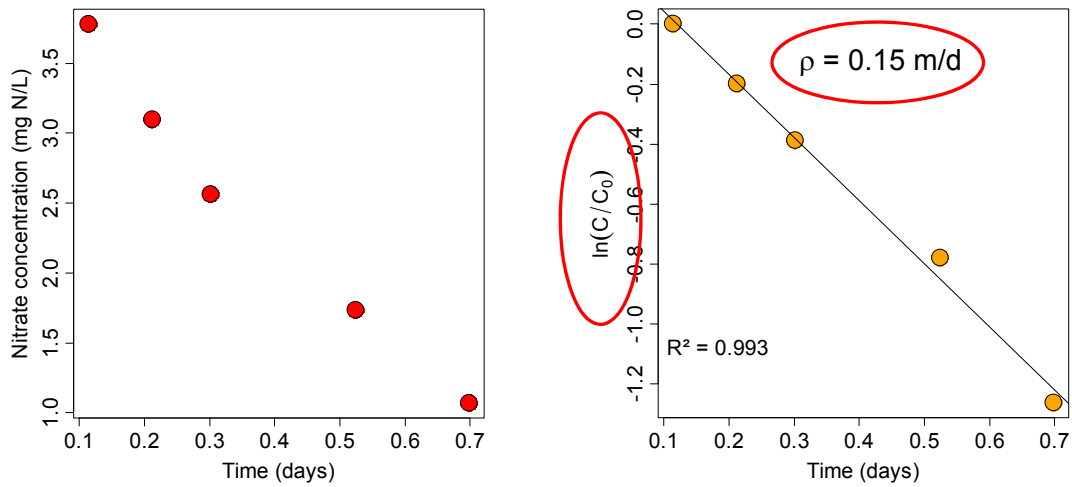
- Hypothesis: water recirculation velocities above substrate increases nitrate removal rates



Recirculating water above wetland sediment



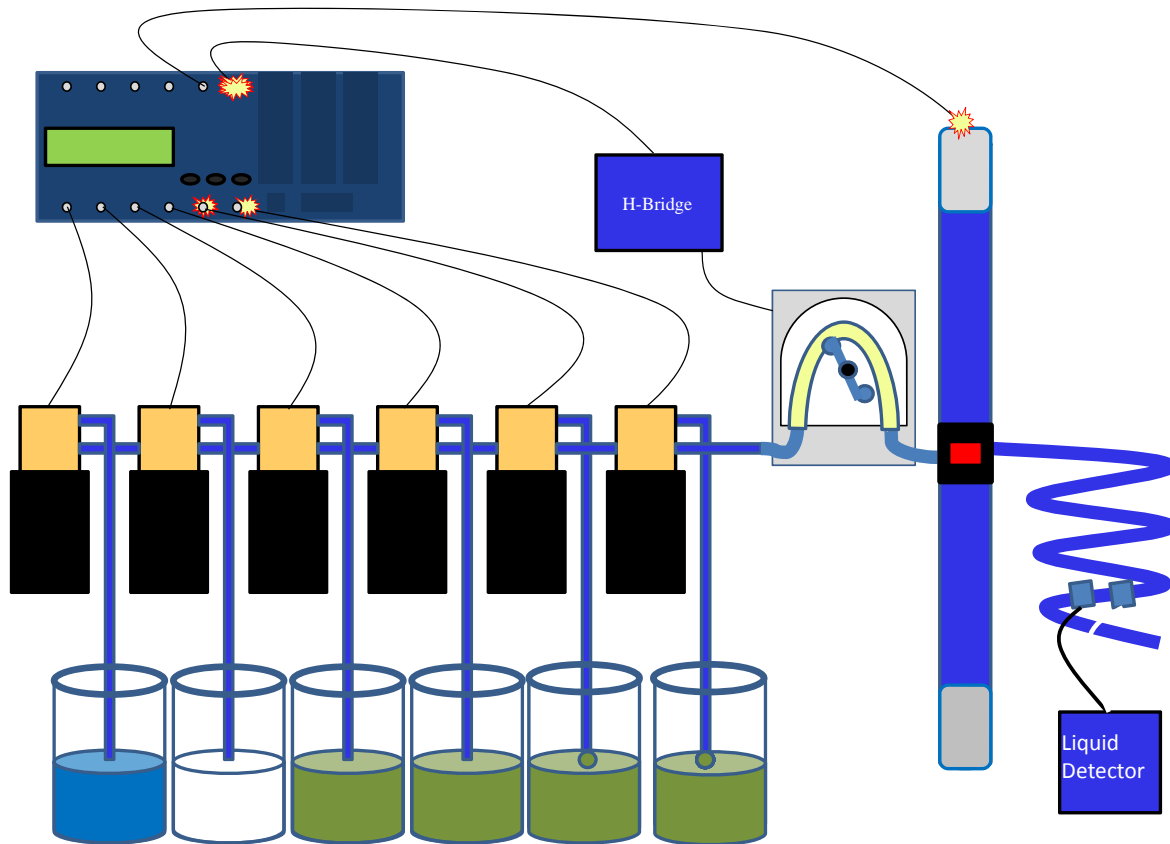
Common general approach to extract kinetics



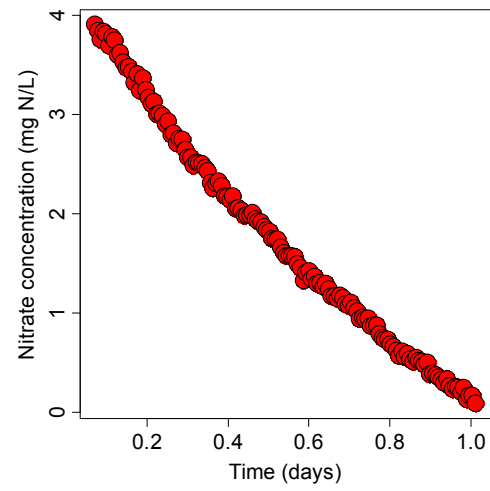
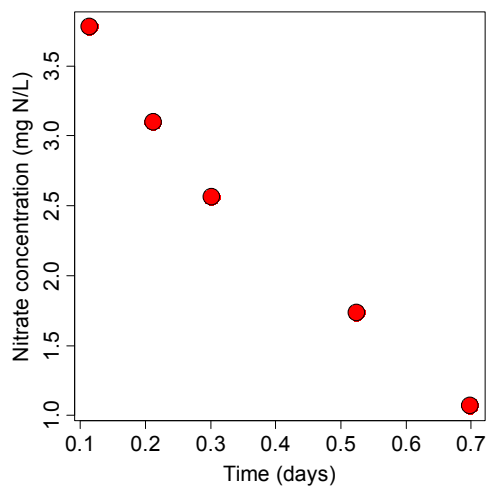
$$C = C_0 e^{-\frac{\rho}{D}t} \quad \Rightarrow \quad \ln\left(\frac{C}{C_0}\right) = -\frac{\rho}{D}t$$

Lessons learned from high time resolution data

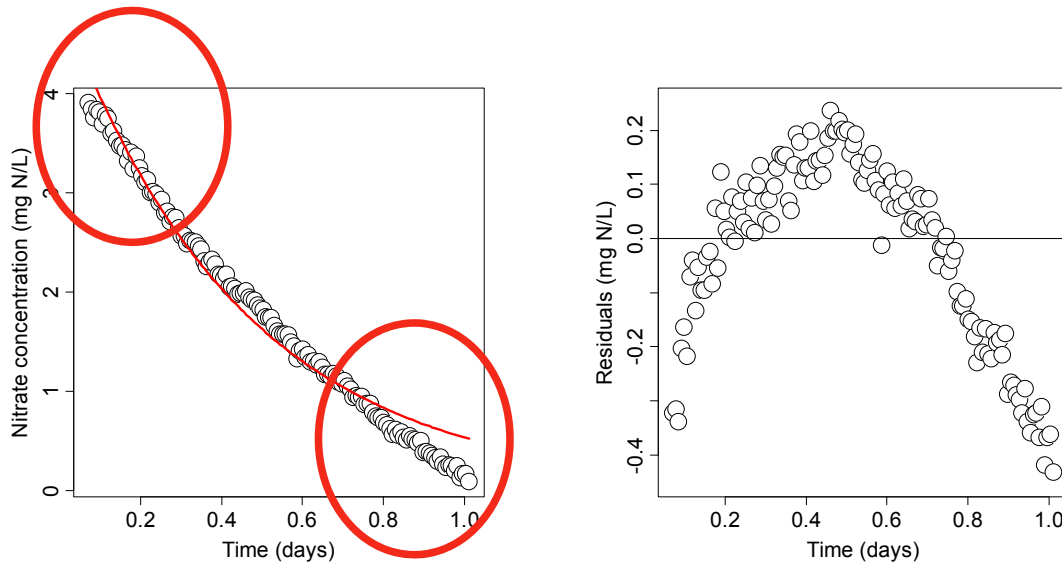
- Hypothesis: missing information in infrequent data points
- Method: designed and built a multiplexed portable lab for high frequency data acquisition



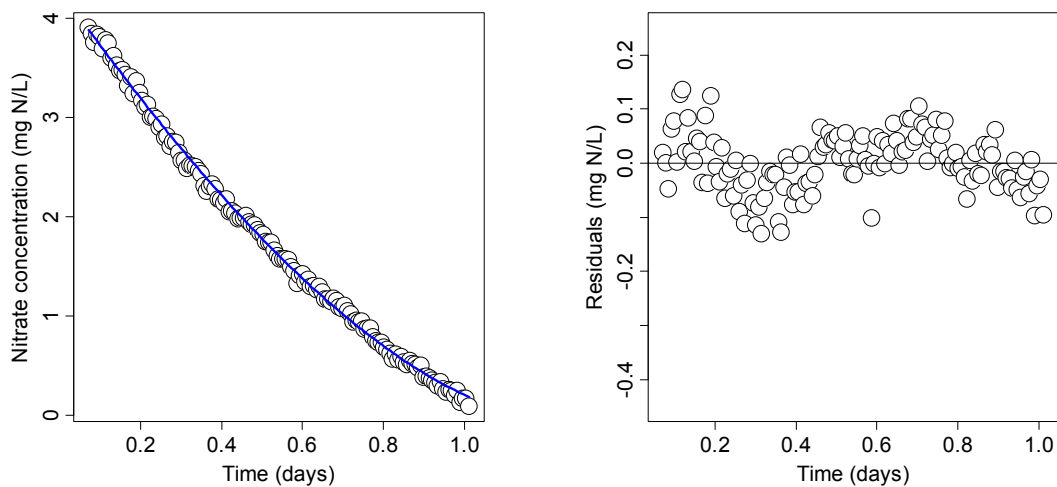
Enhanced information



First order rate kinetics results (1)

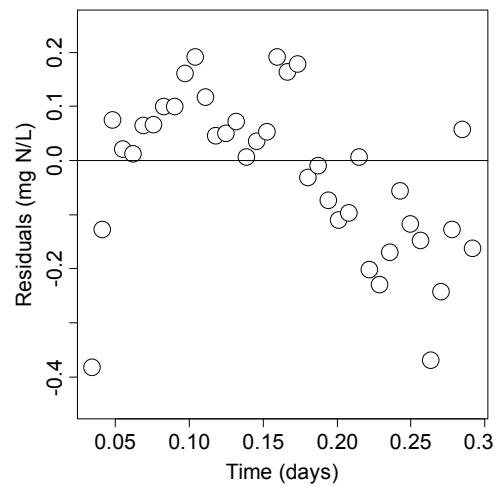
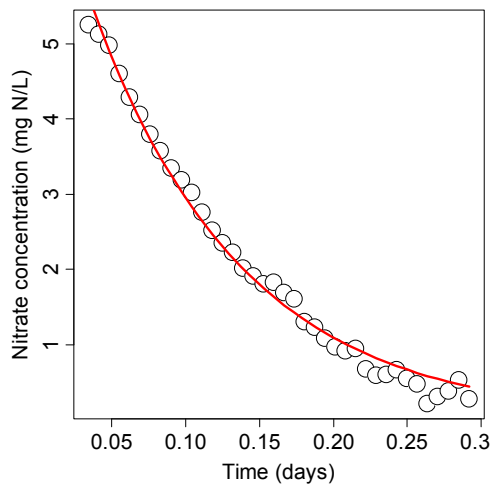


“Less than first” order rate kinetics results (1) (non linear regression)

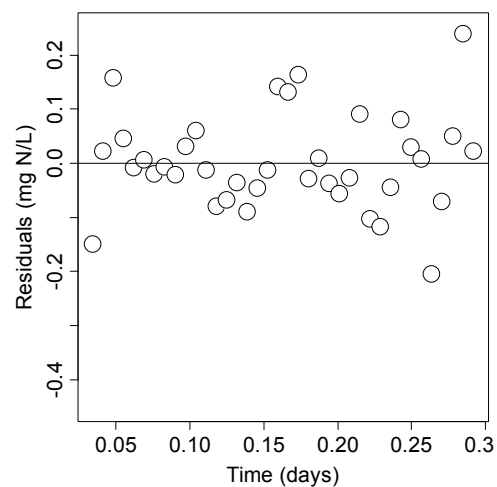
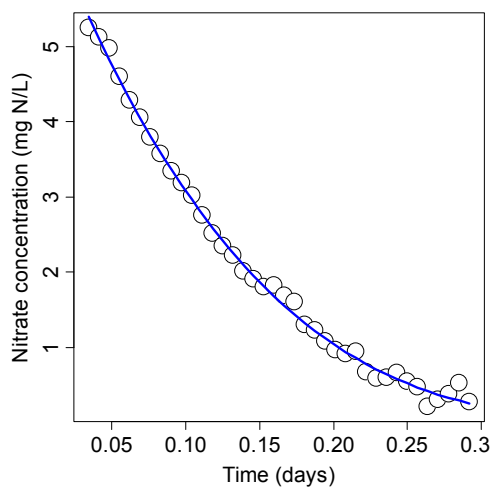


$$R = 0.24 \times C^{0.37}$$

First order rate kinetics results (2)

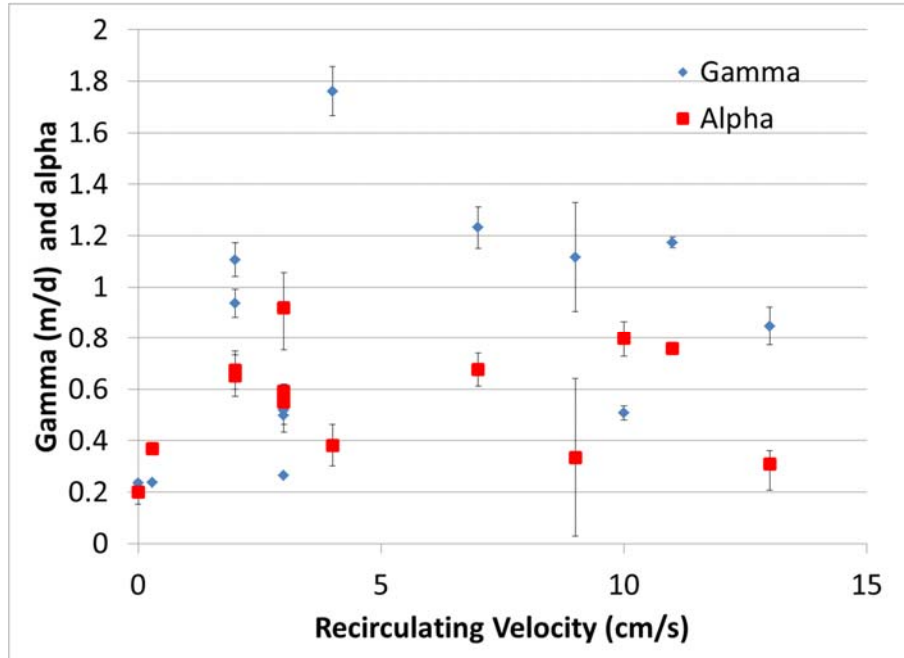


“Less than first” order rate kinetics results (2)

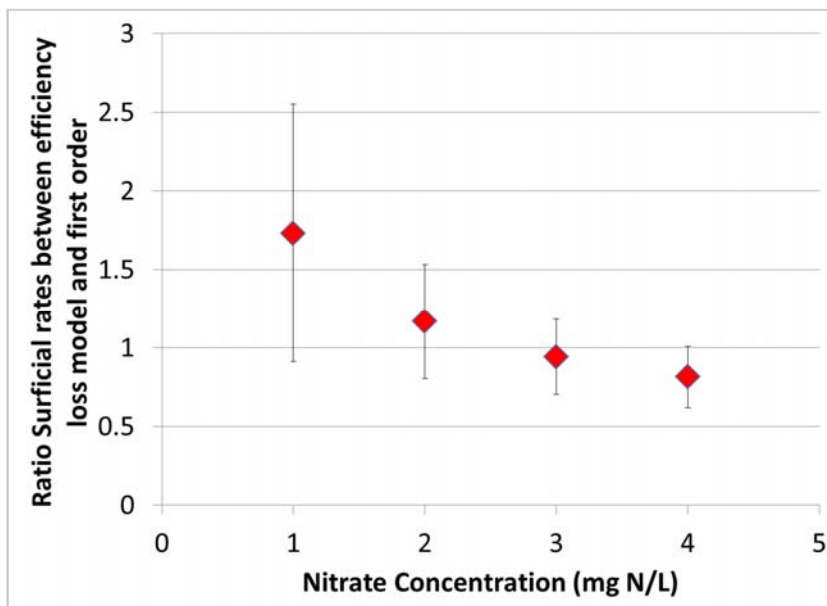


$$R = 0.9 \times C^{0.73}$$

Kinetics vary with recirculating velocities



Model kinetics comparison: surficial rates



$$R = \rho.C$$

$$R = \gamma.C^{\alpha}$$

Take home points - Conclusion

- First order rate kinetics in wetlands (and streams?) do not fit data the best
- Efficiency loss model more appropriate
- Kinetics vary with recirculating velocities and flow
- Nitrate losses underestimated for low (< 2 mg N/L) concentrations using common approach
- Needs to be confirmed

