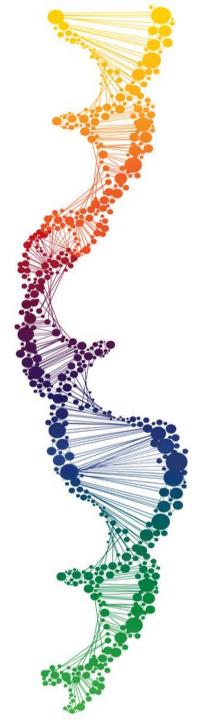


Algorithms for Third-Generation Sequencing Reads Mapping

Bioinformatics

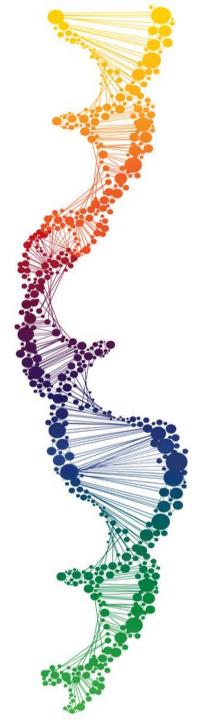
Emanuele Parisi



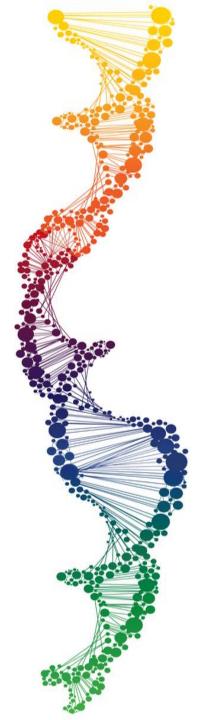
- Third-Generation Sequencing aims at overcoming the limitations of Next-Generation Sequencing
- Two main technologies available:
 - SMRT sequencing
 - Nanopore sequencing





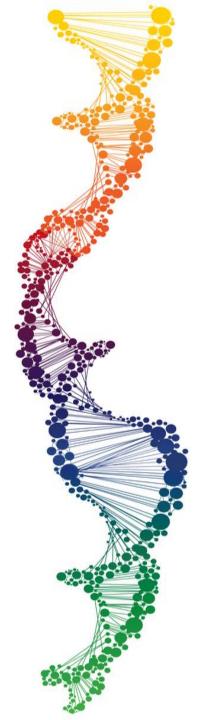


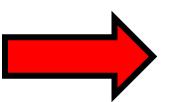
- Long-Reads have different properties than short one
 - Higher error-rate
 - Higher length
 - Different length distribution



| | Error rate (Proportion of overall error) (%) | | | | | |
|-------------------|--|----------------------|--------------|---------------------|--|--|
| Read type | Overall | Insertion | Deletion | Mismatch | | |
| PacBio CCS | 1.72 | 0.087 (5.06) | 0.34 (19.48) | 1.30 (75.46) | | |
| PacBio subread | 14.20 | 5.92 (41.71) | 3.01 (21.17) | 5.27 (37.12) | | |
| ONT 2D | 13.40 | 3.12 (23.30) | 4.79 (35.70) | 5.50 (40.99) | | |
| ONT 1D | 20.19 | 2.93 (14.51) | 7.52 (37.24) | 9.74 (48.25) | | |

- Next-Generation Sequencing: ~1% error rate
- Third-Generation Sequencing: ~15-20% error rate



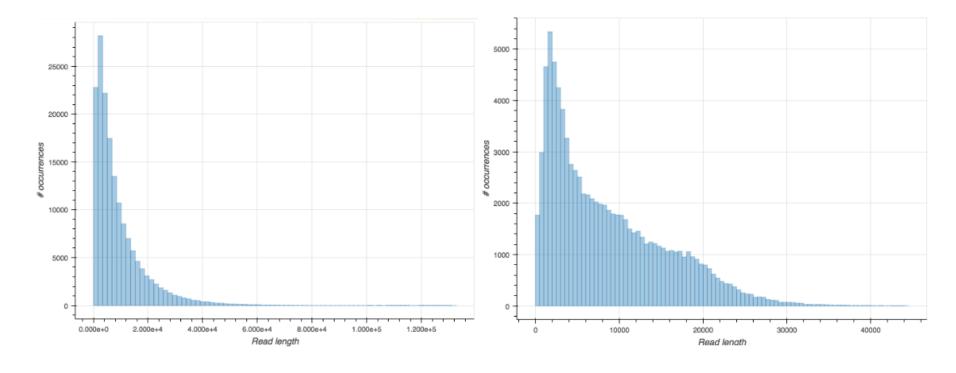


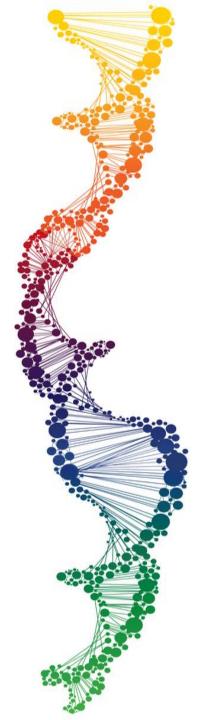
| | Error rate (Proportion of overall error) (%) | | | | | |
|-------------------|--|---------------------|--------------|-----------------------|--|--|
| Read type | Overall | Insertion | Deletion | Mismatch | | |
| PacBio CCS | 1.72 | 0.087 (5.06) | 0.34 (19.48) | 1.30 (75.46) | | |
| PacBio subread | 14.20 | 5.92 (41.71) | 3.01 (21.17) | 5.27 (37.12) | | |
| ONT 2D | 13.40 | 3.12 (23.30) | 4.79 (35.70) | 5.50 (40.99) | | |
| ONT 1D | 20.19 | 2.93 (14.51) | 7.52 (37.24) | 9.74 (48.25) | | |

- Next-Generation Sequencing: ~1% error rate
- Third-Generation Sequencing: ~15-20% error rate

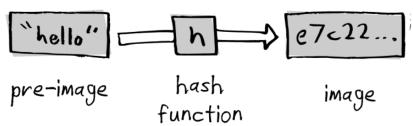


Read length distribution





Some vocabulary...

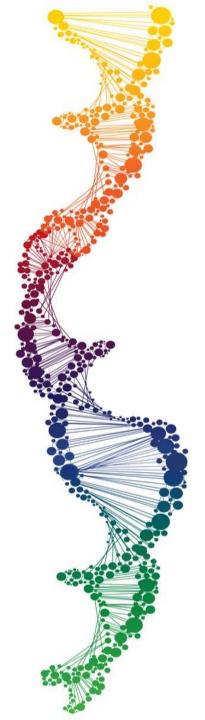


Hash: numerical representation of an object

K-mer: sub-string of length k

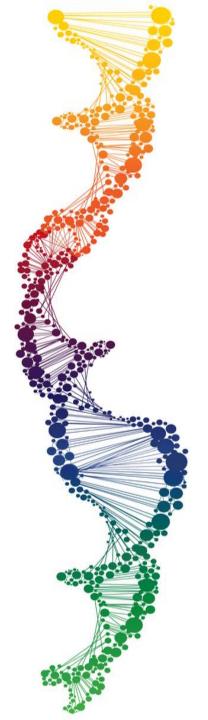
Window: a set of successive *k*-mers

AACGGCATTCGGCA
AAC GCA TCG
ACG CAT CGG
CGG ATT GGC
GGC TTC GCA



Introduction

- Long-reads may be challenging to handle as they are
- Reduce data dimensionality by:
 - *K*-mer frequency array
 - *K*-mer selection procedures
- Evaluate sequence similarity looking at the reduced representation



K-mer frequency arrays

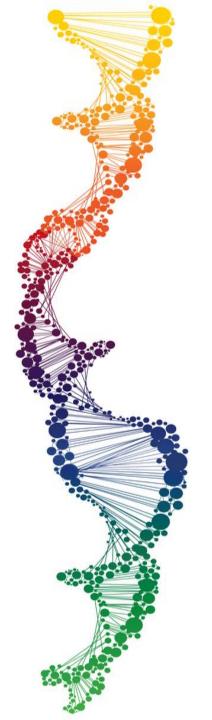
- Infer sequences similarities by looking at their *k*-mer distribution
- Define a distance metric over frequency arrays
 - Euclidean distance, cosine distance...
- Easy to compute and to store for small k

K-mer frequency arrays

Compute *k*-mers frequency in the first sequence

Compute *k*-mers frequency in the second sequence

Compute the distance between the frequency arrays

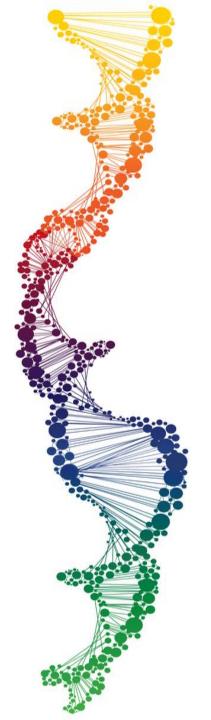


Target sequence: **CGGATAACGATTATGGCT**AAAG

Query sequence: ATCGATTAT-GCT

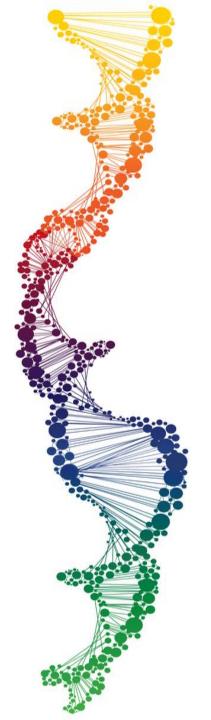
CGGATAACGATTATGGCTAAAG

|*||||||||
ATCGATTAT-GCT



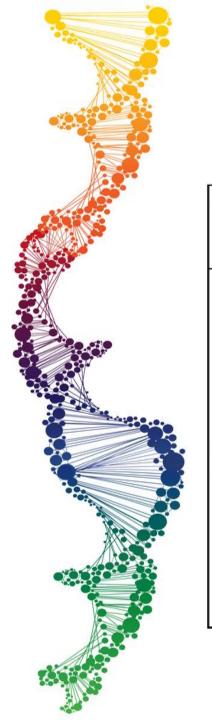
| Unique k-mers | Number of k-mer occurrences in windows starting at offsets j | | | |
|------------------|--|-------|--|--|
| (k = 2) | j = 0 | j = 2 | | |
| AA | 0 | 0 | | |
| CA | 0 | 0 | | |
| GA | 1 | 1 | | |
| TA | 1 | 1 | | |
| AC | 0 | 0 | | |
| CC | 0 | 0 | | |
| GC | 0 | 1 | | |
| TC | 1 | 0 | | |
| AG | 0 | 0 | | |
| CG | 1 | 1 | | |
| GG | 0 | 0 | | |
| TG | 1 | 1 | | |
| ΑT | 3 | 2 | | |
| CT | 0 | 1 | | |
| GT | 0 | 0 | | |
| π | 1 | 1 | | |

Query sequence: ATCGATTAT-GCT



| Unique k-mers | Number of k-mer occurrences in windows starting at offsets i | | | | | | |
|------------------|---|-------|-------|-------|-------|--------|--------|
| (k = 2) | i = 0 | i = 2 | i = 4 | i = 6 | i = 8 | i = 10 | i = 12 |
| AA | 1 | 1 | 1 | 0 | 0 | 1 | 2 |
| CA | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| GA | 2 | 2 | 1 | 1 | 1 | 0 | 0 |
| TA | 1 | 1 | 2 | 1 | 1 | 2 | 1 |
| AC | 1 | 1 | 1 | 1 | 0 | 0 | 0 |
| CC | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| GC | 0 | 0 | 0 | 0 | 1 | 1 | 1 |
| TC | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| AG | 0 | 0 | 0 | 0 | 0 | 0 | 1 |
| CG | 2 | 1 | 1 | 1 | 0 | 0 | 0 |
| GG | 1 | 0 | 0 | 1 | 1 | 1 | 1 |
| TG | 0 | 0 | 0 | 1 | 1 | 1 | 1 |
| AT | 1 | 2 | 2 | 2 | 2 | 1 | 1 |
| СT | 0 | 0 | 0 | 0 | 1 | 1 | 1 |
| GT | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| TT | 0 | 1 | 1 | 1 | 1 | 1 | 0 |

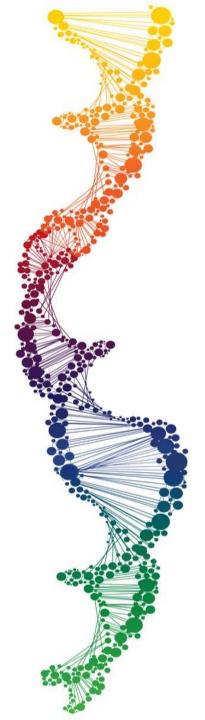
Target sequence: QGGATAACGATTATGGCTAAAG



| Unique k-mers | Number of k-mer occurrences in windows starting at offsets i | | | | | | |
|------------------|--|-------|-------|-------|-------|--------|--------|
| (k = 2) | i = 0 | i = 2 | i = 4 | i = 6 | i = 8 | i = 10 | i = 12 |
| AA | 1 | 1 | 1 | 0 | 0 | 1 | 2 |
| CA | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| GA | 2 | 2 | 1 | 1 | 1 | 0 | 0 |
| TA | 1 | 1 | 2 | 1 | 1 | 2 | 1 |
| AC | 1 | 1 | 1 | 1 | 0 | 0 | 0 |
| CC | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| GC | 0 | 0 | 0 | 0 | 1 | 1 | 1 |
| TC | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| AG | 0 | 0 | 0 | 0 | 0 | 0 | 1 |
| CG | 2 | 1 | 1 | 1 | 0 | 0 | 0 |
| GG | 1 | 0 | 0 | 1 | 1 | 1 | 1 |
| TG | 0 | 0 | 0 | 1 | 1 | 1 | 1 |
| AT | 1 | 2 | 2 | 2 | 2 | 1 | 1 |
| СТ | 0 | 0 | 0 | 0 | 1 | 1 | 1 |
| GT | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| TT | 0 | 1 | 1 | 1 | 1 | 1 | 0 |

| Unique k-mers | Number of k-mer occurrences in windows starting at offsets j | | | |
|------------------|---|-------|--|--|
| (k=2) | j = 0 | j = 2 | | |
| AA | 0 | 0 | | |
| CA | 0 | 0 | | |
| GA | 1 | 1 | | |
| TA | 1 | 1 | | |
| AC | 0 | 0 | | |
| CC | 0 | 0 | | |
| GC | 0 | 1 | | |
| TC | 1 | 0 | | |
| AG | 0 | 0 | | |
| CG | 1 | 1 | | |
| GG | 0 | 0 | | |
| TG | 1 | 1 | | |
| ΑT | 3 | 2 | | |
| CT | 0 | 1 | | |
| GT | 0 | 0 | | |
| П | 1 | 1 | | |

| Euclidean distance between pair of vectors in query and target sequence | | | | |
|--|-------------|------|--|--|
| target\query offset | j = 0 j = 2 | | | |
| i = 0 | 3.46 | 3.16 | | |
| i = 2 | 2.45 | 2.45 | | |
| i = 4 | 2.45 | 2.45 | | |
| i = 6 | 2.00 | 2.00 | | |
| i = 8 | 2.45 | 1.41 | | |
| i = 10 | 3.46 | 2.45 | | |
| i = 12 | 4.00 | 3.16 | | |



COSINE mapping tool

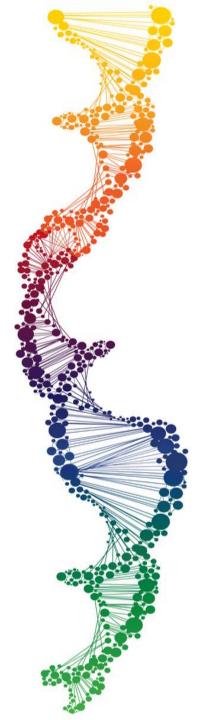
COSINE: non-seeding method for mapping long noisy sequences

Pegah Tootoonchi Afshar¹ and Wing Hung Wong^{2,*}

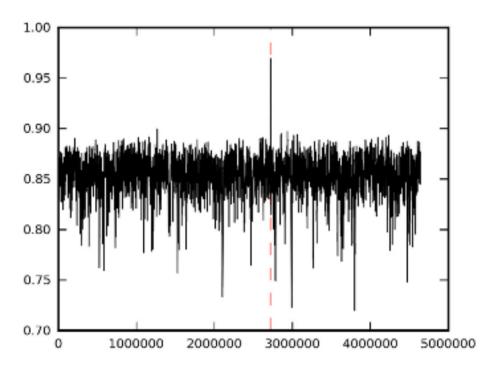
COSINE com-

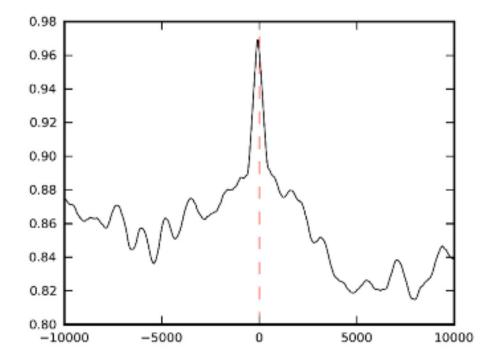
putes the context similarity of two stretches of nucleobases given the similarity over distributions of their short k-mers (k = 3-4) along the sequences.

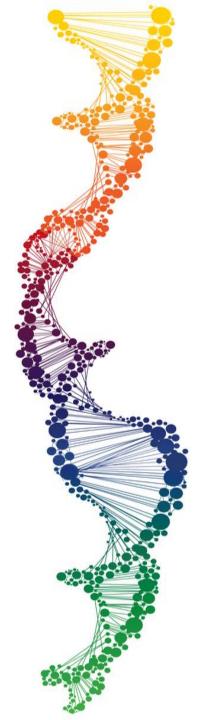
¹Department of Electrical Engineering, School of Engineering, Stanford University, Stanford, CA 94305, USA and ²Department of Statistics and Department of Biomedical Data Science, Stanford University, Stanford, CA 94305, USA



COSINE mapping tool







Winnowing: Local Algorithms for Document Fingerprinting

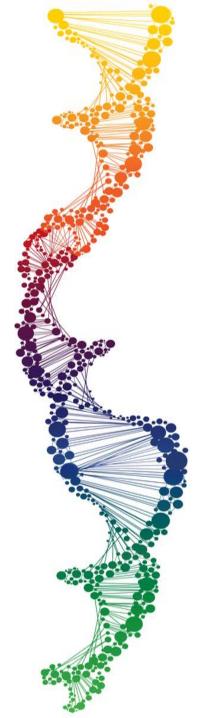
Saul Schleimer
MSCS
University of Illinois, Chicago
saul@math.uic.edu

Daniel S. Wilkerson
Computer Science Division
UC Berkeley
dsw@cs.berkeley.edu

Alex Aiken
Computer Science Division
UC Berkeley
aiken@cs.berkeley.edu

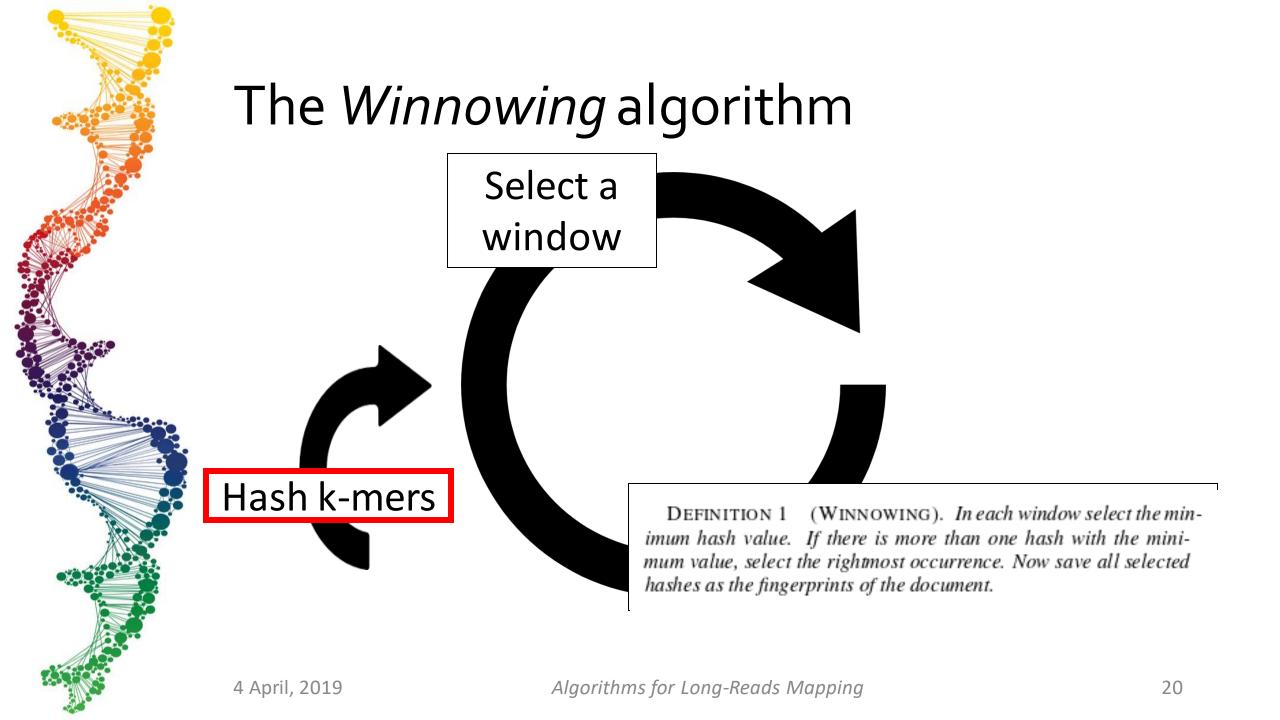
- Pre-processing step for text similarity detection
- Define a procedure for extracting locally-related features from the sequence

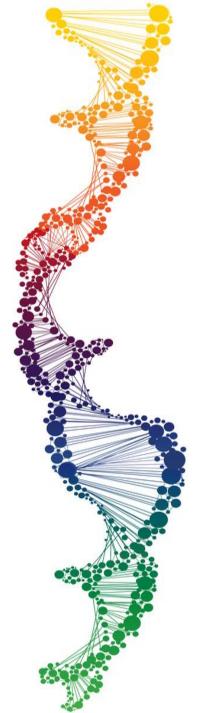
The Winnowing algorithm Select a window Hash k-mers DEFINITION 1 (WINNOWING). In each window select the minimum hash value. If there is more than one hash with the minimum value, select the rightmost occurrence. Now save all selected hashes as the fingerprints of the document. Algorithms for Long-Reads Mapping 4 April, 2019



Compute the Winnowing-features of a sequence, using k-mers of size 3 and windows of size 5

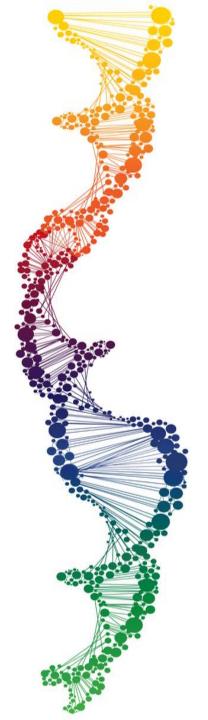
ACGATCTATCGGCTTT





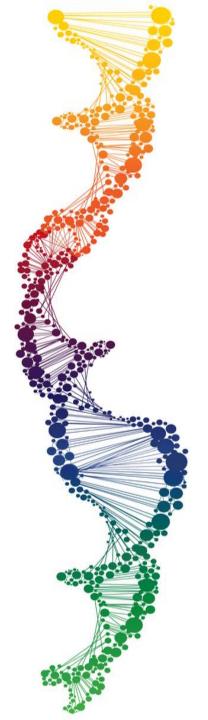
Compute the Winnowing-features of a sequence, using k-mers of size 3 and windows of size 5

A C G A T C A T C T A T C G G C T T T T ACG

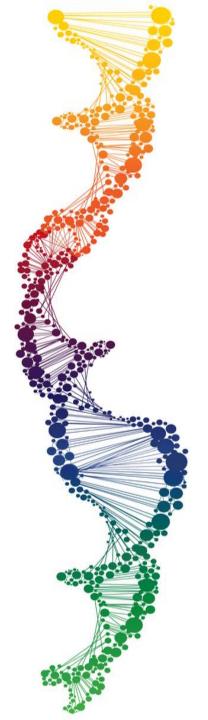


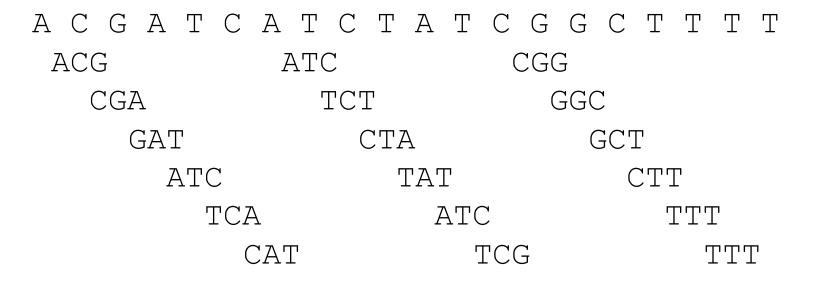
Compute the Winnowing-features of a sequence, using k-mers of size 3 and windows of size 5

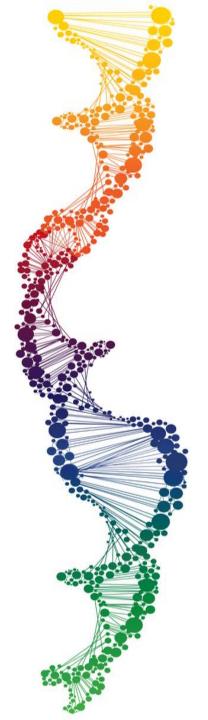
A C G A T C A T C T A T C G G T T T T A C GA

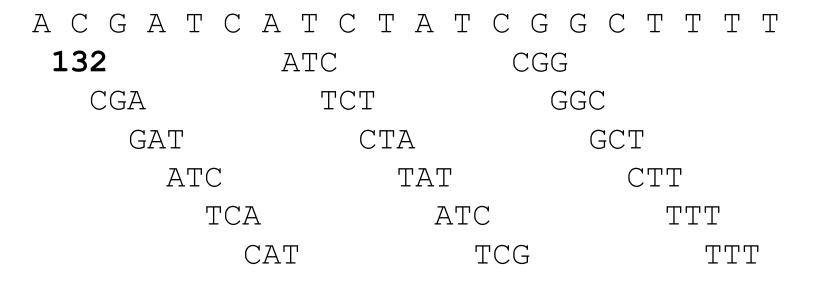


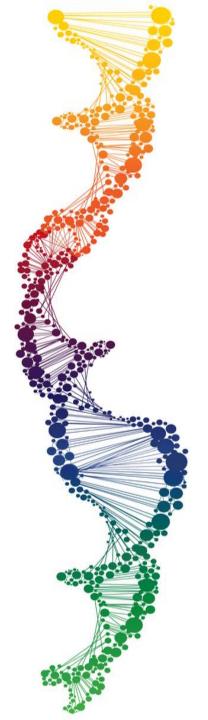
```
A C G A T C A T C T A T C G G T T T T A C G G G C T T T T T C GAT
```

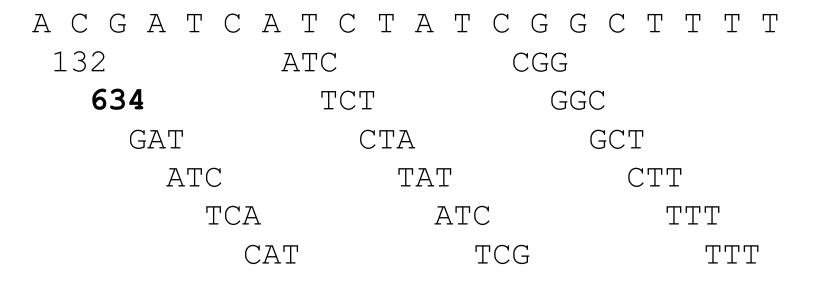


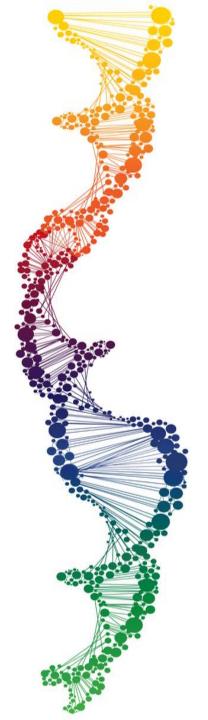


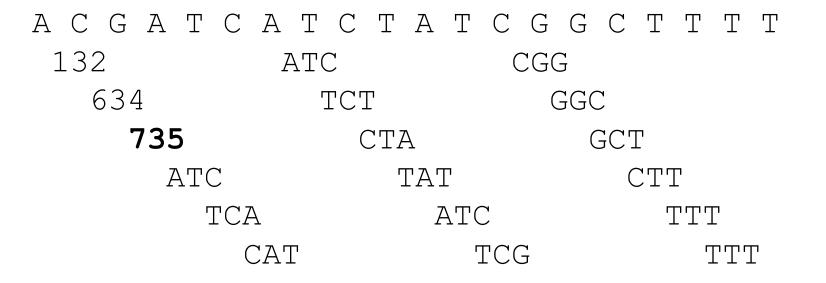


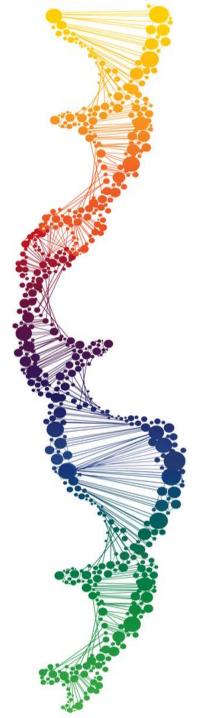




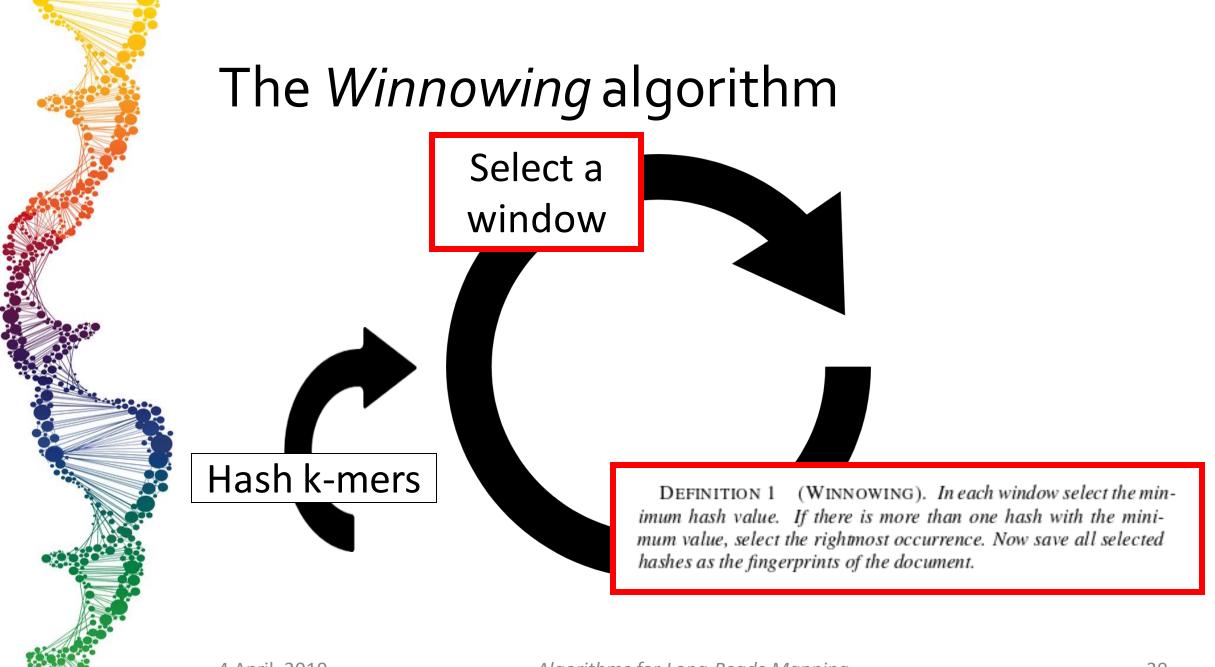


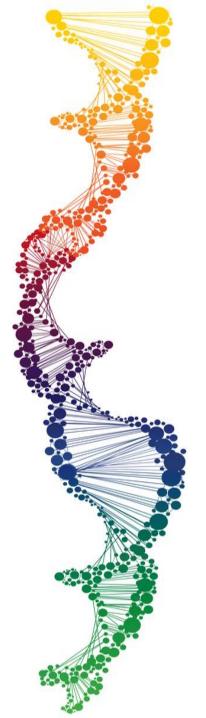


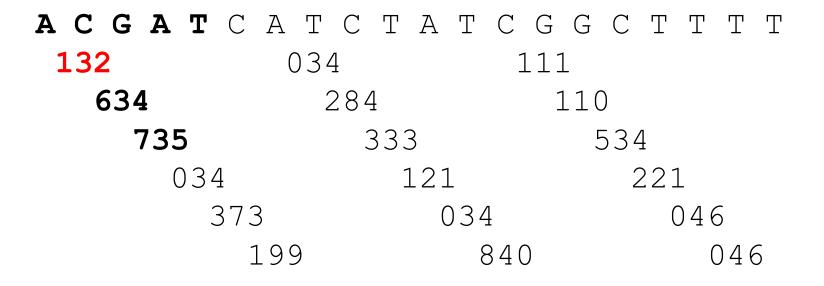


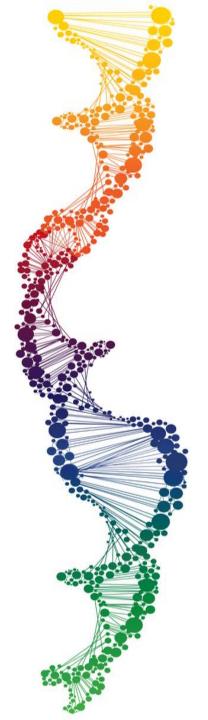


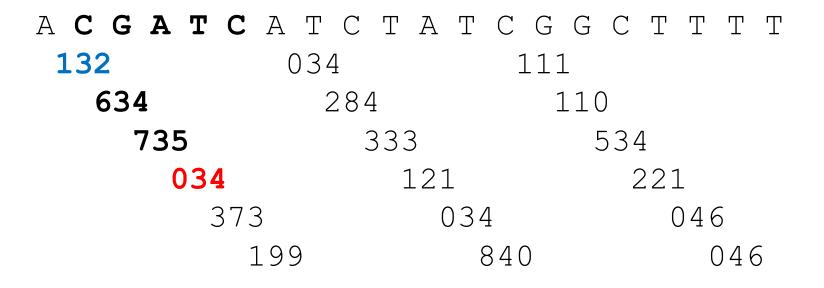
| A C G A T C | A T C T A | A T C G G | C T T T T |
|-------------|-----------|-----------|-----------|
| 132 | 034 | 111 | |
| 634 | 284 | 110 |) |
| 735 | 333 | [| 534 |
| 034 | 12 | 21 | 221 |
| 373 | 3 | 034 | 046 |
| - | 199 | 840 | 046 |

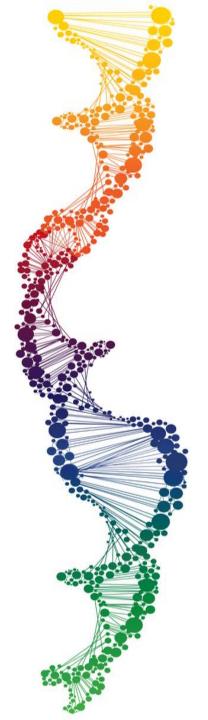


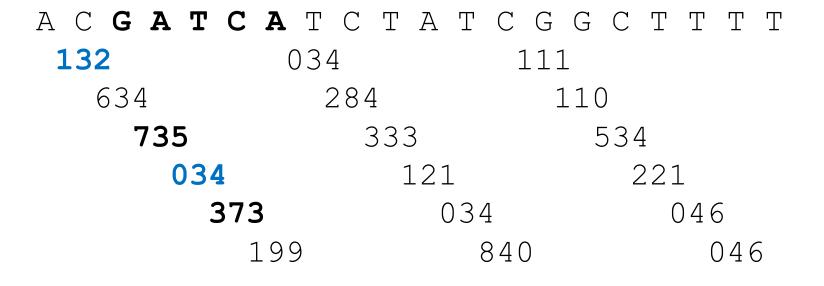




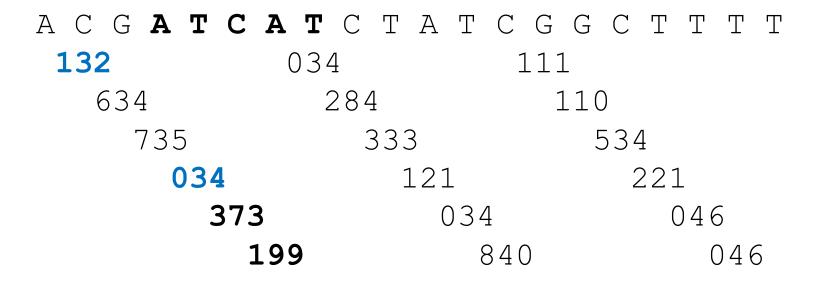


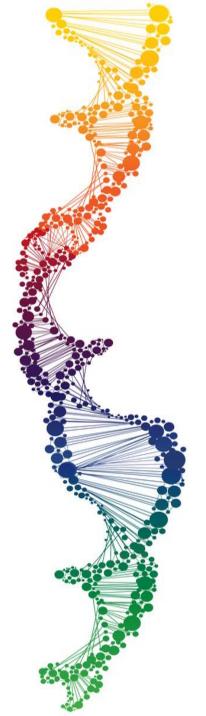


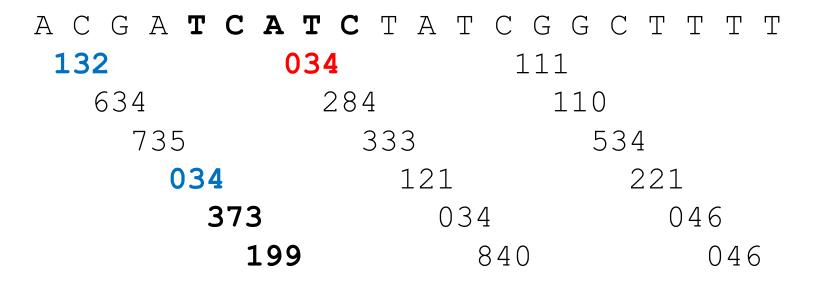


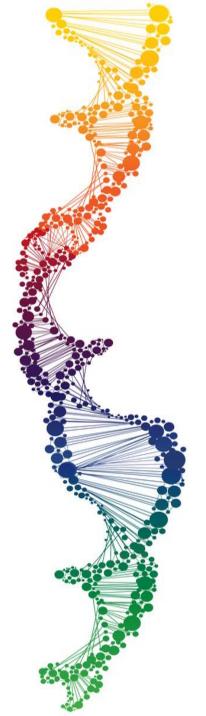


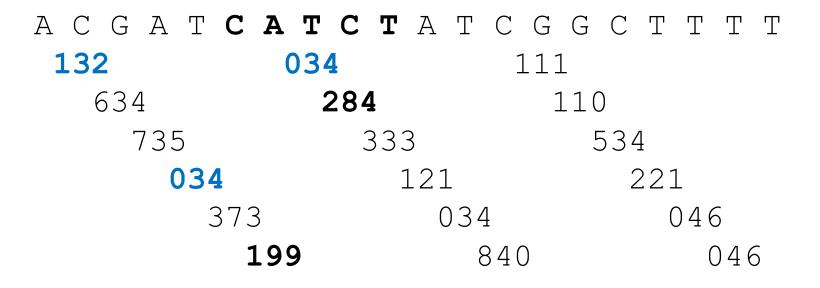


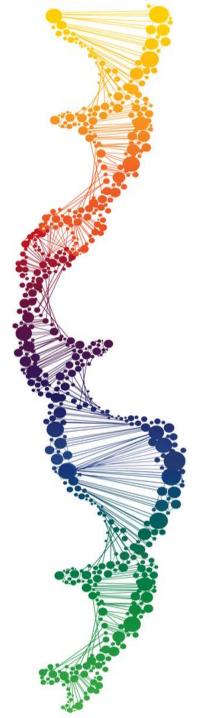


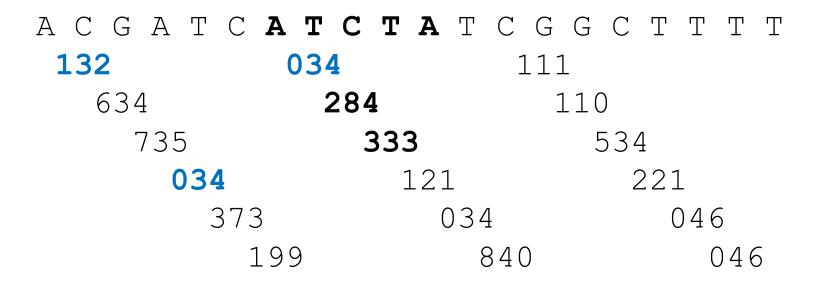


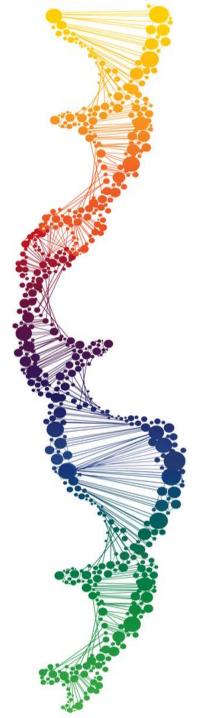


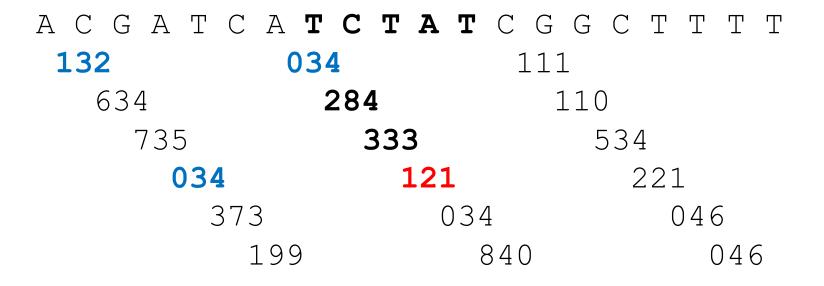


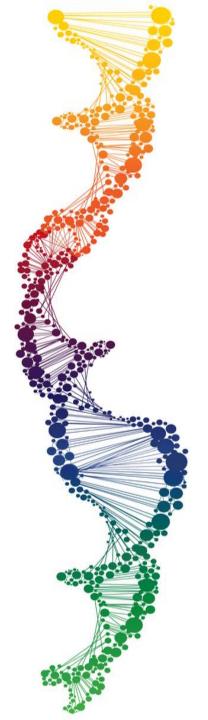


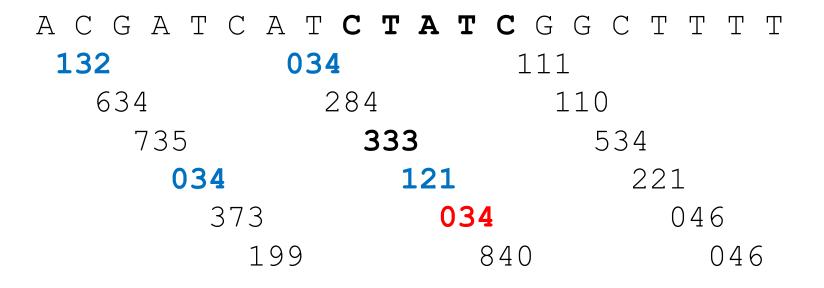


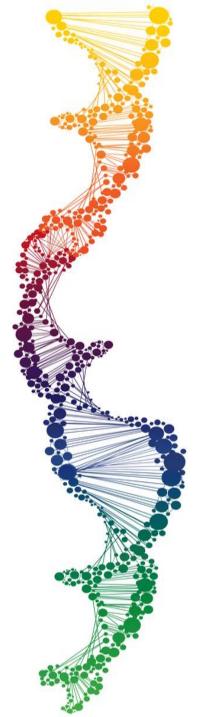


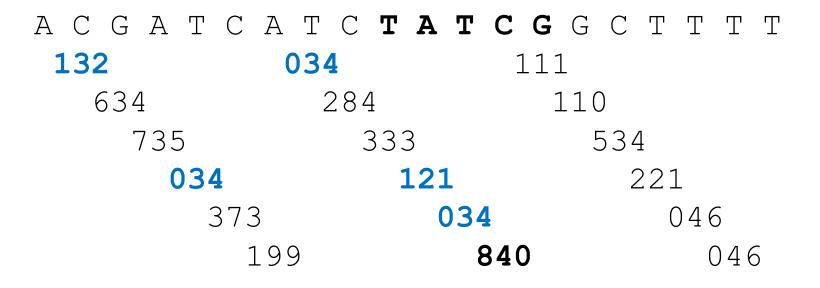


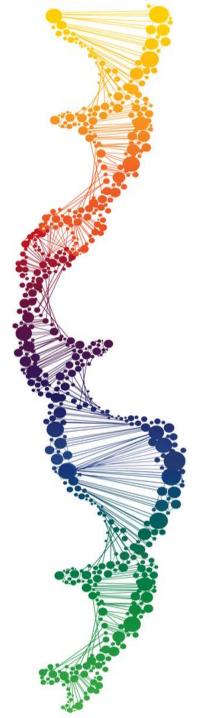


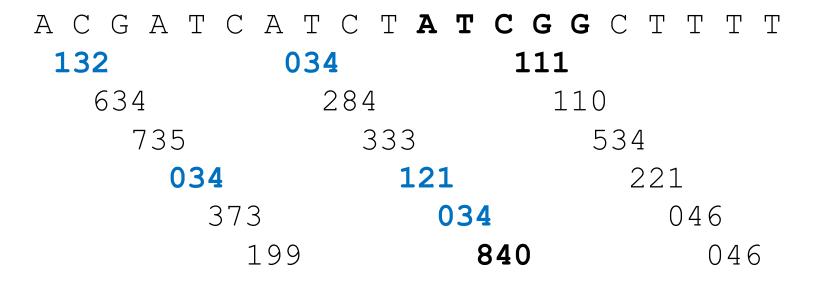


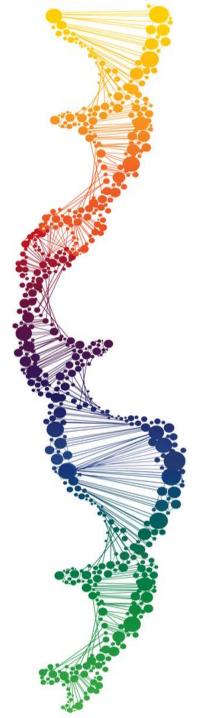


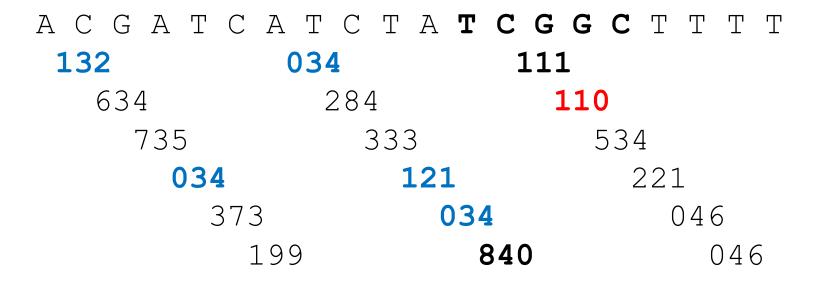


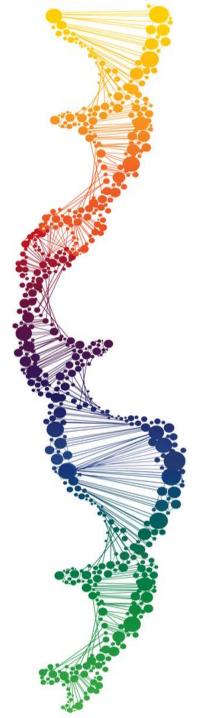


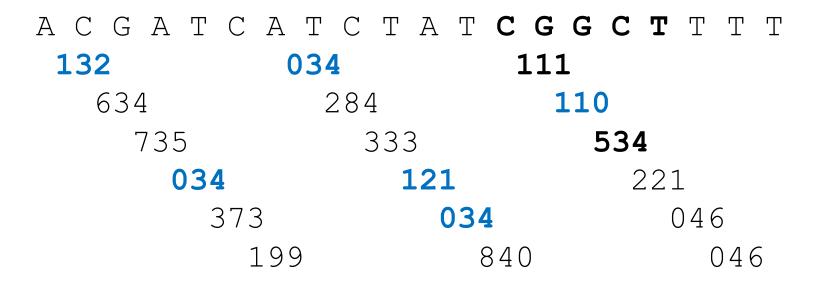


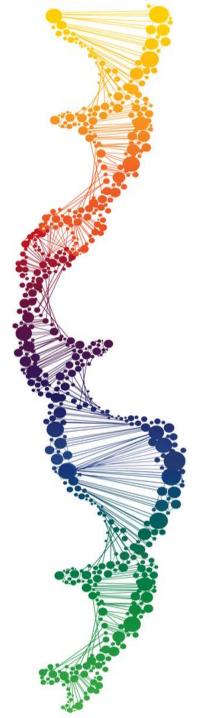


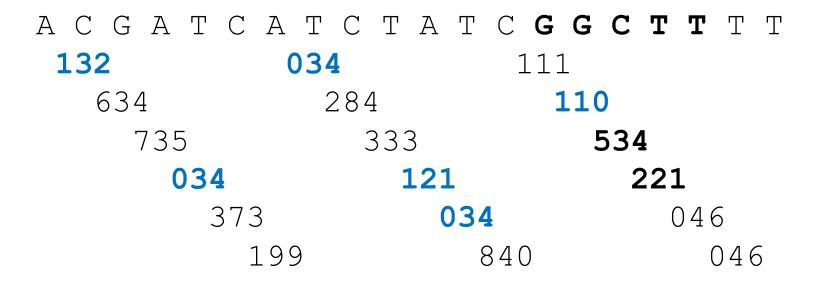


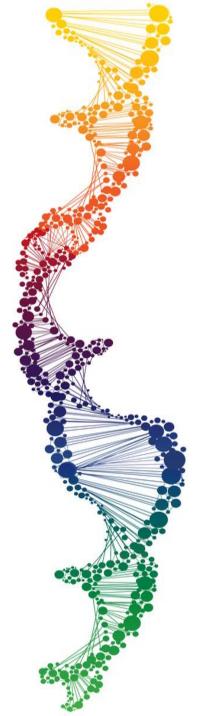


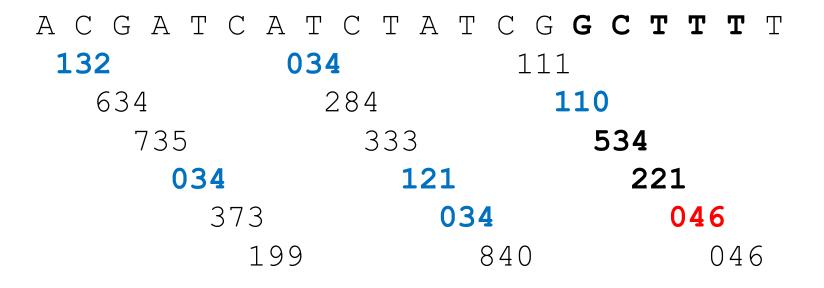


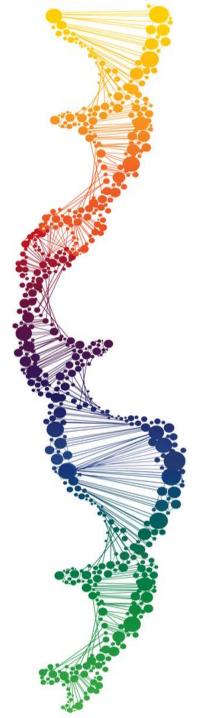


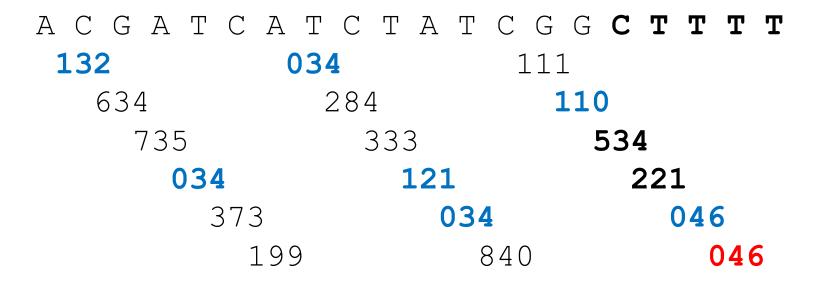


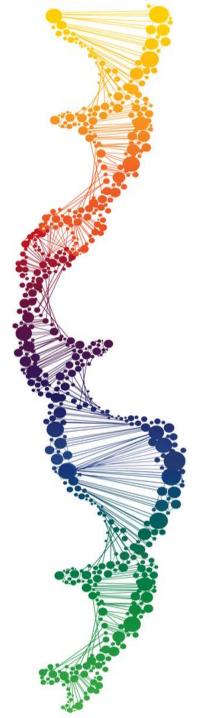


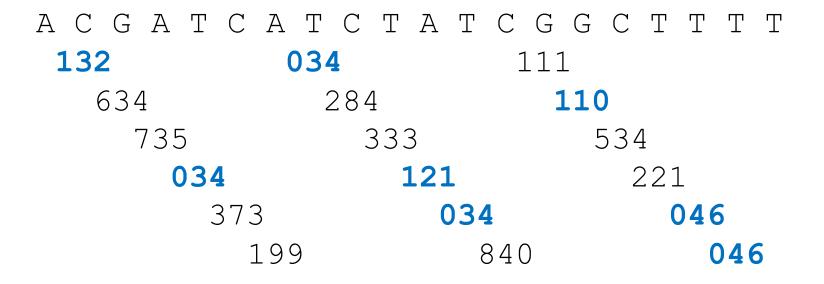


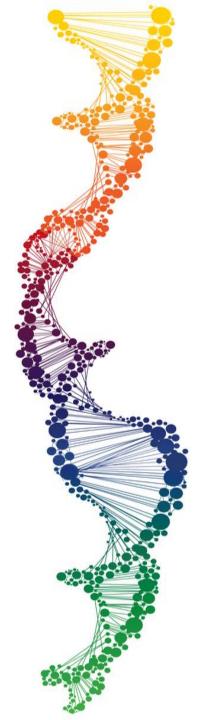






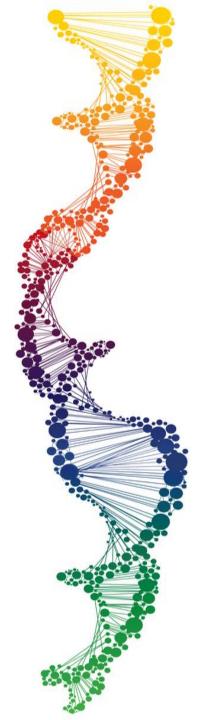






Treating the Winnowing features

- Chaining
 - Detect similarity by looking for successive colinear matches
- Set-similarity
 - Detect similarity by counting common k-mers

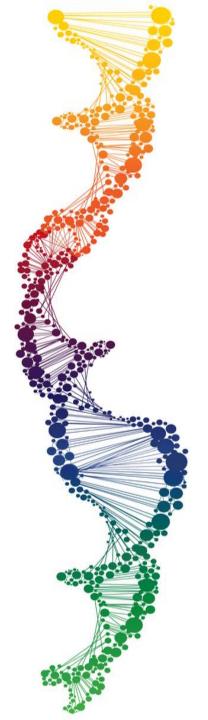


Minimap2: pairwise alignment for nucleotide sequences

Heng Li

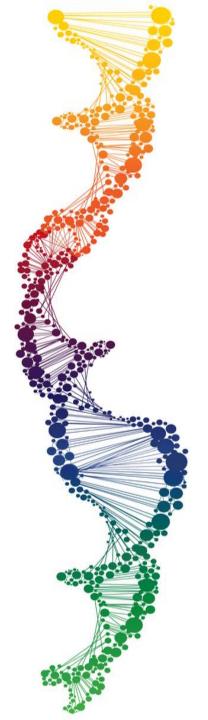
Broad Institute, 415 Main Street, Cambridge, MA 02142, USA

- Use Winnowing for computing a set of hash values for the sequences to be compared
- Find sequences of co-linear hash matches



 A chain of features with the same hash, accounts for a local similarity

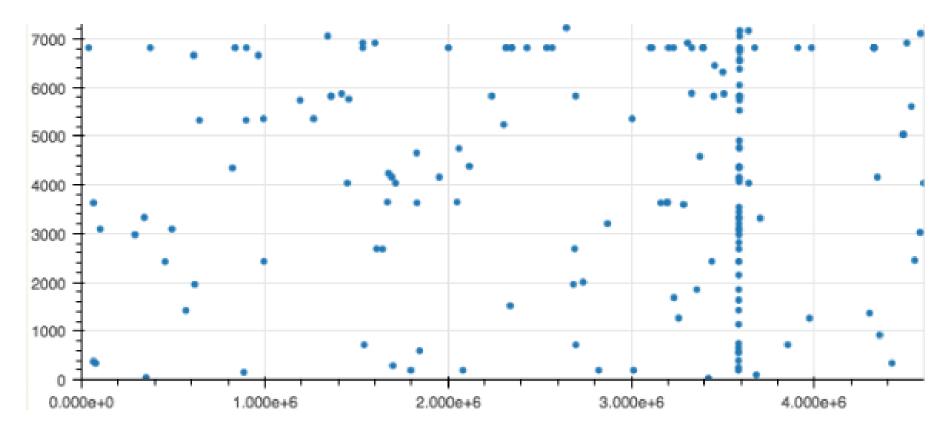
```
Fingerprint 1: {87, 6}, {12, 9}, {87, 11}, {23, 15}, {7, 18}
Fingerprint 2: {12, 0}, {87, 3}, {23, 7}, {0, 10}
```

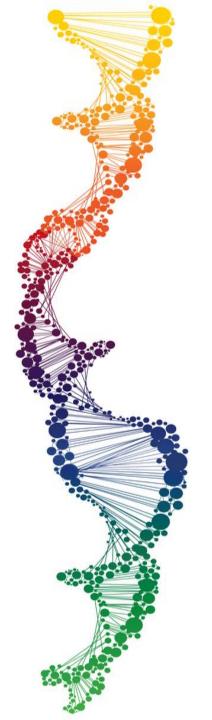


 A chain of features with the same hash, accounts for a local similarity

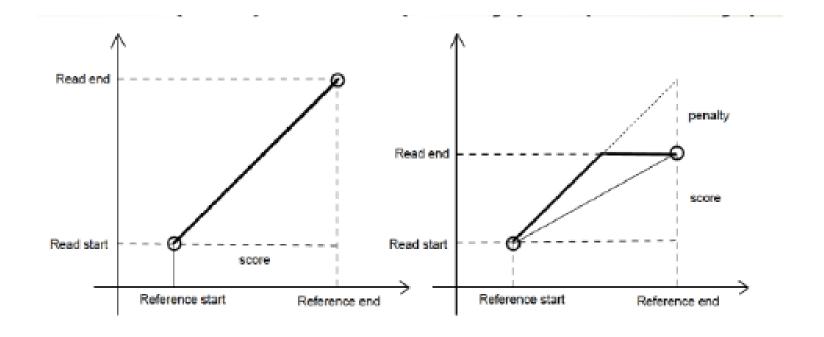
```
Fingerprint 1: {87, 6}, {12, 9}, {87, 11}, {23, 15}, {7, 18} Fingerprint 2: {12, 0}, {87, 3}, {23, 7}, {0, 10}
```

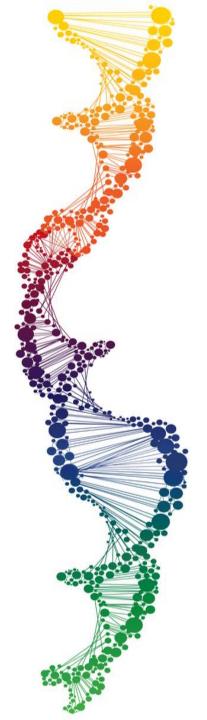






Detect co-linearity by assigning edge scores



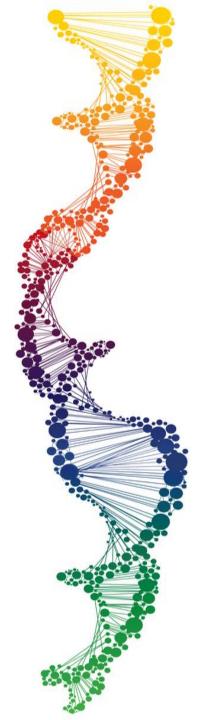


Set-similarity of Winnowing hashes

A Fast Approximate Algorithm for Mapping Long Reads to Large Reference Databases

CHIRAG JAIN, ALEXANDER DILTHEY, SERGEY KOREN, SRINIVAS ALURU, and ADAM M. PHILLIPPY

- Use Winnowing for computing a set of hash values for the sequences to be compared
- Measure the set-similarity with the Jaccard index



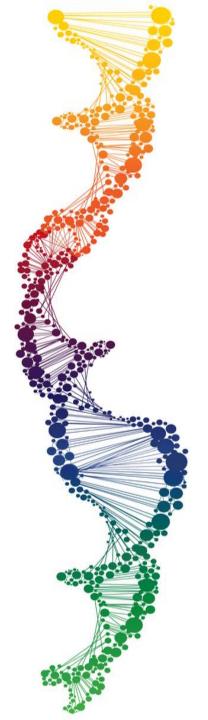
Set-similarity of Winnowing hashes

• Example with Jaccard index

$$J(A,B)=rac{|A\cap B|}{|A\cup B|}.$$

```
Fingerprint 1: {87, 6}, {12, 9}, {87, 11}, {23, 15}, {7, 18} Fingerprint 2: {12, 0}, {87, 3}, {23, 7}, {0, 10}
```

Jaccard-index: 3 / 5 = 0.6



Libraries



https://github.com/seqan/seqan

https://seqan.readthedocs.io/en/master/index.html