Reporte de operaciones con S.E.L

Universidad Centroamericana "José Simeón Cañas" Análisis numérico



Reducción gaussiana con sustitución hacia atrás

Resolución del sistema de ecuaciones lineales A

	$456178a_0 + 468a_1$	$+4868a_2 + 4.86682e$	$+\ 07a_3 + 4818a_4 \ +$	4.86877e + 0	$06a_5 + 4.68768e + 06a_6 + 4.67682e +$	$07a_7 + 46881a_8 + 4.8$
	$a_0 + 8a_1$	$+4381a_2 + 38a_3$	$+43a_4 +$	$138a_{5}$	$+4a_6 + 43a_7$	$+8413a_8 + 81$
	$81a_0 + 8a_1$	$+618a_2 + 318a_3$	$+631a_4 +$	$8361a_5$	$+836a_6 + 1893a_7$	$+1493a_8 + a_9$
	$4391a_0 + 4931a_1$	$+4931a_2 + 491a_3$	$+493a_4 +$	$1493a_5$	$+143a_6+149a_7$	$+18a_8 + 31$
	$793a_0 + 1493a_1$	$+149a_2 + 318a_3$	$+391a_4 +$	$4914a_5$	$+914a_6 + 931a_7$	$+8a_8 + 3a_8$
	$831a_0 + 8391a_1$	$+8361a_2 + 49a_3$	$+193a_4 +$	$1493a_5$	$+1493a_6 + 1439a_7$	$+1493a_8+14$
	$4931a_0 + 4931a_1$	$+14a_2 + 31a_3$	$+4914a_4 +$	$181a_5$	$+94a_6 + 914a_7$	$+6a_8 + 68$
A =	$1793a_0 + 1793a_1$	$+1379a_2 + 197a_3$	$+1796a_4 +$	$16a_5$	$+168a_6 + 18a_7$	$+37a_8+67$
	$17a_0 + 5917a_1$	$+317a_2 + 8617a_3$	$+617a_4 +$	$6817a_5$	$+617a_6 + 6817a_7$	$+81a_8 + 91$
	$6817a_0 + 1768a_1$	$+178a_2 + 6176a_3$	$+17a_4 +$	$6817a_5$	$+617a_6+617a_7$	$+6817a_8+68$
	$17a_0 + 617a_1$	$+681a_2 + 761a_3$	$+717a_4 +$	$617a_5$	$+68a_6 + 717a_7$	$+61a_8 + 76$
	$1781a_0 + 67a_1$	$+61768a_2 + 17a_3$	$+617a_4 +$	$617a_5$	$+617a_6+6a_7$	$+17a_8+61$
	$761a_0 + 761a_1$	$+617a_2 + 617a_3$	$+617a_4 +$	$617a_5$	$+671a_6+617a_7$	$+6817a_8+68$
	$176a_0 + 1761a_1$	$+76176a_2 + 176a_3$	$+1761a_4 +$	$7676a_{5}$	$+17691a_6 + 7a_7$	$+18978a_8 + 17$
	$1616a_0 + 1769a_1$	$+169716a_2 + 6a_3$	$+776a_4 +$	$176176a_5$	$+617a_6 + 71a_7$	$+117a_{8}$

Proceso de reducción gaussiana con la matriz aumentada $[\mathbf{A},\mathbf{B}]=\mathbf{\tilde{A}}^{(1)}$

											Į.
	456178	468	4868	4.86682e + 07	4818	4.86877e + 06	4.68768e + 06	4.67682e + 07	46881	4.86488e + 09	646
	1	8	4381	38	43	138	4	43	8413	8143	13
	81	8	618	318	631	8361	836	1893	1493	1	919
	4391	4931	4931	491	493	1493	143	149	18	315	93
	793	1493	149	318	391	4914	914	931	8	3	
$\tilde{A}^{(1)} =$	831	8391	8361	49	193	1493	1493	1439	1493	1493	1
	4931	4931	14	31	4914	181	94	914	6	681793	17
	1793	1793	1379	197	1796	16	168	18	37	67	967
	17	5917	317	8617	617	6817	617	6817	81	917	9
	6817	1768	178	6176	17	6817	617	617	6817	681	768
	17	617	681	761	717	617	68	717	61	761	786
	1781	67	61768	17	617	617	617	6	17	61	768
	761	761	617	617	617	617	671	617	6817	6817	68176
	176	1761	76176	176	1761	7676	17691	7	18978	1781	787
	1616	1769	169716	6	776	176176	617	71	117	0	l

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	456178	468	4868	4.86682e + 07	4818	4.86877e	e + 06 4	4.68768e + 06	4.67682e +	- 07 4	6881	4.86488
	0	7.99897	4380.99	-68.6868	42.9894	12	27.327	-6.27599	-59.5	218 84	12.9	-25
	0	7.9169	617.136	-8323.63	630.145	74	196.49	3.64473	-6411	1.26 148	4.68	-8
	0	4926.5	4884.14	-467971	446.624	<u> </u>	45372	-44978.9	-450	024 - 433	3.259	-4.68272
	0	1492.19	140.538	-84284.6	382.625	-35	649.65	-7234.86	-8036	58.7 -73.4	4959	-8.456896
	0	8390.15	8352.13	-88607.7	7 184.223	-73	376.23	-7046.35	-8375	66.6 14	07.6	-8.860656
æ	0	4925.94	-38.62	-526042	2 4861.92	-52	2447.3	-50576.9	-504	621 -500	0.754	-5.19045
$\tilde{A}^{(2)} =$	0	1791.16	1359.87	-191092			0120.6	-18256.9	-183			-1.912136
	0	5916.98	316.819	6803.32			35.56	442.308	5074		2529	-1
	0	1761.01	105.254	-721108			5940.5	-69434.4	-698			-7.269876
	0	616.983	680.819	-1052.68			35.56	-106.692	-1025		2529	-1
	0	65.1728	61749	-189992			391.5	-17684.5	-182			-1.899336
	0	760.219	608.879	-80571.6			505.12	-7149.03	-7740			-8.108816
	0	1760.82	76174.1	-18600.9			797.56	15882.4				-1.87516
		1767.34	169699	-172400	758.932	2 1	58929	-15989	-165	604 -49.	0749	-1.723376
	456178	468						+06 4.6876				468
	0	7.99897			-68.6868	42.9894			6.27599	-59.5218		8412
	0	0			-8255.65	587.596			9.85633	-6352.35		-6841
	0	0	-2.69333		-425667 -				41113.6	-413365		18186e +
	0	0			-71471.3 -				6064.09	-69265.1		56948e +
	0	0	-4.58688		-16561.9 -				463.443	-21324		82291e +
~(2)	0	0	-2.69795		-483743 -				-46712	-467966		18134e +
$\tilde{A}^{(3)} =$	0	0			-175712 -				16851.5	-170475		1.884e +
	0	0	-3.24038		57612.2 -				5084.77	49103.4		22309e +
	0	0				-9519.3			68052.7	-685170		84602e +
	0	0			4245.32 -				377.392	3565.2		-6488
	0	0			-189433	247.927			17633.4	-182100		-68711
	0	0			-74043.7 -				6552.56	-71745.1		-7928
	0	0			-3480.81 -				17264	-4934.2		
	0	0	_	798264	-157224 -	-8739.42	13	80796 –	14602.3	-152453	5 -1.	85885e +
	F4F61F0	400	40.00	4.06600	7 401	0 4.000	77 . 00	4.60560	0.0 4.05000	. 07	40001	4.004
	456178	468		4.86682e + 0				4.68768e + 0			46881	
	$\begin{bmatrix} 0 \\ 0 \end{bmatrix}$	7.99897	4380.99				127.327 7370.47				8412.9	
	$\begin{bmatrix} 0 \\ 0 \end{bmatrix}$	0	-3718.9	-8255.66 $5.55329e + 0$		o 3 –5.4616			.8 4.18717 <i>6</i>		6841.9 226775	
	0	0	0				75e + 06	-48291 $-8229.$			-66167	1.812
	0	0	0				64e + 06	-6223. -12620			384130	
	0	0	0				79e + 06	-12020 -53862			217761	5.74
$\tilde{A}^{(4)} =$	0	0	0				19e + 06 19e + 06	-33002 -19447			31674.8	
71 -	0	0	0				64e + 06	-3503.3			261560	
	0	0	0	1.43487e + 0			28e + 06	-3003.6 -70608			1772.5	
	0	0	0	75288			-677753	-516.39			28414.4	7.812
	0	0	0				32207.8	-310.53 -17564			116645	-2.500
	0	0	0				-843596	-7654.4			27922.1	8.842
	0	0	0				58e + 06	14909			198869	
	0	0	0				28e + 06	-167			390229	
	L	J	U	1.011000 0	. 10100	. 1.1012	-50 / 00	101.	1.211000	- 1 00		1.002

	456178	468	4868	4.86682e + 07	4818		4.68768e + 06		46881	4.864
	0	7.99897	4380.99	-68.6868	42.9894	127.327	-6.27599	-59.5218	8412.9	_
	0	0	-3718.9	-8255.65	587.596	7370.47	9.85633	-6352.35	-6841.9	-
	0	0	0	5.55329e + 06	-451583	-5.46168e + 06	-48251.8	4.18717e + 06	-226775	5.785
	0	0	0	0	4949.95	66973.9	6910.32	12660.9	4988.62	-
	0	0	0	0	57026.7	766580	75710.1	148547	31007	-2.906
~ /=>	0	0	0	0	-200.311	-63253.8	-6026.22	-10653.4	7060.84	
$\tilde{A}^{(5)} =$	0	0	0	0	-79.4879	-23144.1	-2078.67	-4375.3	-42.3672	
	0	0	0	0	46464	621724	59499.4	116847	34542.2	
	0	0	0	0	-45214	-594084	-58141.3	-119767	-13177.9	1.736
	0	0	0	0	5339.58	62709.3	6025.29	11935.4	2330.36	
	0	0	0	0	-15743	-210984	-19712.9	-40162.3	-126743	
	0	0	0	0	-136.35	-8694.59	-278.443	-1650.9	6743.88	
	0	0	0	0	12012.4	153232	32012	28166.4		-
		0	0	0	-3550.35	136936	-2686.77	-6516.74	-324285	-
ı	[456178	468	4868	4.86682e + 07	4818	4.86877e + 06	4.68768e + 06	4.67682e + 07	46881	4.86488
	0	7.99897	4380.99	-68.6868	42.9894	127.327	-6.27599	-59.5218	8412.9	-25
	0	0	-3718.9	-8255.65	587.596	7370.47	9.85633	-6352.35	-6841.9	-8
	0	0	0	5.55329e + 06		-5.46168e + 06	-48251.8	4.18717e + 06	-226775	5.78518
	0	0	0	0	4949.95	66973.9	6910.32	12660.9	4988.62	-2
$\tilde{A}^{(6)} =$	0	0	0	0	0	-5003.24	-3901.4	2684.94	-26465.2	74
	0	0	0	0	0	-60543.6	-5746.58	-10141.1	7262.71	9
	0	0	0	0	0	-22068.6	-1967.7	-4171.99	37.7417	82
	0	0	0	0	0	-6943.93	-5366.17	-1998.45	-12284.9	-7
	0	0	0	0	0	17670.6	4979.19	-4119.44	32389.3	-6
	0	0	0	0	0	-9536.31	-1428.97	-1722.12	-3050.93	-32
	0	0	0	0	0	2022.42	2265	104.987	-110877	-70
	0	0	0	0	0	-6849.74	-88.0927	-1302.15	6881.29	_
	0	0	0	0	0	-9297.97	15242.2	-2558.78	-130599	_
	0	0	0	0	0	184973	2269.66	2564.32	-320707	-2
I	T456178	468	4868	4.86682e + 07	4818	4.86877e + 06	4.68768e + 06	$4.67682e \pm 07$		16881 4.
	0	7.99897	4380.99	-68.6868	42.9894	127.327	-6.27599	-59.5218		412.9
	0	0	-3718.9	-8255.65	587.596	7370.47	9.85633	-6352.35		841.9
	0	0	0			-5.46168e + 06		4.18717e + 06		26775 5.
	0	0	0	0	4949.95	66973.9	6910.32	12660.9		88.62
	0	0	0	0	0	-5003.24	-3901.4	2684.94		465.2
	0	0	0	0	0	0	41463.7	-42631.1		27514
$\tilde{A}^{(7)} =$	0	0	0	0	0	0	15240.8	-16014.9		6772
	0	0	0	0	0	0	48.5256	-5724.83		445.8
	0	0	0	0	0	0	-8799.87	5363.28		081.1
	0	0	0	0	0	0	6007.2	-6839.68		392.4
	0	0	0	0	0	0	687.968	1190.3		21574
	0	0	0	0	0	0	5253.16	-4977.99		113.7
	0	0	0	0	0	0	22492.6	-7548.43		416.1
	0	0	0	0	0	0	-141968	101828	-1.29914e	+06 2.

$\tilde{A}^{(8)} = \begin{bmatrix} 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 & -28.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.08888 & -2.0888 & -2.$											
$ \tilde{A}^{(6)} = \begin{bmatrix} 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.8663.8 & -6352.35 & -6841.9 & -8825.8 \\ 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 5.78518 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 26849.1 & -26165.2 & 7.8518 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$	[456178	468	4868	4.86682e + 07	4818	4.86877e + 06	4.68768e + 06	4.67682e + 07	46881	4.86488
$\hat{A}^{(8)} = \begin{bmatrix} 0 & 0 & 0 & 5.55329c + 06 & -451583 & -5.46168c + 06 & -482518 & 4.18717c + 06 & -226775 & 5.78518 \\ 0 & 0 & 0 & 0 & 04949.95 & 66973.9 & 6910.32 & 12660.9 & 498.62 & -2.9 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 044463.7 & -42631.1 & 327514 & 60 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & $		0	7.99897	4380.99							-25
$ \hat{A}^{(8)} = \left[\begin{array}{cccccccccccccccccccccccccccccccccccc$		0	0	-3718.9			7370.47				-8
$ \tilde{A}^{(8)} = \left[\begin{array}{cccccccccccccccccccccccccccccccccccc$		0	0	0	5.55329e + 06	-451583	-5.46168e + 06	-48251.8	4.18717e + 06	-226775	5.785186
$ \tilde{A}^{(8)} = \left[\begin{array}{cccccccccccccccccccccccccccccccccccc$		0	0	0	0	4949.95	66973.9	6910.32	12660.9	4988.62	-2
$ \tilde{A}^{(8)} = \left[\begin{array}{cccccccccccccccccccccccccccccccccccc$		0	0	0	0	0	-5003.24	-3901.4	2684.94	-26465.2	74
$ \tilde{A}^{(0)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -3674.94 & 24062.5 & -880.0 & 0 & 0 & 0 & 0 & -3684.35 & 8427.5 & -880.0 & 0 & 0 & 0 & 0 & 0 & 0 & -3684.35 & 8427.5 & -880.0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -663.333 & -57.3698 & -1890.0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1897.64 & -127009 & -1890.0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 123.072 & 1619.99 & -1890.0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 $		0	0	0	0	0	0	41463.7	-42631.1	327514	60
$\tilde{A}^{(0)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -3684.35 & 8427.5 & -360.0 & 0 & 0 & 0 & -3684.35 & 8427.5 & -360.0 & 0 & 0 & 0 & 0 & 0 & 0 & -3663.53 & -57.3698 & -160.0 & 0 & 0 & 0 & 0 & 0 & 0 & 1897.64 & -127009 & -440.0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1897.64 & -127009 & -440.0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1897.64 & -127009 & -440.0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1557.4 & -259081 & -160.0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1557.4 & -259081 & -160.0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 $	$\tilde{A}^{(8)} = $	0	0	0	0	0	0	0	-344.945	-3612.5	-2
$ \tilde{A}^{(0)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -663.353 & -57.3698 & -1 & -1 & -1 & -1 & -1 & -1 & -1 & -$		0	0	0	0	0	0	0	-5674.94	24062.5	-8
$ \tilde{A}^{(0)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1897.64 & -127009 & -44 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 18577.4 & -259081 & -14 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 15577.4 & -259081 & -14 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -44136.6 & -17766 & 2.75884 \\ 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 & -24 \\ 0 & 0 & -3718.9 & -8255.65 & 587.96 & 7370.47 & 9.85633 & -6352.35 & -6841.9 & -24 \\ 0 & 0 & 0 & 0 & 5.55329e + 06 & -451583 & -546168e + 06 & 4.67682e + 07 & 46881 & 4.8618e + 106 & -26775 & 5.7851e + 106 & -26775 & 5.7851e + 106 & -26775 & 5.7851e + 106 & -26775 & -26781e + 106 & -26775 & 5.7851e + 106 & -26775 & -2677$		0	0	0	0	0	0	0	-3684.35	8427.5	-3
$ \vec{A}^{(0)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 423.072 & 1619.99 & -1 & 0 & 0 & 0 & 0 & 0 & 0 & 15577.4 & -259081 & -1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -44136.6 & -17766 & 2.75884 & 0 & 0.0000 & 0 & 0 & 0 & 0 & 0 & -44136.6 & -17766 & 2.75884 & 0 & 0.0000 & 0 & 0 & 0 & 0 & 0 & 0 & $		0	0	0	0	0	0	0	-663.353	-57.3698	-1
$ \tilde{A}^{(0)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 15577.4 & -25908.1 & -1 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -44136.6 & -177766 & 2.75884 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		0	0	0	0	0	0	0	1897.64	-127009	-41
$ \tilde{A}^{(0)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 15577.4 & -25908.1 & -1 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -44136.6 & -177766 & 2.75884 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		0	0	0	0	0	0	0	423.072	1619.99	-1
$\tilde{A}^{(0)} = \begin{bmatrix} 456178 & 468 & 4868 & 4.86682e + 07 & 4818 & 4.8687e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.8648e + 06 & 0.7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 & -6.26759 & -6.26759 & -6.26759 & -6.26675 & -6.26759 & -6.26759 & -6.26759 & -6.26759 & -6.26759 & -6.2675 & -6.26759 & -6.26759 & -6.26759 & -6.26759 & -6.2675 & -6.2675 & -6.26759 & -6.26759 & -6.26759 & -6.26759 & -6.2675 & -6.2675 & -6.26759 & -6.2675 & -6.26759 & -6.2675 & -$		0	0	0	0	0	0	0	15577.4	-259081	-1
$\tilde{A}^{(9)} = \begin{bmatrix} 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 & -6.27599 & -6.27599 & -6.27599 & -6.27518 & -6.2751$		0	0	0	0	0	0	0	-44136.6	-177766	2.75884e
$\tilde{A}^{(9)} = \begin{bmatrix} 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 & -6.27599 & -6.27599 & -6.27599 & -6.27518 & -6.2751$		_									ľ
$\tilde{A}^{(9)} = \begin{bmatrix} 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 & -6.27599 & -6.27599 & -6.27599 & -6.27518 & -6.2751$	[Г456178	468	4868	4.86682e + 07	4818	4.86877e + 06	4.68768e + 06	4.67682e + 07	46881	4.8648
$\bar{A}^{(9)} = \begin{bmatrix} 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.85633 & -6352.35 & -6841.9 \\ 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 5.78516 \\ 0 & 0 & 0 & 0 & 4949.95 & 66973.9 & 6910.32 & 12660.9 & 4988.62 & -69476.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 & -62465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		l									_!
$ \tilde{A}^{(9)} = \begin{bmatrix} 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 5.785186 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & $											ال
$\tilde{A}^{(9)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 4949.95 & 66973.9 & 6910.32 & 12660.9 & 4988.62 & -4901.4 & 2684.94 & -26465.2 & -4901.4 & 2684.94 & 26465.2 & -4901.4 & 2684.94 & 26465.2 & -4901.4 & 2684.94 & 26465.2 & -4901.4 & 2684.94 & 26465.2 & -4901.4 & 2684.94 & 26465.2 & -4901.4 & 2684.94 & 26465.2 & -4901.4 & 2684.94 & 26465.2 & -4901.4 & 2684.94$			_								5.7851
$\bar{A}^{(9)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 2684.94 & -26465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 & -42631.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$				_							
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$\tilde{A}^{(9)} = \left[\begin{array}{cccccccccccccccccccccccccccccccccccc$			_			_					ŀ
$\tilde{A}^{(10)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 83494.5 & 3.5537 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$	$\tilde{A}^{(9)} =$			_		_	_				_
$\tilde{A}^{(10)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 47012.6 & 2.522 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 6889.73 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$				_	-	_	_		_		3.5537
$\tilde{A}^{(10)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 6889.73 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		l		_		_	0				
$\tilde{A}^{(10)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -146882 & -1.5214 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		l		_		_	0				
$\tilde{A}^{(10)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -2810.72 & -60.00 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		l		_		_	0	~	_		-1.5214
$\tilde{A}^{(10)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		l		_		_	0		_		
$\tilde{A}^{(10)} = \begin{bmatrix} 456178 & 468 & 4868 & 4.86682e + 07 & 4818 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.864888 \\ 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 & -288888 \\ 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.85633 & -6352.35 & -6841.9 & -288888 \\ 0 & 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 5.785188 \\ 0 & 0 & 0 & 0 & 0 & 4949.95 & 66973.9 & 6910.32 & 12660.9 & 4988.62 & -288888 \\ 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 2684.94 & -26465.2 & 788888 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 & 68888 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 & -288888 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		l		_		_	0				-1.2344
$\tilde{A}^{(10)} = \begin{bmatrix} 456178 & 468 & 4868 & 4.86682e + 07 & 4818 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.86488 \\ 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 & -288888 \\ 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.85633 & -6352.35 & -6841.9 & -288888 \\ 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 5.785188 \\ 0 & 0 & 0 & 0 & 4949.95 & 66973.9 & 6910.32 & 12660.9 & 4988.62 & -288888 \\ 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 2684.94 & -26465.2 & 788888 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 & 668888 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 & -288888 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$						_	V	-			
$\tilde{A}^{(10)} = \begin{pmatrix} 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 & -29.000 & -20.0000 & -20.00000 & -20.00000 & -20.0000 & -20.00000 & -20.00000 & -20.00000 & -20.00000 & -20.00000 & -20.0000 & $	L	L	V	•	V	· ·	V	V	V	201101	0.,100
$\tilde{A}^{(10)} = \begin{pmatrix} 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 & -29.000 & -20.0000 & -20.00000 & -20.00000 & -20.0000 & -20.00000 & -20.00000 & -20.00000 & -20.00000 & -20.00000 & -20.0000 & $		Γ456178	168	1868	4 86682e ± 07	1818	4 86877 _e ± 06	4 68768e ± 06	4 67682e ± 07	46881	4 86489
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$\tilde{A}^{(10)} = \left(\begin{array}{cccccccccccccccccccccccccccccccccccc$		1									
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[0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0		1	_	_	-	_	ű.			U	
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$\vec{A}^{(11)} = \begin{bmatrix} 0 & 7.99897 & 4380.99 & -68.0868 & 42.9894 & 127.327 & -6.27799 & -59.5218 & 8412.9 \\ 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.85633 & 4.1871.7e + 06 & -226775 & 5.00 & 0.0 & 0$											
$ \hat{A}^{(13)} = \begin{bmatrix} 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.8563.8 & 4.18717 + 06 & -226775 \\ 0 & 0 & 0 & 0 & 5.55329 + 06 & -451583 & -5.46168e + 06 & 6973.9 & 6910.32 & 12660.9 & 4988.52 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 268494 & -26465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		456178	468	4868	4.86682e + 07	4818	4.86877e + 06	4.68768e + 06	4.67682e + 07	46881	4.86488
$ \tilde{A}^{(11)} = \begin{bmatrix} 0 & 0 & 0 & 5.55329 + 06 & -451583 & -5.46168e + 06 & -18251.8 & 4.18717 e + 06 & -226075 & 56073.9 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 044163.7 & -42631.1 & 327514 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		0	7.99897	4380.99	-68.6868	42.9894	127.327	-6.27599	-59.5218	8412.9	-2
$ \hat{A}^{(13)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 4949.95 & 66973.9 & 6910.32 & 12660.9 & 4988.62 \\ 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 268.49 & -26465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -44463.7 & -42631.1 & 327514 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		0	0	-3718.9	-8255.65	587.596	7370.47	9.85633	-6352.35	-6841.9	_
$ \tilde{A}^{(11)} = \begin{pmatrix} 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 2684.94 & -2646.52 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		0	0	0	5.55329e + 06	-451583	-5.46168e + 06	-48251.8	4.18717e + 06	-226775	5.78518
$\bar{A}^{(11)} = \left[\begin{array}{cccccccccccccccccccccccccccccccccccc$		0	0	0	0	4949.95	66973.9	6910.32	12660.9	4988.62	_
$\bar{A}^{(11)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		0	0	0	0	0	-5003.24	-3901.4	2684.94	-26465.2	7
$ \tilde{A}^{(11)} = \left[\begin{array}{cccccccccccccccccccccccccccccccccccc$		0		0	0						6
$\bar{A}^{(12)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$	$\tilde{A}^{(11)} =$	0	0	0	0	0	0				_
$ \tilde{A}^{(12)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		0		0			0	0			3.55378
$\tilde{A}^{(12)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		1		-	_			_			0.000.
$\bar{A}^{(12)} = \begin{bmatrix} 456178 & 468 & 4868 & 4.86682e + 07 & 4818 & 4.8687e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.6682e + 07 & 4818 & 4.8687e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.6682e + 07 & 4818 & 4.8687e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.6682e + 07 & 4818 & 4.8687e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.6682e + 07 & 4818 & 4.8687e + 06 & 4.68768e + 06 & 4.68768e + 07 & 46881 & 4.6682e + 07 & 4818 & 4.6682e + 07 & 46881 & 4.8687e + 06 & 4.68768e + 07 & 4.6881 & 4.86876e + 08 & 4.86876e + 08 & 4.86876e + 08 & 4.68768e + 07 & 4.6881 & 4.86876e + 08 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 08 & 4.67682e + 07 & 4.6881 & 4.68768e + 0.68768e + 0.$		1		-	_		_	0			
$\bar{A}^{(12)} = \begin{bmatrix} 456178 & 468 & 4868 & 4.86682e + 07 & 4818 & 4.8687r + 06 & 4.6768e + 06 & 4.67682e + 07 & 46881 & 4.6876e + 06 & 4.67682e + 07 & 4.68$		1		-			ű	0	0	0	
$\tilde{A}^{(12)} = \begin{bmatrix} 456178 & 468 & 4868 & 4.86682e + 07 & 4818 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.86877e + 06 & 4.68768e + 07 & 48881 & 4.86876e + 06 & 4.68768e + 07 & 4.6881 & 4.86876e + 07 & 4.68768e + 07 & 4.6881 & 4.86876e + 07 & 4.68768e + 07 & 4.6881 & 4.86876e + 07 & 4.68768e + 07 & 4.6881 & 4.86876e + 07 & 4.68768e + 07 & 4.6881 & 4.86876e + 07 & 4.68768e + 07 & 4.6881 & 4.86876e + 07 & 4.68768e $		1		_			ű	0	0	0	
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$\tilde{A}^{(12)} = \begin{bmatrix} 456178 & 468 & 4868 & 4.86682e + 07 & 4818 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4.6888e & 4.28984 & 127.327 & -6.27599 & -59.5218 & 8412.9 \\ 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.85633 & -6352.35 & -6841.9 \\ 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 5.6888e & 4.28984 & -26465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0.024 & -3901.32 & 12660.9 & 4988.62 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0.0441463.7 & -42631.1 & 327514 & 4.2681.9 & -26465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		1		_				0	V	_	
$\bar{A}^{(12)} = \begin{bmatrix} 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 \\ 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.85633 & -6352.35 & -6841.9 \\ 0 & 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 588.00 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 $		L	O	Ü	O	U	0	O	O .	O	
$\bar{A}^{(12)} = \begin{bmatrix} 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 \\ 0 & 0 & -3718.9 & -8255.65 & 587.596 & -7370.47 & 9.85633 & -6352.35 & -6841.9 \\ 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.1871e + 06 & -226775 & 5 \\ 0 & 0 & 0 & 0 & 0 & 4949.95 & 66973.9 & 6910.32 & 12660.9 & 4988.62 \\ 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 2684.94 & -26465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		Γ456178	468	4868	4.86682e + 07	4818	4.86877e + 06	4.68768e + 06	4.67682e + 07	46881	4.86488
$\tilde{A}^{(12)} = \begin{bmatrix} 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.85633 & -6352.35 & -6841.9 \\ 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 5888.62 \\ 0 & 0 & 0 & 0 & 0 & 4949.95 & 66973.9 & 6910.32 & 12660.9 & 4988.62 \\ 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 2684.94 & -26465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$											
$ \tilde{A}^{(12)} = \begin{bmatrix} 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 5.06973.9 & 6910.32 & 12660.9 & 4988.62 & 0.0$		"									_
$\tilde{A}^{(12)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 4949.95 & 66973.9 & 6910.32 & 12660.9 & 4988.62 \\ 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 2684.94 & -26465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		1	-								5.78518
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$\tilde{A}^{(12)} = \left[\begin{array}{cccccccccccccccccccccccccccccccccccc$		1				_					,
$\tilde{A}^{(13)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 83494.5 & 3 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$	$\tilde{\Lambda}(12)$ _	1		0	_						_
$\tilde{A}^{(13)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$	Α, , –	1		0	_			_			3.55378
$\tilde{A}^{(13)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		1		•	_		ű.	0	_		0.00010
$\tilde{A}^{(13)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		1		•	_	_	0	0	~	0	
$\tilde{A}^{(13)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		1		•	_	_	0	0	0	0	
$\tilde{A}^{(13)} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		1		-	-		0	0	0	0	
$\tilde{A}^{(13)} = \begin{bmatrix} 456178 & 468 & 4868 & 4.86682e + 07 & 4818 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4 \\ 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 \\ 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.85633 & -6352.35 & -6841.9 \\ 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 5 \\ 0 & 0 & 0 & 0 & 0 & 4949.95 & 66973.9 & 6910.32 & 12660.9 & 4988.62 \\ 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 2684.94 & -26465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		1		-	-		•	0	0	0	
$\tilde{A}^{(13)} = \begin{bmatrix} 456178 & 468 & 4868 & 4.86682e + 07 & 4818 & 4.86877e + 06 & 4.68768e + 06 & 4.67682e + 07 & 46881 & 4 \\ 0 & 7.99897 & 4380.99 & -68.6868 & 42.9894 & 127.327 & -6.27599 & -59.5218 & 8412.9 \\ 0 & 0 & -3718.9 & -8255.65 & 587.596 & 7370.47 & 9.85633 & -6352.35 & -6841.9 \\ 0 & 0 & 0 & 5.55329e + 06 & -451583 & -5.46168e + 06 & -48251.8 & 4.18717e + 06 & -226775 & 5 \\ 0 & 0 & 0 & 0 & 0 & 4949.95 & 66973.9 & 6910.32 & 12660.9 & 4988.62 \\ 0 & 0 & 0 & 0 & 0 & 0 & -5003.24 & -3901.4 & 2684.94 & -26465.2 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 41463.7 & -42631.1 & 327514 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -344.945 & -3612.5 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		1		_	_		· ·	0	V	0	
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$\tilde{A}^{(13)} = \left(\begin{array}{cccccccccccccccccccccccccccccccccccc$		Γ456178	468	4868	$4.86682e \pm 07$	4818	$4.86877e \pm 06$	$4.68768e \pm 06$	$4.67682e \pm 07$	46881	4.86488
$\tilde{A}^{(13)} = \left(\begin{array}{cccccccccccccccccccccccccccccccccccc$											
$\tilde{A}^{(13)} = \left(\begin{array}{cccccccccccccccccccccccccccccccccccc$		1									_
$\tilde{A}^{(13)} = \left(\begin{array}{cccccccccccccccccccccccccccccccccccc$		1	-								5 78518
$\tilde{A}^{(13)} = \left(\begin{array}{cccccccccccccccccccccccccccccccccccc$		"	_								-
$\tilde{A}^{(13)} = \left \begin{array}{cccccccccccccccccccccccccccccccccccc$					_						7
$\tilde{A}^{(13)} = \left \begin{array}{cccccccccccccccccccccccccccccccccccc$		1	-	_	ű						,
0 0 0 0 0 0 0 83494.5 3 0 0 0 0 0 0 0 0 0 0 0 </td <td>$\tilde{\Lambda}(13)$ _</td> <td> "</td> <td>-</td> <td>-</td> <td>_</td> <td>_</td> <td></td> <td></td> <td></td> <td></td> <td>_</td>	$\tilde{\Lambda}(13)$ _	"	-	-	_	_					_
0 0	Α, , –	, ·	-	•	-	_	-	_			3.55378
$ \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 &$		*	-	•	-	ŭ.	0	0			J.JJJ10
$ \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0$		*	-	_	-	ŭ.	0	0	_	_	
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	456178	468	4868	4.86682e + 07	4818	4.86877e + 06	4.68768e + 06	4.67682e + 07	46881	4.86488
	0	7.99897	4380.99	-68.6868	42.9894	127.327	-6.27599	-59.5218	8412.9	-2
	0	0	-3718.9	-8255.65	587.596	7370.47	9.85633	-6352.35	-6841.9	_
	0	0	0	5.55329e + 06	-451583	-5.46168e + 06	-48251.8	4.18717e + 06	-226775	5.78518
	0	0	0	0	4949.95	66973.9	6910.32	12660.9	4988.62	_
	0	0	0	0	0	-5003.24	-3901.4	2684.94	-26465.2	7
	0	0	0	0	0	0	41463.7	-42631.1	327514	6
$\tilde{A}^{(14)} =$	0	0	0	0	0	0	0	-344.945	-3612.5	_
	0	0	0	0	0	0	0	0	83494.5	3.55378
	0	0	0	0	0	0	0	0	0	
	0	0	0	0	0	0	0	0	0	
	0	0	0	0	0	0	0	0	0	
	0	0	0	0	0	0	0	0	0	
	0	0	0	0	0	0	0	0	0	
		0	0	0	0	0	0	0	0	
	[456178	468	4868	4.86682e + 07	4818	4.86877e + 06	4.68768e + 06	4.67682e + 07	46881	4.86488
	0	7.99897	4380.99	-68.6868	42.9894	127.327	-6.27599	-59.5218	8412.9	-2
	0	0	-3718.9	-8255.65	587.596	7370.47	9.85633	-6352.35	-6841.9	_
	0	0	0	5.55329e + 06	-451583	-5.46168e + 06	-48251.8	4.18717e + 06	-226775	5.78518
	0	0	0	0	4949.95	66973.9	6910.32	12660.9	4988.62	_
	0	0	0	0	0	-5003.24	-3901.4	2684.94	-26465.2	7
	0	0	0	0	0	0	41463.7	-42631.1	327514	ϵ
$\tilde{A}^{(15)} =$	0	0	0	0	0	0	0	-344.945	-3612.5	_
	0	0	0	0	0	0	0	0	83494.5	3.55378
	0	0	0	0	0	0	0	0	0	
	0	0	0	0	0	0	0	0	0	
	0	0	0	0	0	0	0	0	0	
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	0	0	0	0	0	0	0	0	0	
	1 0	0	0	0	0	0	0	0	0	

Solución encontrada:

										a_10	
11.0677	-1.88733	2.36083	-8.59696	-4.81178	-2.31496	-7.71706	15.8874	-0.775866	-0.0579713	0.00830325	-0.20420