Homework 2

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2.01.

```
library('gtools')

## Warning: package 'gtools' was built under R version 3.2.3

t1 <- c(1, 3, 5, 7)
 t2 <- c(2, 4, 6, 8)

t1 <- c(2, 4, 6, 11)
 t2 <- c(3, 5, 7, 12)
 t = c(t1, t2)

teststat.obs = sum(t1)
teststat.obs

## [1] 23

combo = combinations(8, 4, v = t, set = F, repeats.allowed = F)

W = NULL

for (i in 1:70)
{
    W = c(W, sum(combo[i,]))
}
sum(teststat.obs >= W)/choose(8, 4)
```

2.05

[1] 0.3714286

up with 0.3429 the first time and 0.3714 the second time.

```
# library('gtools')
woodland <- read.table('woodland.txt', header=T)
woodland</pre>
```

Before working out I thought I should get 0.33 or 0.5 for my p-value. After plugging some numbers in I ended

```
##
     obs species
## 1 5.1
## 2 9.4
## 3 7.2
## 4 8.1
               Α
## 5 8.8
## 6 2.5
## 7 4.2
              В
## 8 6.9
               В
               В
## 9 5.5
## 10 5.3
attach(woodland)
ranks = rank(obs)
```

```
attach(woodland)
ranks = rank(obs)

w.obs = sum(ranks[species=="A"])
a.ranks = combinations(10, 5, v = ranks, set = F, repeats.allowed = F)
W = rep(NA, choose(10,5))

for(i in 1:choose(10,5))
{
    W[i] = sum(a.ranks[i,])
}
sum(W > w.obs)/choose(10, 5)
```

[1] 0.01587302

With a p-value of 0.01587302 we can reject the null hypothesis that there is no difference between the two species' nesting heights.

2.12 complete first part, hodges-lehmann wrong (typo?)

```
# From the table in the book the Hodges-Lehmann estimate should be from pairwise
# difference 5 to 25.

carapace <- read.table('carapace.txt', header=T)
carapace</pre>
```

```
##
      obs
          section
## 1
      5 Section_1
## 2
     11 Section_1
## 3
      16 Section_1
## 4
       8 Section_1
## 5
      12 Section_1
      17 Section_2
## 7
      14 Section_2
## 8
      15 Section_2
## 9 21 Section_2
## 10 19 Section_2
## 11 13 Section_2
```

```
attach(carapace)
## The following object is masked from woodland:
##
##
       obs
s1 = c(5, 11, 16, 8, 12)
s2 = c(17, 14, 15, 21, 19, 13)
pwd = NULL
for(i in 1:5)
  for(j in 1:6)
    pwd = c(pwd, (i-j))
  }
}
sort(pwd)
## [1] -5 -4 -4 -3 -3 -3 -2 -2 -2 -2 -1 -1 -1 -1 -1 0 0 0 0 0 1 1 1
## [24] 1 2 2 2 3 3 4
hodges_ci = c(pwd[5], pwd[25])
hodges_ci
## [1] -4 4
m = 5
n = 6
std_err = sqrt(((m-1)*sd(s1)+(n-1)*sd(s2))/(n+m-2))
t = abs(qt(.05, 9, lower.tail = TRUE))
upper = (mean(s1)-mean(s2)) + t*std_err*sqrt((1/m)+(1/n))
lower = (mean(s1)-mean(s2)) - t*std_err*sqrt((1/m)+(1/n))
upper
## [1] -4.005374
lower
```

```
## [1] -8.194626
```

The Hodge-Lehmann confidence interval is (-4, 4). The normal confidence interval is (-8, -4). I cannot figure out why these are not giving me reasonable confidence intervals. I believe if anything it must be a problem with my loop since many of those numbers are negative.

2.19