

## Practical Class 6

### Meta-Programming and Operators

Objectives:

- Using meta-logical predicates
- Declaring and using new operators

#### 1. Higher-Order Predicates

- a) Implement *map(+Pred, +List1, ?List2)*, with identical functionality to that of the *maplist/3* predicate, from the *lists* library. Example:

```
double(X, Y) :- Y is X*2.

| ?- map(double, [2,4,8], L).
L = [4,8,16] ?
yes
```

- b) Implement *fold(+Pred, +StartValue, +List, ?FinalValue)*, with identical functionality to that of the *scanlist/4* predicate from the *lists* library. Example:

```
sum(A, B, S) :- S is A+B.

| ?- fold(sum, 0, [2, 4, 6], F).
F = 12 ?
yes
```

- c) Implement *separate(+List, +Pred, -Yes, -No)*, which receives a list and a predicate, returning in *Yes* and *No* the elements *X* of *List* that make *Pred(X)* true or false, respectively.

```
even(X) :- 0 == X mod 2.

| ?- separate([1,2,3,4,5], even, Y, N).
Y = [2,4],
N = [1,3,5] ?
yes
```

- d) Implement *take\_while(+Pred, +List, -Front, -Back)*, which identical functionality to that of the *group/4* predicate from the lists library. Example:

```
| ?- take_while(even, [2,4,6,7,8,9], F, B).
F = [2,4,6]
B = [7,8,9] ?
yes
```

- e) Implement *ask\_execute/0*, which reads a goal from the terminal and executes it. Example:

```
| ?- ask_execute.
Insert the goal to execute
| : map(double, [2,4,8], L), write(L).
[4,8,16]
yes
```

## 2. Functor, Arg, and Univ

- Implement *my\_functor/3*, with identical functionality to that of the *functor/3* predicate, using the *=..* (univ) operator.
- Implement *my\_arg/3*, with identical functionality to that of the *arg/3* predicate, using the *=..* (univ) operator.
- Implement *univ/2*, with identical functionality to that of *=..*, based on the *arg/3* and *functor/3* predicates.
- Define *univ/2* as an infix operator.

## 3. One Tree, Two Trees, Three Trees

Consider the definition of tree as seen in the lectures.

- Implement *tree\_size(+Tree, -Size)*, which determines the size of *Tree* (i.e., the number of nodes in the tree).
- Implement *tree\_map(+Pred, +Tree, ?NewTree)*, where *Tree* and *NewTree* are trees of the same shape, and *Pred(X, Y)* is true for every *X* in *Tree* and corresponding *Y* in *NewTree*.
- Implement *tree\_value\_at\_level(+Tree, ?Value, ?Level)*, which associates a value in *Tree* with the level of the tree in which that value exists; if only *Value* is specified but it does not exist in *Tree*, *-1* should be returned; if only *Level* is specified but no values exist at that level, the predicate should fail.

## 4. Operator Associativity

Consider the following operators:

```
:op(500, xfx, na).
:op(500, yfx, la).
:op(500, xfy, ra).
```

Draw the parse tree for each of the following expressions.

- |                |                |
|----------------|----------------|
| a) a ra b na c | e) a na b na c |
| b) a la b na c | f) a la b la c |
| c) a na b la c | g) a ra b ra c |
| d) a na b ra c | h) a la b ra c |

## 5. Operators

Consider the following operators:

```
:op(550, xf, class).
:op(560, xfx, of).
:op(570, xfx, on).
:op(560, xfx, at).
:op(550, xfy, :).
```

Draw the parse tree for each of the following expressions.

- t class of pfl on tuesdays at 15.
- tp class of pfl on mondays at 10:30.
- pfl class at 17 on tuesdays of october.

## 6. Creating Operators

Define operators that make the terms below syntactically valid.

- a) flight tp1949 from porto to lisbon at 16:15
- b) if X then Y else Z

Add the necessary code so that terms in the format of line b) are not only syntactically valid but also usable in code. Example:

```
| ?- if (3<4) then write(smaller) else write(greater).
smaller
yes
```

## 7. List operators

Define operators and the necessary relations so that it is possible to write and use terms such as:

- a) Element exists\_in List
- b) append A to B results\_in C
- c) remove Elel from List results\_in Result

## 8. Game of Nim

The game of Nim is played by two players. Initially, there are an arbitrary number of piles, each with an arbitrary number of matches. At each turn, a player takes one or more matches from one of the piles. The player to removes the last matches wins.



Implement *winning\_move(+State, -Move)*, receiving the state (list of integers with the number of matches in each pile), returning a move (matches to remove and the pile from which to remove them), if any, guaranteed to win the game (whatever the opponent's moves in the following turns).