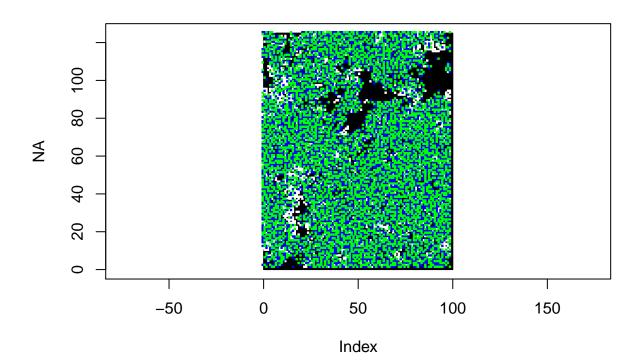
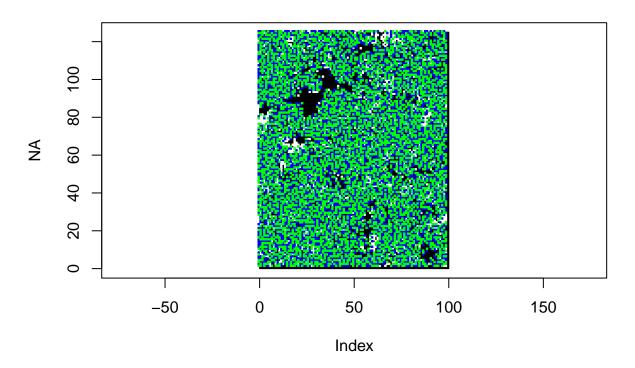
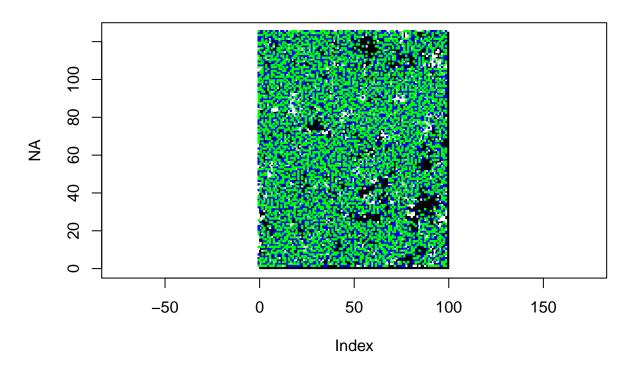
R Notebook

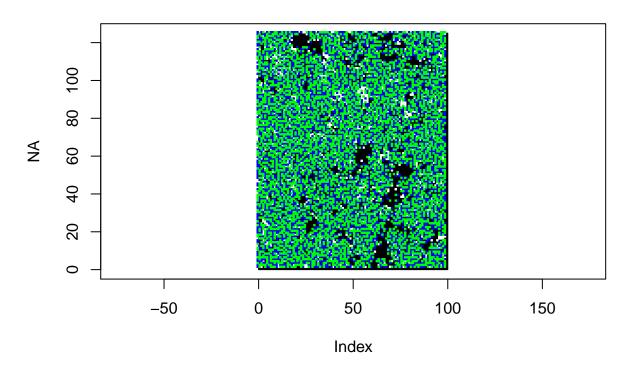
```
froot <- "~/Desktop/paulien/smsp/1705smsp/out3/"</pre>
froot <- "D:/sjh/stringmol/smsp/1705smsp/out3/"</pre>
Let's load the final conf file:
  cf <- read.table(sprintf("%sout1 1500000.conf",froot),as.is = T, fill = T, sep=" ",comment.char="",st
Now we need to find the most numerous spp - let's write a function to do that:
get_pos_plot <- function(cf,t,box=NA){</pre>
  ub <- cf[cf$V1=="GRIDPOS",]</pre>
  ub$V4 <- as.numeric(ub$V4)</pre>
  ub$V3 <- as.numeric(ub$V3)</pre>
  aa <- cf[cf$V3=="grid:",]</pre>
  aa$V4 <- as.numeric(aa$V4)</pre>
  aa$V5 <- as.numeric(aa$V5)</pre>
  ap <- cf[cf$V4=="grid:",]</pre>
  bpy <- cf[(which(cf$V4=="grid:"))+1,]</pre>
  ap <- data.frame(ap,yy=bpy$V1,stringsAsFactors = F)</pre>
  ap$V5 <- as.numeric(ap$V5)</pre>
  ap$yy <- as.numeric(ap$yy)</pre>
  plot(NA, xlim=c(0, 100), ylim=c(0, 125), asp=1, main=sprintf("%d",t))
  rect(xleft = 0,xright = 100,ybottom = 0,ytop = 125,col="black")
  xl <- ub$V4-1
  rect(xleft=x1,xright = ub$V4, ybottom=125-ub$V3,ytop=125-ub$V3+1,col="white",border = "white",lwd=0
  rect(xleft=aa$V5-1,xright=aa$V5,ybottom=125-aa$V4,ytop=125-aa$V4+1,col="blue",border="blue",lwd=0)
  rect(xleft=ap$yy-1,xright=ap$yy,ybottom=125-ap$V5,ytop=125-ap$V5+1,col="green",border="green",lwd=0)
  if(!is.na(box)){
    segments(x0=box[1],y0=box[3],y1=box[4],col="red")
    segments(x0=box[2],y0=box[3],y1=box[4],col="red")
    segments(x0=box[1],x1=box[2],y0=box[3],col="red")
    segments(x0=box[1],x1=box[2],y0=box[4],col="red")
    hits - ub[(ub$V4>box[1] & ub$V4<box[2] & (125-ub$V3) > box[3] & (125-ub$V3) < box[4]),]
    if(nrow(hits)>0){
    # message("Found %d hits\n", nrow(hits))
      #for(hh in 1:nrow(hits)){
        \#message(sprintf("Found ub at %d %d (y,x) order\n",hits$V3,hits$V4))
        rect(xleft=hits$V4-1,xright = hits$V4, ybottom=125-hits$V3,ytop=125-hits$V3+1,col="red",borde
    }
    return(hits)
  }
```

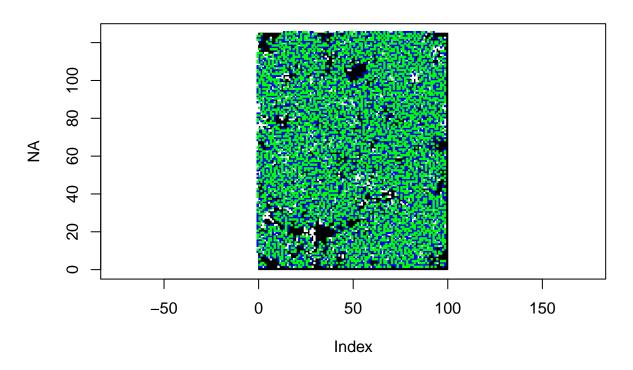
```
for(t in seq(1600000,1700000,20000)){
    cf <- read.table(sprintf("%sout1_%d.conf",froot,t),as.is = T, fill = T, sep=" ",comment.char="",stringet_pos_plot(cf,t)
}</pre>
```

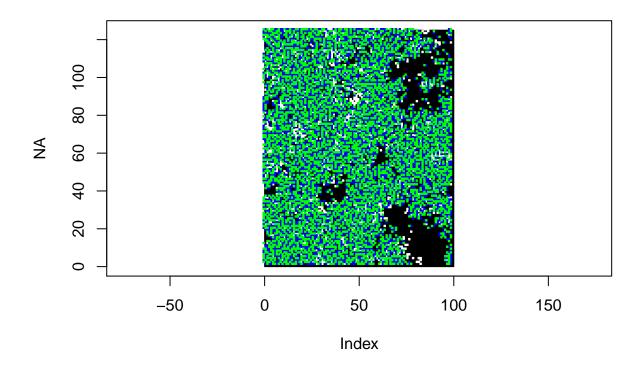








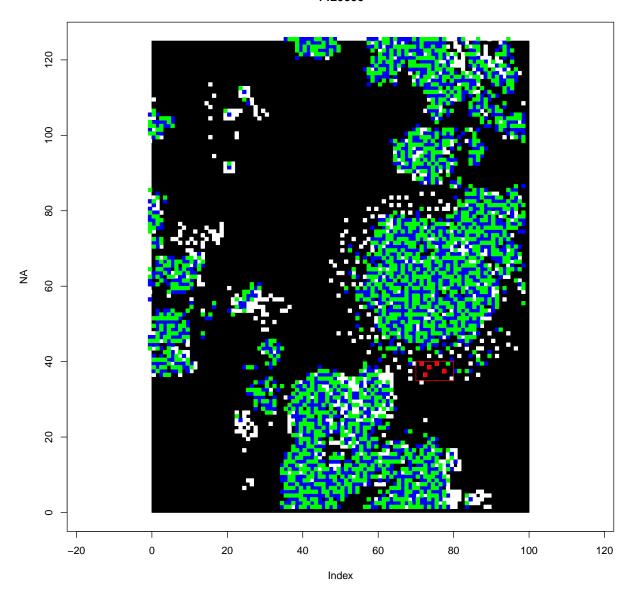




OK, it's looking like t=1540000 has jumpers. We'll extend the gridplot function to isolate a region

```
cf <- read.table(sprintf("%sout1_%d.conf",froot,1420000),as.is = T, fill = T, sep=" ",comment.char=""
hits <- get_pos_plot(cf,1420000,c(70,80,35,40))</pre>
```

Warning in if (!is.na(box)) $\{: \text{ the condition has length} > 1 \text{ and only the}$ ## first element will be used

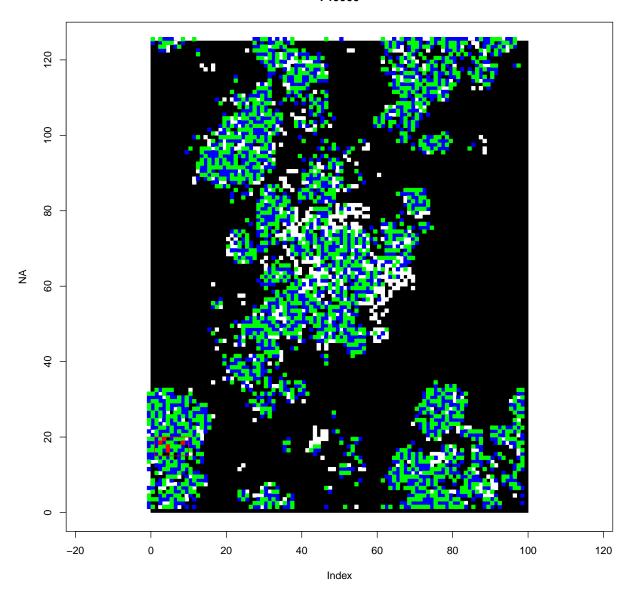


 $=?>CAVBO%}HOB\$ is an example of a 'jumper'

'Standard' RP molcules

```
for comparision, it's worth looking at the R-P moleulces that evolve. Run three has these at t=740,000 cf <- read.table(sprintf("%sout1_%d.conf",froot,740000),as.is = T, fill = T, sep=" ",comment.char="", hits <- get_pos_plot(cf,740000,c(1,10,15,20))
```

Warning in if (!is.na(box)) $\{: \text{ the condition has length } > 1 \text{ and only the } ## first element will be used}$



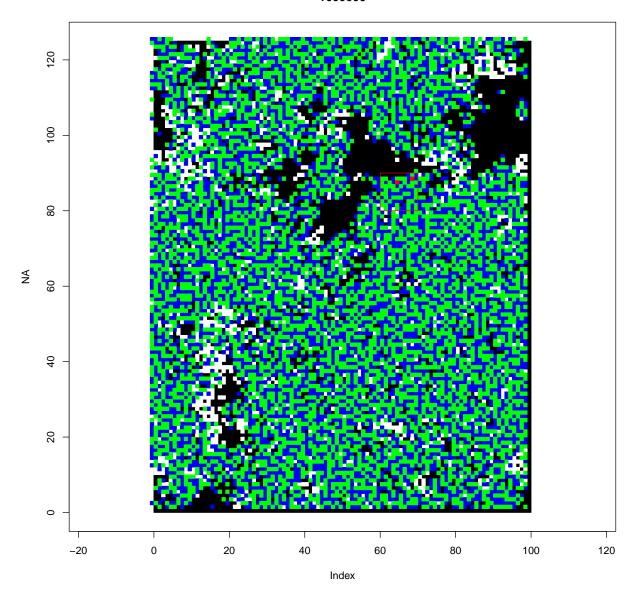
R-R reaction takes 171 steps R-P reaction takes 126 steps

'Flood' molecules

```
These occur at t=1,600,000 in run 3.
```

first element will be used

```
cf <- read.table(sprintf("%sout1_%d.conf",froot,1600000),as.is = T, fill = T, sep=" ",comment.char=""
hits <- get_pos_plot(cf,1600000,c(60,70,80,90))
## Warning in if (!is.na(box)) {: the condition has length > 1 and only the
```



C=?PPC=?NPP^C>B\$=K?P>\$ALUOGGBC\$=P?>F\$BLU%}PYH - 209 t - no product

Diversity wars

*This happens right at the end of the run

Notes from run 1

P=?>G^C>B\$=?>\$A?U0%}PYHHGGP 67,58 P=?>G^C>C\$=?>\$A?U0%}PYHHGGPC>B\$=?V>\$AL=OH}PYH 67,63 (splits itself in half after \$=?>\$) P=?>G^C>B\$=?>\$A?U0%}PYHHPPP 67,72 PYHHPPP 68,69 P=?>G^C>B\$=?>\$A?U0%}PYHHPPP C=?PPC=?QP^C>B\$=?P>\$ALVOHPP P=?>G^C>B\$=?>\$A?U0%}PYHHQPPP P=?>G^C>B\$=?>\$A?U0%}PYHHPPP P=?>G^C>B\$=?>\$A?U0%}PYHHGGP

 $C=?>G^BC\$=P?>\$BLU\%PYH$ and $P=?>G^BC\$=P?>\$BLU\%PYH$ form a hypercycle. Identical apart from 1st character, but this difference allows a bind site to form. This one is really efficient because there's nowhere else for a bind to form

 $\label{eq:ppcb} $$P=?P^C>B$=?V>$ALUOG\\PYHH\ {\rm binds\ to\ C=?PP^C>B$=?V>$ALUOG}PYHH\ {\rm and\ converts\ it\ back\ to\ P=?PP^C>B$=?V>$ALUOG}PYHH\ {\rm binds\ to\ C=?PP^C>B$=?V>$ALUOG}PYHH\ {\rm binds\ to\ C=?PP^C>B$=?V>$ALUOG}PYHH\ {\rm binds\ to\ P=?PP^C>B$=?V>$ALUOG}PYHH\ {\rm binds\ to\ P=?PP^C>B$=?V>$ALUOG}PYHH\ {\rm binds\ to\ P=?PP^C>B$=?V>$ALUOG}PYHH\ {\rm binds\ to\ P=?PP^C>B$=?V>$ALUOG}PYHH\ {\rm binds\ to\ P=?PP^C>B$=?V>$ALUOGPYHH\ {\rm binds\ to\$