# Air Pollution Analysis in Seoul, South Korea

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### **Case Study:**

Analyze and predict the air quality in the Gangnam downtown shopping district for the first of November 2019.

## Libraries

```
import time
import warnings

import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
import plotly.express as px

from sklearn.metrics import mean_absolute_error
from statsmodels.graphics.tsaplots import plot_acf, plot_pacf
from statsmodels.tsa.arima.model import ARIMA

%matplotlib inline
```

```
warnings.filterwarnings("ignore")
```

# **Prepare Dataset**

#### **Import Dataset**

```
In [2]: def wrangle(filepath, resample_rule = "1H"):
            # Read data into DataFrame
            dataset = pd.read_csv(filepath)
            # Subset station in Gangnam
            station_mask = dataset["Station code"] == 123
            # Subset readings to pm2.5
            pm_mask = dataset["Item code"] == 9
            # subset
            dataset = dataset[station_mask & pm_mask]
            # Drop station code, item code, instument status
            dataset = (
                dataset.drop(
                    columns = ["Station code", "Item code", "Instrument status"]
            # Rename Values to PM2.5 readings
            dataset = dataset.rename(columns = {"Average value": "PM2.5 Readings"})
            # Setting the index to the measurement date
            dataset = dataset.set_index("Measurement date")
            # Setting index to datetime
            dataset.index = pd.to_datetime(dataset.index)
            # Converting index to local time in Seoul
```

```
dataset.index = dataset.index.tz_localize("UTC").tz_convert("Asia/Seoul")
            # Remove outliers
            outlier_mask_high = dataset["PM2.5 Readings"] < 500</pre>
            outlier_mask_low = dataset["PM2.5 Readings"] > 0
            dataset = dataset[outlier_mask_high & outlier_mask_low]
            # Resample and forward-fill
            y = dataset["PM2.5 Readings"].resample(resample_rule).mean().fillna(method = "ffill")
            return y
In [3]: y = wrangle("Measurement_info.csv")
In [4]: y.info()
        y.tail(30)
        <class 'pandas.core.series.Series'>
        DatetimeIndex: 26280 entries, 2017-01-01 09:00:00+09:00 to 2020-01-01 08:00:00+09:00
        Freq: H
        Series name: PM2.5 Readings
        Non-Null Count Dtype
        -----
        26280 non-null float64
        dtypes: float64(1)
        memory usage: 410.6 KB
```

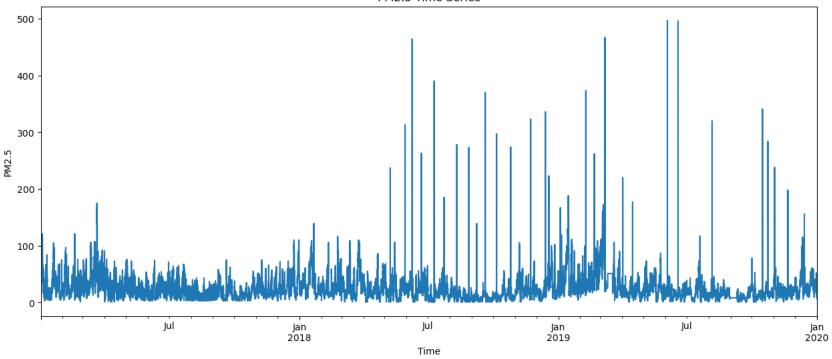
```
Out[4]: Measurement date
        2019-12-31 03:00:00+09:00
                                      31.0
        2019-12-31 04:00:00+09:00
                                      23.0
        2019-12-31 05:00:00+09:00
                                      22.0
        2019-12-31 06:00:00+09:00
                                      16.0
        2019-12-31 07:00:00+09:00
                                      14.0
        2019-12-31 08:00:00+09:00
                                      14.0
        2019-12-31 09:00:00+09:00
                                      20.0
        2019-12-31 10:00:00+09:00
                                      18.0
        2019-12-31 11:00:00+09:00
                                      19.0
        2019-12-31 12:00:00+09:00
                                      23.0
        2019-12-31 13:00:00+09:00
                                      23.0
        2019-12-31 14:00:00+09:00
                                      18.0
        2019-12-31 15:00:00+09:00
                                      14.0
        2019-12-31 16:00:00+09:00
                                      12.0
        2019-12-31 17:00:00+09:00
                                      12.0
        2019-12-31 18:00:00+09:00
                                      10.0
        2019-12-31 19:00:00+09:00
                                       9.0
        2019-12-31 20:00:00+09:00
                                       7.0
        2019-12-31 21:00:00+09:00
                                      11.0
        2019-12-31 22:00:00+09:00
                                      12.0
        2019-12-31 23:00:00+09:00
                                       9.0
        2020-01-01 00:00:00+09:00
                                      13.0
        2020-01-01 01:00:00+09:00
                                      16.0
        2020-01-01 02:00:00+09:00
                                      14.0
        2020-01-01 03:00:00+09:00
                                      15.0
        2020-01-01 04:00:00+09:00
                                      15.0
        2020-01-01 05:00:00+09:00
                                      16.0
        2020-01-01 06:00:00+09:00
                                      14.0
        2020-01-01 07:00:00+09:00
                                      15.0
        2020-01-01 08:00:00+09:00
                                      13.0
        Freq: H, Name: PM2.5 Readings, dtype: float64
```

### **Explore Data**

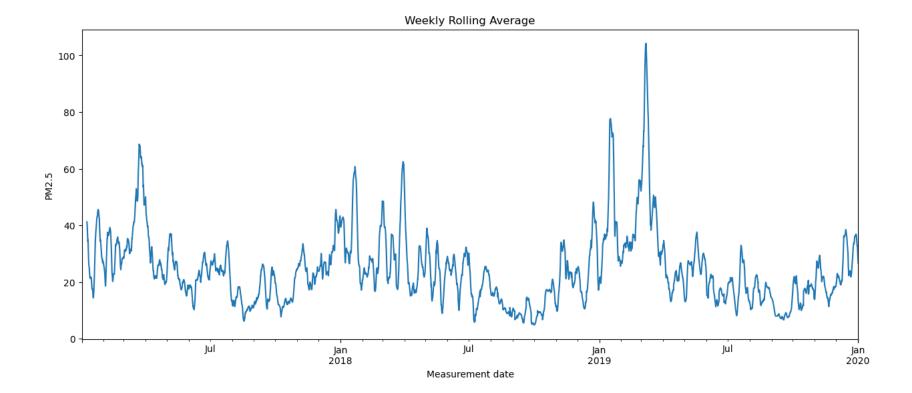
```
Out[5]: count
                 26280.000000
        mean
                    24.465715
        std
                    22.249360
        min
                     1.000000
        25%
                    11.000000
        50%
                    19.000000
        75%
                    31.000000
                   497.000000
        max
        Name: PM2.5 Readings, dtype: float64
```

We removed readings that were above 500 as they were highly likely to be measurement errors. Readings that were below 0 were also removed.





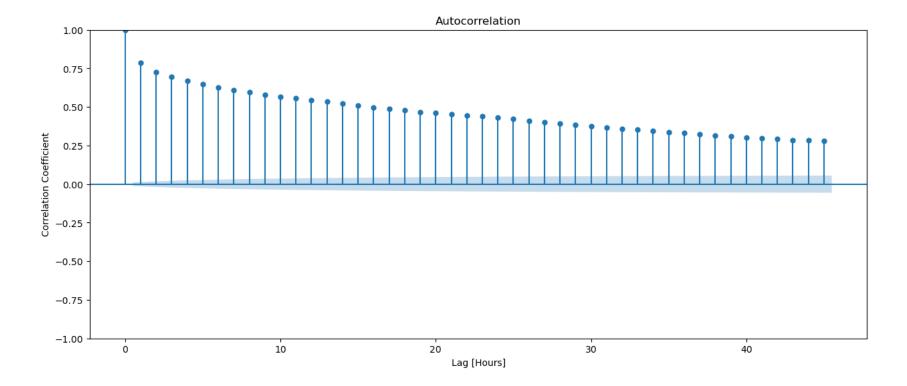
```
In [7]: fig, ax = plt.subplots(figsize = (15, 6))
y.rolling(168).mean().plot(
          ax = ax,
          ylabel ="PM2.5",
          title = "Weekly Rolling Average"
);
```



Using a rolling average smooths out the data and aids in identifying general trends that would be important to model.

Create an ACF Plot for the data in y.

```
In [8]: fig, ax = plt.subplots(figsize = (15, 6))
    plot_acf(y, ax = ax)
    plt.xlabel("Lag [Hours]")
    plt.ylabel("Correlation Coefficient");
```



The ACF plot illustrates how the Correlation Coefficient changes as the time lag increases.

The blue band at the bottom of the graph shows that the measurements within it are statistically insignificant.

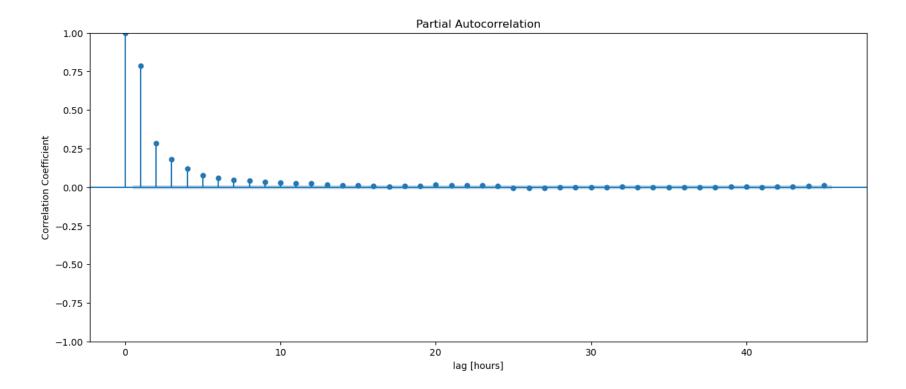
That is because they are very close to a Correlation Coefficient of 0.

We are only interested in measurements that are far above or below the band.

We use the Partial AutoCorrelation Function plot(PACF) to determine how many lag terms we want in our model.

#### Create PACF Plot

```
In [9]: fig, ax = plt.subplots(figsize = (15, 6))
plot_pacf(y, ax = ax)
plt.xlabel("lag [hours]")
plt.ylabel("Correlation Coefficient");
```



Once you pull out the lag at 1 hour, the predictive power drastically drops as time passes.

The predictive power continues to drop until a time lag of 12. Then again at lags 22, and 23 hours.

At lag 26, the correlation coefficent becomes slightly negative until a lag of 45.

Adding more time lags beyond 45 would not benefit our model.

### **Split Data**

**Training Set** 

```
Out[10]: Measurement date
          2019-10-01 00:00:00+09:00
                                       25.0
         2019-10-01 01:00:00+09:00
                                       22.0
         2019-10-01 02:00:00+09:00
                                       39.0
          2019-10-01 03:00:00+09:00
                                       57.0
          2019-10-01 04:00:00+09:00
                                       57.0
                                       . . .
          2019-10-31 19:00:00+09:00
                                       12.0
          2019-10-31 20:00:00+09:00
                                       12.0
          2019-10-31 21:00:00+09:00
                                       16.0
         2019-10-31 22:00:00+09:00
                                       24.0
          2019-10-31 23:00:00+09:00
                                       25.0
         Freq: H, Name: PM2.5 Readings, Length: 744, dtype: float64
          Test set
In [11]: y["2019-11-01":"2019-11-30"]
Out[11]: Measurement date
         2019-11-01 00:00:00+09:00
                                       30.0
         2019-11-01 01:00:00+09:00
                                       37.0
          2019-11-01 02:00:00+09:00
                                       37.0
          2019-11-01 03:00:00+09:00
                                       40.0
          2019-11-01 04:00:00+09:00
                                       40.0
                                       . . .
          2019-11-30 19:00:00+09:00
                                       28.0
          2019-11-30 20:00:00+09:00
                                       24.0
          2019-11-30 21:00:00+09:00
                                       25.0
         2019-11-30 22:00:00+09:00
                                       26.0
          2019-11-30 23:00:00+09:00
                                       26.0
         Freq: H, Name: PM2.5 Readings, Length: 720, dtype: float64
         Create Training Variable and Test Variable
In [12]: y_train = y["2019-10-01":"2019-10-31"]
         y_test = y["2019-11-01"]
In [13]: print(len(y train))
         print(len(y_test))
```

# **Model Building**

#### Baseline

Calculate the baseline Mean Absolute Error

```
In [14]: y_train_mean = y_train.mean()
y_pred_baseline = [y_train_mean]*len(y_train)
mae_baseline = mean_absolute_error(y_train, y_pred_baseline)

print("Mean P2 Reading:", round(y_train_mean, 2))
print("Baseline MAE", round(mae_baseline, 2))

Mean P2 Reading: 15.98
Baseline MAE 8.08
```

#### **Iterate**

#### **Hyper Parameters**

```
In [15]: p_params = range(0, 46, 5)
q_params = range(0, 4, 1)

In [16]: list(p_params)

Out[16]: [0, 5, 10, 15, 20, 25, 30, 35, 40, 45]
```

```
In [17]: list(q_params)
Out[17]: [0, 1, 2, 3]
In [18]: # Create an empty dictionary for MAE values
         mae_grid = {}
         for p in p params:
             # Create new key in dict with empty list
             mae_grid[p] = []
             for q in q_params:
                 order = (p, 0, q)
                 # Start Timing
                 start_time = time.time()
                 model = ARIMA(y_train, order = order).fit()
                 # Calculate the Elapsed Time
                 elapsed time = round(time.time() - start time, 2)
                 print(f"Trained ARIMA model {order} in {elapsed_time} seconds.")
                 # Generate in-sample predictions
                 y pred = model.predict()
                 # Calculate training MAE
                 mae = mean_absolute_error(y_train, y_pred)
                 print(mae)
                 # Add MAE to Dictionary
                 mae_grid[p].append(mae)
```

Trained ARIMA model (0, 0, 0) in 0.16 seconds. 8.081945672169077 Trained ARIMA model (0, 0, 1) in 0.12 seconds. 5.469754371426196 Trained ARIMA model (0, 0, 2) in 0.17 seconds. 4.545075159100064 Trained ARIMA model (0, 0, 3) in 0.27 seconds. 4.4256982832994 Trained ARIMA model (5, 0, 0) in 0.18 seconds. 4.226508439164455 Trained ARIMA model (5, 0, 1) in 0.71 seconds. 4.231962358179267 Trained ARIMA model (5, 0, 2) in 1.33 seconds. 4.175676546497824 Trained ARIMA model (5, 0, 3) in 1.4 seconds. 4.145377676127871 Trained ARIMA model (10, 0, 0) in 0.67 seconds. 4.165848676340261 Trained ARIMA model (10, 0, 1) in 2.52 seconds. 4.186803316668656 Trained ARIMA model (10, 0, 2) in 2.2 seconds. 4.142727910159227 Trained ARIMA model (10, 0, 3) in 1.42 seconds. 4.137354466464098 Trained ARIMA model (15, 0, 0) in 1.15 seconds. 4.1406348006994005 Trained ARIMA model (15, 0, 1) in 1.02 seconds. 4.140808825169648 Trained ARIMA model (15, 0, 2) in 1.23 seconds. 4.141042480804938 Trained ARIMA model (15, 0, 3) in 2.0 seconds. 4.155261991090604 Trained ARIMA model (20, 0, 0) in 1.76 seconds. 4.137845619147744 Trained ARIMA model (20, 0, 1) in 1.58 seconds. 4.139377925758959 Trained ARIMA model (20, 0, 2) in 1.85 seconds. 4.139552909198084 Trained ARIMA model (20, 0, 3) in 1.65 seconds. 4.139419369988037 Trained ARIMA model (25, 0, 0) in 3.1 seconds.

4.1289408575348

```
Trained ARIMA model (25, 0, 1) in 2.38 seconds.
4.12886561602995
Trained ARIMA model (25, 0, 2) in 5.38 seconds.
4.162416165626995
Trained ARIMA model (25, 0, 3) in 2.85 seconds.
4.1295606686006225
Trained ARIMA model (30, 0, 0) in 5.23 seconds.
4.127449487856752
Trained ARIMA model (30, 0, 1) in 3.49 seconds.
4.127925492781879
Trained ARIMA model (30, 0, 2) in 4.27 seconds.
4.127990474157672
Trained ARIMA model (30, 0, 3) in 10.65 seconds.
4.1524915306381
Trained ARIMA model (35, 0, 0) in 7.59 seconds.
4.134496001416412
Trained ARIMA model (35, 0, 1) in 6.46 seconds.
4.135085438395935
Trained ARIMA model (35, 0, 2) in 7.0 seconds.
4.135119956234608
Trained ARIMA model (35, 0, 3) in 21.15 seconds.
4.1604595502463235
Trained ARIMA model (40, 0, 0) in 10.46 seconds.
4.139770108980159
Trained ARIMA model (40, 0, 1) in 7.36 seconds.
4.13874002223658
Trained ARIMA model (40, 0, 2) in 9.66 seconds.
4.138679637108064
Trained ARIMA model (40, 0, 3) in 30.43 seconds.
4.187551368060375
Trained ARIMA model (45, 0, 0) in 16.05 seconds.
4.129178974160771
Trained ARIMA model (45, 0, 1) in 11.87 seconds.
4.128304612996378
Trained ARIMA model (45, 0, 2) in 40.63 seconds.
4.1580243638611
Trained ARIMA model (45, 0, 3) in 40.4 seconds.
4.122860154601666
```

{0: [8.081945672169077, 5.469754371426196, 4.545075159100064, 4.4256982832994], 5: [4.226508439164455, 4.23196235817 9267, 4.175676546497824, 4.145377676127871], 10: [4.165848676340261, 4.186803316668656, 4.142727910159227, 4.1373544 66464098], 15: [4.1406348006994005, 4.140808825169648, 4.141042480804938, 4.155261991090604], 20: [4.13784561914774 4, 4.139377925758959, 4.139552909198084, 4.139419369988037], 25: [4.1289408575348, 4.12886561602995, 4.1624161656269 95, 4.1295606686006225], 30: [4.127449487856752, 4.127925492781879, 4.127990474157672, 4.1524915306381], 35: [4.1344 96001416412, 4.135085438395935, 4.135119956234608, 4.1604595502463235], 40: [4.139770108980159, 4.13874002223658, 4. 138679637108064, 4.187551368060375], 45: [4.129178974160771, 4.128304612996378, 4.1580243638611, 4.122860154601666]}

```
In [20]: def gold_min(xs):
    m = xs.to_numpy().min()
    color = {True: "background-color: #c78f2e", False: ""}
    is_min = (xs == m).replace(color)
    return is_min

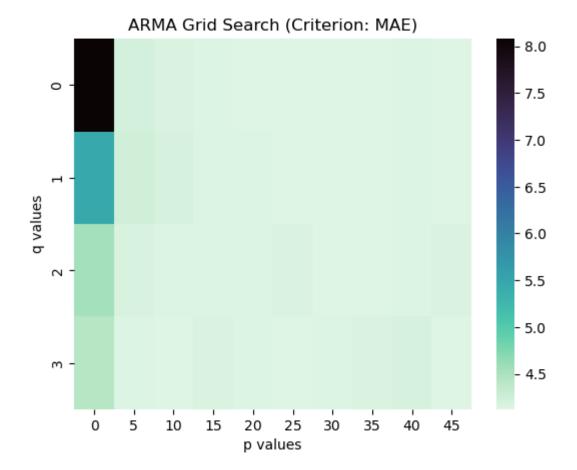
mae_df = pd.DataFrame(mae_grid)
    mae_df.round(4).style.apply(gold_min, axis = None)
Out[20]: 0 5 10 15 20 25 30 35 40 45
```

[20]:		0	5	10	15	20	25	30	35	40	45
	0	8.081900	4.226500	4.165800	4.140600	4.137800	4.128900	4.127400	4.134500	4.139800	4.129200
	1	5.469800	4.232000	4.186800	4.140800	4.139400	4.128900	4.127900	4.135100	4.138700	4.128300
	2	4.545100	4.175700	4.142700	4.141000	4.139600	4.162400	4.128000	4.135100	4.138700	4.158000
	3	4.425700	4.145400	4.137400	4.155300	4.139400	4.129600	4.152500	4.160500	4.187600	4.122900

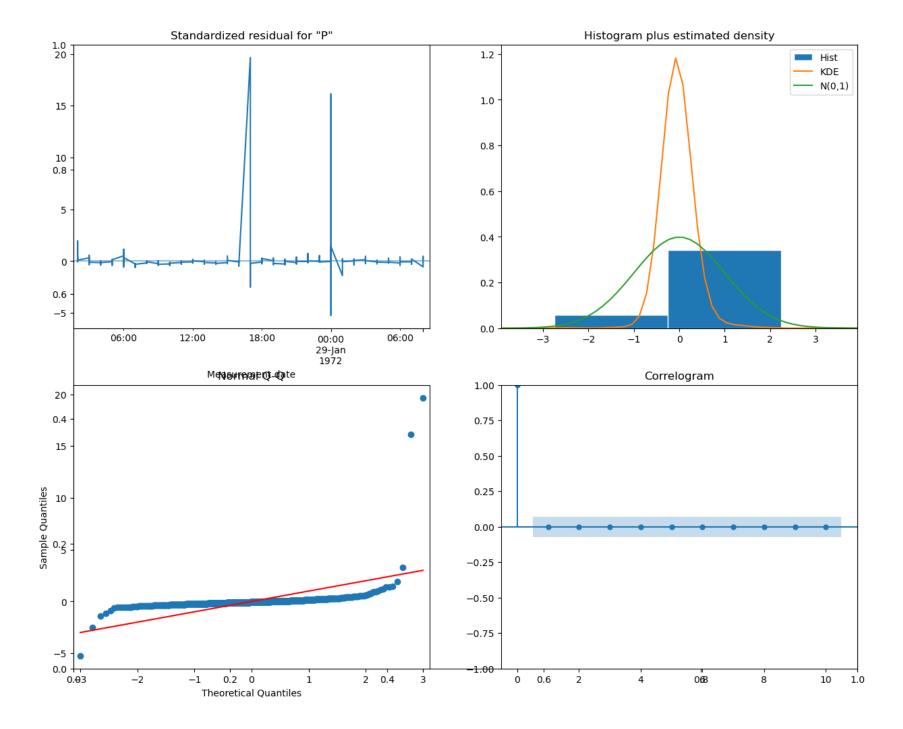
The optimal the values for p and q are the parameters that best balance model performance with computational time.

In this case, where p = 30 and q = 1.

It is important to note that the parameters that produce the best model performance are when p = 30 and q = 0.



```
In [22]: fig, ax = plt.subplots(figsize = (15, 12))
model.plot_diagnostics(fig = fig);
```



#### **Evaluate**

#### **Walk-Forward Validation**

```
In [23]: y_pred_wfv = pd.Series().astype(str)
history = y_train.copy()
for i in range(len(y_test)):
    model = ARIMA(history, order = (30, 0, 1)).fit()
    next_pred = model.forecast()
    y_pred_wfv = pd.concat([y_pred_wfv, next_pred])
    history = pd.concat([history, y_test[next_pred.index]])
In [24]: test_mae = mean_absolute_error(y_test, y_pred_wfv)
print("Test Mae (Walk-Forward Validation):", round(test_mae, 2))
Test Mae (Walk-Forward Validation): 8.76
```

### Communicate

```
In [25]: df_predictions = pd.DataFrame({"y_test" : y_test, "y_pred_wfv": y_pred_wfv})
fig = px.line(df_predictions, labels = {"value": "PM2.5"})
fig.show()
```

The Baseline Mae was 8.08.

The mae from the Test Data with walk-forward validation was at 8.76.

November 1st experienced significantly higher air pollution than what was represented in the training data from the month of October.

Thus, the model underestimated the pollution increase.