

Insurance Cases

May 26, 2020

0.1 INSURANCE CASE CANADA

A car insurance company has information about renewal rates for 20,000 customers. They want to know about the **key drivers** that influence a customer's decision. This information will help them determine the changes, if any, this firm needs to make in order to achieve its targets.

First Let's import all required packages.

```
[15]: import pandas as pd
import itertools
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from matplotlib.ticker import NullFormatter
import matplotlib.ticker as ticker
from sklearn import preprocessing
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LogisticRegression
from sklearn.metrics import jaccard_score
from sklearn import metrics
```

Data Inputing and Cleaning.

Let's now load the dataset to see the information we are going to be working with.

```
[16]: df= pd.read_csv("Insurance case_Canada (2).csv")
# Some rows were removed from the original dataset which had #Value!
# written in some columns instead of value.

df.drop('Grouped Change in Price', axis=1, inplace=True)
# this column was not needed

lst = df['% Change in Price vs last Year'].tolist()
df.drop('% Change in Price vs last Year', axis=1, inplace=True)

# This column will be modified and added again in future.
new_lst = []
for item in lst:
    new_lst.append(item.strip("%"))
new_lst1 = [float(i)/100 for i in new_lst]
```

```
df.head()
```

```
[16]:
```

	Marital Status	AGE	Gender	Car Value	Years of No Claims Bonus	\
0	M	45	F	500	4	
1	M	40	M	3000	8	
2	S	25	F	4000	4	
3	M	42	M	1800	9	
4	M	59	M	5000	9	

	Annual Mileage	Payment Method	Acquisition Channel	\
0	6000	Monthly	Inbound	
1	6000	Monthly	Inbound	
2	4000	Monthly	Inbound	
3	10000	Annual	Inbound	
4	3000	Annual	Inbound	

	Years of Tenure with Current Provider	Price	\
0	4	289.4	
1	4	170.4	
2	4	466.1	
3	4	245.1	
4	4	240.5	

	Actual Change in Price vs last Year	Renewed?
0	-11.94	0
1	45.62	1
2	-123.15	1
3	2.34	1
4	42.56	0

It seems there are a number of independent variables that are categorical in nature. For successful interpretation, these variables need to be given a numerical value. We shall use **Dummy coding** to modify our data frame.

```
[17]: # DataFrame consisting of dummy variables of categorical variables
Dummy_Marital_sex = pd.get_dummies(df['Marital Status'])
Dummy_Gender = pd.get_dummies(df['Gender'])
Dummy_Acquisition_Channel = pd.get_dummies(df['Acquisition Channel'])
Dummy_Payment_Method = pd.get_dummies(df['Payment Method'])

# Creating a dataframe of only numeric values.
df1 = df[['Car Value', 'AGE', 'Years of No Claims Bonus', 'Annual Mileage', \
        'Years of Tenure with Current Provider', 'Price', 'Actual Change in_\
        ↪Price vs last Year', 'Renewed?']]

#Creating a DataFrame out of modified % Change in Price vs last Year.
dat1 = pd.DataFrame({'% Change in Price vs last Year': new_lst1})
```

```
#merging all dataframes together.
df1=df1.join(dat1)
df1=df1.join(Dummy_Marital_sex)
df1=df1.join(Dummy_Gender, rsuffix = "_")
df1=df1.join(Dummy_Acquisition_Channel)
df1=df1.join(Dummy_Payment_Method)
df1.head()
```

```
[17]:
```

	Car Value	AGE	Years of No Claims Bonus	Annual Mileage	\
0	500	45	4	6000	
1	3000	40	8	6000	
2	4000	25	4	4000	
3	1800	42	9	10000	
4	5000	59	9	3000	

	Years of Tenure with Current Provider	Price	\
0	4	289.4	
1	4	170.4	
2	4	466.1	
3	4	245.1	
4	4	240.5	

	Actual Change in Price vs last Year	Renewed?	\
0	-11.94	0	
1	45.62	1	
2	-123.15	1	
3	2.34	1	
4	42.56	0	

	% Change in Price vs last Year	D	...	W	C	F	M	Aggreg	Direct	\
0	-0.0396	0	...	0	0	1	0	0	0	
1	0.3700	0	...	0	0	0	1	0	0	
2	-0.2100	0	...	0	0	1	0	0	0	
3	0.0100	0	...	0	0	0	1	0	0	
4	0.2200	0	...	0	0	0	1	0	0	

	Inbound	Outbound	Annual	Monthly
0	1	0	0	1
1	1	0	0	1
2	1	0	0	1
3	1	0	1	0
4	1	0	1	0

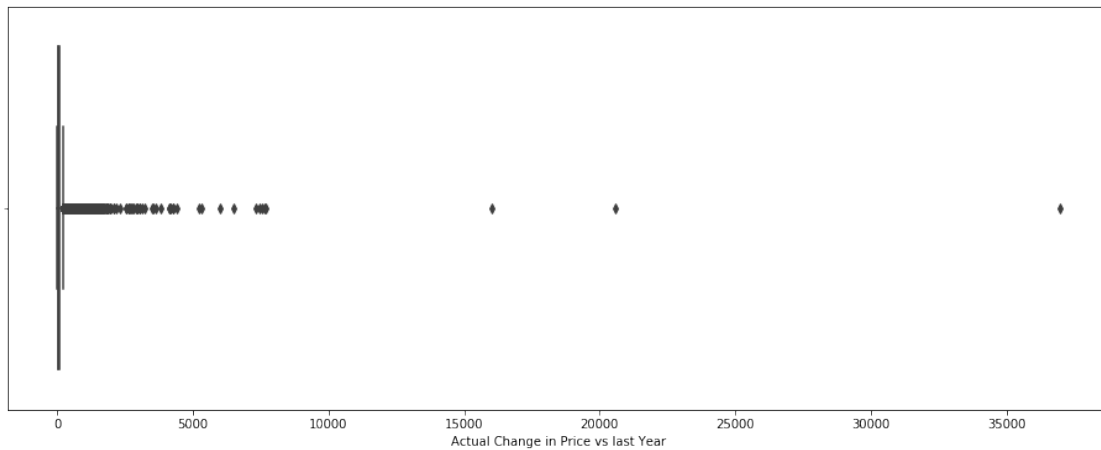

```
[5 rows x 23 columns]
```

Here each categorical variable is divided into multiple columns. For a single case, dummy variable

of value 1 would decide its nature. For example, a male will have value of 1 in “M_” and 0 in “F”. Next we must deal with outliers of our non-categorical variables.

```
[18]: plt.figure(figsize=(16, 6))
sns.boxplot(x=abs(df1['Actual Change in Price vs last Year']))
#abs(df1['Actual Change in Price vs last Year']).describe()
```

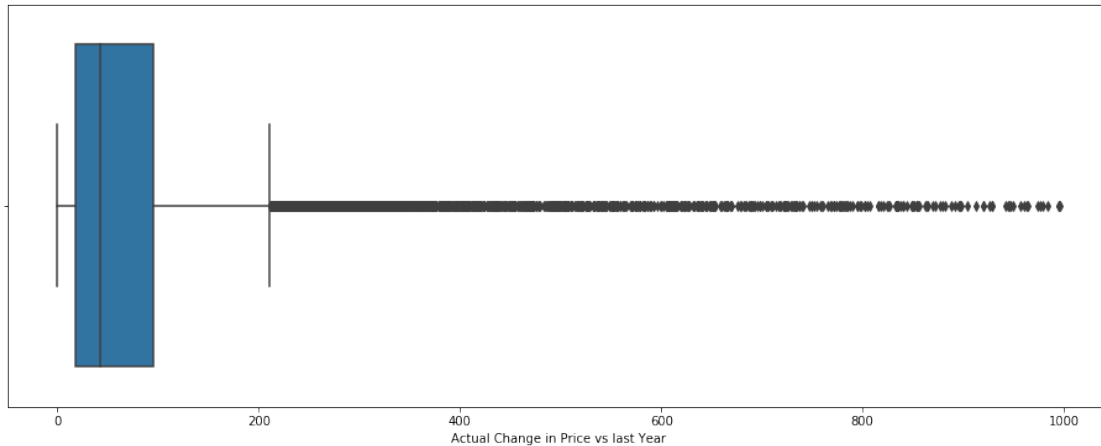
```
[18]: <matplotlib.axes._subplots.AxesSubplot at 0x2390957a4c8>
```



a box-plot of absolute values of “Actual Change in Price vs last Year” show extreme values. To make our analysis better, we shall remove all values where absolute change in price is greater than 1000.

```
[19]: indexNames = df1[abs(df1['Actual Change in Price vs last Year']) - 1000 >= 0].
      ↪index
      #indexNames are index values of change in prices that are extreme.
      df1.drop(indexNames , inplace=True)
      plt.figure(figsize=(16, 6))
      sns.boxplot(x=abs(df1['Actual Change in Price vs last Year']))
```

```
[19]: <matplotlib.axes._subplots.AxesSubplot at 0x2390981bc08>
```



```
[20]: len(indexNames)
```

```
[20]: 158
```

0.2 Logistic Regression

Let's prepare our data for regression:

```
[21]: Y = np.asarray(df1['Renewed?'])
X = np.asarray(df1[['AGE', 'Years of No Claims Bonus',
'Years of Tenure with Current Provider', 'Price',
'Actual Change in Price vs last Year',
'D', 'M', 'S', 'V', 'W', 'C', 'F',
'M_', 'Aggreg', 'Direct', 'Inbound', 'Outbound', 'Annual', 'Monthly']])
X[0]
```

```
[21]: array([ 45. ,  4. ,  4. , 289.4 , -11.94,  0. ,  1. ,  0. ,
         0. ,  0. ,  0. ,  1. ,  0. ,  0. ,  0. ,  1. ,
         0. ,  0. ,  1. ])
```

Also, we normalize the dataset:

```
[22]: #X = X.reshape(-1, 1)
X = preprocessing.StandardScaler().fit(X).transform(X)
X[0]
```

```
[22]: array([ 0.01725857, -0.61295142,  1.78158182, -0.5321192 , -0.21245569,
        -0.29197699,  0.92519258, -0.74302803, -0.06556351, -0.15226661,
        -0.03175083,  1.09932647, -1.09709498, -0.02458913, -0.49426536,
         0.49544808, -0.01229178, -0.61601981,  0.61601981])
```

0.3 Train/Test dataset

Okay, we split our dataset into train and test set:

```
[23]: X_train, X_test, Y_train, Y_test = train_test_split( X, Y, test_size=0.2,
↳ random_state=4)
print ('Train set:', X_train.shape,  Y_train.shape)
print ('Test set:', X_test.shape,  Y_test.shape)
```

Train set: (15887, 19) (15887,)

Test set: (3972, 19) (3972,)

0.4 Modeling

```
[24]: LR = LogisticRegression(C=0.01, solver='sag').fit(X_train,Y_train)
LR
```

```
[24]: LogisticRegression(C=0.01, class_weight=None, dual=False, fit_intercept=True,
intercept_scaling=1, l1_ratio=None, max_iter=100,
multi_class='warn', n_jobs=None, penalty='l2',
random_state=None, solver='sag', tol=0.0001, verbose=0,
warm_start=False)
```

Now we can predict using our test set:

```
[26]: Yhat = LR.predict(X_test)
Yhat
```

```
[26]: array([1, 1, 1, ..., 1, 1, 1], dtype=int64)
```

0.5 Evaluation

Lets try **jaccard index** for accuracy evaluation. If the entire set of predicted labels for a sample strictly match with the true set of labels, then the subset accuracy is 1.0; otherwise it is 0.0.

```
[27]: jaccard_score(Y_test, Yhat)
```

```
[27]: 0.6414027149321267
```

A Decent model!

Lets look at the values we have for our parameters

```
[45]: LR.coef_
```

```
[45]: array([[ 0.12109103, -0.02027361,  0.08695921, -0.32529685, -0.19440863,
-0.03480768,  0.00549758,  0.01517186, -0.0134226 ,  0.00159445,
 0.02666001, -0.00548885,  0.00378929,  0.00944119, -0.00833798,
 0.00917712, -0.04643059, -0.22567012,  0.22567012]])
```

```
[46]: score = LR.score(X_test, Y_test)
      print(score)
```

```
0.6807653575025177
```

```
[47]: LR.intercept_
```

```
[47]: array([0.51497551])
```

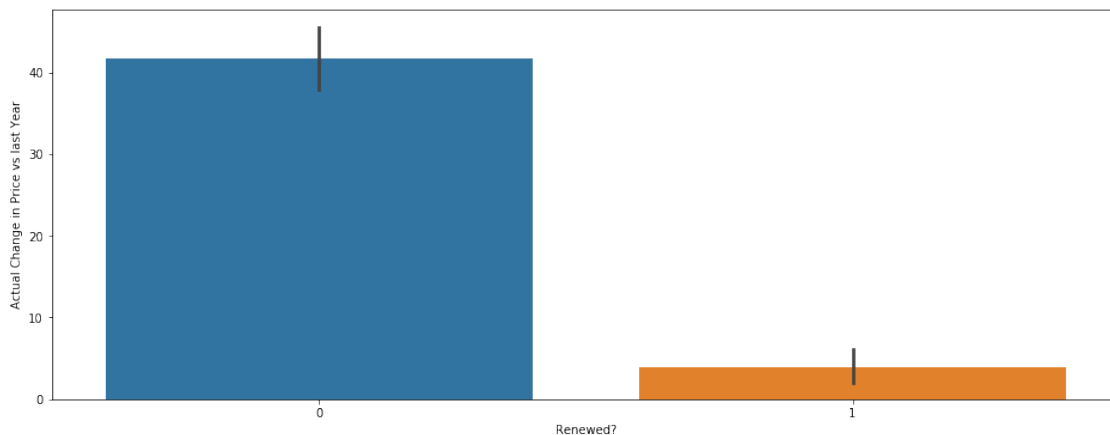
What affects a customer's propensity to renew?

By looking at the values of parameters, we can see the categorical variable **Payment Method**, numerical variables **Actual change in prices** and **Age** to be the most important factors. As expected, Actual change in prices is negatively related to our dependent variable with a value of **-0.19439748**, While age seems to have a positive relation with the value of **0.12108259**. Payment method indicates a customer is most likely to renew his insurance if he has a monthly payment system.

How does change in price affect renewal rates?

```
[48]: plt.figure(figsize=(16, 6))
      sns.barplot(x=df1['Renewed?'], y=df1['Actual Change in Price vs last Year'])
```

```
[48]: <matplotlib.axes._subplots.AxesSubplot at 0x7fab7074c668>
```



Bar chart above shows relation between change in prices and renewal rates. It seems customers not renewing their policy is **highly associated** with the change in price and those who have renewed their policy have enjoyed a relatively small change in price.

What are the key drivers of a customer's price elasticity?

elasticity of price means degree of responsiveness in Quantity demanded (renewal rate) due to change in price. There are several factors that influence this figure. In North America, anyone who owns a car needs to purchase insurance, it is a **necessity**, indicating elasticity < 1 , meaning degree of response is less than change in price.

Other key driver are the number of **substitutes**. If a lot of substitutes are available, an increase in price will prompt them to look for alternatives, indicating elasticity > 1 .

One other could be the **proportion of total expenditure premium payments** make. Usually, a young person will have a high premium and thus will be relatively inelastic compared to an elderly.

```
[49]: Total_obs=df1['Renewed?'].count()
      renew= df1['Renewed?'].sum()
      renew_rate = (renew/Total_obs)*100
      print(renew_rate)
      # proportion of customers that renewed.
```

```
62.344528928949096
```

0.6 Conclusion

Advice for the company will depend on price elasticity of renewals. Since we do not have information regarding renewal rate of last year, it is hard to get that value.

if elasticity > 1 , on average, **reducing the price** of premiums will generate more than proportionate change in renewal rate, Total revenue will increase as revenue gained through higher renewal rate is greater than loss of revenue due to increase in price.

if elasticity < 1 , on average, **increasing the price** of premiums will generate less than proportionate change in renewal rate, Total revenue will increase as revenue gained through higher price is greater than loss of revenue due to lower renewal rate.

if elasticity $= 1$, on average, **reducing or increasing the price** of premiums price will not affect total revenue by a significant amount as change in price is bringing same proportionate change in renewal rate.