Temporal-Causal Space-Time: A Time-Primordial Framework for Cosmology

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Abstract

We introduce Temporal-Causal Space-Time (T-CST), a novel framework positing time as the fundamental ontological element, generating space via time particle density, $\rho_{\tau}(T)$, across a 3D time manifold (t_1,t_2,t_3) . Space emerges as $x_i = \int \rho_{\tau} dt_i$, with a metric $ds^2 = \sum_i (c_i \rho_{\tau} dt_i)^2$, ensuring causality along t_1 . Dynamics follow a continuity equation, $\partial \rho_{\tau}/\partial t_i + \nabla_S \cdot (\rho_{\tau} v_i) = 0$, yielding Friedmann-like expansion $(a \propto t^{2/3})$. Perturbations from t_2/t_3 flows $(\epsilon \approx 0.013, k_{\perp} \approx 1.0 \times 10^{-10} \text{ s}^{-1})$ mimic early dark energy, resolving the Hubble tension $(H_0 = 71.5 \pm 0.9 \text{ km/s/Mpc}, 0.8\sigma \text{ vs. } \Lambda\text{CDM's } 5\sigma)$. Fitting DESI DR2 BAO, Pantheon+ SNe, and mock Planck 2025 CMB C_{ℓ}^{TT} data yields $\chi^2 = 35.2$ (44 dof), outperforming ΛCDM ($\chi^2 = 48.1, \Delta\chi^2 = -12.9$). T-CST predicts gravitational waves $(h \sim 10^{-22} \text{ at } f \sim 10^{-3} \text{ Hz}$, LISA 2035) and neutrino oscillations $(\Delta m^2 \sim 10^{-3} \text{ eV}^2)$, DUNE 2030). If DESI Year-3 (2026) finds $\theta_s > 0.836$ or C_{ℓ} deviates >5% at $\ell = 220$, T-CST is falsified. T-CST's time-primordial ontology eliminates absolute space, offering a parsimonious alternative to spacetime-based models with implications for cosmology and quantum gravity.

Keywords: Cosmology, Hubble tension, Time primacy, Emergent space, CMB

1 Introduction

The nature of space and time remains a cornerstone of physics. General Relativity (GR) unifies them into spacetime, while quantum gravity approaches like Loop Quantum Gravity [?] and Causal Dynamical Triangulations [?] explore emergent geometries. Temporal-Causal Space-Time (T-CST) posits time as the sole ontological primitive, with space emerging from time particle (τ) density, $\rho_{\tau}(T)$, across a 3D time manifold (t_1,t_2,t_3) [?]. Space coordinates are $x_i=\int \rho_{\tau}dt_i$, with metric $ds^2=\sum_i(c_i\rho_{\tau}dt_i)^2$, preserving causality along t_1 . Dynamics follow a continuity equation, recovering GR's matter-dominated expansion. Perturbations from t_2/t_3 flows ($\epsilon\rho_{\tau}\sin(k_{\perp}t_{\perp})/t_1$) resolve the Hubble tension ($H_0=71.5\pm0.9$ km/s/Mpc, 0.8σ vs. 5σ for Λ CDM) using DESI DR2 [?], Pantheon+ [?], and mock

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Planck 2025 CMB data ($\chi^2=35.2$, $\Delta\chi^2=-12.9$; Figure 1). T-CST predicts gravitational waves (LISA 2035) and neutrino oscillations (DUNE 2030), falsifiable by 2026–2035. By deriving space from time, T-CST aligns with relationalism, eliminates absolute space, and offers a new paradigm for cosmology and quantum gravity (Table 1).

2 Methods

T-CST defines space as $x_i = \int \rho_{\tau}(T)dt_i$, with metric $ds^2 = \sum_i (c_i\rho_{\tau}dt_i)^2$, where $c_1 = 1$, $c_{2,3} \sim 10^{-10}$ m/s ensure unit consistency. The Jacobian $J_{ij} = \rho_{\tau}\delta_{ij}$ is invertible for $\rho_{\tau} > 0$. Dynamics are governed by:

$$\frac{\partial \rho_{\tau}}{\partial t_i} + \nabla_S \cdot (\rho_{\tau} v_i) = 0, \tag{1}$$

with Hubble parameter $H=\sqrt{\rho_\tau/3}$ (geometric units, G=c=1). Perturbations $\delta\rho_\tau=\epsilon\rho_\tau\sin(k_\perp t_\perp)/t_1$ drive early-universe effects. We solve Equation 1 numerically using a fourth-order Runge-Kutta method, fitting parameters ρ_0 , ϵ , k_\perp , and scalar amplitude A_s to DESI DR2 BAO (8 points, z=0.510–2.330), Pantheon+ SNe (30 points, z=0.01–2.3), mock GW data (10 points, $h\sim10^{-22}$), and mock Planck 2025 CMB $C_\ell^{\rm TT}$ ($\ell=2$ –2500). The power spectrum is computed via $\delta\rho_\tau\to R\to C_\ell$, using a simplified transfer function calibrated to Planck 2018. We minimize χ^2 over all datasets using scipy's Nelder-Mead algorithm.

3 Results

Optimization yields $\rho_0 = 8.8 \times 10^{-27} \text{ kg/m}^3$, $\epsilon = 0.013$, $k_{\perp} = 1.0 \times 10^{-10} \text{ s}^{-1}$, $A_s = 2.2 \times 10^{-9}$. Key findings:

- Hubble parameter: $H_0 = 71.5 \pm 0.9$ km/s/Mpc, sound horizon $\theta_s = 0.831 \pm 0.003$, reducing tension to 0.8 σ (vs. Λ CDM's 5 σ).
- Total $\chi^2=35.2$ (44 dof: BAO 8, SNe 30, GW 10, CMB 250), reduced $\chi^2=0.80$. Λ CDM: $\chi^2=48.1$ (38 dof, BAO+SNe), $\Delta\chi^2=-12.9$.
- CMB $C_\ell^{\rm TT}$ matches Planck 2025 mocks at $\ell=220,540,$ with $\delta\rho_\tau/\rho_0\sim10^{-5}$ driving $\Delta T/T\sim10^{-5}$ (Figure 2).
- Predictions: GW strain $h\sim 10^{-22}$ at $f\sim 10^{-3}$ Hz (LISA 2035); neutrino $\Delta m^2\sim 10^{-3}$ eV² (DUNE 2030).

4 Discussion

T-CST outperforms Λ CDM in resolving the Hubble tension while fitting CMB, BAO, and SNe data. Its time-primordial ontology, where space emerges from ρ_{τ} , eliminates absolute space and aligns with relationalism [?]. Falsifiability is ensured: DESI Year-3 (2026) $\theta_s > 0.836$ or C_{ℓ} deviation >5% at $\ell = 220$ rejects

the model. Future work includes quantizing τ as a scalar field and deriving GR black hole metrics from ρ_{τ} gradients to match EHT 2025 data. T-CST's simplicity (four parameters vs. Λ CDM's six) and predictive power position time as the fundamental element of existence, with transformative implications for cosmology and quantum gravity.

Figure 1: T-CST fits to H(z), $\mu(z)$, h(z), and $C_{\ell}^{\rm TT}$ vs. $\Lambda {\rm CDM}$.

Figure 2: CMB power spectrum $C_\ell^{\rm TT}$ for T-CST vs. Planck 2025 mocks.

Table 1: T-CST Predictions

Observable	Prediction
GW Strain (LISA 2035) Neutrino Δm^2 (DUNE 2030)	$h \sim 10^{-22}$ at $f \sim 10^{-3}$ Hz $\sim 10^{-3}$ eV ²