

# Control and Datatypes using the View Formalism (Long Version)

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**Abstract.** We herein deal with mixed specification formalisms, *i.e.* formalisms with both a static (data types) and a dynamic (behaviour) part. Our formalism is based on *symbolic transition systems* (STS) [9], that allow one to specify systems at an abstract level and to avoid state explosion. STS are a kind of guarded finite state/transition diagrams where states and transitions are labelled with open terms.

Both dynamic and static parts of objects are specified, in a unifying approach, as formal structures that we call *views*. These components interpretation structures use STS, and we show how these may be derived from their view structures.

The system is structured by means of collections of objects (with identities). A temporal logic is used to glue the components altogether and expresses a generalized form of synchronous product [1]. We then show how a view structure and its interpretation structure may be obtained. The formalism is explained using a simplified phone service example.

**Keywords:** mixed specifications, method, formalism, symbolic transition systems, object-orientation.

## 1 Introduction: on Formalism Requirements

We herein deal with mixed specification formalisms, *i.e.* formalisms with a part for both the static (data types) and the dynamic (behaviour) parts of the systems such as LOTOS [11], SDL [7], Estelle [10], UML [22], Raise [23] or extension of non mixed formalisms as ObjectZ/CSP [21]. One of the aims of this work is to provide an integration of both static and dynamic parts of the specification which is achieved through a formal structure that we call *views*. Another aim is to allow for the structuring of specifications. One of the interesting points in this work being to provide a framework for the combination of both static-dynamic integration and structuring. Moreover, we agree with [19] who think object-oriented concepts (reuse, encapsulation, inheritance for example) are as

important for specification as they are for programming. Therefore, our work takes into account three main concerns: Concurrency (control, communication, behaviour), Data types and Object-orientation.

Defining or choosing a new specification formalism [3], one should care to keep a good balance between three axis : Readability - or user-friendliness, Expressiveness and Abstraction. It is possible to define planes by combining two axis such as the Power (expressiveness and abstraction) and the Notation (readability and abstraction) planes.

We call “power” a good adequation between abstraction and expressiveness levels that deals with the ability to do proofs and generate code for the specifications. To end, let us agree with [2] that formalisms and methods should be closely related.

Our formalism (and the corresponding specification language called KORRIGAN) is intended to be used at a design level (between the end of the requirement analysis, that may be done in UML for example, and the code generation). A method associated to our formalism has been defined in [16] and subsequently used to generate LOTOS and SDL specifications. In [17] we explained how to generate object-oriented code from our specifications, while in this paper we shall deal with the formal aspects of our specification method.

In this paper, we present the different view structures that compose our model. The use of STS is of great interest as it enables one to define components in a very abstract and readable way. Therefore, we give the mappings between the two different structures (using or not STS) possible for our views. Then, we define inheritance for basic views (modelling static and dynamic aspects). We also define how a view structure may be retrieved for the composition of several components views. This retrieval is based (i) on the retrieval of the algebraic part of view structures, and (ii) the computation of a global STS for the composition. We illustrate our view model on a phone service example.

## 2 Case Study

Our formalism is explained using a simplified phone service example. The specification will be sketched in the following Section. The full specification may be found in Appendix A.

The EasyPhone society wants to develop a computerised phone service on a distributed system. This phone service should enable the clients communication through a central server. The requirements are the following.

### 2.1 The clients

A client or **USER** is identified by a 10 digits personal number. A client may have two possible statutes: (s)he may be a simple client or a subscriber.

When a communication takes place, the *caller* is the one who requested the communication, and the *party called* is the one who is called. A *potential called party* is a client who may be communicating with a calling subscriber.

The client activities list depends on whether (s)he is a ordinary client or a subscriber.

**The ordinary client.**

1. (S)he may ask the server to become a subscriber only when not involved in a communication.
2. (S)he may be called by the server when a calling subscriber requests a communication.
3. (S)he may refuse a communication request.
4. (S)he may accept a communication request with a calling subscriber.
5. (S)he may interrupt the communication (end of transmission).

**The subscriber.** A subscriber has the same rights as a client, and in addition:

1. (S)he may go back to the ordinary client statut only when not requesting or not involved in a communication.
2. (S)he may ask the server to register another client as one of his potential called parties.
3. (S)he may ask the server to delete one client from his(her) potential called parties.
4. (S)he may ask the server to start a communication with another client.
5. (S)he may withdraw a communication request previously made.
6. Once the communication is taking place, (s)he may interrupt it at any time.

## **2.2 The central server**

The central server is composed with four units : a connection unit (UC), a management unit (UM), a disconnection unit (UD) and a database (UDB).

**The management unit.**

1. This unit handles all status change requests (ordinary client/subscriber).
2. It manages all the updates of subscribers potential called parties.

**The connection unit.**

1. This unit handles all communication requests
2. It sends a request to the party called to indicate that a communication request to him/her was issued.
3. It establishes the connection between the caller and the party called.

**The disconnection unit.**

1. This unit handles the disconnection requests.
2. The central server may decide to interrupt a connection.

### The database unit.

1. This database contains all subscribers numbers, and for each subscriber its potential called parties.
2. The database unit registers all statut changes requests (ordinary client/subscriber), and all potential called party modifications
3. The database unit provides a knowledge on which are the current communications, and who are the caller and the party called.

A communication between a caller  $i$  and a party called  $j$  is possible when:

1. The caller has to be a subscriber (but this is not necessary for the party called).
2.  $i \neq j$ .
3.  $j$  has to be registered as a potential party called by  $i$ .
4. A communication between  $i$  and  $j$  is not already taking place.
5.  $i$  first issued a communication request for  $j$ .

## 3 The View Model

**A specification framework.** We will here present the different views that compose our view model. We will first present two concepts our model has the need for: identifiers and symbolic transition systems.

**Identifiers.** A step to object orientation are (object) identifiers. Moreover, our communication mechanisms need component identifiers. Identifiers are simple terms of  $PId$  sorts. Each different component class has its associated  $PId$  sort.  $PId$  subsorts correspond to related (through inheritance) component classes.

We have two important relations on  $PId$ : *object equality* and *object structure*. Object equality expresses that two objects with the same identifier denote actually the same object:

$$\forall o, o' \in Obj, Id(o) = Id(o') \Leftrightarrow o = o'$$

Object structure is expressed by the fact that, whenever an object  $O$  is composed of several sub-objects, then the object identifier is a prefix for all sub-objects identifiers:

$$\forall o \in Subobjects(O), \exists i : PId . Id(o) = Id(O).i$$

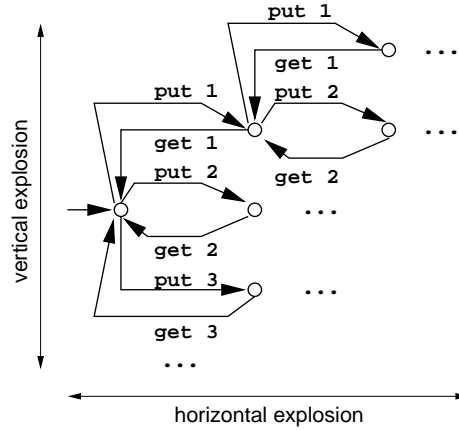
This way, identifiers build a tree-ordered id-indexed structure over object composition. *Id-indexing* is widely used when dealing with components built over other (sub-)components.

**Symbolic Transition Systems.** Symbolic transition systems are a form of guarded automata with free variables appearing in guards and transitions. Our STS originate from symbolic transition graphs [9].

**Definition 1 (Symbolic Transition Graphs).** *A symbolic transition graph is a directed graph in which every node  $n$  is labeled by a set of free variables  $fv(n)$  and every branch is labeled by a guarded action (a boolean guard  $b$  and an action  $\alpha$  that may bind variables - denoted by  $bv$ ) such that if a branch labeled by  $(b, \alpha)$  goes from node  $m$  to  $n$ , [...] then  $fv(b) \cup fv(\alpha) \subseteq fv(m)$ , and  $fv(n) \subseteq fv(m) \cup bv(\alpha)$ . The set of bound and free variables of the actions are defined in the obvious manner:  $fv(c!e) = fv(e)$ ,  $bv(c?x) = \{x\}$  and otherwise both  $fv(\alpha)$  and  $bv(\alpha)$  are empty.*

STS enable one to reduce state-explosion problems by providing a good (high) level of abstraction.

Suppose that we have an unbounded buffer of naturals with operations *put* and *get* (only when the buffer is not empty). With the usual transition systems approach, there is a state explosion since the reception variables and the process parameters are instantiated (Figure 1); both vertical (due to receptions - there is an infinity of different naturals to be received) and horizontal (due to process parameters - there is an infinity of buffer contents - size and/or values in it).

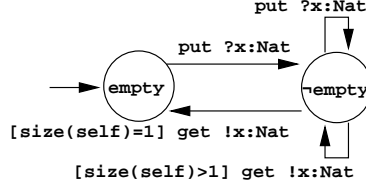


**Fig. 1.** Unbounded buffer state explosion with (usual) transition systems

With STS, one may abstract away from the buffer contents and receptions, and focus only on the fact that the buffer is empty or not (Figure 2). To quote [20] we may say that “STS are transition systems which separate the data from the process behaviour”.

Moreover, STS are a very readable formalism and ease the work on our views structures (by defining them using operations on states and transitions).

However, whereas automata and closed transition systems are a commonly accepted notation that are equipped with tools for design or verification – see



**Fig. 2.** Unbounded buffer with symbolic transition systems

[8, 14] for example – STS are not yet equipped with tools such as those dealing with temporal model checking [18, 13, 12] or bisimulations [9, 20].

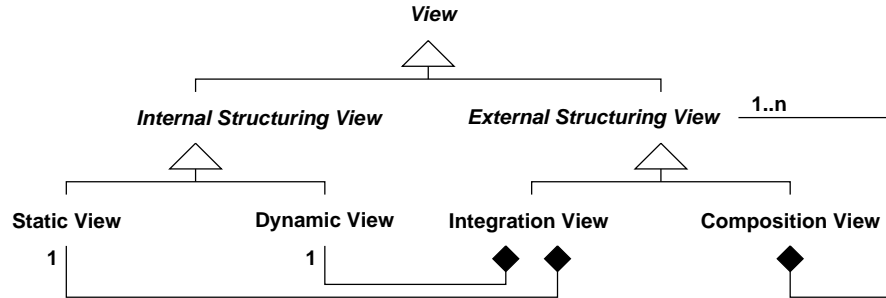
### 3.1 The Different View Classes

We define an *Internal Structuring View* abstraction that expresses the fact that, in order to design an object, it is useful to be able to express it under its different aspects (here the static and dynamic aspects, with no exclusion of further aspects that may be identified later on).

We therefore have here a first structuring level (*internal structuring*) for objects. Another structuring level is the *external structuring*, expressed by the fact that an object may be composed of several other objects. An object may then be either a simple one (integrating different internal structuring views in an *integration view*), or a composite object (*composition view*).

Integration views follow an *encapsulation principle*: the static part (data type) may only be accessed through the dynamic part (behaviour) and its identifier (Id).

The whole class diagram for the view model is given in Figure 3.



**Fig. 3.** The View model class diagram

**Views.** In a unifying approach, views are used to describe the different aspects of a component (internal and external structuring).

**Definition 2 (View).** A view  $V_T$  of a component  $T$  is a triple  $(A_T, \alpha, D_T)$  where  $A_T$  is the data part,  $\alpha$  is an abstraction of  $T$  and  $D_T$  a dynamic layer over  $A_T$ .

The data part addresses the functional issues for the component (definition of the operation values, in an algebraic way). The abstraction defines a point of view for the component, and the dynamic layer addresses the possible sequences of operations the component may perform.

**Definition 3 (View data part).** A data part  $A_T$  (in a view structure  $(A_T, \alpha, D_T)$ ) is an algebraic specification with the following components  $(A', G, V, \Sigma_T, Ax_T, \bar{A})$  where:

- $A'$  is a set of imported basic algebraic specifications (datatypes without views)
- $G$  is a set of formal parameter algebraic specifications
- $V$  are parameter variables
- $\Sigma_T, Ax_T$  are the signature and axioms (first order formulas) for  $T$
- $\bar{A}$  are hidden (or non-exported) operations.

**Definition 4 (Dynamic Signatures).** Dynamic signatures are given in a LOTOS-like form [4], i.e. enriched with arguments concerning the explicit communication scheme.

There is a simple correspondence between dynamic and usual (static) signatures:

- `comm ?m:Msg from u:Pid`  
(reception of a message `m` from `u` on the `comm` gate)  
constructor `comm` :  $T, \text{Msg}, \text{Pid} \rightarrow T$
- `comm !m:Msg to u:Pid`  
(emission of a message `m` to `u` on the `comm` gate)  
constructor `comm.c` :  $T \rightarrow T$   
observer `comm.o.m` :  $T \rightarrow \text{Msg}$   
observer `comm.o.id` :  $T \rightarrow \text{Pid}$

The view dynamic layer describes the possible sequences of actions the component may perform. The main idea is to define operations in terms of their effect on conditions ( $C$ ) that build the component abstraction. Hence, with each operation, its preconditions and postconditions will be associated.

**Definition 5 (View dynamic layer).** A dynamic layer  $D_T$  (in a view structure  $(A_T, \alpha, D_T)$ ) is a tuple  $(Id, O_T, \bar{O}_T)$  where:

- $Id$  is an identifier of sort  $\text{Pid}_T$ .
- $O_T$  is a set of operations requirements (built over dynamic signatures, pre and postconditions), i.e.  $O_T \subseteq \text{Term}_{\Sigma_T} \times P \times Q$  where  $P$  are preconditions and  $Q$  are postconditions.
- $\bar{O}_T$  (built on  $\bar{A}$ ) are hidden members of  $O_T$ .

The preconditions are first order formulas expressing the operation requirements in terms of the values of the  $C$  conditions ( $P_C$ ) and of the  $Term_{\Sigma_T}$  arguments (denoted by  $P_{io}$ ).

For example, given a specific buffer operation  $put(self, x)$  that is only possible with even numbers, and when the buffer is not full, we have the following precondition  $\neg full \wedge even(x)$  where  $full$  belongs to  $C$  (hence to  $P_C$ ), and  $even(x)$  belongs to  $P_{io}$ .

The postconditions are a set of first order formulas  $\{Q_{C'}\}$  expressing for each operation the values  $C'$  of the  $C$  conditions *after* the operation is applied in terms of the values of the  $C$  conditions ( $Q_C$ ), of some new  $Cl$  “limit” conditions<sup>1</sup> ( $Q_{Cl}$ ) and the  $Term_{\Sigma_T}$  arguments (denoted by  $Q_{io}$ ) *before* the operation is applied.

Taking the same  $put$  operation, and in the case where the buffer abstraction is built over  $C = \{empty, full\}$ , we have the postcondition  $\{Q_{empty'}, Q_{full'}\}$  and  $Q_{empty'} = false, Q_{full'} = nextFull$  (i.e. the buffer is *full* if, before the *put* operation took place, it would be *full* the next time). As one can see, we had to use a limit condition (*nextFull*) to express the postcondition over *full*.

$\alpha$  uses the condition predicates ( $C$ ) to define equivalence classes for  $T.C$  being finite, there is a finite number of equivalence classes.

**Definition 6 (View abstraction).** An abstraction  $\alpha$  (in a view structure  $(A_T, \alpha, D_T)$ ) is a tuple  $(C, Cl, \Phi, \Phi_0)$  where:

- $C \subseteq \Sigma_T$  is a finite set of predicates
- $Cl \subseteq \Sigma_T$  is a finite set of “limit” conditions used in postconditions of operations
- $\Phi \subseteq Ax_T$  is a set of formulas over members of  $C$  (valid combinations)
- $\Phi_0 \subseteq Ax_T$  is a formula over members of  $C$  (initial values)

The syntax for views in KORRIGAN is given in Figure 4. The SPECIFICATION parts corresponds to  $A_T$ , the ABSTRACTION part to  $\alpha$ , and the OPERATIONS part to  $D_T$ . There is no need to state explicitly  $\overline{O}$  as it may be retrieved using  $\overline{A}$ . There is no identifier either since identifiers shall only appear when the component is used in a composition (external structuring views).

An STS  $(S, S_0, T)$  may be obtained in a unique way from the abstraction and operation parts.

- $S = \{s \in 2^{|C|} \mid \forall \phi \in \Phi. s \models \phi\}$
- $S_0 = \{s_0 \in S \mid s_0 \models \Phi_0\}$
- $\forall o \in O - \overline{O}, \forall s.s \models o.P_C, \forall s'.s' \models o.Q_C . t : s \xrightarrow{[o.Q_{Cl}] \{o\} [o.P_{io} \wedge o.Q_{io}]} s' \in T$
- $\forall o \in \overline{O}, \forall s.s \models o.P_C, \forall s'.s' \models o.Q_C . t : s \xrightarrow{[o.Q_{Cl}] \{o\} [o.P_{io} \wedge o.Q_{io}]} s' \in T$

State are composition of conditions that satisfies the  $\Phi$  relations between conditions. Initial states are states satisfying the initial formula given in  $\Phi_0$ . Finally, the transitions are retrieved automatically using the pre and postconditions.

<sup>1</sup> Experience shows that these are required to express the  $C$  conditions values in postconditions.



... VIEW T	
SPECIFICATION	ABSTRACTION
<b>imports</b> $A'$ <b>generic on</b> $G$ <b>variables</b> $V$ <b>hides</b> $\bar{A}$ <b>ops</b> $\Sigma$ <b>axioms</b> $Ax$	<b>conditions</b> $C$ <b>limit conditions</b> $Cl$ <b>with</b> $\Phi$ <b>initially</b> $\Phi_0$ <hr/> <b>OPERATIONS</b> <hr/> $O_i$ <b>pre:</b> $P$ <b>post:</b> $Q$

**Fig. 4.** The KORRIGAN syntax (views)

Conversely, trivial abstraction and operation parts may then be derived from the STS. The idea is to give one condition for each state, consider these conditions as being exclusive (using  $\Phi$ ), and then define the pre and postconditions using them.

Therefore, views may be defined in an alternative way using either Symbolic Transition Systems (STS) or the abstraction and operation parts. The alternative KORRIGAN syntax is given in Figure 5. Note that STS parts of views are given using dynamic signatures (see Definition 4). These parts are a textual representation of the STS (STS have also a graphical - *i.e.* a more readable - representation, see Figure 6 for example).

... VIEW T	
SPECIFICATION	STS
<b>imports</b> $A'$ <b>generic on</b> $G$ <b>variables</b> $V$ <b>hides</b> $\bar{A}$ <b>ops</b> $\Sigma$ <b>axioms</b> $Ax$	$\cdot \rightarrow \text{initialState}$ $\text{sourceState} - \text{transition} \rightarrow \text{targetState}$ ...

**Fig. 5.** The KORRIGAN alternative syntax (views)

One interesting property is that, as said before, views use an abstraction ( $\alpha$ ) to describe equivalence classes for the components. STS obtained from views have exactly one state per equivalence class. The number of equivalence classes being finite, STS are also finite.

In the following, we describe the *static* and the *dynamic views*.

In our unifying approach, dynamic views are the same as static views but for some differences:

- no full algebraic specification (only signatures matter)

- the **from/to** elements (using *Pid* types)

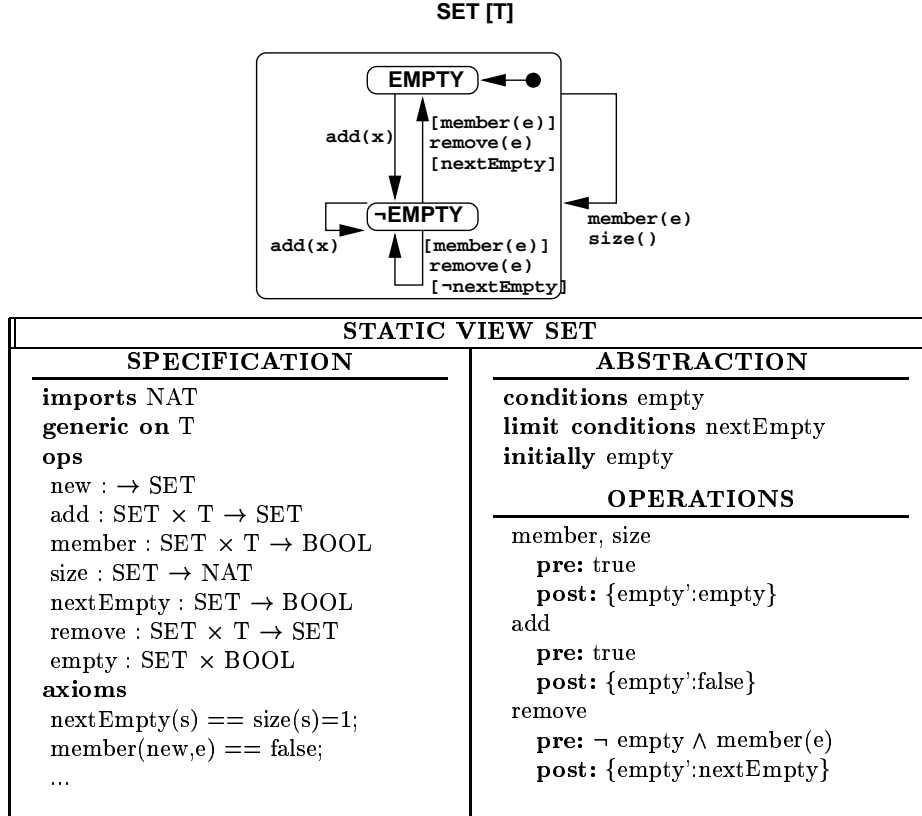
This goes with the fact that dynamic views focus only on the communication abstraction.

**Static views.** Static views (SV) describe the static aspect of a component.

**Definition 7 (Static view).** A static view  $SV_T$  of a component  $T$  is a view.

The FULL-USER static view corresponds to a (basic) set of known USERS (*PidUser*). The SET static view is given in Figure 6. It defines the usual set operations: **member**, **size**,... It is abstracted as being either **empty** or not (using a corresponding condition).

The FULL-USER dynamic view will be defined as an extension (Fig. 10) of the BASIC-USER dynamic view (Fig. 7).



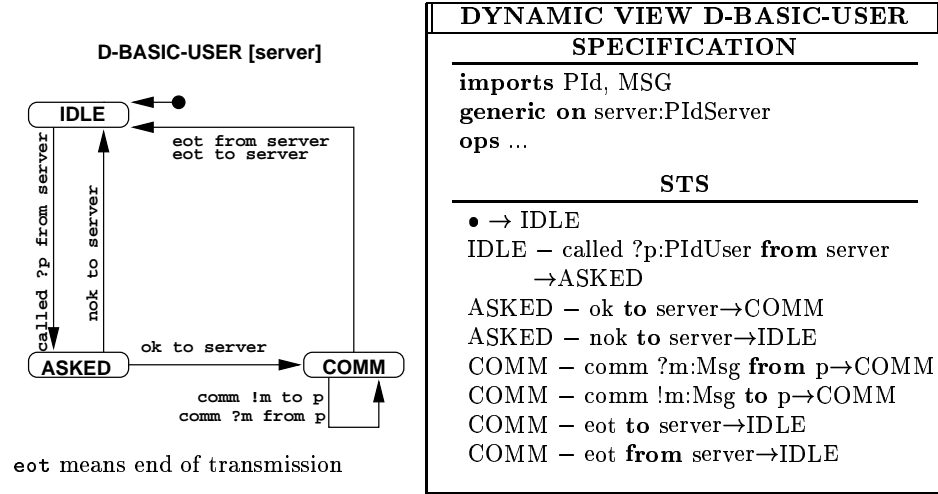
**Fig. 6.** The SET Static View

**Dynamic views.** Dynamic views (DV) describe the behavioural aspect of a component, that is a process (or an active object). For dynamic views, we consider only communication protocols (emissions and receptions, in terms of emitters and receivers) and not the definition of outputs in terms of inputs. In this sense, it is really a partial view (communication abstraction) of a component, without any global semantics.

**Definition 8 (Dynamic view).** A dynamic view  $DV_T$  of a component  $T$  is a view where:

- $\Sigma_T$  are dynamic signatures for sort  $T$
- $Ax_T = \Phi \cup \Phi_0$

The BASIC-USER dynamic view is given in Figure 7.



**Fig. 7.** The BASIC-USER Dynamic View

**External structuring views.** An external structuring view (ESV) may contain one or more global semantics components (*i.e.* integration views or composition views). External structuring views have a global semantics.

**Definition 9 (External Structuring View).** An external structuring view  $ESV_T$  of a component  $T$  is a triple  $(A_T, \Theta, K_T)$  where  $A_T$  is an optional data part,  $\Theta$  is the ESV “glue” part, and  $K_T$  the ESV composition layer.

Some new parameters and/or basic algebraic data types may be needed in the ESV.

**Definition 10 (ESV data part).** An ESV data part  $A_T$  (in an ESV structure  $(A_T, \Theta, K_T)$ ) is made up of following components  $(A', G, V, \bar{A})$  where:

- $A'$  is a set of imported basic algebraic specifications (datatypes without views)
- $G$  is a set of formal parameter algebraic specifications
- $V$  are parameter variables
- $\overline{A}$  are hidden (or non-exported) operations.

$\Theta$  describes how the components of  $T$  are glued altogether.

**Definition 11 (ESV glue part).** An ESV glue part  $\Theta$  (in an ESV structure  $(A_T, \Theta, K_T)$ ) is a tuple  $(\Phi, \Psi, \Phi_0)$  where:

- $\Phi$  is a (state) formula built over id-indexed  $C$  members of the components views<sup>2</sup>.
- $\Psi$  is a (transition) id-indexed formula relating (gluing) transitions from several components STS. This is a generalized form of synchronized product vector [1].
- $\Phi_0$  is a (state) id-indexed formula expressing the initial states of the components (it should be coherent with the  $\Phi_0$ s of the composition components, that is  $\vdash \Phi_0 \Rightarrow \bigwedge_{id} id.\Phi_0(Obj_{id})$ ).

$\Phi$  and  $\Psi$  are implicitly universally quantified over time (i.e. we have<sup>3</sup>  $AG\Phi$  and  $AG\Psi$ ).  $\Psi$  is given as couples  $\Psi = \{\psi_i = (\psi_{i_s}, \psi_{i_d})\}$ , and means  $AG \bigwedge_i \psi_{i_s} \Leftrightarrow \psi_{i_d}$ . State and transition formula are simple ones: there are no fixpoint or special modalities like in more expressive temporal logics such as CTL,  $\mu CRL$  or XTL [14]. The main point here is that this is expressive enough to express the glue between components. More complex logics may be defined afterwards to verify the models properties (following for example the [13] approach). State and transition formula are defined in [5].

**Definition 12 (ESV composition layer).** An ESV composition layer  $K_T$  (in a composition view structure  $(A_T, \Theta, K_T)$ ) is a tuple  $(Id, Obj_{id}, I_{id})$  where:

- $Id$  is an identifier of sort  $PId_T$ .
- $Obj_{id}$  is a id-indexed family of objects (integration views or composition views). Identifiers follow the equality and structuring principles.
- $I_{id}$  are id-indexed sets of terms instantiating the components parameters.

Issues on ESVs, and their global semantics (components having all aspects defined) are addressed in [5]. Here, we focus only on the obtaining of views structures for compositions of components. Hence, Integration and Composition Views are out of the scope of this paper (see [5]). The syntax for external structuring views in KORRIGAN is given in Figure 8.

An example of ESV is given in Figure 9 where we define the **SERVER** as the composition the four units (defined in 2.2).

<sup>2</sup> This is used for example to express (mutual) exclusion between two conditions/states of two different components.

<sup>3</sup> Where  $AG$  denotes “always globally”.

EXTERNAL STRUCTURING VIEW T	
SPECIFICATION	COMPOSITION
<b>imports</b> $A'$ <b>generic on</b> $G$ <b>variables</b> $V$ <b>hides</b> $\bar{A}$	<b>is</b> $id_i : Obj_i[I_i]$ <b>with</b> $\Phi, \Psi$ <b>initially</b> $\Phi_0$

**Fig. 8.** The KORRIGAN syntax (external structuring views)

EXTERNAL STRUCTURING VIEW SERVER	
COMPOSITION	
<b>is</b> uc : UC [udb] ; connection unit um : UM [udb] ; management unit ud : UD [udb] ; disconnection unit udb : UDB [uc,ud,um] ; database unit <b>with</b> true,{ (ud.askSomeIn, udb.askSomeIn) (ud.getSomeIn ?p:PidUser, udb.getSomeIn !p:PidUser) ...} <b>initially</b> true	

**Fig. 9.** The SERVER ESV

### 3.2 Inheritance of Views.

By *inheritance* we only mean a basic form of inheritance that consists in adding new conditions and new operations (that may use these conditions) in static or dynamic views. There is no overriding.

Furthermore, the subclass still has the superclass operations (and conditions). For these reasons, we will have new states for each combination of the new conditions in the subclass. These states are hierarchical states in which the STS of the superclass is implicitly present (only new transitions are explicitly given).

This form of inheritance is actually quite simple indeed but of practical use and well defined.

As an example, with the phone service, we have simple (basic) users that may only be called (Figure 7) and complex users that may also call other users (Figure 10).

## 4 View Structures for ESVs

We want to give view (either in their “normal”  $(A_T, \alpha, D_T)$  or their alternative  $(A_T, STS)$  form) structures for ESV in order to be able to compose them in turn in ESVs. There are two ways to give view structures for ESVs (Fig. 11).

The first one is to use the ESV components view structures, and obtain (arrow A in Fig. 11) a view structure for the ESV. The second one is to use the

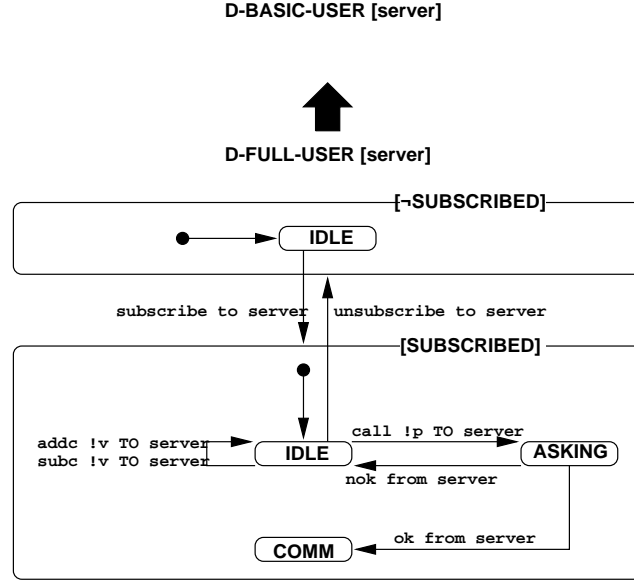


Fig. 10. The FULL-USER Dynamic View

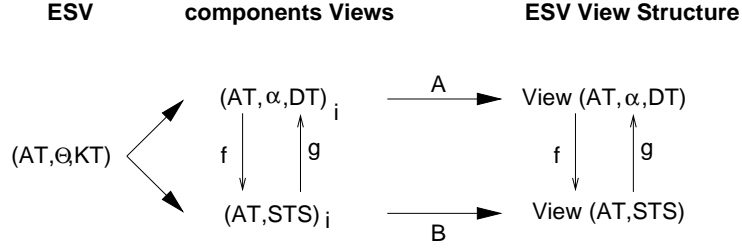


Fig. 11. Obtaining of a view structure for an ESV

ESV alternative view structures (using STS), and obtain (arrow B in Fig. 11) an alternative view structure for the ESV. Given the functions mapping view structures and alternative view structures (say  $f$  and  $g$ ), the diagram should commute. Therefore, for the simplicity sake, we use the B arrow since working on the STS part is easier than working on the  $(\alpha, D_T)$  one.

#### 4.1 $A_T$ part obtaining

The rules for the  $A_T = (A', G, V, \Sigma_T, Ax_T, \overline{A})$  part are:

- $A' = A'(ESV) \cup I_{G_i} \cup_i A'(Obj_i(ESV))$ ,  $I_{G_i}$  being instantiations  $I_i$  of  $G(Obj_i(ESV))$
- $G = \bigcup_i i.G(Obj_i(ESV))$ , removing instantiated  $I_i$  of  $G(Obj_i(ESV))$
- $V = \bigcup_i i.V(Obj_i(ESV))$  removing instantiated  $I_i$  of  $V(Obj_i(ESV))$

- $\Sigma_T = \bigcup_i i.\Sigma(\text{Obj}_i(\text{ESV}))$
- $Ax_T = \bigcup_i i.Ax(\text{Obj}_i(\text{ESV}))$ . Some renaming and indexing has to be done on the axioms.
- $\overline{A} = \overline{A} \bigcup_i \overline{A}(\text{Obj}_i(\text{ESV}))$

These rules use indexing to build a product (static) type for  $A_T$ . The renaming on the axioms consists in indexing every operation where the type of interest (the type of the component whose axioms we are indexing) is in first position (“receiver”).

## 4.2 STS part obtaining

The rules for the *STS* part use an extension of the synchronous product [1]. The synchronous vector is replaced by the  $\Theta$  part of the ESVs. These mechanisms have been implemented in [15] where generic classes for (parameterized) automata and a generic synchronous product function (parameterized by  $\Theta$ ) have been defined.

The rules for the  $STS = (S, S_0, T)$  part are:

- $S = \{s \in \Pi_i S_i \mid s \models \Phi\}$
- $S_0 = \{s_0 \in S \mid s_0 \models \Phi_0\}$
- $T = \{t \in \Pi_i T_i \mid t \models \Psi\}$

Afterwards, one has to remove any non accessible states.

## 5 Conclusion

We presented a formalism to express both the static and the dynamic parts of mixed specifications. In order to provide a framework to integrate both parts, we defined a formal structure that we call *view*. We make use of *symbolic transition systems* (STS) to specify systems at an abstract level and to avoid state explosion. We also allow for the structuring of specifications by means of collections of objects (with identities). A temporal logic is used to glue the components altogether and expresses a generalized form of synchronous product [1]. One of the interesting points in this work being to provide a framework for the combination of both static-dynamic integration and structuring. We define the mappings between the two different structures (using or not STS) possible for our views and define how a view structure may be retrieved for the composition of several components views. We also define inheritance for the basic views (static and dynamic aspects).

We think this formalism is well suited to achieve a good balance between the readability, expressiveness and abstraction properties for the specifications.

In [5] we present the strong links that exist between all aspects of a single component, and that all together build its global semantics. We also provide a new set of rules for the STS part, taking into account the composition of all aspects.

A next step would be to define proof mechanisms (algebraic, model checking or tableaux) for our view-based specifications.

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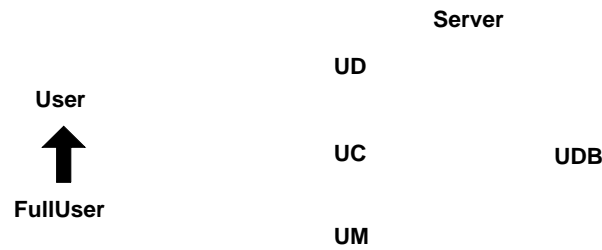
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## A The Phone Service Specification

We give in this appendix the full KORRIGAN specification of the phone service. The phone service is specified (in a decompose-and-recompose way) following the method we developed for mixed specifications [16]. Here, we will have first some basic (common) specifications. Then, we will specify the phone service users (first the basic ones, and secondly the full users using the inheritance principle). Finally, we will specify each of the server units, their composition (the server), and the full composition (Figure 12) of both the users and the server that build the phone service. Communications between these components will be studied in Figures 37 and 38.



**Fig. 12.** The Components of the Phone Service

### A.1 Basic Specifications

We will first give the specifications of some basic elements that are of current use: the empty (static) view, a (generic) static view for sets, and the algebraic specification of couples. Both are not specific to this case study, therefore we group them under the term “basic specifications”.

**The Static View EMPTY.** This view (Figure 13) is used whenever the components have no static part. It is built over an IDLE initial state that enables no transitions.

STATIC VIEW S-EMPTY	
SPECIFICATION	STS
	<ul style="list-style-type: none"> <li>• → IDLE</li> </ul>

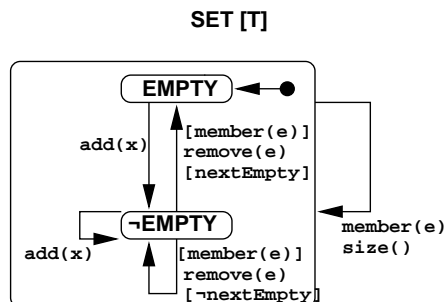
**Fig. 13.** The Static View EMPTY

**The Static View of Sets.** Figure 14 gives the static view of sets in KORRIGAN. The set operation signatures and axioms are defined. Sets are abstracted as being empty or not (using a `empty` condition), and then operations preconditions and postconditions are defined by expressing their effect on the `empty` condition. Simple (non primed) condition names in preconditions and postconditions stand for the corresponding condition value before the operation takes place. Primed condition names stand for the corresponding condition value after the operation takes place. Axioms may be obtained *from* the STS using derivation principles [6].

STATIC VIEW SET	
SPECIFICATION	ABSTRACTION
<b>imports</b> NAT <b>generic on</b> T <b>ops</b> <code>new : <math>\rightarrow</math> SET</code> <code>add : SET <math>\times</math> T <math>\rightarrow</math> SET</code> <code>member : SET <math>\times</math> T <math>\rightarrow</math> BOOL</code> <code>size : SET <math>\rightarrow</math> NAT</code> <code>nextEmpty : SET <math>\rightarrow</math> BOOL</code> <code>remove : SET <math>\times</math> T <math>\rightarrow</math> SET</code> <code>empty : SET <math>\times</math> BOOL</code> <b>axioms</b> <code>nextEmpty(s) == size(s)=1;</code> <code>member(new,e) == false;</code> <code>(e1=e) <math>\Rightarrow</math> member(add(s,e1),e)</code> <code>== true;</code> <code>not(e1=e) <math>\Rightarrow</math> member(add(s,e1),e)</code> <code>== member(s,e);</code> <code>size(new) == 0;</code> <code>size(add(s,e)) == size(s)+1;</code> <code>remove(new,e) == new;</code> <code>(e1=e) <math>\Rightarrow</math> remove(add(s,e1))</code> <code>== remove(s,e);</code> <code>not(e1=e) <math>\Rightarrow</math> remove(add(s,e1))</code> <code>== add(remove(s,e),e1);</code>	<b>conditions</b> empty <b>limit conditions</b> nextEmpty <b>initially</b> empty <hr/> <b>OPERATIONS</b> <hr/> <code>member, size</code> <code>  <b>pre:</b> true</code> <code>  <b>post:</b> {empty':empty}</code> <code>add</code> <code>  <b>pre:</b> true</code> <code>  <b>post:</b> {empty':false}</code> <code>remove</code> <code>  <b>pre:</b> <math>\neg</math> empty <math>\wedge</math> member(e)</code> <code>  <b>post:</b> {empty':nextEmpty}</code>

**Fig. 14.** The Static View of Sets

Figure 15 gives a graphical representation for the STS part of the static view of sets. The arguments of the operations corresponding to the component (*type of interest*) are implicit. Hence, they are omitted. Since some operations (namely, the `member` and `size` operations) are defined on each state, and do not modify the conditions values (such an operation is called a *non conditioned observer* in [6]), we use a super state in order to simplify the STS graphical representation.



**Fig. 15.** A Graphical Representation of the SET STS

**The Algebraic Specification of Couples.** Figure 16 gives the algebraic specification of (generic) couples. This specification will be used in further KORRIGAN specifications for example when modelling couples of users being currently in communication between one another. Operations  $p_1$  and  $p_2$  correspond (respectively) to the first and second projection of the couple.

	Couple
<b>generic on</b> T	
<b>imports</b> BOOL	
<b>ops</b>	
( <b>_</b> , <b>_</b> ):T × T → Couple	; couple constructor
<b>_</b> = <b>_</b> : Couple → BOOL	; equality of couples
<b>p1</b> : Couple → T	; first element selector
<b>p2</b> : Couple → T	; second element selector
<b>axioms</b>	
(a,b) = (c,d) == (a=c) ∧ (b=d);	
p1((a,b)) == a;	
p2((a,b)) == b;	

**Fig. 16.** The Algebraic Specification of Couples

## A.2 Basic Users

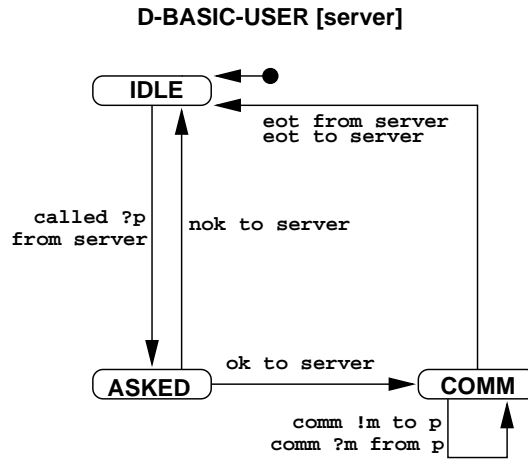
**The Dynamic View of Basic Users.** Figure 17 gives the dynamic view of basic users in KORRIGAN.

Figure 18 gives a graphical representation for the STS part of the dynamic view of basic users.

**The Integration View of Basic Users.** Basic users have no static view. Figure 19 gives the integration view of basic users in KORRIGAN.

DYNAMIC VIEW D-BASIC-USER	
SPECIFICATION	STS
<b>imports</b> Pid, MSG <b>generic on</b> server:PidServer <b>ops</b> called ?p:PidUser <b>from</b> server ok <b>to</b> server nok <b>to</b> server comm ?m:Msg <b>from</b> PidUser comm !m:Msg <b>to</b> PidUser eot <b>to</b> server eot <b>from</b> server	• → IDLE IDLE – called ?p:PidUser <b>from</b> server →ASKED ASKED – ok <b>to</b> server→COMM ASKED – nok <b>to</b> server→IDLE COMM – comm ?m:Msg <b>from</b> p→COMM COMM – comm !m:Msg <b>to</b> p→COMM COMM – eot <b>to</b> server→IDLE COMM – eot <b>from</b> server→IDLE

**Fig. 17.** The Dynamic View of Basic Users



**Fig. 18.** A Graphical Representation of the BASIC USER Dynamic View STS

INTEGRATION VIEW BASIC-USER	
SPECIFICATION	
<b>generic on</b> server:PidServer	
COMPOSITION	
<b>is</b> s : S-EMPTY d : D-BASIC-USER [server] <b>with</b> true, true <b>initially</b> true	

**Fig. 19.** The Integration View of Basic Users

### A.3 Full Users

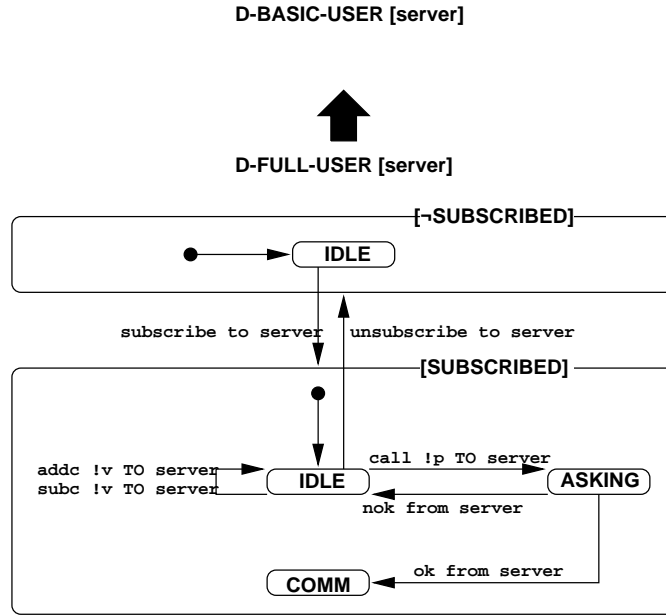
**The Dynamic View of Full Users.** Figure 20 gives the dynamic view of full users in KORRIGAN. This view inherits from the basic user dynamic view. Hence, it may only add new conditions and operations defined using these new conditions. Here, we have a new condition, **subscribed** that is true when the full user has subscribed, and false if (s)he has not.

The STS is defined using hierarchical states for each possible values of the new conditions. Here, we have only one new condition, hence the STS contains two hierarchical states (**subscribed** and **not subscribed**). Each of the hierarchical states contains the whole STS of the dynamic view its view inherits from. Hence, the states in these hierarchical states may be referred to using our usual prefix notation (*e.g.* **subscribed.IDLE** for the IDLE state in the **subscribed** hierarchical state). Moreover, one may use the inherited STS state names in place of the corresponding formula over the (inherited) conditions, and the state names may be used in preconditions and postconditions. For example, the **subscribe** operation preconditions states that the **subscribed** condition must be false and the status IDLE. When conditions are unchanged (*i.e.* when there is  $c':c$  in a postcondition for some  $c$  condition), we have them implicit (*i.e.* we omit it).

DYNAMIC VIEW D-FULL-USER EXTENDS D-BASIC-USER	
SPECIFICATION	OPERATIONS
<b>ops</b> subscribe <b>to</b> server unsubscribe <b>to</b> server ok <b>from</b> server nok <b>from</b> server addc !v:PidUser <b>to</b> server subc !v:PidUser <b>to</b> server call !p:PidUser <b>to</b> server	subscribe <b>pre:</b> IDLE $\wedge \neg$ subscribed <b>post:</b> {subscribed':true} unsubscribe <b>pre:</b> IDLE $\wedge$ subscribed <b>post:</b> {subscribed':false} ok <b>pre:</b> ASKING $\wedge$ subscribed <b>post:</b> {COMM':true} nok <b>pre:</b> ASKING $\wedge$ subscribed <b>post:</b> {IDLE':true} addc !v:PidUser, subc !v:PidUser <b>pre:</b> IDLE $\wedge$ subscribed <b>post:</b> {} call !p:PidUser <b>pre:</b> IDLE $\wedge$ subscribed <b>post:</b> {ASKING':true}
<b>ABSTRACTION</b> <b>conditions</b> subscribed <b>initially</b> $\neg$ subscribed	

**Fig. 20.** The Dynamic View of Full Users

Figure 21 gives a graphical representation for the STS part of the dynamic view of full users.



**Fig. 21.** A Graphical Representation of the FULL USER Dynamic View STS

**The Integration View of Full Users.** Figure 22 gives the integration view of full users in KORRIGAN. The static part of full users is a set of `PIidUser`. This corresponds to the set of (simple or full: since there is a subsort relation between sorts `PIdFullUser` and `PIidUser`, any `PIdFullUser` is also a `PIidUser`) users the full user knows. The glue part states that the full user may only add (or remove) from its authorization list, or communicate with users (s)he knows.

#### A.4 Connection Units

**The Dynamic View of Connection Units.** Figure 23 gives the dynamic view of connection units in KORRIGAN.

Figure 24 gives a graphical representation for the STS part of the dynamic view of connection units.

**The Integration View of Connection Units (UC).** Connection units have no static view (an empty one). Figure 25 gives the integration view of connection units in KORRIGAN.

#### A.5 Disconnection Units

**The Dynamic View of Disconnection Units.** Figure 26 gives the dynamic view of disconnection units in KORRIGAN.

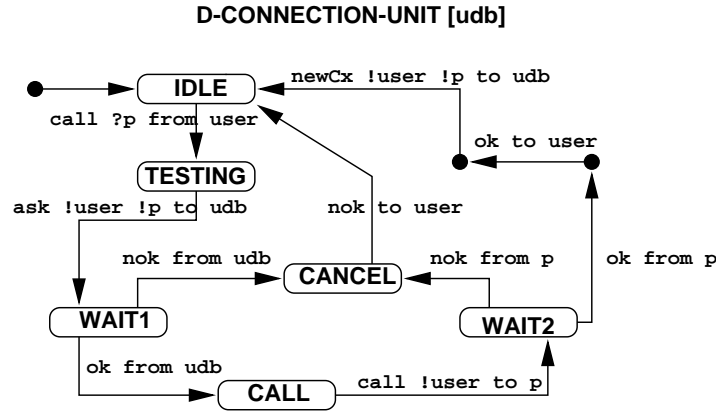
INTEGRATION VIEW FULL-USER	
SPECIFICATION	
<b>imports</b> Pid <b>generic on</b> server:PidServer	
COMPOSITION	
<b>is</b> s : SET [PidUser] d : D-FULL-USER [server] <b>with</b> true, { (true,d.addc !v to server $\Rightarrow$ s.member(v)), (true,d.subc !v to server $\Rightarrow$ s.member(v)), (true,d.call !p to server $\Rightarrow$ s.member(p))} <b>initially</b> true	

**Fig. 22.** The Integration View of Full Users

DYNAMIC VIEW D-CONNECTION-UNIT	
SPECIFICATION	STS
<b>imports</b> Pid <b>generic on</b> udb : PidDB <b>ops</b> call ?p:PidUser <b>from</b> PidUser newCx !p:PidUser !p2:PidUser to udb ask !p:PidUser !p2:PidUser to udb ok <b>from</b> udb nok <b>from</b> udb ok <b>to</b> Pid nok <b>to</b> Pid called !p:PidUser <b>to</b> Pid ok <b>from</b> Pid nok <b>from</b> Pid	• $\rightarrow$ IDLE IDLE – call ?p:PidUser <b>from</b> user $\rightarrow$ TESTING TESTING – ask !p:PidUser !user:PidUser to udb $\rightarrow$ WAIT1 WAIT1 – ok <b>from</b> udb $\rightarrow$ CALL WAIT1 – nok <b>from</b> udb $\rightarrow$ CANCEL CALL – call !user:PidUser <b>to</b> p $\rightarrow$ WAIT2 WAIT2 – ok <b>from</b> p $\rightarrow$ • <sub>1</sub> WAIT2 – nok <b>from</b> p $\rightarrow$ CANCEL • <sub>1</sub> – ok <b>to</b> user $\rightarrow$ • <sub>2</sub> • <sub>2</sub> – newCx !user:PidUser !p:PidUser <b>to</b> udb $\rightarrow$ IDLE CANCEL – nok <b>to</b> user $\rightarrow$ IDLE

**Fig. 23.** The Dynamic View of Connection Units





**Fig. 24.** A Graphical Representation of the CONNECTION UNIT Dynamic View STS

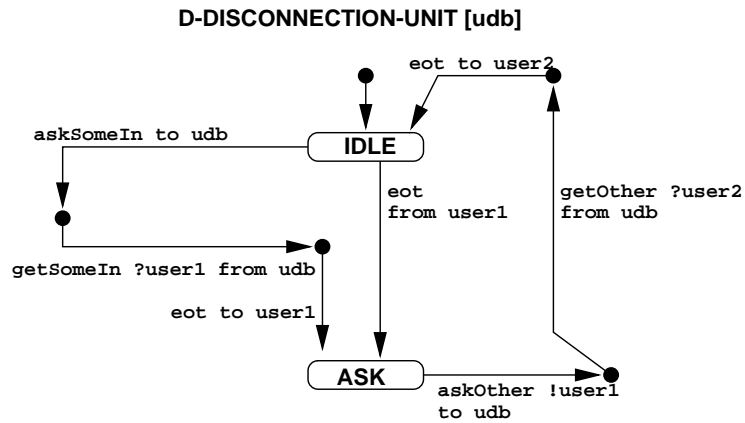
INTEGRATION VIEW CONNECTION-UNIT (UC)	
SPECIFICATION	
<b>generic on</b> udb:PidDB	
COMPOSITION	
<b>is</b> s : S-EMPTY d : D-CONNECTION-UNIT [udb] <b>with</b> true, true <b>initially</b> true	

**Fig. 25.** The Integration View of Connection Units

DYNAMIC VIEW D-DISCONNECTION-UNIT	
SPECIFICATION	STS
<b>imports</b> Pid <b>generic on</b> udb : PidDB <b>ops</b> eot <b>from</b> PidUser eot <b>to</b> PidUser askOther !p:PidUser <b>to</b> udb getOther ?p:PidUser <b>from</b> udb askSomeIn <b>to</b> udb getSomeIn ?p:PidUser <b>from</b> udb	• → IDLE IDLE – eot <b>from</b> user1 → ASK IDLE – askSomeIn <b>to</b> udb → • <sub>1</sub> • <sub>1</sub> – getSomeIn ?user1:PidUser <b>from</b> udb → • <sub>2</sub> • <sub>2</sub> – eot <b>to</b> user1 → ASK ASK – askOther !user1:PidUser <b>to</b> udb → • <sub>3</sub> • <sub>3</sub> – → getOther ?user2:PidUser <b>from</b> udb → • <sub>4</sub> • <sub>4</sub> – eot <b>to</b> user2 → IDLE

**Fig. 26.** The Dynamic View of Disconnection Units

Figure 27 gives a graphical representation for the STS part of the dynamic view of disconnection units.



**Fig. 27.** A Graphical Representation of the DISCONNECTION UNIT Dynamic View STS

**The Integration View of Disconnection Units (UD).** Disconnection units have no static view (an empty one). Figure 28 gives the integration view of disconnection units in KORRIGAN.

INTEGRATION VIEW DISCONNECTION-UNIT (UD)	
SPECIFICATION	
generic on udb:PIddb	
COMPOSITION	
is s : S-EMPTY d : D-DISCONNECTION-UNIT [udb] with true, true initially true	

**Fig. 28.** The Integration View of Disconnection Units

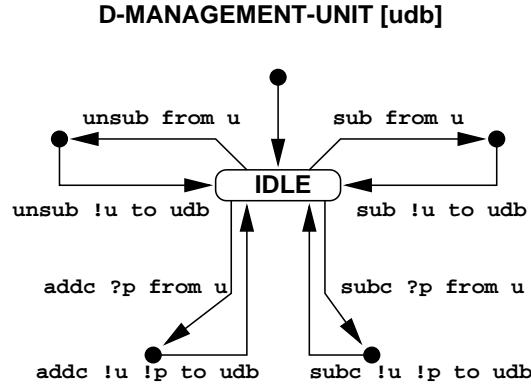
## A.6 Management Units

**The Dynamic View of Management Units.** Figure 29 gives the dynamic view of management units in KORRIGAN.

DYNAMIC VIEW D-MANAGEMENT-UNIT	
SPECIFICATION	STS
<b>imports</b> Pid <b>generic on</b> udb : PidDB <b>ops</b> addc ?p:PidUser <b>from</b> PidUser subc ?p:PidUser <b>from</b> PidUser addc !u:PidUser !p:PidUser <b>to</b> udb subc !u:PidUser !p:PidUser <b>to</b> udb sub <b>from</b> PidUser unsub <b>from</b> PidUser sub !u:PidUser <b>to</b> udb unsub !u:PidUser <b>to</b> udb	<ul style="list-style-type: none"> <li>• → IDLE</li> <li>IDLE – addc ?p:PidUser <b>from</b> user → •<sub>1</sub></li> <li>IDLE – subc ?p:PidUser <b>from</b> user → •<sub>2</sub></li> <li>•<sub>1</sub> – addc !user:PidUser !p:PidUser <b>to</b> udb → IDLE</li> <li>•<sub>2</sub> – subc !user:PidUser !p:PidUser <b>to</b> udb → IDLE</li> <li>IDLE – sub <b>from</b> user → •<sub>3</sub></li> <li>IDLE – unsub <b>from</b> user → •<sub>4</sub></li> <li>•<sub>3</sub> – sub !user:PidUser <b>to</b> udb → IDLE</li> <li>•<sub>4</sub> – unsub !user:PidUser <b>to</b> udb → IDLE</li> </ul>

**Fig. 29.** The Dynamic View of Management Units

Figure 30 gives a graphical representation for the STS part of the dynamic view of management units.



**Fig. 30.** A Graphical Representation of the MANAGEMENT UNIT Dynamic View STS

**The Integration View of Management Units (UM).** Management units have no static view (an empty one). Figure 31 gives the integration view of management units in KORRIGAN.

#### A.7 Database Units

**The Dynamic View of Database Units.** Figure 32 gives the dynamic view of database units in KORRIGAN.

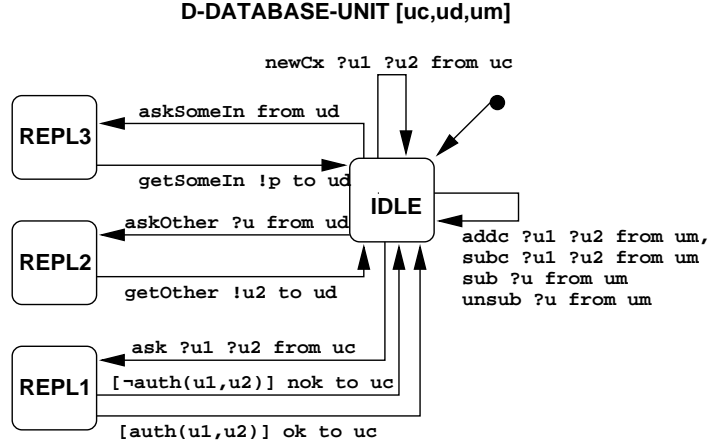
INTEGRATION VIEW MANAGEMENT-UNIT (UM)
<p style="text-align: center;"><b>SPECIFICATION</b></p> <hr/> <b>generic on</b> udb:PidDB
<p style="text-align: center;"><b>COMPOSITION</b></p> <hr/> <b>is</b> s : S-EMPTY d : D-MANAGEMENT-UNIT [udb] <b>with</b> true, true <b>initially</b> true

**Fig. 31.** The Integration View of Management Units

DYNAMIC VIEW D-DATABASE-UNIT	
SPECIFICATION	STS
<b>imports</b> Pid <b>generic on</b> uc:PidUC, ud:PidUD, um:PidUM <b>ops</b> addc ?u:PidUser ?u2:PidUser <b>from</b> um subc ?u:PidUser ?u2:PidUser <b>from</b> um sub ?u:PidUser <b>from</b> um unsub ?u:PidUser <b>from</b> um newCx ?u:PidUser ?u2:PidUser <b>from</b> uc askSomeIn <b>from</b> ud getSomeIn !p:PidUser <b>to</b> ud askOther ?u:PidUser <b>from</b> ud getOther !u2:PidUser <b>to</b> ud ask ?u1:PidUser ?u2:PidUser <b>from</b> uc ok <b>to</b> uc nok <b>to</b> uc	• → IDLE IDLE – addc ?u:PidUser ?u2:PidUser <b>from</b> um → IDLE IDLE – subc ?u:PidUser ?u2:PidUser <b>from</b> um → IDLE IDLE – sub ?u:PidUser <b>from</b> um → IDLE IDLE – unsub ?u:PidUser <b>from</b> um → IDLE IDLE – newCx ?u:PidUser ?u2:PidUser <b>from</b> uc → IDLE IDLE – askSomeIn <b>from</b> ud → REPL3 REPL3 – getSomeIn !p:PidUser <b>to</b> ud → IDLE IDLE – askOther ?u:PidUser <b>from</b> ud → REPL2 REPL2 – getOther !u2:PidUser <b>to</b> ud → IDLE IDLE – ask ?u1:PidUser ?u2:PidUser <b>from</b> uc → REPL1 REPL1 – [auth(u1,u2)] ok <b>to</b> uc → IDLE REPL1 – [¬ auth(u1,u2)] nok <b>to</b> uc → IDLE

**Fig. 32.** The Dynamic View of Database Units

Figure 33 gives a graphical representation for the STS part of the dynamic view of database units.



**Fig. 33.** A Graphical Representation of the DATABASE UNIT Dynamic View STS

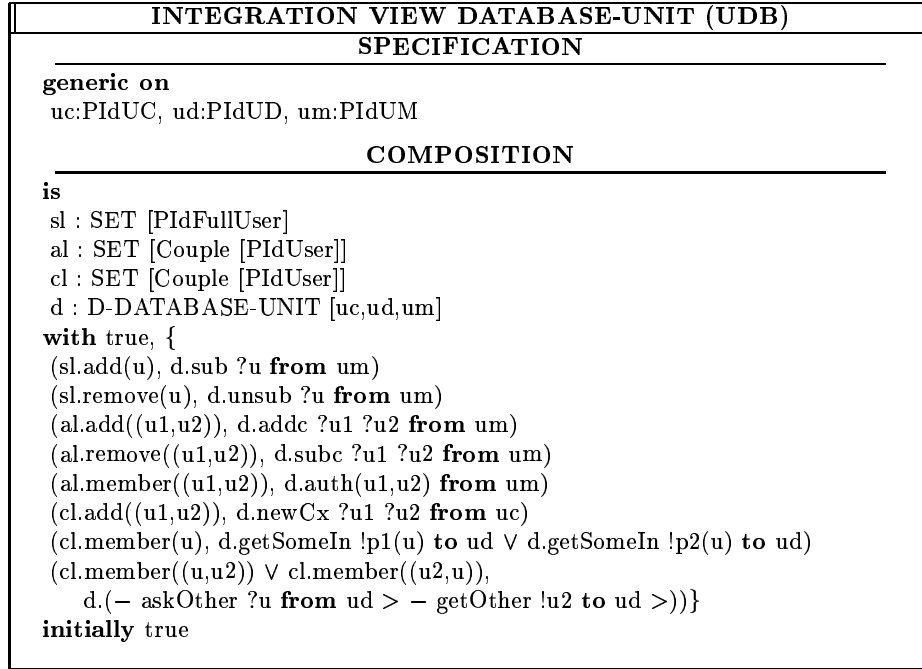
**The Integration View of Database Units (UDB).** Figure 34 gives the integration view of database units in KORRIGAN. Its static part is made up of three static views. *s1* is the set of the subscribed users PId. *a1* corresponds to authorizations, *i.e.* if a couple (*u1*,*u2*) is in *a1*, then *u2* is an authorized caller for *u1*. *c1* contains couples of users communicating.

This is an extension of the (usual) integration view where there is only one static and one dynamic view. This is equivalent to the (single) static view that corresponds to the free (ALONE) composition [5] of the three static views. Another solution would have been to make a trivial (*i.e.* with dynamic operations corresponding to the static ones) dynamic view for each one of the three static views, integrate the dynamic view of databases with an empty static view, and then compose both (*i.e.* the four integration views) using a composition view.

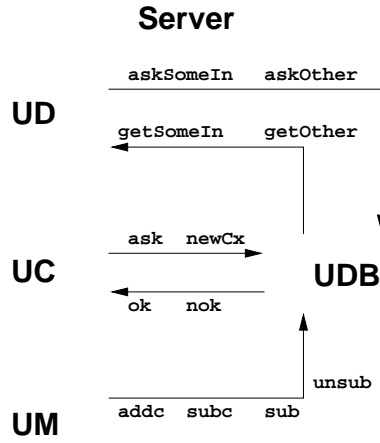
## A.8 Server

Figure 35 gives the graphical representation of the composition of the Server in terms of components and communications between these components.

Figure 36 gives the composition view of the server in KORRIGAN. Instances of UC, UM, UD and UDB are created. The corresponding parameters of processes are instantiated.



**Fig. 34.** The Integration View of Database Units



**Fig. 35.** A Graphical Representation of the Server Composition

COMPOSITION VIEW SERVER	
COMPOSITION	
<b>is</b>	
uc : UC [udb]	
um : UM [udb]	
ud : UD [udb]	
udb : UDB [uc,ud,um]	
<b>with</b> true, {	
(ud.askSomeIn, udb.askSomeIn)	
(ud.getSomeIn ?p:PidUser, udb.getSomeIn !p:PidUser)	
(ud.askOther !p:PidUser, udb.askOther ?p:PidUser)	
(ud.getOther ?p:PidUser, udb.getOther !p:PidUser)	
(uc.ask !u1:PidUser !u2:PidUser, udb.ask ?u1:PidUser ?u2:PidUser)	
(uc.newCx !u1:PidUser !u2:PidUser, udb.newCx ?u1:PidUser ?u2:PidUser)	
(uc.ok <b>from</b> udb, udb.ok)	
(uc.nok <b>from</b> udb, udb.nok)	
(um.addc !u1:PidUser !u2:PidUser, udb.addc ?u1:PidUser ?u2:PidUser)	
(um.subc !u1:PidUser !u2:PidUser, udb.subc ?u1:PidUser ?u2:PidUser)	
(um.sub !p:PidUser, udb.sub ?p:PidUser)	
(um.unsub !p:PidUser, udb.unsub ?p:PidUser)}	
<b>initially</b> true	

**Fig. 36.** The Composition View of the Server

### A.9 The Composition View of the Phone Service

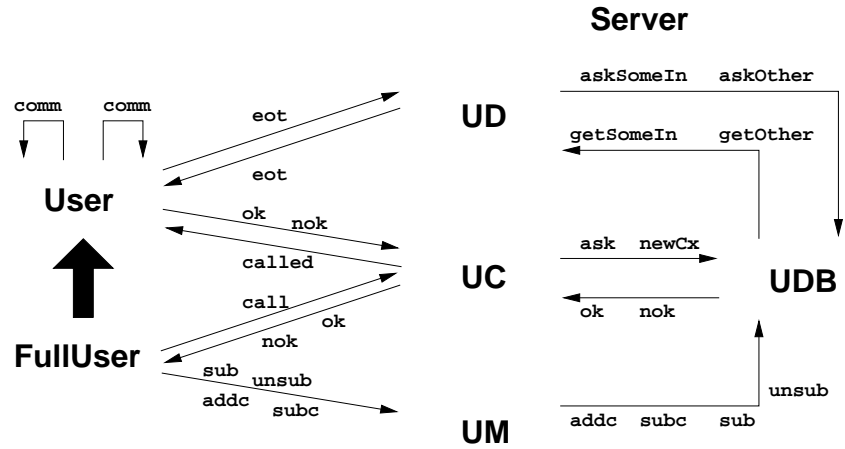
Figure 37 gives the graphical representation of the composition of the Phone Service in terms of components and communications between these components.

Figure 38 gives the composition view of the phone service in KORRIGAN. The phone service is generic on  $n$ , the number of basic users, and  $m$ , the number of full users. Users are created using the range operator. This operator is a shorthand for a (finite) set of PId (built using naturals). For example,

$i: [1..3] * \text{user}.i : \text{USER}$   
is used as a shorthand for:

user.PId(1) : USER  
user.PId(2) : USER  
user.PId(3) : USER

The range operator may also be used in glue formulas.



**Fig. 37.** A Graphical Representation of the Composition of the Phone Service

COMPOSITION VIEW PHONE-SERVICE
SPECIFICATION
<b>generic on</b> $n, m : \text{NATURAL}$
COMPOSITION
<b>is</b> $s : \text{SERVER}$ $i : [1..n] * \text{user.i} : \text{USER } [s]$ $j : [n+1..n+m] * \text{user.j} : \text{FULL-USER } [s]$ <b>with true, {</b> $(\text{user.i.comm } ?m:\text{Msg } \textbf{from } \text{user.j}, \text{user.j.comm } !m:\text{Msg } \textbf{to } \text{user.i})$ $(\text{ud.eot } \textbf{to } \text{user.i}, \text{user.i.eot } \textbf{from } \text{ud})$ $(\text{ud.eot } \textbf{from } \text{user.i}, \text{user.i.eot } \textbf{to } \text{ud})$ $(\text{um.sub } \textbf{from } \text{user.i}, \text{user.i.sub } \textbf{to } \text{um})$ $(\text{um.unsub } \textbf{from } \text{user.i}, \text{user.i.unsub } \textbf{to } \text{um})$ $(\text{um.addc } ?p:\text{PidUser } \textbf{from } \text{user.i}, \text{user.i.addc } !p:\text{PidUser } \textbf{to } \text{um})$ $(\text{um.subc } ?p:\text{PidUser } \textbf{from } \text{user.i}, \text{user.i.subc } !p:\text{PidUser } \textbf{to } \text{um})$ $(\text{uc.ok } \textbf{from } \text{user.i}, \text{user.i.ok } \textbf{to } \text{uc})$ $(\text{uc.nok } \textbf{from } \text{user.i}, \text{user.i.nok } \textbf{to } \text{uc})$ $(\text{uc.ok } \textbf{to } \text{user.i}, \text{user.i.ok } \textbf{from } \text{uc})$ $(\text{uc.nok } \textbf{to } \text{user.i}, \text{user.i.nok } \textbf{from } \text{uc})$ $(\text{uc.called } !p:\text{PidUser } \textbf{to } \text{user.i}, \text{user.i.called } ?p:\text{PidUser } \textbf{from } \text{uc})$ $(\text{uc.call } ?p:\text{PidUser } \textbf{from } \text{user.i}, \text{user.i.call } !p:\text{PidUser } \textbf{to } \text{uc})$ <b>initially true</b>

**Fig. 38.** The Composition View of the Phone Service