

DISSERTATION

**End to end optimization in a search for
boosted Higgs boson pair production in
the $bbbb$ final state via
vector-boson-fusion (VBF) production
using the run 2 dataset with the ATLAS
detector**

For the attainment of the academic degree doctor rerum naturalium

(Dr. rer. nat.) in the subject: Physics

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Abstract

I am an abstract.

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Chapter 1

Introduction

What and why is the world made of?

Chapter 2

Theory

Where to start? Sometimes it seems like that particle physics is bringing it all together, as it tries to give a comprehensive picture of the world by describing the structure of matter from quantum mechanics to cosmology. So I would say to start shallow (since we are experimentalists) at the very beginning, and then dive a bit deeper into Standard Model to have a plausible thread how the need and the development of the Higgs mechanism came about. The first section is based on Zee [1] and intended to make the calculation of cross sections plausible.

2.1 The field theory idea for the experimental particle physicist

The fact that elementary particles can seemingly be born out of nothing and die again led to the development of their currently most successful description through quantum field theories. Heuristically it can be understood by the uncertainty principle, which states that energy can vary greatly on short time scales, and by special relativity, which allows the property energy to be converted into the property mass. This marriage between quantum mechanics and special relativity is what drove the development of quantum field theory.

To make a field one equips the room with a quantity that depends on the position so e.g. $\phi(\mathbf{x}, t)$. A Lagrangian $L(\phi(\mathbf{x}, t))$ then governs the dynamics, like excitations or interactions of this field, which can be represented for example the birth

and death of particles or interactions by the exchange of a particle between them. By use of the path integral formulation it basically boils down to integrals of the form $\int D\phi e^{i \int d^4x L(\phi(\mathbf{x},t))}$. Where $\int D\phi$ is the sum over all possible paths/ways a particle could take. Through back and forth expansions of the e functions the integral can be solved and the result is a probability - the amplitude of e.g. an interaction between two particles, like scattering, usually depicted in the form of Feynman Diagrams. As this follows a pattern the formalism can be contracted into the infamous Feynman rules.

Probing elementary particle interactions are accessible via bound states, decays and scattering. The first can be studied within classical quantum mechanics whereas the latter uses the preceding. Since this work deals with a collider experiment the tool at hand is the cross section σ . It is a measure of how possible an interaction is when shooting something at each other. Calculating reaction rates in quantum mechanics is done by Fermi's golden rule. Here the relativistic version for a scattering process like $1 + 2 \rightarrow 3 + 4 + \dots + n$ is given (see [2])

$$\sigma = \frac{S\hbar^2}{4\sqrt{(p_1 p_2)^2 - (m_1 m_2 c^2)^2}} \int |\mathcal{M}|^2 (2\pi)^4 \delta^4(p_1 + p_2 - p_3 - \dots - p_n) \times \prod_{j=3}^n 2\pi \delta(p_j^2 - m_j^2 c^2) \Theta(p_j^0) \frac{d^4 p_j}{(2\pi)^4}. \quad (2.1.1)$$

To probe nature at the smallest scales

As we can produce e.g. in a collider experiment

Equipped with this on can calculate cross sections which is nothing

To get an insight at the smallest scales all we can apparently do is to

xsec berechnen warum xsec wollen wissen wie wahrscheinlich in process ist

This is the low level idea how particle physicists calculate probabilities or amplitudes for a scattering process of interest.

dirac, require local gauge invariance -> qed Lagrangian

Chapter 3

The ATLAS Experiment at the LHC

In particle physics scattering experiments are conducted as the De Broglie wavelength $\lambda = h/p$ tells that with increasing momentum smaller scales can be explored. At the moment the Large Hadron Collider at CERN (European Organization for Nuclear Research) is not only the largest machine ever built, but also the most powerful particle collider at hand .

The ATLAS detector is situated in a cavern

3.1 The Coordinate System

3.2 The Inner Detector

Bibliography

- [1] A. Zee, *Quantum field theory in a nutshell*, Vol. 7 (Princeton university press, 2010).
- [2] D. Griffiths, *Introduction to elementary particles* (John Wiley & Sons, 2020).

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Berlin, 13.04.2023

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