HW 1

## 1. Remo-001-M



· Wing-Span: 4.27ff

· overall length: 0.65m

· max speed : 80kph

· operation range : 8km

Remo-m steered similarly with Conventional airplanes.

Steering is achieved using Control Surfaces Such as

Ailenons (for roll), Elevator (for pitch) and

Rudder (for Yaw)

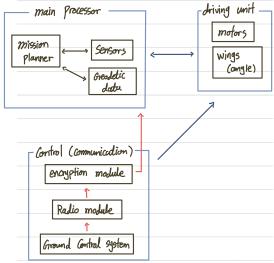
The Maestro Flight management System handles autonomous flight, while Control handset allows for

manual operation when needed Coordinated turn is a maneuver that is used to balance

Combination of ailerons, elevator and Rudder to smorthly

Change direction without sideways slip or skid

2.



Block diagram is useful when understanding how the UAV works Step-by-step and how different "blocks" interact with each other.

3.

First, most of the VAV that are used in real life operations are very expensive. Since they are Gistly. It should minimize risks and double check every aspects. Also, with simulation, different function can be tested without any risk.

4

a) battery related to (oM in body-frame = (0.2,0,0)  $\Psi = 2^{\circ}$   $\theta = 10^{\circ}$   $\Psi = 20^{\circ}$ 

$$R_{v}^{b} = R_{v_{2}}^{b}(\Psi) R_{v_{1}}^{V_{2}}(\theta) R_{v}^{V_{1}}(\Psi)$$

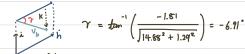
$$= (.191, .00681, -.035) m$$

$$pholitory = p^{con} + p^{b}_{con} = (0.191, 0.00681, -0.035) + (0.0, -10)$$

b)

$$V_e = R_v^b (\Psi, \theta, \Psi)^T V_b = R_v^b (15, 1, 0.5)$$

= (0.197, 0.00687, -10.035)m



d)

$$\alpha = 605^{-1} \left( \frac{15}{\sqrt{15^2 + .5^2}} \right) = 1.91^{\circ}$$

e)

Heading angle is angle between where aircraft is pointing and the true north.

Course angle is the angle between the direction in which the aircraft is actually moving above the ground and the true north.

5.

a) Regram integrales the state vector with euler's method, which is one of the numerical integration method. The plotted system shows x and y values of state vector over the time interval.

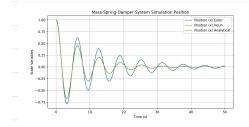
b)

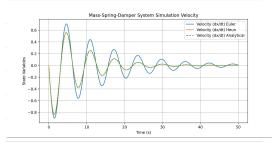
$$m\ddot{x} + b\dot{x} + kx = 0$$
  $\sim \ddot{x} = -\frac{b}{m}\dot{x} - \frac{\mu}{m}x$ 

let 7, = x x2 = 2

$$\begin{bmatrix} \dot{\mathcal{X}}_1 \\ \dot{\mathcal{X}}_2 \end{bmatrix} = \begin{bmatrix} \mathcal{X}_2 \\ -\frac{b}{m}\mathcal{X}_2 - \frac{\nu}{m}\mathcal{X}_1 \end{bmatrix} = \begin{bmatrix} o & 1 \\ -\frac{\nu}{m} & -\frac{b}{m} \end{bmatrix} \begin{bmatrix} \mathcal{X}_1 \\ \mathcal{X}_2 \end{bmatrix}$$

$$S_{1,2} = -\frac{b}{2m} \pm \sqrt{\left(\frac{b}{2m}\right)^2 - \frac{k}{m}} = -\frac{b}{2m} \pm i\sqrt{\frac{k}{m} - \left(\frac{b}{2m}\right)^2}$$





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