My title

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1	Ve	ery simple demo	

i very simple demo

1.1 UTF8 support + escape math equation

Note that UTF8 is supported (the α variable):

```
# Generate a matrix a_{i,j} = \mathcal{U}([0,1[) lpha=\mathrm{rand} (4,5)
```

1.2 Long lines are wrapped

```
function \otimes(a::AbstractArray{T},b::AbstractArray{S}) where {T<:Number,S<:Number} \hookrightarrow kron(a,b) end; \beta = rand(2,5); \gamma = \alpha \otimes \beta
```

```
8x25 Array{Float64,2}:

0.441551  0.215337  0.426676  0.00846026  ...  0.788152  0.0156277  0.493394

0.209866  0.168023  0.0863321  0.339892  0.159472  0.627846  0.0462156

0.912372  0.444948  0.881635  0.0174813  0.477811  0.00947418  0.299116
```

```
      0.433643
      0.347184
      0.178387
      0.702315
      0.0966786
      0.380626
      0.0280178

      0.460432
      0.224545
      0.444921
      0.00882202
      0.653106
      0.01295
      0.408853

      0.21884
      0.175208
      0.0900238
      0.354426
      ...
      0.132147
      0.520267
      0.0382967

      0.663026
      0.323347
      0.640689
      0.0127038
      0.758835
      0.0150464
      0.475041

      0.315131
      0.252301
      0.129635
      0.510376
      0.15354
      0.604492
      0.0444965
```

1.3 Plot example

You can easily generate plots, one example from Plots Julia package, is used to generate Figure 1.

```
\theta = linspace(0,1.5\pi,100)

r = abs(0.1 * randn(100) + sin.(30))

plot(\theta,r,proj=:polar,m=2)
```

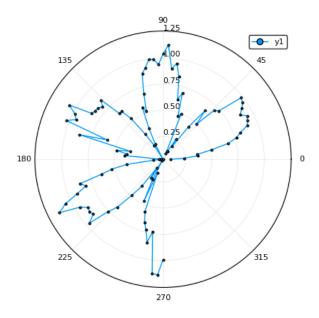


Figure 1: A polar plot.

1.4 Org with bibliography

$$\frac{d}{dt} \iint_{\Sigma(t)} \mathbf{F}(\mathbf{r}, t) \cdot d\mathbf{A} = \iint_{\Sigma(t)} \left(\mathbf{F}_t(\mathbf{r}, t) + \left[\nabla \cdot \mathbf{F}(\mathbf{r}, t) \right] \mathbf{v} \right) \cdot d\mathbf{A} - \qquad (1)$$

$$\oint_{\partial \Sigma(t)} \left[\mathbf{v} \times \mathbf{F}(\mathbf{r}, t) \right] \cdot d\mathbf{s}$$

Eq. 1 is demonstrated in [1].

References

[1] Harley Flanders. "Differentiation Under the Integral Sign". In: *The American Mathematical Monthly* 80.6 (June 1973), p. 615. DOI: 10. 2307/2319163. URL: https://doi.org/10.2307/2319163.