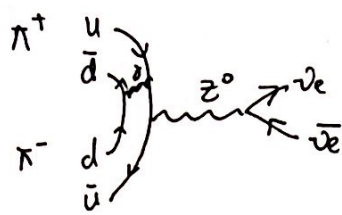
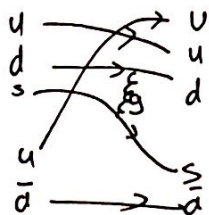


Neutrons interact weakly  $\Rightarrow$  Pick dominant decay for Feynman Diagram

$\hookrightarrow$  Always in terms of core particles  
 $\hookrightarrow$  Many cross lines (not preferred)  
 $\hookrightarrow$  Strong, requires gluon

$$\Lambda_0 + \pi^+ \rightarrow p + \bar{K}^0$$



$$\begin{aligned} M_p &\approx 940 \text{ MeV}/c^2 \\ M_n &> M_p \\ M_e &\approx 0.5 \text{ MeV}/c^2 \end{aligned}$$

Strong:  $10^{-22} - 10^{-24}$

EM:  $10^{-16} - 10^{-21}$

Weak:  $10^{-7} - 10^{-13}$   $\Rightarrow$  depends on  $Q^2$  flavor & available phase space

$\Rightarrow$  Same coupling, set proportionally to  $S^{\text{th}}$  power  $\sim \left(\frac{M_{\text{UV}}}{M_{\text{IR}}}\right)^5$

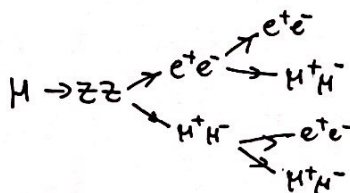
• Gluons are self mediating, they carry color charge and form  $q\bar{q}$  so self-cancel  
 The LHC is essentially two gluons colliding at high velocity.

Kinematics

$$\sigma_n \sim 20,000 \text{ fb}$$

$$N = \sigma L$$

Events Cross Section Area Luminosity



$\Rightarrow$  4 final branches, multiply out one length by 4. Probabilities add all.

Pion Decay - Helicity

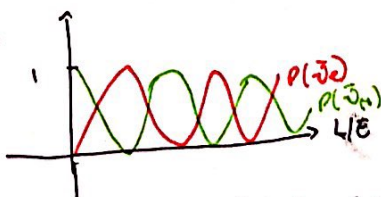
$$\pi^+ \rightarrow \ell^+ + \nu_\ell$$

$$\ell = e, \mu$$

Lepton universality meant we expected the same rate, but  $\pi$  has spin, leptons must be produced back-to-back.  
 Only left handed neutrinos & charged leptons interact weakly and right handed antineutrinos and right handed antileptons interact weakly, so one type of decay is suppressed.  
 $\hookrightarrow$  helicity suppression. Once one takes helicity is swapped. Muon's particles are difficult to one take, electron is lighter than muon so is more suppressed as the helicity is more difficult to alter one set.

Neutrino oscillations

$$P(\nu_\alpha \rightarrow \nu_\beta) \neq 0$$



Maximum ratio:  $\frac{10^5}{10^8} = 10^{-3}$

$\Rightarrow$  Proportional to the ratios between them.

Bending Ratios: color prefers not to leave fermions

$$|k^0| = d\vec{s}$$

$$\vec{E} = \beta \gamma m \vec{v}, L = \beta \gamma \vec{r}, p = \beta \gamma m \vec{v}$$

$\Rightarrow$  Energy in rest frame:  $M_i = E_{p_i} + \vec{E} \cdot \vec{p}_i$   
 Momentum:  $\vec{p}_{p_i} = -\vec{p}_i = \vec{p}$

Then consider individual energies.