## Hand in problem 2 in Information Theory

Fredrick Nilsson

February 2, 2024

## Report

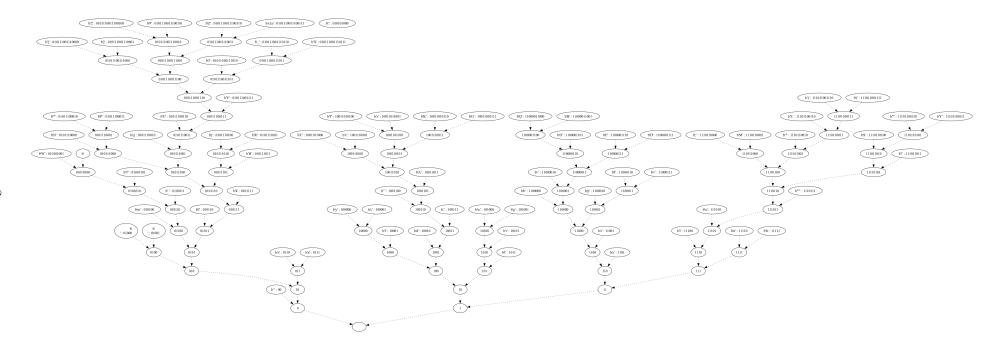


Figure 1: The huffman tree

## Source code

```
from collections import Counter
from bitarray import bitarray
import numpy as np
from entropy import InfoTheory
INPUT_PATH = 'Alice29.txt'
COMPRESSED_PATH = 'compressed'
DECOMPRESSED_PATH = 'decompressed.txt'
CODE_TABLE_PATH = 'code_table.csv'
OCCURANCE_PATH = 'occurance.csv'
class Node(object):
    def __init__(self, zero=None, one=None):
        self.zero = zero
        self.one = one
    def children(self):
        return (self.zero, self.one)
    def __str__(self):
        return '%s_%s' % (self.zero, self.one)
def read_data(path):
    # Output:
        data: file as array of raw bytes
    if isinstance(path, str):
        data = []
        with open(path, 'rb') as f:
            for byte in f.read():
                data.append(byte.to_bytes(1, byteorder='big'))
        return data
    else:
        raise TypeError('Input must be a string')
def print_to_file(data, path):
    # Input:
        data: bytes to print
        path: string with the path to the file
    # print(type(data))
    # print(type(path))
    if isinstance(data, bytes) and isinstance(path, str):
        with open(path, 'wb') as f:
            f.write(data)
```

```
else:
        raise TypeError('Input must be bytes and a string')
def huffman_tree(occurrences):
    # Input:
    # occurrences: dictionary with the number of occurrences of each

    symbol

    # Output:
        root: the root of the Huffman tree
    if isinstance(occurrences, dict):
        probabilities = sorted([(key, value)
                                for (key, value) in
                                 → occurrences.items()], key=lambda x:
        while len(probabilities) > 1:
            left = probabilities.pop(0)
            right = probabilities.pop(0)
            node = Node(left[0], right[0])
            probabilities.append((node, left[1]+right[1]))
            probabilities = sorted(probabilities, key=lambda x: x[1])
        return probabilities.pop(0)[0]
    else:
        raise TypeError('Input must be a dictionary')
def codebook(node, code=''):
    # Input:
        root: the root of the Huffman tree
        code: the code for the current node
        codebook: a dictionary with the Huffman code for each symbol
    if isinstance(node, Node):
        book = \{\}
        (zero, one) = node.children()
        book.update(codebook(zero, code+'0'))
        book.update(codebook(one, code+'1'))
        return book
    elif isinstance(node, bytes):
        return {node: code}
    elif node is None:
       return {}
    else:
        print(type(node))
        raise TypeError('Input must be a Node')
```

```
def compress(data, codebook):
    # Input:
        data: list of bytes with the data to compress
        codebook: a dictionary with the Huffman code for each byte
    # Output:
        compressed_data: bytes with the compressed data
    if isinstance(data, list) and isinstance(codebook, dict):
        s = 11
        for symbol in data:
            s += (codebook[symbol])
        # If the compressed data is not a multiple of 8, it will add
        → dummy bits to make it a multiple of 8
        # Select dummy bits so that they match no code in the codebook
        # If it doesn't find any unused bit combination in 2^l
        → attempts, it will simply fill it with zeroes which might
        \rightarrow add additional characters on decompression
        if len(s) % 8 != 0:
            1 = (8-len(s) \% 8)
            inv_codebook = {value: key for key, value in

    codebook.items()}

            for _ in range(pow(2, 1)):
                dummy_bits = ''.join(str(element) for element in [
                                     np.random.choice([0, 1]) for i in
                                      \rightarrow range(1)])
                if any([inv_codebook.get(dummy_bits[0:i]) is not None

→ for i in range(0, len(dummy_bits))]):
                    continue
                else:
                    s += dummy_bits
                    break
        compressed_data = bitarray(s).tobytes()
        return compressed_data
    else:
        raise TypeError('Input must be a list and a dictionary')
def decompress(compressed_data, codebook):
    # Input:
        compressed_data: list of bytes with the data to decompress
        codebook: a dictionary with the Huffman code for each byte
    # Output:
        data: bytes with the decompressed data
    if isinstance(compressed_data, list) and isinstance(codebook,
    → dict):
        data = bytes()
        codebook = {value: key for key, value in codebook.items()}
```

```
compressed_data = b''.join(compressed_data)
        s = bitarray()
        s.frombytes(compressed_data)
        s = s.to01()
        i = 0
        while i < len(s):
            j = i+1
            while s[i:j] not in codebook.keys() and j < len(s):
                j += 1
            if j < len(s)-1:
                data += (codebook[s[i:j]])
            elif j == len(s) and s[i:j] in codebook.keys():
                data += (codebook[s[i:j]])
            i = j
        return data
    else:
        raise TypeError('Input must be a list and a dictionary')
def print_codebook(codebook, occurrences):
    # Input:
    # codebook: a dictionary with the Huffman code for each byte
    # Output:
        code_table.csv: a csv file with the codebook
    if isinstance(codebook, dict):
        probabilities = sorted([(key, value)
            for (key, value) in occurrences.items()], key=lambda x:

    x[1], reverse=True)

        with open(CODE_TABLE_PATH, 'w') as f:
            f.write("symbol,probability,code\n")
            for [key, value] in probabilities:
                f.write("%s,%s,%s\n" % (key.hex(), str(value),

    codebook[key]))

    else:
        raise TypeError('Input must be a dictionary')
def print_occurance(occurrences):
    # Input:
        codebook: a dictionary with the Huffman code for each byte
    # Output:
       code_table.csv: a csv file with the codebook
    if isinstance(codebook, dict):
        probabilities = sorted([(key, value)
            for (key, value) in occurrences.items()], key=lambda x:

    x[1], reverse=True)

        with open(OCCURANCE_PATH, 'w') as f:
            f.write("symbol,probability\n")
            for [key, value] in probabilities:
```

```
f.write("%s,%s\n" % (key.hex(), str(value)))
    else:
       raise TypeError('Input must be a dictionary')
if __name__ == '__main__':
    # COMPRESS
   data = read_data(INPUT_PATH)
   occurrences = Counter(data)
   root = huffman_tree(occurrences)
    codebook = codebook(root)
    compressed_data = compress(data, codebook)
    entropy = InfoTheory.Entropy(InfoTheory, np.array([value/len(data)
    → for _, value in occurrences.items()]))
    entropy_compressed =
    InfoTheory.Entropy(InfoTheory,np.array([value/len(data) for _,
    → value in Counter(compressed_data).items()]))
   print("Entropy of original text: " + entropy)
   print("Entropy of compressed text: " + entropy_compressed)
   average_length = sum([len(codebook[key])*value for key, value in

→ occurrences.items()])/len(data)
   print("Average character length in compressed text: " +
    → average_length)
   print_to_file(compressed_data, COMPRESSED_PATH)
   print_codebook(codebook, occurrences)
    # DECOMPRESS
    compressed = read_data(COMPRESSED_PATH)
    comp_count = Counter(compressed)
   print_occurance(comp_count)
   decompressed = decompress(compressed, codebook)
   print_to_file(decompressed, DECOMPRESSED_PATH)
```

## ${\bf Codebook}$

	Ascii C	Count Code
ı		
	28900	00
<u> </u>	13381	1101
4	10212	1011
51 ·c	8149	0111
of so	7965	0110
68	7088	11111
6e 69	$6893 \\ 6778$	11110 11100
73	6277	11100
73 72	5293	10101
64	4739	10101
6c	4615	10010
0d	3608	010001
0a	3608	01000
75	3402	111010
67	2446	101010
77	2437	101001
2c	2437	100111
63	2253	1000111
79	2150	100001
66	1926	010110
6d	1920	010110
27	1761	1110111
70	1458	1100111
62	1383	1100010
60	1108	1001100
6b	1076	0101111
2e	977	0101111
76	803	11000111
49	733	11000111
2d	669	11000110
41	638	10011011
54	472	0101011
21	449	111011011
48	284	010111011
57	237	010111011
3a	233	010101001
53	218	1110110100
3f	202	1110110100
4d	200	1110110010
3b	194	1110110001
44	192	1100001111
45	188	1100001111
	188	1100001110