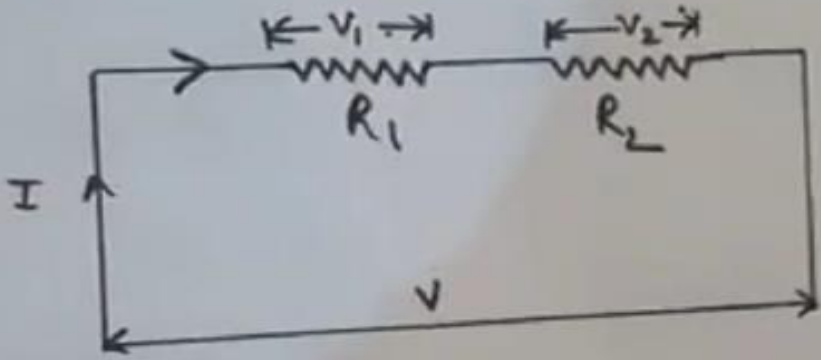


# Voltage Division Rules

## 1. Voltage Division Rule

The **voltage** is divided between two series resistors in direct proportion to their resistance.

VOLTAGE DIVISION RULE :-



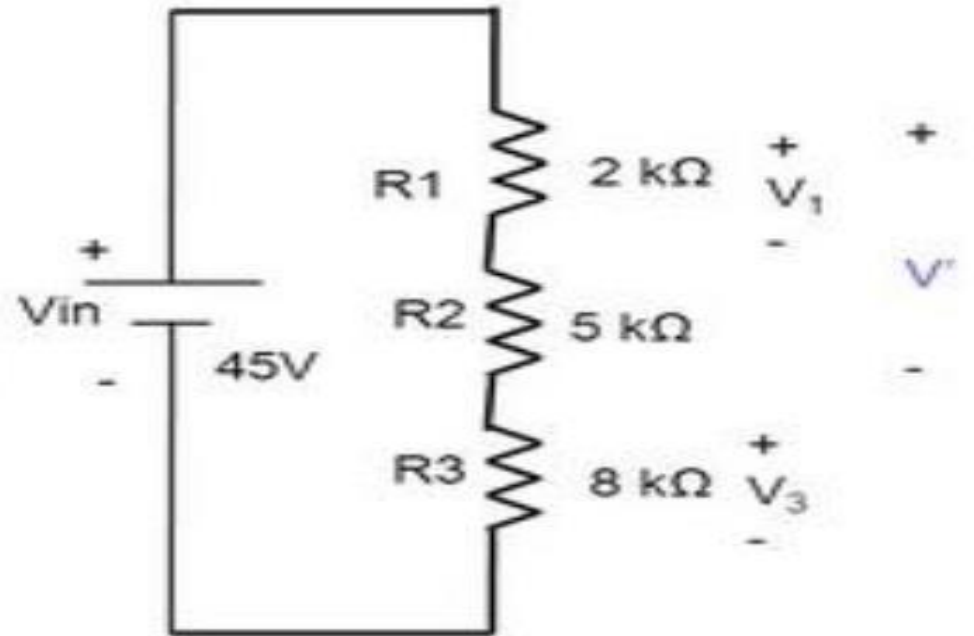
KVL

$$V = V_1 + V_2$$
$$V_1 = R_1 I$$
$$V_2 = R_2 I$$
$$I = V / (R_1 + R_2)$$
$$V = R_1 I + R_2 I$$
$$V = I (R_1 + R_2)$$
$$V_1 = V \times \frac{R_1}{R_1 + R_2}$$
$$V_2 = V \times \frac{R_2}{R_1 + R_2}$$

# Voltage Division Rules

## Voltage Divider Rule – Example 2

Using the voltage divider rule, determine the voltage  $V_1$  and  $V_3$  for the series circuit



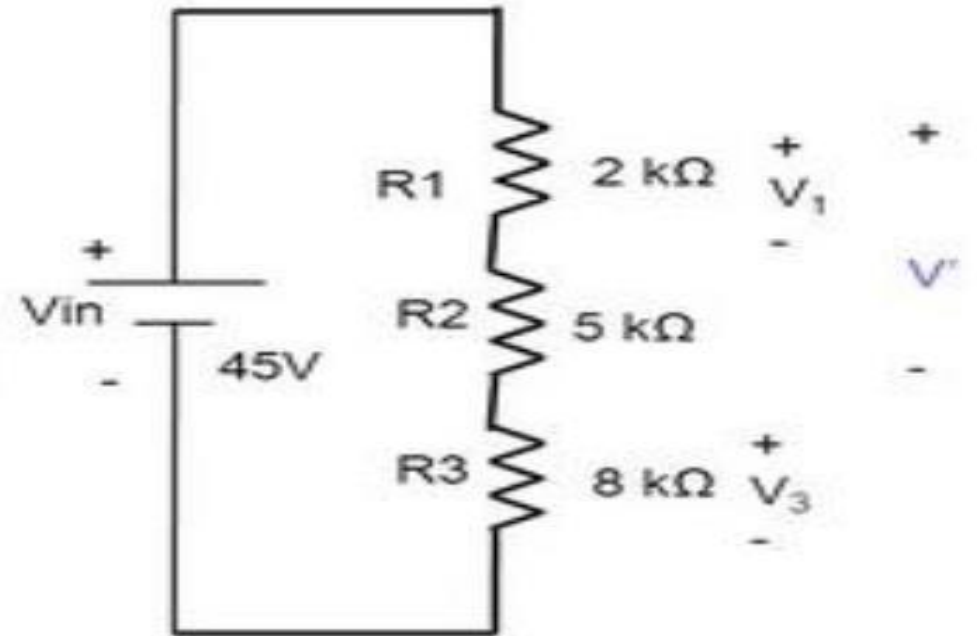
# Voltage Division Rules

## Voltage Divider Rule – Example 2

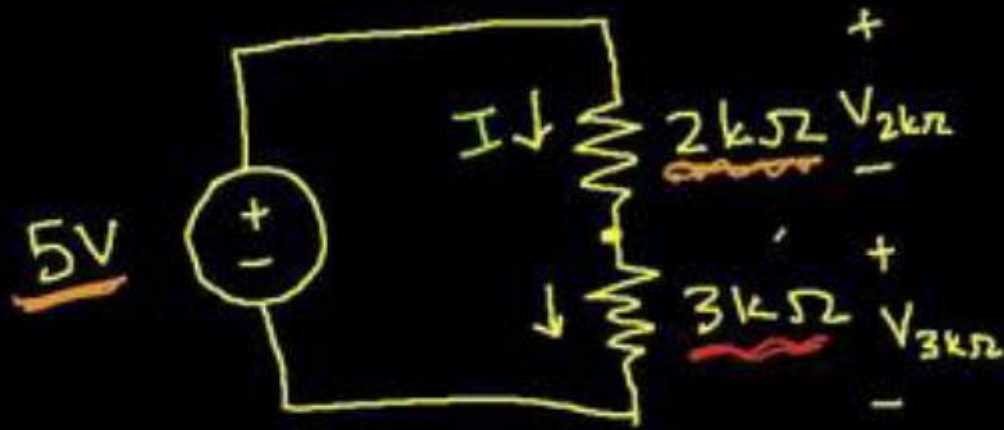
Using the voltage divider rule, determine the voltage  $V_1$  and  $V_3$  for the series circuit

$$V_1 = \frac{R_1 V_{in}}{R_T} = \frac{(2k\Omega)(45V)}{2k\Omega + 5k\Omega + 8k\Omega} = \frac{(2k\Omega)(45V)}{15k\Omega}$$
$$= \frac{(2 \times 10^3 \Omega)(45V)}{15 \times 10^3 \Omega} = \frac{90}{15} = 6V$$

$$V_3 = \frac{R_3 V_{in}}{R_T} = \frac{(8k\Omega)(45V)}{2k\Omega + 5k\Omega + 8k\Omega} = \frac{(8 \times 10^3 \Omega)(45V)}{15 \times 10^3 \Omega}$$
$$= \frac{360}{15} = 24V$$




# Voltage Division Rules



# Current Division Rule

Current division refers to the splitting of current between the branches.

parallel  $\rightarrow V \rightarrow$  same


$$R_{eq} = \frac{R_1 R_2}{R_1 + R_2}$$
$$V = I R_{eq} \Rightarrow V = \frac{I R_1 R_2}{R_1 + R_2}$$
$$I_1 = \frac{V}{R_1} = \frac{I R_1 R_2}{(R_1 + R_2) R_1} = \frac{I}{R_1 + R_2} R_2$$
$$I_2 = \frac{V}{R_2} = \frac{I}{R_1 + R_2} R_1$$

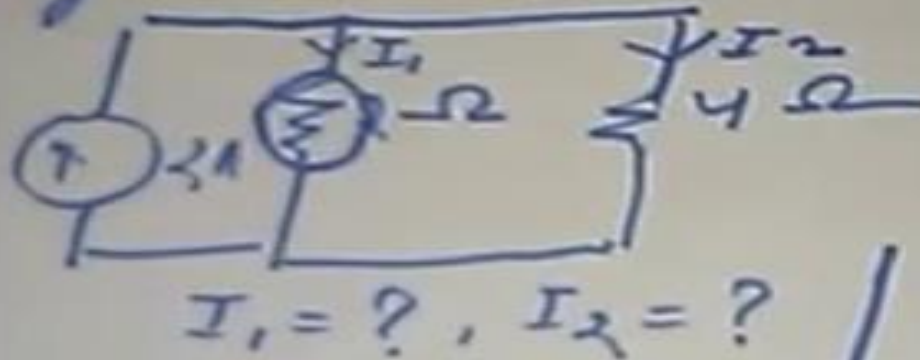
# Current Division Rule

## Examples-1

Current Division & Voltage Division.

current

current  $\Rightarrow$  Parallel.  
Voltage  $\Rightarrow$  Series.





# Current Division Rule

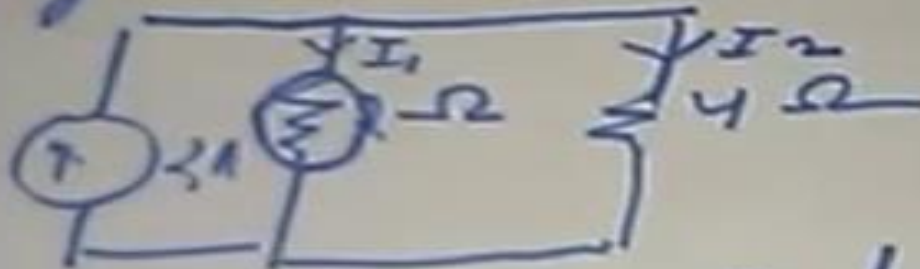
## Examples-1

Current Division & Voltage Division.

current

current  $\Rightarrow$  Parallel.

Voltage  $\Rightarrow$  Series.



$I_1 = ?$ ,  $I_2 = ?$

$$I_1 = \left( \frac{4}{2+4} \right) \times 2$$

$$I_1 = \frac{4}{3} \times 2 = \frac{8}{3} \text{ Amp.}$$

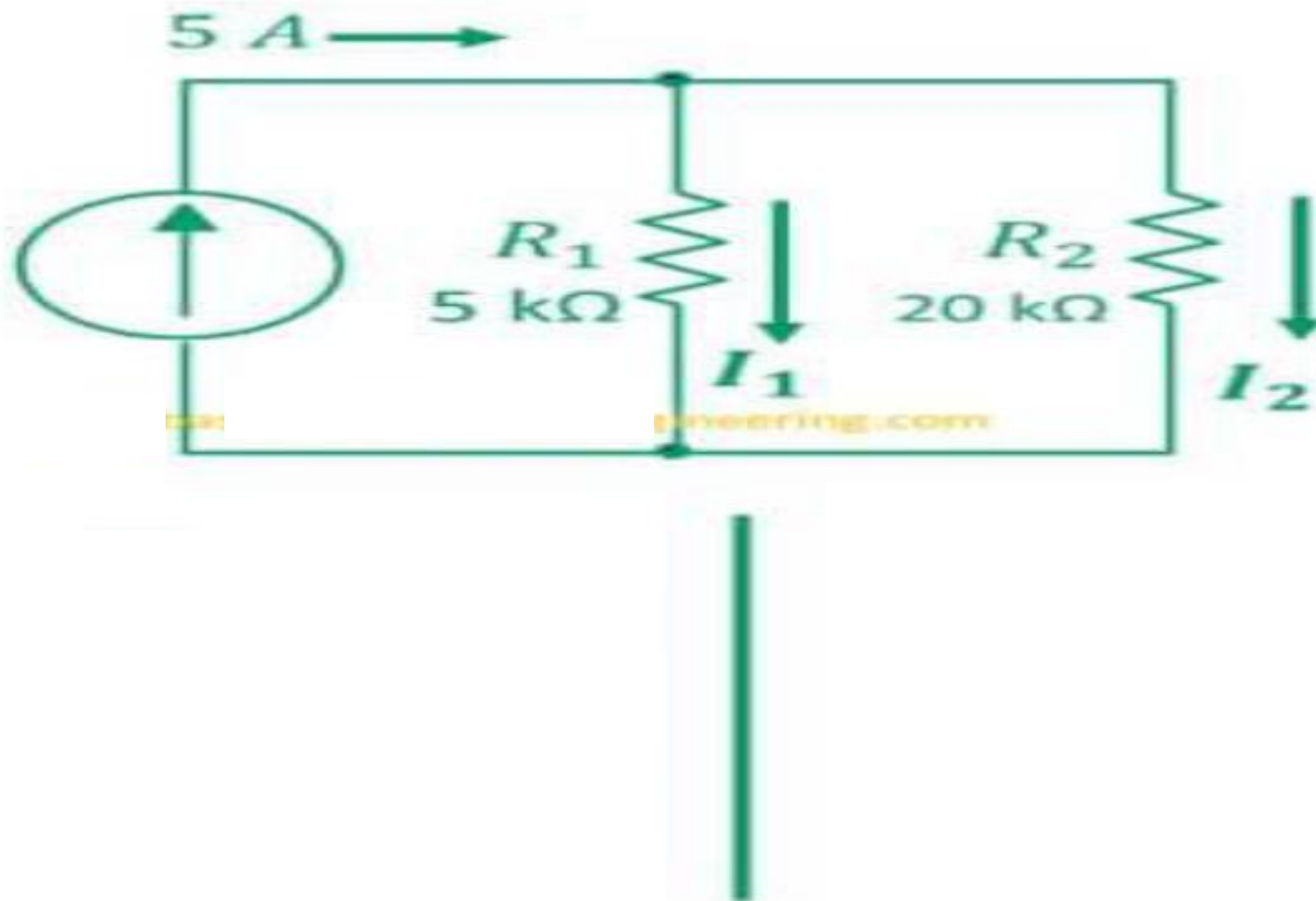
$$I = I_1 + I_2$$

$$= \frac{4}{3} + \frac{2}{3} = \frac{6}{3} = 2$$

$$I_2 = \left( \frac{2}{6} \right) \times 2$$

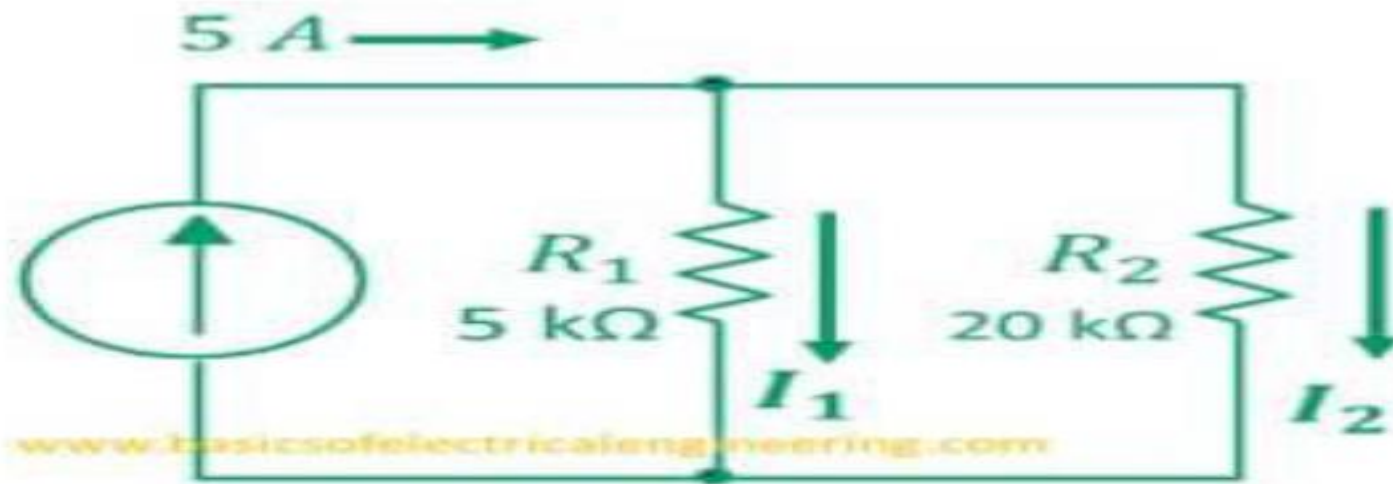
$$I_2 = \frac{2}{3}$$

# Current Division Rule





# Current Division Rule



$$I_1 = \frac{R_2}{R_1 + R_2} * I_t$$

$$I_1 = \frac{20 \text{ k}\Omega}{25 \text{ k}\Omega} * 5 \text{ A}$$

$$I_1 = 4 \text{ A}$$

$$I_2 = \frac{R_1}{R_1 + R_2} * I_t$$

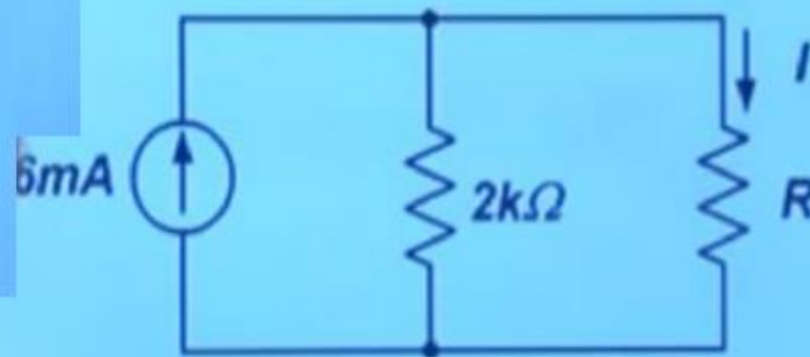
$$I_2 = \frac{5 \text{ k}\Omega}{25 \text{ k}\Omega} * 5 \text{ A}$$

$$I_2 = 1 \text{ A}$$

# Current Division Rule

## Current division – example 2

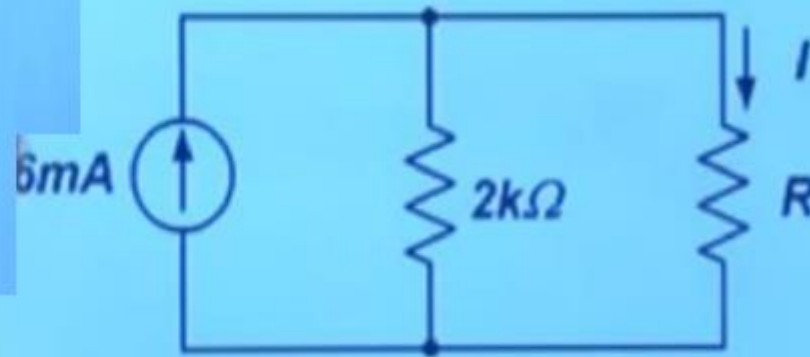
Determine the resistance,  $R$ , which makes  $I = 2\text{mA}$ .



# Current Division Rule

## Current division – example 2

Determine the resistance,  $R$ , which makes  $I = 2\text{mA}$ .



$$2(R + 2\text{k}\Omega) = 12\text{k}\Omega$$

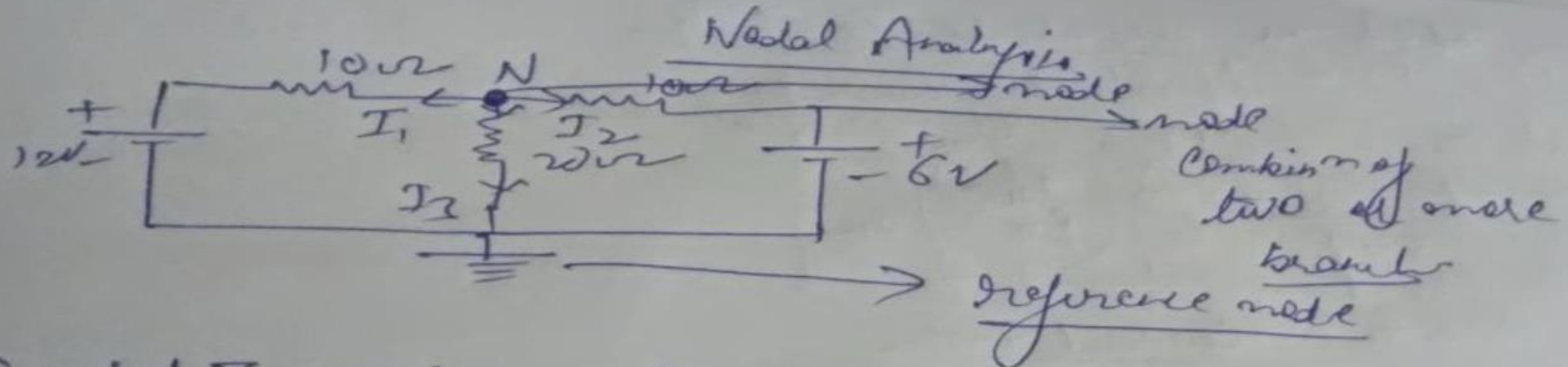
$$R + 2\text{k}\Omega = 6\text{k}\Omega$$

$$\underline{\underline{R = 4\text{k}\Omega}}$$

$$2\text{mA} = 6\text{mA} \left( \frac{2\text{k}\Omega}{R + 2\text{k}\Omega} \right)$$

# Nodal Analysis

**Nodal analysis** is a method that provides a general procedure for analyzing circuits using node voltages as the circuit variables. **Nodal Analysis** is also called the **Node-Voltage Method**.



Sum of Incoming = Sum of outgoing

$$0 = I_1 + I_2 + I_3$$

$$I_1 + I_2 + I_3 = 0$$

# Nodal Analysis

$$I_1 + I_2 + I_3 = 0$$
$$\left[ \frac{N-12}{10} + \frac{N-0}{20} + \frac{N-6}{10} = 0 \right]$$

$$\frac{\checkmark 2N-24 + \checkmark N + \checkmark 2N-12}{20} = 0$$

$$5N - 36 = 0$$

$$N = \frac{36}{5} \Rightarrow 7.2V$$

$$I_1 = \frac{N-12}{10} \Rightarrow \frac{7.2-12}{10} \Rightarrow -\frac{4.8}{10} \Rightarrow -0.48$$

$$I_2 = \frac{N}{20} \Rightarrow \frac{7.2}{20} \Rightarrow 0.36A$$

$$I_3 = \frac{N-6}{10} \Rightarrow \frac{7.2-6}{10} \Rightarrow \frac{1.2}{10} \Rightarrow 0.12A$$

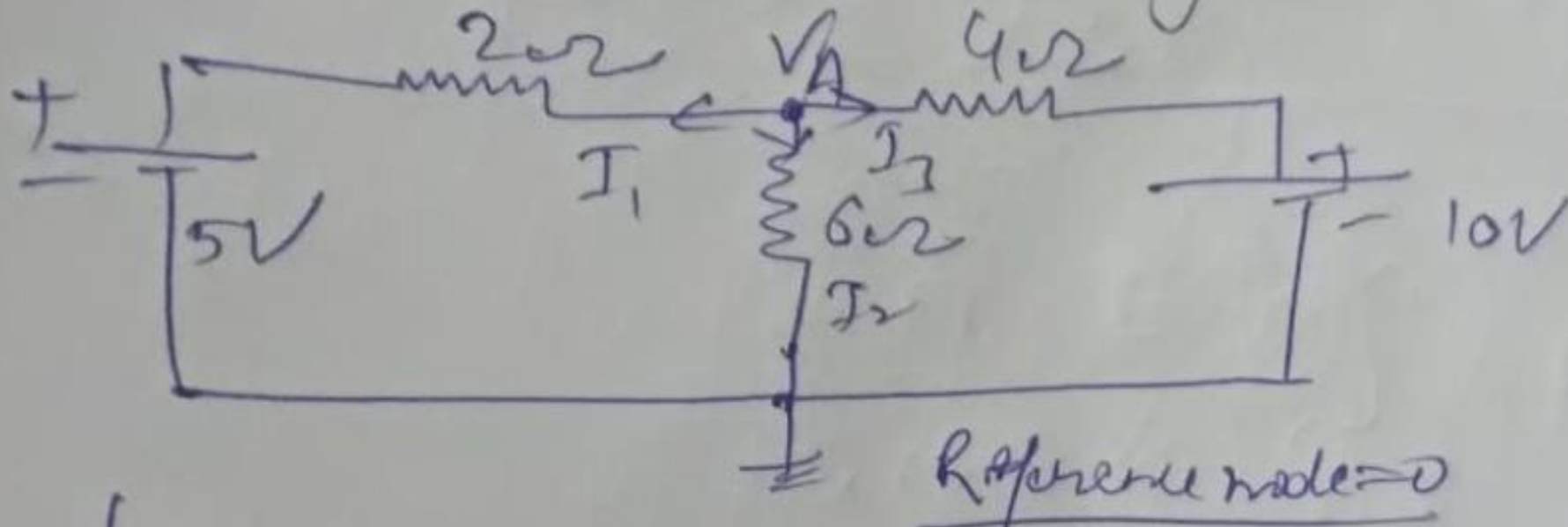
$$\begin{array}{l} -0.48 \\ -0.48 \\ 0.48 \end{array}$$



# Nodal Analysis

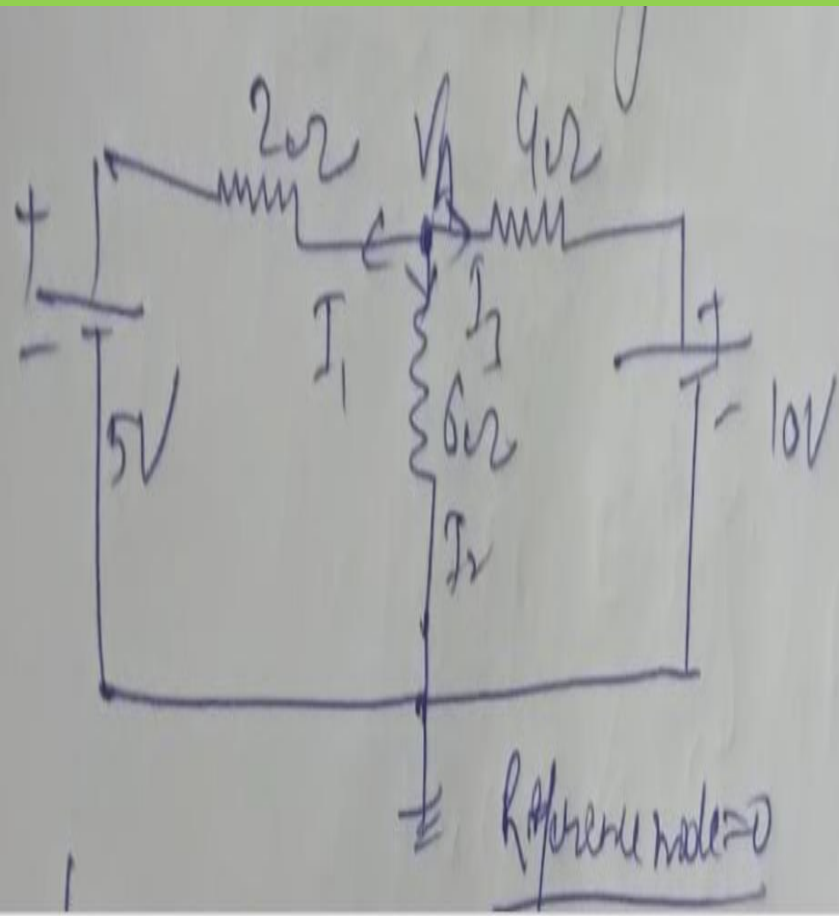
(2)

Nodal Voltage Analysis  
Nodal Analysis  
Nodal Voltage





# Nodal Analysis



(outgoing)  
 $I_1 + I_2 + I_3 = 0$  { KCL at node }

$$\frac{V_A - 5}{2} + \frac{V_A}{4} + \frac{V_A - 10}{6} = 0$$

$$\frac{6V_A - 30 + 3V_A + 3V_A - 30}{12} = 0$$

$$11V_A - 60 = 0$$

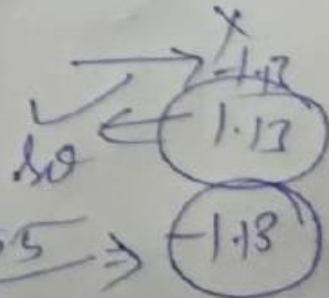
$$V_A = \frac{60}{11} = 5.45$$

$$I_1 = \frac{5 - 5.45}{2} = -0.2272 \text{ A}$$

$$I_2 = \frac{5.45 - 10}{4} = -1.1875 \text{ A}$$

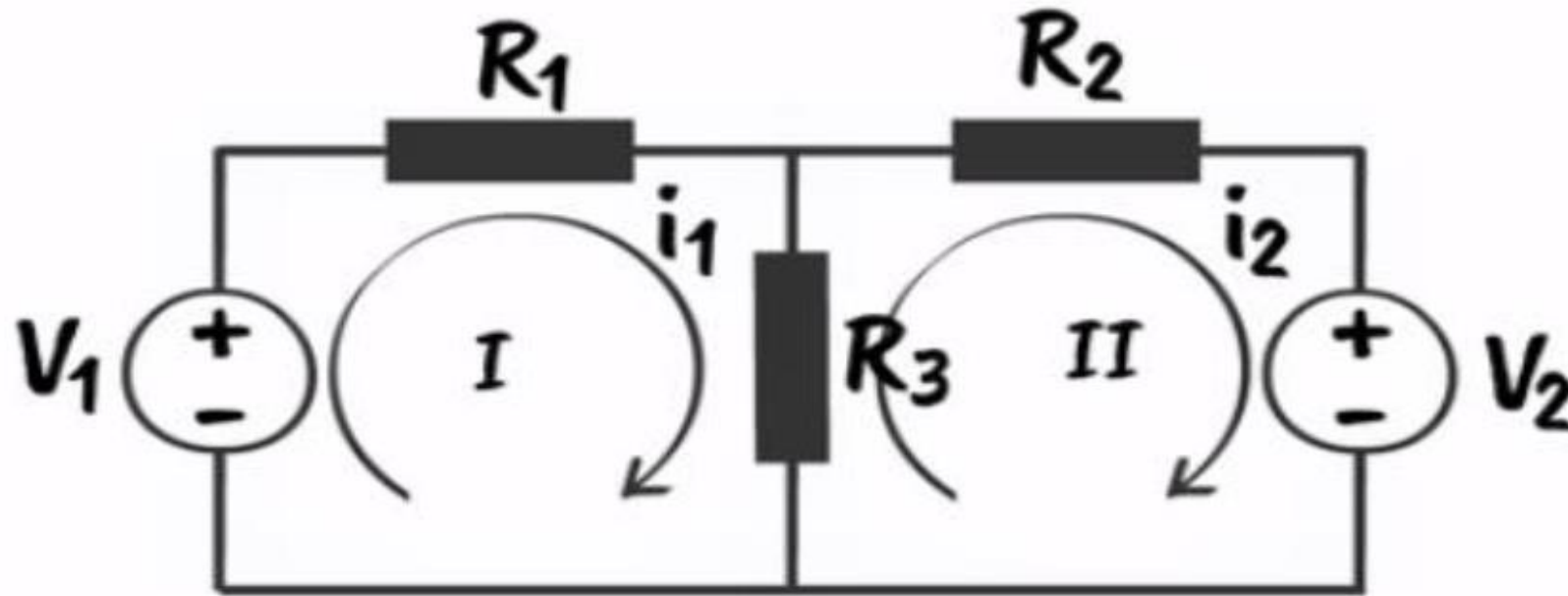
$$I_3 = \frac{5.45}{6} = 0.909 \text{ A}$$

$$I_3 = \frac{5.45 - 10}{6} = -0.808 \text{ A}$$



# Mesh Analysis

**Mesh analysis** is a method that is used to solve circuits for the currents at any place in the electrical circuit.

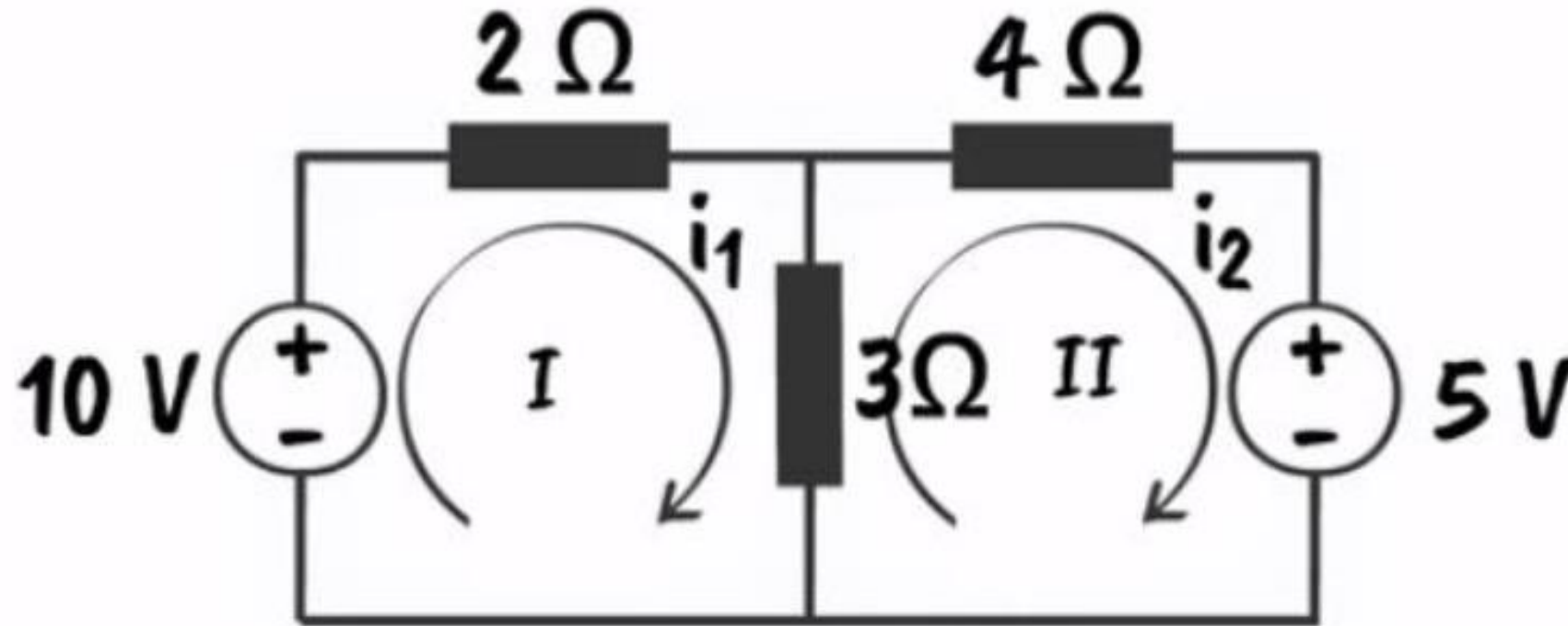


KVL

$$V_1 - i_1 R_1 - (i_1 - i_2) R_3 = 0 \text{ --- (1)}$$

$$- (i_2 - i_1) R_3 - i_2 R_2 - V_2 = 0 \text{ --- (2)}$$

# Mesh Analysis

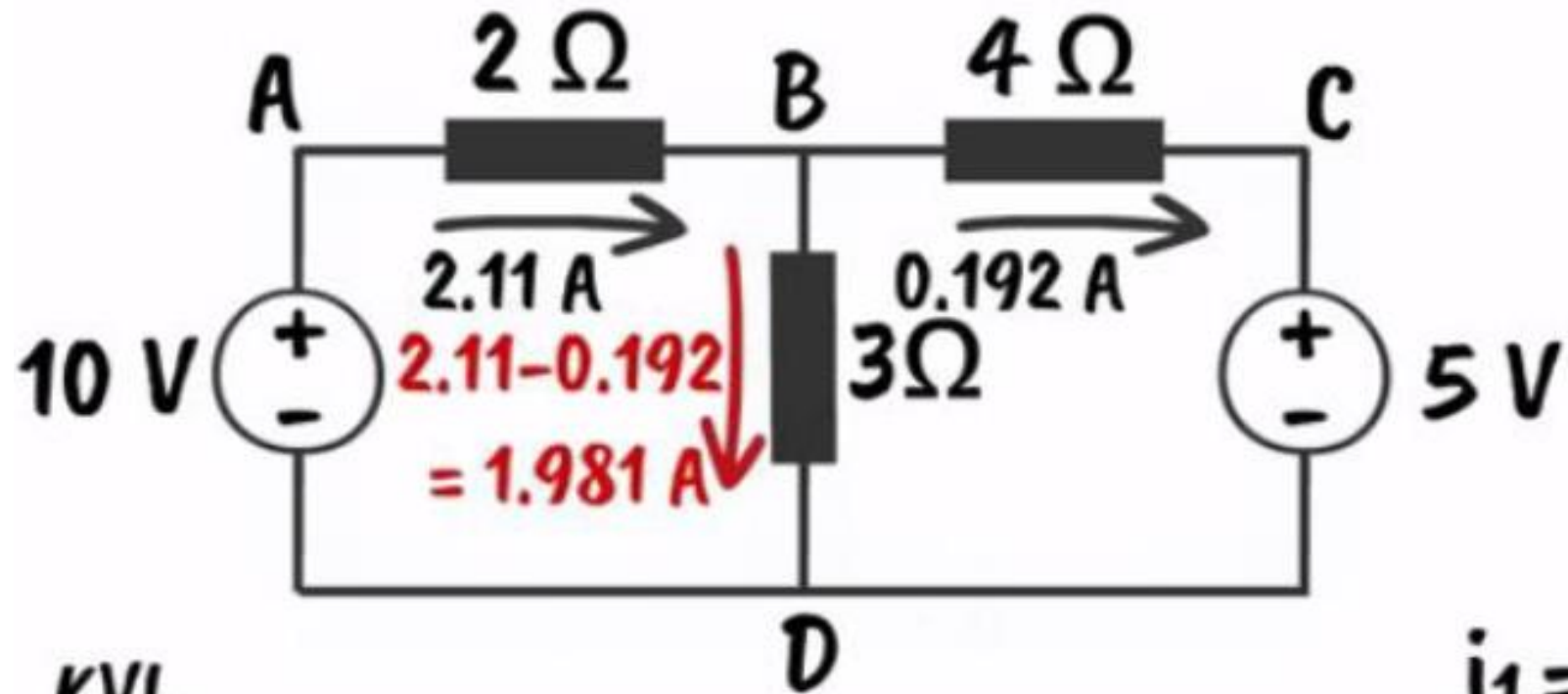


KVL

$$10 - i_1 2 - (i_1 - i_2) 3 = 0 \text{ --- (3)}$$

$$-(i_2 - i_1) 3 - i_2 4 - 5 = 0 \text{ --- (4)}$$

# Mesh Analysis



KVL

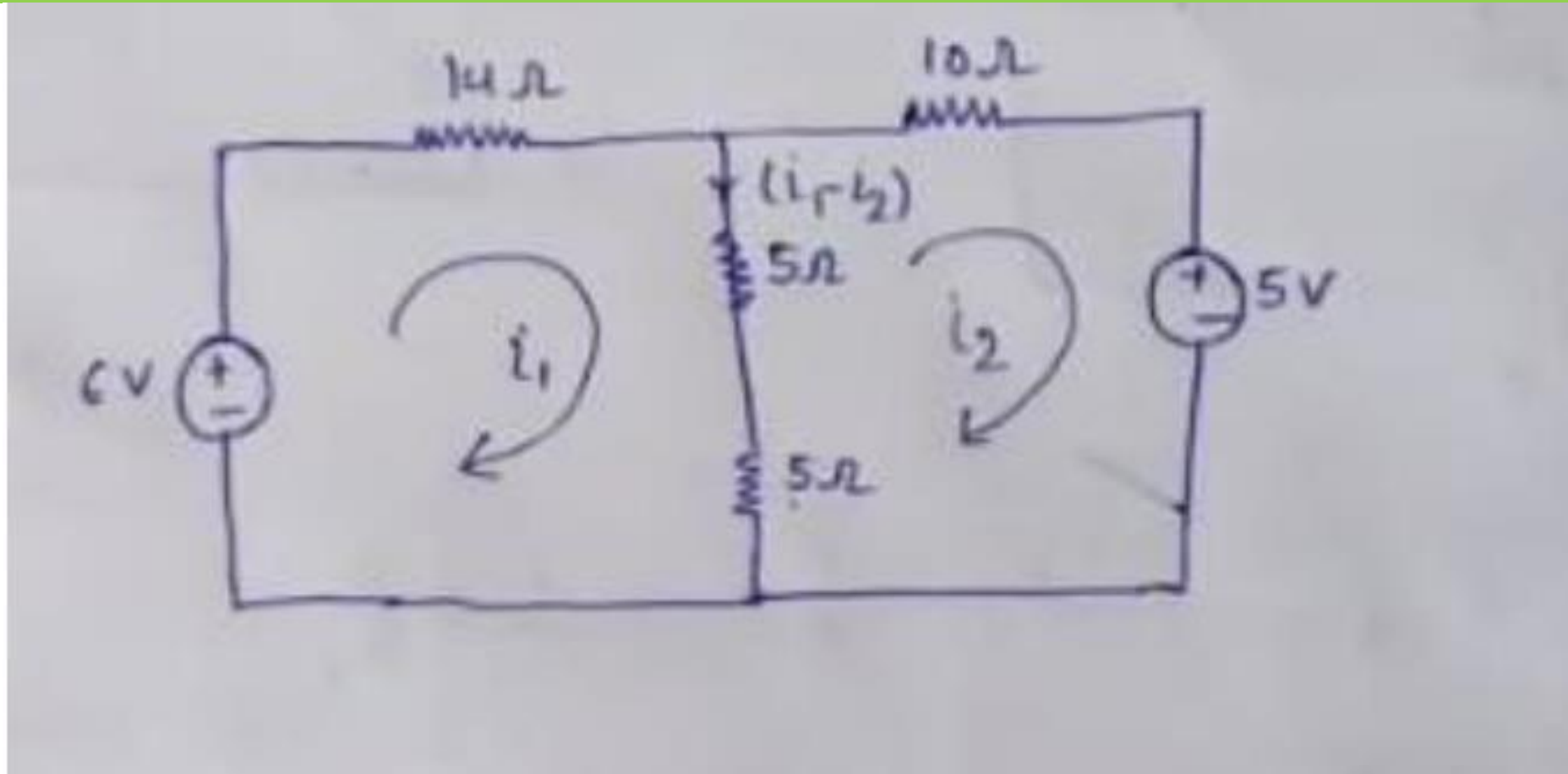
$$10 - i_1 2 - (i_1 - i_2) 3 = 0 \text{ --- (3)}$$

$$-(i_2 - i_1) 3 - i_2 4 - 5 = 0 \text{ --- (4)}$$

$$i_1 = 2.11 \text{ A}$$

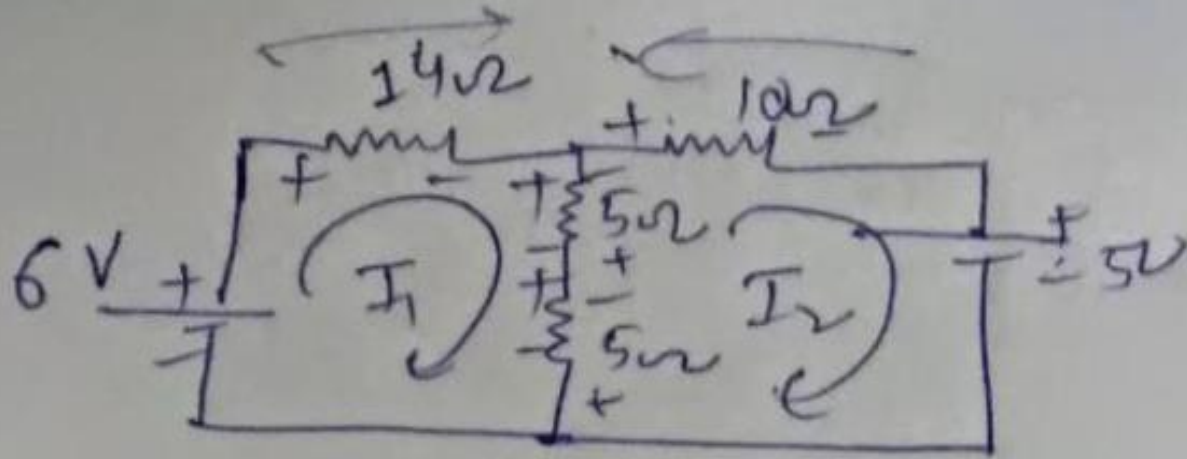
$$i_2 = 0.192 \text{ A}$$

# Mesh Analysis





# Mesh Analysis



$$I_1 = 184.2 \text{ mA}$$

$$I_2 = -157.89 \text{ mA}$$

$$I_2 = 157.89 \text{ mA} \leftarrow$$

$$I_1 + I_2 \Rightarrow \underline{341.79 \text{ mA}}$$

$$+6 - 14I_1 - 5(I_1 - I_2) - 5(I_1 - I_2) = 0$$

$$-10I_2 - 5 - 5(I_2 - I_1) - 5(I_2 - I_1) = 0$$



# Mesh Analysis

$$\begin{aligned}
 & \rightarrow \begin{cases} -14I_1 - 5I_1 + 5I_2 - 5I_1 + 5I_2 = 0 \\ -24I_1 + 10I_2 = 0 \\ -24I_1 + 10I_2 = -6 \Rightarrow \boxed{24I_1 - 10I_2 = 6} \end{cases} \\
 & \downarrow \begin{cases} -10I_2 - 5 - 5I_2 + 5I_1 - 5I_2 + 5I_1 = 0 \\ -20I_2 + 10I_1 = 5 \\ \boxed{-4I_2 + 2I_1 = 1} \end{cases} \\
 & \begin{cases} \boxed{12I_1 - 4I_2 = 1} \\ \boxed{24I_1 - 48I_2 = 12} \end{cases} \quad \text{--- (1)} \\
 & \begin{array}{r} 24I_1 - 48I_2 = 12 \\ 24I_1 - 10I_2 = 6 \\ \hline -38I_2 = 6 \\ \boxed{I_2 = \frac{-6}{38}} \Rightarrow -0.1578A \\ \checkmark I_2 \Rightarrow -157.89A \end{array} \\
 & \begin{aligned} & 24I_1 - \frac{10 \times -6}{38} = 6 \\ & 24I_1 = 6 + \frac{60}{38} \\ & 24I_1 = 6 + 1.5789 \\ & \checkmark I_1 = 0.1842A \end{aligned}
 \end{aligned}$$

$$\begin{aligned}
 & \checkmark I_1 = 184.2mA \\
 & I_2 = -157.89mA \\
 & I_2 = 157.89mA \leftarrow \\
 & I_1 + I_2 \Rightarrow 341.79mA
 \end{aligned}$$

# Independent Source

## Independent Source

The Source which does not depend on any other quantity (like voltage and current) in the circuit.



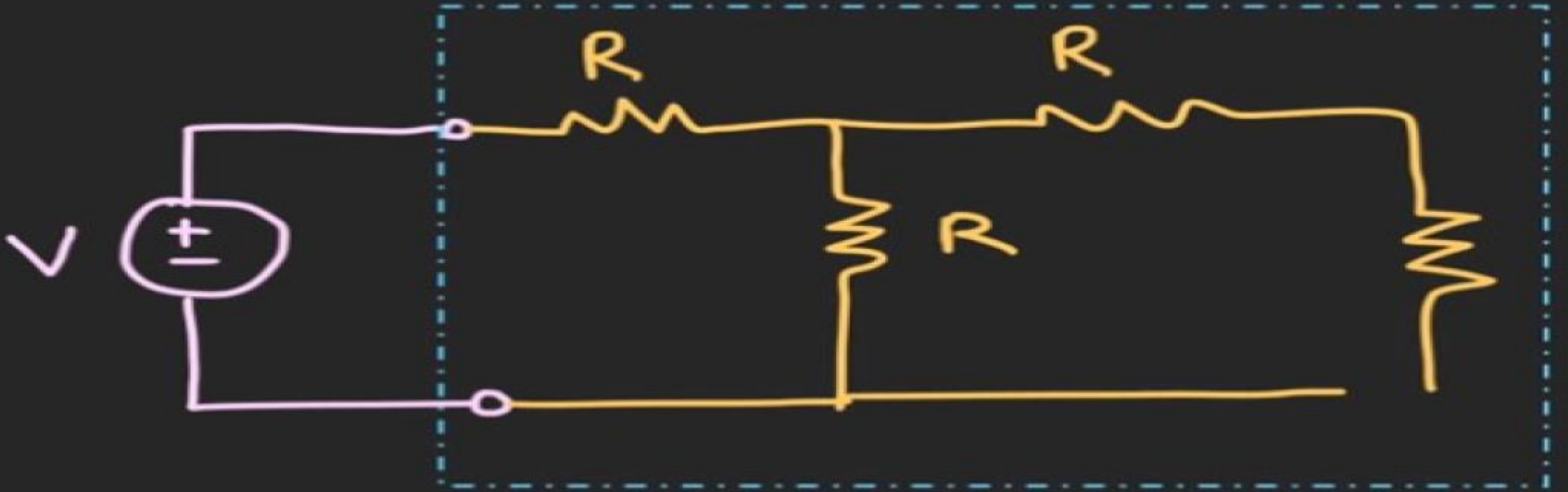
Voltage Source



Current Source

# Independent Source

Independent Source



# Dependent Source

## Dependent Source

The Source whose output value depends upon the voltage or current at some other part of the circuit.



Dependent Voltage Source

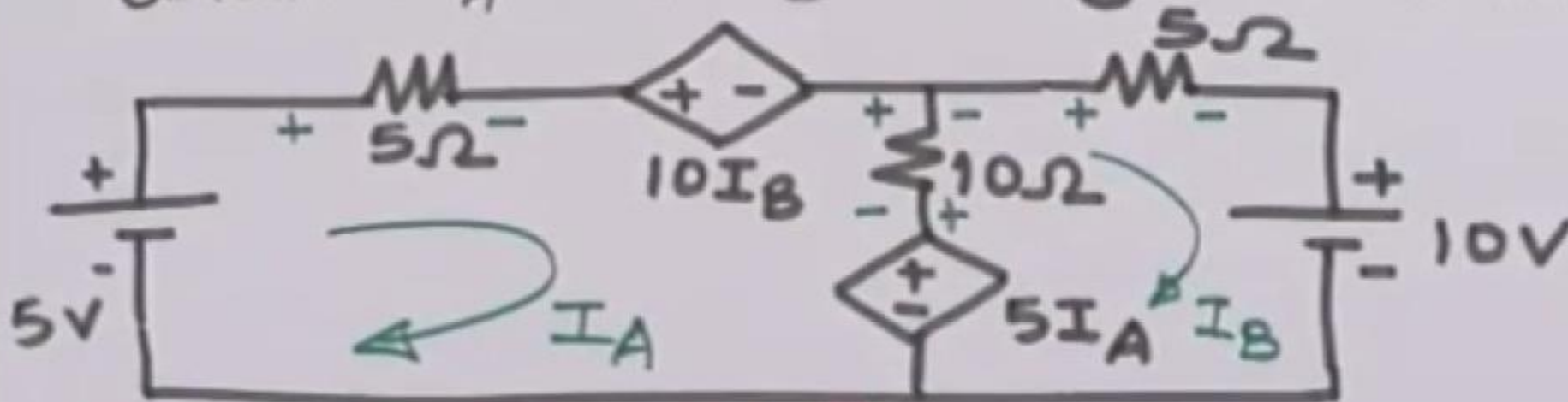


Dependent Current Source



# Discussions

Obtain  $I_A$  and  $I_B$  using Mesh Analysis



Apply KVL to mesh ①

$$5 - 5I_A - \cancel{10I_B} - 10I_A + \cancel{10I_B} - 5I_A = 0$$

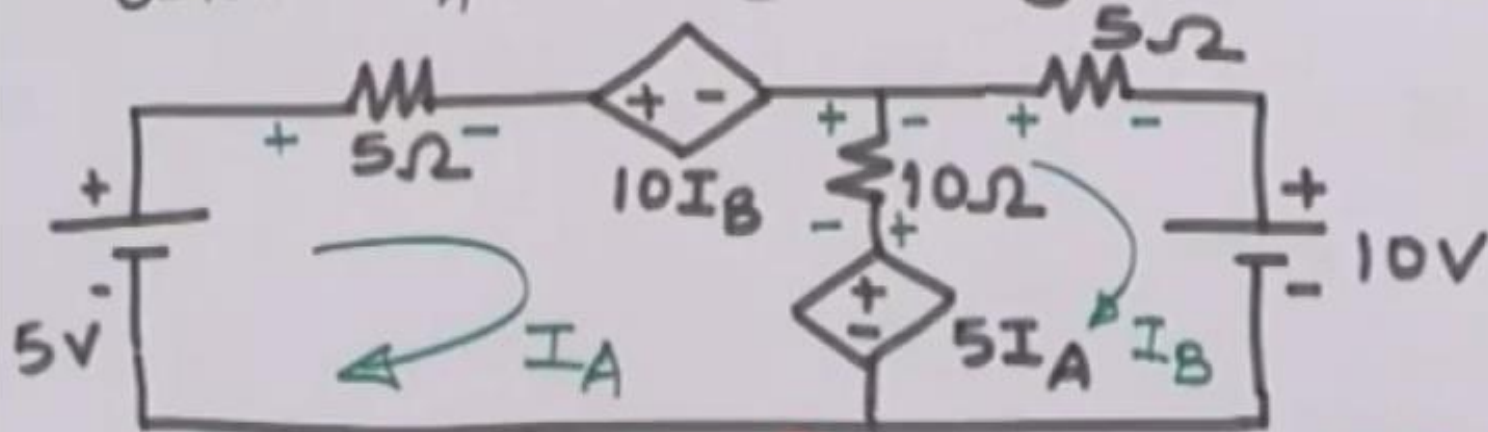
$$5 - 20I_A = 0$$

$$5 = 20I_A$$

$$\boxed{I_A = 0.25A}$$

# Discussions

Obtain  $I_A$  and  $I_B$  using Mesh Analysis.



Apply KVL to mesh ①

$$5 - 5I_A - \cancel{10I_B} - 10I_A + \cancel{10I_B} - 5I_A = 0$$

$$5 - 20I_A = 0$$

$$5 = 20I_A$$

$$\boxed{I_A = 0.25A}$$

Apply KVL to mesh ②

$$-5I_B - 10 + 5I_A - 10I_B + 10I_A = 0$$

$$\therefore 15I_A - 15I_B = 10$$

$$\therefore 15(0.25) - 15I_B = 10$$

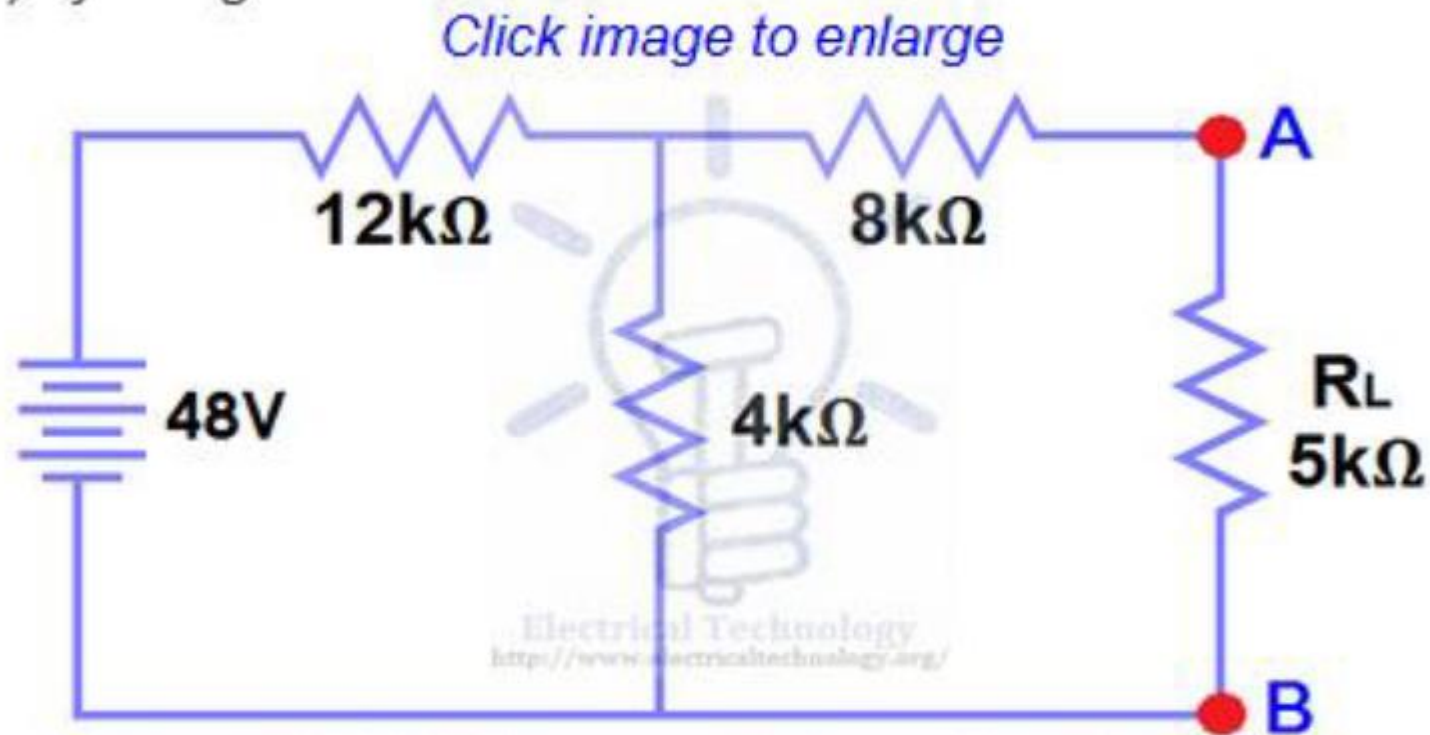
$$3.75 - 10 = 15I_B$$

$$\therefore \boxed{I_B = -0.4167A}$$



# Thevenin Theorem

Calculate current across  $5k\Omega$  using thevenin theorem

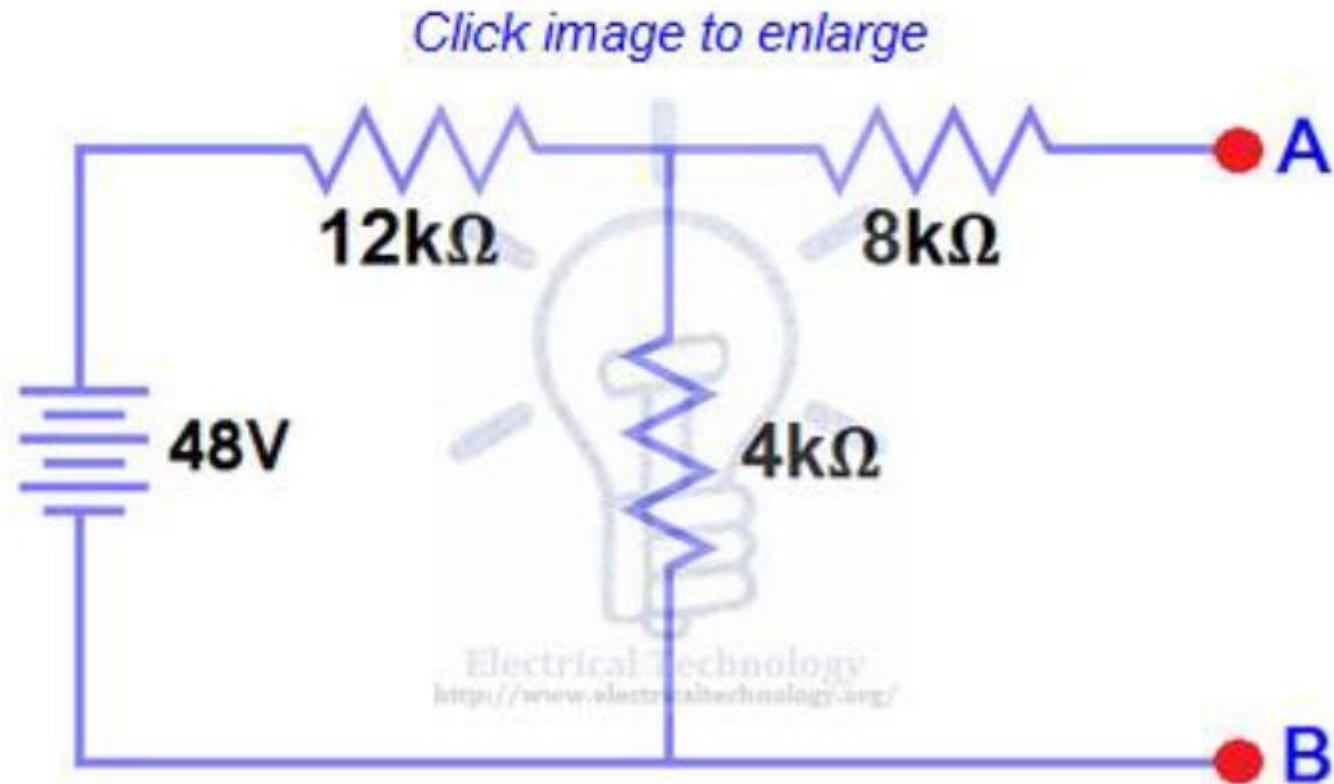


**Thevenin's Theorem. Easy Step by Step  
Procedure with Example (Pictorial Views)**

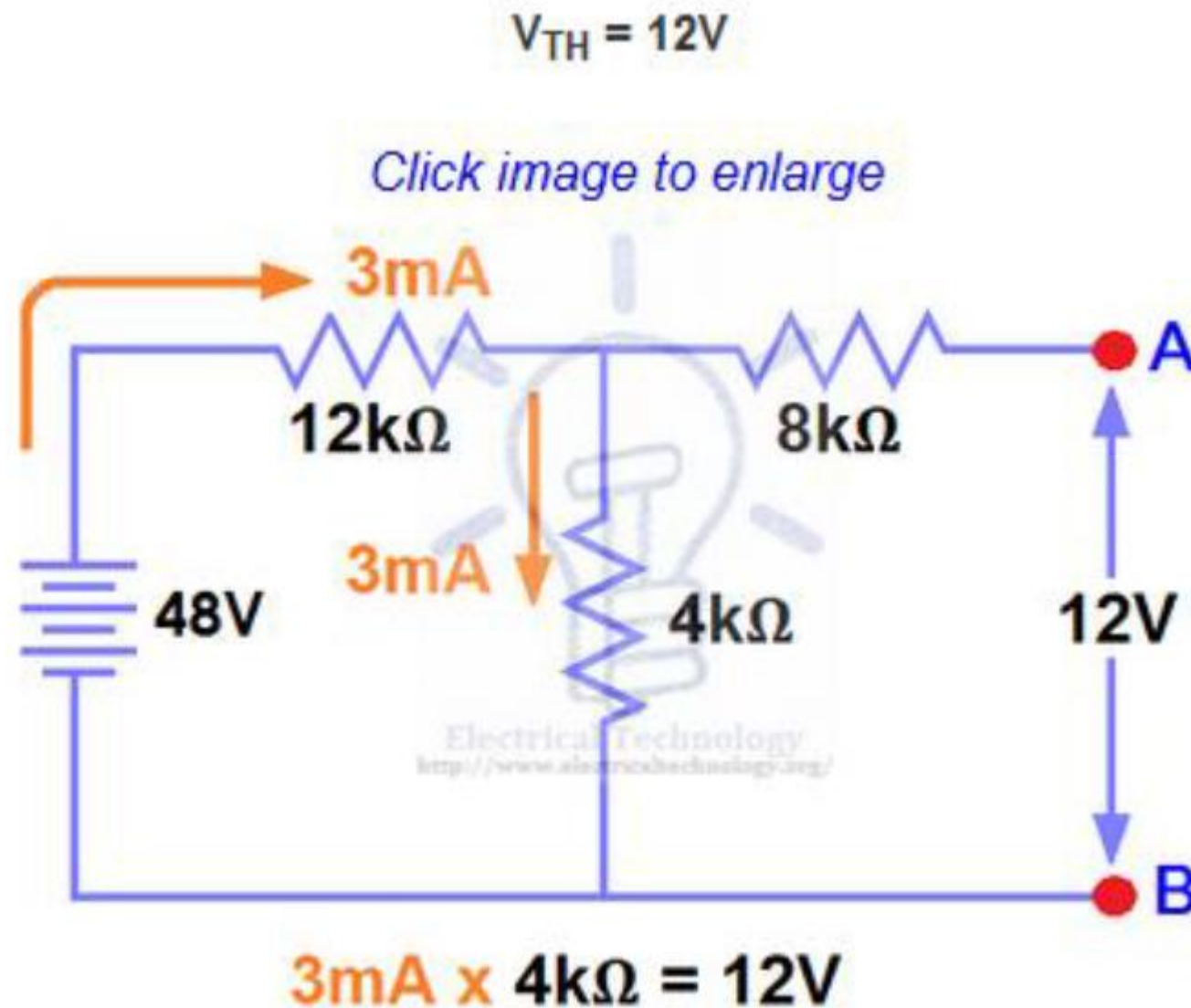
# Thevenin Theorem

## Step 1.

Open the **5k $\Omega$**  load resistor (Fig 2).



# Thevenin Theorem



**Total Voltage/ Total Resistance= Total Current**

**\*No Current flow through- 8kohm**

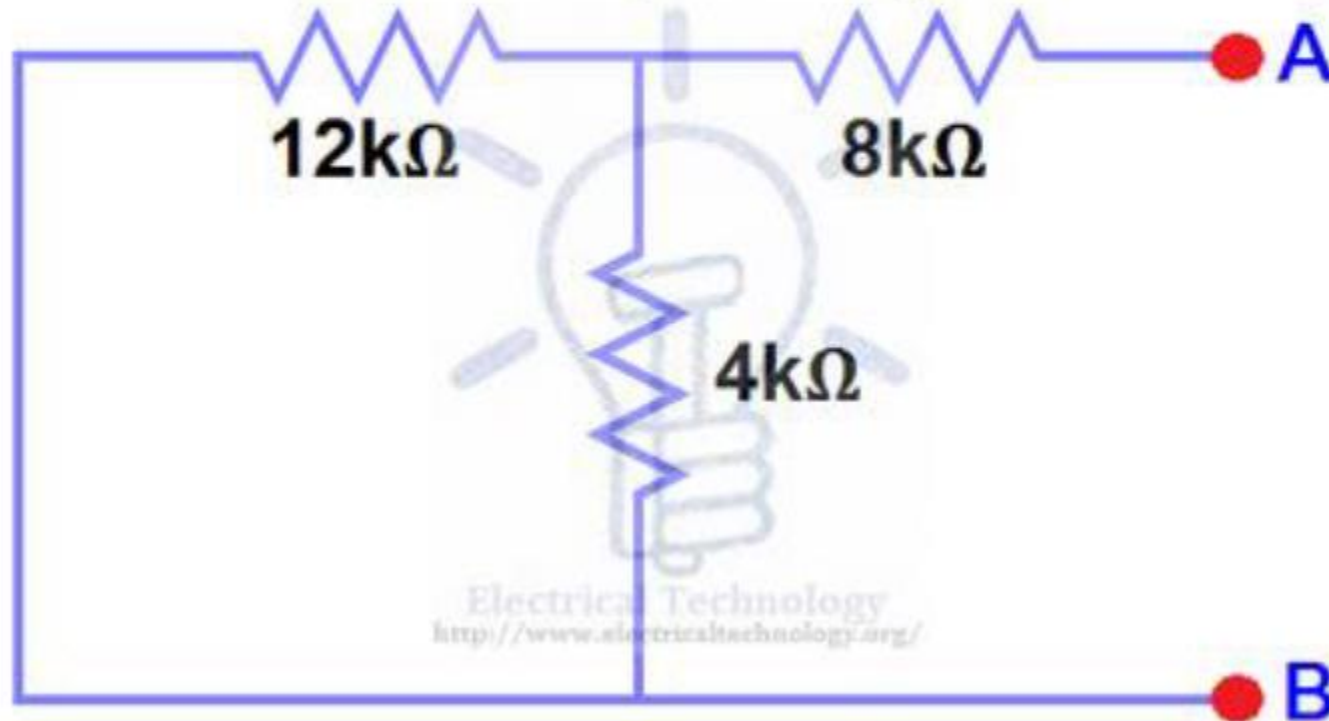
**\*Voltage Across 4kohm will be same- As Across A and B terminal**

# Thevenin Theorem

## Step 3.

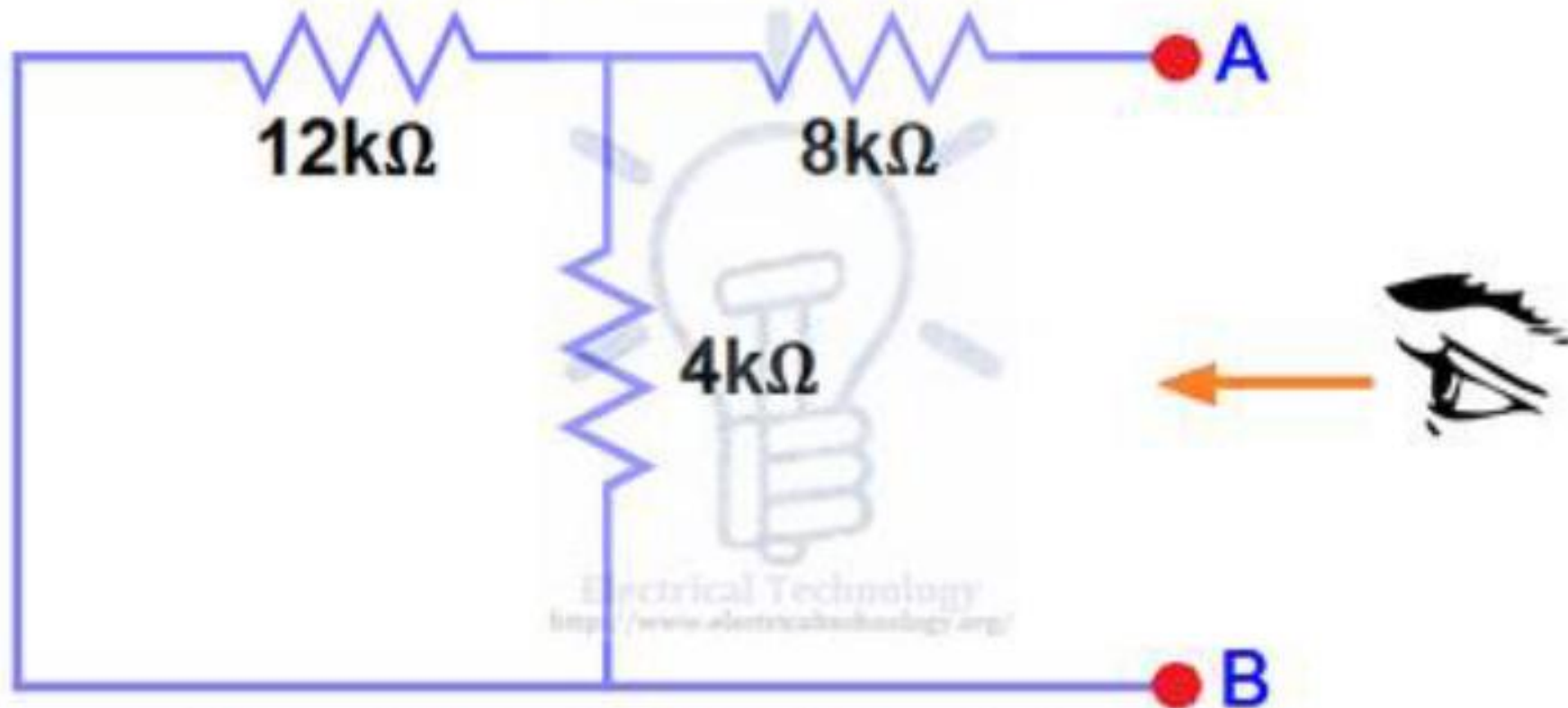
Open current sources and **short voltage sources** as shown below. Fig (4)

*Click image to enlarge*



# Thevenin Theorem

*Click image to enlarge*



$$= 8\text{k}\Omega + (4\text{k}\Omega \parallel 12\text{k}\Omega) \rightarrow = 8\text{k}\Omega + 3\text{k}\Omega$$

$$\boxed{R_{TH} = 11\text{k}\Omega}$$

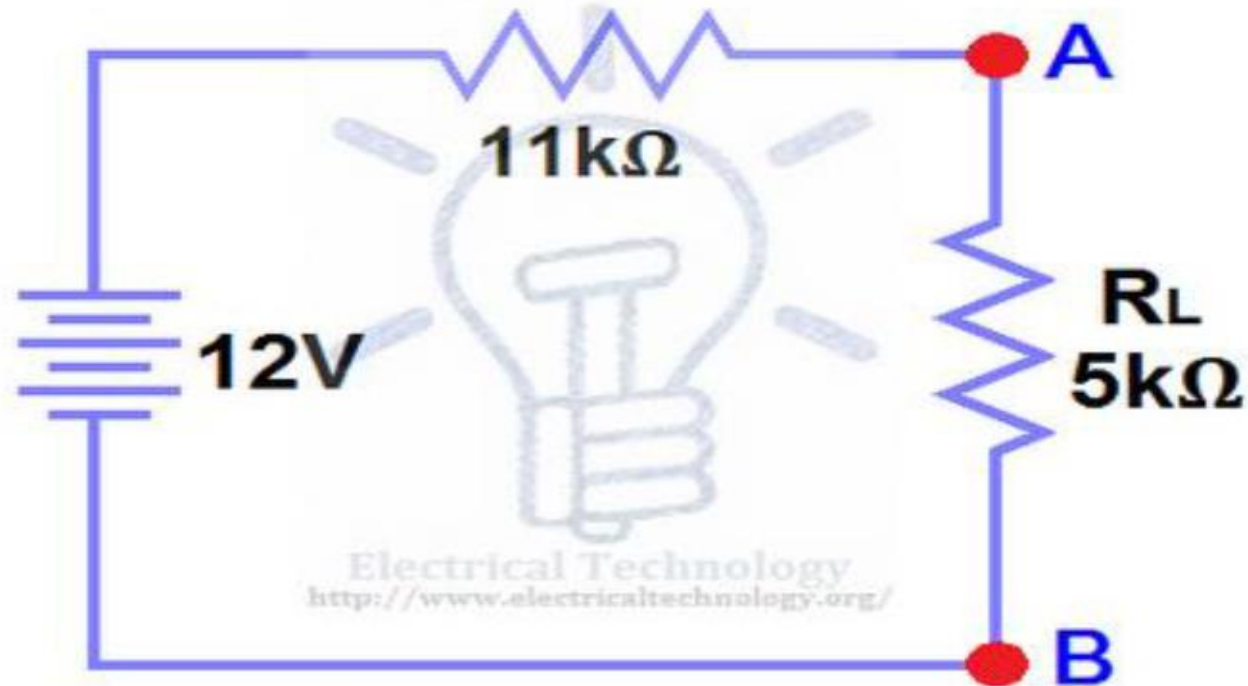


# Thevenin Theorem

## Step 5.

Connect the  $R_{TH}$  in series with Voltage Source  $V_{TH}$  and re-connect the load resistor. This is shown in fig (6) i.e. Thevenin circuit with load resistor. This the Thevenin's equivalent circuit

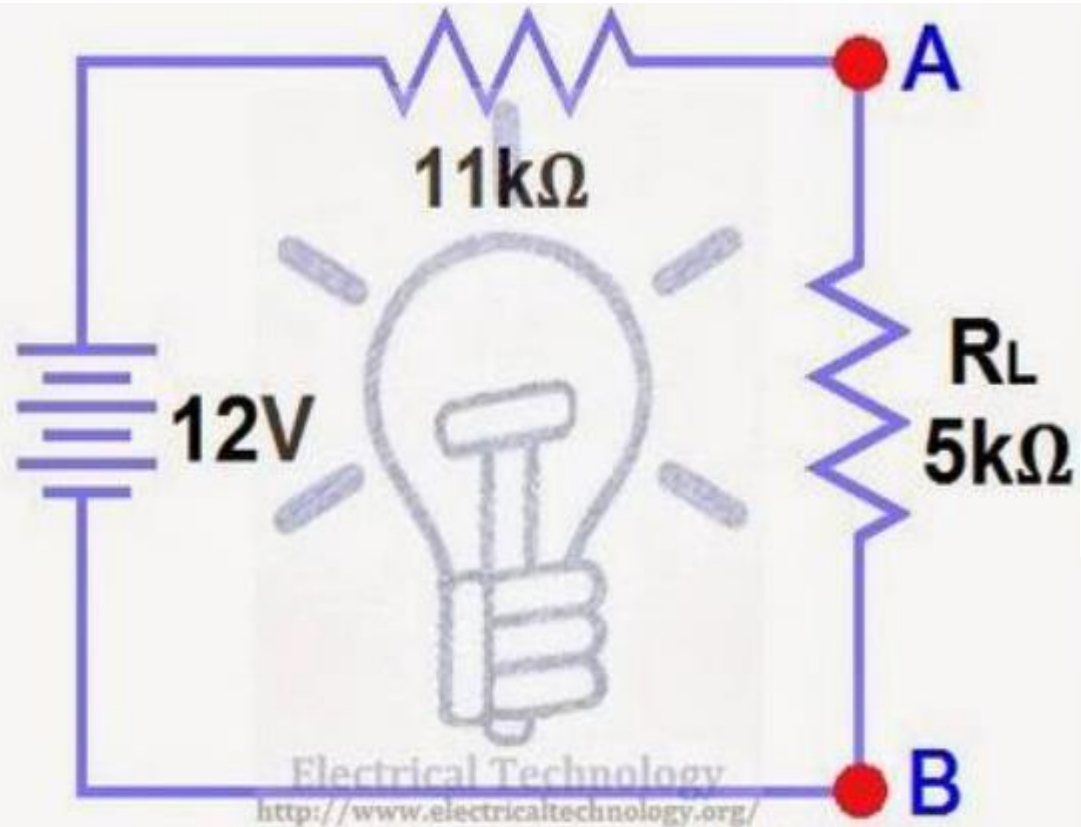
*Click image to enlarge*



*Thevenin's equivalent circuit*



# Thevenin Theorem



$$I_L = \frac{V_{TH}}{R_{TH} + R_L} = \frac{12V}{11k\Omega + 5k\Omega}$$

$$I_L = 0.75mA$$

$$V_L = I_L \times R_L$$

$$V_L = 0.75mA \times 5k\Omega$$

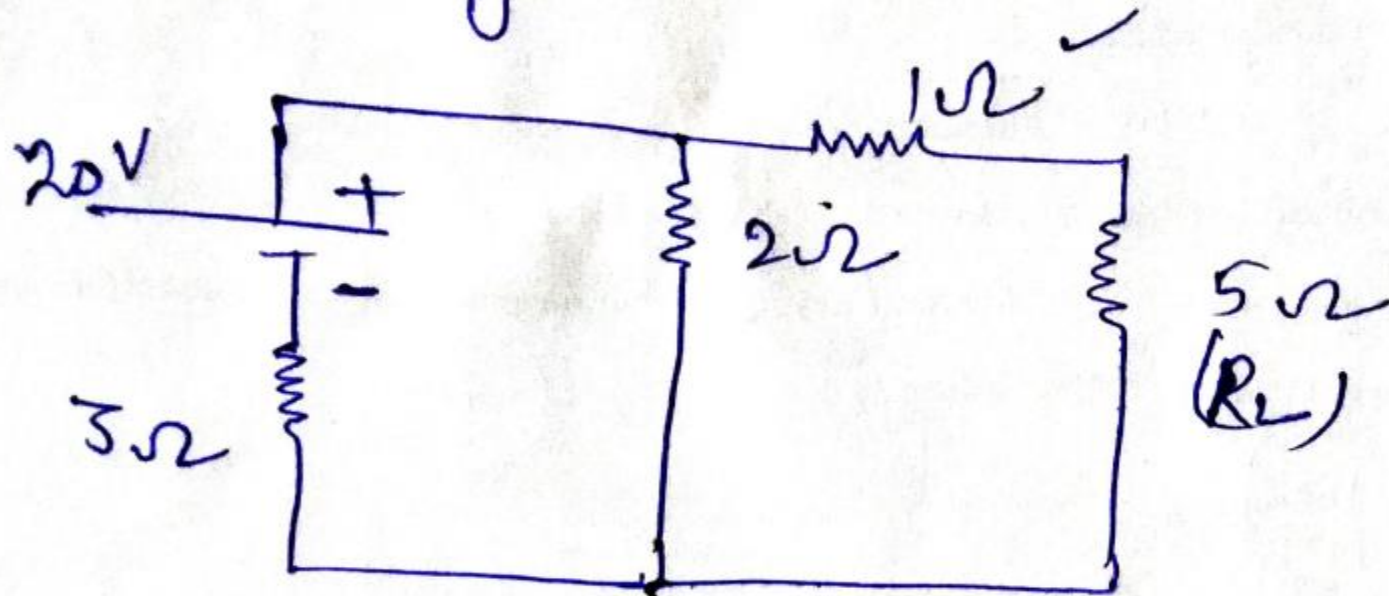
$$V_L = 3.75V$$

# Norton Theorem



NORTON Theorem

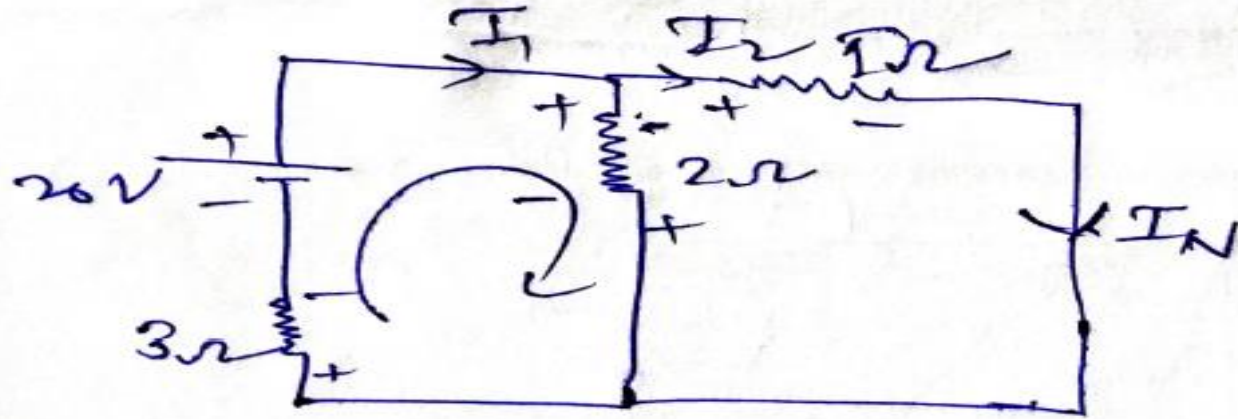
find the current through  $5\Omega$   
using norton's theorem?



# Norton Theorem

Soln:-

Remove load resistor short the terminal



$$+20 - 2(I_1 - I_2) - 3I_1 = 0 \quad \text{--- (1)}$$

$$-1 \cdot I_2 - 2(I_2 - I_1) = 0 \quad \text{--- (2)}$$

$$\Rightarrow -I_2 - 2I_2 + 2I_1 = 0 \Rightarrow \boxed{2I_1 = 3I_2}$$

$$I_1 = 1.5I_2$$

put in  $\phi$  (1)

$$+20 - 2(1.5I_2 - I_2) - 3I_1 = 0$$

$$+20 - 2(0.5I_2) - 3I_1 = 0$$

$$+20 - I_2 - 3I_1 = 0$$

$$\rightarrow +20 - I_2 - 3(1.5I_2)$$

$$+20 - I_2 - 4.5I_2 = 0$$



# Norton Theorem

②

$$+20 - I_2 - 4.5I_2 = 0$$

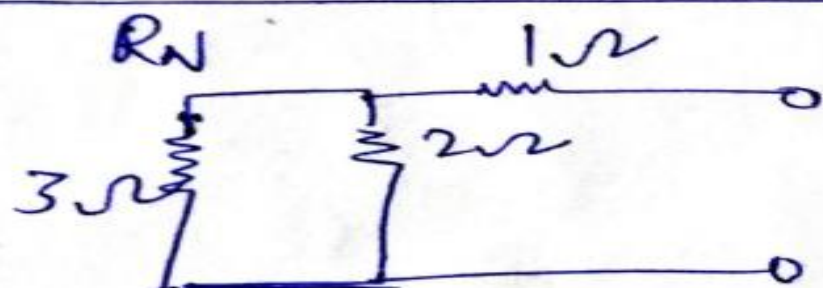
$$20 = 5.5I_2$$

$$\boxed{\frac{20}{5.5} = I_2} \Rightarrow \boxed{3.63 = I_2}$$

$$I_1 = 1.5I_2$$

$$\boxed{I_1 \Rightarrow 1.5 \times 3.63 \Rightarrow 5.45A}$$

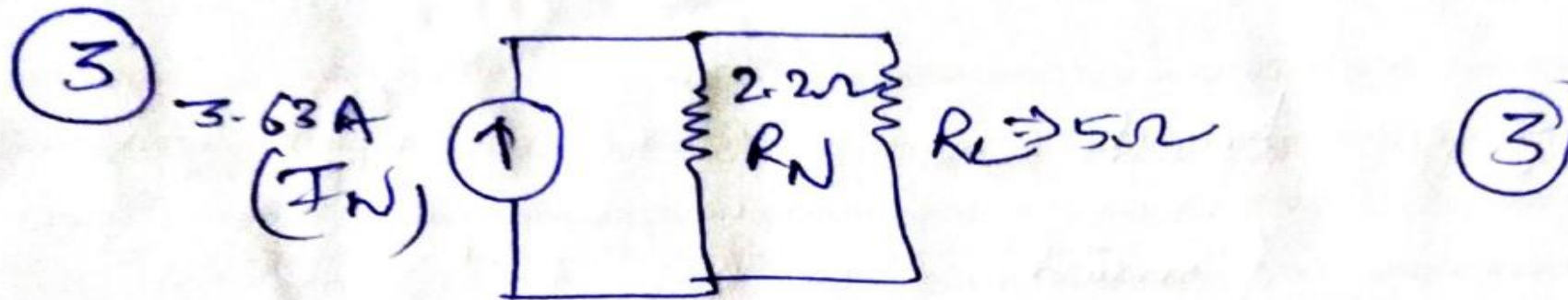
$$\boxed{I_N = I_2 = 3.63A}$$



$$\Rightarrow \frac{3 \times 2}{3 + 2} + 1$$

$$\Rightarrow \frac{6}{5} + 1 \Rightarrow 2.2 \Omega$$

# Norton Theorem



$$I_{R_L} \Rightarrow \frac{I_N \cdot R_N}{R_N + R_L}$$

$$\Rightarrow \frac{3.63 \times 2.2}{2.2 + 5}$$

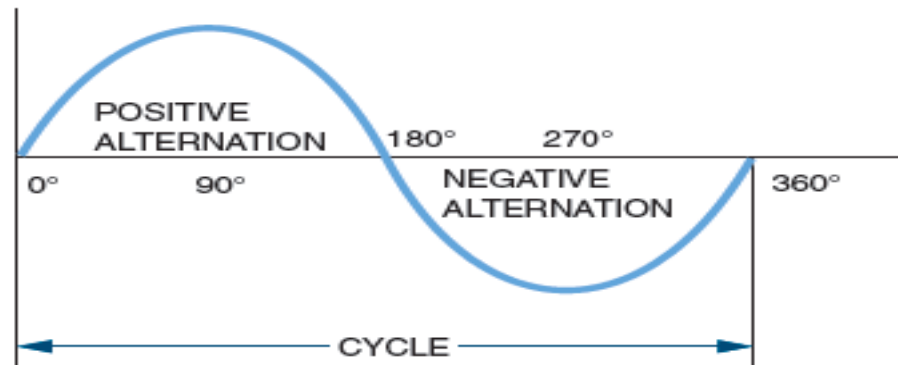
$$I_{R_L} \Rightarrow 1.109 \text{ A}$$



# **Fundamentals of A.C. circuits**

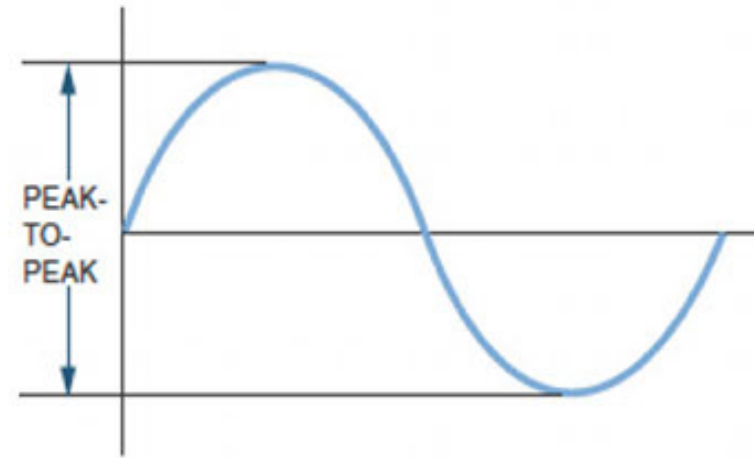
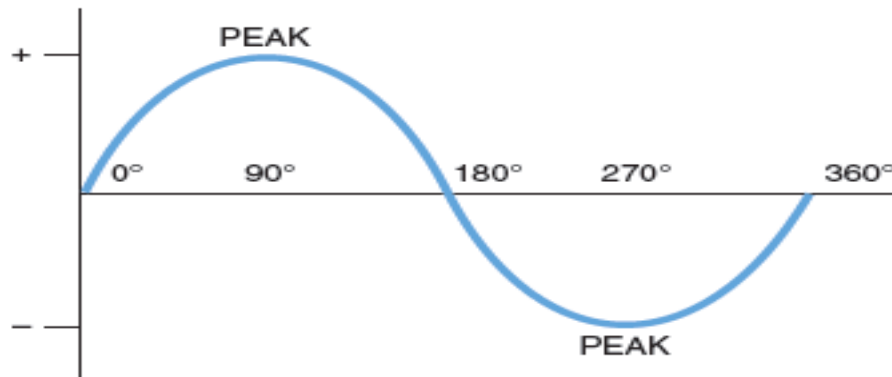
# Fundamentals of A.C. circuits

1. Each time an AC generator moves through one complete revolution, it is said to complete **one cycle**.
2. The two half of a cycle are referred as **alternations**.
3. One complete cycle per second is defined as a **hertz**.



# AC Values

- **Peak value:** Absolute value of the point with the greatest amplitude.
- **Peak to Peak value:** Vertical distance b/w 2 peaks.
- The amplitude of an AC waveform is its height as depicted on a graph over time. An amplitude measurement can take the form of peak, peak-to-peak.



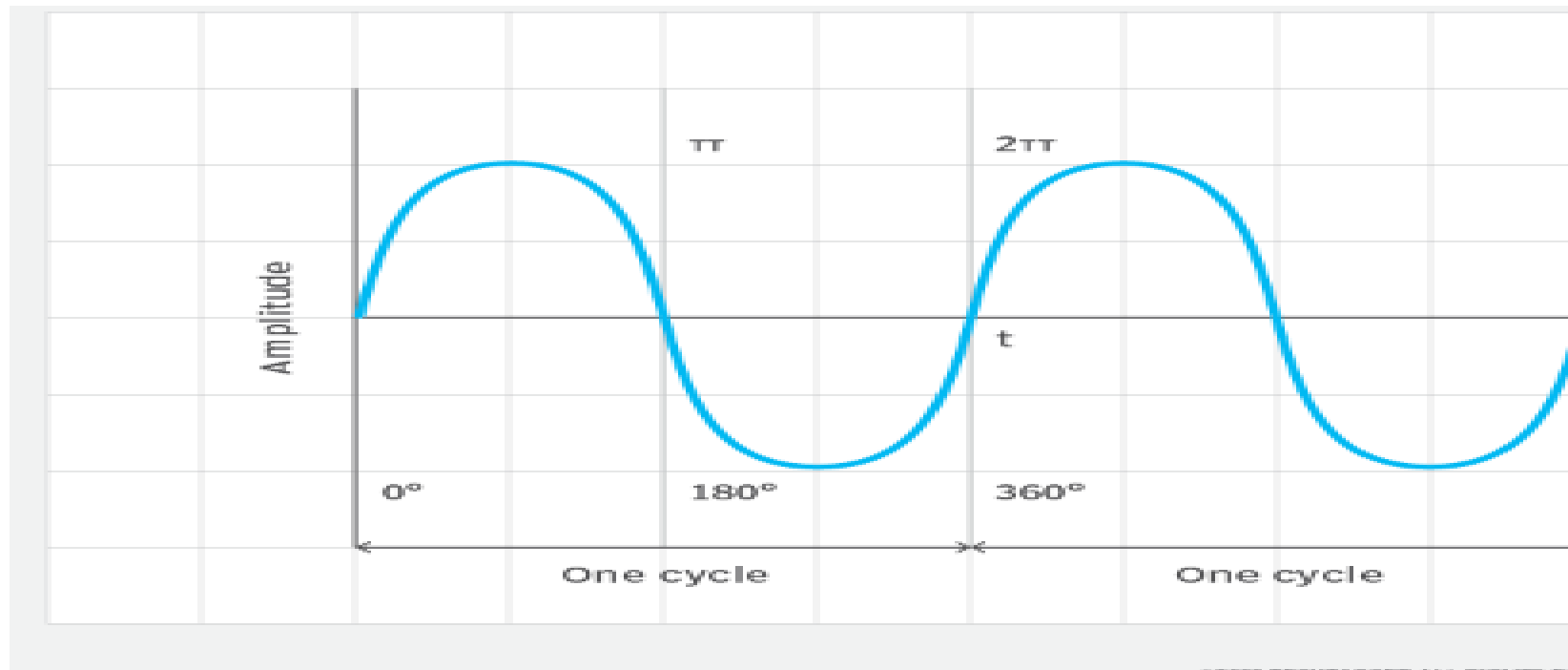
**Fundamentals of A.C. circuits**

# Fundamentals of A.C. circuits

- A phase is the position of a wave at a point in time (instant) on a waveform cycle.
- It provides a measurement of exactly where the wave is positioned within its cycle, using either degrees (0-360) or radians (0- $2\pi$ ).

# Fundamentals of A.C. circuits

- The wave starts at the 0-degree phase and has no amplitude.
- The wave reaches positive peak amplitude at the 90-degree phase.





## AC Values (cont'd.)

- **Effective value of alternating current** is the amount that produces same degree of heat in a resistance as produced by direct current. It is also referred as rms value.

$$E_{\text{rms}} = 0.707E_p$$

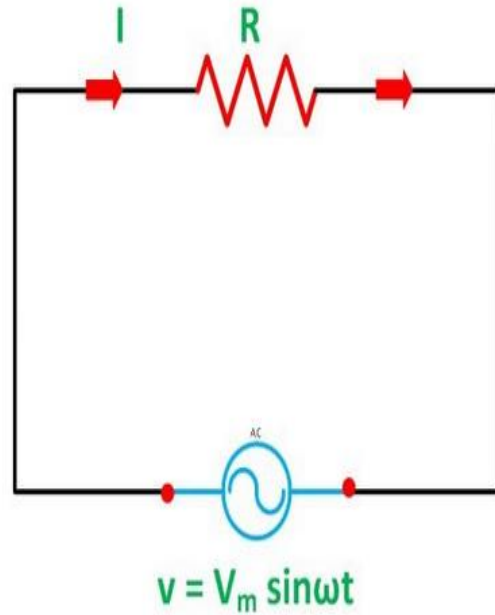
where:  $E_{\text{rms}}$  = rms or effective voltage value

### **Average Value of alternating current**

$$I_{\text{av}} = 0.637 I_m$$

The average current of a sinusoidal waveform is determined by multiplying the peak voltage value by **0.637**.

## Pure Resistive AC Circuit



$$v = V_m \sin \omega t \dots\dots\dots(1)$$

$$i = \frac{v}{R} = \frac{V_m}{R} \sin \omega t \dots\dots\dots(2)$$

$$i = I_m \sin \omega t \dots\dots\dots(3)$$

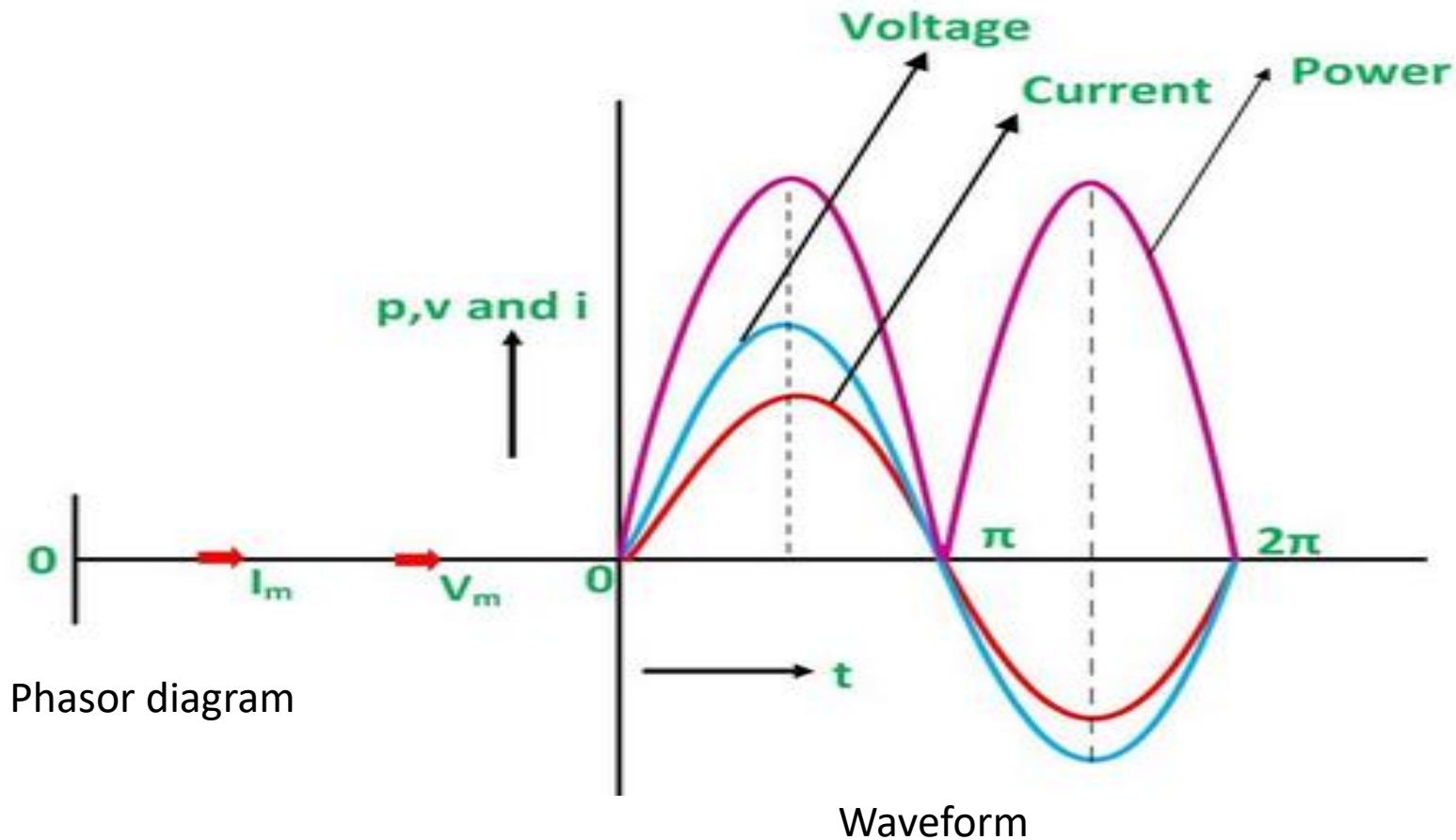
**Fundamentals of A.C. circuits**

$$v = V_m \sin \omega t \dots\dots\dots(1)$$

$$i = I_m \sin \omega t \dots\dots\dots(3)$$

Instantaneous power,  $p = vi$

$$p = (V_m \sin \omega t)(I_m \sin \omega t)$$



# PN Junction Diode

- **Semiconductor:** A semiconductor material has an electrical conductivity value falling between that of a conductor, such as metallic copper, and an insulator, such as glass.
- The semiconductor in its pure form is known as **intrinsic semiconductor**.
- When a chemical impurity is added to an intrinsic semiconductor, then the resulting semiconductor is known as **extrinsic semiconductor**.

# PN Junction Diode

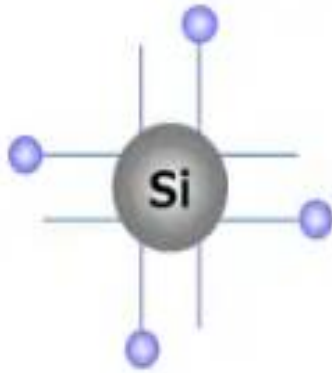
- **P type SEMICONDUCTOR:**

- A p-type semiconductor is an intrinsic semiconductor doped with boron or indium.
- The majority of carriers in p-type semiconductors are holes.
- Electrons are minority carriers in a p-type semiconductor.
- In a p-type semiconductor, the hole density is much greater than the electron density.
- In an n-type semiconductor an intrinsic semiconductor doped with phosphorus or antimony as impurity.

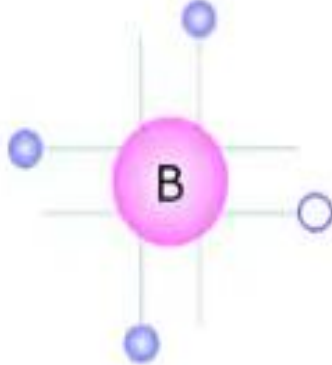


# PN Junction Diode

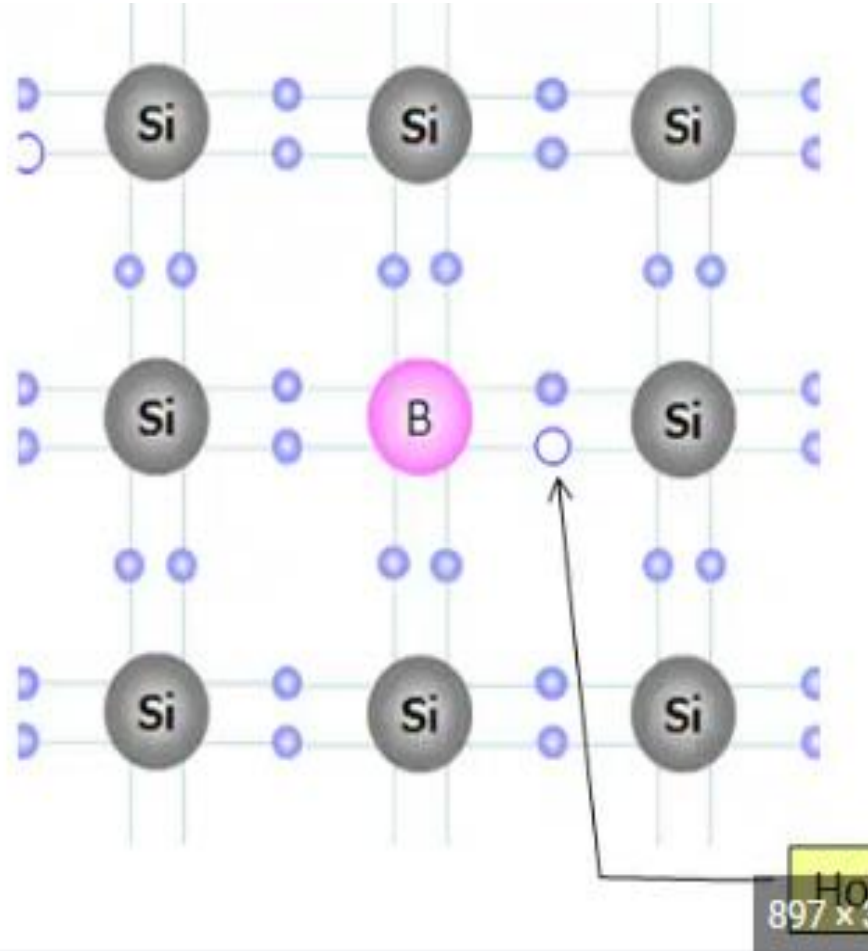
Silicon (Si):  
Four valence  
electrons



Boron (B):  
Three valence  
electrons



Adding boron to  
pure silicon crystal  
results in lack of an  
electron. And it  
becomes a hole.

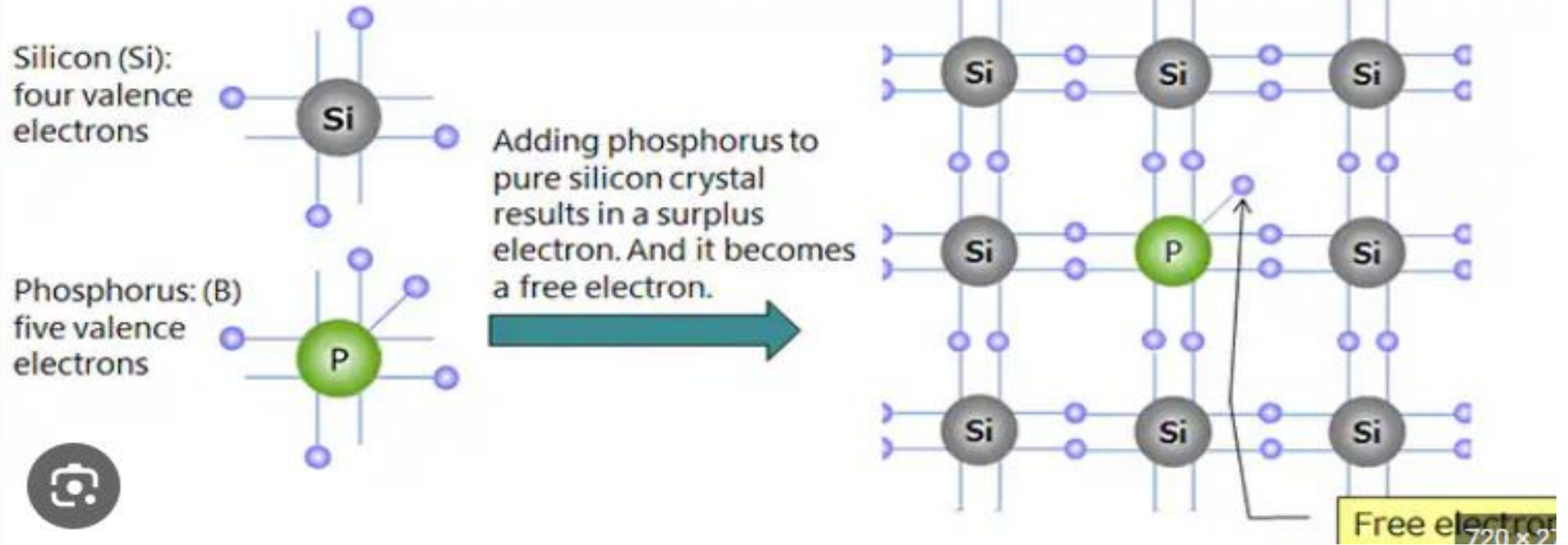


# PN Junction Diode

- **N TYPE SEMICONDUCTOR:**

- The majority of charge carriers in n-type semiconductors are electrons.
- Holes are minority carriers in a n type semiconductor.
- In the n type of semiconductor, the electron density is much greater than the hole density.

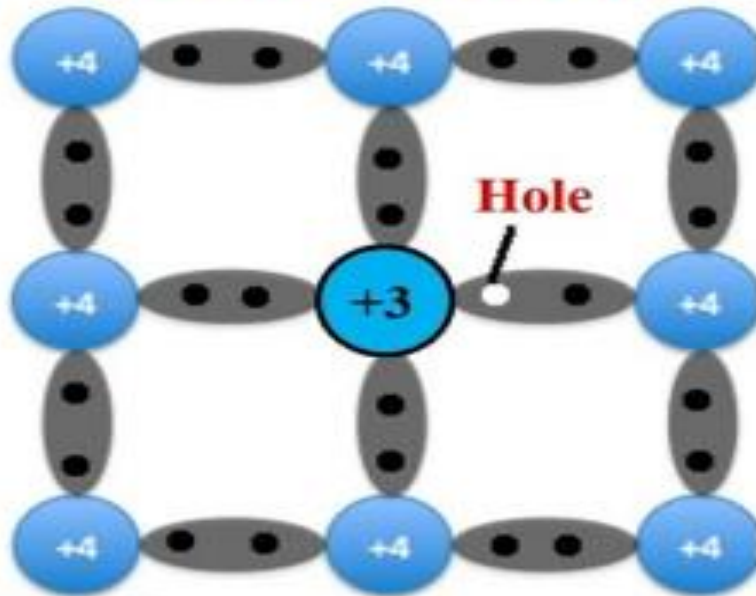
# PN Junction Diode



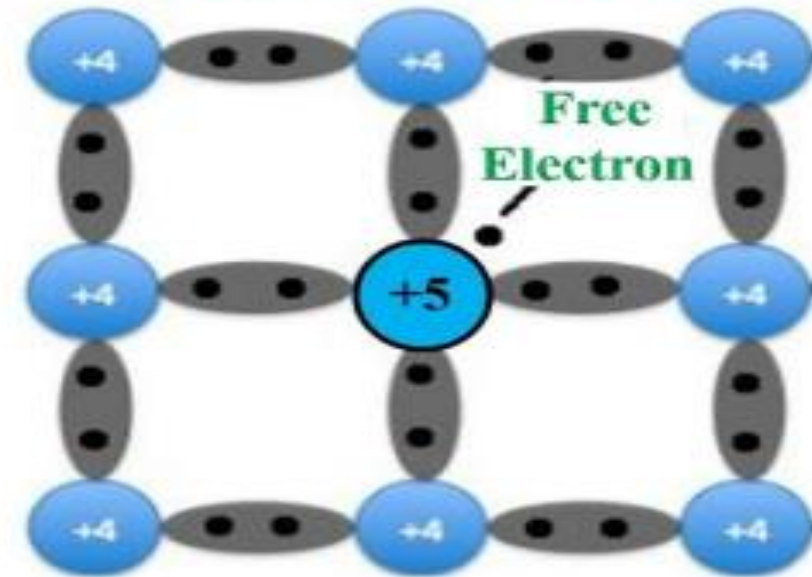
# PN Junction Diode

## Semiconductors

**P-Type  
Semiconductor**

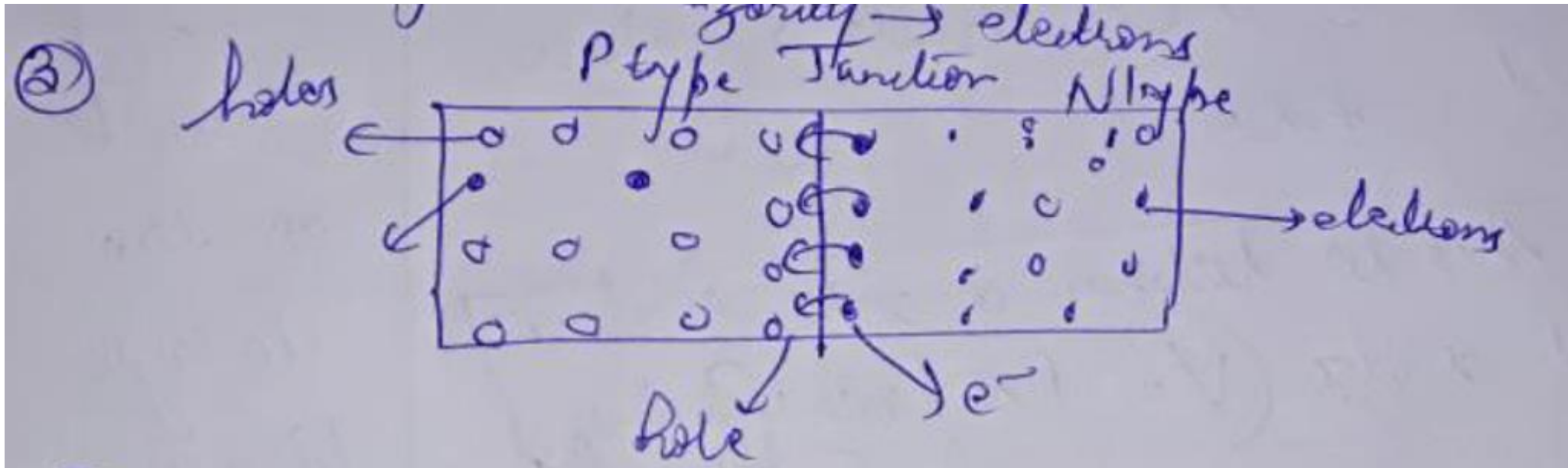


**N-Type  
Semiconductor**



# PN Junction Diode

- Joining P type and N Type semiconductor create a device is called P-N Junction diode.
- P type-- majority- Holes
- N Type- Majority- Electrons





# PN Junction Diode

4. Electrons Move Towards holes
5. It moves itself & Diffuse. So, it neutralise holes.
6. Electrons move so there exist some current which is called as diffusion current. {moment current}
7. This process is called as diffusion & current is known as diffusion current.
8. In P Type holes vanish/ neutralise electrons near the junction which are not present now.

# PN Junction Diode

9. Electrons move due to which positive ions are created.
10. Shortage of charges in layer is called Depletion layer. {Deplete}
11. Here + to - create an electric field.

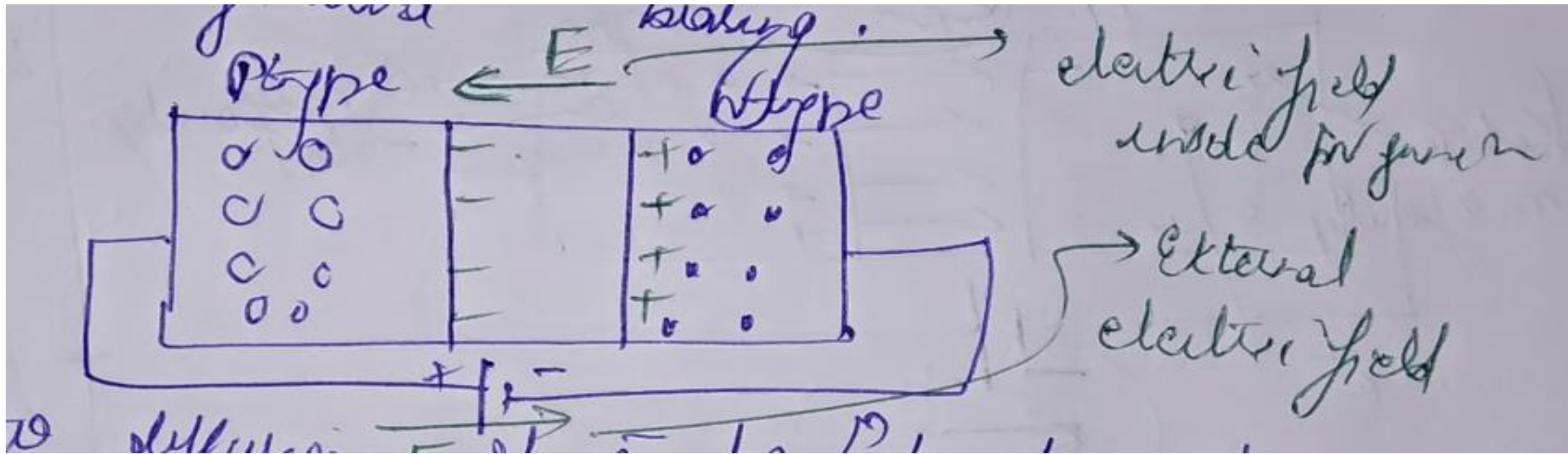
# PN Junction Diode

12. Due to distance  $d$  with electric field creates  $V=Ed$  (with the help of  $E$  and  $d$ , we will have  $V$ )
13. This potential difference is known as potential barrier.
14. Due to + higher potential and - lower potential
15. Remaining electrons can not go due to large distance.
16. They need more energy to do so.

# Biasing of Diode

- Whenever PN Diode is connected with battery then this situation is called as biasing.
- **Forward Biasing**
- P with positive terminal and n section is connected with negative terminal. So, this is called as forward biasing.

# Biasing of Diode



# Biasing of Diode

- Due to Diffusion of electrons to holes so layer of N Type have positive ions and P Type have negative ions.
- Resultant electric field will be less because of opposite direction. So overall electric field decreases.
- Due to this potential barrier decrease & depletion layer becomes small.
- n section electrons will move easily due to battery when electrons diffuse into holes so current start flowing.

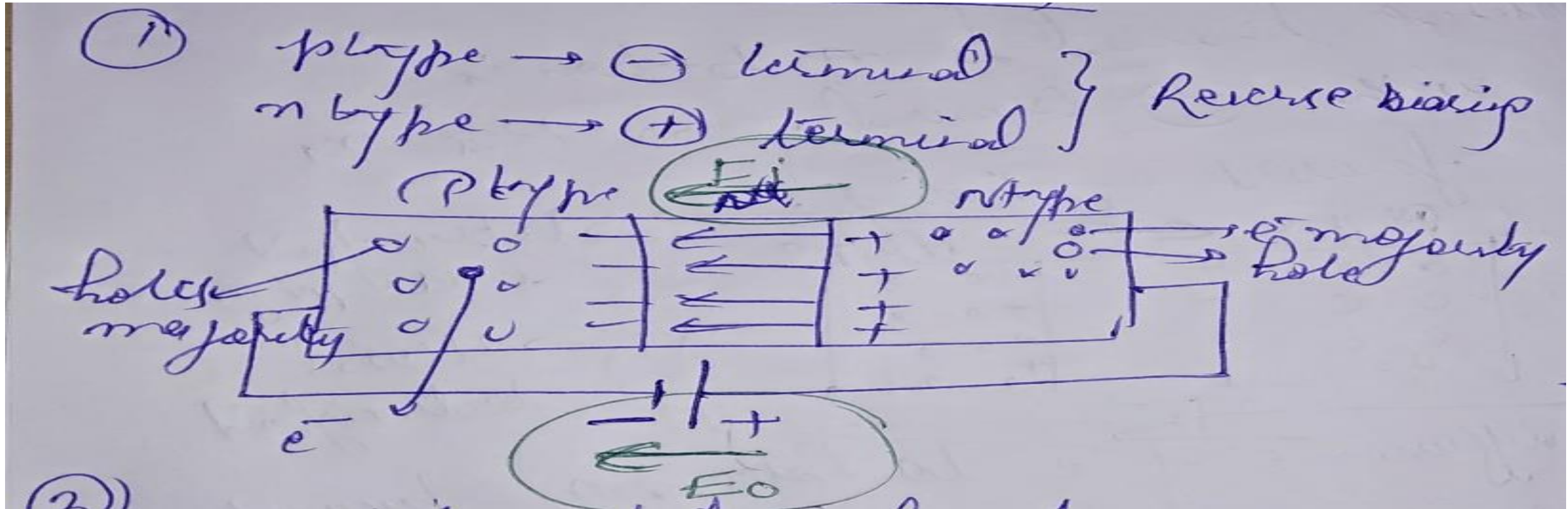


# Biasing of Diode

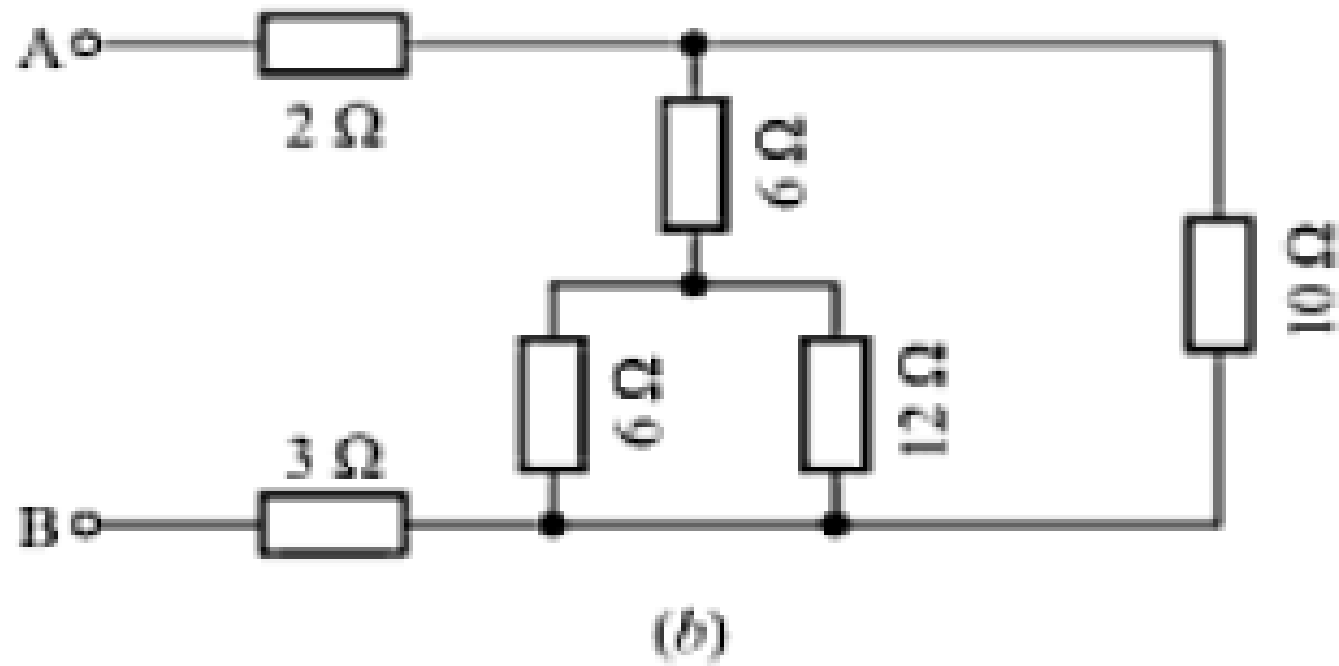
- **Reverse Bias**

- p type-- connected---with-- negative Terminal
- n type-- connected-- with- positive terminal
- Inside electric field and outside electric field are in same direction. So net
- electric field will increase.
- Hence, depletion layer increases
- Need more voltage to jump the electrons. So, very small amount of current will flow.

# Biassing of Diode



# Discussions

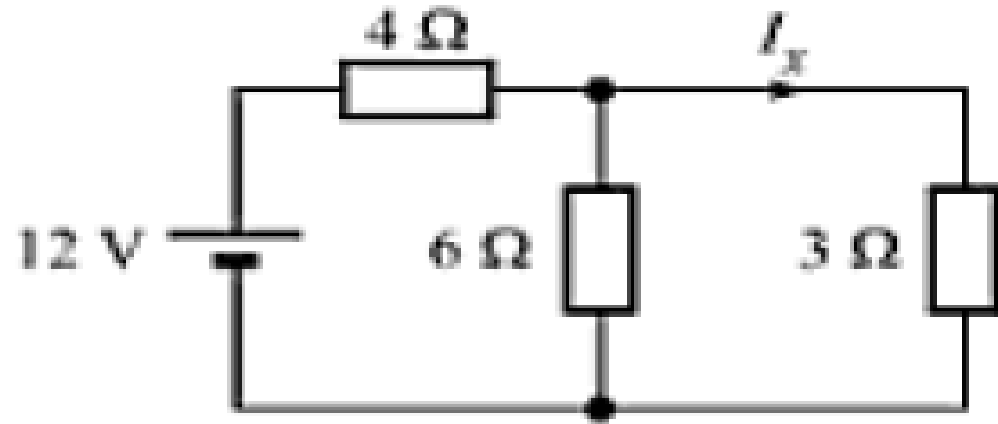


# Discussions

(b) The resistance between terminals A and B is

$$\begin{aligned} R_{AB} &= 2 + \{ \{ 6 + (6 \parallel 12) \} \parallel 10 \} + 3 = 2 + \{ \{ 6 + 4 \} \parallel 10 \} + 3 = 2 + [10 \parallel 10] + 3 \\ &= 2 + 5 + 3 = 10 \, \Omega \end{aligned}$$

# Discussions



Total resistance

Current across all resistors

Voltage across each resistors

# **Bipolar Junction Transistor(BJT)**

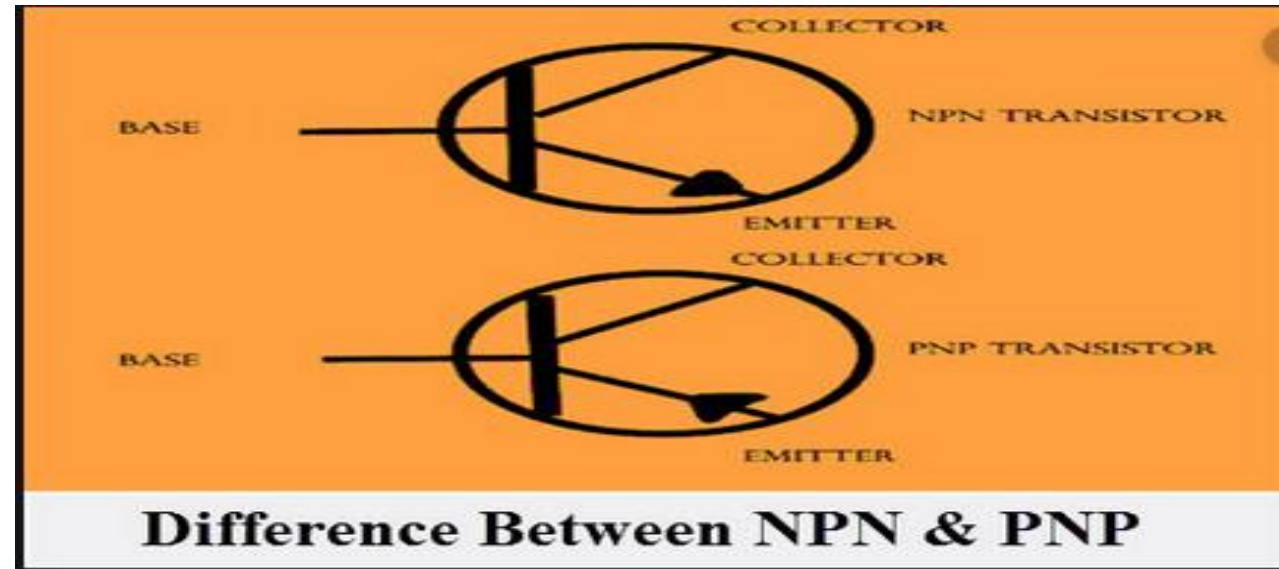
**Bipolar Junction Transistor(BJT)**



The transistor is made of two PN junction diode.

Types:

NPN and PNP



The transistor in which one p-type material is placed between two n-type materials is known as NPN transistor.

In NPN transistor, the direction of movement of an electron is from the emitter to collector region due to which the current constitutes in the transistor.

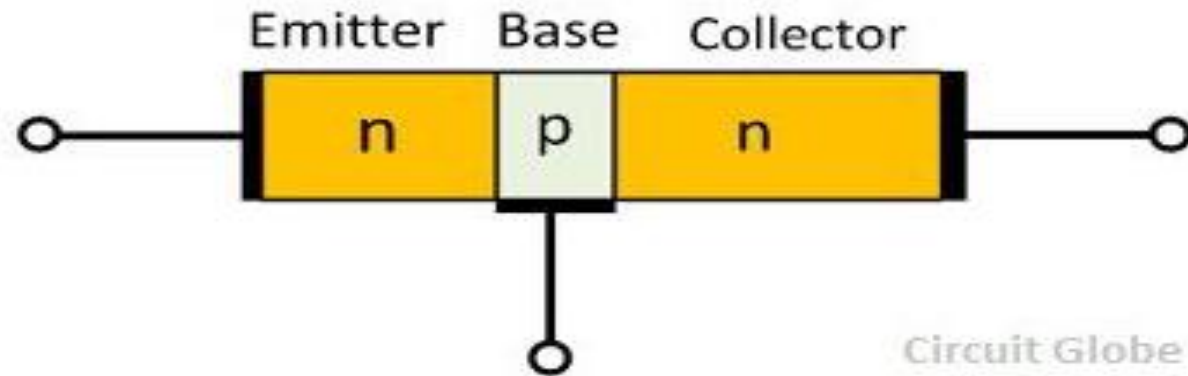
Such type of transistor is mostly used in the circuit because their majority charge carriers are electrons which have high mobility as compared to holes.

Name	Size	Doping
Emitter	Between Base and collector-	High
Base	less	less
Collector	Huge	Between Base and emitter

# Construction of NPN Transistor

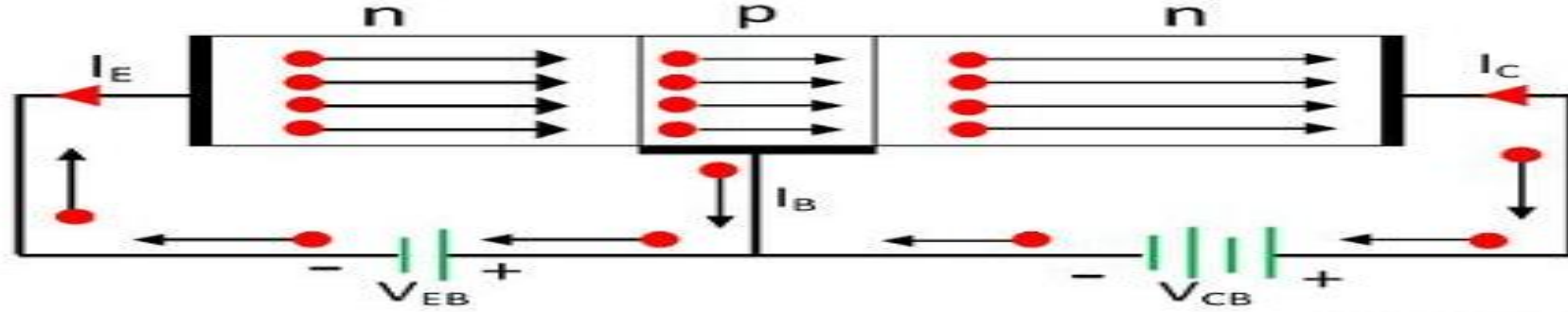
The NPN transistor has two diodes connected back to back.

The diode on the left side is called an emitter-base diode, and the diodes on the right side are called collector-base diode.



# Working of NPN Transistor

The forward biased is applied across the emitter-base junction, and the reversed biased is applied across the collector-base junction.



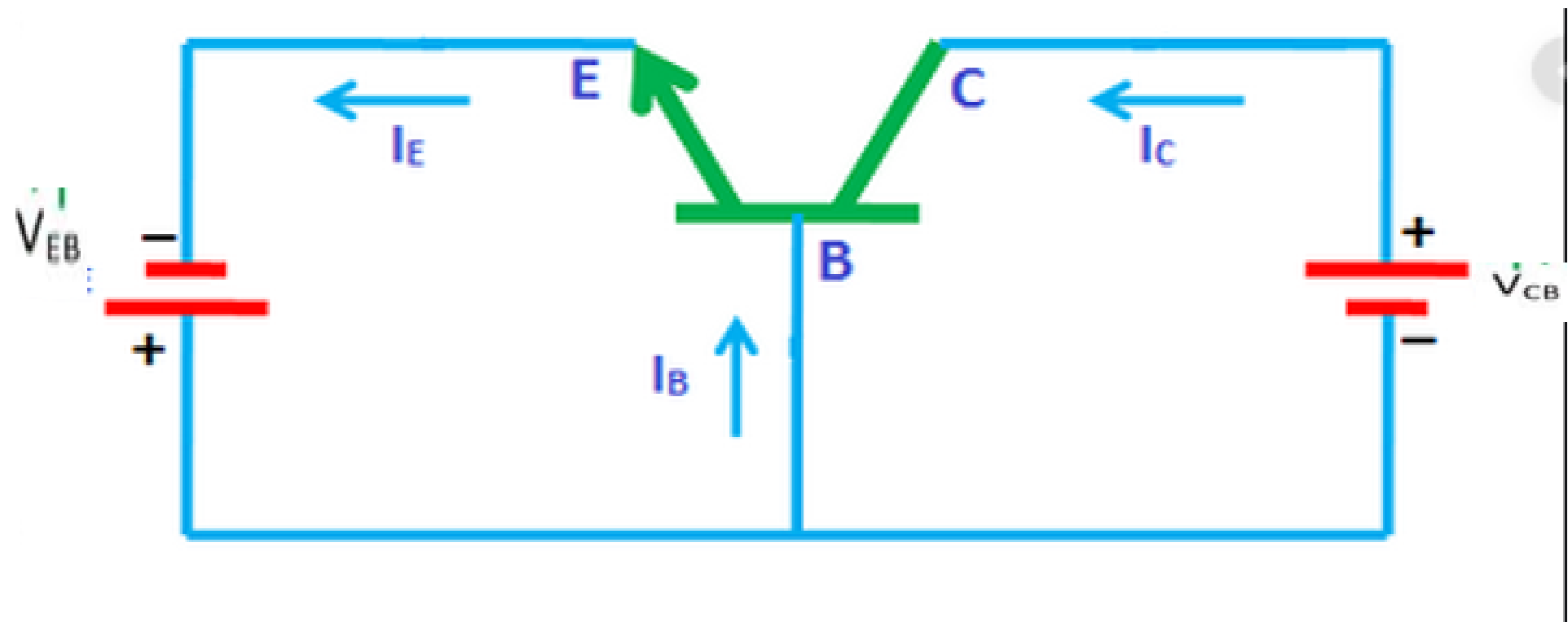
When the forward bias is applied across the emitter, the majority charge carriers move towards the base.

This causes the emitter current  $I_E$ . The electrons enter into the P-type material and combine with the holes.

The base of the NPN transistor is lightly doped. Due to which only a few electrons are combined and remaining constitutes the base current  $I_B$ .

The reversed bias potential of the collector region applies the high attractive force on the electrons reaching collector junction. Thus attract or collect the electrons at the collector.

Thus, we can say that the emitter current is the sum of the collector or the base current.



$$I_E = I_B + I_C$$

# PNP Transistor

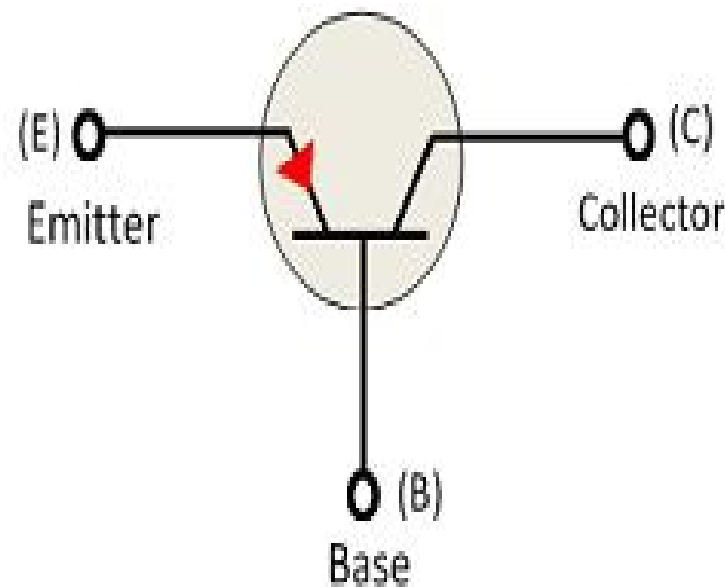


# PNP Transistor

- The transistor in which one n-type material is doped with two p-type materials such type of transistor is known as **PNP transistor**.
- The PNP transistor has two crystal diodes connected back to back.
- The left side of the diode is known as the emitter-base diode and the right side of the diode is known as the collector-base diode.
- The hole is the majority carriers of the PNP transistors which constitute the current in it.

# Symbol of PNP Transistor

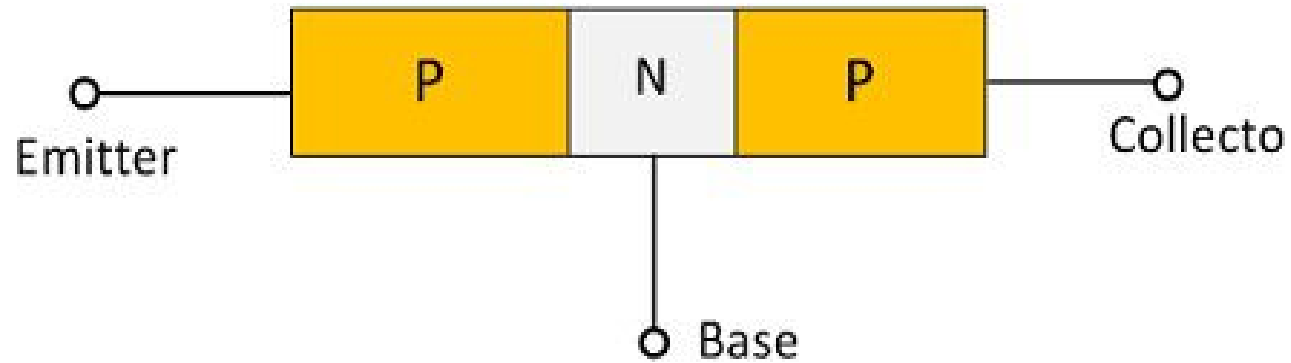
The symbol of PNP transistor is shown in the figure below. The inward arrow shows that the direction of current in PNP transistor is from the emitter to collector.



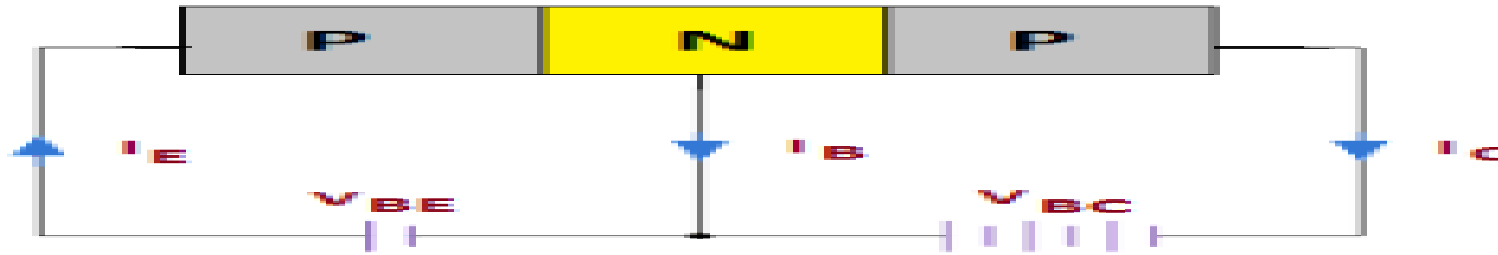
**PNP Transistor**

# Construction of PNP Transistor

- The construction of PNP transistor is shown in the figure below.
- The emitter-base junction is connected in forward biased, and the collector-base junction is connected in reverse biased.



# Working of PNP Transistor



## Construction

The emitter-base junction is connected in forward biased due to which the emitter pushes the holes in the base region. These holes constitute the emitter current.

When these holes move into the N-type semiconductor material or base, they combined with the electrons.

The base of the transistor is thin and very lightly doped.

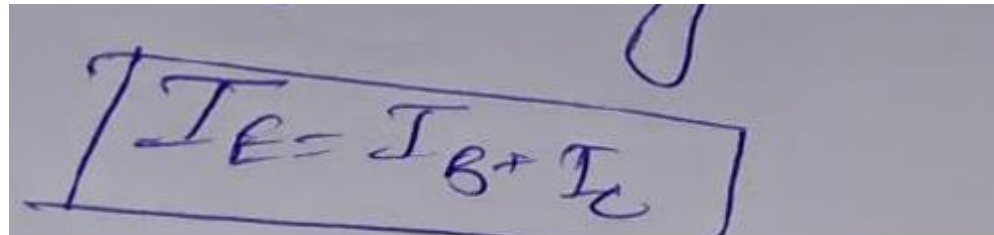
Hence only a few holes combined with the electrons and follow base path while remaining are moved towards the collector. Hence develops the base current.

The collector base region is connected in reverse biased.

The holes which collect around the depletion region when coming under the impact of negative polarity collected or attracted by the collector.

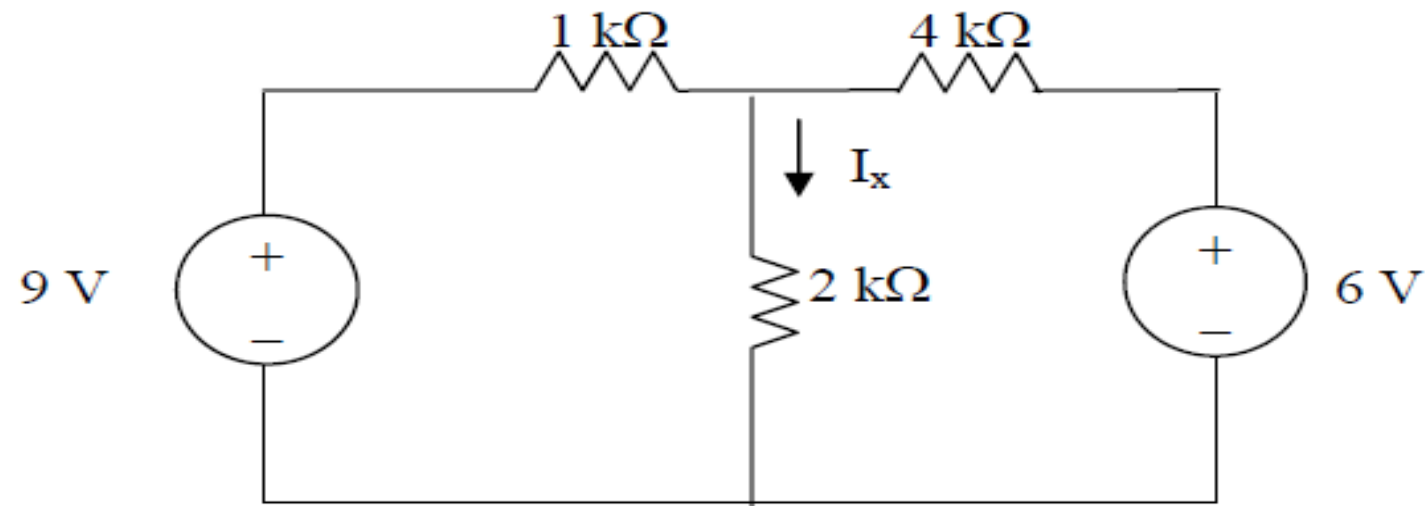
This develops the collector current.

Thus, we can say that the emitter current is the sum of the collector or the base current.

A handwritten equation  $I_E = I_B + I_C$  is enclosed in a hand-drawn rectangular box. The text is written in blue ink on a light-colored background. Above the box, there is a small, faint handwritten mark that looks like a 'U' or a checkmark.

# Discussions

Determine  $I_x$  in the circuit shown in Fig. 3.50

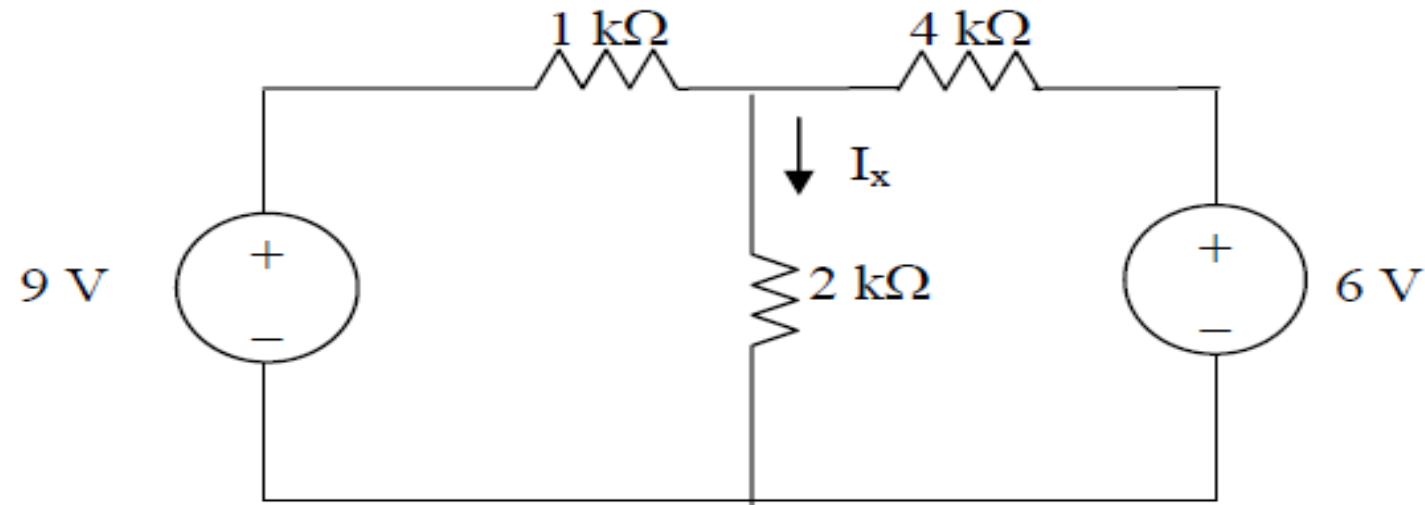


**Figure 3.50 For Prob. 3.1.**



# Discussions

Determine  $I_x$  in the circuit shown in Fig. 3.50



**Figure 3.50 For Prob. 3.1.**

$$\longrightarrow V_x = 6 \qquad I_x = \frac{V_x}{2k} = \underline{3 \text{ mA}}$$

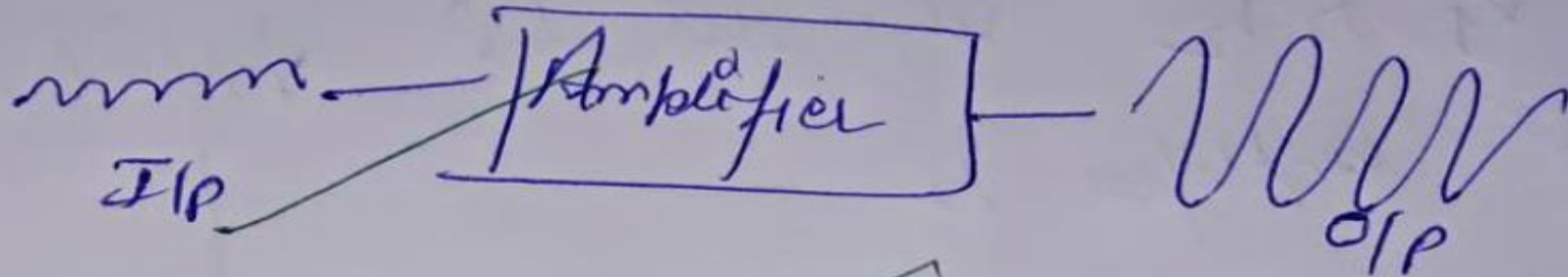
# Operational Amplifier (OPAMP)

== OP-Amp ==

①

Operational Amplifier & Op-amp is 741C

① It is basically an amplifier [to amplify the ~~input~~ signal]



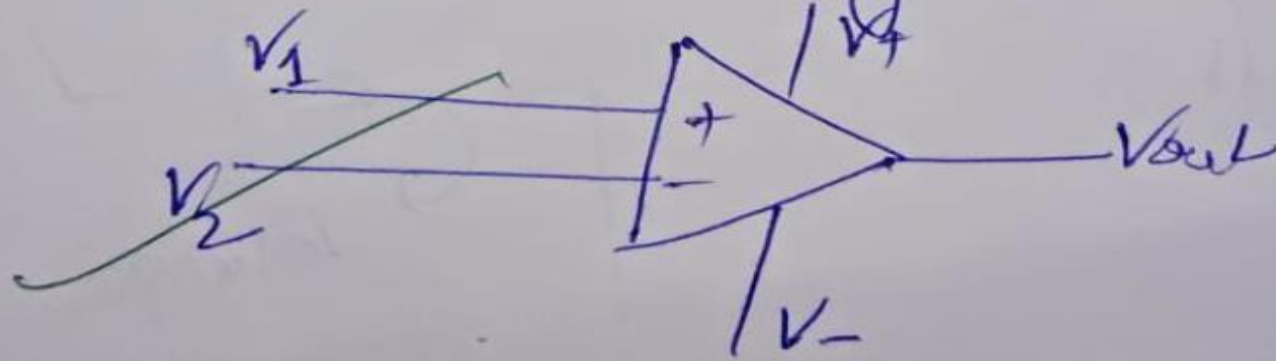
②

# Operational Amplifier (OPAMP)

- ❖ We can perform addition, subtraction using amplifier.
- ❖ Just by connecting few resistors- It is possible to perform the mathematical operations.

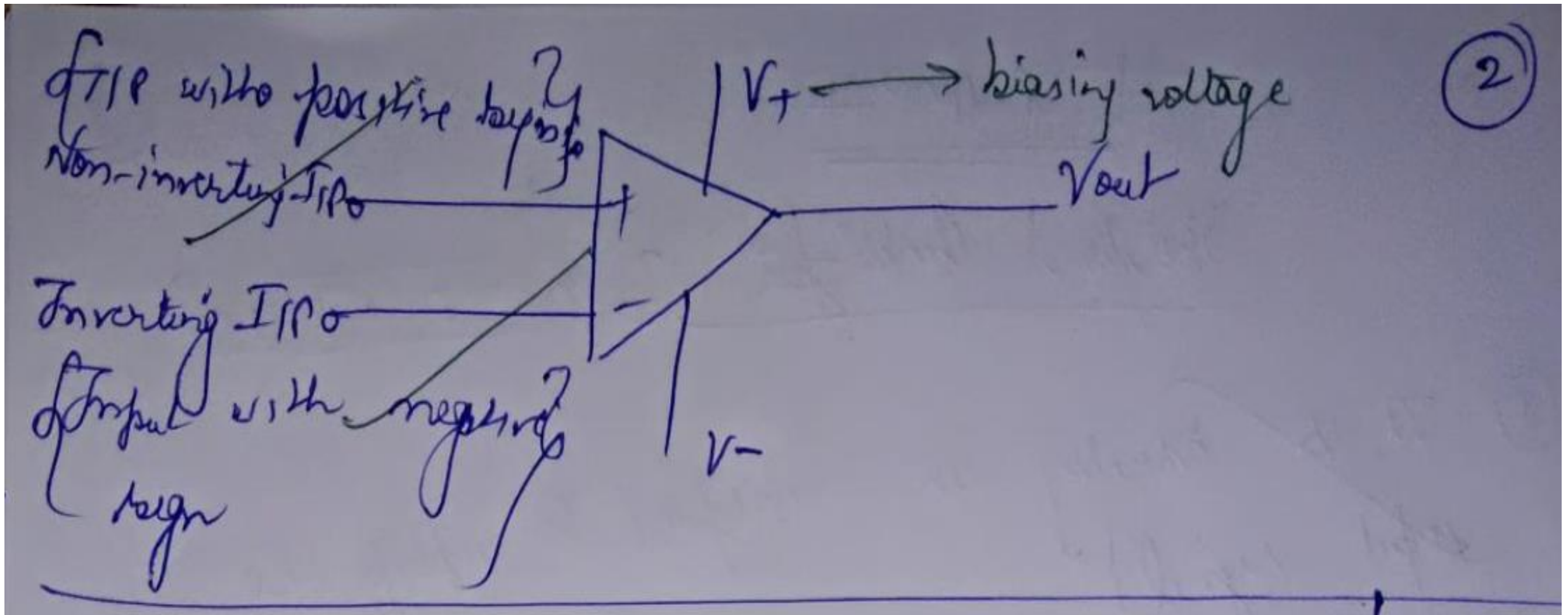
# Operational Amplifier (OPAMP)

- ③ That's why it is called as operational amplifier.
- ④ Circuit
- Symbol of OP-Amp



It consists of two inputs & one op.

# Operational Amplifier (OPAMP)

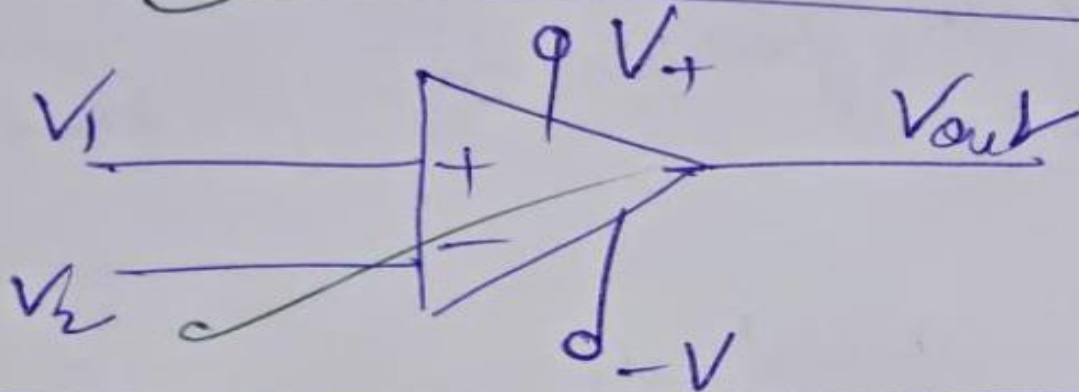




# Operational Amplifier (OPAMP)

- 1) Suppose  $V_1$  &  $V_2$  are the  $\text{I/P}$  applied to the operational amplifier is
- 2) Gain of amplifier is  $A$  then

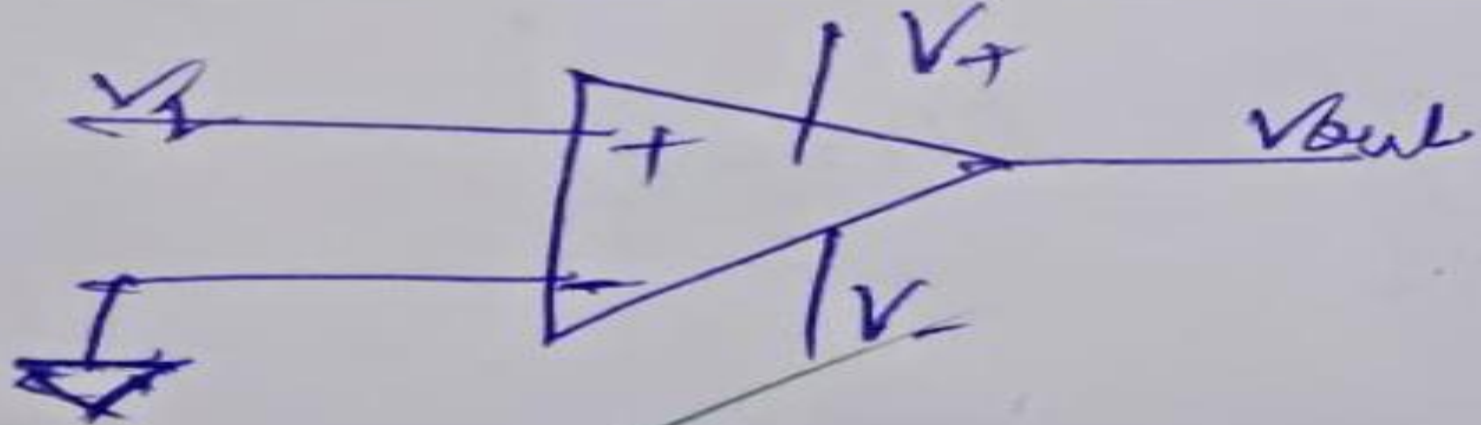
$$V_{out} = A(V_1 - V_2)$$





# Operational Amplifier (OPAMP)

Case 1:-

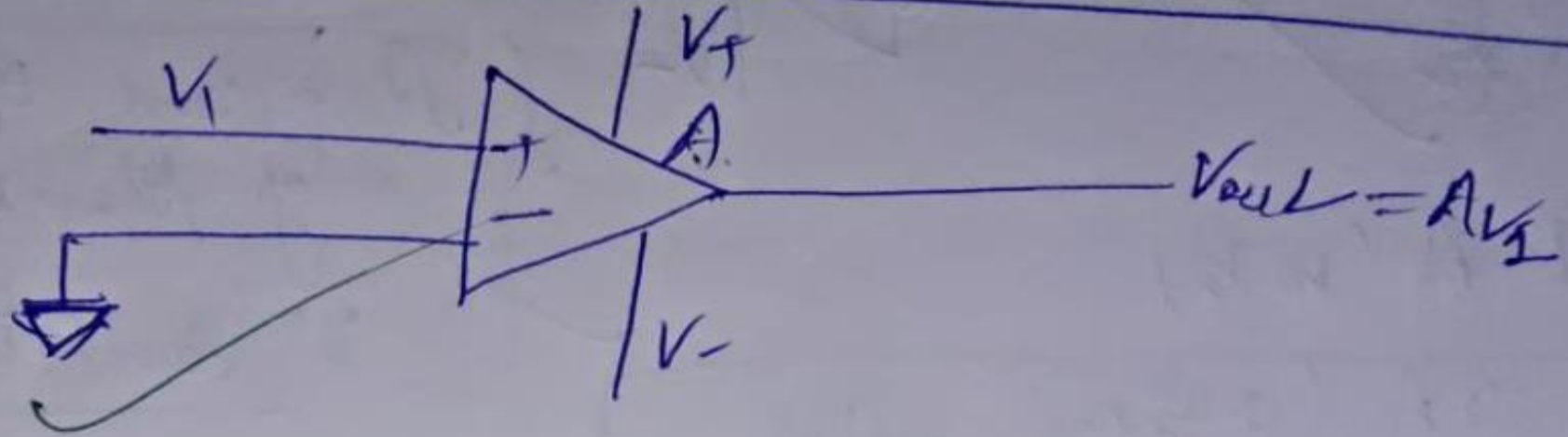


$V_2 = 0$  ground

$$V_{out} = A(V_1 - V_2) \quad \text{Here } V_2 = 0$$

$$V_{out} \Rightarrow A(V_1)$$

# Operational Amplifier (OPAMP)

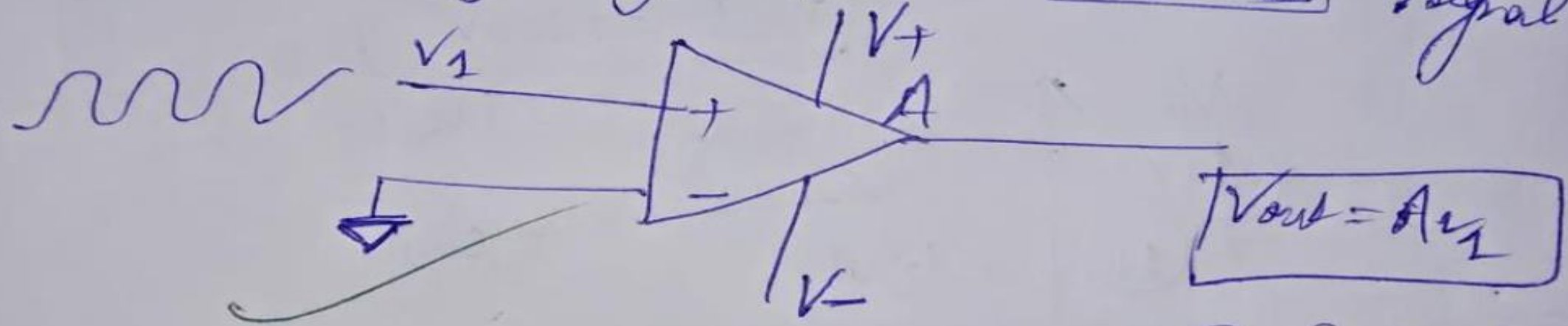


1)  $A$  is known as open loop gain ~~but~~ because there does not exist any feedback from output to the input.

# Operational Amplifier (OPAMP)

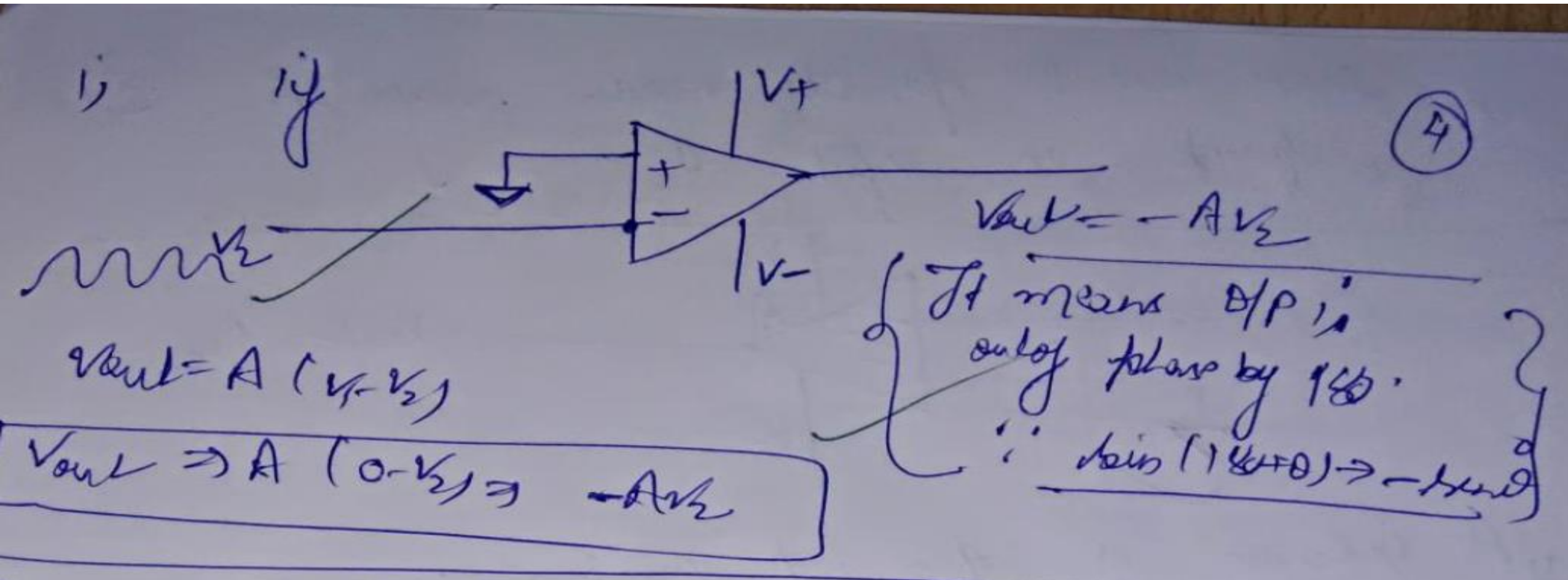
3

Suppose if you provide sinusoidal signal



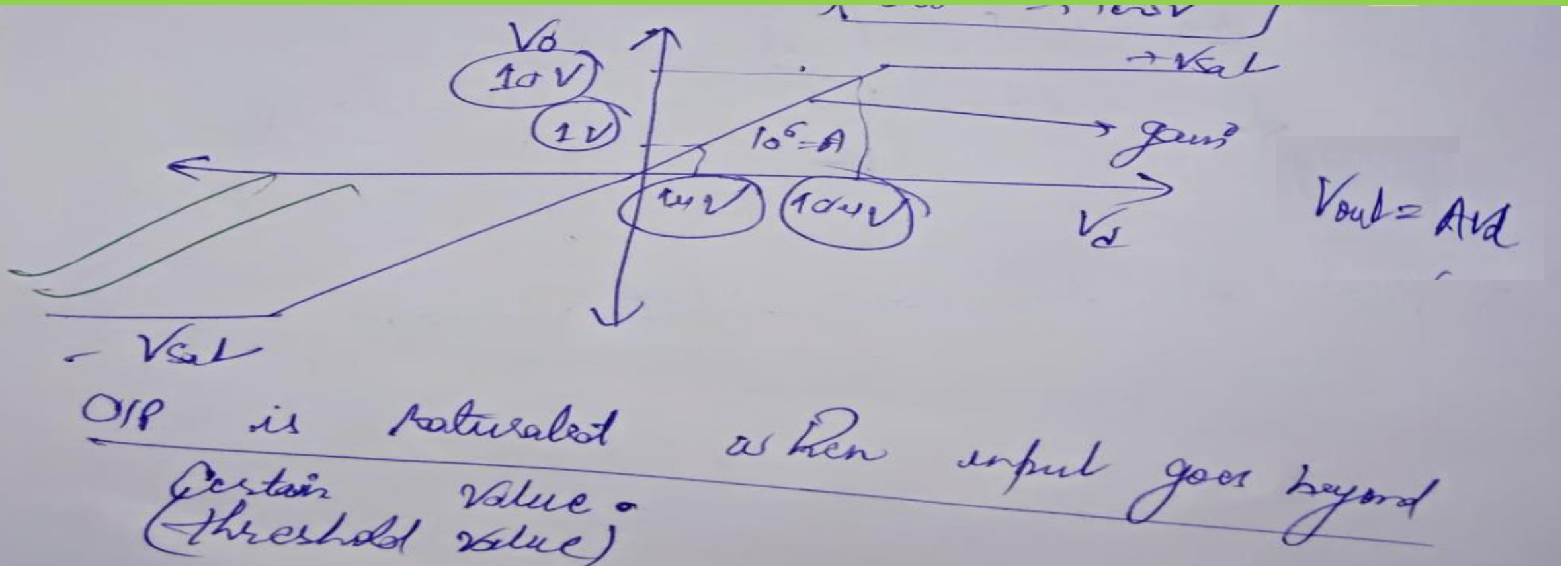
here phase is same as input voltage.

# Operational Amplifier (OPAMP)



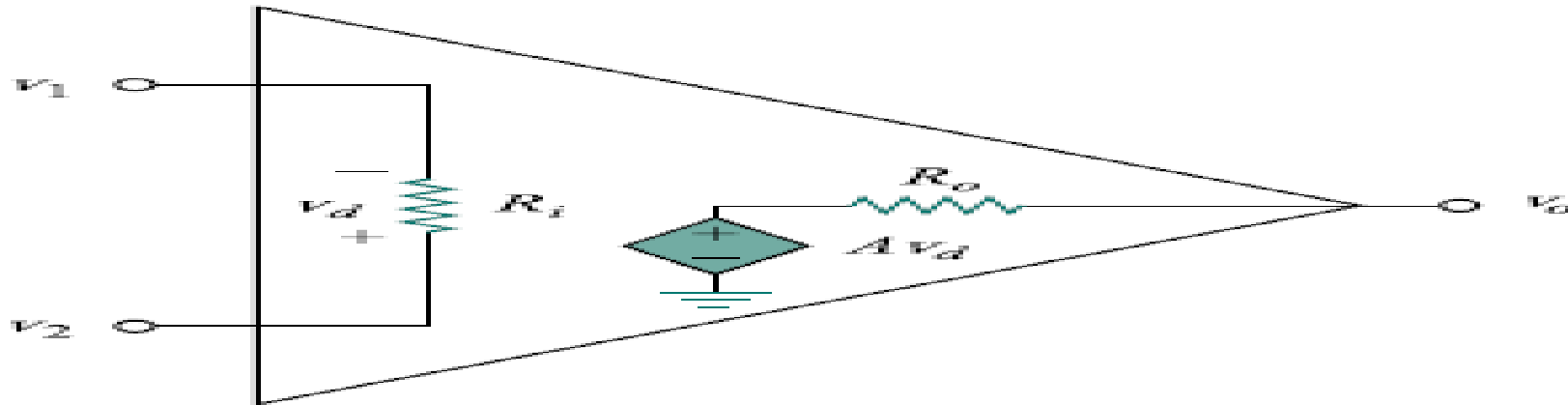


# Operational Amplifier (OPAMP)



Saturation Curve/Ideal Voltage Transfer Characteristics

## Operational Amplifier (OPAMP) Equivalent Circuit



The output  $v_o$  is given by=  $v_o = Av_d = A(v_2 - v_1)$  (non-inverting voltage-  
Inverting voltage)

The differential input voltage  $v_d$  is given by  $v_d = v_2 - v_1$

$A$  is called the *open-loop voltage gain* because it is the gain of the op amp without any external feedback from output to input.

where  $v_1$  is the voltage between the inverting terminal and ground and  $v_2$  is the voltage between the noninverting terminal and ground.



---

**TABLE 5.1** Typical ranges for op amp parameters.

---

Parameter	Typical range	Ideal values
Open-loop gain, $A$	$10^5$ to $10^8$	$\infty$
Input resistance, $R_i$	$10^6$ to $10^{13} \Omega$	$\infty \Omega$
Output resistance, $R_o$	10 to 100 $\Omega$	0 $\Omega$
Supply voltage, $V_{cc}$	5 to 24 V	

---

# Discussions

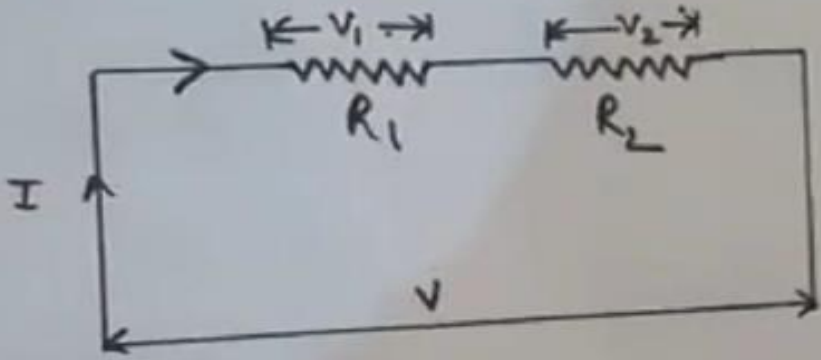
❖ Explain Voltage Division Rule ?

# Voltage Division Rules

## 1. Voltage Division Rule

The **voltage** is divided between two series resistors in direct proportion to their resistance.

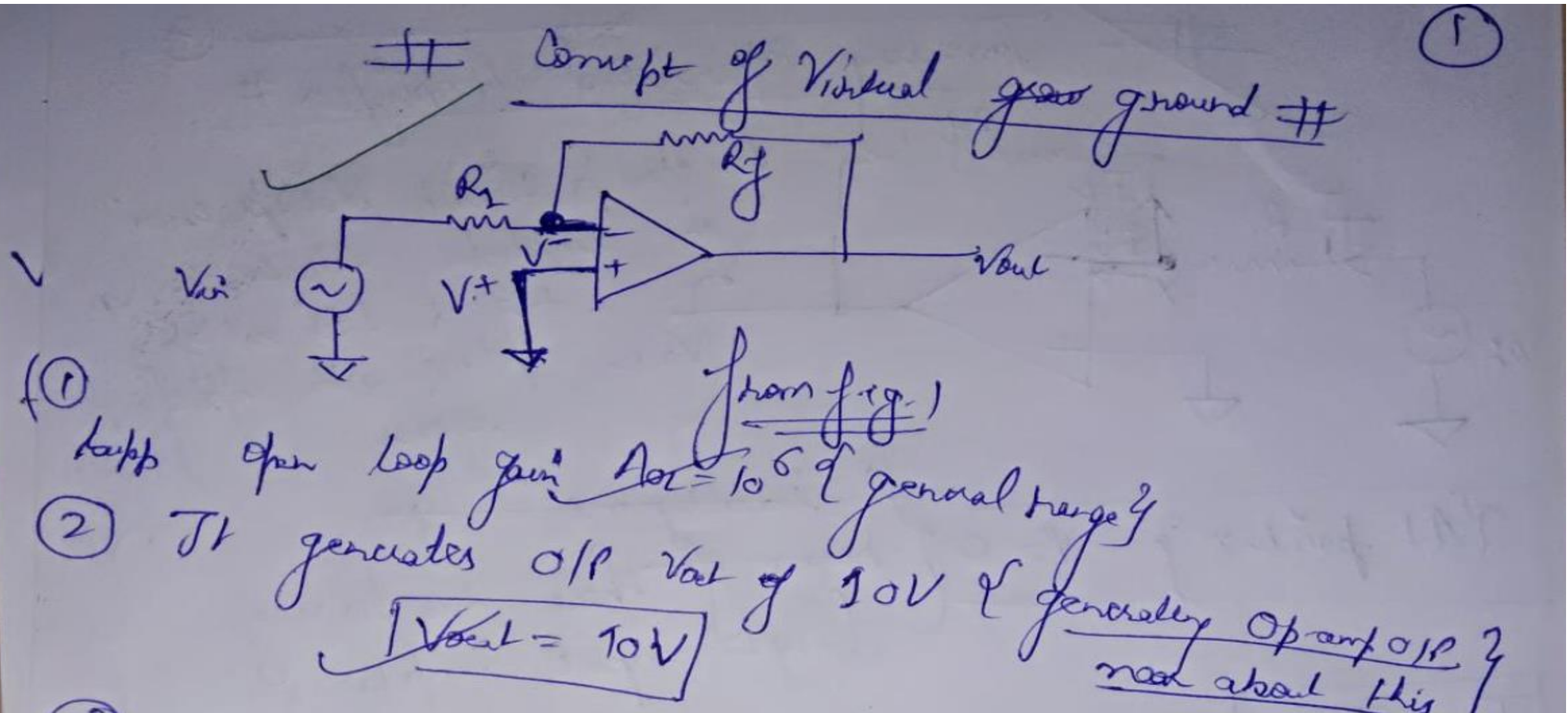
VOLTAGE DIVISION RULE :-



KVL

$$V = V_1 + V_2$$
$$V_1 = R_1 I$$
$$V_2 = R_2 I$$
$$I = V / (R_1 + R_2)$$
$$V = R_1 I + R_2 I$$
$$V = I (R_1 + R_2)$$
$$V_1 = V \times \frac{R_1}{R_1 + R_2}$$
$$V_2 = V \times \frac{R_2}{R_1 + R_2}$$

# Operational Amplifier (OPAMP)



# Operational Amplifier (OPAMP)

③ formula OPAMP

$$V_{out} = A \cdot V_d$$

[ gain times differential voltage ]

$$V_d = V^+ - V^-$$

↑ non inverting      ↑ Inverting

$$10 = 10^6 V_d$$

$$10 \times 10^6 = V_d$$

$$10 \mu V = V_d \Rightarrow 10 \mu V = V^+ - V^-$$

which is very very small

$$V^+ - V^- \approx 0 V$$

$$V^+ - V^- = 0$$

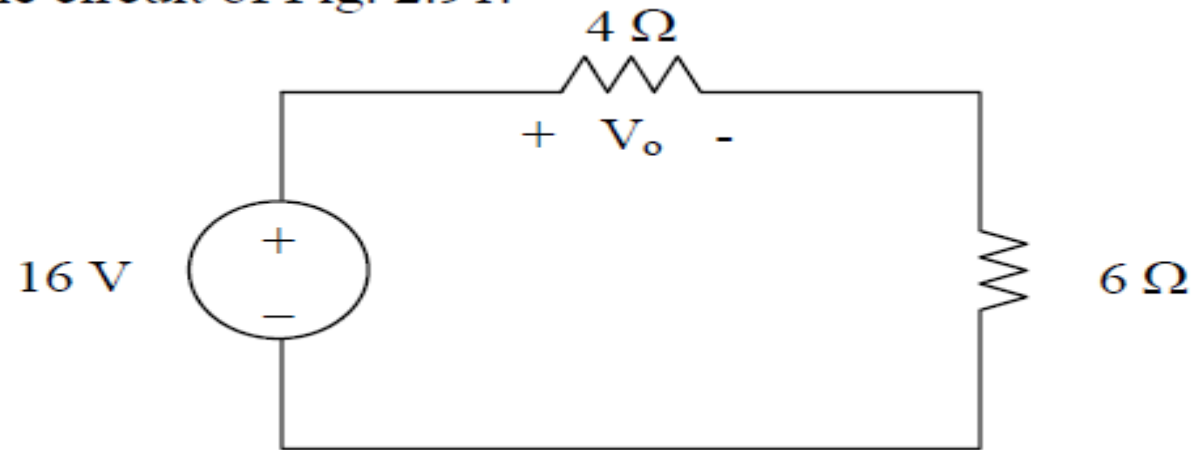
$$V^+ = V^-$$

so  $V^+ = 0$  [ground] from fig-1  
 $V^- = 0$  because it is zero so we call it virtual ground.

Non-inverting voltage & inverting voltage are equal

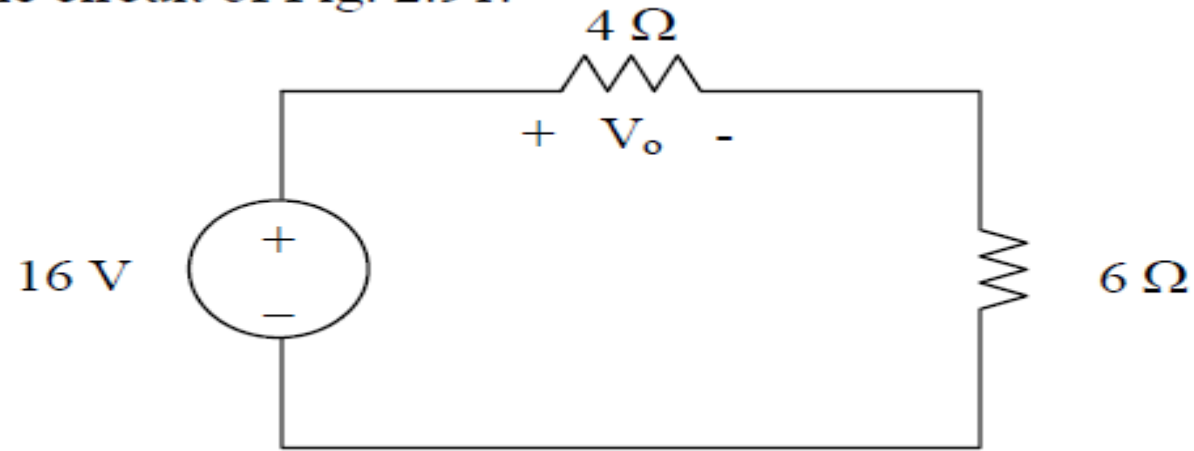
# Discussions

Calculate  $\dot{V}_o$  in the circuit of Fig. 2.91.



# Discussions

Calculate  $\dot{V}_o$  in the circuit of Fig. 2.91.

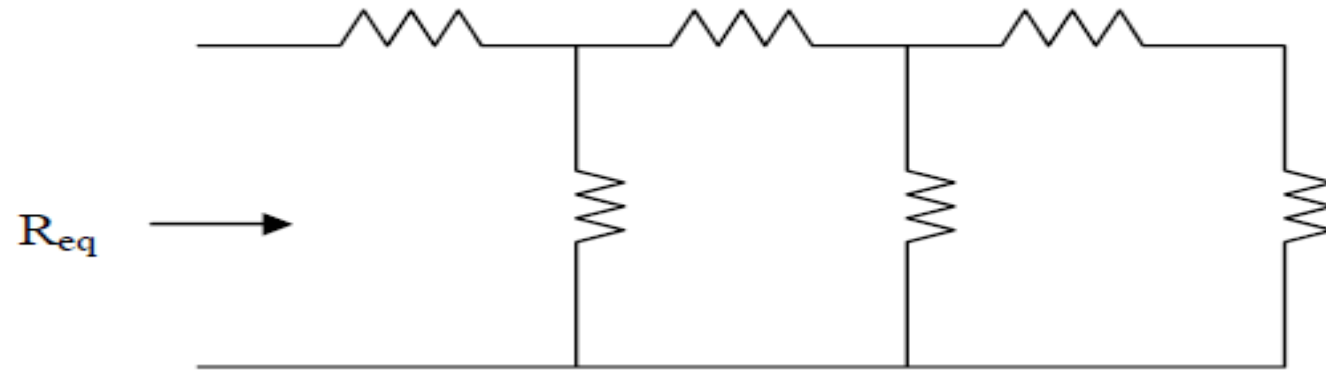


$$V_o = \frac{4}{4+16}(16\text{V}) = \underline{6.4\text{ V}}$$



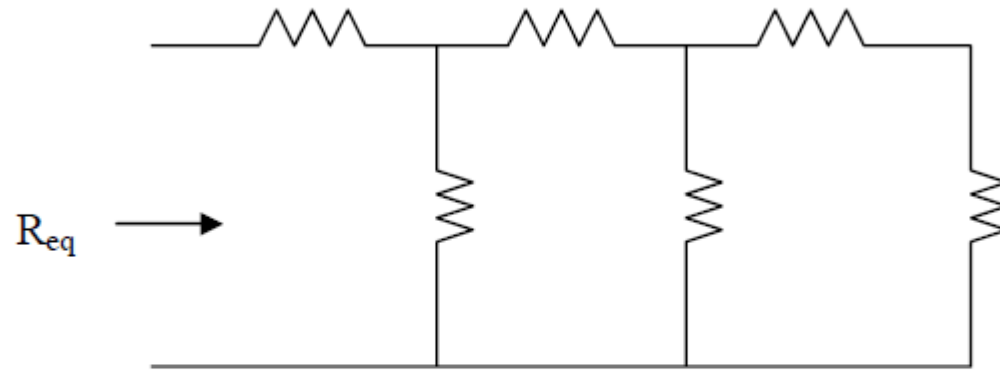
# Discussions

All resistors in Fig. 2.93 are  $1\ \Omega$  each. Find  $R_{eq}$ .



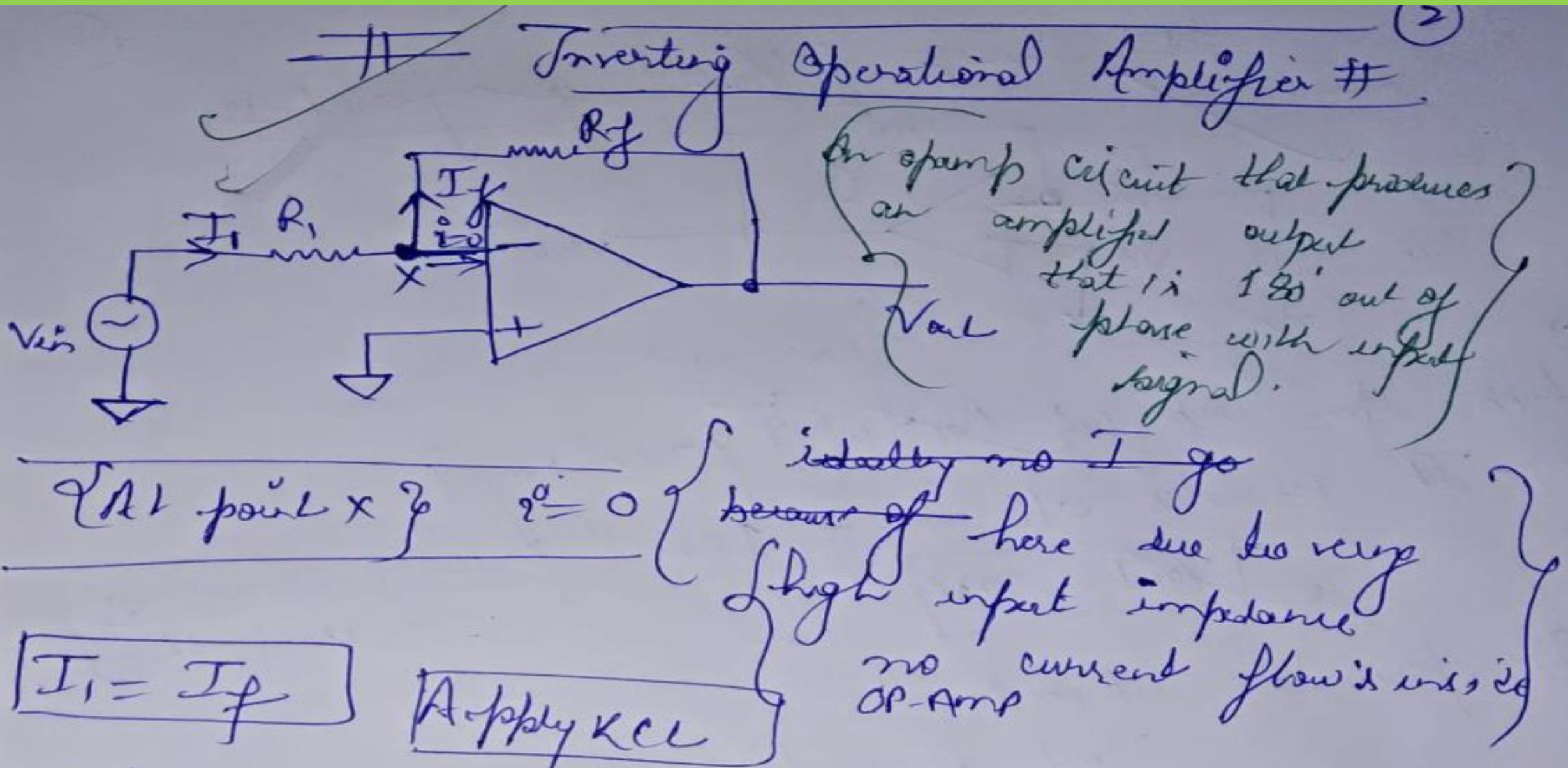
# Discussions

All resistors in Fig. 2.93 are  $1\ \Omega$  each. Find  $R_{eq}$ .



$$R_{eq} = 1 + 1/(1 + 1/2) = 1 + 1/(1 + 2/3) = 1 + 1/(5/3) = \underline{\underline{1.625\ \Omega}}$$

# Inverting Operational Amplifier



# Inverting Operational Amplifier

{At point x}  $v_x = 0$   $\left\{ \begin{array}{l} \text{ideally no } I \text{ go} \\ \text{because of here due to very} \\ \text{high input impedance} \\ \text{no current flow inside} \\ \text{OP-Amp} \end{array} \right\}$

$I_1 = I_f$  Apply KCL

$$\frac{V_{in} - x}{R_1} = \frac{x - V_{out}}{R_f}$$

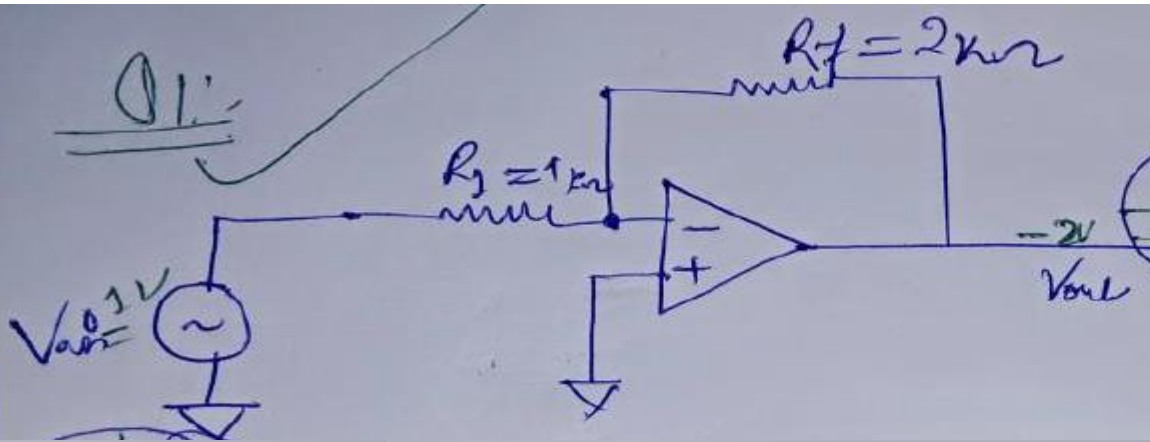
here due to virtual ground  $x = 0$

$$\frac{V_{in} - 0}{R_1} = \frac{-V_{out}}{R_f}$$

$$\left[ \frac{-R_f}{R_1} \Rightarrow \frac{V_{out}}{V_{in}} \right] \Rightarrow \frac{V_{out}}{V_{in}} = -\frac{R_f}{R_1} = A_{CL} \text{ closed loop gain}$$

② closed loop gain

# Inverting Operational Amplifier



$$\frac{V_{out}}{V_{in}} = -\frac{2 \times 10^3}{1 \times 10^3} \Rightarrow -2$$

$$V_{out} = -2 V_{in}$$

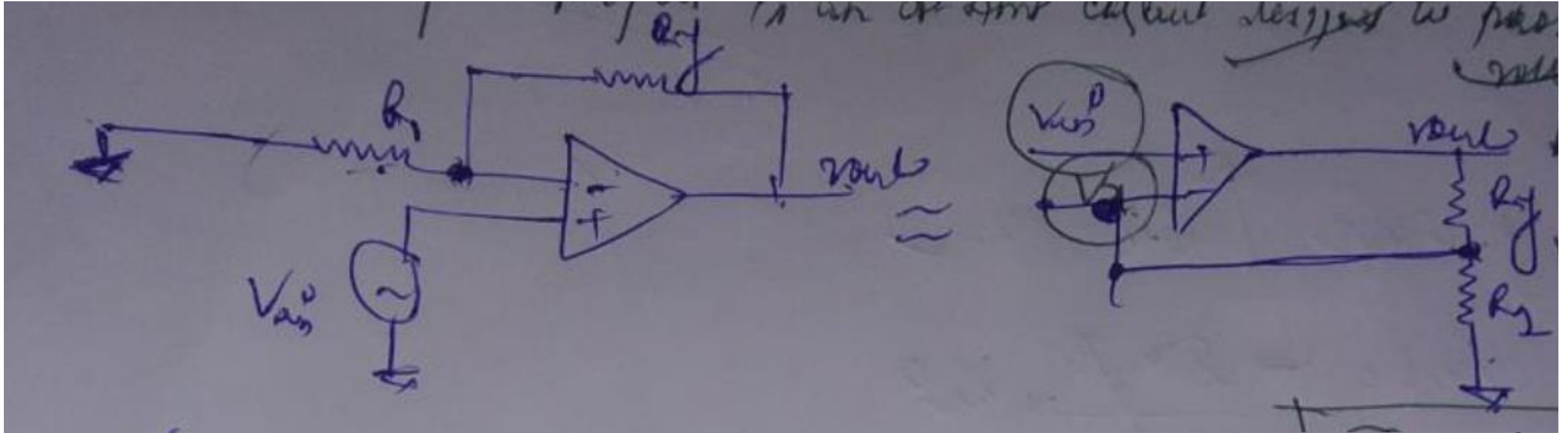
$$V_{out} = -2 \times 1 \Rightarrow -2V$$



# Non- Inverting Operational Amplifier

- ❑ A non inverting Amplifier is an OPAMP which is designed to provide positive voltage gain.
- ❑ Here, input is applied to non-inverting terminals.

# Non-Inverting Operational Amplifier



Voltage at  $V_x$  :-

(1)

$$V_x = \frac{R_1}{R_1 + R_f} \times V_{out}$$



# Non-Inverting Operational Amplifier

Voltage at  $V_x$  :-

(1)  $V_x = \frac{R_1}{R_1 + R_F} \times V_{out}$

(2) Due to virtual shorting concept  
( $V^+ = V^-$ )

(3) So  $V_{in}^0 = V_x$

(4)  $V_{out}^0 = V_x \left( \frac{R_1}{R_1 + R_F} \right) \times V_{out}$

# Non-Inverting Operational Amplifier

(4) 
$$V_{in}^o = V_{in} \left( \frac{R_1}{R_1 + R_f} \right) V_{out}$$

(5) 
$$V_{in}^o = \left( \frac{R_1}{R_1 + R_f} \right) V_{out}$$

(6) 
$$\frac{V_{out}}{V_{in}^o} = \frac{R_1}{R_1} + \frac{R_f}{R_1} \Rightarrow 1 + \frac{R_f}{R_1}$$

(7) 
$$V_{out} = \left( 1 + \frac{R_f}{R_1} \right) V_{in}^o$$