# Financial Time Series Forecasting

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Background Data SARIMA LSTM SVM Conclusions

# Background

#### ➤ Time Series Forecast

- >Tracking of a particular variable over time
- Stable, Recurring Patterns, Seasonal Swings...

#### ➤ Why Do Forecast?

- ➤ Risk Hedging
- ➤ Investment Planning

#### ➤ Critical Questions

- Estimating Accuracy of a Forecast RMSE MAE
- ➤ Meeting the Criteria for Timeliness Monthly

#### > Methods

- Random Walk SARIMA
- ➤ Artificial Neural Networks LSTM
- Support Vector Machine RBF Linear Polynomial

### **Data**

#### ➤ Apple Stock Monthly Price(AAPL)

Training Data: 1981/01 - 2015/12

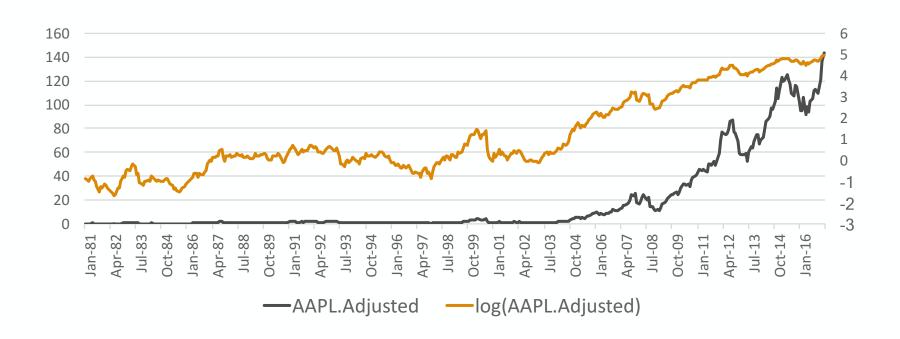
Testing Data: 2016/01 - 2017/03

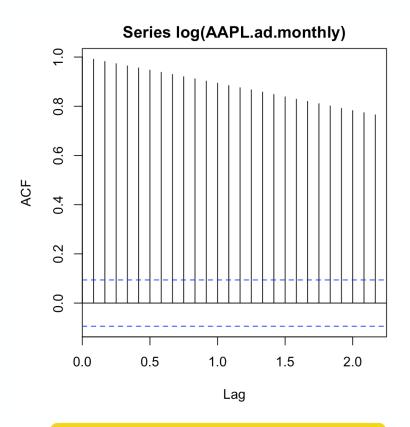


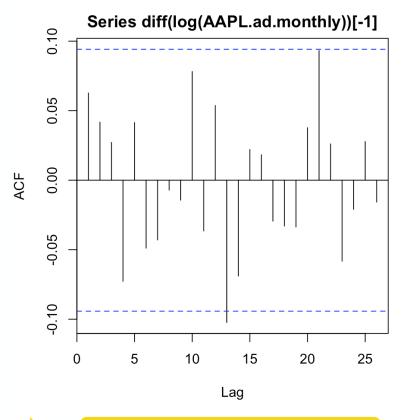
### Data

#### ➤ Variability grows with time

- ➤ log transformation
- ➤ Stabilize variance



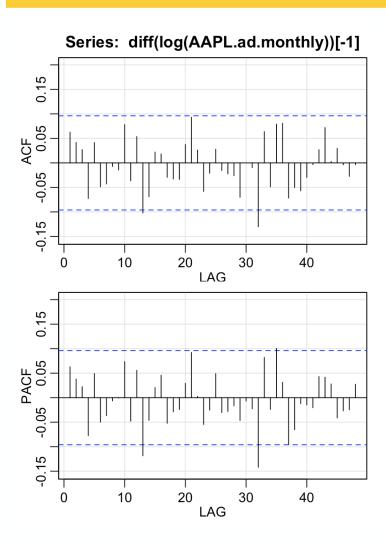


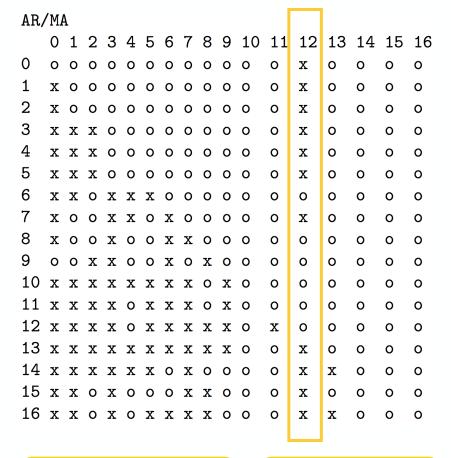


A Slow decay in sample ACF



Differencing

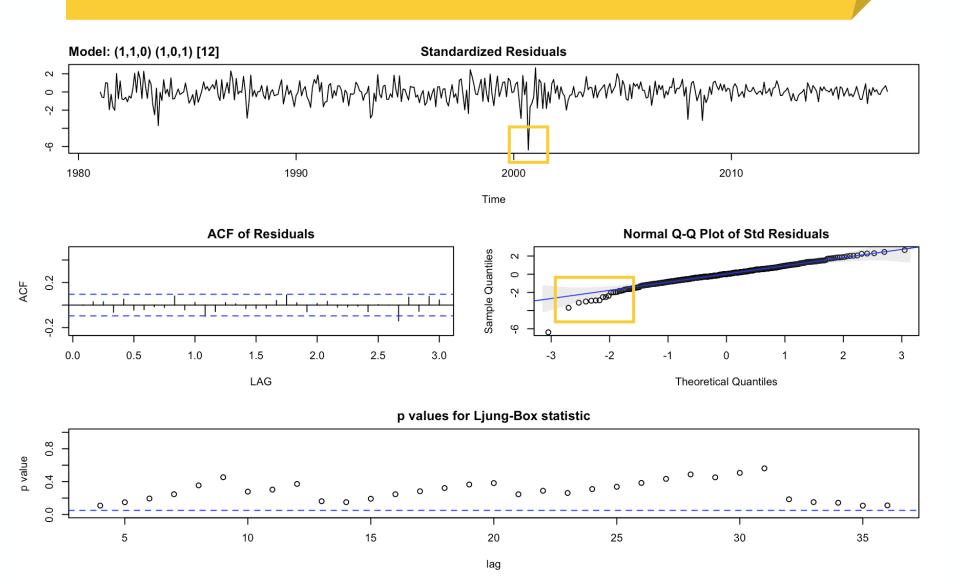


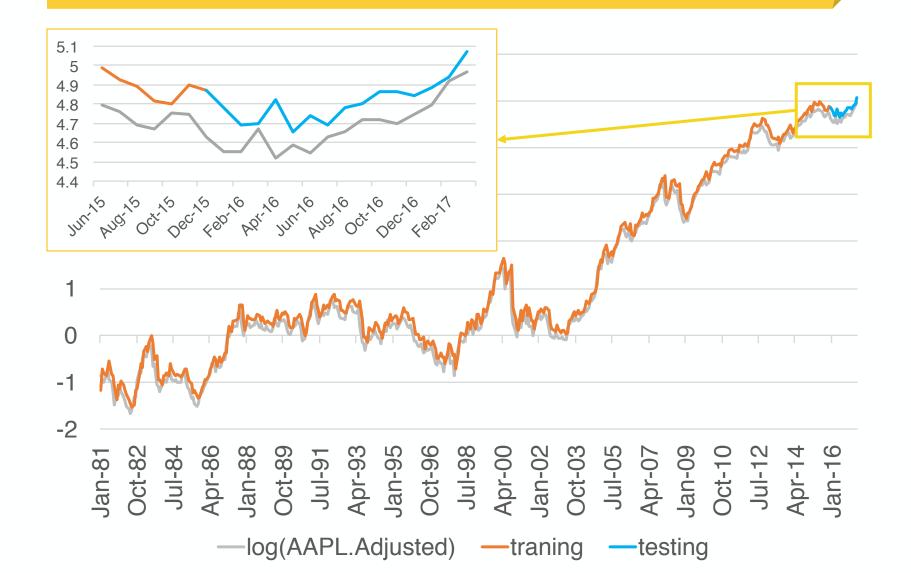


Seasonality

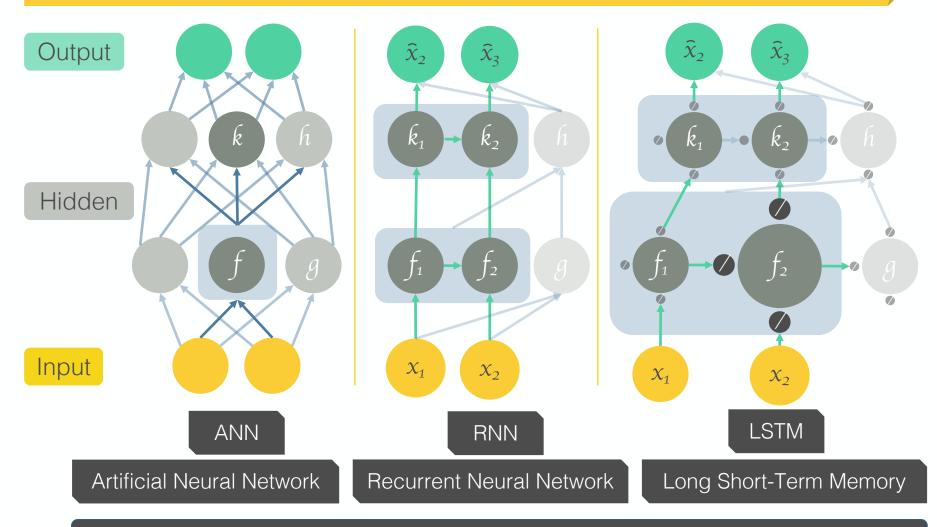
Low-order

Model	AIC	RMSE	MAE
ARIMA(1,1,0)(1,1,0)[12]	-308.72	0.1636	0.1205
ARIMA(1,1,0)(2,0,0)[12]	-490.59	0.1358	0.1010
ARIMA(2,1,0)(1,0,0)[12]	-490.84	0.1357	0.1008
ARIMA(1,1,1)(0,0,1)[12]	-490.88	0.1357	0.1007
ARIMA(1,1,0)(2,0,1)[12]	-491.69	0.1349	0.1002
ARIMA(1,1,0)(1,0,0)[12]	-492.31	0.1358	0.1010
ARIMA(1,1,0)(1,0,1)[12]	-493.26	0.1350	0.1004
mean	-465.47	0.1395	0.1035





### **LSTM**



Lack of Memory sucks when you're working with anything time series related

# **LSTM**



#### **≻**Rationale

Constructs linear model to implement nonlinear class boundaries through the transforming the inputs into the high-dimensional feature space

#### > Model

$$> y = b + \sum \alpha_i y_i K(\mathbf{x}(i), \mathbf{x})$$

#### ➤Our SVM time series model(lag=1)

- $\triangleright$  Set  $y_t$  as our dependent variable
- $\triangleright$  Set  $y_{t-1}$  as our independent variable

#### >Kernel methods

- ➤ Map the data into higher dimensional spaces
- ➤ Hope the data could become more easily separated or better structured

#### >Types

**≻**Linear Kernel

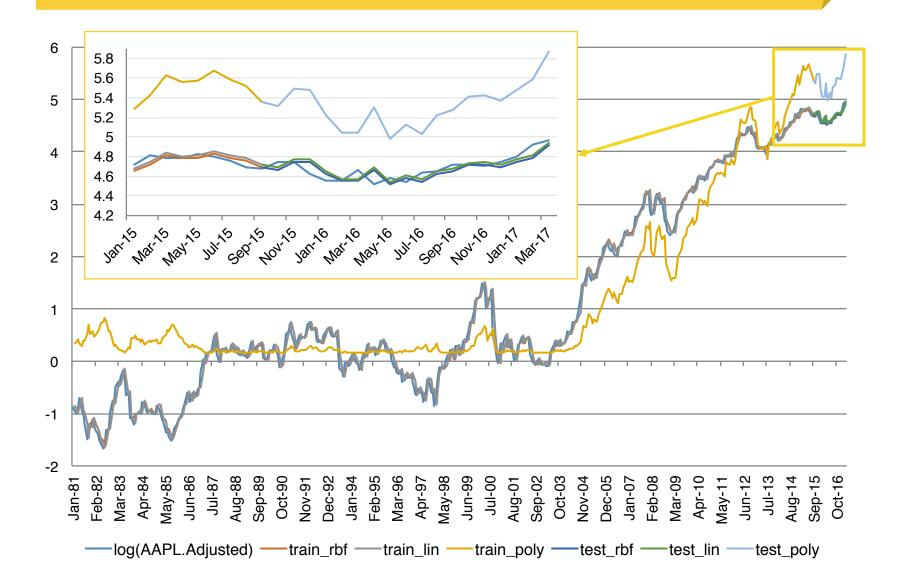
$$K(x,y) = x^T y + c$$

➤ Polynomial Kernel

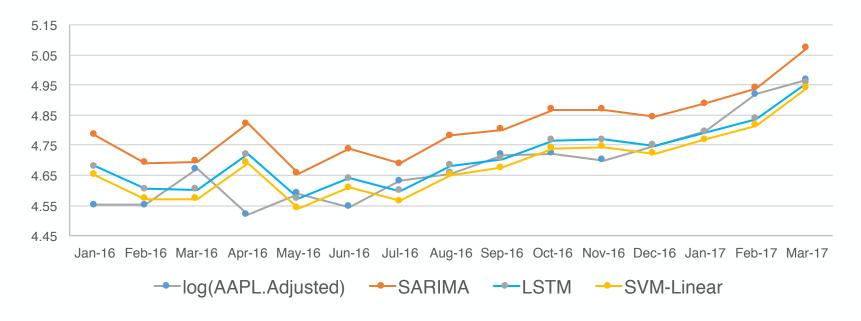
$$K(x,y) = (\alpha x^T y + c)^d$$

➤ Gaussian Kernel

$$K(x, y) = \exp(-\gamma ||x - y||^2)$$



# Comparison



	Method	SARIMA	LSTM	SVM: Linear
RMSE	Train	0.1881	0.1520	0.1387
	Test	0.1558	0.0837	0.0733
MAE	Train	0.1505	0.1153	0.1037
	Test	0.1307	0.0654	0.0592

# Summary

**Adjusted Price** 

Training

**Testing** 

log Transformation

**RW SARIMA** 

Differencing

p,d,q,P,D,Q

Select Model

**Diagnostics** 

NN LSTM

lag 1 Process

Feature scaling

**LSTM** 

SVM

lag 1 Process

Select Kernels

Linear

Gaussian

Polynomial

Forecast

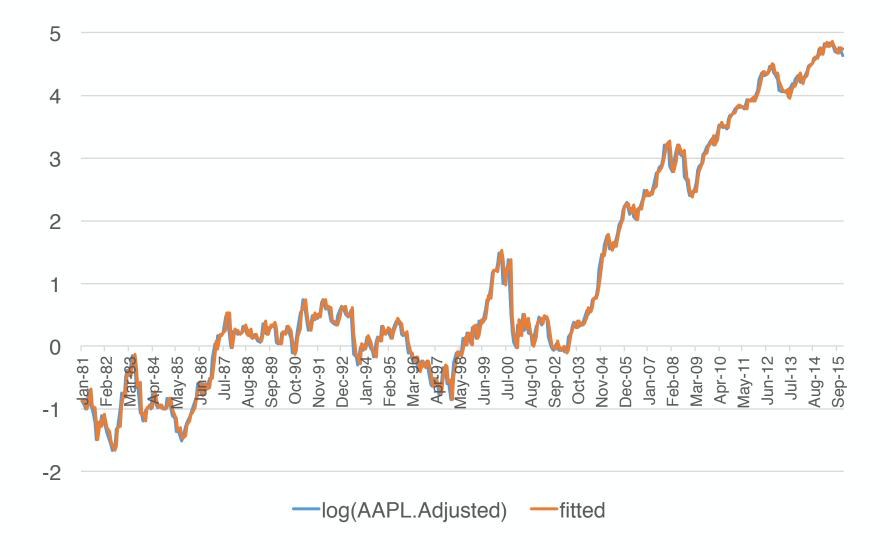
RMSE, MAE

### Conclusions

- SVM(linear kernel) has the best performance and SARIMA fitted values are generally higher than the true values, which is the worst among the three
- ➤ Neural Networks are easier to perform compared with SARIMA model in their steps
- SARIMA model's coefficients are easier to interpret than Neural Networks.
- ➤In next step we are going to improve our first RW method by considering the ARMA+GARCH model and make comparisons with SVM

# Thank You!

# Appendix



# **LSTM**

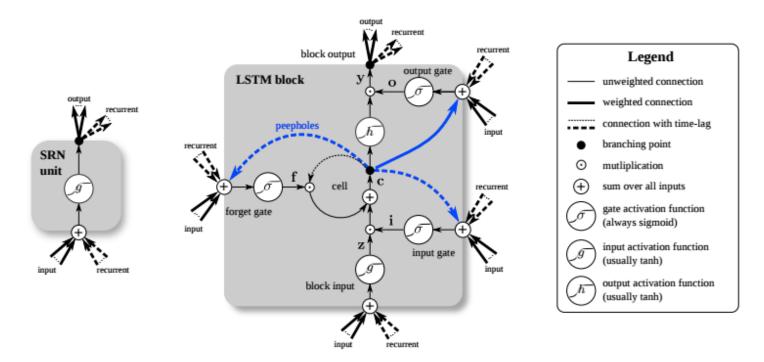


Figure 1. Detailed schematic of the Simple Recurrent Network (SRN) unit (left) and a Long Short-Term Memory block (right) as used in the hidden layers of a recurrent neural network.

#### >Advantages:

- >Effective in high dimensional spaces
- Always avoid the overfitting problem because the maximum hyperplane is relatively stable
- ➤ Versatile: A variety of kernel functions to choose from

#### ➤ Disadvantages:

- If the number of features is much greater than the number of samples, the method is likely to give poor performances(not enough data)
- ➤ Can't interpret parameters, the weighting matrix