

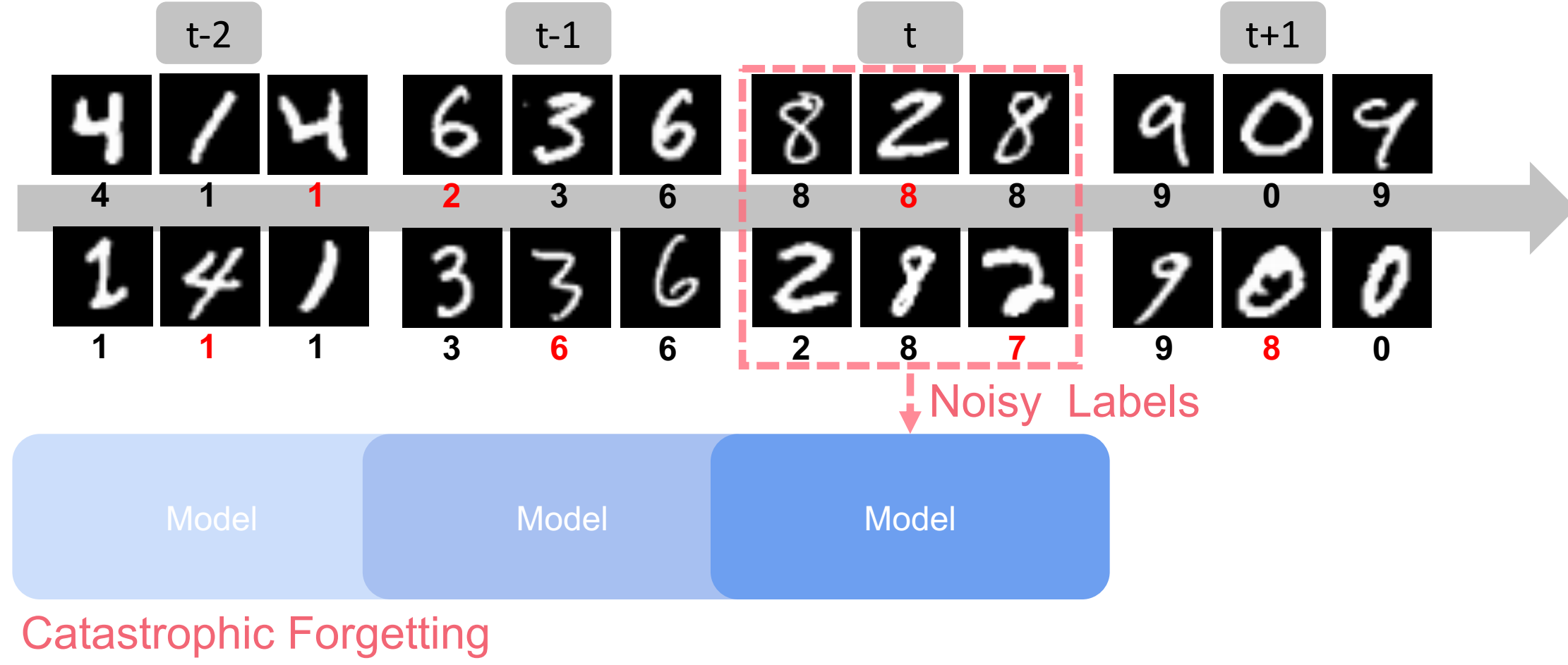


Code available at <http://vision.snu.ac.kr/projects/SPR>

*Equal Contribution

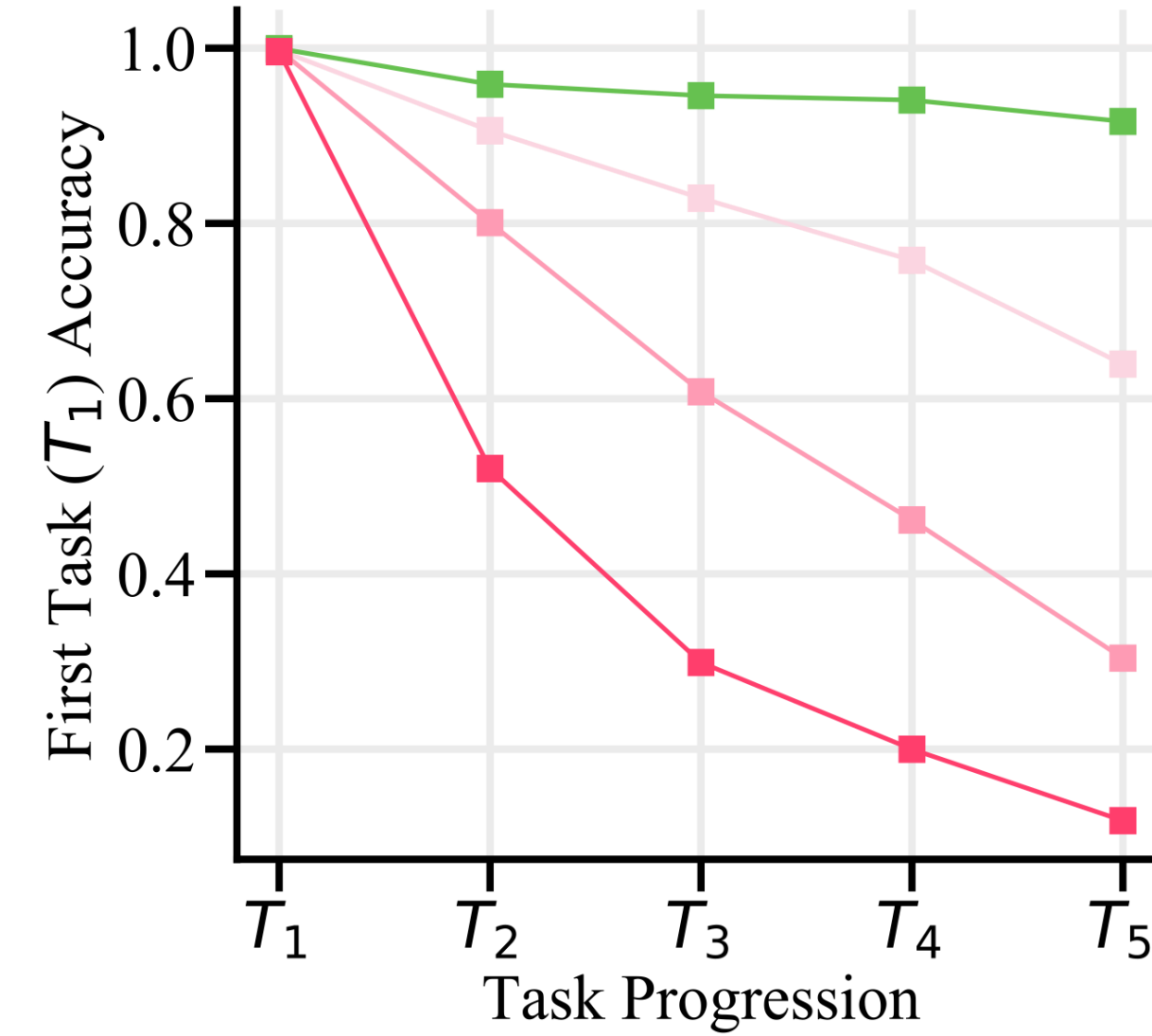
Introduction

- Noisy Labels & Continual Learning are inevitable real-world machine learning problems which are bound to converge.
- First work to explore this intersection.



Motivation

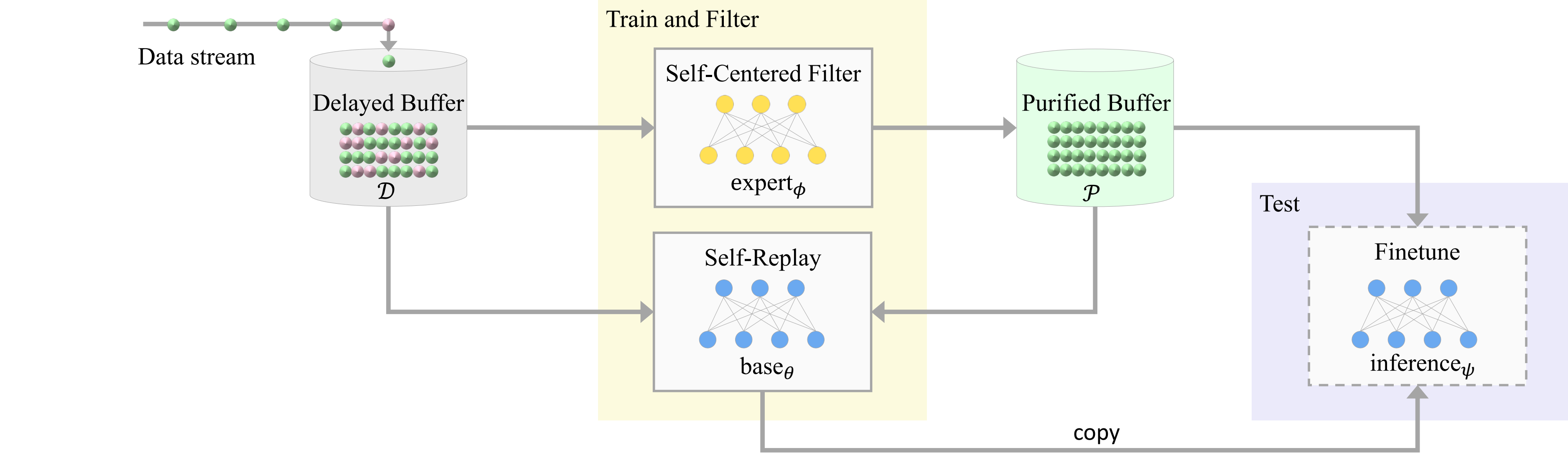
- Replay based continual learning from a noisy data stream.
- Fatal amounts of forgetting with increasing amounts of noise.



Approach

- Goal.** Continually learn from a stream of noisy labeled data
- Break into two interrelated sub-goals:
 - Reduce forgetting even with noisy labels.** Catastrophic forgetting must be mitigated amidst noisy labels.
 - ✓ Self-Replay
 - Filter clean data.** Noise should be identified from *small portions* of data to generalized to online continual learning.
 - ✓ Self-Centered Filter
- Self-Replay + Self-Centered Filter = Self-Purified Replay*

Self-Purified Replay Framework



- Delayed buffer \mathcal{D} : temporarily stocks the incoming data stream.
- Purified buffer \mathcal{P} : maintains the cleansed data.
- Base network θ : addresses sub goal 1 via self-supervised replay (Self-Replay) training.
- Expert network ϕ : tackles sub goal 2 by obtaining confidently clean samples via centrality

Self-Replay

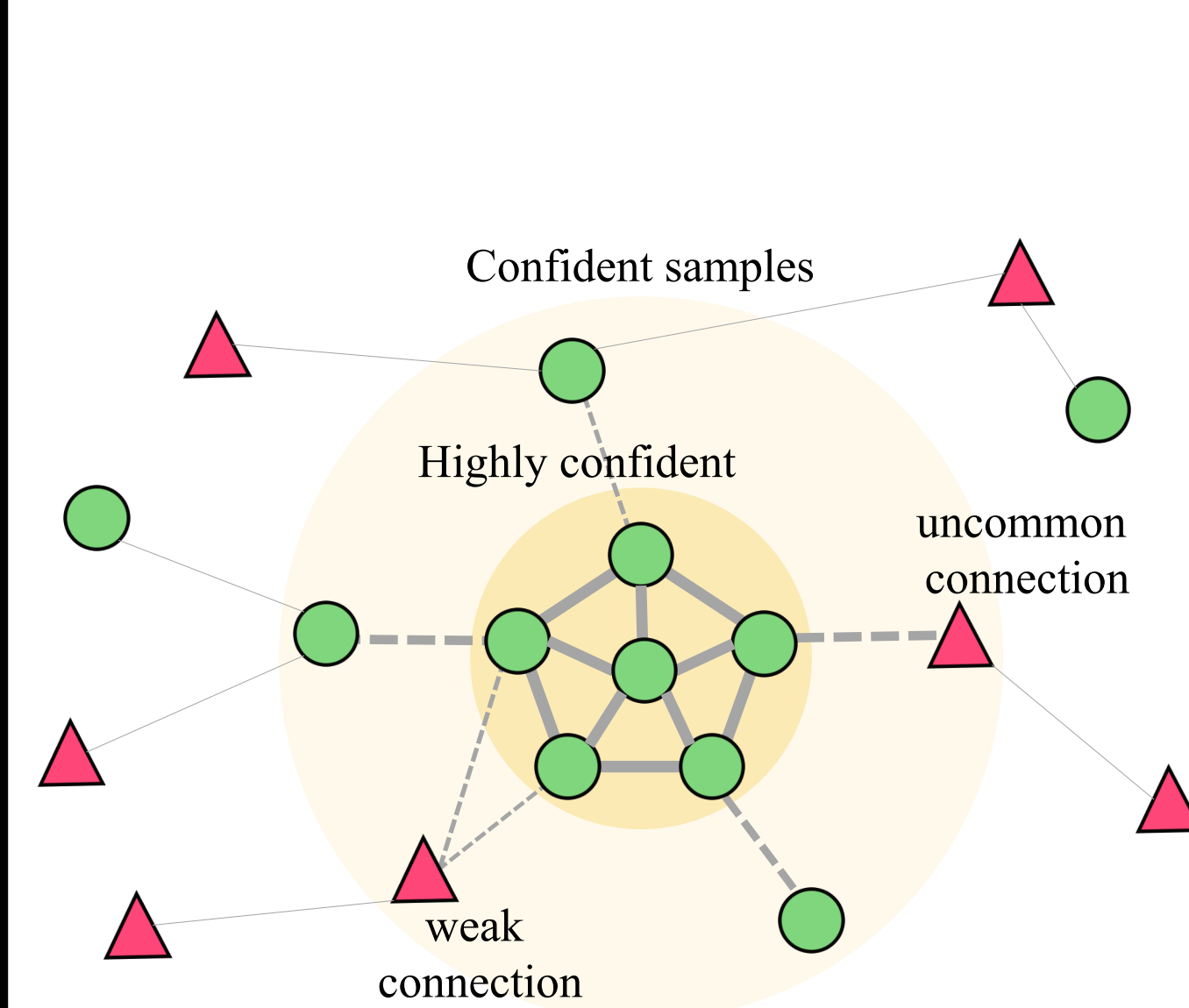
Self-supervised replay for continually relevant and rich representations.

- circumvent error signals** via learning only from x (without y) using contrastive self-supervised learning techniques.
- mitigate forgetting** while learning general representations via self-supervised replay of the samples in the delayed and purified buffer ($\mathcal{D} \cup \mathcal{P}$).

$$L_{self} = - \sum_{i=1}^{2(B_D+B_P)} \log \frac{e^{u_i^T u_j / \tau}}{\sum_{k=1}^{2(B_D+B_P)} \mathbb{1}_{k \neq i} e^{u_i^T u_k / \tau}}$$

Self-Centered-Filter

Filter clean data (using only Delayed Buffer contents).



1. Representation learning

- self-supervised training only using the delayed buffer.

$$L_{self} = - \sum_{i=1}^{2(B_D)} \log \frac{e^{u_i^T u_j / \tau}}{\sum_{k=1}^{2(B_D)} \mathbb{1}_{k \neq i} e^{u_i^T u_k / \tau}}$$

2. Centrality scoring

- eigenvector centrality based on similarity between the representations.

$$c_v = \frac{1}{\lambda} \sum_{u \in N(v)} c_u = \frac{1}{\lambda} \sum_{u \in V} a_{v,u} c_u$$

3. Probabilistic discrimination

- EM algorithm to fit a beta mixture model to the centrality scores.

$$p(z|c) = \frac{\pi_z p(c|\alpha_z, \beta_z)}{\sum_{j=1}^Z \pi_j p(c|\alpha_j, \beta_j)}$$

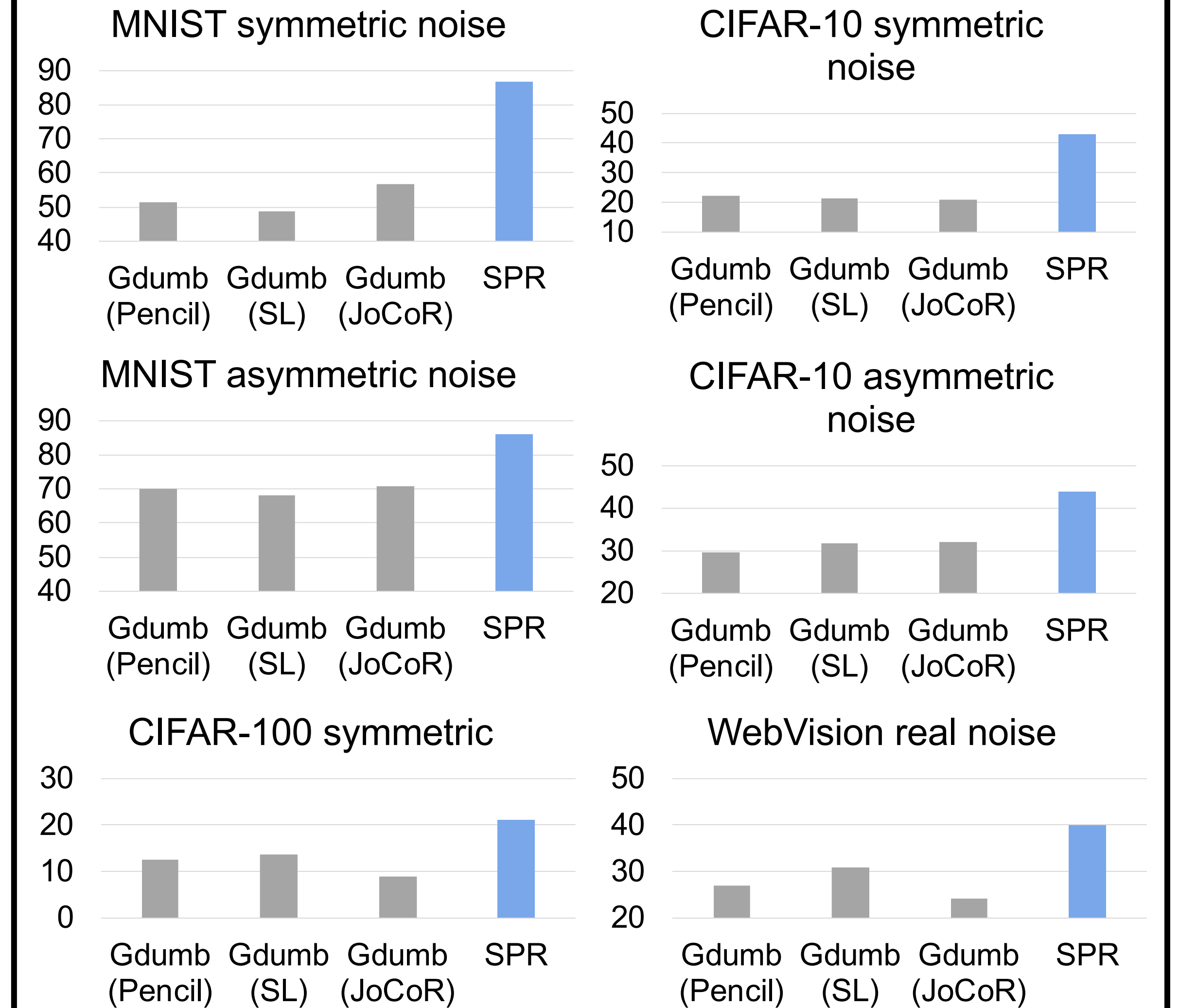
4. Stochastic Ensembles

- Monte Carlo sampling to approximate robust posterior $p(z|D_I)$.

$$p(z|D_I) \propto \int_A p(z|\text{cent}(A)) dp(A|D_I)$$

$$A = (a_{v,u})_{|V| \times |V|}$$

Overall Accuracy



Filtered Percentage

Below results are based on 40% noise rates

