知识点Z4.40

案例: 二次抑制载波振幅调制接收系统

主要内容:

二次抑制载波振幅调制接收系统

基本要求:

了解二次抑制载波振幅调制接收系统的基本原理

Z4.40* 案例: 二次抑制载波振幅调制接收系统

例:如图二次抑制载波振幅调制接收系统,已知

输入信号:
$$f(t) = \frac{\sin t}{\pi t}, -\infty < t < \infty$$

调制信号: $s(t) = \cos 500t, -\infty < t < \infty$

问: 输出信号y(t)=?

$$f(t)$$
 (低通滤波器 $y(t)$) $f_a(t)$ (低通滤波器 $H(j\omega)$) $f_a(t)$ (低通滤波器 $H(j\omega)$) $f_a(t)$ ($f_a(t)$) $f_a(t)$ ($f_a(t$

解:
$$y(t) = f(t) \times s(t) \times s(t) * h(t)$$

$$Y(j\omega) = \{\frac{1}{2\pi} \left[\frac{1}{2\pi} F(j\omega) * S(j\omega) \right] * S(j\omega) \} \bullet H(j\omega)$$

$$g_2(t) \leftrightarrow 2Sa(\omega)$$

由对称性可知:

$$2Sa(t) \leftrightarrow 2\pi g_2(-\omega) = 2\pi g_2(\omega)$$

$$\frac{\sin t}{\pi t} = \frac{Sa(t)}{\pi} = f(t) \longleftrightarrow g_2(\omega)$$

所以:

$$F(j\omega) = g_2(\omega)$$

调制信号:

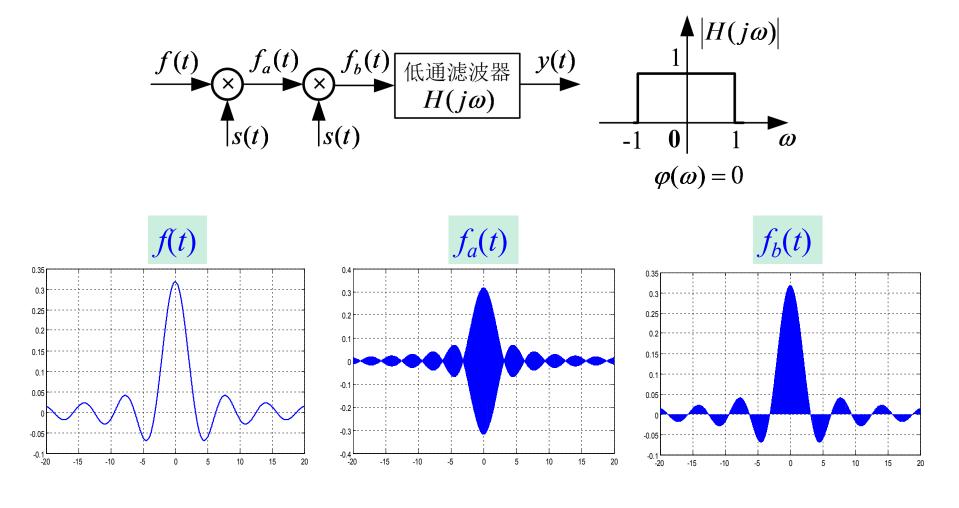
$$s(t) = \cos 500t, -\infty < t < \infty$$

$$S(j\omega) = \pi[\delta(\omega + 500) + \delta(\omega - 500)]$$

$$\begin{split} Y(j\omega) &= \{\frac{1}{2\pi} [\frac{1}{2\pi} F(j\omega) * S(j\omega)] * S(j\omega) \} \bullet H(j\omega) \\ &= \frac{1}{4\pi^2} g_2(\omega) * \pi [\delta(\omega + 500) + \delta(\omega - 500)] * \pi [\delta(\omega + 500) + \delta(\omega - 500)] \bullet H(j\omega) \\ &= \frac{1}{4\pi^2} g_2(\omega) * \pi^2 [\delta(\omega + 1000) + 2\delta(\omega) + \delta(\omega - 1000)] \bullet H(j\omega) \\ &= \frac{1}{4\pi^2} g_2(\omega) * \pi^2 [\delta(\omega + 1000) + 2\delta(\omega) + \delta(\omega - 1000)] \bullet H(j\omega) \\ &= \frac{1}{4} g_2(\omega) * [\delta(\omega + 1000) + 2\delta(\omega) + \delta(\omega - 1000)] \bullet g_2(\omega) \\ &= \frac{1}{2} g_2(\omega) \end{split}$$

所以:

$$y(t) = \frac{\sin t}{2\pi t} = \frac{Sa(t)}{2\pi} = \frac{1}{2}f(t)$$



思考: 各信号的频谱图?

