Q: est 5 ess

$$\frac{r(1)}{p(2)} \bigotimes \underbrace{e^{t}}_{S_r} \underbrace{e^{t}}_{I-e^{-t}} \underbrace{-e^{-t}}_{G_p(S)} \underbrace{-c^{(2)}}_{C(2)}$$

$$\downarrow b(1)$$

$$\downarrow b(2)$$

$$\downarrow b(3)$$

$$\downarrow b(4)$$

$$\downarrow b(4)$$

where
$$E(z) = R(z) - B(z)$$

$$G_{ZOH}G_{P}G_{H}(z) = \frac{B(z)}{E(z)} = G_{H}(z)$$

②
$$e_{st} = \lim_{k \to \infty} (r ct) - (ct)$$

$$= \lim_{k \to \infty} (r ct) - (ct)$$

$$= \lim_{k \to \infty} (r ct) - (ct)$$

$$= \lim_{k \to \infty} (r ct) - (ct)$$

$$R(E) - L(E)$$

$$Where $G(c(E)) = \frac{C(E)}{R(E)}$

$$C(E) = P(E) G(c(E))$$

$$C(E) = P(E) G(c(E))$$

$$= \lim_{k \to \infty} (r ct) - C(t)$$

$$R(E) - L(E)$$

$$= \lim_{k \to \infty} (r ct) - C(t)$$

$$= \lim_{k \to \infty} (r ct) - C(t)$$

$$R(E) - L(E)$$

$$= \lim_{k \to \infty} (r ct) - C(t)$$

$$= \lim_{k \to \infty} (r ct) - C(t)$$$$

稳态跟踪误差est: steady state tracking error

$$e_{st} = \lim_{k o\infty} \left(r(k) - rac{\mathcal{C}}{\mathfrak{G}}(k)
ight) = \lim_{z o1} \left((1-z^{-1})R(z)[1-G_{cl}(z)]
ight)$$

稳态误差ess: steady-state error

直接R-C是跟踪 R-B是驱动 一个是减开环传函,一个是减闭环传函 反馈传函为1的话,两者一样,才能共用公式

$$e_{ss} = \lim_{z \to 1} \left[(1 - z^{-1}) \frac{1}{1 + GH(z)} R(z) \right]$$

$$GH(z) = (1 - z^{-1})\mathcal{Z}\left[\frac{G_P(s)H(s)}{s}\right]$$

$$F(t) = e(t) \qquad e^{*}(t) \qquad 1 - e^{-Tz} \qquad G_{\rho}(s) \qquad C(t)$$

$$D(t) \qquad H(s)$$

Figure 4-14: Discrete-time control system

$$E(z) = \frac{1}{1 + GH(z)}R(z)$$

The above analysis applies to the system in Figure 4-14.

上述分析适用干图4-14中的系统。

It is important to note that the above E(z) is the actuating error E(z) = R(z) - B(z). This is different from the tracking error R(z) - C(z)! 需要注意的是,上述E(z)是驱动误差E(z) = R(z) - B(z)。这与跟踪误差R(z) - C(z)不同!

For other system configurations where the sampler(s) are placed differently, the results have to be modified. A few examples are given in Table 4-5.

对于放置不同采样器的其他系统配置,必须修改结果。