

Solution

$$\frac{f}{z} = \frac{d}{d} \implies z = \frac{f \beta}{d}$$

$$\frac{2}{2} = \frac{fB}{a} = \frac{fB}{dfod}$$

$$DZ = Z - Z = \frac{fB}{d+od} - \frac{fB}{d}$$

Taylor approximation: od is small

$$\frac{1}{d + o \lambda} \approx \frac{1}{d} - \frac{\delta d}{d^2}$$

$$\Delta \vec{z} = \left(\frac{fB}{d} - \frac{fBod}{d^2}\right) - \frac{fB}{d} = -\frac{fBod}{d^2} od$$

 $O^{2} = - \mathcal{E}(\frac{\delta d}{d})$ $cd)^{Q} \mathcal{I}(x, y, \epsilon) = \mathcal{I}(x + \nu, y + \nu, t + i)$ $= \mathcal{I}(x, y, \epsilon) + \mathcal{I}_{xu} + \mathcal{I}_{y} \nu + \mathcal{I}_{\epsilon}$

Ixu+ZyV+T+=D

@ limitation: O fails under varying lightly

@ doesn't account sepanlar reflection

or shadows

Bonly accurate for small displacement

3) other key assuptions
flow field is smooth
lambertian Surface
Temporal consistency

@ math 7\$