21-51-03 (a) (;) SVM (ii) CNM (b) graph

## Solution (a) (i) SVM

- Oremain the same
- In a linear SVM only the support vectors influence the optimisation problem.
- 3 A point that is well outside the margin has a Lagrange multiplier  $\alpha = 0$
- 4 Deloting it leaves the quadratic program anchonge
- DSo, neigh vector w and bias b are unchanged.

```
(ii) @ w, : B wz A
   W3: C W4: C
 DA: +1/0/1 vertical edge detector
 defect left edge
   B: -1/0/+1 - defecte right edge
 c: indentify pernel leavel the image unchange
0000000
0011100
         white: 0
0010000
0011100
0000100 back: 1, 2,3 ...
00 11100 padding:1
0 0 00 0 0 0
10-1 -1 -1 2
000 23
        -2-2 -1 23
                      00012
        7-1-12
B.
      1 1 1 -1-2
-101
                    11100
     22 1 -2-3
-10(
                    22100
701 > 11 2 -1-3
                Relu
                    11200
       2 2 1 -2 -3
                    22100
```

(iii) output size = 
$$\frac{N - \text{filter size} + 2x \text{ padding}}{\text{scride}}$$
  
=  $\frac{100 - 7 + 2 \times 0}{1} + 1$   
= 94

output : 94×94×1

- (b) (i) O bias lower

  O variance higher
- (ii) D bias stays roughly the same or grow slightly D because model capacity cannot fit more data
  - 3) variance lower
  - @ Because model can improve generalization performance in the test set