# An Introduction to String Theory

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#### Introduction – Notation

- Metric:
  - $\bullet$   $\eta_{\mu
    u}=\mathsf{diag}(-1,+1,\,\ldots,\,+1)$

## The Relativistic String - The Action

Consider the action of a point particle (with fixed coordinates  $X_{\mu}=(t,\vec{x})$  in a given frame):

$$S = -m \int dt \sqrt{1 - \dot{\vec{x}}\dot{\vec{x}}}$$

ightarrow not Lorentz-invariant, due to mixture of spacial and temporal coordinates under a Lorentz-transformation  $\Lambda$ .

lackbox Consider instead ( $X_{\mu}=rac{dX_{\mu}}{d au}$  for a generalized coordinate au along the line element):

$$S = -m \int d\tau \sqrt{-\dot{X}_{\mu} \dot{X}^{\mu}}$$



igure: [1]

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▶ Consider instead ( $X_{\mu} = \frac{dX_{\mu}}{d\tau}$  for a generalized coordinate  $\tau$  along the line element):

$$S = -m \int d\tau \sqrt{-\dot{X}_{\mu}\dot{X}^{\mu}}$$



Figure: [1]

- ▶ first item
  - subitem
    - subsubitem
- second item
  - 1 item 1
    - 1.1 subitem 1
    - 1.2 subitem 2
  - 2. item 2
- ► third item

- ▶ first item
  - subitem
    - subsubitem
- second item
  - 1. item 1
    - 1.1 subitem 1
    - 1.2 subitem 2
  - 2. item 2
- ► third item

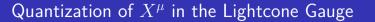
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- second item
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    - 1.2 subitem 2
  - 2. item 2
- third item

#### Covariant Quantization of the Solutions of the Nambu-Goto Action

$$S = \frac{1}{2\pi\alpha'} \int \sqrt{-\det g} \,\partial_{\mu} \tag{1}$$



#### References



David Tong. "Lectures on String Theory". In: arXiv:0908.0333 [hep-th] (Feb. 2012). arXiv: 0908.0333. URL: http://arxiv.org/abs/0908.0333 (visited on 07/13/2020).